

Optimization of photon PID in EMC

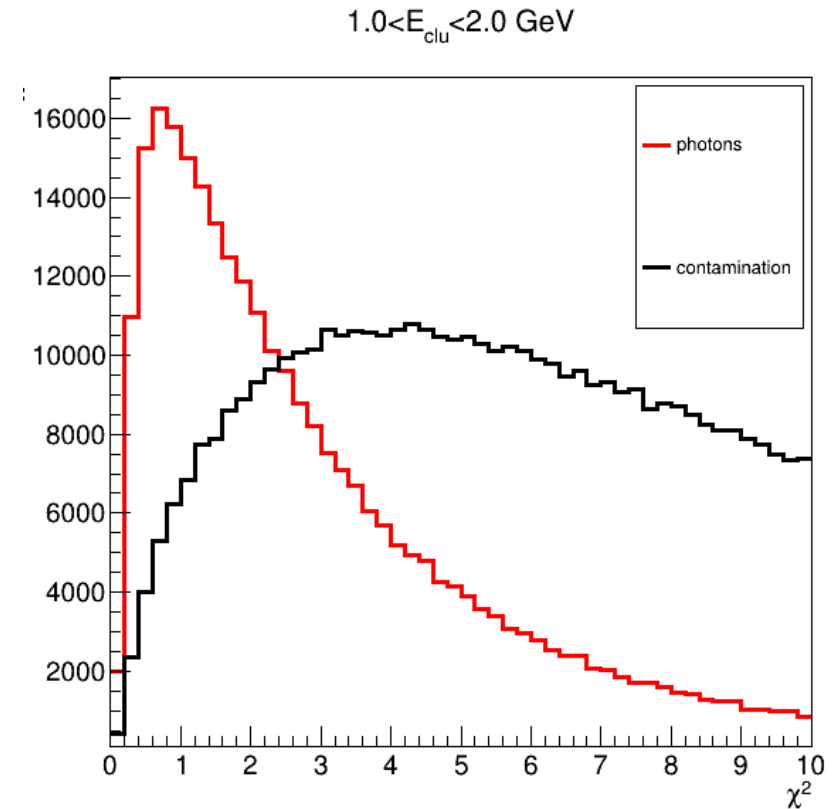
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Data analyzed

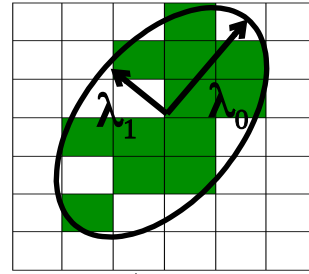
- URQMD, min. bias, 10000 events
 - The first centralized production, AuAu@11 G4
 - <https://mpdforum.jinr.ru/t/the-first-centralized-production-auau-11/219>
- Git branch ID provided, analyzed with same version of mpdroot without problems.

Photon shower shape: χ^2

- Fit shower shape with parameterized EM shower and calculate χ^2 of the fit
- Result provided by `MpdEmcClusterKI::GetChi2()`
- Vary threshold to change efficiency and purity



Photon shower shape: $(\lambda_{\text{short}}, \lambda_{\text{long}})$



- Calculate eigenvalues of the dispersion matrix
- Most complete information for 2-d momenta

- Dispersion

$$D^2 = \frac{\sum ((x_i - \bar{x})^2 + (y_i - \bar{y})^2) w_i}{\sum w_i}$$

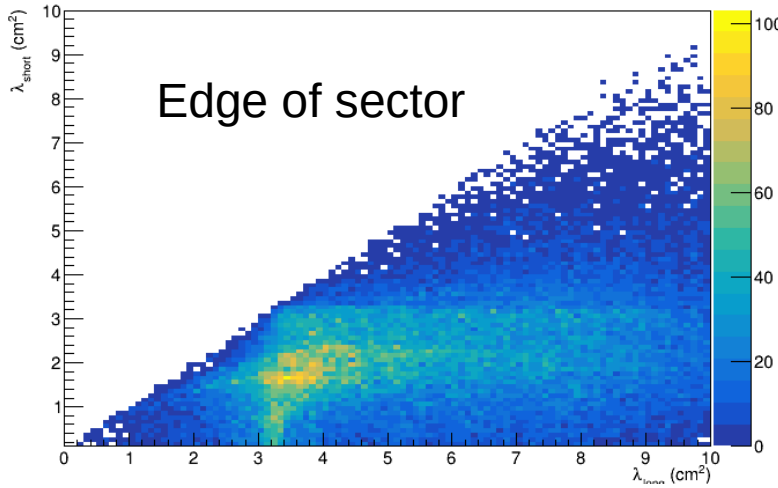
- Eigenvalues of second momenta tensor

$$D^{ij} = \frac{\sum_k w_k (x_k^i - \bar{x}^i)(x_k^j - \bar{x}^j)}{\sum_k w_k}$$

