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# Analysis of fragments in SRC experiment

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for the SRC collaboration

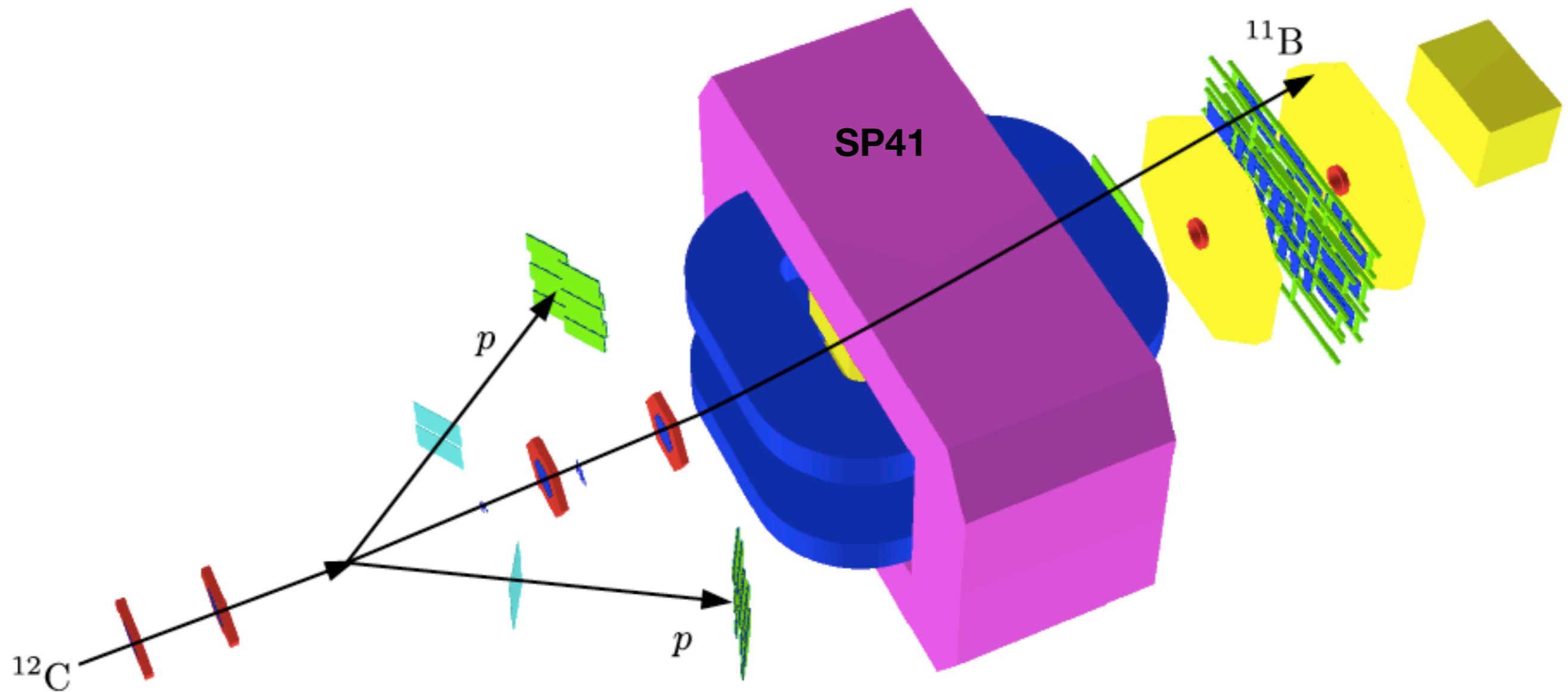
April 20<sup>th</sup>, 2020



# Outline

- **Fragment tracking through SP41 magnet**
- **Multi-Dimensional Fit (MDF) method**
- **Results from the BMNRoot simulations**
- **Tracker alignment using experimental data**
- **Stitching tracks from different detectors before and after SP41**
- **Global tracks and PID**

# Overview of SRC setup at BM@N



**Extracting momentum information for the reaction fragments  
by tracking through SP41**

# Multi-Dimensional Fit (MDF) method

## Multi-Dimensional Fit (MDF) method:

- Extracting P/Q information using MDF on simulated data
- ROOT class **TMultiDimFit**: <https://root.cern.ch/doc/master/classTMultiDimFit.html>

## General concept:

- $P$  is a known quantity of interest (e.g. P/Q, trajectory length etc.)
- $P$  depends on  $N$  observables  $(x_1, \dots, x_N)$
- Make a training sample of  $M$  tuples (events) of the form  $(x_j, P_j, E_j)$ 
  - $x_j = (x_{1,j}, \dots, x_{N,j})$  - are  $N$  observables in the event  $j$
  - $P_j$  - known value in the event  $j$
  - $E_j$  - known error of  $P_j$  in the event  $j$
- Class **TMultiDimFit** tries to find a parameterization:

$$P_p(\mathbf{x}) = \sum_{l=1}^L c_l \prod_{i=1}^N p_{li}(x_i) = \sum_{l=1}^L c_l F_l(\mathbf{x}) \quad \text{such that} \quad S = \sum_{j=1}^M (P_j - P_p(\mathbf{x}_j))^2 \quad \text{is minimal}$$

$p_{li}(x_i)$  - Monomials, Legendre or Chebyshev polynomials of  $x_i$

$c_l$  - coefficients determined by the fit

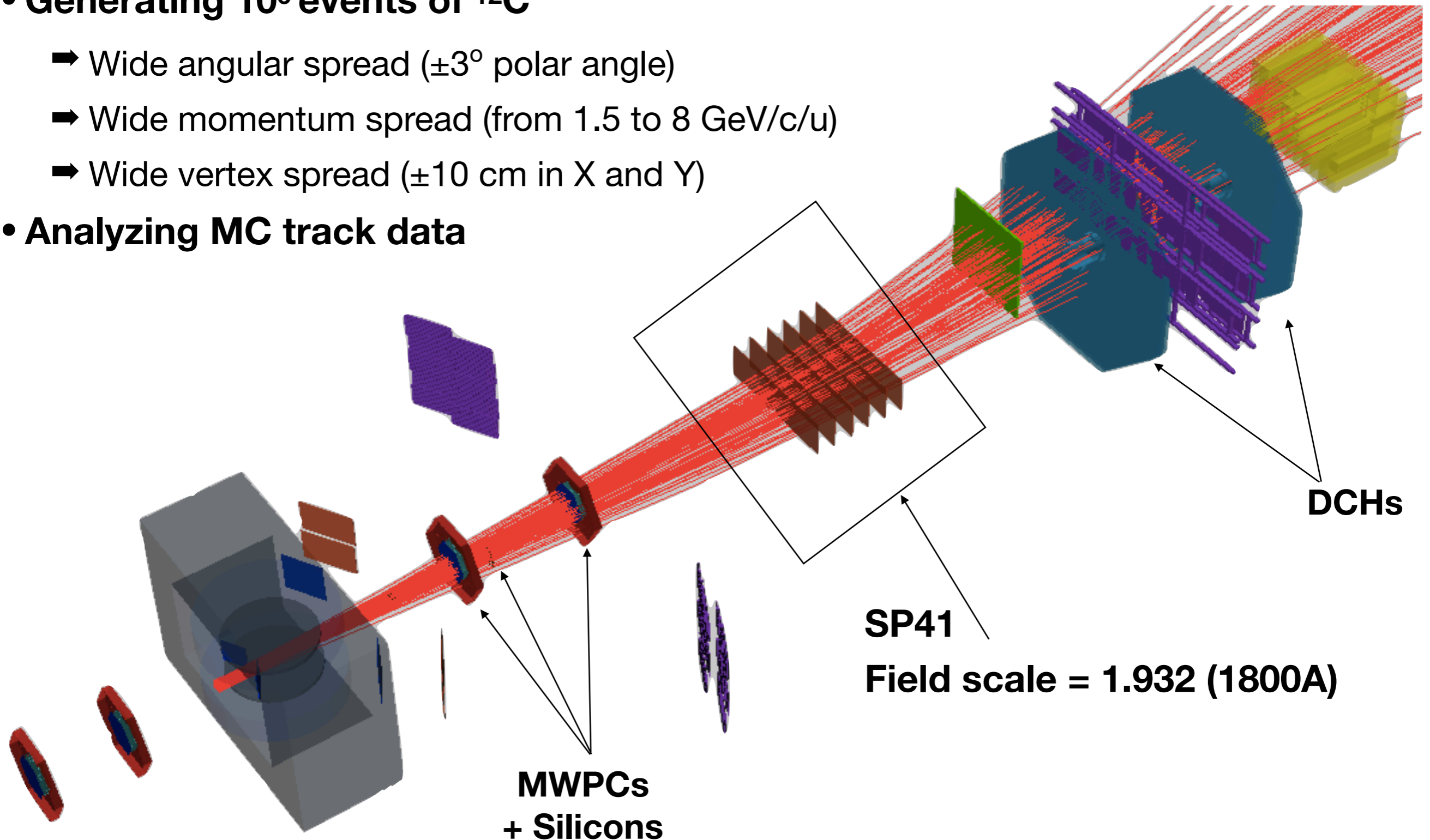
If  $x_i$  are linearly dependent, one can use transformation to orthogonal basis e.g. using Principle Component Analysis (PCA)

