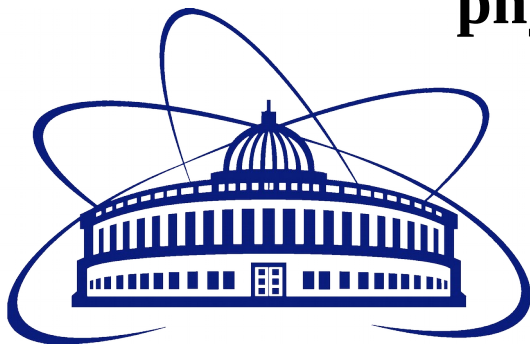


Monte-Carlo study of $\Lambda(\bar{\Lambda})$ polarization at MPD

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On behalf of the MPD collaboration

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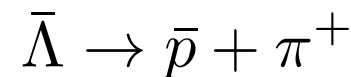


- Introduction
 - Lambda polarization
 - NICA complex
 - MPD detector
- Analysis method
 - Inclusive polarization
 - Global polarization
- Results
 - Feasibility test of polarization extraction
- Conclusion

- Global polarization^{1,2}
 - w.r.t reaction plane
 - Emerges in HIC due to the system angular momentum
 - Sensitive to parity-odd characteristics of QCD medium and QCD anomalous transport

- Inclusive polarization^{3,4}
 - w.r.t scattering (production) plane
 - Measured in pp and pA collisions
 - In HIC can be diluted due to the rescattering in the QCD medium

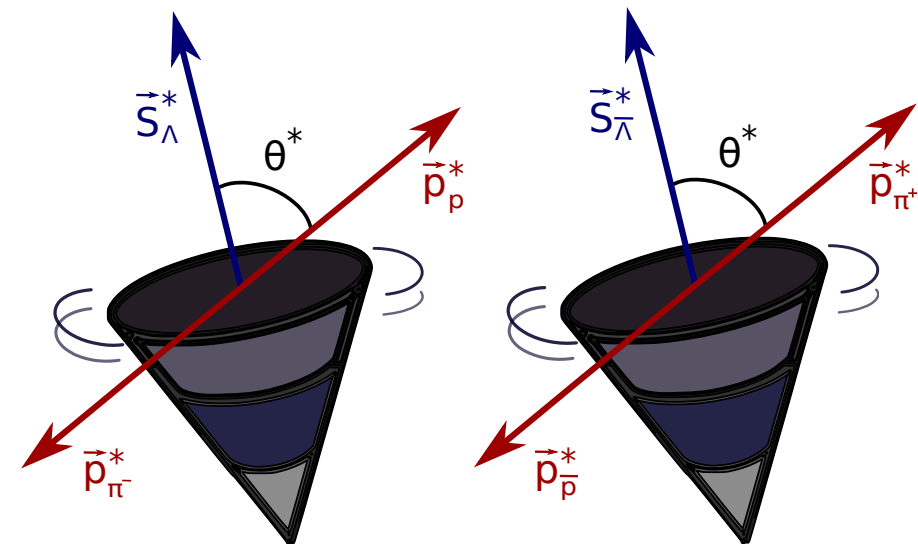
Can be measured through the weak decay: $\Lambda \rightarrow p + \pi^-$



$$\frac{dN}{d \cos \theta^*} = 1 + \alpha_{\Lambda} P_{\Lambda} \cos \theta^*$$

* indicates the scattering plane

$$\alpha_{\Lambda} = -\alpha_{\bar{\Lambda}} \simeq 0.642 \quad (\text{decay asymmetry})$$

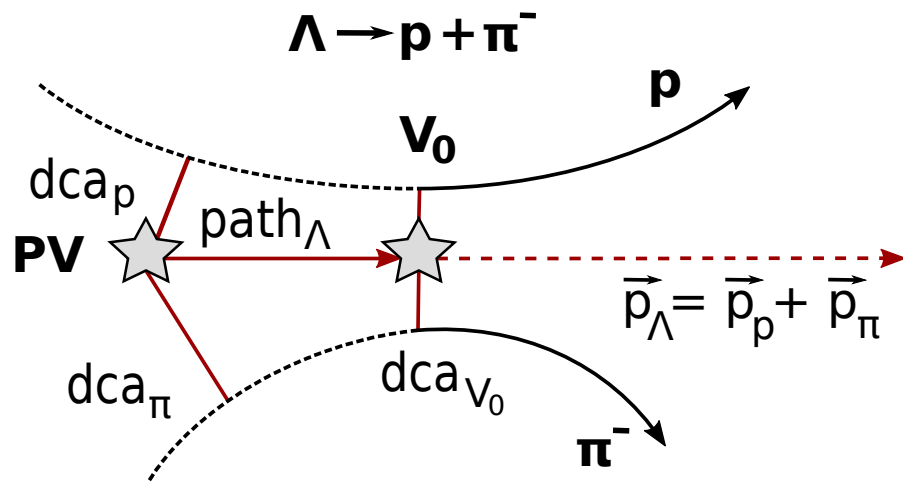


¹ Z. Liang, X. Wang, PRL 94, 102301 (2005)