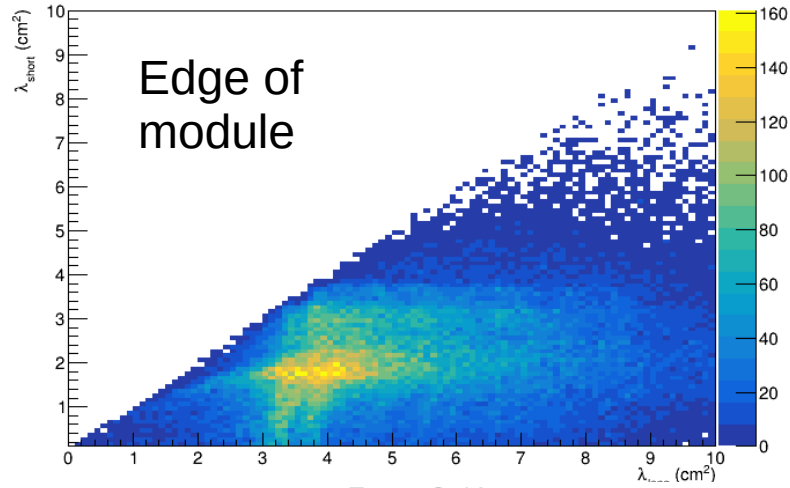
$$\lambda_{1,2} = \frac{1}{2}(D_{xx} + D_{zz}) \pm \sqrt{(D_{xx} - D_{zz})^2 / 4 + D_{xz}^2}$$

Influence of support structures

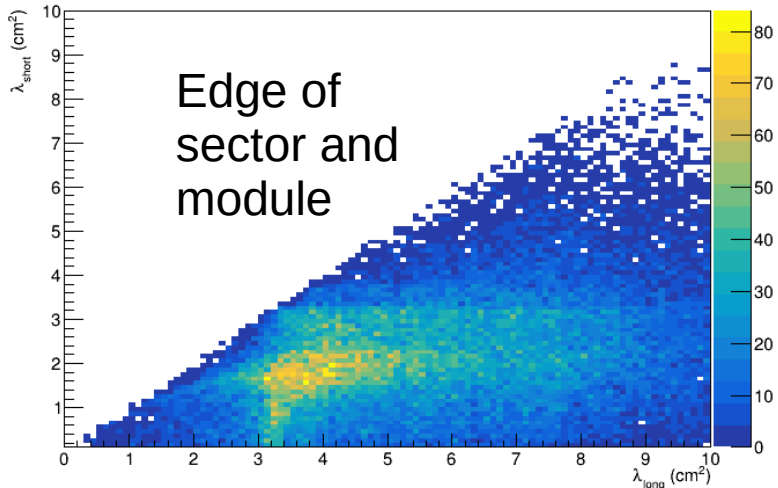
$0.7 < E_{clu} < 1$ GeV



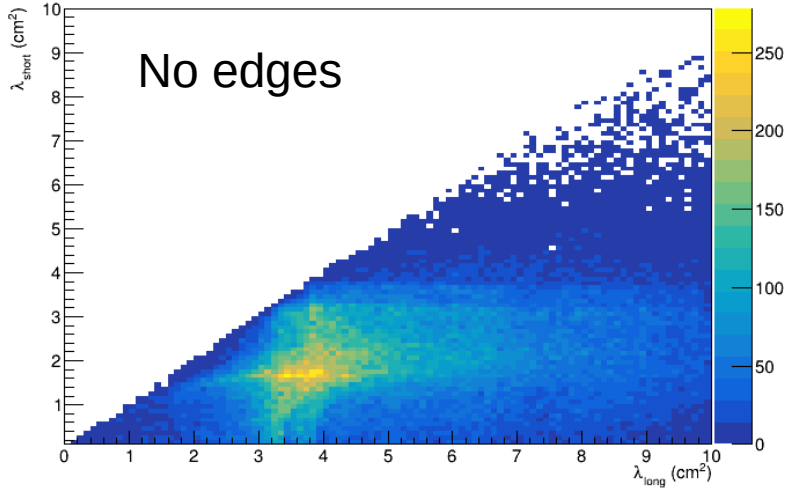
$0.7 < E_{clu} < 1$ GeV



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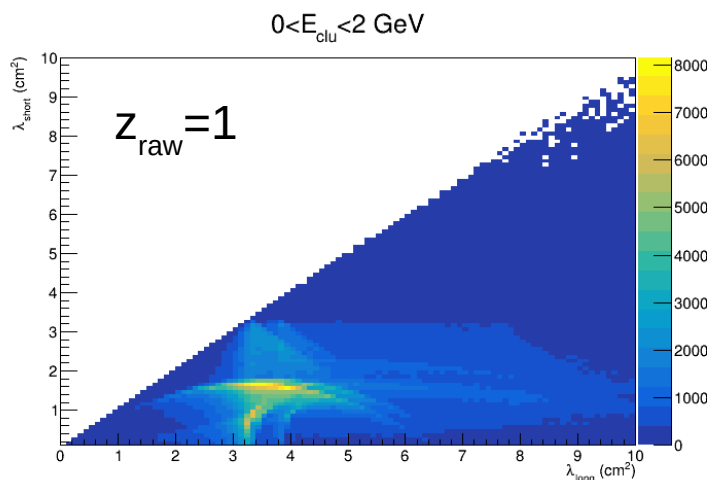
$0.7 < E_{clu} < 1$ GeV