# Using BMNRoot simulations to generate a training sample for MDF

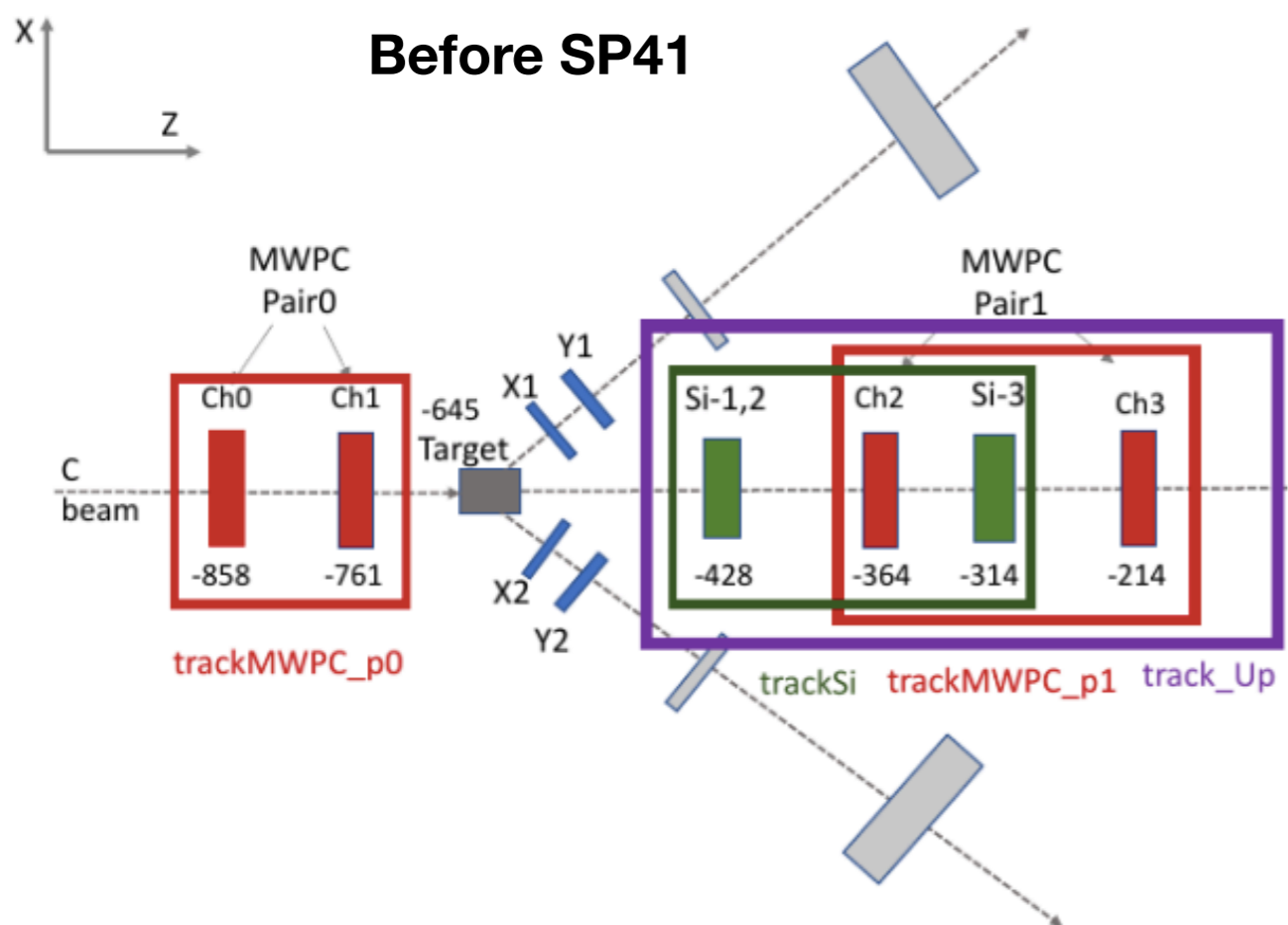
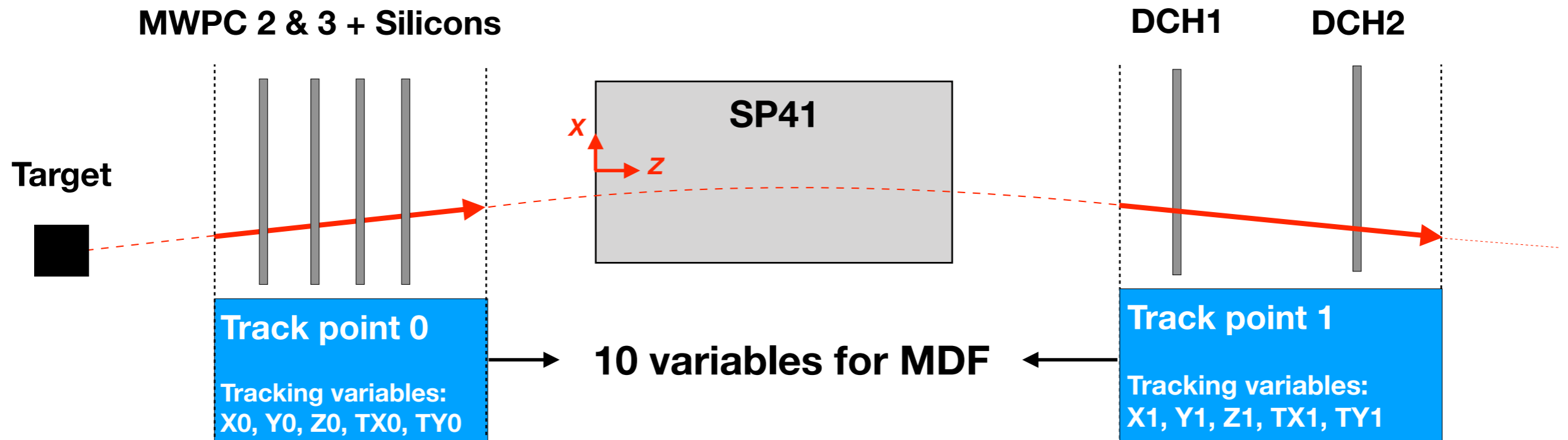
- **Generating  $10^6$  events of  $^{12}\text{C}$**

- ➔ Wide angular spread ( $\pm 3^\circ$  polar angle)
- ➔ Wide momentum spread (from 1.5 to 8 GeV/c/u)
- ➔ Wide vertex spread ( $\pm 10$  cm in X and Y)

- **Analyzing MC track data**



# Explanation of the tracking variables



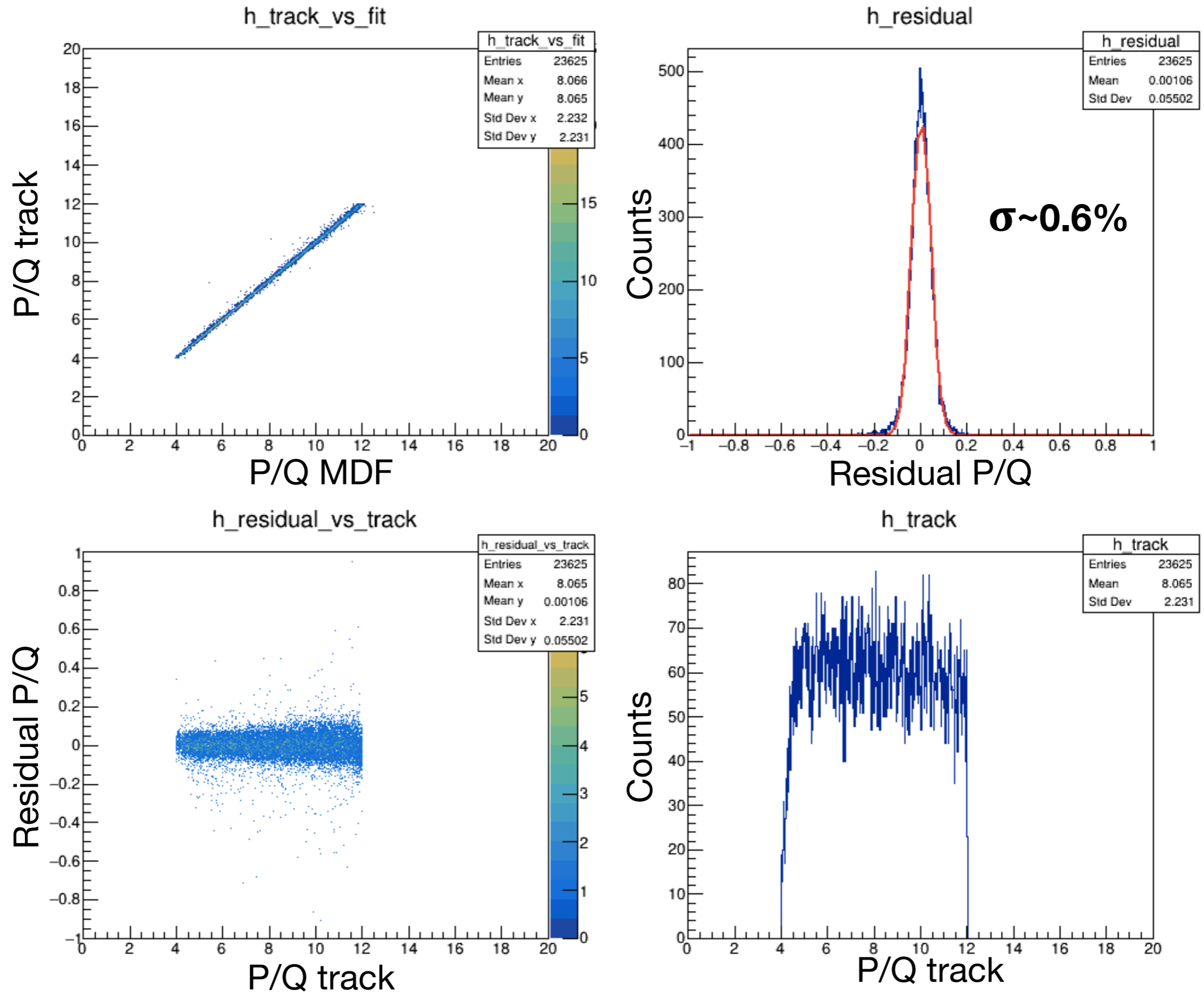
3 choices for upstream tracking:

