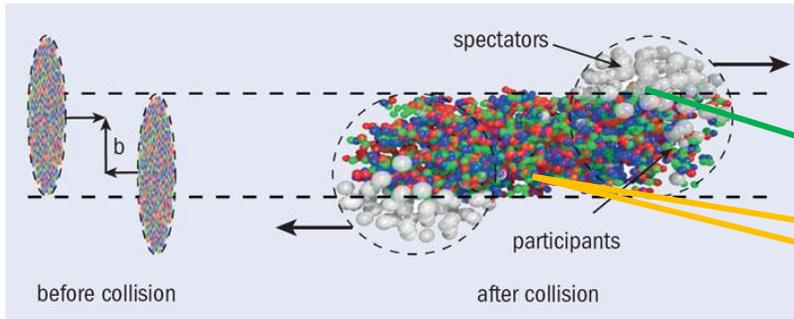


# Energy distributions in FHCaI and approaches for centrality measurements.

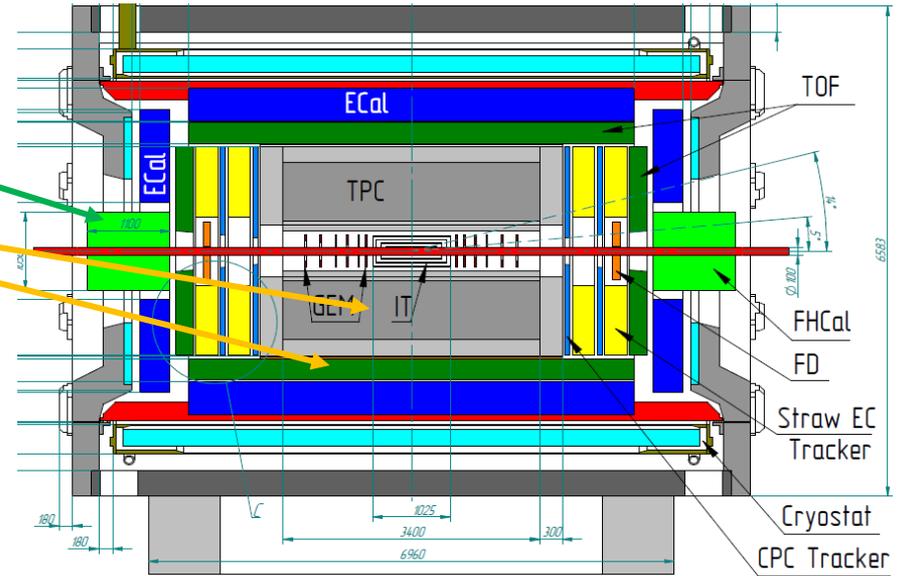
**M.Golubeva and A.Ivashkin**  
**INR RAS (Moscow)**

- This study was done with LA-QGSM model in MPDRoot.
- Only FHCaI was considered.
- LA-QGSM model has no markers of spectators.
- Therefore, the identification of spectator's and non-spectator's contribution is impossible.

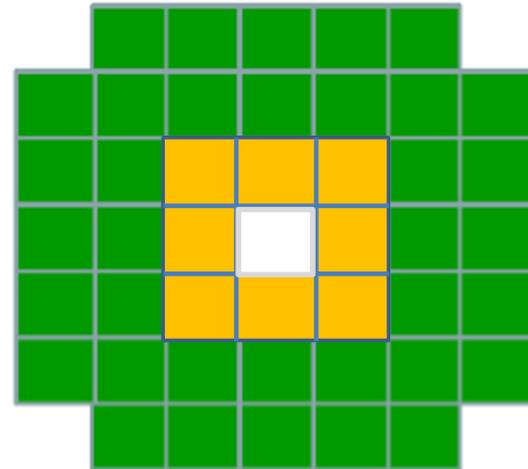
# MPD tools for centrality measurements.



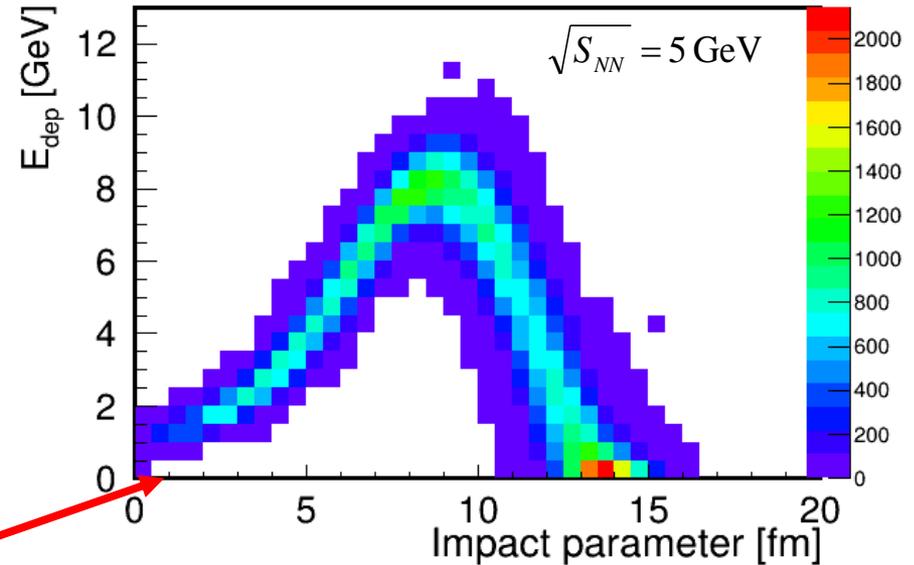
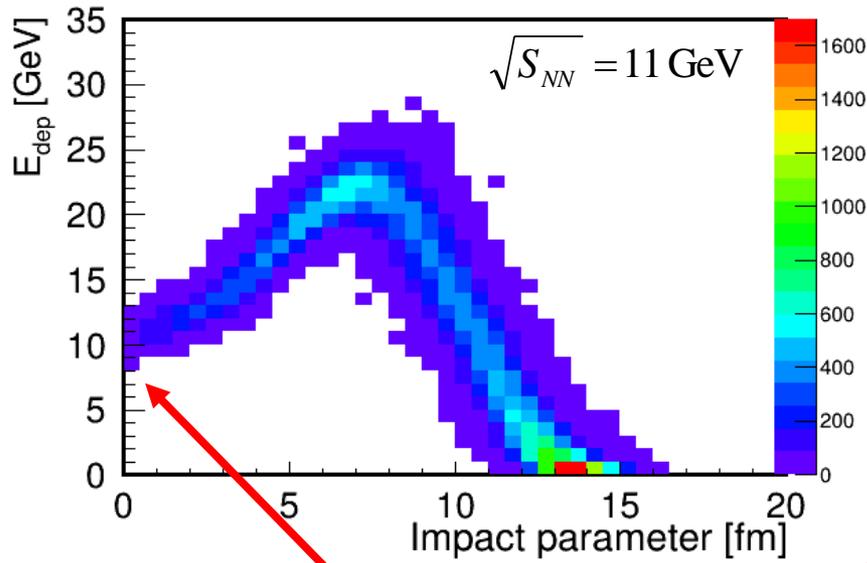
- Two approaches for centrality measurements :
  - a) Participant region (TPC/TOF)
  - b) Spectator region (FHCaI)



In this report we will discuss only spectator region (FHCaI).



# Energy depositions in FHCAL.



**Non-spectator's  
contributions.**

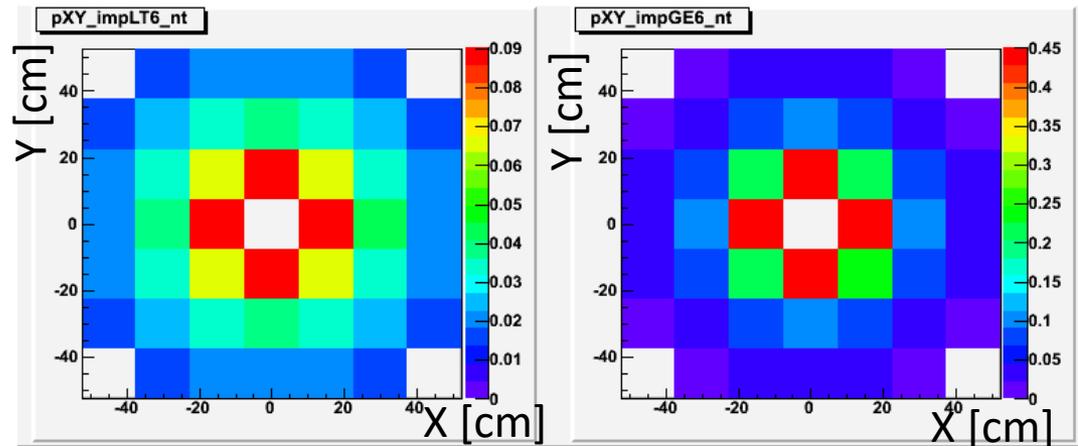
- I. FHCAL detects not only the spectators but also the produced particles and wounded nucleons from participant region.
- II. There is an ambiguity in FHCAL energy deposition for central/peripheral events due to the fragments (bound spectators) leak into beam hole.
- III. **Is it possible to overcome these two problems?**

