## Investigation of 14.1 MeV neutron inelastic scattering on Silicon and Oxygen

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## Introduction

An investigation of the angular and energy distributions of gamma rays from the inelastic scattering (reaction ${ }^{A} \mathrm{Z}\left(n, n^{\prime}\right)^{A} \mathrm{Z}^{*} \rightarrow{ }^{A} \mathrm{Z}+x \gamma$ ) of 14 MeV neutrons on a number of light nuclei was performed in the frame of the project TANGRA (TAgged Neutron and Gamma RAys) at JINR Frank Laboratory of Neutron Physics.

## Motivation

- There are some discrepancies between available experimental data
- Investigation of possible differences between neutron and proton scattering
- Angular anisotropy of the emitted gamma-rays has to be taken into account if the tagged neutron method is used for elemental analysis


## The Idea of the "tagged" neutron method



- $d+t \rightarrow \alpha+n+17.6 \mathrm{MeV}$
- In the center-of-momentum frame $n$ and $\alpha$ fly in opposit directions.
- Minimal angle between $\alpha$ and $n$ in the lab frame about $173^{\circ}$ at deutron energy about 100 keV .
- For registration of the $\alpha$-particles 64-pixel silicon detector is used. The dimensions of a single pixel are $6 \times 6$ mm . The $\alpha$-particle registration allows one to determine the directon of neutron's momentum.


## The TANGRA setup



1. Neutron generator ING-27
2. Sample
3. Sample's support
4. ING-27 holder
5. Gamma-detector holder
6. BGO gamma-detector, a part of the «Romasha» multi-detector system

## Experiment



- Sample: a glass brick with dimensions $10 \times 10 \times 5 \mathrm{~cm}$.
- A threefold coincidence circuit was used for $\gamma$-quanta registration. (strips X and Y in $\alpha$-detector placed in the neutron generator and gamma-detector in the "Romasha" system)


## Data processing



Time spectra. a)-time spectra obtained by detector \# 10 far from tagged neutron beam, b)-time spectra obtained by detector \# 1 placed on neutron's beam trajectory. Peak related to $\gamma$-quanta fitted by green curve, $n$-peak fitted by the blue curve.

## Data processing: Gamma-spectrum for $\mathrm{SiO}_{2}$



## Influence of the sample's shape and size to observable angular distributions

- Intensity of the gamma-quanta flux decrease when gamma-quanta travel across the substance.
- The correction coefficient would be different for each pixel-detector combination because the average distance which gamma-quantum pass from the inelastic scattering point to gamma-detector is individual.


## Correction coefficient calculation

Gamma and neutrons absorbtion inside the sample has to be taken into account

- To establish the influence of the sample's shape on the observable angular distribution we "manually" change the gamma-quanta angular distribution to isotropic.
- Information about angles between neutrons and gammas for each pixel-detector combination obtained from the simulation
- The correction factor for each pixel-detector pair is proportional to the full energy absorbtion peak obtained in the Monte-Carlo calculation


## Angle between neutron and gamma-quantum

Angle between n and y for strip $\mathrm{X}_{4}$ (photopeak only)


- $\cos (\theta)=\frac{\left(\overrightarrow{P_{n}}, \overrightarrow{P_{\gamma}}\right)}{\left|\overrightarrow{P_{n}}\right|\left|\overrightarrow{P_{\gamma}}\right|}$
- The substrate in these histograms is formed by multiply scattered neutrons and gammas
- Differences in angles between pixels on one vertical strip are not large
- We can sum pixels on each vertical strip to improve statistics in our data. Also the same operation has to be done with correction.