- **trackSi**
- **trackMWPC\_p1**
- **Up**

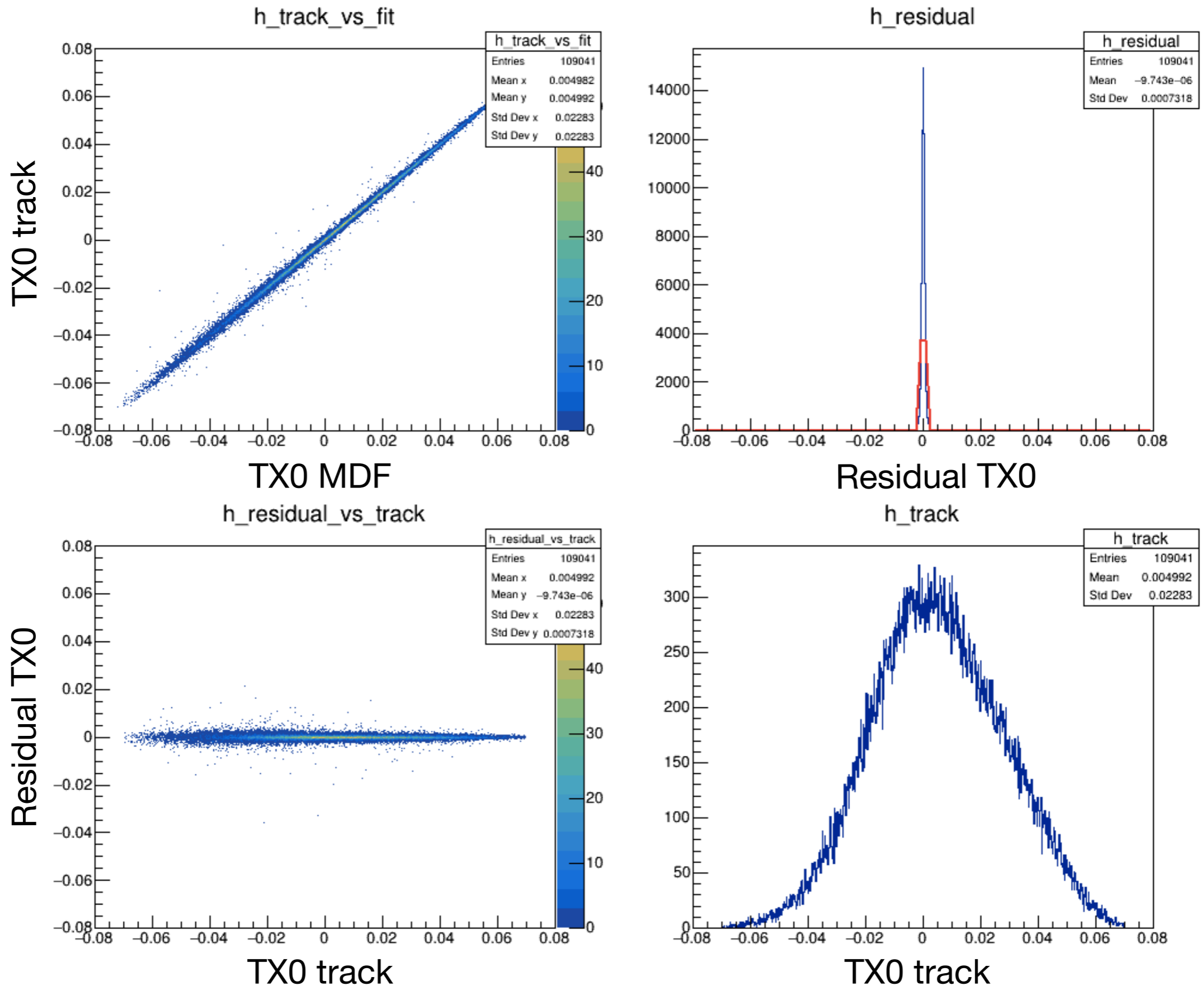
Relative alignment for all upstream detectors

