# The Transparent Nucleus: unperturbed inverse kinematics nucleon knockout measurements with a $48 \mathrm{GeV} / \mathrm{c}$ carbon beam 

(The BM@N Collaboration)

From superconductors to atomic nuclei, dense ${ }_{51}$ strongly-interacting many-body systems are 52 paramount in physics. Measuring the ground- ${ }_{53}$ state distribution of particles in such systems is $5_{54}$ a formidable challenge, that is often met by scat- ${ }_{55}$ tering experiments which reconstruct the initial ${ }_{56}$ distribution of knocked-out particles using energy ${ }_{57}$ and momentum conservation. However, quan- ${ }_{58}$ tum mechanics imposes a fundamental limitation ${ }_{59}$ on interpreting these measurements due to indis- 60 tinguishable interference of initial- and final-state $6_{61}$ interactions (ISI/FSI) between the incoming and 62 scattered particles and the residual system [? ]. ${ }_{63}$ This is a fundamental limitation for probing the ${ }_{64}$ microscopic structure of atomic nuclei. Here we 65 study the ground-state distribution of single nu- ${ }_{66}$ cleons and correlated nucleon pairs in atomic nu- ${ }_{67}$ clei by scattering $48 \mathrm{GeV} / \mathrm{c}$ Carbon-12 $\left({ }^{12} \mathrm{C}\right)$ ions ${ }_{68}$ from hydrogen in quasi-free inverse kinematics ${ }_{69}$ and detecting two protons at large angles in co- ${ }_{70}$ incidence with an intact Boron-11 ( ${ }^{11} \mathrm{~B}$ ) nucleus. ${ }_{71}$ The post-selection of ${ }^{11} B$ is shown to exclude the ${ }_{72}$ otherwise large ISI/FSI contributions that would ${ }_{73}$ break the ${ }^{11} \mathbf{B}$ apart. In addition, by detecting ${ }_{74}$ residual ${ }^{10} \mathrm{~B}$ and ${ }^{10} \mathrm{Be}$ nuclei, we identified scat- ${ }_{75}$ tering events from short-range correlated (SRC) ${ }_{76}$ nucleon-nucleon pairs [1, 2], for the first time in ${ }_{77}$ inverse kinematics, and established their factor- ${ }_{78}$ ization [3] from the residual nuclear system. All ${ }_{79}$ measured reactions are well described by theo- ${ }_{80}$ retical calculations that exclude ISI/FSI. Our re- ${ }_{81}$ sults thus showcase a new ability to study the ${ }_{82}$ short-distance structure of short-lived radioactive ${ }_{83}$ atomic nuclei at the forthcoming FAIR and FRIB ${ }_{84}$ facilities. These studies will be pivotal for devel- ${ }_{85}$ oping a ground-breaking microscopic understand- ${ }_{86}$ ing of nuclei far from stability and of cold dense ${ }_{87}$ nuclear systems such as neutron stars.

By turning off the interactions between atoms in 89 atomic traps and the trap itself, physicists can measure 90 the ground-state properties of strongly interacting atoms 91 in ultra-cold gases [? ]. These systems thus allow ex- 92 ploring a wide range of fundamental quantum mechanical phenomena, imitating strongly correlated states in condensed matter and other systems where one cannot ${ }_{93}$ control the interactions [?].

Constructing such model systems is extremely chal- 94 lenging for atomic nuclei, due to their high-density and 95 complex strong interaction. Instead, physicists scatter 96 electrons from nuclei, knock out single nucleons, and de- 97
tect the electron and the nucleon with high-resolution detectors. Experiments can then select either the state of the un-detected intact residual nucleus (post-selection) [? ] or the reaction kinematics (pre-selection) to suppress ISI/FSI effects [1].

While largely limited to stable nuclei, such measurements of atomic nuclei helped establish the nuclear shell model [4] and the existence of SRC nucleon pairs [1, 2]. SRCs are pairs of strongly interacting nucleons at short distances. They account for most of the nucleons in the nucleus with momenta above the Fermi-momentum $\left(k_{F}\right)$ [5]. These independent pairs are the next approximation after the independent-particle shell model and their study provides insight to properties of dense nuclear matter [? ], the strong nuclear interaction at short distances and high momenta [6], and the role of quarks and gluons in atomic nuclei $[1,7]$. The study of SRC pairs in atomic nuclei far from stability, using radioactive-ion beams, is a new frontier of nuclear science.

The fleeting nature of nuclei far from stability requires inverse kinematics, scattering high-energy nuclei from stationary targets. The high-cross-section proton probes have much greater ISI, preventing kinematic pre-selection to reduce ISI/FSI. Post-selection requires direct detection of the residual nuclear system, since the missingenergy resolution is usually insufficient to measure its state indirectly.

Here we use post-selection in high-energy inverse kinematics to probe single-particle states and SRCs in the well understood ${ }^{12} \mathrm{C}$ nucleus. We selected ${ }^{11} \mathrm{~B}$ fragments after a proton knockout $(p, 2 p)$ reaction to successfully study the distribution of protons in the $p$-shell of ${ }^{12} \mathrm{C}$. We show, for the first time, that consistent distributions can be obtained using both quasielastic (QE) and inelastic (IE) scattering reactions, which also agree with theoretical calculations. We then use the selection of ${ }^{10} \mathrm{~B}$ and ${ }^{10} \mathrm{Be}$ fragments to identify, for the first time in inverse kinematics, the hard breakup of SRC pairs. These postselections eliminate most events, but result in an event sample that is insensitive to ISI/FSI. Thus this opens the gate for studying the single-particle and short-distance structure of nuclei far from stability.

## EXPERIMENTAL SETUP

The experiment took place in 2018 at the Joint Institute for Nuclear Research (JINR), using a $4 \mathrm{GeV} / \mathrm{c} /$ nucleon ion beam from the Nuclotron accelerator, a stationary 30 cm long liquid-hydrogen target,


Fig. 1. Experimental Setup and Fragment Identification. (a) Carbon nuclei traveling at $48 \mathrm{GeV} / \mathrm{c}$ hit protons in a liquid hydrogen target, knocking out individual protons from the beam-ion. Position- and time-sensitive detectors (MWPC, GEM, RPC, Si, and DCH) are used to track the incoming ion beam, knockout protons, and residual nuclear fragments and determine their momenta. (b) The bend of the nuclear fragments in the large dipole magnet, combined with charge measurements with the beam counters (BC) allows identifying the various fragments. In this work we refer to events with detected ${ }^{11} \mathrm{~B},{ }^{10} \mathrm{~B}$, and ${ }^{10} \mathrm{Be}$ heavy fragments, see text for details
and a modified BM@N (Baryonic Matter at Nuclotron) ${ }_{127}$ experimental setup, as shown in Fig. 1a.

The beam was monitored before the target using thin ${ }^{129}$ scintillator-based beam counters (BCs) and two multi-130 wire proportional chambers (MWPCs) used for trajec-131 tory and charge identification for each event. The $\mathrm{BC}_{132}$ closer to the target was also used to define the event ${ }_{133}$ start time $t_{0}$.

A two-arm spectrometer (TAS) was placed down-135 stream of the target to detect the two protons from the ${ }^{136}$ $(p, 2 p)$ reaction that emerge at $24^{\circ}-37^{\circ}$, corresponding ${ }^{137}$ to $90^{\circ}$ QE scattering in the two-protons center-of-mass ${ }^{138}$ (c.m). Each spectrometer arm consisted of scintillator ${ }^{139}$ trigger counters (TC), gas electron multiplier (GEM) sta-140 tions, and multi-gap resistive plate chamber (RPC) walls. ${ }^{141}$

Proton tracks are formed using their hit location in the ${ }^{142}$ GEM and RPC walls. We only consider events where the ${ }^{143}$ interaction vertex of each proton is reconstructed within ${ }^{144}$ the central 26 cm of the target and the distance between ${ }^{145}$ them is smaller than 4 cm (Extended Data Fig. 1). The ${ }^{146}$ time difference between the RPC and $t_{0}$ signals define ${ }^{147}$ the proton time of flight (TOF) that, combined with the ${ }^{148}$ measured track length, is used to determine its momen-149 tum.

The protons of interest for the current analysis have momentum between $\sim 1.5$ and $2.5 \mathrm{GeV} / \mathrm{c}$. Thus, events ${ }^{150}$ with proton tracks ha ving $\beta>0.96$ or $<0.8$ were discarded.

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Signals from the TC were combined with the target ${ }_{152}$
upstream BCs to form the main ${ }^{12} \mathrm{C}(p, 2 p)$ reaction trigger for the experiment. Additional triggers were set up for monitoring and calibration purposes, see online supplementary materials for details.

Nuclear fragments following the $(p, 2 p)$ reaction are emitted at small angles with respect to the incident beam with momentum that is similar to the beam momentum. Three silicon (Si) planes and two MWPCs are placed in the beam-line downstream the target to measure the fragment scattering angle. Following the MWPCs the fragments enter a large acceptance $2.87 \mathrm{~T} \cdot \mathrm{~m}$ dipole magnet. Two drift chambers ( DCH ) are used to measure the fragment trajectory after the magnet.

The fragment momenta are determined from their measured bending angle in the magnet. Fragment identification (nuclear mass and charge) is done using their bend in the magnetic field and energy deposition in two scintillator BCs placed between the target and the magnet entrance, see Fig. 1b. The latter is proportional to the sum of all fragment charges squared $\left(Z_{\text {eff }}=\sqrt{\sum Z^{2}}\right)$.

See Methods and online supplementary materials for additional details on the experimental setup and data calibration procedures.