# Transverse energy distributions in FHCAL modules.

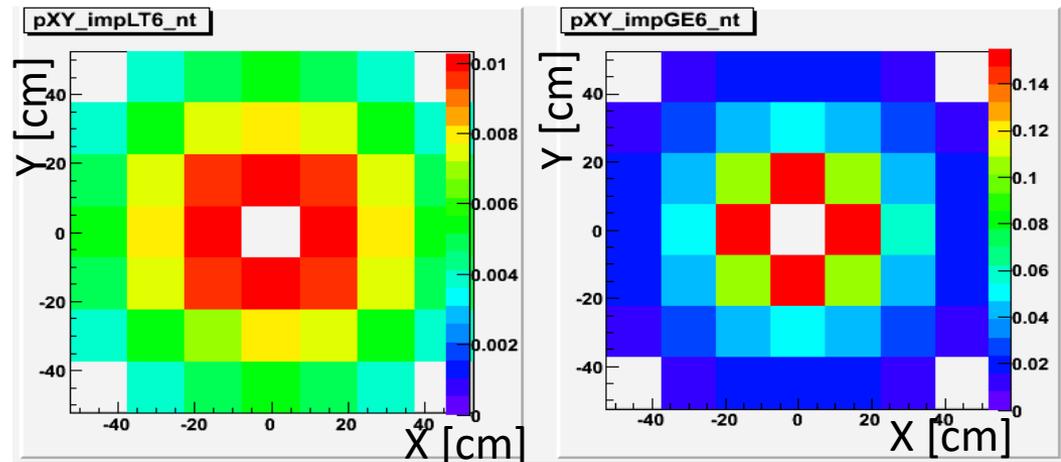
Impact parameter  $b < 6$

Impact parameter  $b > 6$

$$\sqrt{S_{NN}} = 11 \text{ GeV}$$



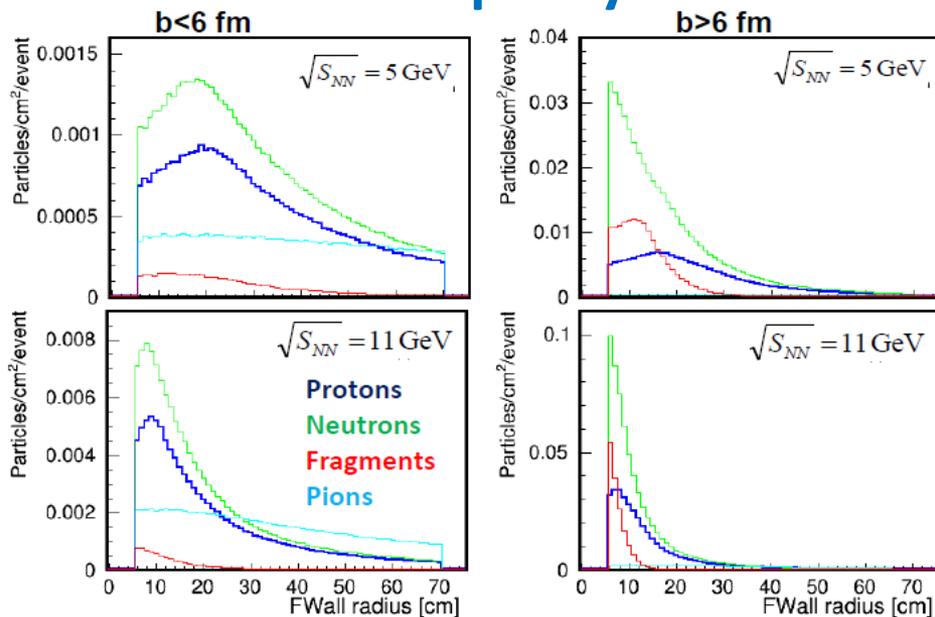
$$\sqrt{S_{NN}} = 5 \text{ GeV}$$



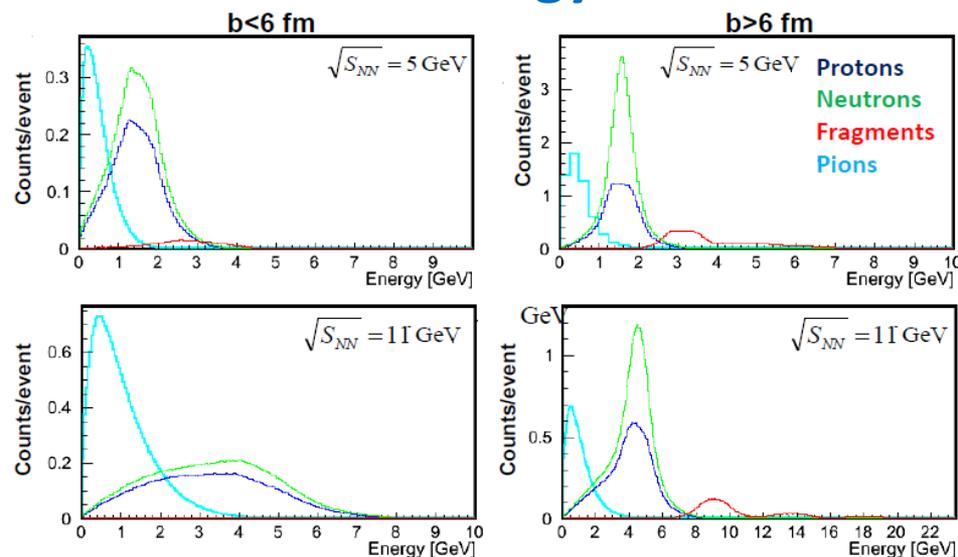
- Transverse energy distributions are wider for central events and narrow for the peripheral collisions.
- Can we use this feature to avoid the above drawbacks?

# Occupancies and energies of different particles at front of FHCAL.

## occupancy



## energy



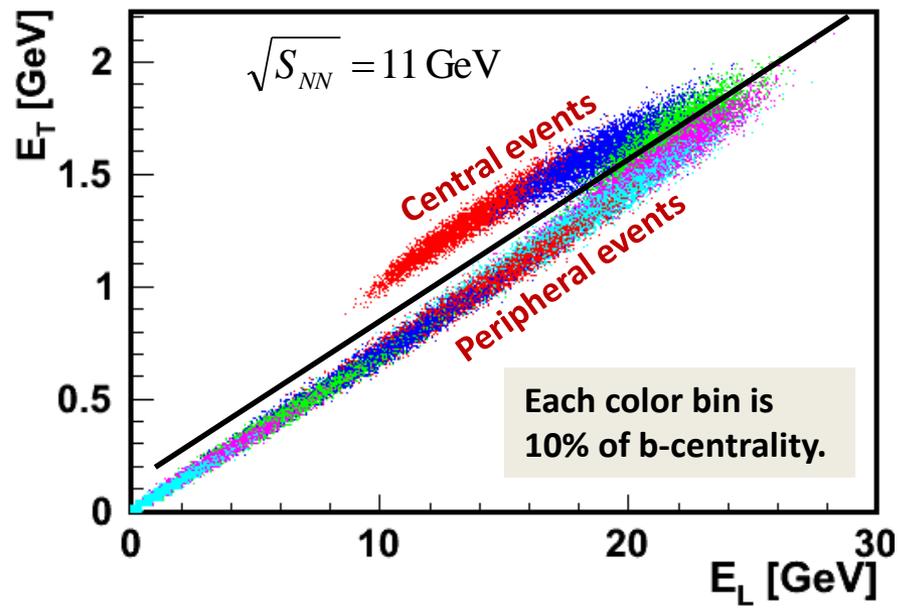
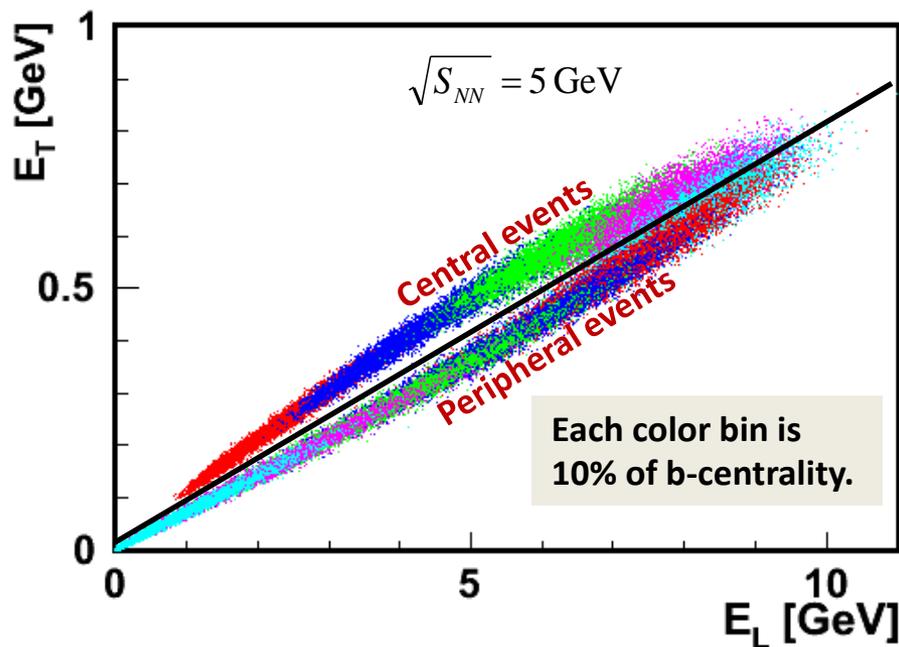
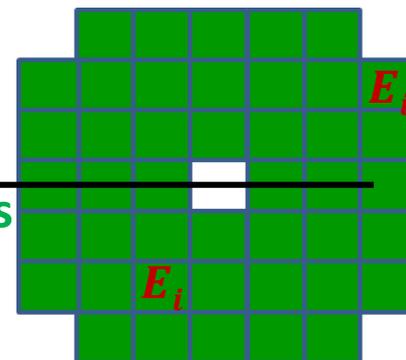
- Pions are almost uniformly distributed at the face of FHCAL.
- The shapes of proton/neutron spots are quite different for central/peripheral events.
- Fragments (bound spectators) contribute small part of energies to FHCAL (they touch the inner surface of FHCAL in beam hole and do not deposit energy in FHCAL).

# Construction of two energy components in FHCAL.

Transverse energy:  $E_T = \sum E_i \sin\theta_i$   
and  
Longitudinal energy:  $E_L = \sum E_i \cos\theta_i$

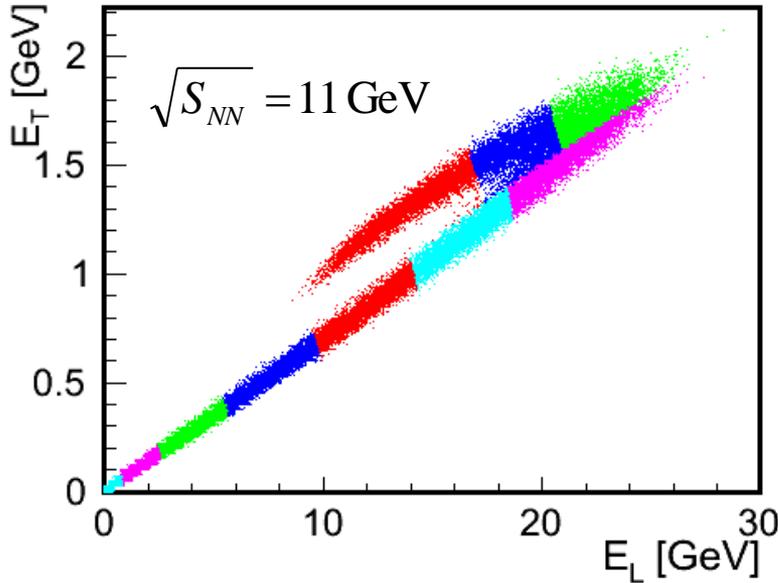
Cone of spectators

$\theta$

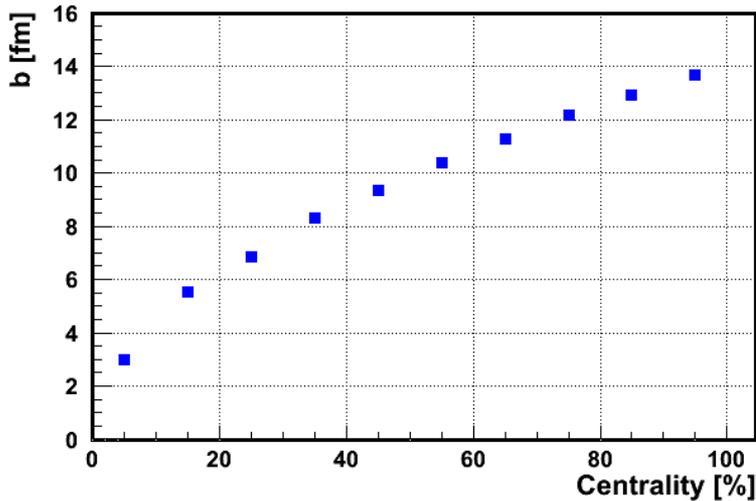


Two branches in  $(E_T, E_L)$  correlations.