Courtesy of V. Lenivenko

# MDF result for P/Q using simulated data

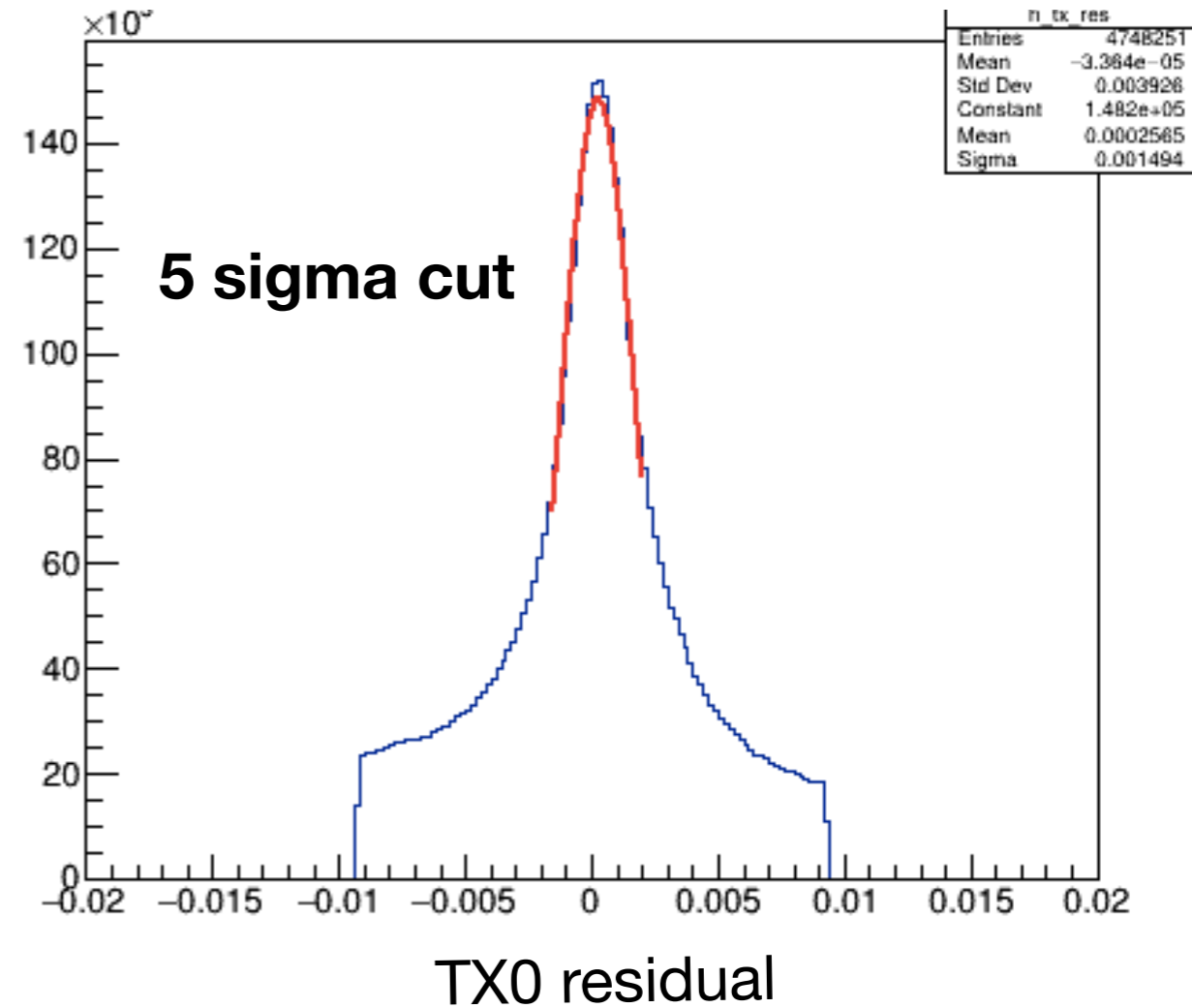
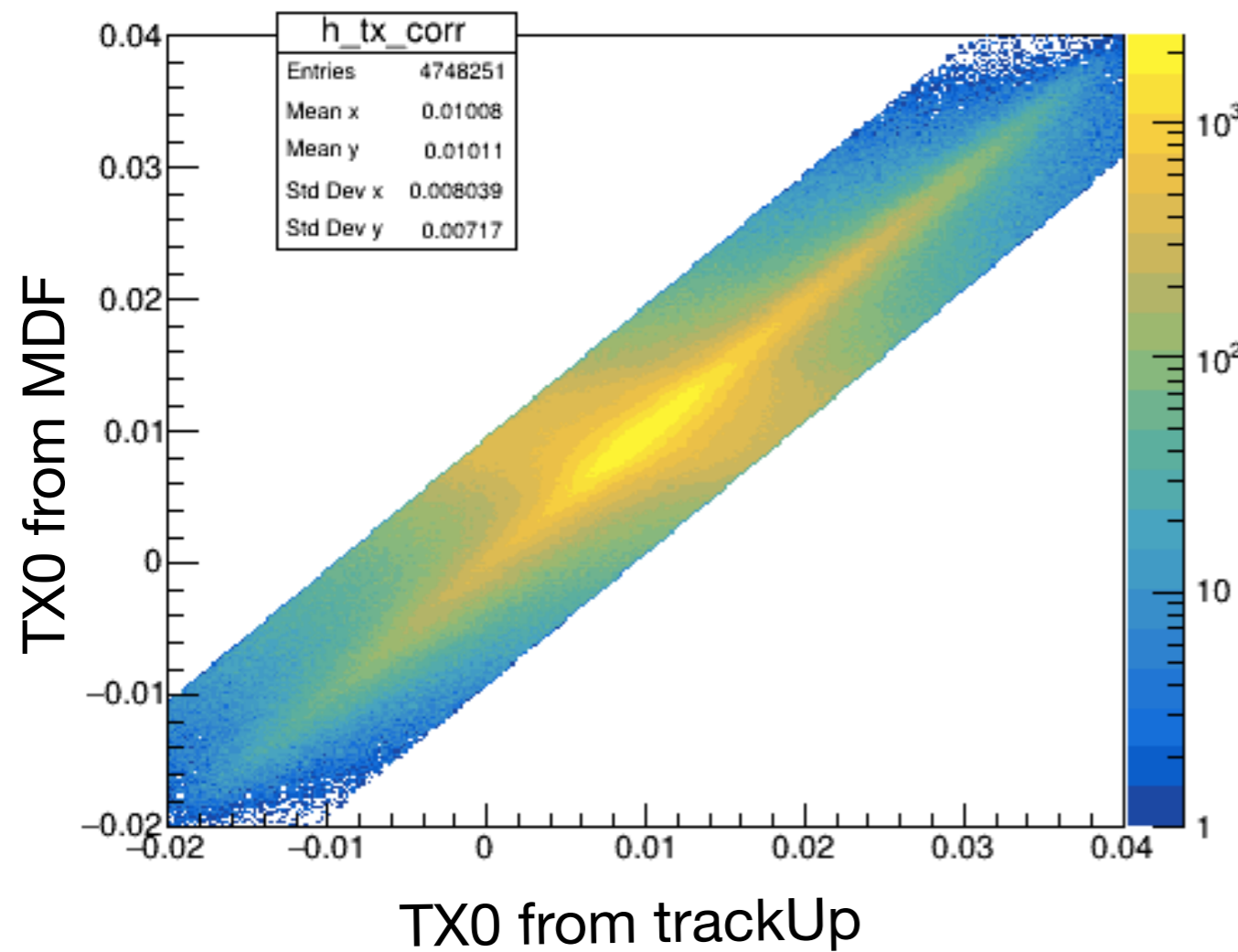


# MDF result for TX0 using simulated data





# Track selection based on TX0 matching (experimental data for all outgoing fragments)



# Tracker alignment

- Using two MDF functions:

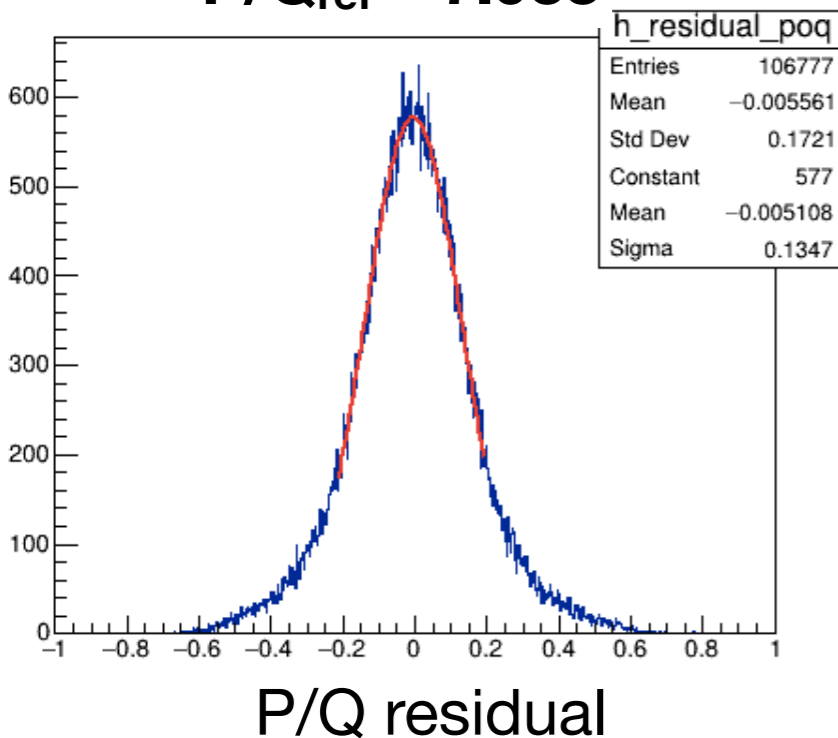
$P/Q_{\text{mdf}} = f_1(X_0, Y_0, Z_0, TX_0, TY_0, X_1, Y_1, Z_1, TX_1, TY_1)$  - reconstructing momentum information

$TX_{0\text{mdf}} = f_2(X_0, Y_0, Z_0, TY_0, X_1, Y_1, Z_1, TX_1, TY_1)$  - reconstructing TX0 for track matching

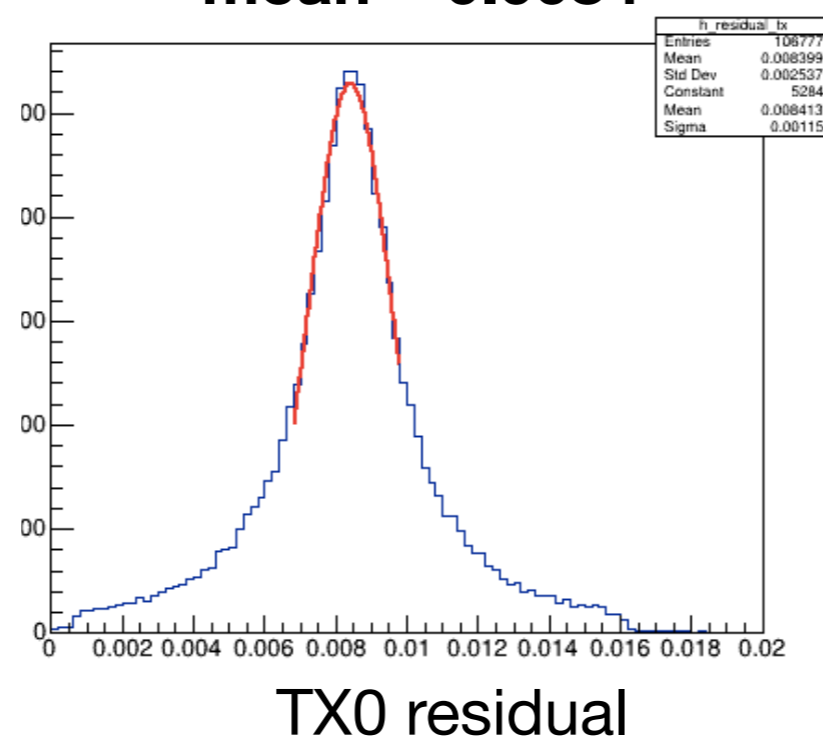
- Tracker alignment using experimental data:

- Select outgoing  $^{12}\text{C}$  with the reference value  $P/Q_{\text{REF}} = 7.933$  GeV/C/e (after LH2 target)
- Simultaneous variation of  $P/Q_{\text{mdf}}$  and  $TX_{0\text{mdf}}$ :
  - ➔ by variation of the offsets in  $X_0$  and  $TX_1$
  - ➔ until  $(P/Q_{\text{MDF}} - P/Q_{\text{REF}})^2$  is minimal
- Obtaining alignment offsets for  $X_0$ ,  $TX_0$  and  $TX_1$

$P/Q_{\text{ref}} = 7.933$

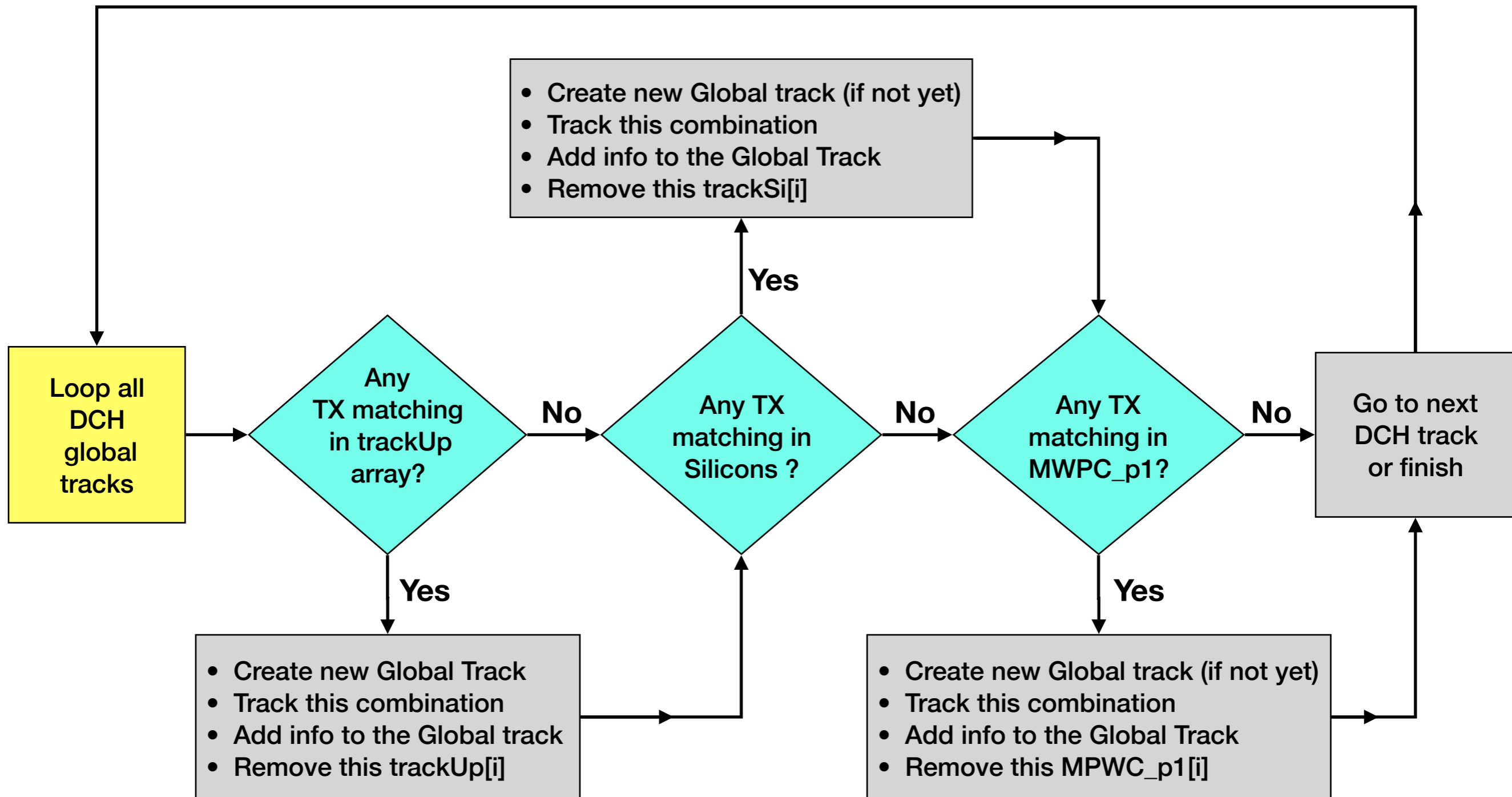


mean = 0.0084



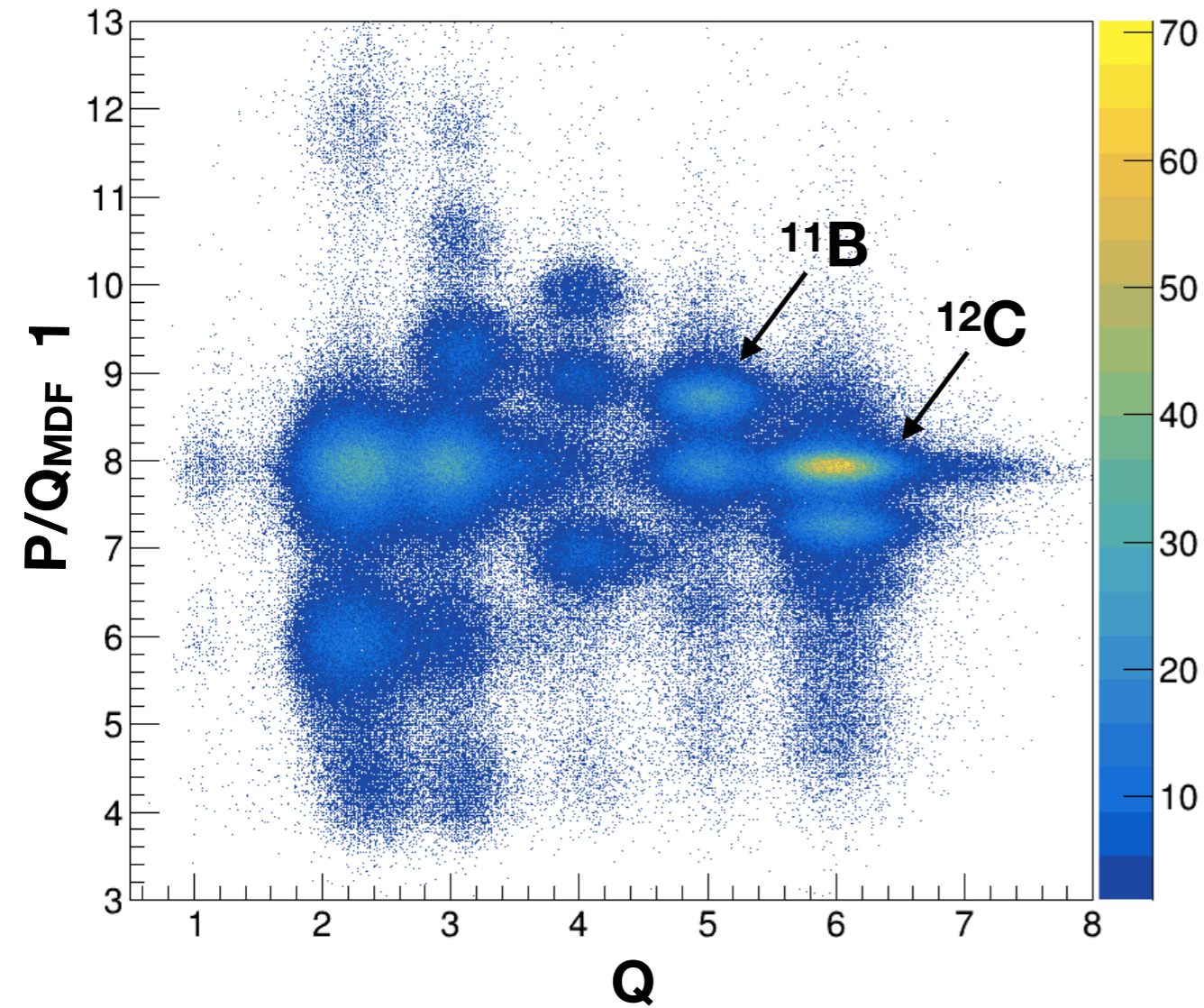
**Resulting offsets in the tracker:**  
**X0 offset = 0.28 cm**  
**TX0 offset = 0.0084**  
**TX1 offset = 0.0092**