² L. Adamczyk et al., Nature 548, 62 (2017)

³ A. Lesnik et al., Phys. Rev. Lett. 35, 770 (1975)

⁴ G. Bunce et al., PRL 36, 1113 (1976)



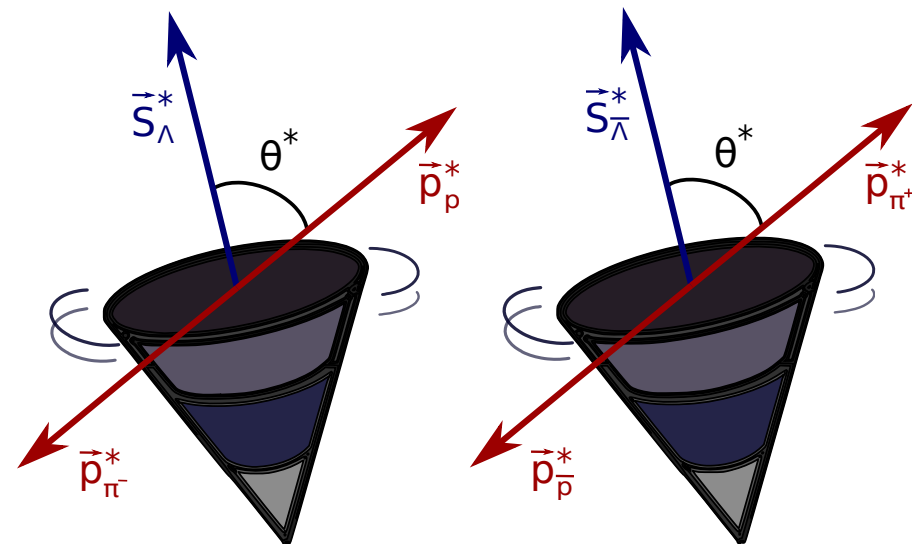
$$\frac{dN}{d \cos \theta^*} = 1 + \alpha_{\Lambda} P_{\Lambda} \cos \theta^*$$

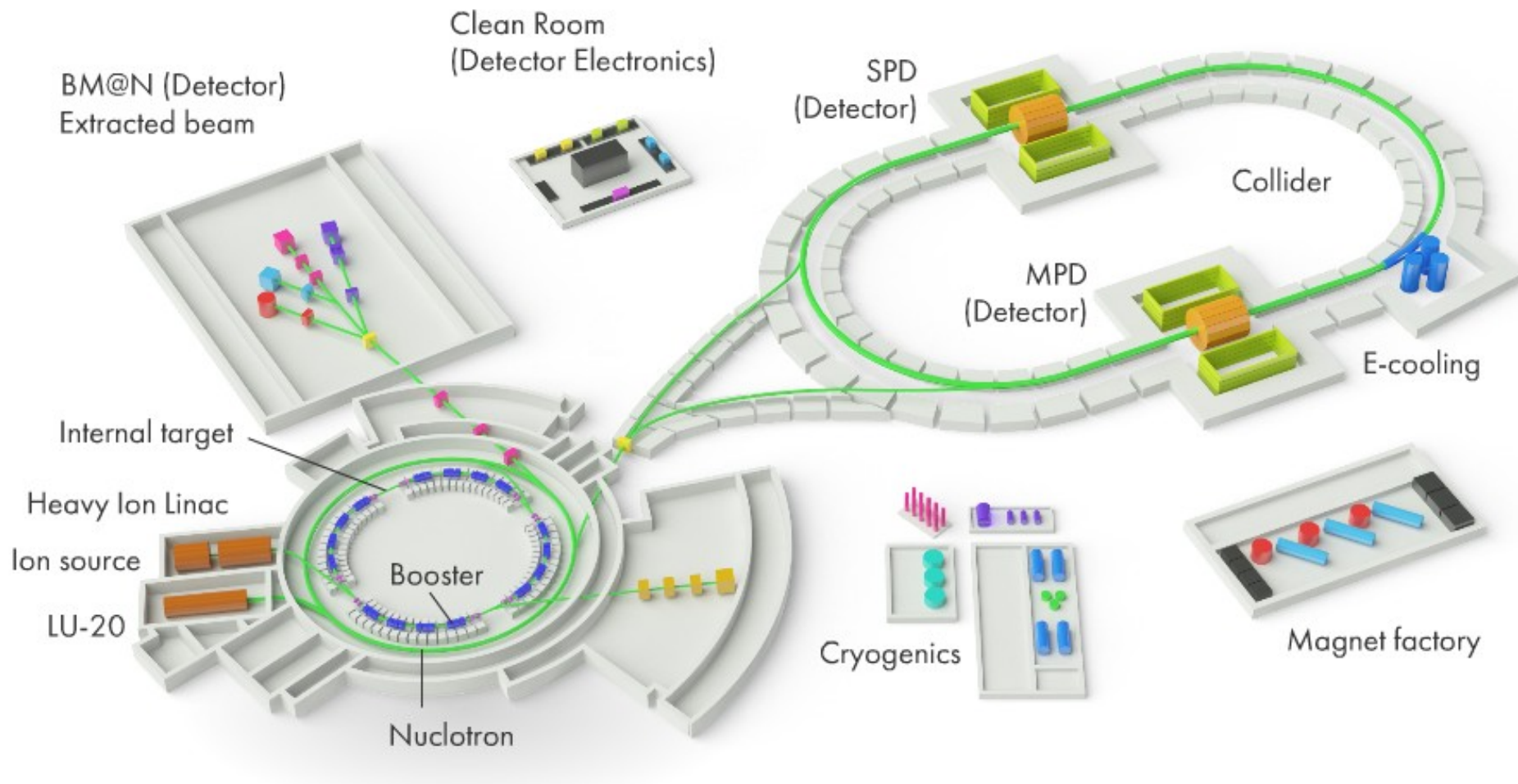
- PV — primary vertex
- V_0 — vertex of hyperon decay
- dca — distance of closest approach
- path — decay length