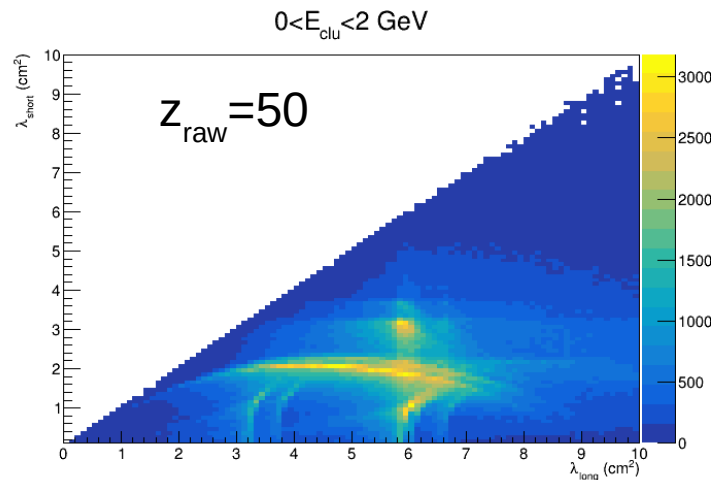
Compare dispersion of clusters, including edges of sector, module and no support structures:

No dramatic difference between cases

Dependence on z coordinate

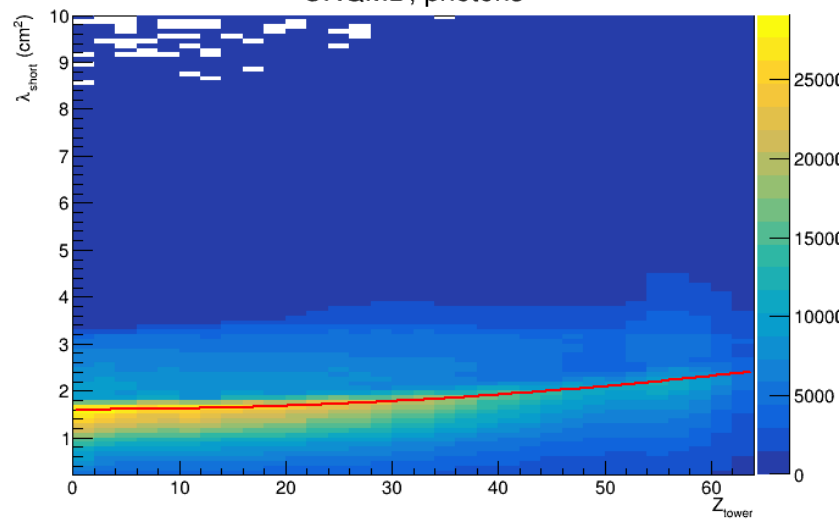
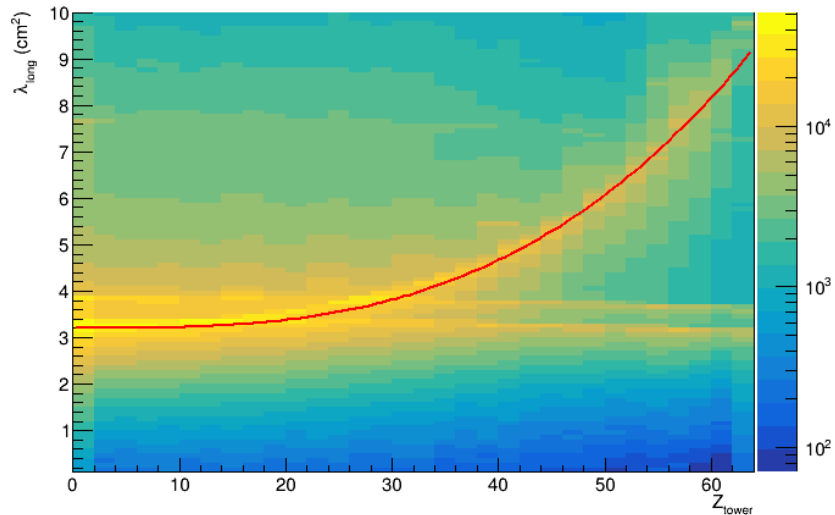