# Block diagram for tracking experimental data



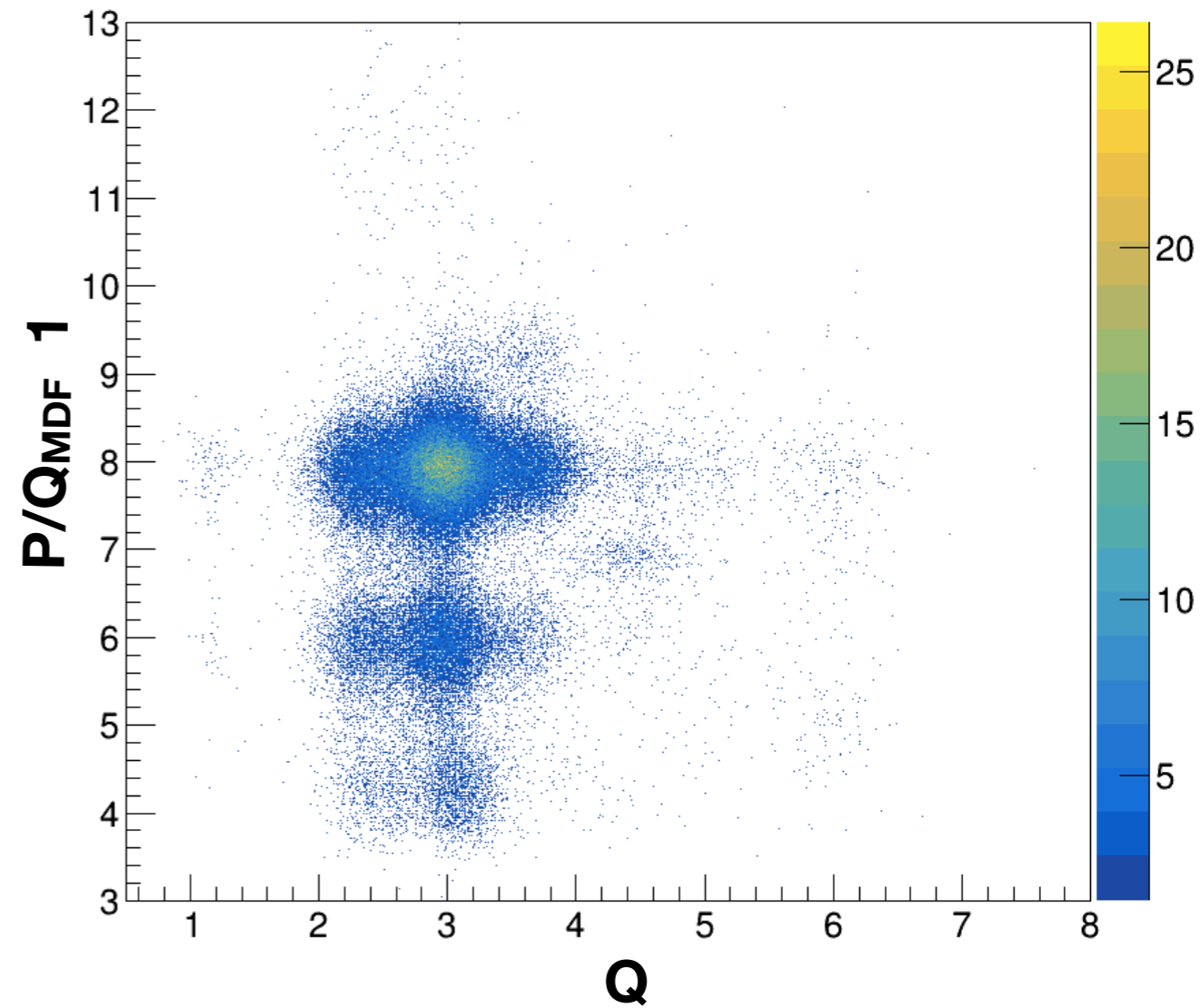
# PiD for 1 global track

PoQmdf\_up[0]:Zout {zin\_int==6 && N\_GlobTracks==1 && is\_Up[0]==1 && IsCalib}



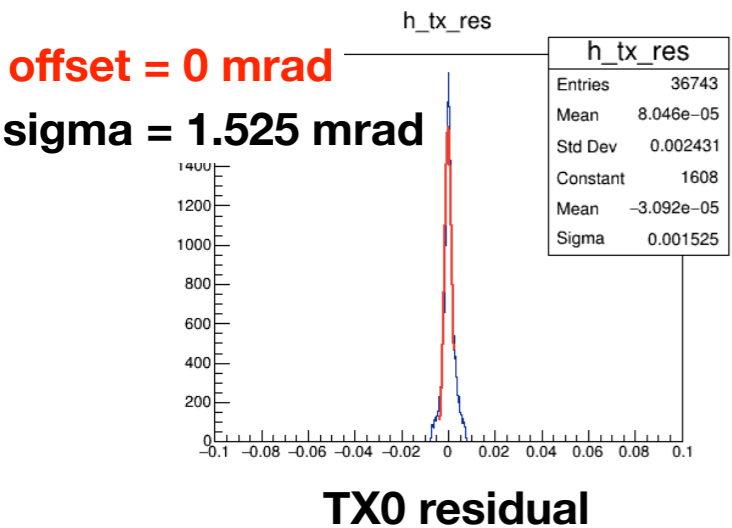
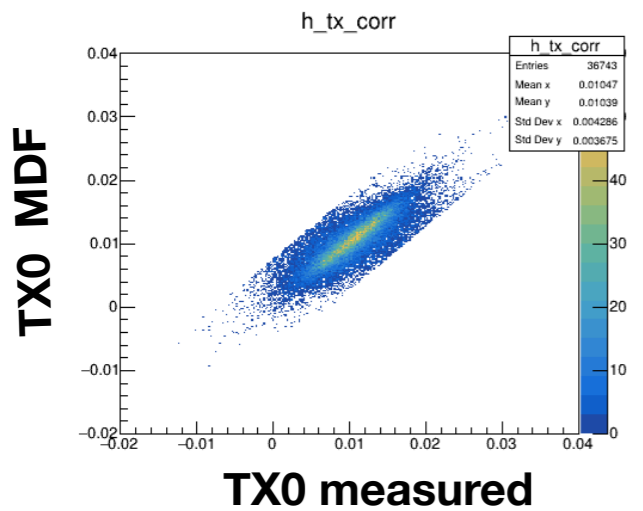
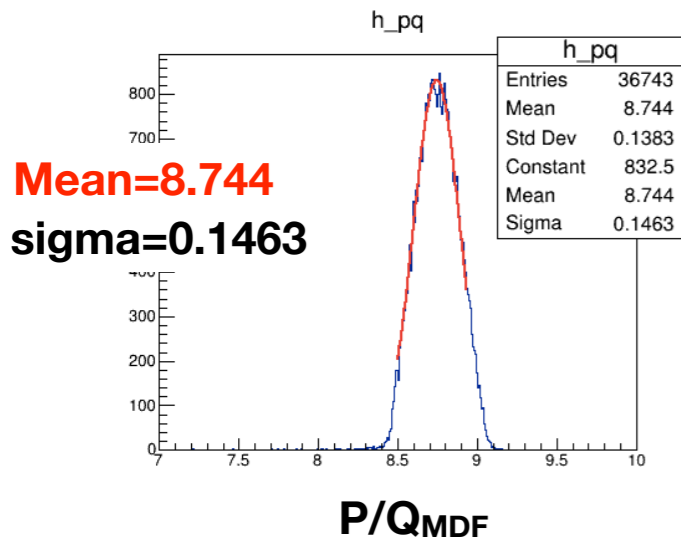
# PiD for 2 global tracks