- θ^* — angle between the decay particle and $\vec{n} = \vec{p}_{\text{beam}} \times \vec{p}_{\Lambda}$
- P_{Λ} — inclusive polarization (w.r.t. production plane of Λ)

- In the case of global polarization one needs to calculate event plane and account for its resolution (R_{EP}^1):

$$\bar{P}_{\Lambda/\bar{\Lambda}} = \frac{8}{\pi\alpha} \frac{1}{R_{EP}^1} \langle \sin(\Psi_1 - \theta^*) \rangle$$





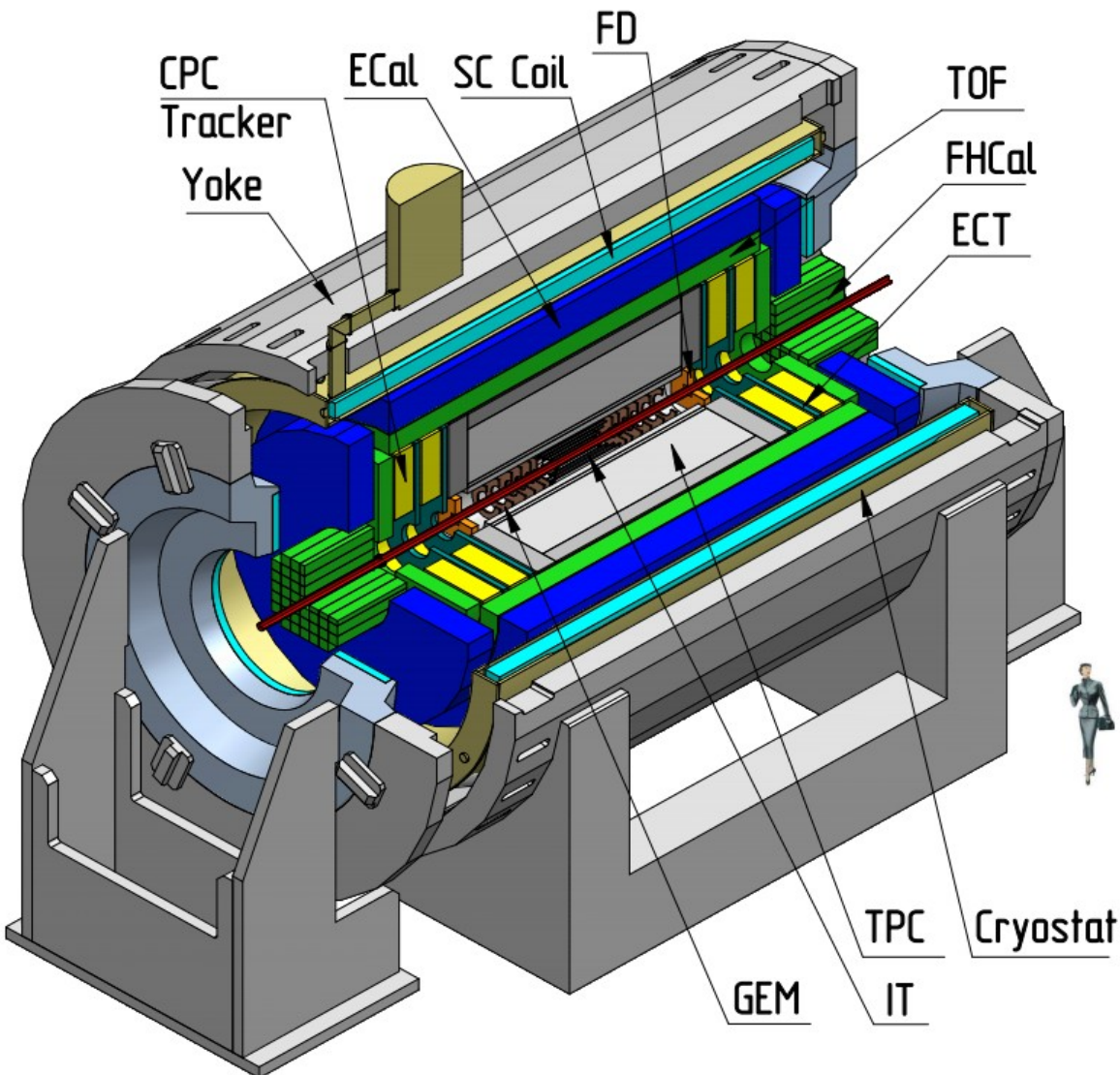
- Beams:
 - p (d) →
 - Au (Bi) →
- Luminosity:
 - $L = 10^{32} \text{ cm}^{-2}\text{s}^{-1}$
 - $L = 10^{27} \text{ cm}^{-2}\text{s}^{-1}$