URQMD, single photons



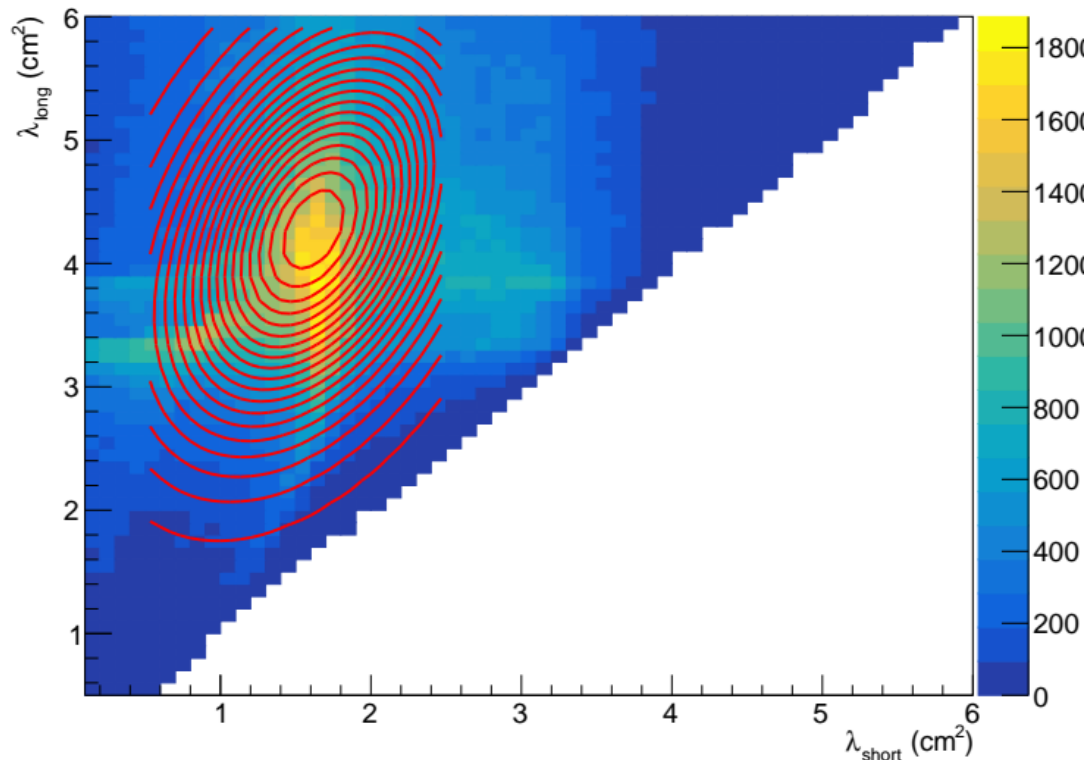
URQMD, photons

Strong dependence of the shower shape on tower index (z_{raw}) due to protective geometry/material/...



Correct by scaling lambdas with parameterization (red lines)

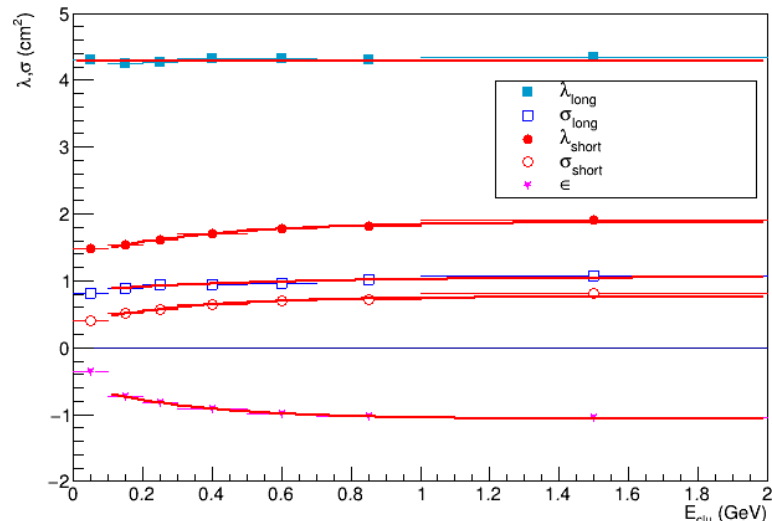
M02 vs M20 vs E yx projection



Fit (z-corrected) distribution for photons with

$$\exp\left(-\frac{(\lambda_{long} - \lambda_{long}^{mean})^2}{2\sigma_{long}^2} - \frac{(\lambda_{short} - \lambda_{short}^{mean})^2}{2\sigma_{short}^2} - c \frac{(\lambda_{long} - \lambda_{long}^{mean})(\lambda_{short} - \lambda_{short}^{mean})}{2\sigma_{long}\sigma_{short}}\right)$$