## SINGLE PROTON KNOCKOUT

We identify exclusive ${ }^{12} \mathrm{C}(p, 2 p){ }^{11} \mathrm{~B}$ events by requiring the detection of a ${ }^{11} \mathrm{~B}$ fragment in coincidence with two


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Fig. 2. Quasi-Free Scattering (QFS) Distributions. ${ }_{194}$ The correlation between the measured missing-energy $E_{\text {miss }}{ }_{195}$ (Eq. 2) and the two-proton in-plane opening angle for ${ }^{12}(p, 2 p)^{195}$ (a) and ${ }^{12}(p, 2 p)^{11} \mathrm{~B}(\mathrm{~b})$ events. Quasielastic (QE) events are ${ }^{196}$ seen as a peak around low missing energy and opening angles ${ }^{197}$ of $\sim 63^{\circ}$. Inelastic (IE) reactions populate higher missing- ${ }^{198}$ energy and lower opening angles while ISI/FSI populate both ${ }_{199}$ regions and the ridge between them in the inclusive spectra. ${ }_{200}$
charged particle tracks in the TAS. Energy and momen- ${ }_{203}$ tum conservation for this reaction reads:

$$
\bar{p}_{12} \mathrm{C}+\bar{p}_{t g}=\bar{p}_{1}+\bar{p}_{2}+\bar{p}_{11 \mathrm{~B}}
$$

where $\left.\bar{p}_{12 \mathrm{C}}=\left(\sqrt{\left(p_{12}^{2} C+m_{12}^{2} C\right.}\right), 0,0, p_{12} C\right)$ and $\bar{p}_{t g}={ }_{208}^{207}$ ( $m_{p}, 0,0,0$ ) are respectively the incident beam-ion and ${ }^{209}$ target proton four-momentum vectors. $\bar{p}_{1}, \bar{p}_{2}$, and $\bar{p}_{11} \mathrm{~B}^{210}$ are the four-momentum vectors of the detected protons ${ }^{211}$ and ${ }^{11} \mathrm{~B}$ fragment. Assuming QE scattering off a mean-212 field nucleon we can approximate $\bar{p}_{1^{12} \mathrm{C}}=\bar{p}_{i}+\bar{p}_{1_{1} \mathrm{~B}}$, where ${ }^{213}$ $\bar{p}_{i}$ is the initial proton four-momentum inside the ${ }^{12} \mathrm{C}$ ion. ${ }^{214}$ Substituting into Eq. 1 we obtain:

$$
\begin{equation*}
\bar{p}_{i} \approx \bar{p}_{\mathrm{miss}} \equiv \bar{p}_{1}+\bar{p}_{2}-\bar{p}_{t g}, \tag{2}
\end{equation*}
$$

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where $\bar{p}_{\text {miss }}$ is the measured missing four-momentum of ${ }_{219}$ the reaction and is only equal to $\bar{p}_{i}$ in the case of unper-220 turbed (no ISI/FSI) QE scattering.

Figure 2 shows the measured missing energy ( $E_{\text {miss }}, 222$ energy component of $\bar{p}_{\text {miss }}$ ) vs. the two-proton in-plane ${ }_{223}$ opening angle, $\theta_{1}+\theta_{2}$, for ${ }^{12} \mathrm{C}(p, 2 p)$ (left panel) and ${ }_{224}$ ${ }^{12} \mathrm{C}(p, 2 p){ }^{11} \mathrm{~B}$ (right panel) events. Both plots show two 225 distinct regions: (A) low missing-energy and large in-226 plane opening angles that correspond to QE scattering ${ }_{227}$ and (B) high missing energy and small in-plane opening ${ }_{228}$ angles that correspond to inelastic (IE) scattering.

The inclusive ${ }^{12} \mathrm{C}(p, 2 p)$ events are also contaminated ${ }_{230}$ by ISI/FSI backgrounds around and underlying both IE $_{231}$ and QE regions. This background is not evident in the ${ }_{232}$ ${ }^{12} \mathrm{C}(p, 2 p){ }^{11} \mathrm{~B}$ case. This is our first indication that re-233 quiring the coincidence detection of ${ }^{11} \mathrm{~B}$ fragments selects234 a unique subset of one-step processes where a single nu-235 cleon was knocked-out without any further interaction ${ }_{236}$ with the residual fragment.

To help establish this observation Fig. 3a compares the measured missing-momentum distribution for ${ }^{12} \mathrm{C}(p, 2 p)$ QE events with and without ${ }^{11} \mathrm{~B}$ tagging. The QE selection was done using the missing-energy and in-plane opening-angle cuts shown in Fig. 2. From here on all momenta are shown after being boosted to the incident ${ }^{12} \mathrm{C}$ rest frame. The measured ${ }^{12} \mathrm{C}(p, 2 p)$ QE events show a significant high-momentum tail that extends well beyond the nuclear Fermi-momentum $(\approx 250 \mathrm{MeV} / \mathrm{c})$ and is characteristic for ISI/FSI [2]. This tail is completely suppressed by the ${ }^{11} \mathrm{~B}$ detection.

Figure 3 b focuses on ${ }^{12} \mathrm{C}(p, 2 p)^{11} \mathrm{~B}$ events and compares the measured ${ }^{11} \mathrm{~B}$ momentum distribution for QE and IE reactions. The fragment momentum distribution is equal for both QE and IE events. This shows that the survival of the fragment selects quasi-free one-step reactions even in the case of inelastic NN scattering and in a kinematical region which is dominated by FSI events.

In unperturbed ${ }^{12} \mathrm{C}(p, 2 p)^{11} \mathrm{~B}$ QE scattering reactions the measured missing- and fragment-momenta should balance each other. Fig. 3c shows the distribution of the cosine of the opening angle between the missing- and fragment-momenta. The angle is calculated (only) in the direction transverse to the incident beam-ion as it is not sensitive to boost effects and is thus measured with better resolution. A clear back-to-back correlation is observed, a distinct signature of QE reactions.
${ }^{12} \mathrm{C}(p, 2 p){ }^{11} \mathrm{~B}$ QE events account for $(38.3 \pm 5.6) \%$ of the total number of ${ }^{12} \mathrm{C}(p, 2 p) \mathrm{QE}$ events. We further measured ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}$ and ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{Be}$ events that correspond to QE scattering to an excited ${ }^{11} \mathrm{~B}$ state that de-excites via neutron or proton emission respectively. These events correspond to $(10.5 \pm 1.8) \%\left({ }^{10} \mathrm{~B}\right)$ and $\leq$ $2 \%\left({ }^{10} \mathrm{Be}\right)$ of the total number of ${ }^{12} \mathrm{C}(p, 2 p)$ QE events. Therefore, in $\sim 50 \%$ of the ${ }^{12} \mathrm{C}(p, 2 p)$ QE events the residual nucleus is fragmented to lighter fragments ( $Z<$ 4). See methods for detailed on the fragment detection efficiency and the systematic uncertainties.

The data shown in Fig. 3 are compared to simulated distributions assuming QE $(p, 2 p)$ scattering off a $p$-shell nucleon in ${ }^{12} \mathrm{C}$. The simulation accounts for the experimental acceptance, and detector resolutions and uses the measured ${ }^{1} \mathrm{H}(p, 2 p)$ elastic scattering cross section and does not include ISI/FSI effects. The total simulated event yield was scaled to match the data. See methods for details.

The simulation agrees well with both missing- and fragment-momentum distributions for QE events and even with the fragment momentum distribution for IE events. This is a clear indication that the requirement to detect a bound ${ }^{11} \mathrm{~B}$ strongly suppresses ISI/FSI and thus provides access to ground-state properties of the measured nuclei. Additional data-simulation comparisons are shown in Extended Data Fig. 2 and 3.

The dominance of contributions from secondary reactions to experimentally extracted distributions has been


Fig. 3. | Momentum Distributions. (a) Missing-momentum distribution for quasielastic ${ }^{12} C(p, 2 p)$ and ${ }^{12} C(p, 2 p){ }^{11} \mathrm{~B}$ events. The distributions are normalized to the peak region. (b) ${ }^{11} B$ fragment momentum distribution for quasielastic and inelastic ${ }^{12} C(p, 2 p){ }^{11} \mathrm{~B}$ events. The light blue points in (a) and the open symbols in (b) have a small artificial offset for better visibility. (c) Distribution of the cosine of the opening-angle between the missing- and fragment-momentum in the plane transverse to the beam. Solid red line shows the result of our quasielastic reaction simulation. Data error bars show statistical uncertainties at the $1 \sigma$ confidence level.
a major difficulty in the past even for some reactions ${ }_{268}$ using electromagnetic probes. The search for SRC nu-269 cleons in electron scattering, for instance, was hampered ${ }_{270}$ for several decades by the fact that FSI events stemming ${ }_{271}$ from the large-cross section knockout of mean-field nu-272 cleons contaminate the high-momentum tail of the ex-273 tracted nucleon momentum distribution as a background ${ }_{274}$ (see Fig. 3a) [8? ? ]. Even in selected kinematical re- ${ }_{275}$ gions in high-resolution experiments, which were able to ${ }_{276}$ minimize this contribution $[1,2,9,10]$, the remaining ${ }_{277}$ FSI effect had to be taken into account using theoret- ${ }_{278}$ ical estimates. A clear identification of SRC pairs was ${ }_{279}$ established only recently by the additional detection of ${ }_{280}$ the recoiling partner nucleon $[1,2,5,11-14]$.

At lower beam energies, the method of quasi-free ${ }_{282}$ proton-induced nucleon knockout in inverse kinematics ${ }_{283}$ has been developed and applied recently to study the ${ }_{284}^{283}$ single-particle structure of exotic nuclei [15-17]. Here, ${ }_{285}$ the data analysis and interpretation relies heavily on the ${ }_{286}$ assumption that the extracted particle distributions $\operatorname{are}^{287}$ free from FSI contamination. Our experiment clearly ${ }_{288}$ shows, that ground-state properties of exotic nuclei can ${ }_{289}$ be extracted quantitatively by the use of fully exclusive $(p, p N)$ knockout reactions in inverse kinematics at the ${ }^{290}$ high-energy radioactive beam facilities.