## Correction procedure

## Example for central beam (strip 5)



Experimental angular distribution for strip $\mathbf{x 0 4} \mathrm{E}_{\boldsymbol{\gamma}}=1775.0$


$\nu=2,4 \ldots 2 M$

$$
\begin{equation*}
W(\cos (\theta))=1+\quad \sum \quad a_{\nu} P_{\nu}(\cos (\theta)) \tag{1}
\end{equation*}
$$

## Correction procedure

## Example for non-central beam (strip 7)



Experimental angular distribution for strip $\mathbf{x 0 7} \mathrm{E}_{\mathrm{T}}=1775.0$



$$
W(\cos (\theta))=1+\sum^{\nu=2,4 \ldots 2 M} a_{\nu} P_{\nu}(\cos (\theta))
$$

## Results: ${ }^{28}$ Si

Angular distribution for $\mathrm{E}_{\gamma}=1775.0 \mathrm{keV}$


| Experiment | $a_{2}$ | $a_{4}$ |
| :---: | :---: | :---: |
| Abbondanno (original) | 0.16 | 0.02 |
| Abbondanno (our fit) | $0.2 \pm 0.09$ | $0.11 \pm 0.14$ |
| Zhou (original) | $0.21 \pm 0.02$ | - |
| Zhou (our fit) | $0.17 \pm 0.14$ | $-0.05 \pm 0.16$ |
| «Romashka-BGO» | $0.15 \pm 0.02$ | $-0.04 \pm 0.02$ |

## Results: ${ }^{16} \mathrm{O}, 6128 \mathrm{keV}$

Angular distribution for $E_{\gamma}=6125.0$


| Experiment | $\alpha_{2}$ | $\alpha_{4}$ | $\alpha_{6}$ |
| :---: | :---: | :---: | :---: |
| Kozlowski (our fit) | $0.18 \pm 0.33$ | $-0.2 \pm 0.5$ | $-0.7 \pm 0.5$ |
| Morgan (our fit) | $0.34 \pm 0.04$ | $0.012 \pm 0.06$ | $-0.04 \pm 0.06$ |
| «Romashka-BGO» | $0.23 \pm 0.02$ | $0.08 \pm 0.02$ | $-0.31 \pm 0.03$ |

## Conclusion

- Angular distributions of the gamma-radiation emmited in neutron inelastic scattering on ${ }^{28} \mathrm{Si},{ }^{16} \mathrm{O}$ have been measured, data for other elements is on the way.
- The Geant4 based simulation program for TANGRA setup was built and simulation results were used in data processing.
- The correction factors were calculated and experimental data was reestimated.


## Thank you for your attention!

## Sample size and shape optimization

Our procedure for sample's shape optimization consists 3 steps:
(1) Neutron spartial distribution measurement
( Monte-Carlo simulation of our experimental setup with different sample's sizes and shapes

- Discussion


## Step 1: Beam profile measurement



- Information about space distribution of the tagged beams is very important for the data processing.
- A silicon charged particle strip detector was used for beam profile measurement.
- Neutrons were registered by reactions ${ }^{28} \operatorname{Si}(n, \alpha)$ and ${ }^{28} \operatorname{Si}(n, p)$.


## Step 1: Beam profile measurement



## Step 1: Beam profile measurement



## Step 2: Monte-Carlo simulation

- Geant4 includes nuclear data libraries with cross-sections for different nuclear processes
- Geant4 also includes predefined $\frac{d \sigma}{d \Omega}$ for $\left(n, n^{\prime}\right)$ reactions
- To establish the influence of the sample's shape on the observable angular distribution we "manually" change the gamma-quanta angular distribution to isotropic.
- To simplify the simulation procedure and increase the simulation speed we replace our 18 gamma-detectors to a single solid ring.


## Step 2: Monte-Carlo simulation


a) Simulation variant with the ring detector

b) Simulation variant with "normal" BGO detectors.

## Step 2: Monte-Carlo simulation

$\gamma$-quanta angular distribution for $14 \times 14 \times 4 \mathrm{~cm}^{3}$ ( 4 cm along beam), $\mathrm{E}_{\gamma}=0.8 \mathrm{MeV}$

## X8Y8



- Red line matchs $0^{\circ}$, magenta lines match $\pm 90^{\circ}$


## Step 2: Monte-Carlo simulation

$\gamma$-quanta angular distribution for $4 \times 14 \times 4 \mathrm{~cm}^{3},(4 \mathrm{~cm}$ along beam $) \mathrm{E}_{\gamma}=0.8 \mathrm{MeV}$


- Red line matchs $0^{\circ}$, magenta lines match $\pm 90^{\circ}$


## Tagged beam profile

0

## Trajectories of the tagged beams



## Angle between neutron and alpha