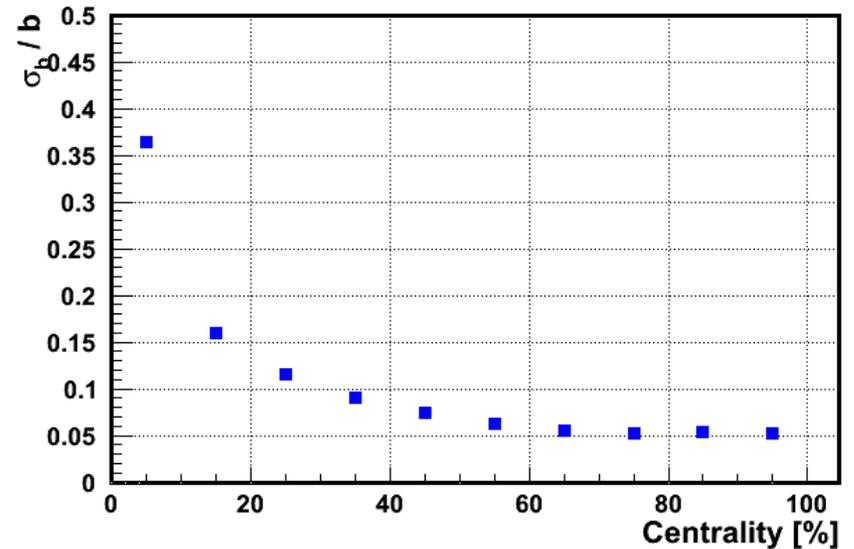
# Evaluation of centrality from $(E_T, E_L)$ energy distributions.



Each color bin is 10% fractions of the total number of events (fraction of the total inelastic nucleus-nucleus cross section).



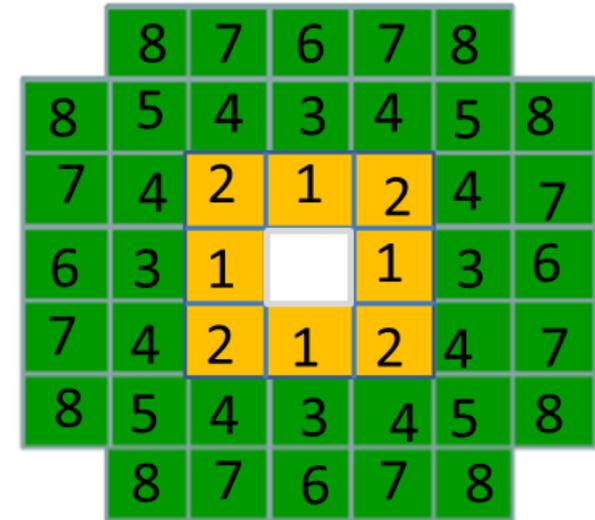
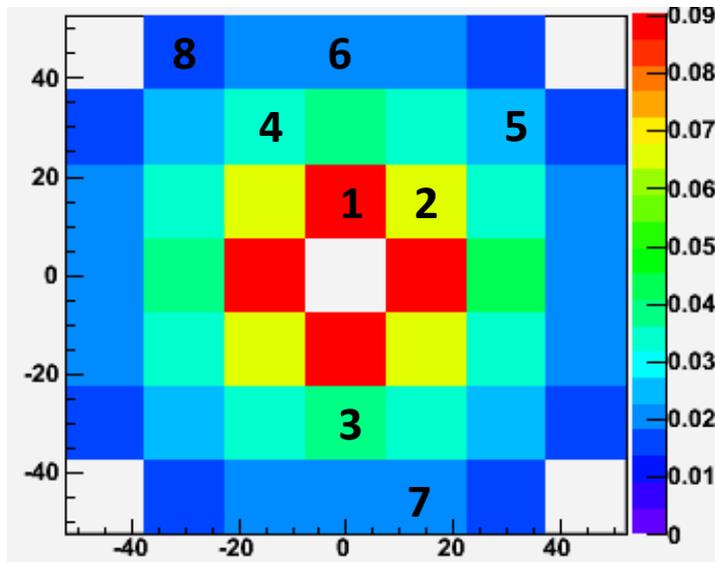
Dependence of impact parameter on centrality.



Dependence of resolution of impact parameter on centrality.

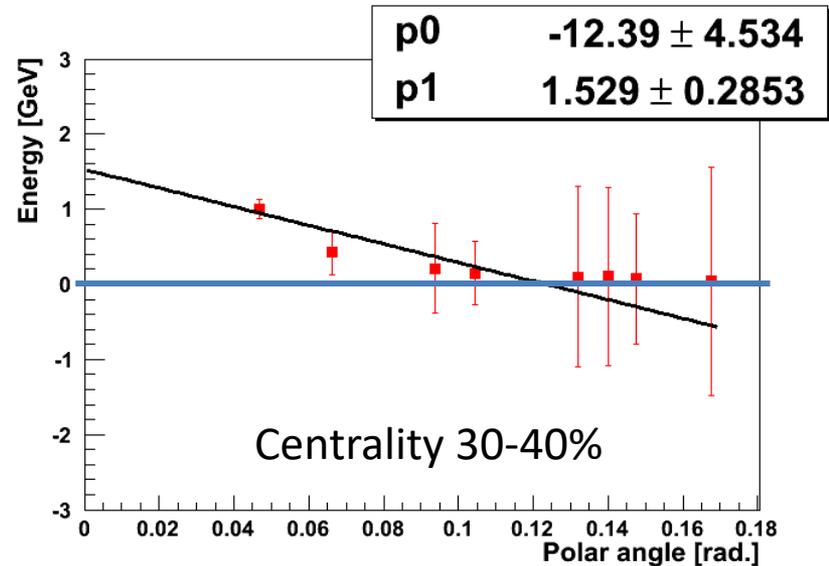
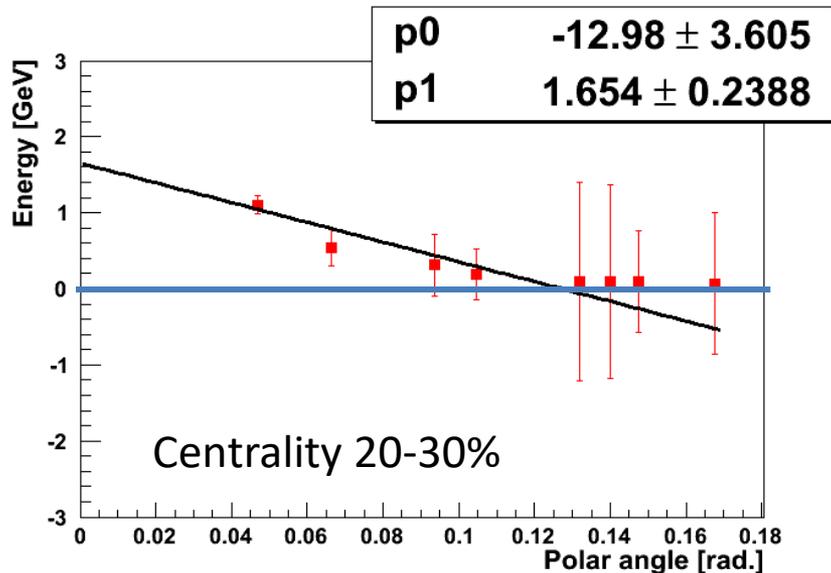
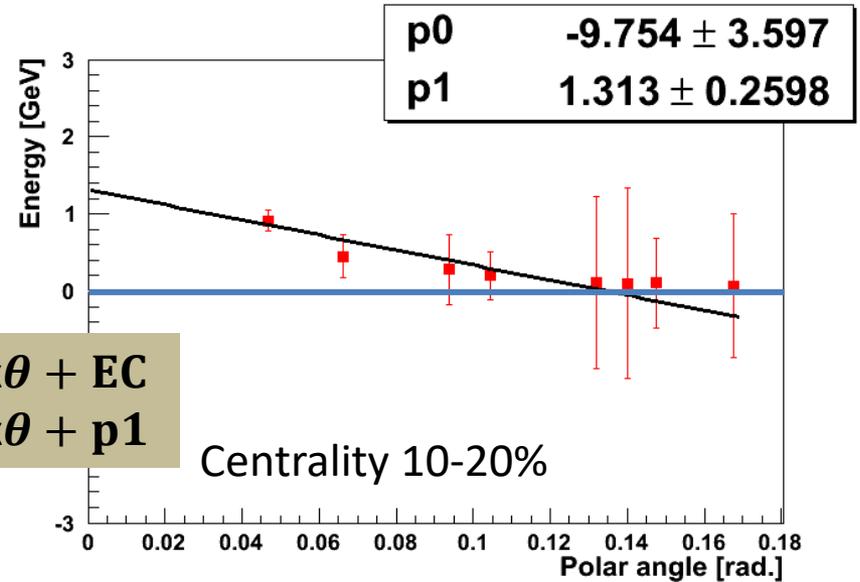
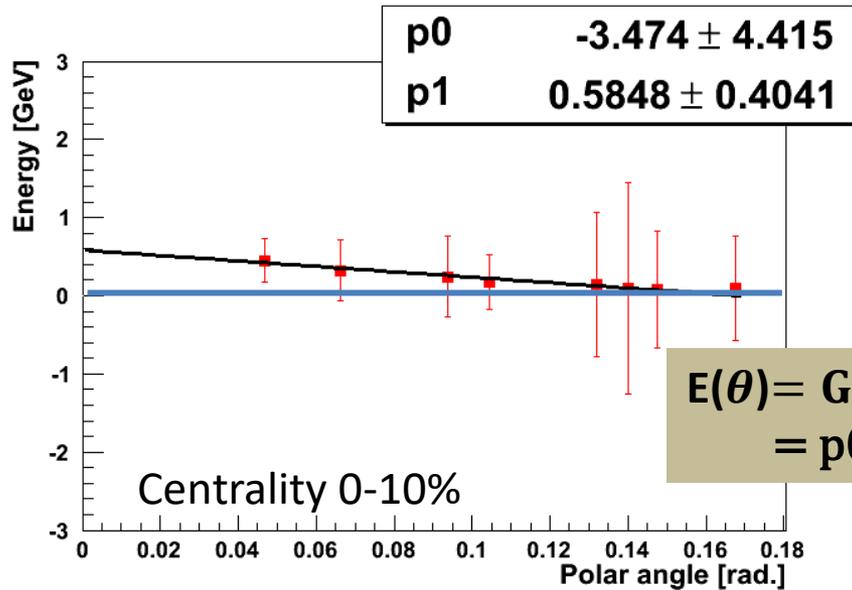
# Let's consider the angular distribution of deposited energies in FHCaI in differential way