## HARD BREAKUP OF SRC PAIRS

Next we study SRCs by selecting ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}$ and ${ }^{297}$ ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{Be}$ events. The two-proton selection follows ${ }_{298}$ the same vertex and $\beta$ cuts mentioned above. 299
${ }^{10} \mathrm{~B}$ and ${ }^{10} \mathrm{Be}$ fragments are produced in SRC breakup ${ }_{300}$
events when interacting with a proton-neutron $(p n)$ or proton-proton ( $p p$ ) pair, respectively. As $p n$-SRC were shown to be 20 times more abundant than $p p$-SRC pairs [5, 14, 18], we expect to observe 10 times more ${ }^{10} \mathrm{~B}$ fragments than ${ }^{10} \mathrm{Be}$. The latter have 2 times larger contribution to the cross-section as the reaction can take place off either proton in the pair.
${ }^{10} \mathrm{~B}$ and ${ }^{10} \mathrm{Be}$ fragments can be formed in several ways, as a result of either single-nucleon excitations or twonucleon correlations. Single-nucleon contributions start with QE single-proton knockout reactions, as discussed above, that result in an excited ${ }^{11} \mathrm{~B}$ fragment that deexcites via neutron emission. In this case the $(p, 2 p)$ part of the reaction should be identical to the $\mathrm{QE}{ }^{11} \mathrm{~B}$ process, except the ${ }^{10} \mathrm{~B}$ momenta will not correlate with $\mathbf{p}_{\text {miss }}$.

An interaction with a nucleon that is part of an SRC pair will be significantly different. The high relative momentum of nucleons in SRC pairs leads to a large value of $\mathbf{p}_{i}$ that is largely balanced by a single correlated nucleon, as oppose to the entire $A-1$ nucleons system. Therefore, we require $\left|\mathbf{p}_{\text {miss }}\right|>350 \mathrm{MeV} / \mathrm{c}$ to select SRC breakup events.

IE events where the high- $\mathbf{p}_{\text {miss }}$ is caused by the production of additional particles or by QE interaction followed by FSI that knock out a neutron from the ${ }^{11} \mathrm{~B}$ fragment will not be suppressed by this requirement. IE interactions can be suppressed by requiring a large inplane opening angle between the protons measured in the $(p, 2 p)$ reaction and restricting the missing-energy of the reaction (Fig. 2).

To guide these selections we used the Generalized Contact Formalism (GCF) [3] to simulate $(p, 2 p)$ scattering off high missing-momentum SRC pairs. The GCF


Fig. 4. $\mid$ Short-Range Correlation Distributions. (a) Simulated (color scale) and measured (triangles) correlation between the missing-energy and missing-momentum for ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}$ and ${ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{Be}$ events. (b) - (d) Measured and simulated distributions of ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}$ events. (b) light-cone momentum distribution, (c) ${ }^{10} \mathrm{~B}$ fragment momentum distribution, (d) distribution of the cosine of the angle between the ${ }^{10} \mathrm{~B}$ fragment and missing-momentum. Solid orange line in (b) - (d) shows the result of our GCF SRC-breakup reaction simulation. Data error bars show statistical uncertainties at the $1 \sigma$ confidence level.
predicts an in-plane opening angle larger than $63^{\circ}$ and $_{337}$ $-110 \leq E_{\text {miss }} \leq 240 \mathrm{MeV}$ (see Methods and Extended ${ }_{338}$ Data Fig. 4 for details).

Last we use total-energy and momentum conservation ${ }^{340}$ to ensure exclusivity by requiring a missing nucleon mass ${ }^{341}$ in the entire reaction: $M_{\text {miss, excl. }}^{2}=\left(\bar{p}_{12 \mathrm{C}}+\bar{p}_{t g}-\bar{p}_{1}-{ }^{342}\right.$ $\left.\bar{p}_{2}-\bar{p}^{10}{ }_{\mathrm{B}(\mathrm{Be})}\right)^{2} \approx m_{N}^{2}\left(\right.$ see Extended Data Fig. 5). $\quad{ }^{343}$

We measured $26{ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}$ and $3{ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{Be}^{344}$ events that pass the missing-momentum, missing-energy, ${ }^{345}$ in-plane opening angle, and total missing mass cuts de-346 scribed above. These correspond to $<5 \%$ of the num- ${ }^{347}$ ber of ${ }^{12} \mathrm{C}(p, 2 p)$ events passing these SRC selection cuts. ${ }^{348}$ Therefore the vast majority of inclusive SRC events re-349 sult in the formation of light fragments.

If these events were caused by FSI with a neutron in ${ }^{351}$ ${ }^{11} \mathrm{~B}$, we would expect to also detect ${ }^{10} \mathrm{Be}$ fragments due ${ }^{352}$ to FSI with a proton in ${ }^{11} \mathrm{~B}$. At the high energies of ourr35 measurement these two FSI processes have almost the ${ }^{354}$ same rescattering cross sections [19]. Our measurement355 of only $3{ }^{10} \mathrm{Be}$ events is consistent with the SRC $n p-356$ dominance expectation and not with FSI.

Also, as our selection cuts suppress, but do not elimi-358 nate, QE scattering events off the tail of the mean-field ${ }^{359}$ momentum distribution, some events could result from360 de-excitation of high $-p_{\text {miss }}{ }^{11} \mathrm{~B}$ fragments. Using the de-361 excitation cross-sections of Ref. [16] and the measured362 number of ${ }^{12} \mathrm{C}(p, 2 p){ }^{11} \mathrm{~B}$ events that pass our SRC se-363 lection cuts (except for the exclusive missing-mass cut),364 we estimate a maximal background of $5{ }^{10} \mathrm{~B}$ and $2{ }^{10} \mathrm{Be} 365$ events due to knockout of mean-field protons and subse-366 quent de-excitation.

Figure 4a shows the correlation between the missing $3_{368}$ momentum and missing energy of the measured ${ }^{10} \mathrm{~B} \mathrm{SRC}_{369}$ events, compared with their expected correlation based ${ }_{370}$ on the GCF simulation. Overall good agreement is ob-371 served.

Due to the high momenta of the nucleons in the pair, it is beneficial to analyze the missing-momentum distribution in the relativistic light-cone frame where the longitudinal missing-momentum component is given by $\alpha=\left(E_{\text {miss }}-p_{\text {miss }}^{z}\right) / m_{p} . \alpha=1$ for scattering off standing nucleons. In the ${ }^{12} \mathrm{C}$ rest frame, $\alpha<1(>1)$ corresponds to interaction with nucleons that move along (against) the beam direction and therefore decrease (increase) the c.m. energy $s$ of the reaction.

Figure 4b shows the $\alpha$ distribution for the measured SRC events. We observe that $\alpha<1$, as predicted by the GCF and expected given the strong $s$-dependence of the large-angle elementary proton-proton elastic scattering cross-section.

Next we examine the ${ }^{10} \mathrm{~B}$ fragment momentum distribution in Fig. 4c. For SRC breakup events the fragment is expected to balance the pair c.m. momentum and therefore be consistent with a mean-field momentum distribution given by a three-dimensional Gaussian with width of $\sim 150 \mathrm{MeV} / \mathrm{c}$ [20]. Indeed the fragment follows this distribution, again in agreement with the GCF calculation. Additional data-simulation comparisons are shown in Extended Data Fig. 6 and 7.

Another important feature of SRC pairs is that they are expected to be scale-separated from the residual nuclear system due to their strong two-body interaction $[2,3]$. This predicted factorization implies that there will be no correlation between the pair c.m. and relative momenta. It is assumed in all theoretical models of SRCs, but was never proven experimentally.

Figure 4 d shows the distribution of the cosine of the angle between the ${ }^{10} \mathrm{~B}$ fragment momentum and the missing-momentum. The measured distribution shows good agreement with the GCF simulation, that assumes factorization and a lack of angular correlation. This is even more pronounced in comparison with the equivalent
distribution for single-nucleon knockout where a strong ${ }_{425}$ correlation exists (Fig. 3c) and the strong angular corre-426 lation we observe for SRC events between the measured ${ }^{427}$ missing-momentum and reconstructed correlated recoil ${ }^{428}$ neutron (Extended Data Fig. 7). Therefore by reporting ${ }_{430}^{429}$ here on the first measurement of SRC pairs with the de ${ }_{-431}^{430}$ tection of the residual bound $A-2$ nucleons system $\mathrm{we}_{432}$ are able to provide first experimental evidence for this ${ }_{433}$ aspect of the factorization of SRC pairs from the many-434 body medium.

## CONCLUSIONS

Our experimental findings clearly demonstrate the fea-441 sibility of accessing properties of short-range correlated ${ }_{442}$ nucleons in neutron-rich nuclei using high-energy ra-443 dioactive beams produced at the upcoming accelerator ${ }^{444}$ facilities such as FRIB and FAIR. With this method, we ${ }^{445}$ accomplished a big step towards realizing the goal of such ${ }_{447}^{446}$ facilities, which is exploring the formation of visible mat- ${ }_{448}$ ter in the universe in the laboratory. Since short-range ${ }_{449}$ correlated nucleons are a consequence of density fluctua-450 tions in the nucleus, forming locally a high-density envi-451 ronment at zero temperature for a short time, its prop- ${ }^{452}$ erties are directly linked to the properties of dense cold ${ }_{454}^{453}$ nuclear matter.

The experimental method presented here, allows ${ }^{455}$ studying the formation and properties of such pairs ${ }^{456}$ in a neutron-rich nuclear environment by the use of ${ }^{457}$ neutron-rich radioactive nuclear beams. The presented ${ }^{458}$ experimental method thus provides a basis to approxi- ${ }^{459}$ mate as closely as possible the dense cold neutron-rich ${ }^{460}$ matter in neutron stars in the laboratory.
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## Methods

Ion Beam. The primary beam ions were produced $\mathrm{in}_{637}$ a Creon source and accelerated in the Nuclotron [? ]. ${ }_{638}$ It had an average intensity of $3 \times 10^{5} \mathrm{ions} / \mathrm{sec}$, delivered ${ }_{639}$ quasi-continuously in 3 second long pulses with a 7 second ${ }_{640}$ pause between pulses.