Fit of $(\lambda_{short}, \lambda_{long})$



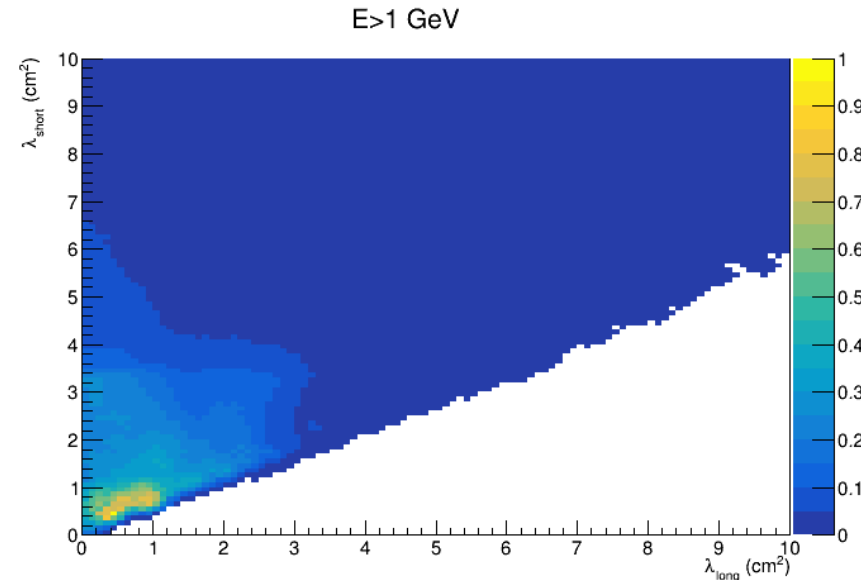
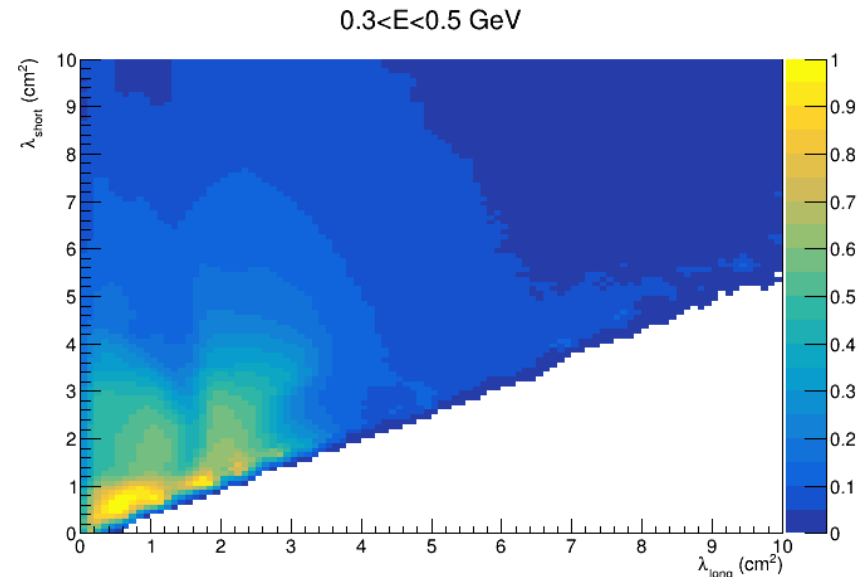
```
float EvalLambdaCut(float l1,float l2,float E){
  float longM = 4.28333 ;
  float shortM= 1.88168-5.06456e-01*exp(-E/3.83640e-01) ;
  float longS = 1.05616-2.12212e-01*exp(-E/5.46530e-01) ;
  float shortS= 7.58640e-01-3.97720e-01*exp(-E/3.18150e-01) ;
  float c = -1.0+5.42460e-01*exp(-E/3.22982e-01) ;
  return sqrt((l1-longM)*(l1-longM)/(longS*longS*2.)
              +(l2-shortM)*(l2-shortM)/(shortS*shortS*2.)
              +c*(l1-longM)*(l2-shortM)/(longS*shortS*2.));
}
```

Photon shower shape: **ratio**

- Make ratio of $(\lambda_{\text{short}}, \lambda_{\text{long}})$ distribution of photon and of contamination
- Find a region in $(\lambda_{\text{short}}, \lambda_{\text{long}})$ plane where photon/contamination ratio is maximal
- Return ratio photons/contamination R normalized to 1 at maximum (0..1)
- Accept particle if $R > \text{threshold}$