PoQmdf\_up[0]:Zout {zin\_int==6 && N\_GlobTracks==2 && is\_Up[0]==1 && IsCalib}

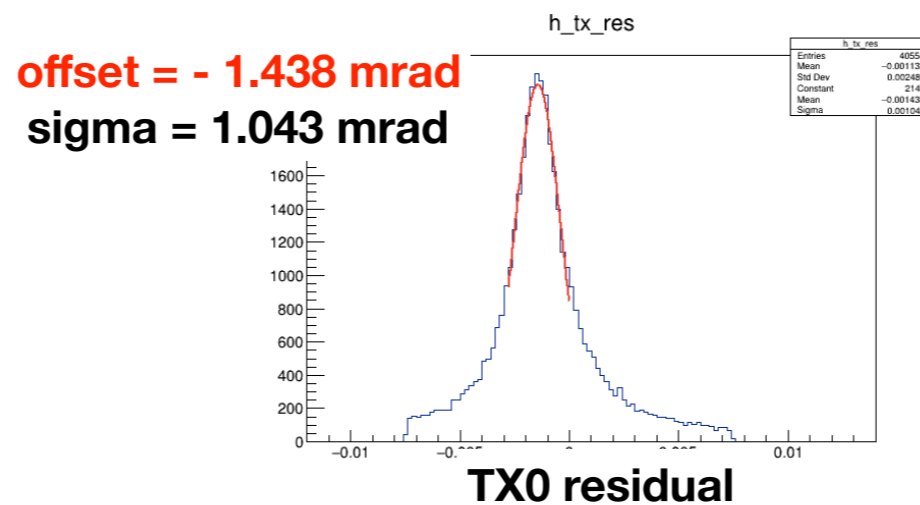
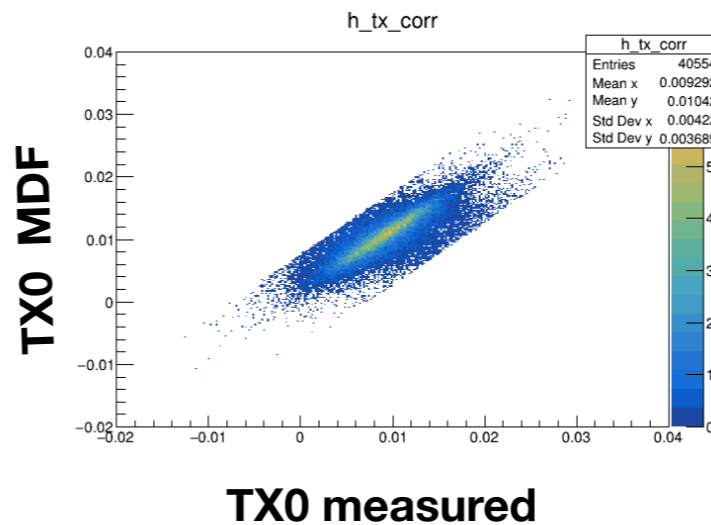
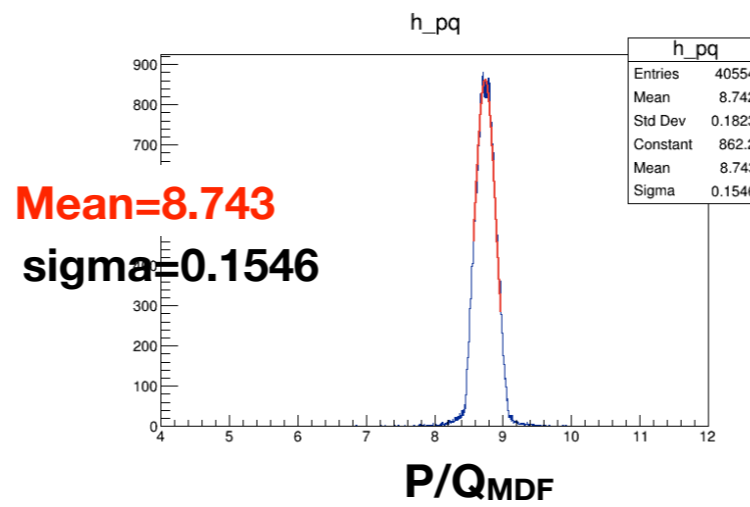


# Tracking $^{11}\text{B}$ in different detectors before the magnet

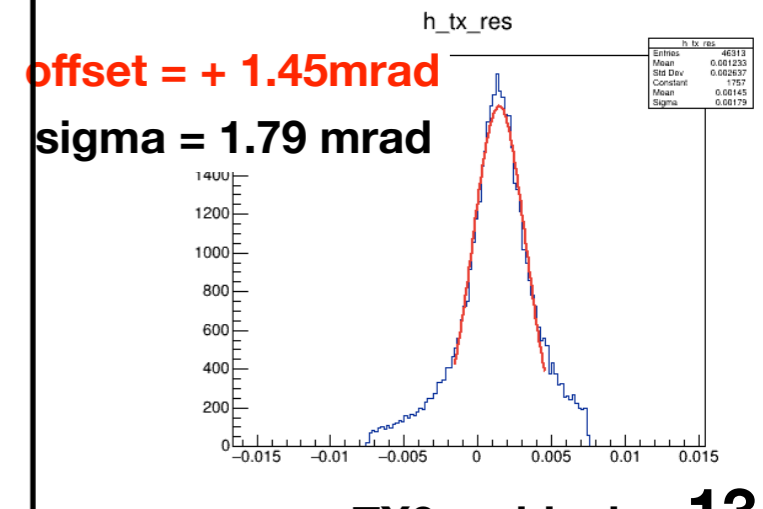
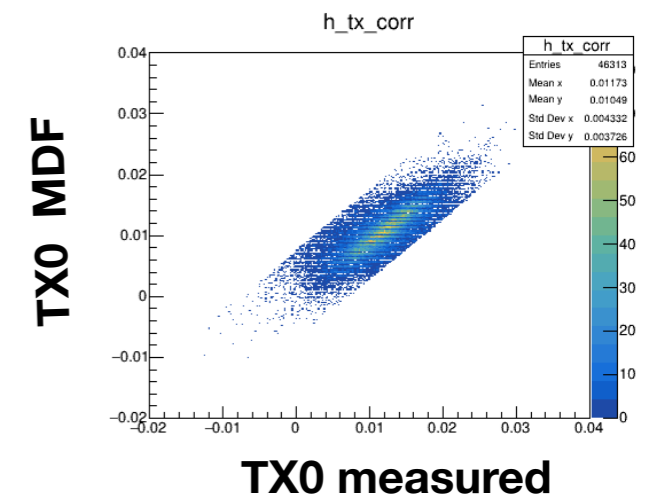
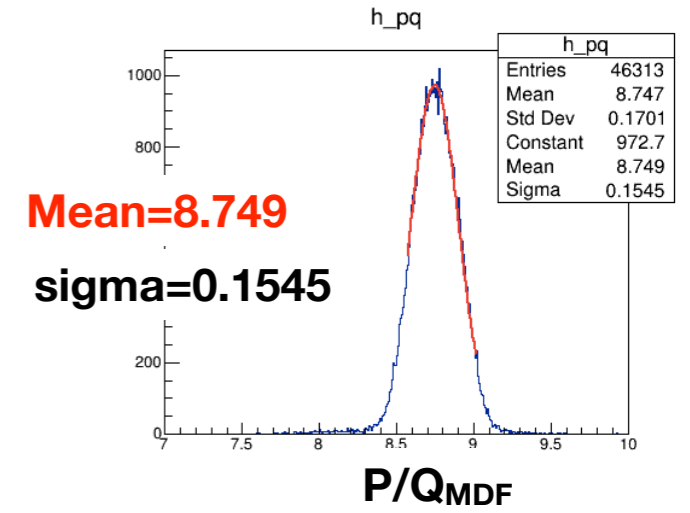
Up