The beam contained a mixture of Carbon-12, Nitrogen- ${ }_{64}$ 14 , and Oxygen-16 ions with fractions of $68 \%, 18 \%$, and ${ }_{643}^{642}$ $14 \%$ respectively. The ${ }^{12} \mathrm{C}$ ions have a beam momentum ${ }^{643}$ of $3.98 \mathrm{GeV} / \mathrm{c} / \mathrm{u}$ at the center of the $\mathrm{LH}_{2}$ target. The ${ }_{645}{ }^{644}$ beam ions are identified on an event-by-event basis using their energy loss in the BC detectors ( $\mathrm{BC} 1, \mathrm{BC} 2$ in front of the target) that is proportional to their nuclear charge ${ }^{646}$ squared $Z^{2}$. The selection of the incoming nuclear species ${ }^{647}$ is shown in Extended Data Fig. 8. Pile-up events are ${ }^{648}$ rejected by checking the multiplicity of the BC 2 time $^{649}$ signal.

Target upstream detection. Prior to hitting the tar-652 get the beam was monitored by two thin scintillator-653 based beam counters (BC1, BC2) and two multi-wire654 proportional chambers (MWPCs). The MWPCs deter-655 mined the incident beam ion trajectory for each event. 656 Besides using the energy deposition in the BCs for par-657 ticle identification, the BC closer to the target was read-658 out by a fast MCP-PMT used to define the event start659 time $t_{0}$. Beam halo interactions were suppressed using660 a dedicated BC veto counter (BC-VC), consisting of a661 scintillator with a 5 cm diameter hole in its center. ${ }_{662}$

Liquid-hydrogen target. The target [21] was cryogeni- ${ }_{664}$ cally cooled and the hydrogen was recondensated using ${ }_{665}$ liquid helium. The liquid hydrogen was held in a $30 \mathrm{~cm}_{666}^{665}$ long and 6 cm diameter aluminized Mylar cylindrical con- ${ }_{667}$ tainer at 20 Kelvin and 1.1 atmospheres. The container ${ }_{668}$ entrance and exit windows were made out of 110 micron ${ }_{669}$ thick Mylar.

Two-arm spectrometer (TAS). A two-arm spectrom- ${ }^{671}$ eter was placed downstream of the target and was used ${ }^{672}$ to detect the two protons from the $(p, 2 p)$ reaction that ${ }^{673}$ emerge at $24^{\circ}-37^{\circ}$. The vertical acceptance of each arm ${ }^{674}$ equals $\pm 7^{\circ}$. These laboratory scattering angles corre- ${ }^{675}$ spond to $90^{\circ}$ QE scattering in the two-protons center-of- ${ }^{676}$ mass (c.m). Each spectrometer arm consisted of scintilla- ${ }^{677}$ tor trigger counters (TC), gas electron multiplier (GEM) ${ }^{678}$ stations, and multi-gap resistive plate chamber (RPC) ${ }^{679}$ walls.

Proton tracks are formed using their hit location in ${ }^{681}$ the GEM and RPC walls. These allow determining the ${ }^{682}$ scattered protons angles relative to the incident beam ${ }^{683}$ ion. The vertex resolution along the beam-line direction is $1.8 \mathrm{~cm}(1 \sigma)$ and was measured using a triple-foil lead684 target as detailed in the Online Supplementary Material. 685

The time difference between the RPC and $t_{0}$ signals686 define the proton time of flight (TOF) that, combined687
with the measured track length, is used to determine its momentum. Measurements of gamma rays from interactions with a single-foil lead target were used for absolute time-of-flight calibration and determine a resolution of better 100 ps with respect to $t_{0}$.

Signals from the arm-TC counters were combined with the BC and $\mathrm{BC}-\mathrm{VC}$ scintillators to form the main ${ }^{12} \mathrm{C}(p, 2 p)$ reaction trigger for the experiment. Additional triggers were set up for monitoring and calibration purposes. More details on the detectors can be found in the Online Supplementary Material.

Reaction Vertex and Proton Identification. The $z$-position of the reaction vertex is reconstructed from two tracks in the TAS, while the $(x, y)$ position is obtained from the extrapolated MWPC track in front of the target since this system provides a better position resolution. Details about the algorithm and performance can be found in the Online Supplementary Materials.

The reconstructed vertex position along the beam-line and transverse to it with the liquid-hydrogen target inserted is shown in Extended Data Fig. 1. Clearly, the structure of the target is reconstructed, including the $\mathrm{LH}_{2}$ volume but also scattering from other in-beam materials such as the target walls, styrofoam cover, and various isolation foils. The vertex quality is ensured by requiring that the minimum distance between the two tracks, which define the vertex, is smaller 4 cm . In addition, we place a selection on the absolute $z$-vertex requiring it reconstructs within $\pm 13 \mathrm{~cm}$ from the center of the target.

Scattering at the target vessel that was not rejected by the veto counter is removed by a cut on the $(x, y)$-vertex direction, choosing the strong peak at the entrance of the target (Extended Data Fig. 1).

Having determined the tracks and the vertex, the momenta of the presuming two protons are calculated with respect to the incoming beam direction and using the time-of-flight information between the target and the RPC.

In order to select QFS $(p, 2 p)$ events, other particles that also create a track but originating from e.g. inelastic reactions like pions need to be rejected. We apply several criteria, that are further outlined in the next section, but the basic selection is applied to the velocity correlation between the two measured particles which is shown in Supplementary Material Fig. 3a. In the analysis, every particle must pass the velocity condition $0.8<\beta<0.96$ that removes fast and slow pions in coincidence with another particle.

Fragment Detection. Nuclear fragments following the $(p, 2 p)$ reaction are emitted at small angles with respect to the incident beam with momentum that is similar to the beam momentum. Three silicon ( Si ) planes and two

MWPCs are placed in the beam-line downstream the tar-743 get to measure the fragment scattering angle. Follow-744 ing the MWPCs the fragments enter a large acceptance ${ }_{745}$ $2.87 \mathrm{~T} \cdot \mathrm{~m}$ dipole magnet, and are bent according to their $\mathrm{r}_{746}$ momentum-to-charge ratio $(P / Z)$, i. e. magnetic rigidity.747 Following the magnet, two drift chambers (DCH) with $8_{748}$ wire-planes each are used to measure the fragment trajectory.

The fragment momenta are determined from the mea-750 surement of their bending angle in the magnet. Fragment ${ }_{751}$ identification (nuclear mass and charge) is done using ${ }_{752}$ their bend in the magnetic field and energy deposition ${ }_{753}$ in two scintillator BCs $(3,4)$ placed between the target ${ }_{754}$ and the magnet entrance, see Fig. 1b. The latter is pro-755 portional to the sum of all fragment charges squared,756 $Z_{\text {eff }} \equiv \sqrt{\sum Z^{2}}$.

Fragment Momentum and Identification. We fol-759 low a simulation-based approach to derive $P / Z$ from a760 multi-dimensional fit (MDF) to the measured fragment761 trajectories before and after the magnet. The particle ${ }_{762}$ trajectory is determined using the MWPC-Si tracking763 system before the magnet, and using the DCHs after the ${ }_{764}$ magnet. Both tracks serve as input for the $P / Z$ determi-765 nation.

The momentum resolution was determined using767 empty target measurements of ${ }^{12} \mathrm{C}$ ions and found to768 equal $0.7 \mathrm{GeV} / \mathrm{c}(1.5 \%)$ (Supplementary Fig. 2). This769 resolution is consistent with the resolution expected from ${ }_{770}$ our simulation (accounting for the incoming beam energy ${ }_{771}$ spread). The achieved momentum accuracy is evaluated ${ }_{772}$ to equal $0.2 \%$.

The fragment tracking efficiency, including the de-774 tection efficiency of the upstream MWPC-Si, down-775 stream DCH detectors, and track reconstruction algo-776 rithm equals $\sim 50 \%$. See online Supplementary Materi-777 als for details on the tracking algorithms and its perfor-778 mance.

Figure 1 illustrates an example of this fragment identi-780 fication from the experimental data using $P / Z$ obtained781 by the MDF vs. total charge measured in the scintilla-782 tors.

This work focuses only on fragments with nuclear ${ }_{783}$ charge of 4 or larger with a single track matched between784 the upstream and downstream tracks, with or without a785 proton signal in the TAS. Therefore, although the charge786 of the fragments is only measured as integrated signal in ${ }_{787}$ BC 3 and BC 4 counters, the Boron isotopes can be se-788 lected unambiguously since no possible combination of ${ }_{789}$ fragments could otherwise mimic a signal amplitude pro-790 portional to $\sum Z^{2}=25$. In the case of ${ }^{10} \mathrm{Be}$, the only ${ }_{791}$ other fragment of interest here with $Z_{\text {eff }}=4$, contam-792 ination from within the resolution is excluded by using ${ }_{793}$ the additional $P / Z$ information. ${ }^{10} \mathrm{Be}$ is the only possi- -94 ble fragment with $P / Z \sim 10 \mathrm{GeV} / \mathrm{c}$ in that region and is $\mathrm{S}_{795}$ well separated.

Besides requesting a good vertex and single globaltrack events, we employ $Z_{\text {eff }}$ and $P / Z$ selection criteria to identify ${ }^{11} \mathrm{~B},{ }^{10} \mathrm{~B}$, or ${ }^{10} \mathrm{Be}$, namely a two-dimensional charge selection as for the incoming charge but using BC3 and BC4, and additionally a two-dimensional selection in $P / Z$ vs. $Z_{\text {eff }}$ as shown in Fig. 1 with a $2 \sigma$ selection.

Single heavy fragment detection efficiencies. As discussed above, this work is limited to reactions with a single heavy $(Z \geq 4)$ fragment in the final state. The detection of such a fragments depends on the ability of the fragment to emerge from the liquid hydrogen target without re-interacting, our ability to identify its charge in the two BCs downstream of the target, and reconstruct its tracks before and after the magnet.

We extract the efficiencies for the charge and track reconstruction using data collected with a beam and no target. We assume that within the quoted uncertainties below, there is no difference between the efficiencies for detecting $Z=6$ and $Z=4$ and 5 fragments.