8 groups of FHCaI modules with the same polar angle.  
 Number of modules equals to 4 or 8 depending on group.

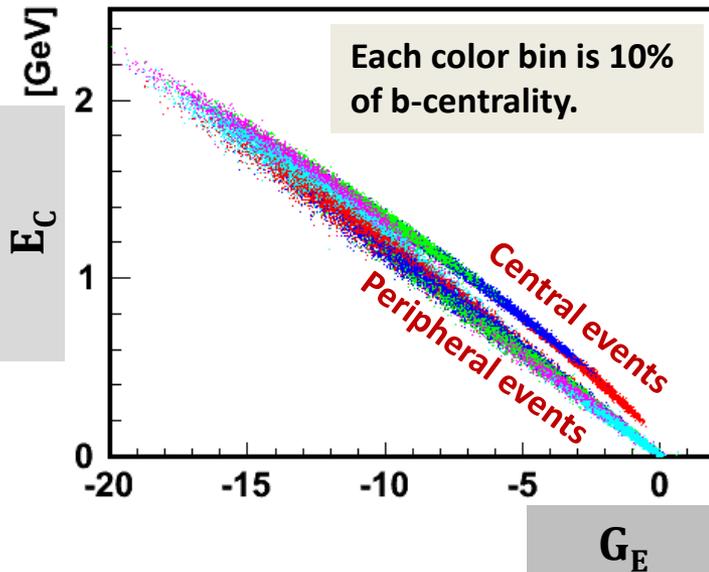
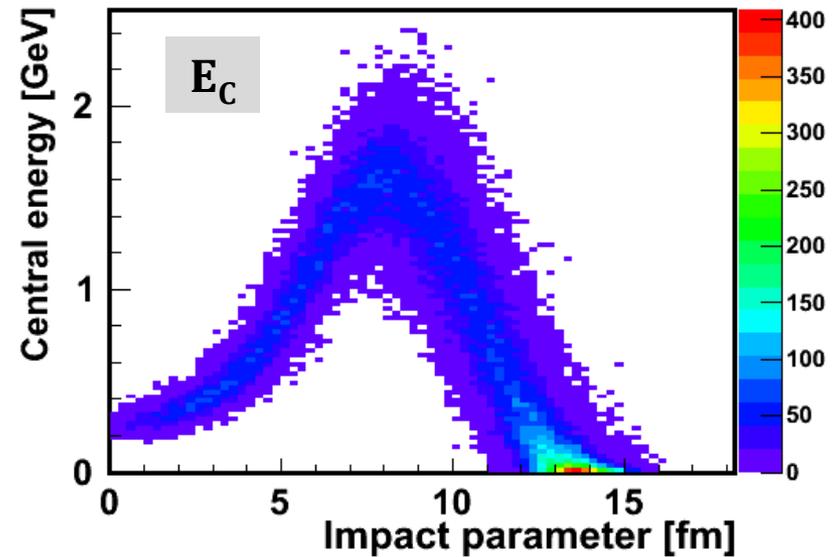
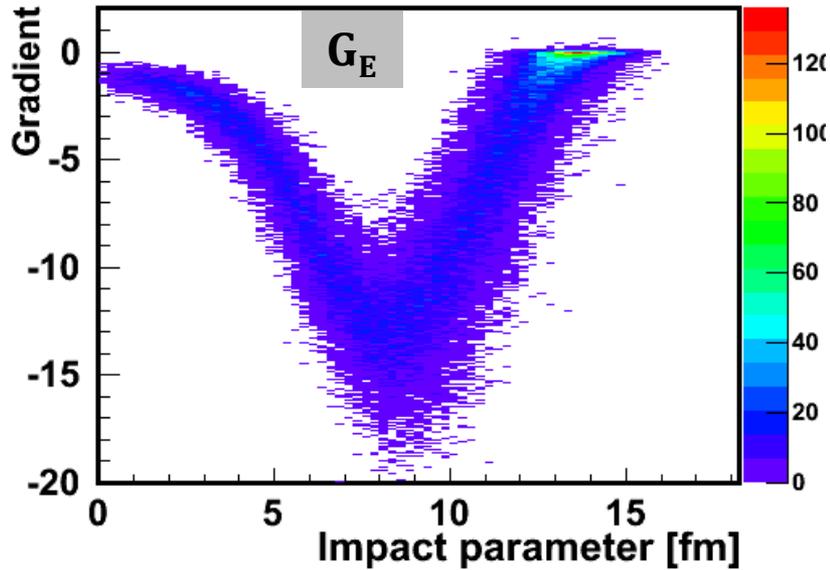


- Summary energy in each group of modules is normalized to number of modules in this group.
- The normalized energy in each group depends on the polar angle.
- The error is  $\sim 1/E$ , where  $E$  is energy in given group of modules.
- This dependence is fitted by the line  $E(\theta) = G_E \times \theta + E_c$ , where:
- $G_E$  is transverse energy gradient and
- $E_c$  is central energy (at  $\theta=0^\circ$ ).

# Dependence of energy deposition on polar angle $\sqrt{s_{NN}} = 11$ GeV



Fit line is below of last point. This point could be associated with non-spectator energy. Shall we subtract this energy from all points?



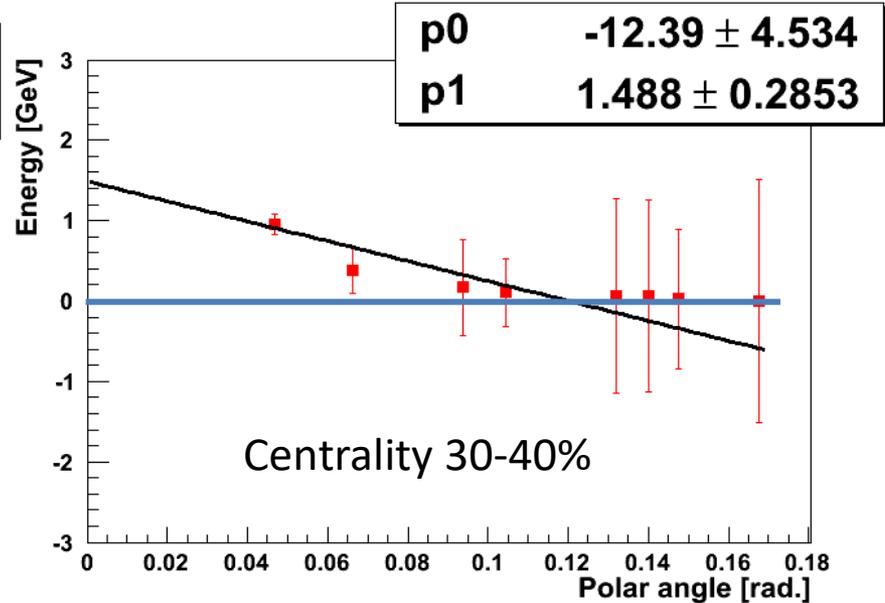
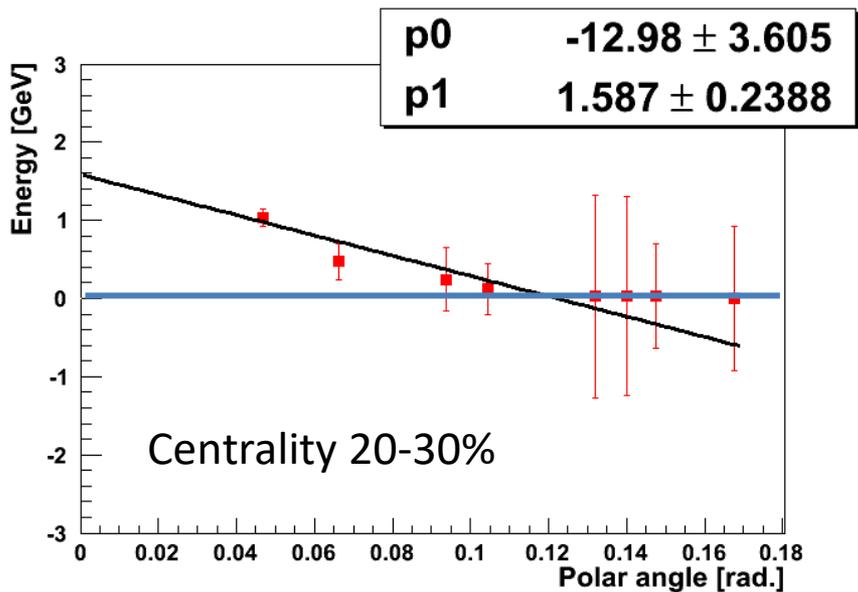
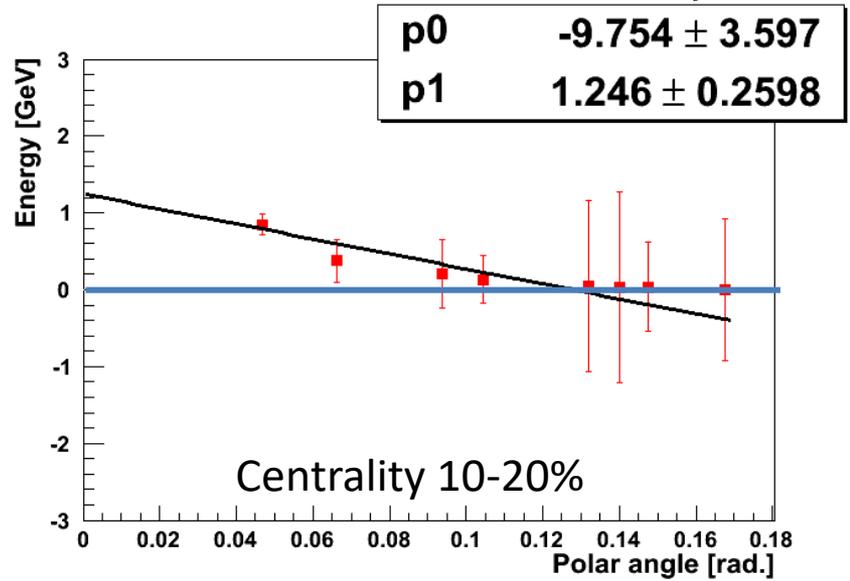
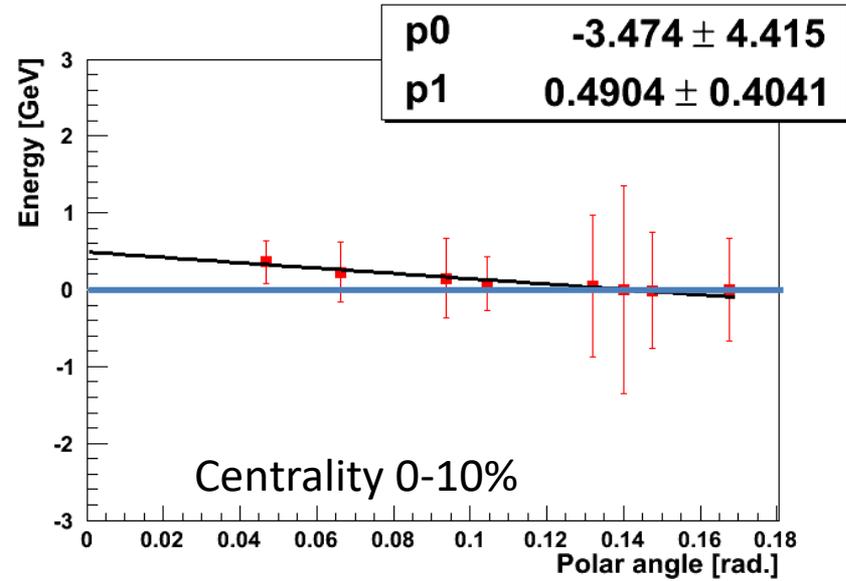
$$E(\theta) = G_E \times \theta + E_C$$