Pro: better discriminating power

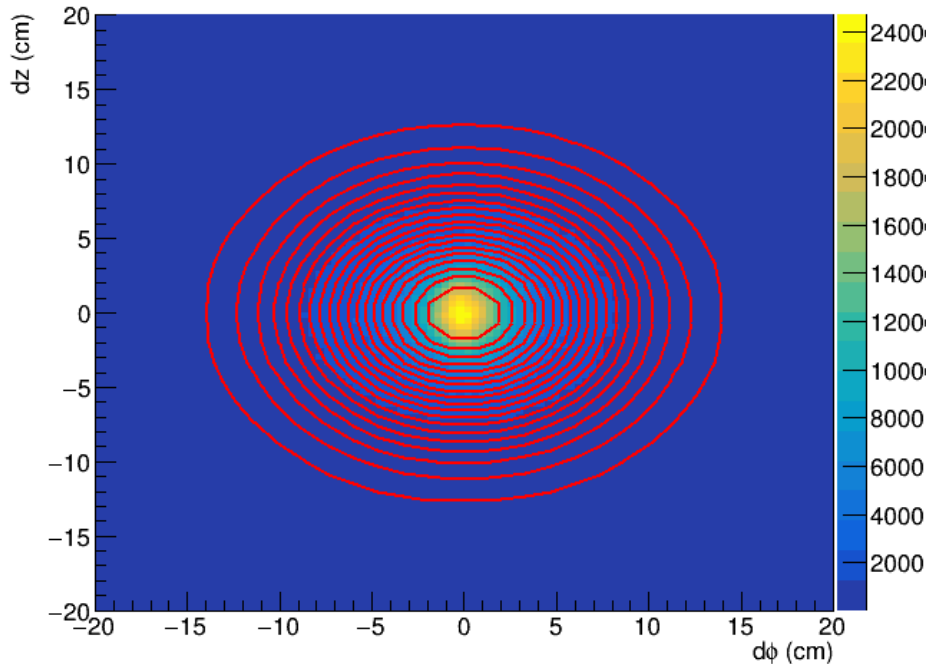
Contra: depends also on description of calorimeter response to hadrons



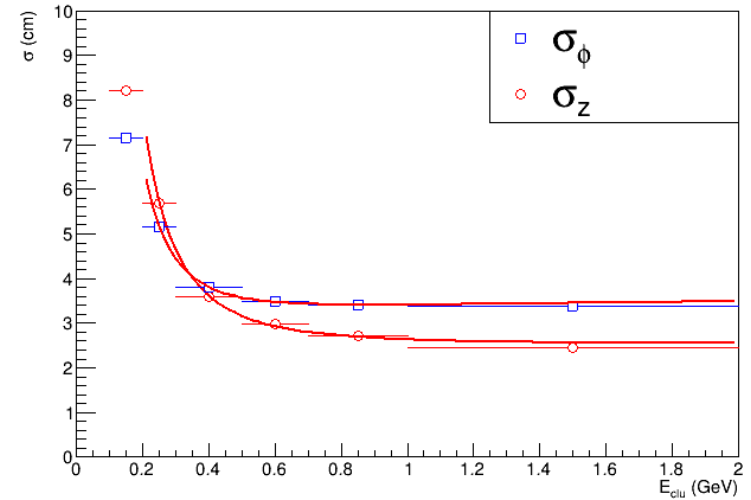
Neutrality cut

- Calculate distance to closest track
- Fit distance for pion tracks:

$0.3 < E_{\text{clu}} < 0.5 \text{ GeV}$



Fit parameters

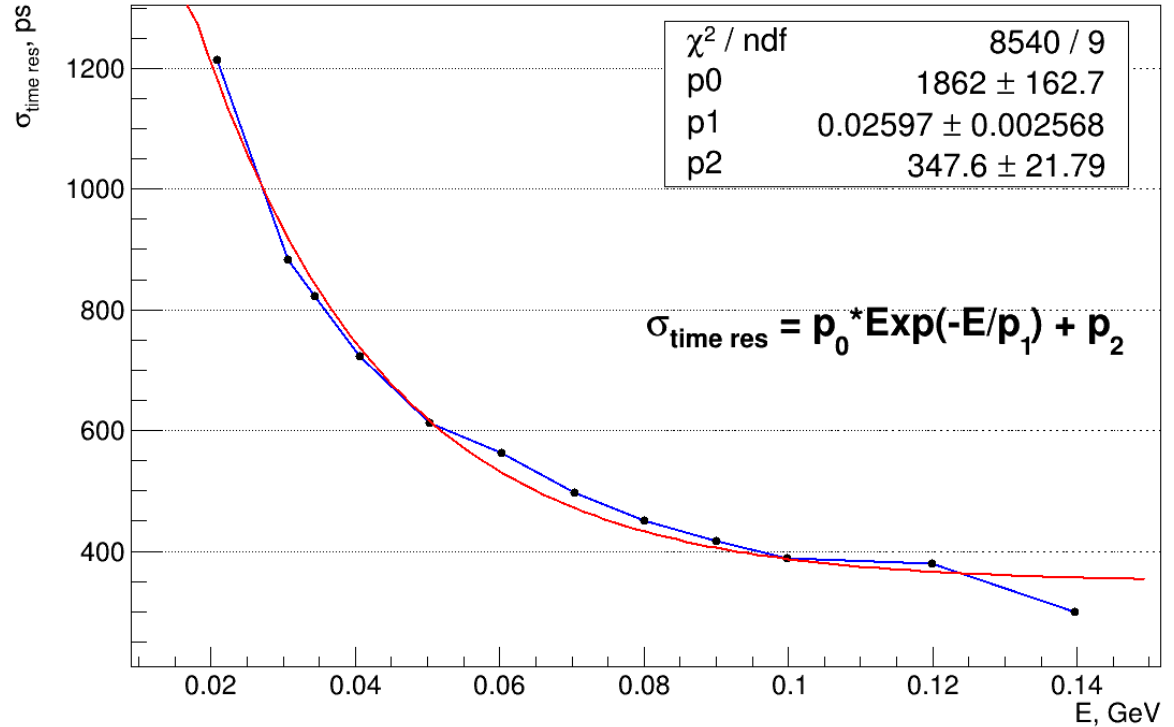


```
float EvalDistCPV(float dphi, float dz, float E){  
    //returns distance in sigma  
    float sigmaPhi = 3.66601-4.63964e-01/E+2.08779e-01/E/E ;  
    float sigmaZ = 2.58409-1.87502e-01/E+2.40143e-01/E/E ;  
    dphi=dphi/sigmaPhi ;  
    dz=dz/sigmaZ ;  
    return sqrt(dphi*dphi + dz*dz) ;  
}
```