The charge determination efficiency in the BCs downstream the target was determined by selecting incident ${ }^{12} \mathrm{C}$ ions based on their energy loss in the BC 1 and BC 2 counters (see Extended Data Fig 8). We then examine the fraction of those ${ }^{12} \mathrm{C}$ ions also identified by their energy loss in BC3 and BC4 downstream the target. This fraction defines a charge identification efficiency of $\epsilon_{z}=(83 \pm 6) \%$, where the uncertainty is obtained from examining different energy-deposition cuts of $2-5 \sigma$. The fraction of such $Z_{\text {in }}=Z_{\text {out }}=6$ events with a single reconstructed track and $P / Z=8 \mathrm{GeV} / \mathrm{c}$ is equal to $(50 \pm) 5 \%$. In case of ${ }^{10} \mathrm{Be}$ fragments the tracking efficiency is $(50 \pm 15) \%$ due to larger systematic effects.

When the liquid-hydrogen target is in place, fragments are attenuated due to their interaction in the target after the fundamental ${ }^{12} \mathrm{C}$-p interaction. We estimate this loss assuming a target density of $\rho=0.07 \mathrm{~g} / \mathrm{cm}^{3}$ and a total reaction cross section of $\sigma_{\text {tot }}=220 \pm 10 \mathrm{mb}$. The overall flux reduction factor was estimated to equal $a t t=\exp \left(-\rho \sigma_{\mathrm{tot}} \cdot(L / 2)\right)=0.87 \pm 0.01$ for $L / 2=15 \mathrm{~cm}$ and was corrected for in the data analysis.

Single-Proton Knockout Data-Analysis. The basic selection criteria for any analysis require an incoming ${ }^{12} \mathrm{C}$, as well as a good reaction vertex, while the particles in the arms pass the velocity condition. That is called the inclusive $(p, 2 p)$ reaction channel which is dominated by FSI and IE scattering. The exclusive reaction channel requires the additional detection of a ${ }^{11} \mathrm{~B}$ fragment, with a single global-track condition and defines the one-proton Quasi-Free Scattering (QFS), still being contaminated by IE scattering.

We select explicitly bound states in ${ }^{11} \mathrm{~B}$ where the $3 / 2^{-}$ground-state is populated with the largest cross section while bound excited states that de-excite via $\gamma$ ray emission cannot be distinguished. However, those
excited states are also populated in a p-shell knockout, 847 but only with a small cross section as found in a previous848 study [16]. The only two significant $1 / 2^{-}$and $3 / 2^{-}$states ${ }_{849}$ contribute with $10 \%$ and $8 \%$ percent to the total cross850 sections, respectively. In order to identify real $(p, 2 p) \mathrm{QE}_{851}$ events and reject IE events, we chose missing energy and $8_{52}$ the in-plane opening angle of the two particles measured $8_{53}$ in the arms, looking at quantities that are reconstructed $8_{84}$ from that independent detection system.

The missing energy is defined as $E_{\text {miss }}=m_{p}-e_{\text {miss }, 856}$ where $e_{\text {miss }}$ is the energy component of $\bar{p}_{\text {miss }}$ in the rests ${ }_{857}$ frame of the ${ }^{12} \mathrm{C}$ nucleus. The boost from the laboratory ${ }_{858}$ system into the rest frame is applied along the incoming-859 beam direction considering the reduced beam energy at860 the reaction vertex. The selection region for QE events is861 defined in the exclusive channel with fragment selection,862 in a $2 \sigma$ ellipse as indicated in Fig. 2. The IE part is de-863 fined from the remaining events within the other ellipse.864 The same criteria are applied in the inclusive channel. 865 Correlations in other kinematical variables are shown in866 Extended Data Fig. 9.

867
The $M_{\text {miss }}^{2}$ spectrum in Extended Data Fig. 2a shows ${ }^{668}$ the squared missing mass for the exclusive channel before869 and after applying the QE cut, clearly showing that we870 select background-free QE events from around the proton ${ }_{871}$ mass. A lower boundary in the squared missing mass of $\mathrm{f}_{82}$ $M_{\text {miss }}^{2}>0.47 \mathrm{GeV}^{2} / c^{4}$ is only applied for sanity. While we are aware of the fact that the chosen selection crite-873 ria might influence other kinematical variables of $\bar{p}_{\text {miss ,874 }}$ we show the momentum distributions and angular cor-875 relations with less strict selection in the Extended Data876 (Figs. 2, 3) which do not show a different behavior and ${ }_{877}$ are also described well by the simulation.

Single-Proton Knockout Simulation. We compare the QFS-elastic ${ }^{12} \mathrm{C}\left(p, 2 p^{11} \mathrm{~B}\right)$ data to a MonteCarlo simulation for the proton quasielastic scattering off a moving ${ }^{12} \mathrm{C}$. In the calculation, the ${ }^{12} \mathrm{C}$ system is treated as spec- ${ }^{879}$ tator plus initial proton, $\mathbf{p}_{12}{ }^{12}=\mathbf{p}_{11 \mathrm{~B}}+\mathbf{p}_{i}$. The proton's ${ }_{880}$ initial momentum distribution in ${ }^{12} \mathrm{C}$ is sampled from $\mathrm{a}_{881}^{880}$ theoretical distribution that is calculated from a Woods ${ }_{882}^{881}$ Saxon potential for $p_{3 / 2}$ proton with binding energy of ${ }_{883}^{882}$ $S_{p}=15.96 \mathrm{MeV}$, not including absorption effects [? ].

We raffle $\left|\mathbf{p}_{i}\right|$ from the total-momentum distribution ${ }_{885}^{884}$ and randomize its direction. The proton's off-shell mass ${ }_{886}^{855}$ is

$$
m_{\mathrm{off}}^{2}=m_{12 \mathrm{C}}^{2}+m_{{ }_{11} \mathrm{~B}}^{2}-2 m_{12 \mathrm{C}} \cdot \sqrt{m_{1{ }_{1} \mathrm{~B}}^{2}+\mathbf{p}_{i}^{2}} . \quad(3)_{888}^{887}
$$

The two-body scattering between the proton in ${ }^{12} \mathrm{C}$ and ${ }^{889}$ the target proton is examined in their c.m. frame. The ${ }_{890}$ elastic-scattering cross section is parameterized from free ${ }_{891}{ }^{890}$ $p p$ differential cross section data. Following the scatter- ${ }_{892}$ ing process, the two protons and ${ }^{11} \mathrm{~B}$ four-momenta are $_{893}^{892}$ boosted back into the laboratory frame.

The two-arm spectrometer was placed such that it cov-894 ers the symmetric, large-momentum transfer, $90^{\circ}$ c.m. 895
scattering region. Given the large forward momentum, the detectors cover an angular acceptance of $\sim 24^{\circ}<$ $\theta<37^{\circ}$ in the laboratory system which corresponds to $\sim 74^{\circ}<\theta_{\text {c.m. }}<104^{\circ}$ in the c.m. frame.

In order to compare the simulated data to the experimental distributions, the simulation is treated and analyzed in the same way as the experimental data. Experimental acceptances are included. Resolution effects are convoluted to proton and fragment momenta. The proton time-of-flight resolution is $0.9 \%$ and the angular resolution 5 mrad , while the fragment momentum resolution is $1.5 \%$ and the angular resolution 1.1 mrad in $x$ and $y$. The angular resolution of the incoming beam is 1.1 mrad . The beam-momentum uncertainty, examined as Gaussian profile, does not significantly impact rest-frame momentum distribution as long as the nominal beam momentum is the same used for experimental data and the simulated ion. However, the momentum distributions are dominated by the width of the input distribution. When comparing, the simulation is normalized to the integral of the experimental distributions. We find overall good agreement between experiment and MonteCarlo simulation showing that the reaction mechanism and QE events sample the proton's initial momentum distribution inside ${ }^{12} \mathrm{C}$. Additional data-simulation comparison are shown in Extended Data Fig. 3.

## Extracting QE ${ }^{12} \mathrm{C}(p, 2 p \mathrm{X}) /{ }^{12} \mathrm{C}(p, 2 p)$ ratios for ${ }^{11} \mathrm{~B}$,

 ${ }^{10} \mathrm{~B}$, and ${ }^{10} \mathrm{Be}$. To extract the fraction of $(p, 2 p)$ events with a detected heavy fragment from the inclusive $(p, 2 p)$ sample, we need to apply several corrections on the number of measured events which do not cancel in the ratio for the exclusive channel:$$
\begin{equation*}
\frac{{ }^{12} \mathrm{C}(p, 2 p) \mathrm{X}}{{ }^{12} \mathrm{C}(p, 2 p)}=\frac{R}{\epsilon_{Z} \times \epsilon_{\text {track }} \times a t t}, \tag{4}
\end{equation*}
$$

where

- $R$ is the measured ratio based on the number of QE events for each sample. We added a cut on low missing momentum, $p_{\text {miss }}<250 \mathrm{MeV} / \mathrm{c}$, in addition to the missing energy and in-plane opening angle cuts to clean up the inclusive ( $p, 2 p$ ) sample, and focusing at the region of small missing momentum.
- $\epsilon_{Z}$ is the outgoing fragment charge efficiency. We consider a value of $\epsilon_{Z}=(83 \pm 6) \%$, see discussion above.
- $\epsilon_{\text {track }}$ is the outgoing fragment tacking efficiency. We consider a value of $\epsilon_{\text {track }}=(50 \pm 5) \%$ for ${ }^{11,10} \mathrm{~B}$, and $\epsilon_{\text {track }}=(50 \pm 15) \%$ for ${ }^{10} \mathrm{Be}$, see discussion above.
- att is the attenuation of the outgoing fragment due to secondary fragmentation in the target. After
the reaction, the flux of the fragment depends on929 the distance the fragment needs to travel in the990 target $L-d z$, where $L$ is the target length, and $d z_{931}$ the interaction point at the target $(d z=0$ at the932 target entrance). The attenuation is given by the933 reduction of this flux

$$
\begin{equation*}
a t t=\exp \left(-\rho \sigma_{\mathrm{tot}}(L-d z)\right) \tag{5}
\end{equation*}
$$

where $\rho$ is the target density and $\sigma_{\text {tot }}$ the reaction ${ }_{938}^{937}$ cross section. We estimate the overall attenuation factor by considering a reaction at the center of the target $(L-d z)=15 \mathrm{~cm}$, and using $\rho=0.07 \mathrm{~g} / \mathrm{cm}^{3}$, $\sigma_{\text {tot }}=220 \pm 10 \mathrm{mb}$ (calculated in eikonal theory939 for ${ }^{11} \mathrm{~B}$ and assumed to be the same for ${ }^{10} \mathrm{~B},{ }^{10} \mathrm{Be}$ ),940 such that att $=0.87 \pm 0.01$.