- Transverse gradient and central energy are anti-correlated.
- Almost straight line in  $(G, E_C)$  diplot reflects the fact that **the maximum polar angle with  $E=0$  is rather similar for all events.**

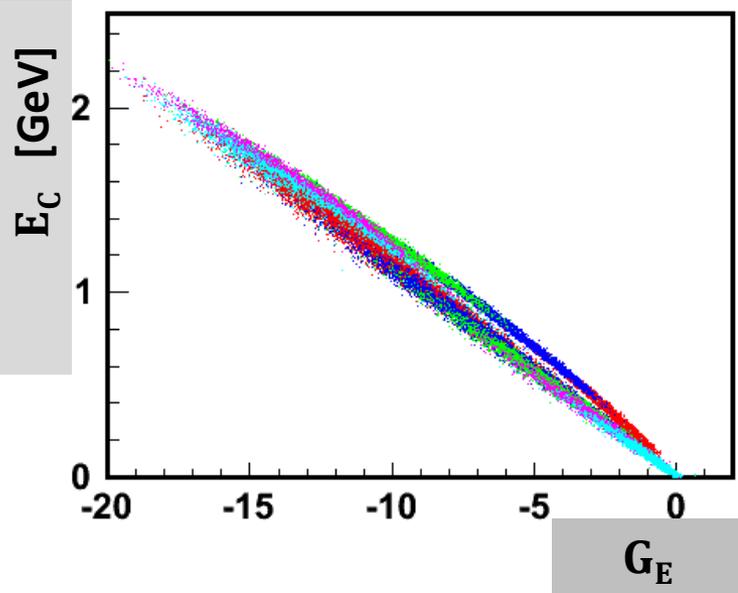
Let's subtract from energies in all points the energy in last point.

# Dependence of energy deposition on polar angle after subtraction.

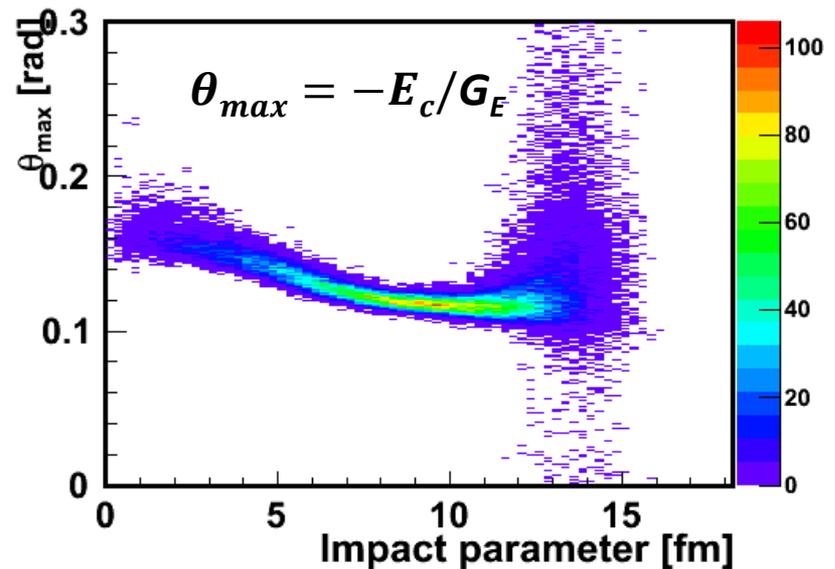
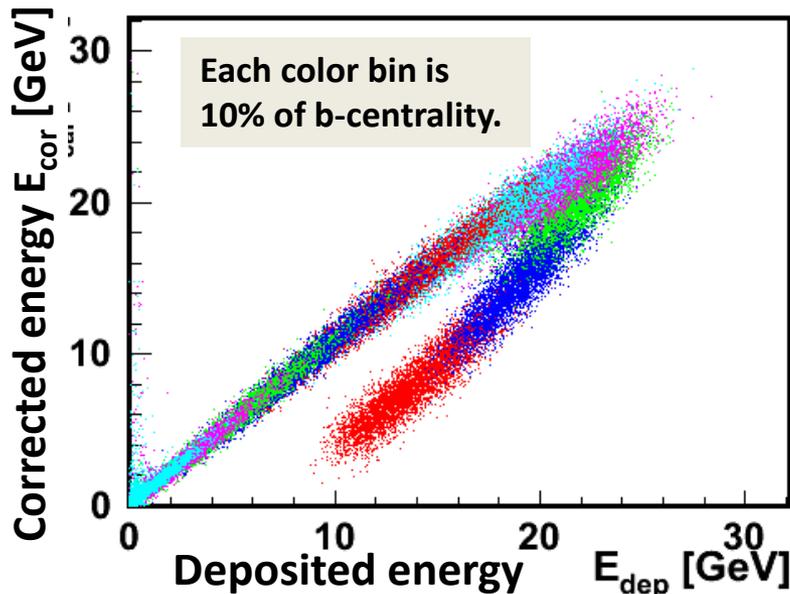
$$\sqrt{s_{NN}} = 11 \text{ GeV}$$



# Parameters after subtraction of the energy in the last point. $\sqrt{s_{NN}} = 11$ GeV

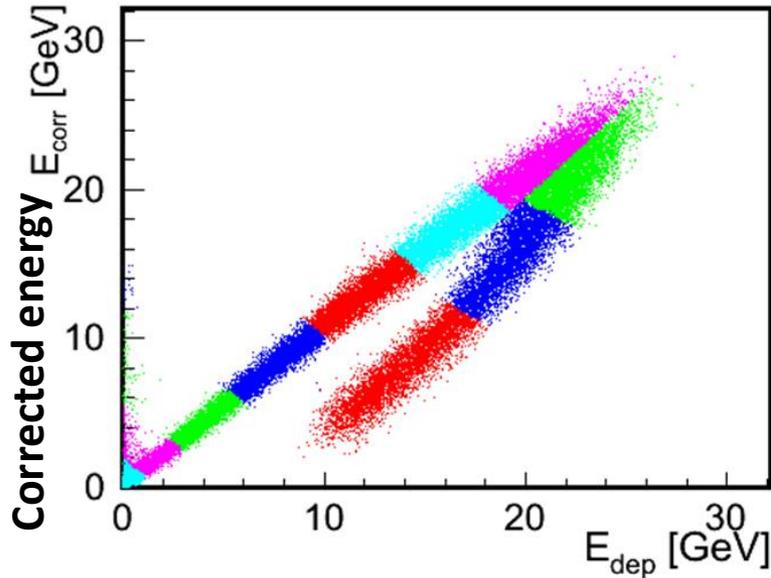


- Two branches in  $(G_E, E_C)$  diplot for central and peripheral events are closer.
- Integration of  $E(\theta) = G_E \times \theta + E_C$  function over the calorimeter surface provides another observable:  
 $E_{cor}$  – corrected energy.
- Good separation of central and peripheral parts of events is visible.