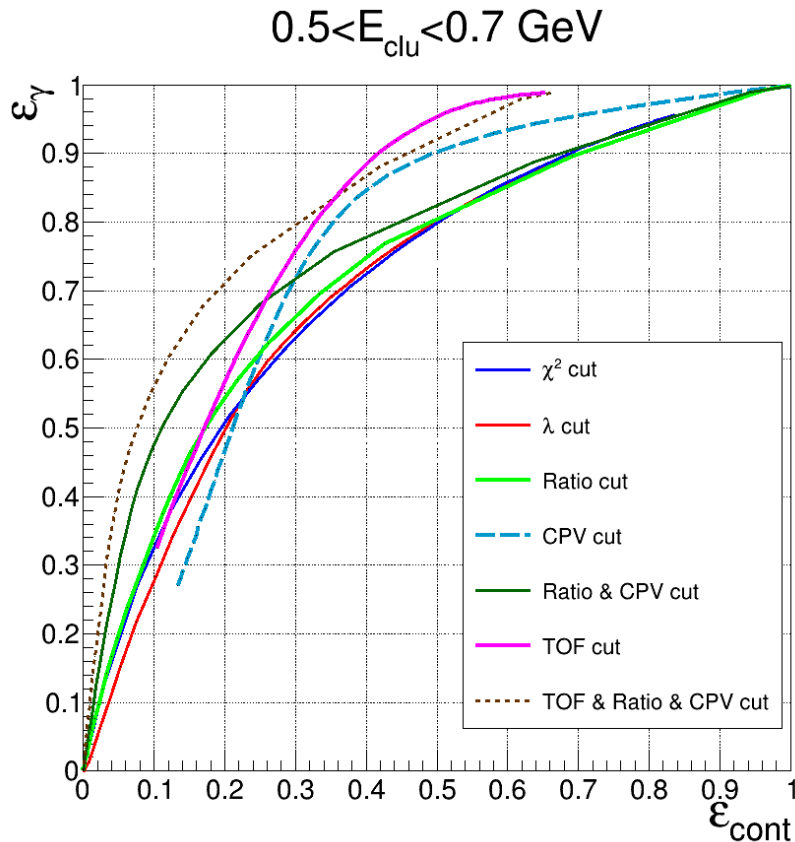
Time cut

- Parameterize time resolution (thanks to Andrey Semenov)
- Smear arrival time
- Calculate $dt = \text{arrival time} - \text{expected photon arrival time}$.
- Cut: $dt < -1\sigma \dots n\sigma$