From Eq. 4 we see that there are four individ- ${ }^{942}$ ual contributions to the uncertainty in the ratio of ${ }_{944}^{943}$ ${ }^{12} \mathrm{C}(p, 2 p \mathrm{X}) /{ }^{12} \mathrm{C}(p, 2 p)$ : statistics $\Delta R$, efficiencies $\left(\Delta \epsilon_{Z_{945}}\right.$ and $\Delta \epsilon_{\text {track }}$ ) and attenuation ( $\Delta a t t$ ). In addition we have a systematic uncertainty due to the event selection ${ }_{947}{ }^{946}$ cuts: each event cut was modified over a given $\sigma$ range and the resulting change in the relative yield was taken ${ }^{948}$ as the systematic uncertainty. The $2 \mathrm{D} E_{\text {miss }}$-angle cut ${ }^{94}$ was varied like $2 \sigma \pm \sigma / 2$, and the $p_{\text {miss }}<250 \mathrm{MeV} / \mathrm{c}$ cut by $\pm 50 \mathrm{MeV} / \mathrm{c}$. Combining these contributions we ${ }^{950}$ obtain the following fractions:

$$
\begin{aligned}
& \frac{{ }^{12} \mathrm{C}(p, 2 p)^{11} \mathrm{~B}}{{ }^{12} \mathrm{C}(p, 2 p)}=(38.3 \pm 5.6) \% \\
& \frac{{ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}}{{ }^{12} \mathrm{C}(p, 2 p)}=(10.5 \pm 1.8) \% \\
& \frac{{ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{Be}}{{ }^{12} \mathrm{C}(p, 2 p)}=(1.6 \pm 0.7) \%
\end{aligned}
$$

Selecting high-momentum SRC events. We961 study SRC events by focusing on ${ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{~B}$ and962 ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{Be}$ events. We start with the two-proton de-963 tection following the vertex and $\beta$ cuts mentioned above. 964 The first cut applied to select SRC breakup events is too6s look at high-missing momentum, $p_{\text {miss }}>350 \mathrm{MeV} / \mathrm{c} . \quad{ }_{966}$

The remaining event selection cuts are chosen follow-967 ing a GCF simulation of the ${ }^{12} \mathrm{C}(p, 2 p)$ scattering reaction968 off high missing-momentum SRC pairs. After applying969 the high-missing momentum cut, we look at the in-plane9ro opening angle between the protons for different cases:971 (a) inclusive ${ }^{12} \mathrm{C}(p, 2 p)$ events, (b) GCF simulated events,972 (c) exclusive ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}$ events, and (d) ${ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{Be973}$ events. The GCF predicts relatively large opening an-974 gles that guides our selection of in-plane opening angleg75 larger than $63^{\circ}$ (that also suppresses contributions from inelastic reactions that contribute mainly at low in-plane angles).

Next we apply a missing-energy cut to further exclude inelastic and FSI contributions that appear at very large
missing-energies. To this end we examine the correlation between the missing energy and missing momentum, after applying the in-plane opening angle cut, for the full range of the missing momentum (i.e., without the $p_{\text {miss }}>350 \mathrm{GeV} / \mathrm{c}$ cut), see Extended Data Fig. 4. We chose to cut on $-110<E_{\text {miss }}<240 \mathrm{MeV}$.

To optimize the selection cuts we use the total energy and momentum conservation in reactions at which we identified a fragment $\left({ }^{10} \mathrm{~B}\right.$ or $\left.{ }^{10} \mathrm{Be}\right)$. We can write the exclusive missing-momentum in these reactions as

$$
\begin{equation*}
\bar{p}_{\text {miss }, \text { excl. }}=\bar{p}_{12 \mathrm{C}}+\bar{p}_{t g}-\bar{p}_{1}-\bar{p}_{2}-\bar{p}_{{ }^{10} \mathrm{~B}(\mathrm{Be})} . \tag{6}
\end{equation*}
$$

Neglecting the center-of-mass motion of the SRC pair, the missing-mass of this 4 -vector should be equal to the nucleon mass $m_{\text {miss }, \text { excl. }}^{2} \simeq m_{N}^{2}$. The distributions for ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}$ and ${ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{Be}$ events that pass the missing-momentum, in-plane opening angle, and missingenergy cuts are shown in Extended Data Fig. 5 together with the GCF simulation. To avoid background events with very small values of the missing-mass we choose to cut on $M_{\text {miss }, \text { excl. }}^{2}>420 \mathrm{MeV}^{2} / \mathrm{c}^{4}$. After applying this cut we are left with $26{ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{~B}$ and $3^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{Be}$ events that pass all the SRC cuts.

Characterizing the selected ${ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{~B}$ events. The majority of SRC events with a detected fragment comes with ${ }^{10}$ B. In the Extended Data we present some kinematical distributions of these selected events together with the GCF simulation. Extended Data Fig. 6 shows the total missing-momentum as well as its different components, and also the same for momentum of the ${ }^{10} \mathrm{~B}$ fragment, which is equivalent for the center-of-mass motion of the SRC pair. Overall good agreement between the data and simulation is observed.

For ${ }^{10} \mathrm{~B}$, if the scattering was done off an $n p$ SRC pair, then the exclusive missing-momentum we defined in Eq. 6 should be equal to the initial momentum of the undetected neutron $\bar{p}_{\text {miss }, \text { excl. }} \simeq \bar{p}_{n}$. Assuming that the missing momentum $\bar{p}_{\text {miss }}$ is the initial momentum of the proton inside the carbon nucleus, then for an $n p$ SRC pair with large relative momentum and small center-ofmass momentum for the two nucleons, the opening angle between their vector should show a clear back-to-back correlation, i.e., 180 degrees. This angular distribution is shown in Extended Data Fig. 7, for the total opening angle and the one in the transverse direction. A strong peak can be observed in both distributions, especially in the transverse distribution due to its better resolution. The 1D distribution for the missing energy is shown in Extended Data Fig. 7c.

Extracting SRC ${ }^{12} \mathrm{C}(p, 2 p \mathrm{X}) /{ }^{12} \mathrm{C}(p, 2 p)$ ratios for ${ }^{10} \mathrm{~B}$ and ${ }^{10} \mathrm{Be}$. In order to extract these fractions, we consider SRC events that pass the missing-momentum cut, inplane opening angle cut, and missing-energy cut, without
the cut on the exclusive missing mass which requires the detection of a fragment. The corrections for these ratios and the contributions to their uncertainties are the same as discussed for the QE case. For the study of the systematic uncertainty due to the event selection cuts, we vary $p_{\text {miss }}>350 \mathrm{MeV} / \mathrm{c}$ by $\pm 50 \mathrm{MeV} / \mathrm{c}$, the in-plane opening angle $>63^{\circ}$ by $\pm 1^{\circ}$, and $-110<E_{\text {miss }}<240 \mathrm{MeV}$ by $\pm 25 \mathrm{MeV}$. We obtain the following fractions:

$$
\begin{aligned}
\frac{{ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{~B}}{{ }^{12} \mathrm{C}(p, 2 p)} & =4.4 \pm 1.1 \% \\
\frac{{ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{Be}}{{ }^{12} \mathrm{C}(p, 2 p)} & =1.2 \pm 0.6 \%
\end{aligned}
$$



Extended Data Fig. 1. Reaction Vertex. Reconstructed reaction vertex in the $\mathrm{LH}_{2}$ target. The position along the beam line is shown in (a), scattering off in-beam material is also visible. For comparison, a sketch of the target device is shown in (b), scattering reactions are matched at the entrance window, the target vessel, styrofoam cover. A selection in $z<|13 \mathrm{~cm}|$ is applied to reject such reactions. The $x y$ position at the reaction vertex is shown in (b), measured with the MWPCs in front of the target. The dashed line indicates the target cross section. Scattering at the target vessel at around ( $x=2 \mathrm{~cm}, y=2 \mathrm{~cm}$ ) can be seen which is removed by the selection as indicated by the red circle.


Extended Data Fig. 2. Proton-proton Correlations. (a) Proton missing mass for ${ }^{12} \mathrm{C}(p, 2 p){ }^{11} \mathrm{~B}$. After the QE selection in $E_{\text {miss }}$ and in-plane opening angle, the distribution is shown in dark blue dots with artificial offset for better visibility. We apply an additional missing mass cut $M_{\text {miss }}^{2}>0.47 \mathrm{GeV}^{2} / \mathrm{c}^{4}$, indicated by the dashed line. (b) Angular correlation between the two ( $p, 2 p$ ) protons for quasielastic ( $M_{\text {miss }}^{2}>0.55 \mathrm{GeV}^{2} / \mathrm{c}^{4}$ ) and inelastic ( $M_{\text {miss }}^{2}<0.55 \mathrm{GeV}^{2} / \mathrm{c}^{4}$ ) reactions only selected by missing mass. The QE events show a strong correlation with a polar opening angle of $\sim 63^{\circ}$. (c) The off-plane opening angle for $M_{\text {miss }}^{2}>0.55 \mathrm{GeV}^{2} / \mathrm{c}^{4}$ peaks at $180^{\circ}$ as expected. Notice that our experiment has a limited acceptance.