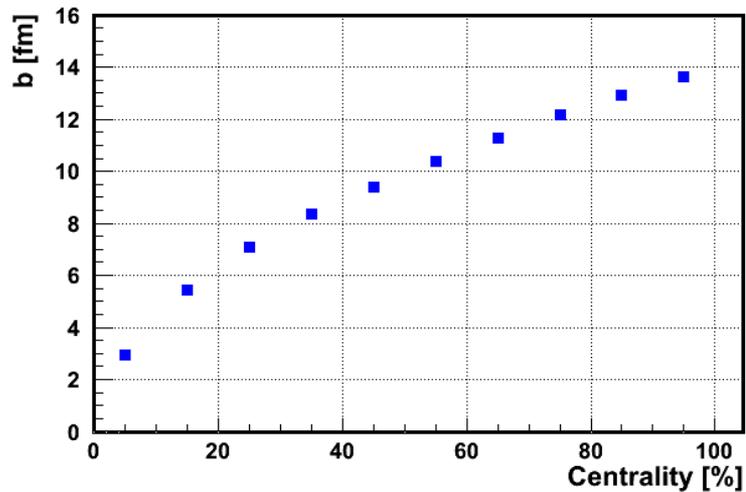


# Evaluation of centrality from the FHCAL energy distributions.

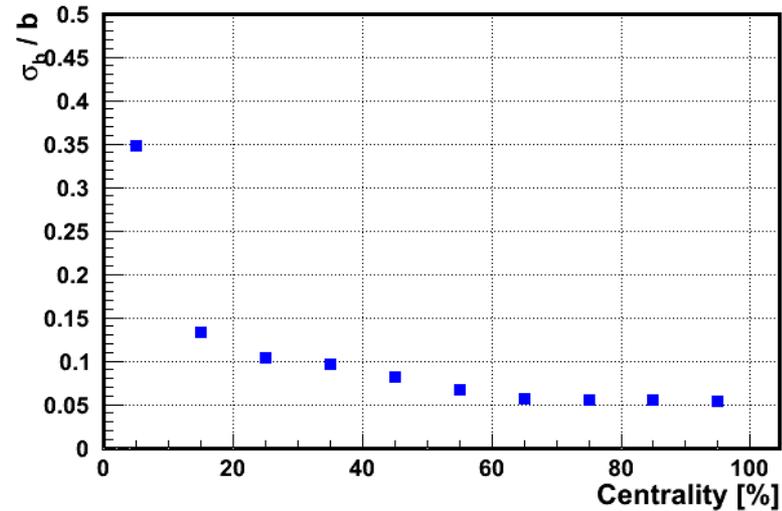
$$\sqrt{S_{NN}} = 11 \text{ GeV}$$



Each color bin is 10% fractions of the total number of events (fraction of the total inelastic nucleus-nucleus cross section).

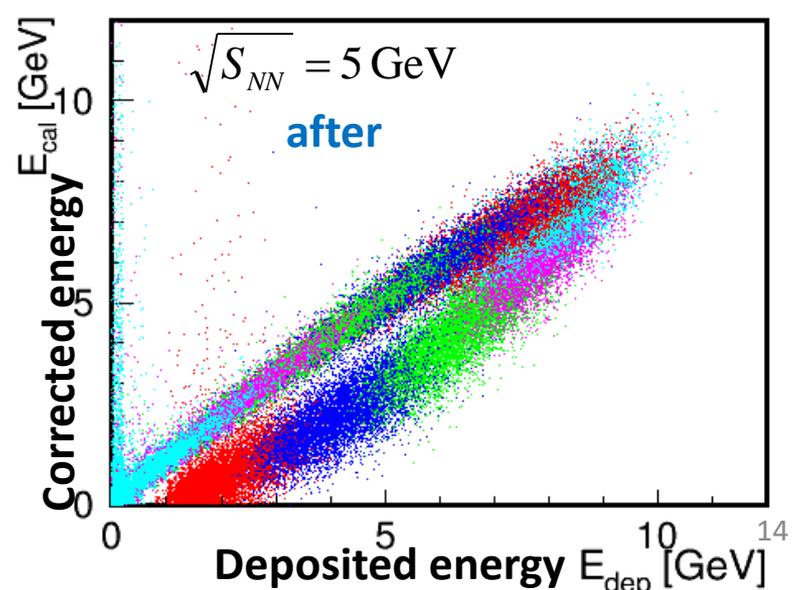
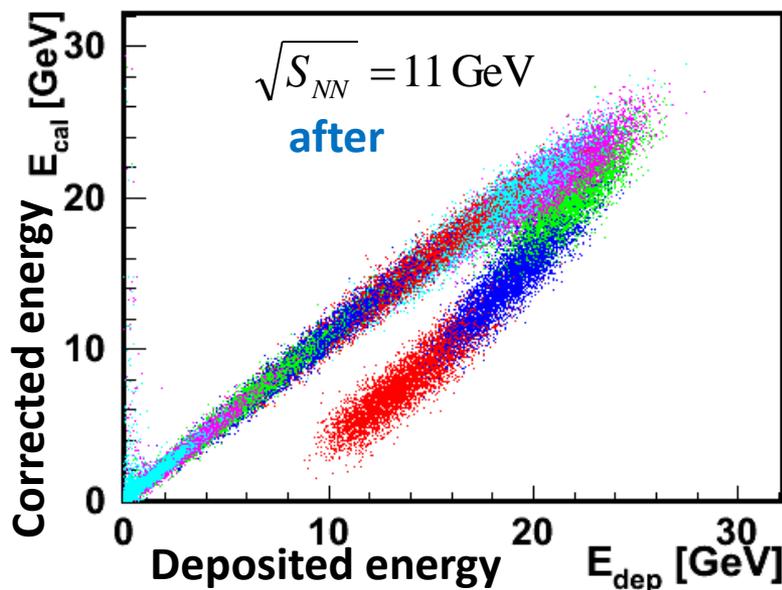
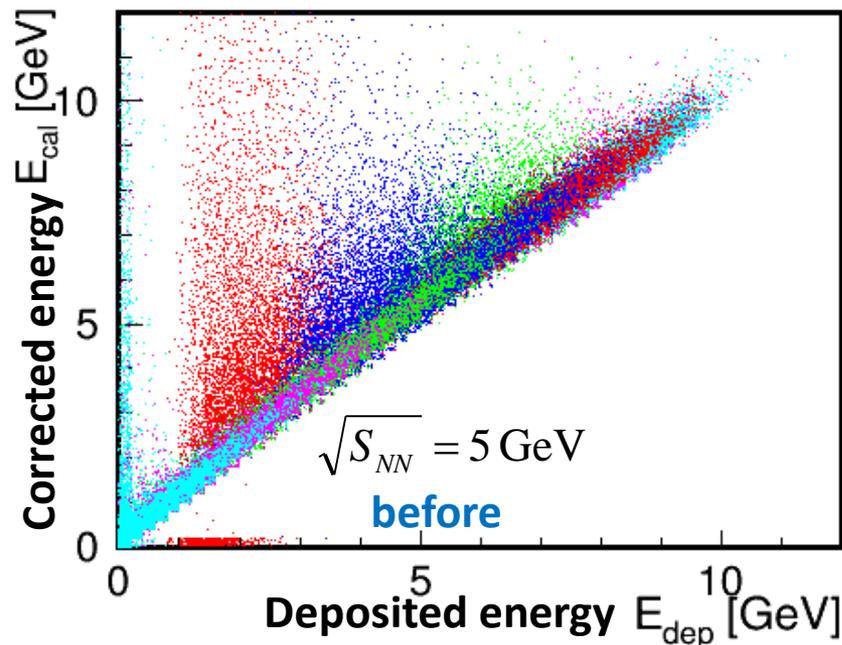
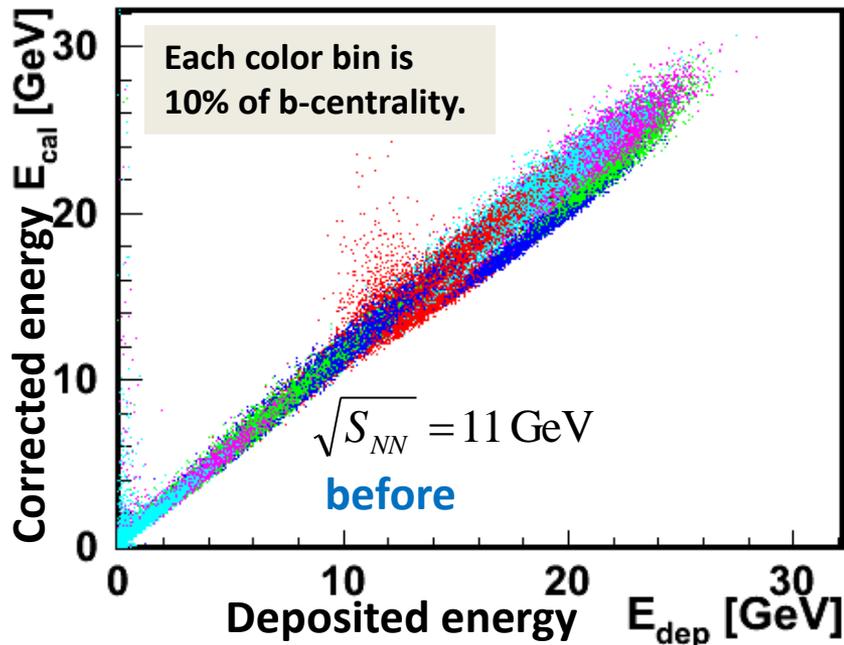