Multi-Purpose Detector (MPD)

- energy and system size scan from 4 to 11 GeV (HI beams) to measure a variety of signals

- 2π acceptance in azimuth
- 3-D tracking (TPC)
- Powerful PID (TPC, TOF, ECAL):
 - π/K up to 1.5 GeV/c
 - K/p up to 3 GeV/c
 - γ, e : $0.1 < p < 3$ GeV/c
- High event rate
 - Up to ~ 6 kHz

- Stage I:
 - TPC, TOF, ECAL, FHCAL, FFD + ITS(OB)
- Stage II:
 - ITS(IB) + EndCap (CPC, Straw, TOF, ECAL)

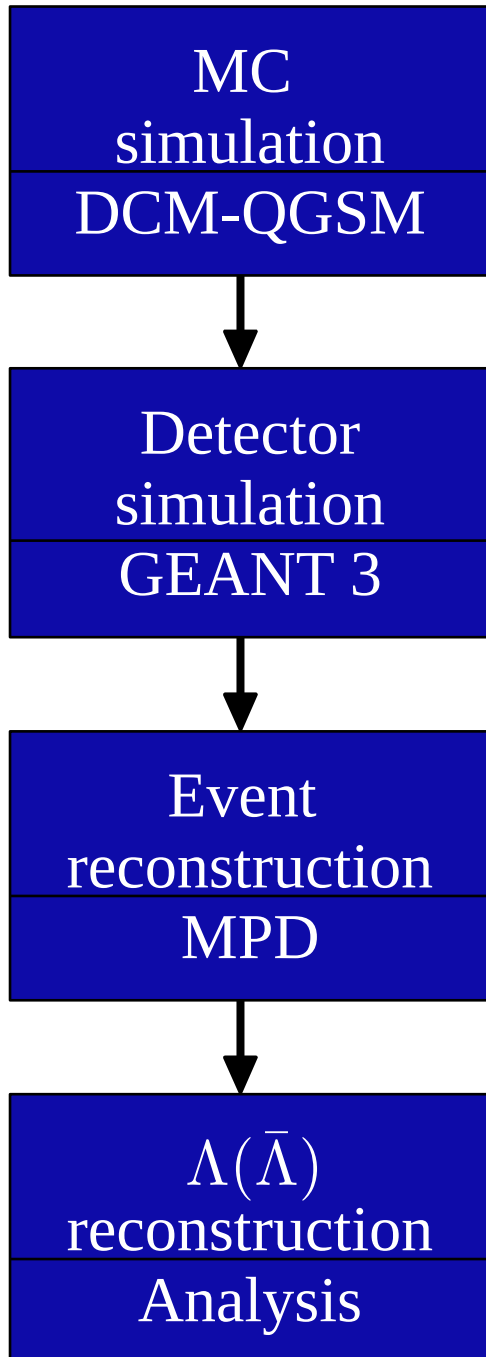


- Data: MC simulation using DCM-QGSM generator¹
 - Au-Au, $\sqrt{s_{NN}} = 9$ GeV, ~ 100000 events, $b=0$ fm
 - DeGrand-Markkanen-Miettinen approach²
 - Inclusive Λ polarization (transverse to the scattering plane)
 - No $\bar{\Lambda}$ polarization
- Track selection criteria:
 - Number of TOF hits: $N_{\text{hits}} > 10$
 - $|\eta| < 1.3$

$$P = - \left(\frac{12p_T}{\Delta x_0 M^2} \frac{1 - \xi(x)}{1 + 3\xi(x)} \right)^2$$
$$\xi(x) = \frac{1 - x}{3} + 0.1x, \quad x = p_\Lambda / p_{\text{beam}}$$
$$M^2 = \left[\frac{m_D^2 + p_{TD}^2}{1 - \xi(x)} + \frac{m_s^2 + p_{Ts}^2}{\xi(x)} - (m_\Lambda^2 + p_T^2) \right]$$