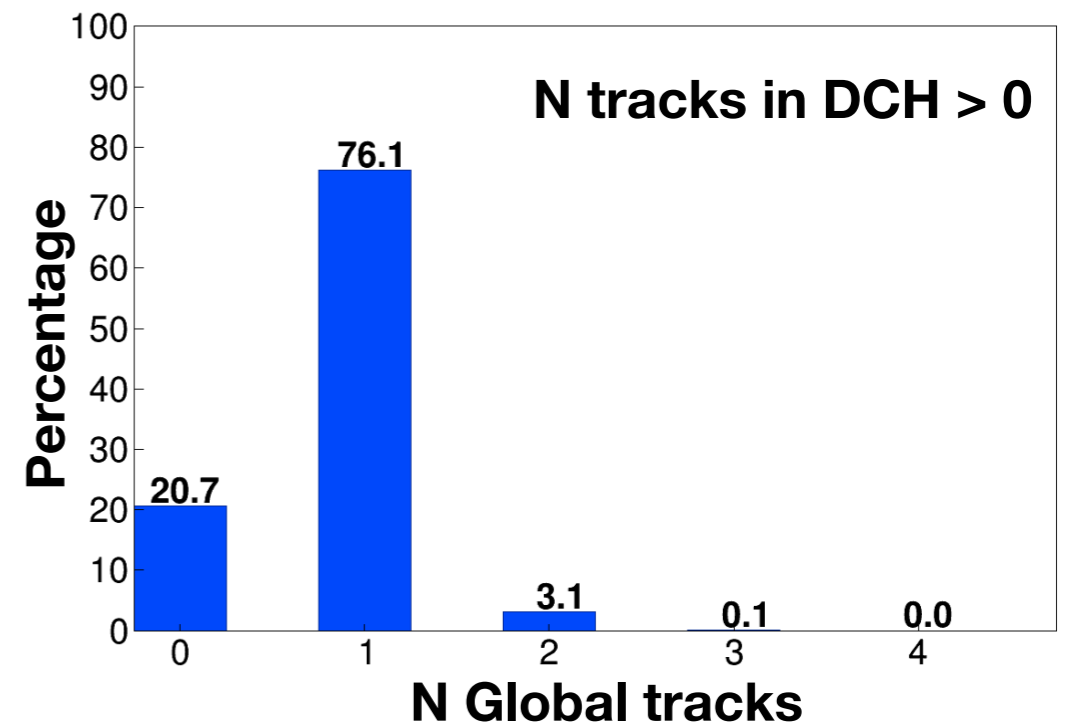
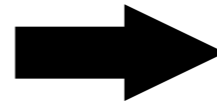
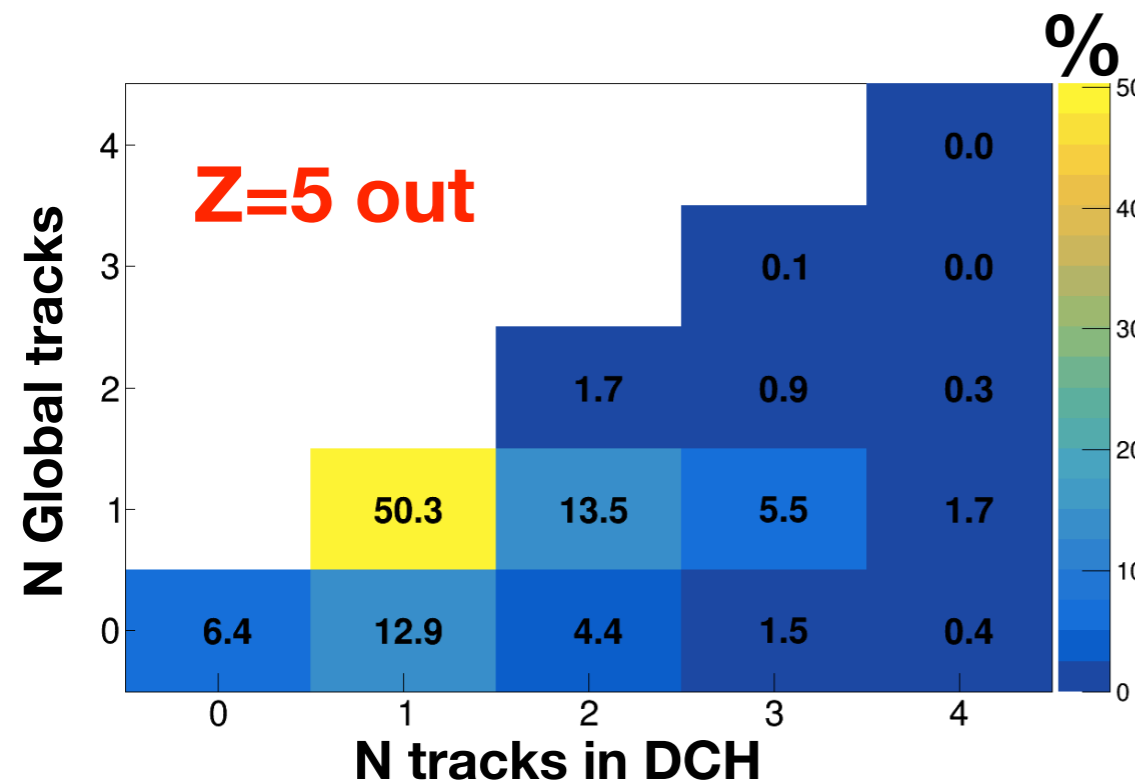
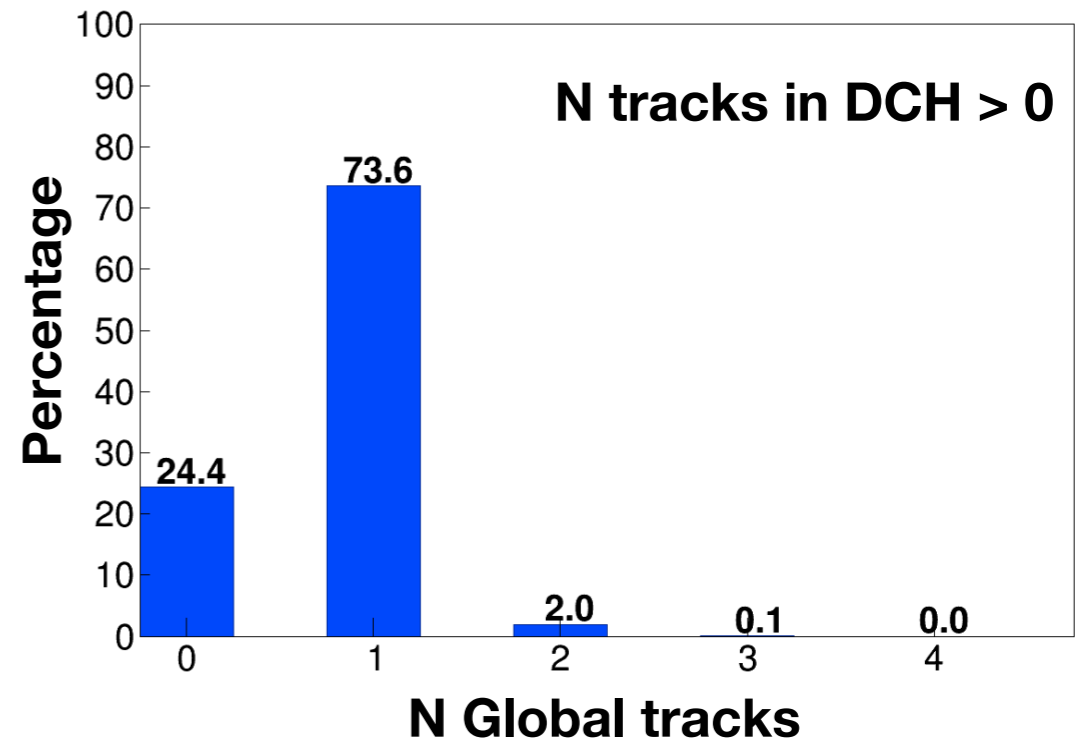
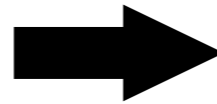
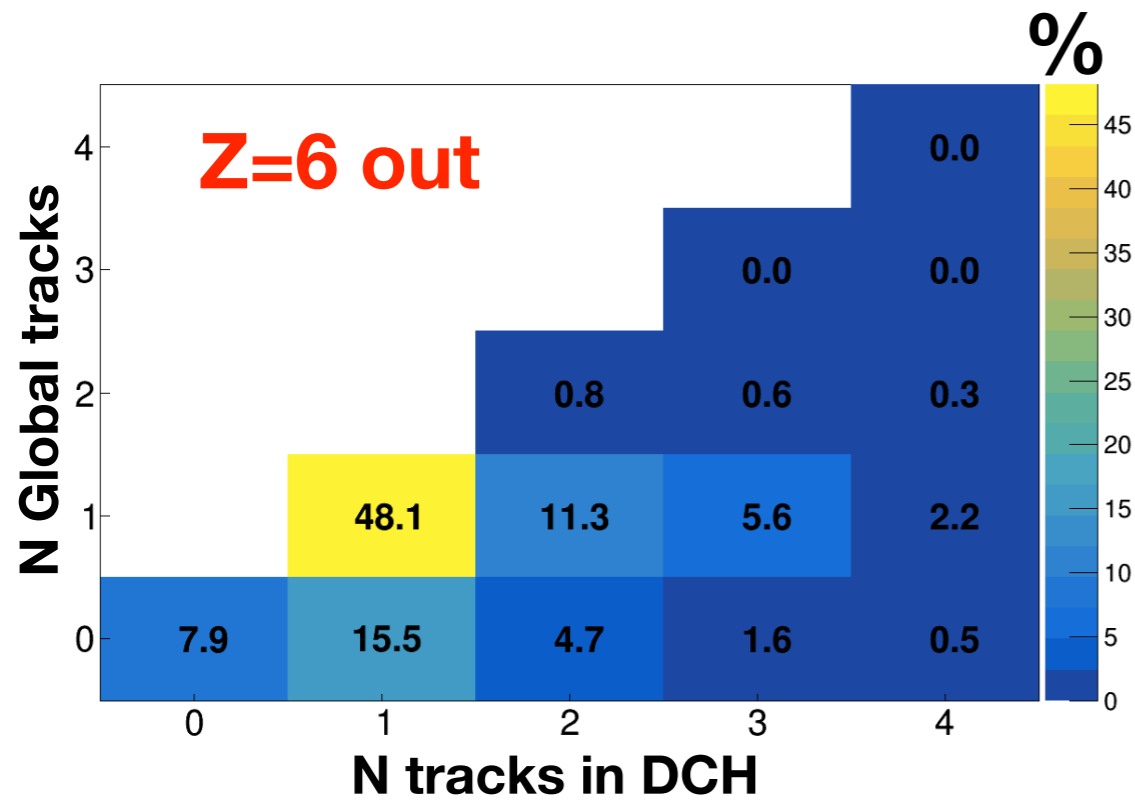
Silicons



MWPC\_p1



# Tracking efficiency ( $Z_{in}=6$ + at least 1 track upstream)



# Summary

- **MDF method for fragment tracking in SRC analysis:**
  - **Based on MC tracks from the simulations with realistic magnetic field**
  - **Polynomial MDF fit function = fast tracking**
  - **Reconstruction of experimental P/Q for outgoing fragments**
  - **Using TX0 fit for the track matching before and after the SP41 magnet**
- **Momentum resolution  $\sim 1.7\%$  - comparable to the field integral method**
- **Momentum accuracy  $\sim 0.1\%$  - consistent between different upstream detectors**
- **Efficiency of the tracking algorithm  $> 70\%$**