**Dependence of impact parameter on centrality.**

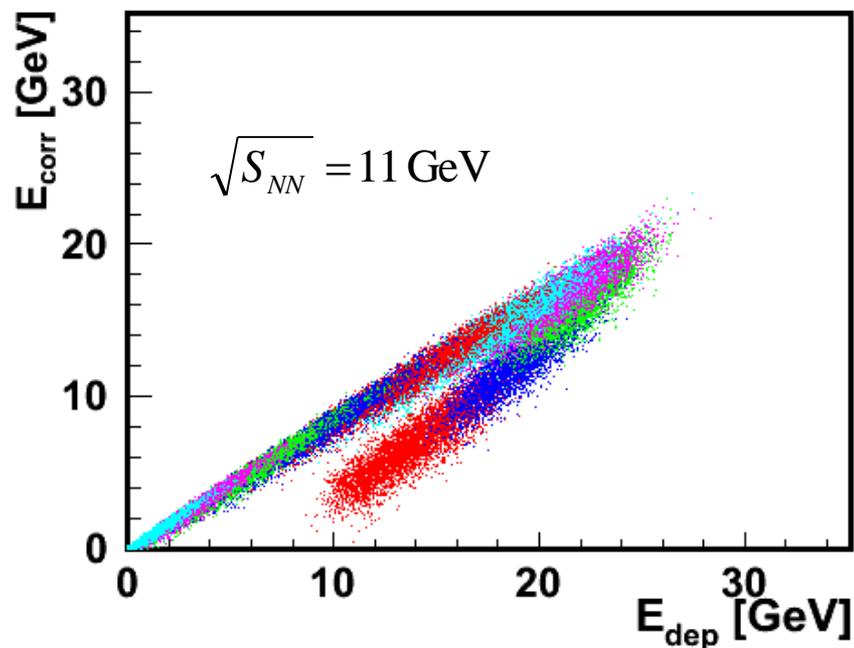


**Dependence of resolution of impact parameter on centrality.**

# Energy correlations before and after subtraction of the energy in last point

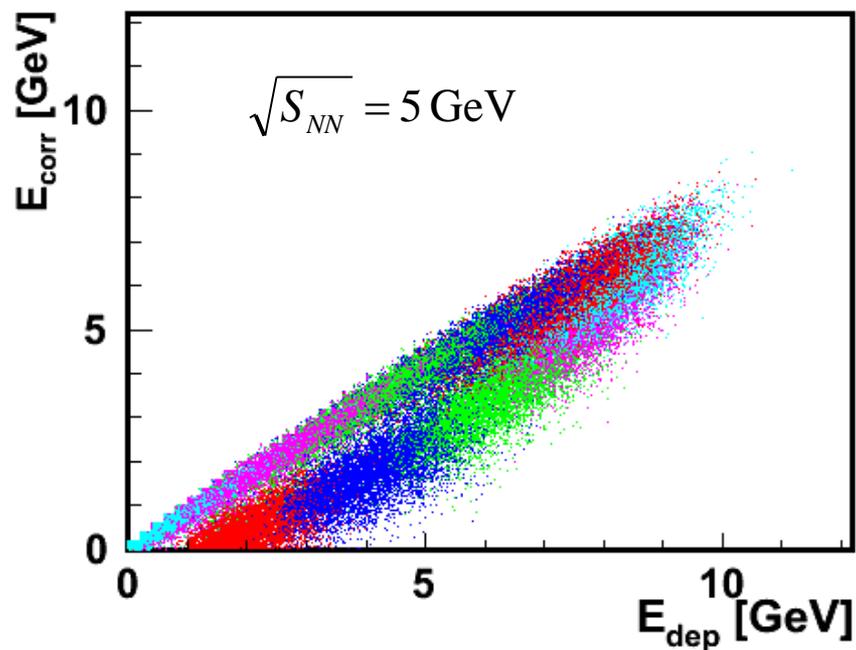


# Simple subtraction of the normalized energy in outer modules from energies in all modules

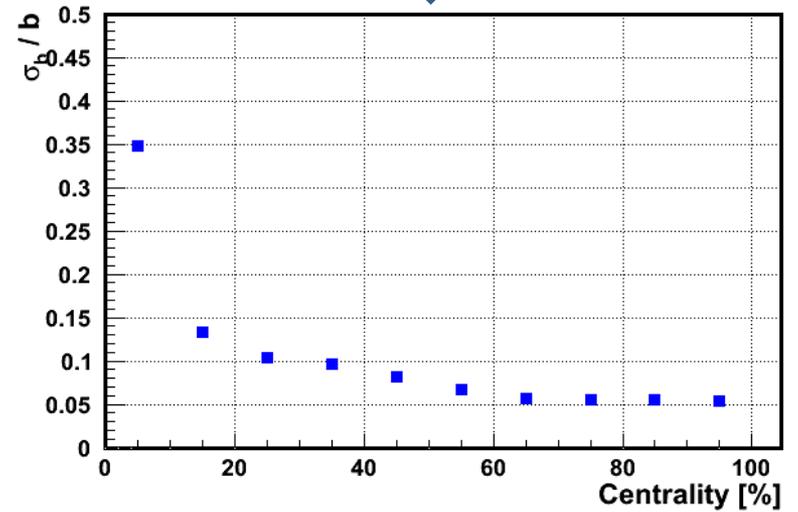
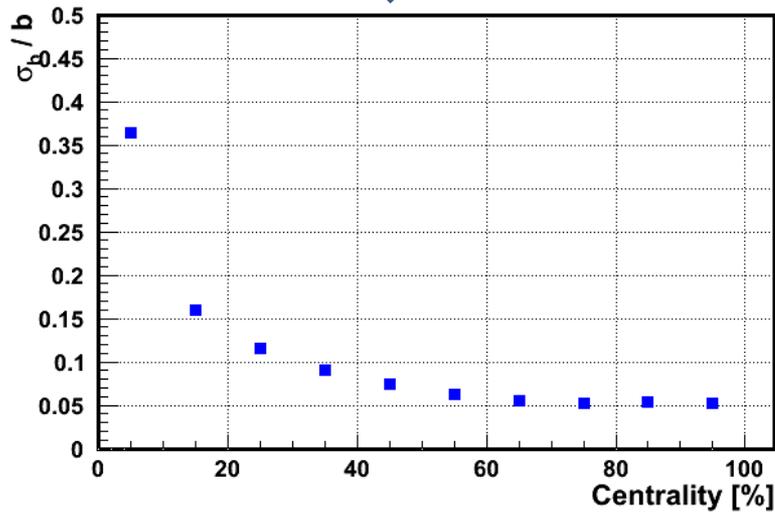
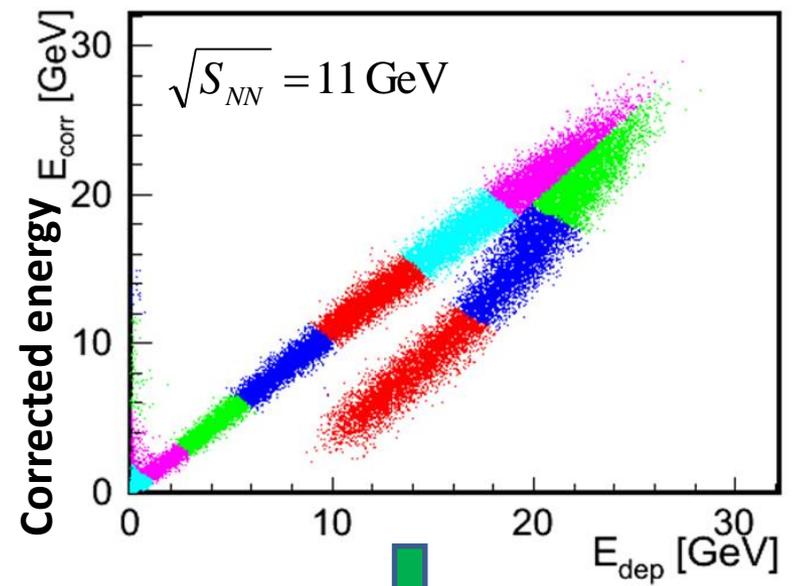
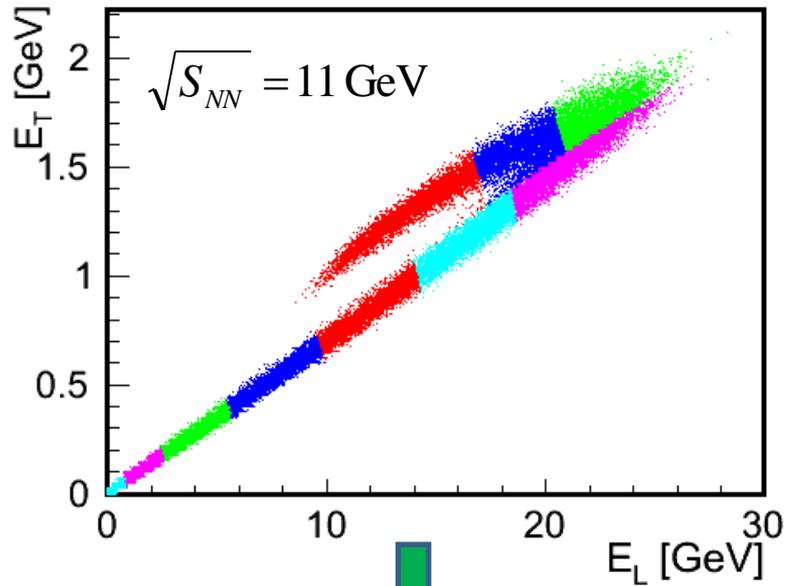


**No fitting procedure!**

- Lack of energy,
- No energy in beam hole,
- Worse separation of central/peripheral events.



# Centralities in FHCAL



Dependences of resolutions of impact parameter on centrality.

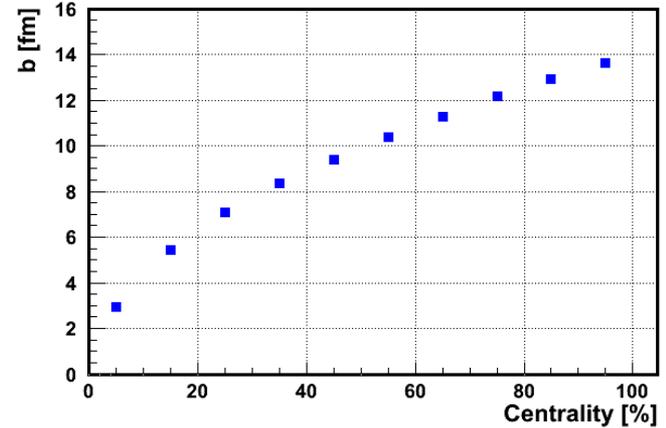
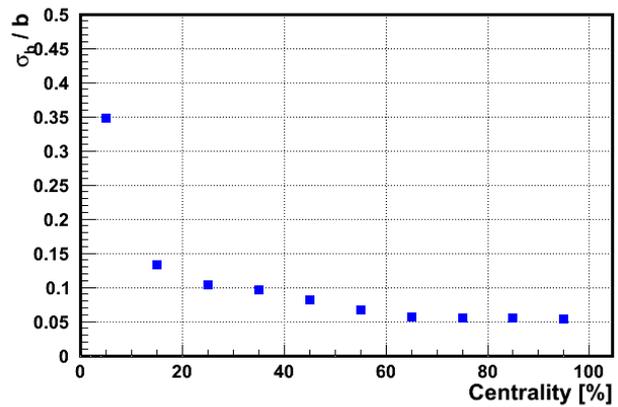
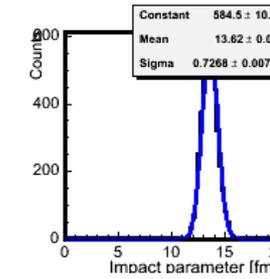
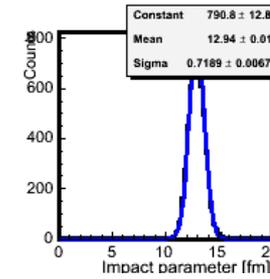
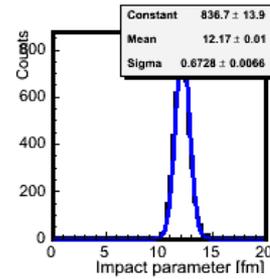
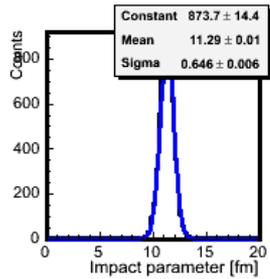
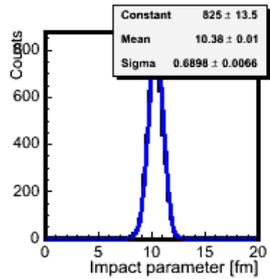
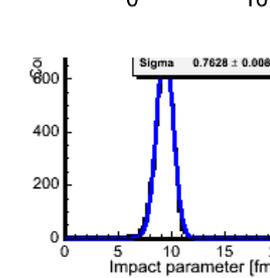
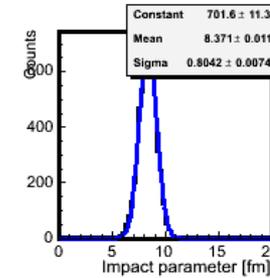
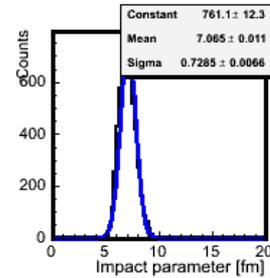
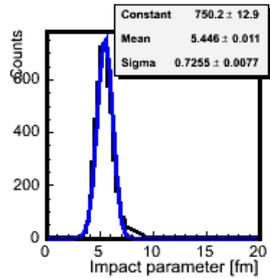
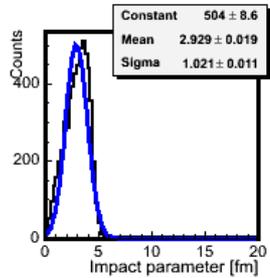
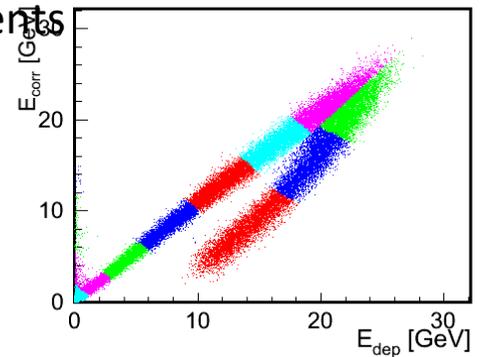
# Conclusion