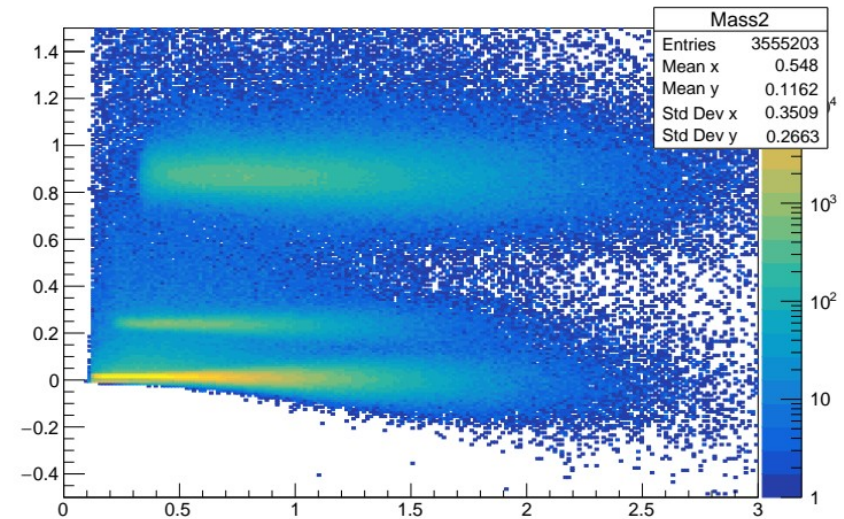
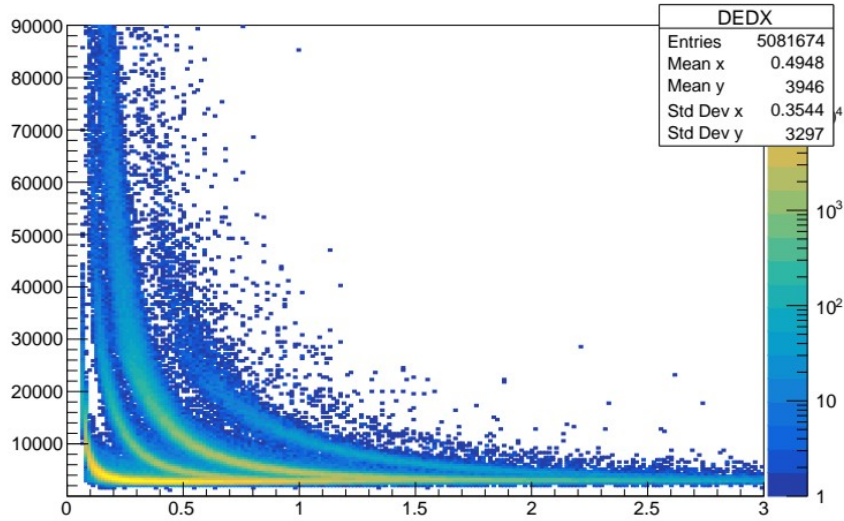
¹ V.D. Toneev, K.K. Gudima, Nucl. Phys. A 400, 173 (1983)

² T.A. Degrand, J. Markkanen, H.I. Miettinen, Phys. Rev. D: Part. Fields 32, 2445 (1985)

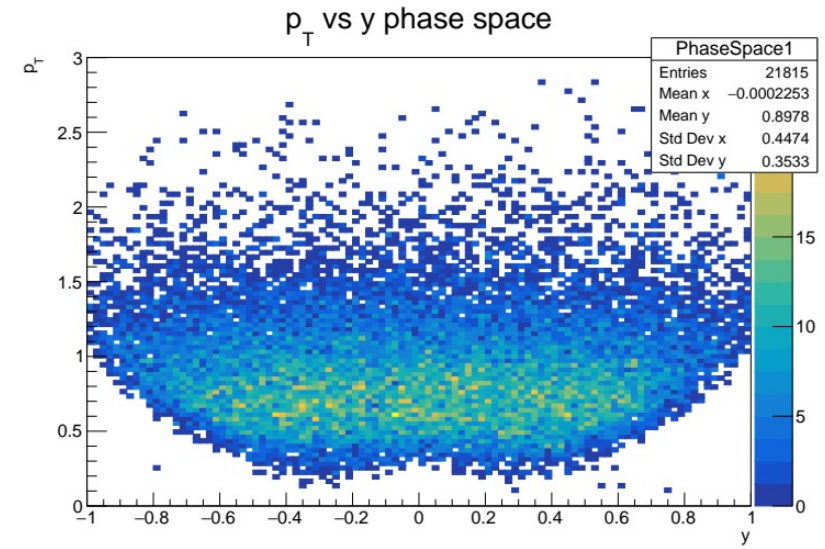


- Realistic Monte-Carlo simulation using DCM-QGSM generator (inclusive Λ polarization)
- Simulation of polarization effects in the detector via GEANT 3 (anisotropic decay of Λ hyperons) — can be switched on/off to study the effect
- Event reconstruction using realistic PID within mpdroot framework
- $\Lambda(\bar{\Lambda})$ reconstruction through the weak decay channel $\Lambda \rightarrow p + \pi^-$