Extended Data Fig. 3. $\mid$ Missing and Fragment Momentum. Momentum components for quasielastic ${ }^{12} \mathrm{C}(p, 2 p){ }^{11} \mathrm{~B}$ reactions compared to simulation. The proton missing momentum is shown for (a)-(d), while (e)-(h) show the same distributions but with missing mass cut only ( $0.55 \mathrm{GeV}^{2} / \mathrm{c}^{4}<M_{\text {miss }}^{2}<1.40 \mathrm{GeV}^{2} / \mathrm{c}^{4}$ ). Agreement with the simulation is found in both cases. The shift in $p_{\text {miss }, z}$ is associated with a strong $p p$ cross-section scaling with c.m. energy. For the same conditions the ${ }^{11} \mathrm{~B}$ fragment momentum components are shown in (i)-(l), and (m)-(p). The dashed lines in $p_{11_{\mathrm{B}, z}}$ indicate the momentum acceptance due to the fragment selection in $P / Z$.


Extended Data Fig. 4. SRC Selection. The missing energy vs. missing momentum for (a) GCF simulation, (b) ${ }^{12} \mathrm{C}(p, 2 p)$, (c) ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}$, and (d) ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{Be}$ events that pass the in-plane opening angle cut. The selection cuts in $-110 \mathrm{MeV}<E_{\text {miss }}<240 \mathrm{MeV}$ and $p_{\text {miss }}>350 \mathrm{MeV} / \mathrm{c}$ are indicated by the dashed lines.


Extended Data Fig. 5. $\mid$ SRC Missing Mass. The exclusive missing mass distributions for ${ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{~B}$ events and ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{Be}$ events that pass the missing momentum, in-plane opening angle, and missing energy cuts together with the GCF simulation (orange). The blue line represents the applied cut on the exclusive missing-mass $M_{\text {miss,excl. }}^{2}>0.42 \mathrm{GeV}^{2} / \mathrm{c}^{4}$.


Extended Data Fig. 6. SRC Missing and Fragment Momentum. The missing momentum distributions (a)-(d) for the selected ${ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{~B}$ SRC events (black) together with the GCF simulation (orange). Acceptance effects, especially in the transverse direction are well captured by the simulation. The lower figures (e)-(h) show the fragment momentum distributions in the rest frame of the nucleus for the same selected ${ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{~B}$ SRC events (black) together with the GCF simulation (orange).


Extended Data Fig. 7. | SRC Opening Angle. (a) Opening angle between the missing momentum and the neutron reconstructed momentum for the selected ${ }^{12} \mathrm{C}(p, 2 p)^{10} \mathrm{~B}$ SRC events (black) together with the GCF simulation (orange). (b) The transverse opening angle. (c) Missing energy distribution for the selected ${ }^{12} \mathrm{C}(p, 2 p){ }^{10} \mathrm{~B}$ SRC events (black) together with the GCF simulation (orange).


Extended Data Fig. 8. Incoming Beam Ions. Charge identification of incoming beam ions measured event-wise using the two BC counters in front of the target ( $\mathrm{BC} 1, \mathrm{BC} 2$ ). Besides ${ }^{12} \mathrm{C}$, the $A / Z=2$ nuclei ${ }^{14} \mathrm{~N}$ and ${ }^{16} \mathrm{O}$ are mixed in the beam with less intensity.


Extended Data Fig. 9. | Kinematical Correlations in single-proton Knockout. Figures (a)-(c) show the inclusive ${ }^{12} \mathrm{C}(p, 2 p)$ channel, and (d)-(f) the exclusive channel, i.e. with tagging ${ }^{11} \mathrm{~B}$. In both cases, the quasielastic peak (QE) and inelastic (IE) events are visible, while ISI/FSI are reduced by the fragment tagging. Eventually, a selection in $E_{\text {miss }}$ and inplane opening angle was chosen to select QE events, see Fig. 2. The distributions are not corrected for fragment-identification efficiency.

## Supplementary Materials for: Unperturbed inverse kinematics nucleon knockout measurements with a $48 \mathrm{GeV} / \mathrm{c}$ Carbon beam

1. BM@N Detector Configuration. The BM@N experimental setup at JINR allows to perform fixed-target experiments with high-energy nuclear beams that are provided by the Nuclotron accelerator [22]. Our experiment was designed such that in particular protons under large laboratory angles can be measured. That dictated a dedicated upstream target position and modified setup as used for studies of baryonic matter, but using the same detectors [23]. The setup comprises a variety of detection systems to measure positions, times, and energy losses to eventually obtain particle identification and determine their momenta. We are using scintillator detectors, multi-wire proportional chambers, Silicon strip detectors, drift chambers, gas-electron multipliers, and resistive plate chambers as shown in Fig. 1 and described in the following.

Beam Counters (BC): A set of scintillator counters, installed in the beam-line, based on a scintillator plate with an air light guide read in by a PMT were used. Two counters (BC1 and BC2) were located before the target: BC1 was located at the beam entrance to the experimental area. It is a 15 cm in diameter and 3 mm thick scintillator read out by a XP2020 Hamamatsu PMT. BC2 was located right in front of the target and provided the start time $t_{0}$. This scintillator is of $4 \mathrm{~cm} \times 6 \mathrm{~cm} \times 0.091 \mathrm{~cm}$ size, and was tilted by $45^{\circ}$ so that its effective area was around $4 \mathrm{~cm} \times$ 4 cm . It was read out by a Photonis MCP-PMT PP03656. Two counters (BC3 and BC4), each read out by a XP2020 PMT, were located downstream the target to measure the total charge of the fragment particles in each event. BC3 was based on $10 \mathrm{~cm} \times 10 \mathrm{~cm} \times 0.29 \mathrm{~cm}$ scintillator, and the BC 4 was $7 \mathrm{~cm} \times 7 \mathrm{~cm} \times 0.3 \mathrm{~cm}$. A veto-counter with the dimensions of $15 \mathrm{~cm} \times 15 \mathrm{~cm} \times 0.3 \mathrm{~cm}$ and a hole of 5 cm in diameter was located between BC 2 and the target. It was read out by an XP2020 PMT and was included in the reaction trigger to suppress the beam halo.

Multi-wire proportional chambers (MWPC): We used two pairs of MWPC chambers, one before and one after the target for in-beam tracking [24]. Each chamber has six planes X, U, V, X', U', V'. The X wires are aligned in $y$ direction, U and V planes are oriented $\pm 60^{\circ}$ to X . The distance between wires within one plane is 2.5 mm , the distance between neighboring planes is 1 cm . In total 2304 wires are read out. The active area of each chamber is $500 \mathrm{~cm}^{2}(22 \mathrm{~cm} \times 22 \mathrm{~cm})$. About 1 m separated the chambers in the first pair upstream the target and 1.5 m between the chambers in the second pair downstream the target. The polar angle acceptance of the chambers downstream the target is $1.46^{\circ}$. The efficiency of the MWPC pair in front of the target for particles with the charge of 6 is $(92.2 \pm 0.1) \%$. The efficiency of the MWPC pair after the target is $(88.8 \pm 0.7) \%$ for ions with $Z=6$, and $(89.1 \pm 0.2) \%$ for ions with $Z=5$.

Silicon trackers (Si): As additional tracking system, three Silicon planes [25] were located after the target. In combination with the MWPCs after the target, an increased tracking efficiency is reached. The first and second Si planes share the same housing. The first plane consists of four modules, the second plane has two modules, the third plane has eight modules. Each module has $640 X$-strips (vertical) and $640 X^{\prime}$-strips (tilted $2.5^{\circ}$ relative to $X$ strips). The first plane has smaller modules with $614 X^{\prime}$ strips and $640 X$ strips. The first two planes and the third plane are separated by 109 cm . The angular acceptance of the Si detector system is $1.58^{\circ}$. The design resolution of 1 mm for the $y$-coordinate and $50 \mu \mathrm{~m}$ for the $x$-coordinate was achieved in the experiment. The efficiency and acceptance of the Si tracking system, determined for reconstructed MWPC tracks before the target, is $(89.1 \pm 0.8) \%$ for outgoing $Z=6$ ions, and ( $88.8 \pm 0.7$ ) \% for $Z=5$ isotopes.

Combined tracks were reconstructed using information from the MWPC pair after the target and the Si detectors. The efficiency to find a Si track or a track in the second pair of the MWPC or a combined track, evaluated for events with reconstructed the track before the target, is $(97.7 \pm 0.2) \%$ for $Z=6$ ions, and $(97.9 \pm 0.3) \%$ for $Z=5$ isotopes.

Drift Chambers ( DCH ): Two large-area drift chambers, separated by 2 m , are located downstream the bending magnet. These detectors are used for tracking the charged fragments in the forward direction. Together with the upstream-tracking information of MWPC and Si in front of the magnet, the bending angle and thus the magnetic rigidity of the ions is determined. Each chamber consists of eight coordinate planes: X, Y, U, V, where X wires are parallel to the $x$-axis, Y wires are at $90^{\circ}$ relative to X , and U and V are tilted by $+/-45^{\circ}$, respectively. The distance between wires within one plane is 1 cm , in total 12,300 wires are read out. The spatial resolution, given as residual resolution, for one plane ( $\mathrm{X}, \mathrm{Y}, \mathrm{U}$, or V ) is around $200 \mu \mathrm{~m}(1 \sigma)$. It is obtained by the difference between the measured hit and the position from the reconstructed track at that plane. The efficiency of around $98 \%$ ( $97 \%$ ) for each plane was estimated for the first (second) DCH based on the reconstructed matched track in the second (first) DCH. A reconstructed track within one DCH chamber has at least 6 points.