- The transverse energy depositions in FHCAL modules were considered.
- A few types of energies (transverse, longitudinal, corrected) were constructed.
- Clear central/peripheral events separation is observed in the energy correlations.
- The observed correlations provide the tool for evaluation of the centrality classes with FHCAL alone.
- The developed method allows to (partially) subtract the non-spectator contribution in FHCAL energy.
- It might be possible to study the properties of the spectator's spots.
- The number of free (protons, neutrons) spectators could be evaluated.
- The energy of escaped into beam hole fragments can be estimated from the number of free spectators (using the models or experimental data).
- Other generators (with markers of the spectator) are needed for further study of the spectator/non-spectator contributions.

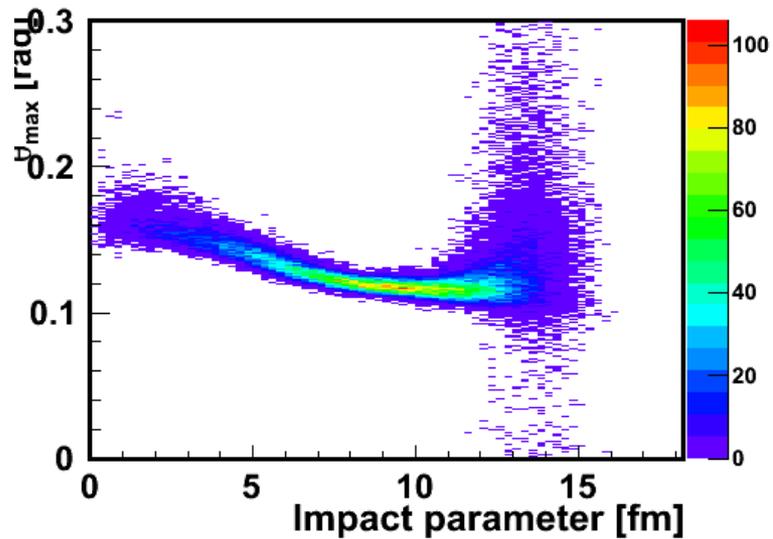
**Thank you!**

**Backup slides**

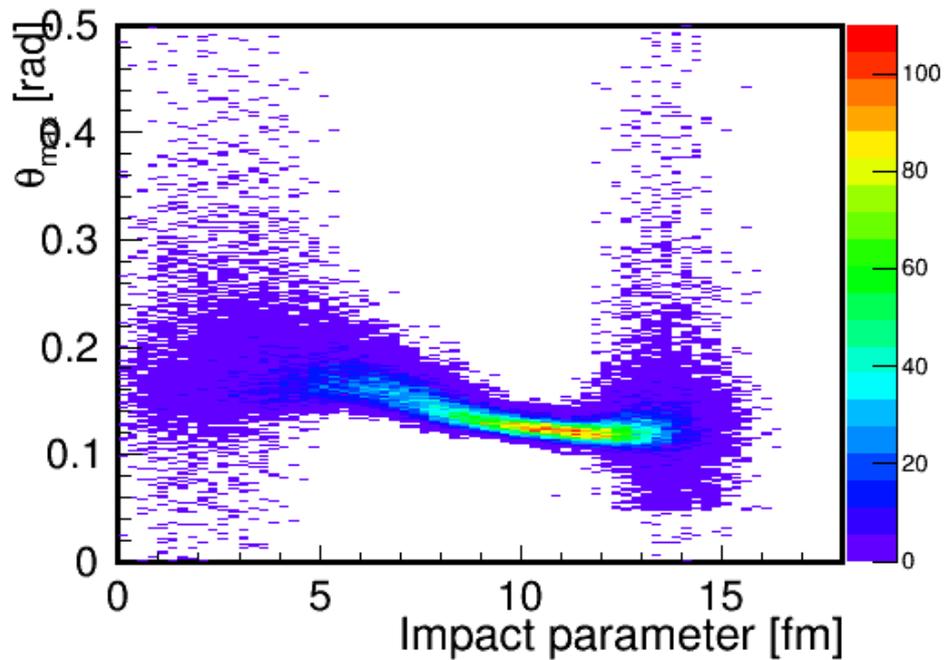
# Centrality determination with EdepEcalc bins (10. 20, ... 100 % of events)



$$\sqrt{s_{NN}} = 11 \text{ GeV}$$



$$\sqrt{s_{NN}} = 5 \text{ GeV}$$



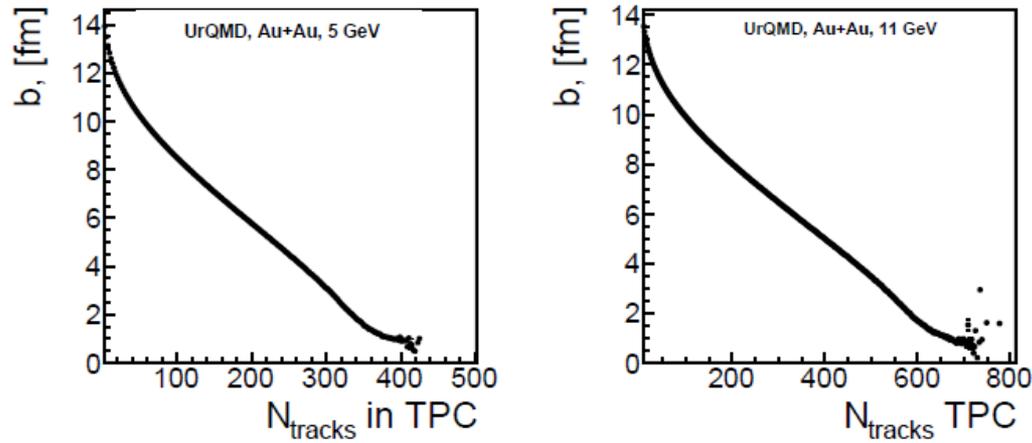


Fig. 13: Correlation between the impact parameter  $b$  and the TPC track multiplicity for  $Au + Au$  collisions at  $\sqrt{s_{NN}} = 5$  (left) and 11 GeV (right) simulated with the UrQMD model.

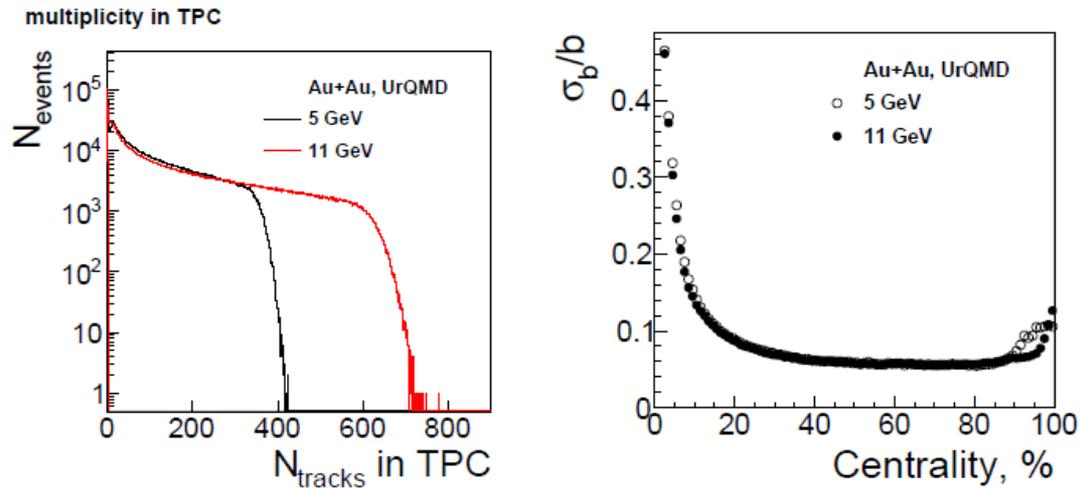


Fig. 14: (left) Distribution of the TPC track multiplicity. (right) Impact parameter resolution with the TPC centrality estimator. Results obtained with two versions of the MPD tracking algorithm using so-called hit producer and cluster finder are shown. See text for more details.

# Fit parameters before and after subtraction of the energy in last point