NICA MPD time resolution, measured at DESY in 2019



Receiver Operating Characteristic (ROC)-curve



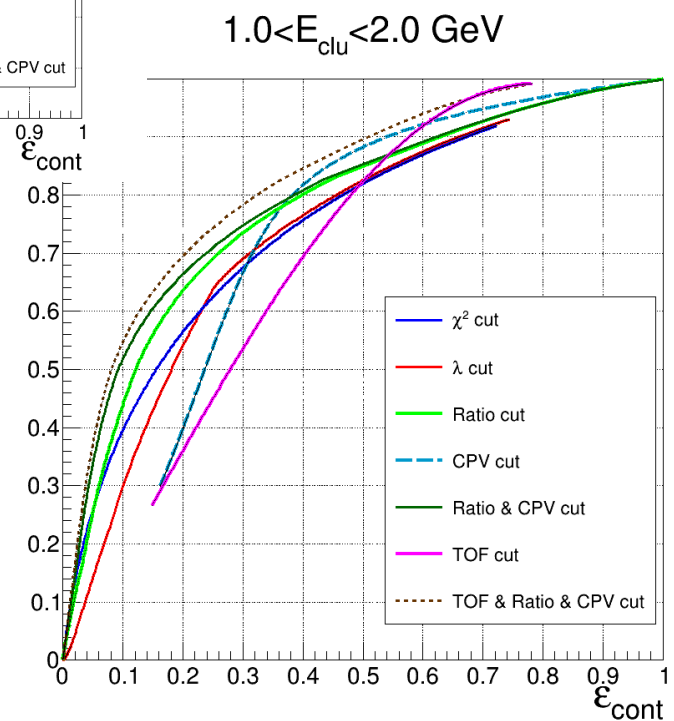
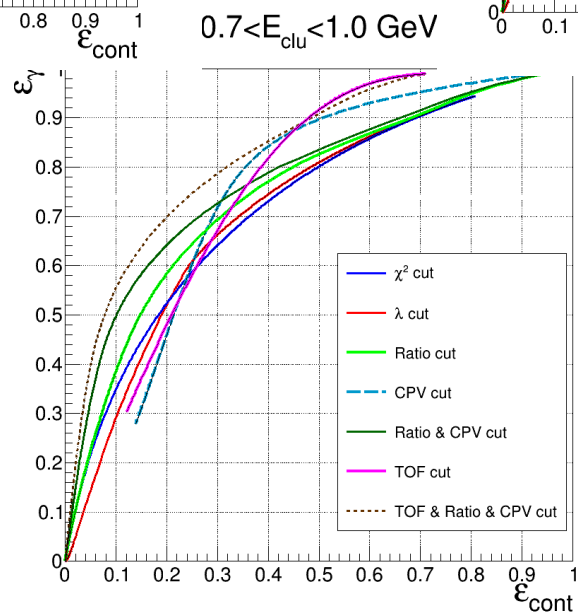
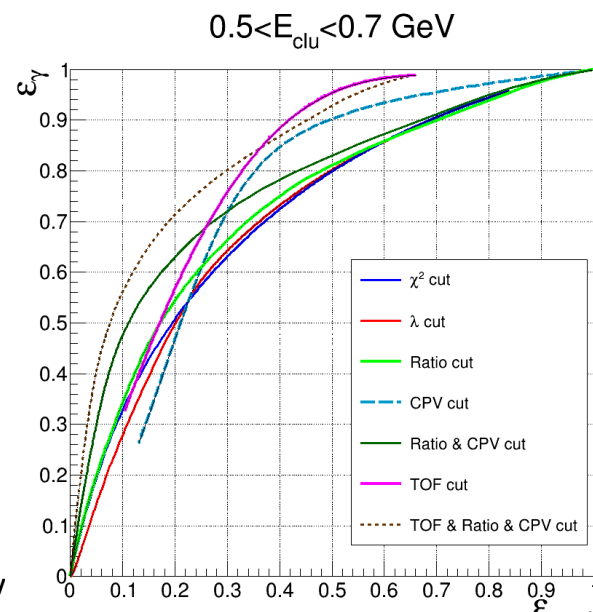
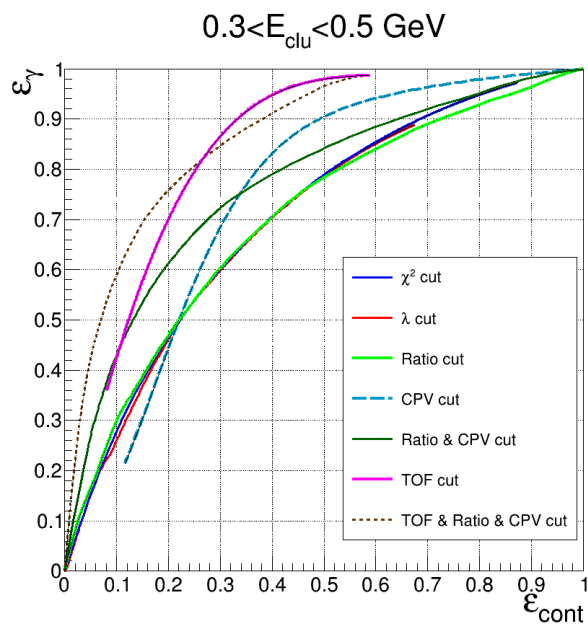
Quality of cuts:

Probability to pass cut for a photon vs probability to pass cut for a contamination (electrons, pions, protons etc.). NB! This is not contamination of photon spectrum!

χ^2 and $(\lambda_{\text{short}}, \lambda_{\text{long}})$ cuts show similar results
“Ratio” shows slightly better performance
CPV and TOF cuts show better performance at low E

Many options how to calculate ROC for combined cuts (a&b). To be optimized

ROC: Other energies



Conclusions

- Dispersion cuts not efficient at $E \sim < 0.5$ GeV (too few cells in cluster)
 - Improve PID at higher energies
 - “Ratio” slightly better than χ^2 or λ cuts
- TOF cut efficient at low E
- Define several sets (efficient, clean) using ROC