Two-Arm Spectrometer (TAS): In order to detect light charged particles from the target, scattered to large laboratory angles, the symmetric two-arm detection system around the beamline was constructed for this experiment. Each arm, placed horizontally at $+/-29.5^{\circ}$ (center) with respect to the beamline, was configured by the following detectors along a 5 m flight length: scintillator - scintillator - GEM - RPC. Each arm holds one GEM (Gas-Electron

Multiplier) station at a distance of 2.3 m from the target. Each GEM station contained two GEM planes with the dimensions of $66 \mathrm{~cm}(x) \times 40 \mathrm{~cm}(y)$ each, placed on top of each other (centered at $y=0)$ to increase the overall sensitive area to $66 \mathrm{~cm} \times 80 \mathrm{~cm}$. The spatial resolution of the GEM hit is $300 \mu \mathrm{~m}$. Each RPC detector station, located at the end of the two arms at a distance of 5 m from the target, has a sensitive area of $1.1 \mathrm{~m} \times 1.2 \mathrm{~m}$. Each station consists of two gas boxes next to each other, each holds 5 multi-gap Resistive-Plate Chambers (RPCs) planes inside [26]. Two neighboring planes within one box overlap by 5 cm in $y$ direction. Each plane has 30 cm long 1.2 cm wide horizontally aligned readout strips with a pitch of 1.25 cm . The measured $x$ position is obtained by the time difference measured between the ends of one strip. The resolution is 0.6 cm . Together with the position information from the GEM, tracks are reconstructed along the arms and the time-of-flight information is taken from the RPC system. The clustering algorithm was applied to the neighboring strips fired in the same event. In addition, each arm was equipped with two trigger counters (TC), scintillator planes close to the target. The X planes consisted of two scintillators with dimensions of $30 \mathrm{~cm} \times 15 \mathrm{~cm} \times 0.5 \mathrm{~cm}$ located vertically side by side and read out by a Hamamatsu 7724 PMT each. The distance between the target center and the X-counters was 42 cm . Each Y plane was a single scintillator piece of $50 \mathrm{~cm} \times 50 \mathrm{~cm} \times 2 \mathrm{~cm}$, read out by two ET9954KB PMTs. The distance between the target center and the Y planes was 170 cm . Each arm covers a solid angle of 0.06 sr , limited by the RPC acceptance.

Data Acquisition System (DAQ) and Triggers: The DAQ performs readout of the front-end electronics of the BM@N detectors event-by-event based on the information of the trigger system [27]. Timing information were read out from DCH and RPC (two-edge time stamp) and processed by Time to Digital Converters (TDC) based on HPTDC chip with typical accuracy of 20 ps for RPC and 60 ps for DCH. The amplitude information were read out from coordinate detector systems of Si and GEMs and processed by Amplitude to Digital Converters (ADC). The last $30 \mu$ s of waveforms were read back. The clock and time synchronization was performed using White Rabbit protocol. As mentioned in the main text, the reaction trigger was set up requesting an incoming and outgoing ion in coincidence with signals in the left and right arm trigger scintillator-counters (TC). Additional triggers are built from coincident signals in the various scintillator detectors, suited for either calibration purposes or data taking. The trigger matrix is shown in Table I, creating the so-called Beam trigger, Interaction trigger, and the physics triggers AndSRC, and OrSRC. The input signals are BC1, BC2, no veto signal (! $\mathrm{BC}-\mathrm{VC}$ ), and a signal in BC3 which does not exceed a certain upper threshold (!hBC3). The coincidence condition AndXY requires signals in all TCs in the left and right arm, while OrXY takes the OR between the left and right arm of the spectrometer. The phyiscs data were taken requesting the AndSRC trigger at a rate of about 100 Hz , allowing a livetime of close to $100 \%$.

Supplementary Table I. | Trigger Matrix. Different coincidence triggers for collecting the data.

| Trigger | BC 1 | BC 2 | !BC-VC | !hBC3 | AndXY | OrXY |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Beam | x | x | x |  |  |  |
| Interaction | x | x | x | x |  |  |
| AndSRC | x | x | x | x | x |  |
| OrSRC | x | x | x | x |  | x |

2. Fragment Momentum Calculation Trajectories of charged particles are bent in the large analyzer magnet according to their magnetic rigidity, i.e. momentum-over-charge ratio $B \rho=P / Q$. This allows to determine the fragment total momenta.

For this purpose, simulations of the fragments, propagating in the magnetic field, were carried out using the standard field map of the magnet. The corresponding materials of the beam-line detectors were also implemented in the simulation. The simulated fragments were chosen to have the maximum possible position, angular and momentum spread to cover the entire geometrical acceptance of the magnet and detectors. The output of the simulation is used afterwards as a training sample for the multidimensional fit (MDF) algorithm (https://root.cern.ch/doc/master/classTMultiDimFit.html) in the form of n-tuples which hold positions and angles of the fragment trajectory upstream and downstream of the magnet: $\left(x_{0}, y_{0}, z_{0}, \alpha_{x}, \alpha_{y}\right)$ and $\left(x_{1}, y_{1}, z_{1}, \beta_{x}, \beta_{y}\right)$ respectively. Performing MDF over the training sample yields an analytical fit function $P / Z^{m d f}=$ $f\left(x_{0}, y_{0}, z_{0}, \alpha_{x}, \alpha_{y}, x_{1}, y_{1}, z_{1}, \beta_{x}, \beta_{y}\right)$, which can be applied to the positions and angles measured in the experiment.

In a similar way, a second MDF function for $\alpha_{x}$ angle was derived as $\alpha_{x}^{m d f}=g\left(x_{0}, y_{0}, z_{0}, \alpha_{y}, x_{1}, y_{1}, z_{1}, \beta_{x}, \beta_{y}\right)$. This function is used for the track-matching condition $\left(\alpha_{x}^{m d f}-\alpha_{x}\right)=$ min, which allows to determine whether the tracks in upstream and downstream detection systems belong to the same global track through the magnet.

Having determined the two functions, $\alpha_{x}^{m d f}$ and $P / Z^{m d f}$, experimental data for the reference trajectory of unreacted ${ }^{12} \mathrm{C}$ is used to adjust the input variables' offsets, which reflect the alignment of the real detectors in the experimental setup with respect to the magnetic field. This is achieved by variation of the offsets in the experimental input


Supplementary Fig. 1. Track Matching. (a) Correlation between $\alpha_{x}$ angle measured upstream of the magnet and the $\alpha_{x}^{m d f}$ reconstructed by the MDF. Dashed lines indicate applied cuts for the track matching condition. (b) Residual distribution $\alpha_{x}^{m d f}-\alpha_{x}$ and the applied cuts as in (a).
variables simultaneously for $\alpha_{x}^{m d f}$ and $P / Z^{m d f}$ until the residual between $P / Z^{m d f}$ and its reference value is minimal. The reference value is chosen to be the $P / Z$ of unreacted ${ }^{12} \mathrm{C}$ at the exit of the liquid-hydrogen target. Using this approach a total-momentum resolution of $0.7 \mathrm{GeV} / \mathrm{c}$ for ${ }^{12} \mathrm{C}$ is achieved, as estimated with the empty target data, consistent with the resolution limits of the detection systems, see Fig. 2. The achieved momentum accuracy is evaluated to be $0.2 \%$. Fig. 1 shows the performance of the second MDF function for $\alpha_{x}$. A global track is constructed when the reconstructed $\alpha_{x}^{m d f}$ falls within the $5 \sigma$ gate indicated in the figure. In the analysis, only events with one global track, which combines the up- and downstream detectors, are considered (if not stated differently). In case of ${ }^{11} \mathrm{~B}$ and ${ }^{10} \mathrm{~B}$ only one charged-particle tracks are of interest. At this point we do not fully exploit the multi-track capability of this approach.

The fragment tracking efficiency is $(50 \pm 5) \%$, obtained for an empty target run and given with respect to the an incoming and outgoing $Z=6$ ion. This tracking efficiency includes the involved detector efficiencies, as well as the reconstruction and matching efficiency of good tracks. For the overall fragment identification efficiency an additional ( $83 \pm 6$ ) \% efficiency for the measurement of the outgoing charge needs to be added.
3. Reaction-Vertex Reconstruction The reaction vertex is reconstructed whenever one track is reconstructed in each arm of the TAS. This requires at least one hit in the GEM and RPC systems to form a linear track in each arm. We consider only single-track options from the hit combinations. The coincident two tracks that come closest, formed from all possible hit combinations, determine the vertex position along the beamline in the $z$ direction. Alignment procedures within the GEM-RPC system, the left and right arm, as well as relative to the incoming beam are applied. No particular reaction channel for absolute calibration purposes is available, therefore the detector positioning relies on a laser-based measurement, and the alignment relative to the other detector systems and the beam using experimental data. The quality of the tracks is selected according to their minimum distance, a selection criteria of better than 4 cm is applied in this analysis. Given the smaller angular coverage of the RPC system compared to the GEMs and detector inefficiencies, the track reconstruction efficiency is $40 \%$, with an RPC detection efficiency of about $85 \%$. The position resolution in $z$ was determined by placing three Pb foils separated by 15 cm at the target position. The reconstructed vertex position is shown in Fig. 3b, clearly three distinct peaks at a distance of 15 cm representing the Pb foils are reproduced. Given the width of each peak, the $z$-position resolution from the two-arm spectrometer is on average $1.8 \mathrm{~cm}(1 \sigma)$.

Knowing the vertex and the position in the RPC, the flight length is determined. Together with the time-of-flight that is measured between the start counter BC 2 and the RPC , the total momentum is determined. For the proton


Supplementary Fig. 2. Fragment-Momentum Resolution. Total momentum and its resolution for ${ }^{12} \mathrm{C}$ measured with empty target.


Supplementary Fig. 3. TAS Results. (a) Basic velocity condition to select protons, the velocity cut in the left and right arm are indicated by the red lines. (b) $z$-vertex for 3 Pb foils at the target position to determine the position resolution of the vertex reconstruction. The position resolution is $1.8 \mathrm{~cm}(1 \sigma)$, the fit is shown by the red line (plus background). The dashed black lines indicate the absolute position alignment at $z= \pm 15 \mathrm{~cm}$ and zero.
selection an initial velocity cut is applied, $0.8<\beta<0.96$, for each particle, see Fig. 3a. The absolute TOF calibration and internal time alignment for the RPC is done using a Pb target assuming that the signals arrive at the speed of light. The TOF resolution itself is determined by placing an additional thin Pb wall directly in front of the detector. Taking the subtracted TOF spectrum with and without the Pb wall, a signal from electron-positron production is measured. The TOF resolution, including the start timer, is about 175 ps .
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