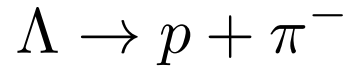
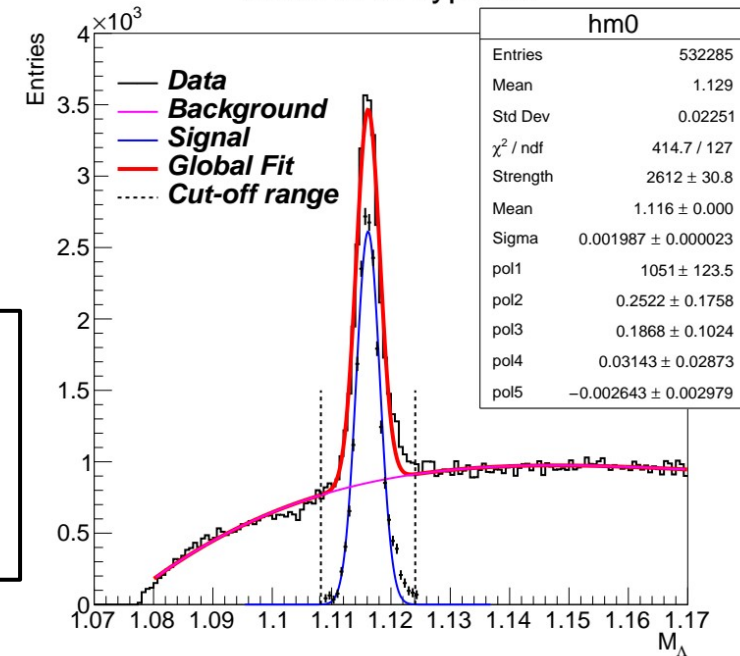
MPD PID for the analysis



Phase space for Λ hyperon

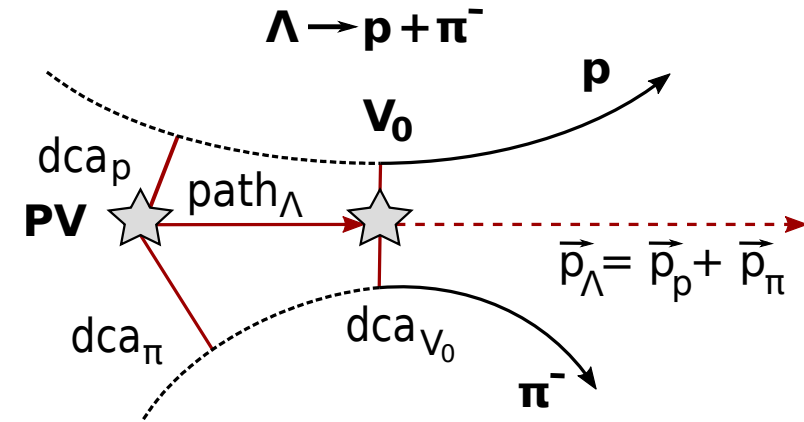
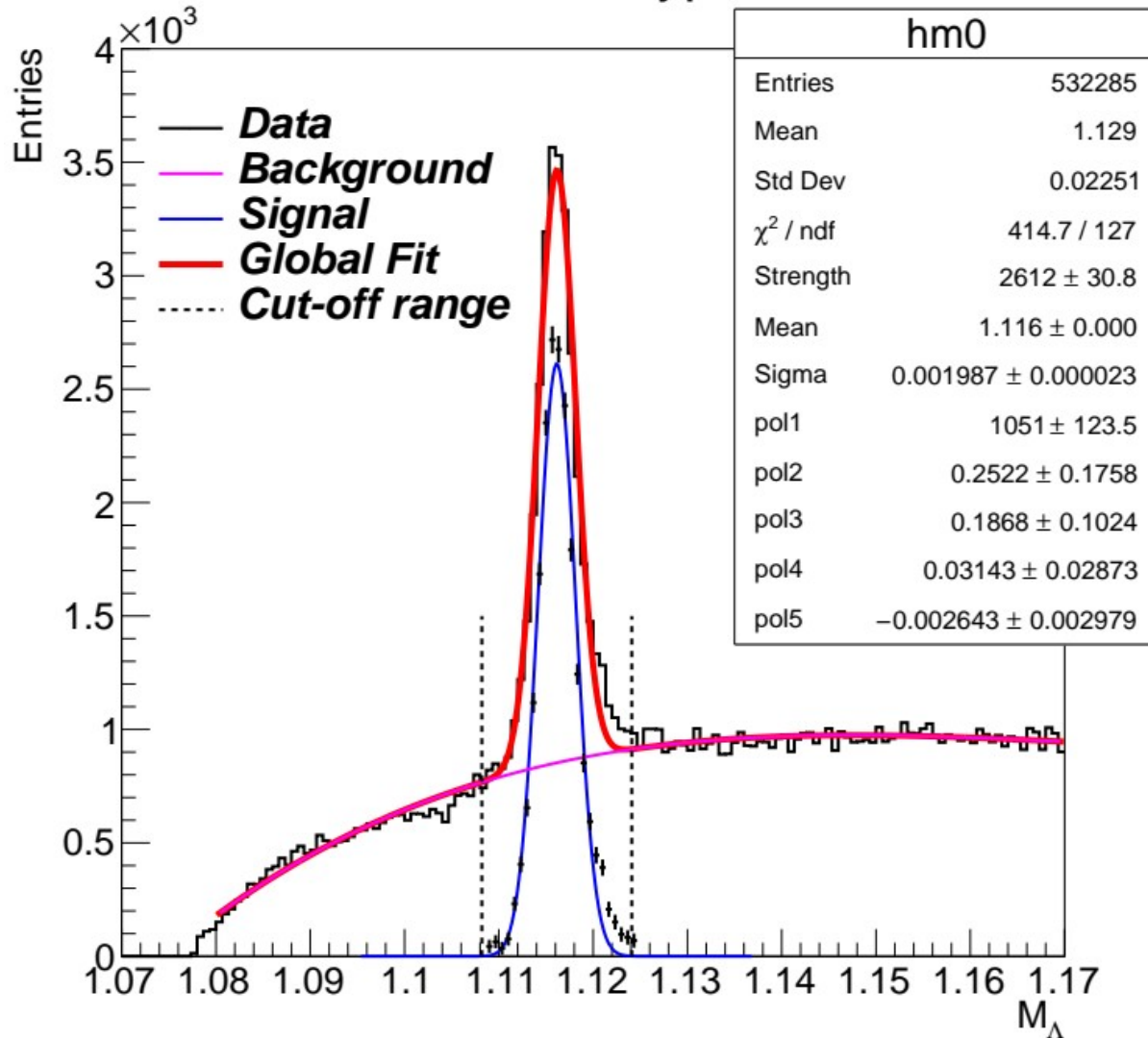


Mass of Λ hyperon



Invariant mass
distribution of Λ
hyperon

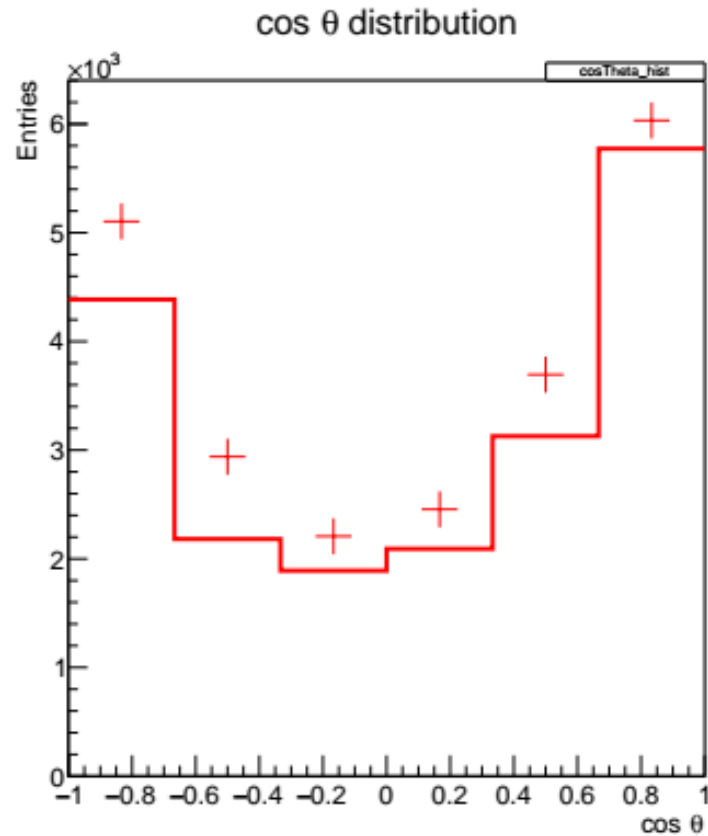
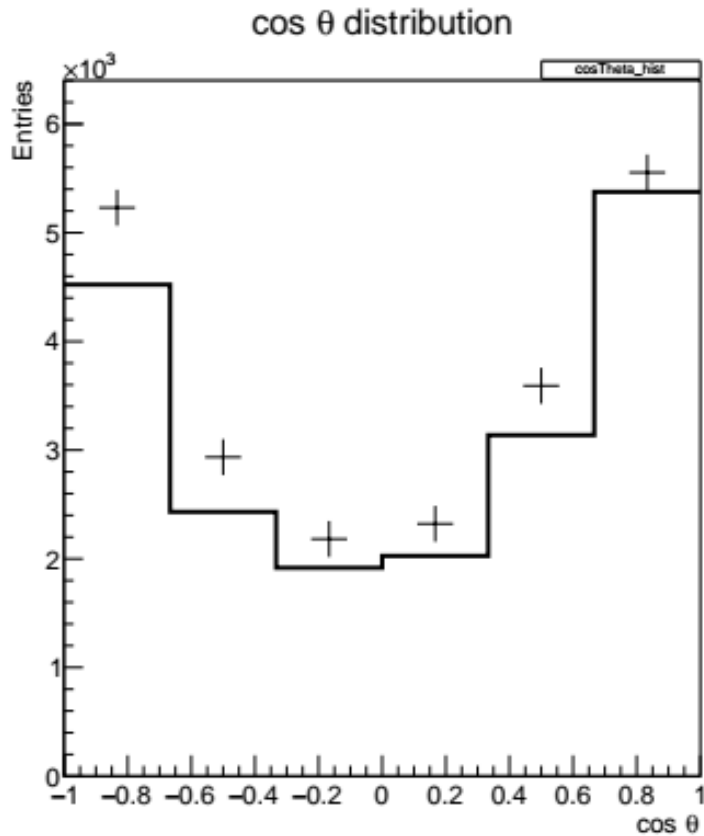
Mass of Λ hyperon



Fitting function:

- Gauss for signal
- Legendre polinoms (L_n) for Background
- Cut-off: $\langle M_\Lambda \rangle \pm 4\sigma$
- DCA and track-separation cuts

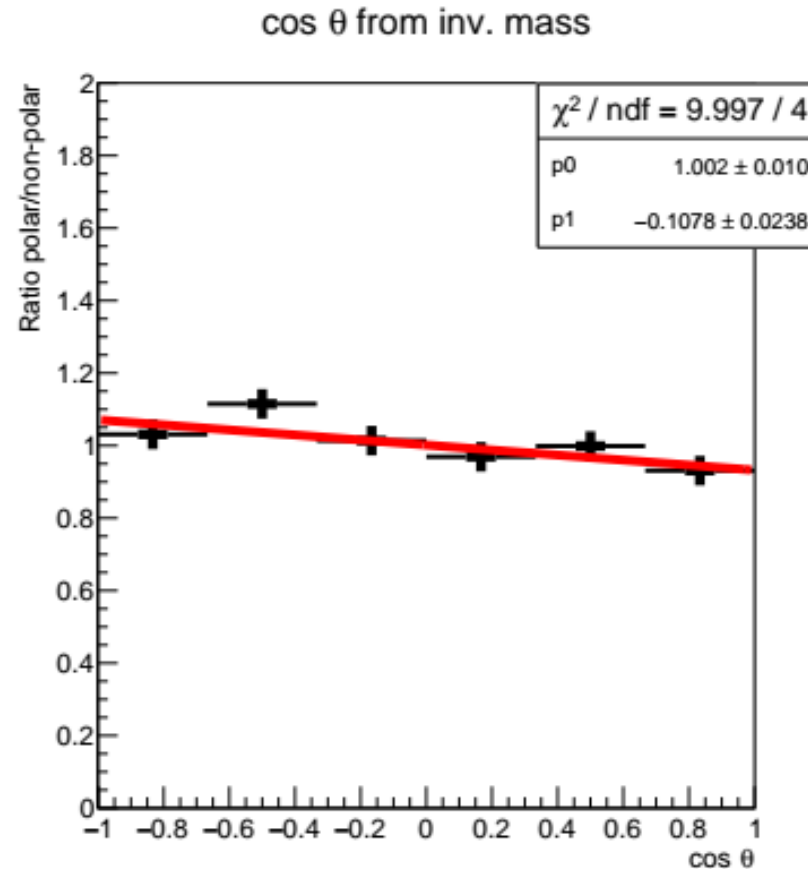
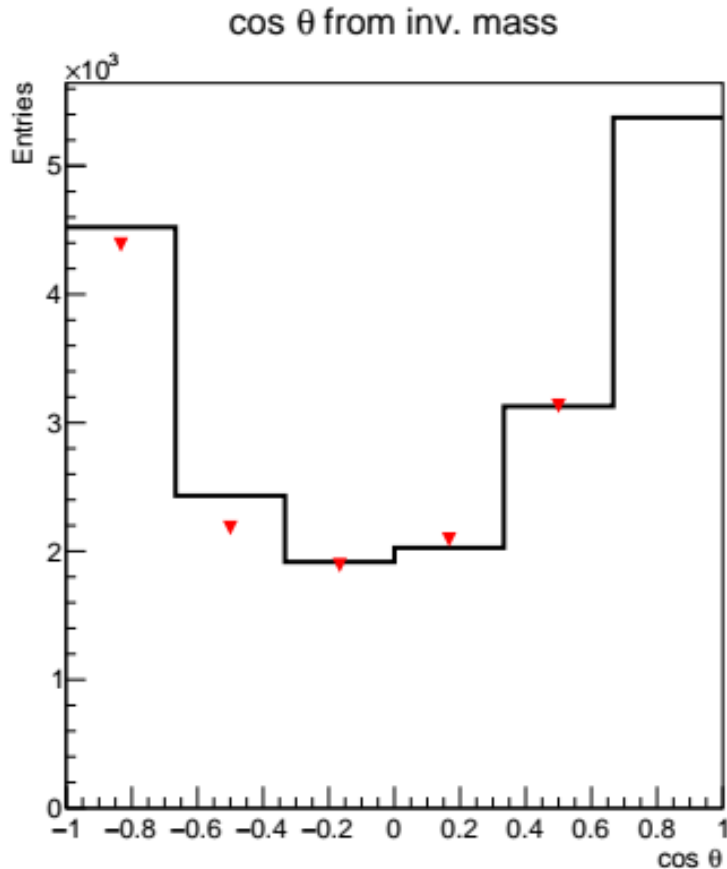
$$f(x) = [0] \exp\left(\frac{(-0.5(x - [1]))^2}{[2]^2}\right) + [3](L_0 + [4]L_1 + [5]L_2 + [6]L_3 + [7]L_4)$$



Check of the extraction technique

Comparison of extracted angular distributions (from invariant mass) with the true distributions (for «polarized» and «non-polarized» case)

- +— Extracted (polarized case)
- +— Extracted (non-polarized case)
- True (polarized case)
- True (non-polarized case)



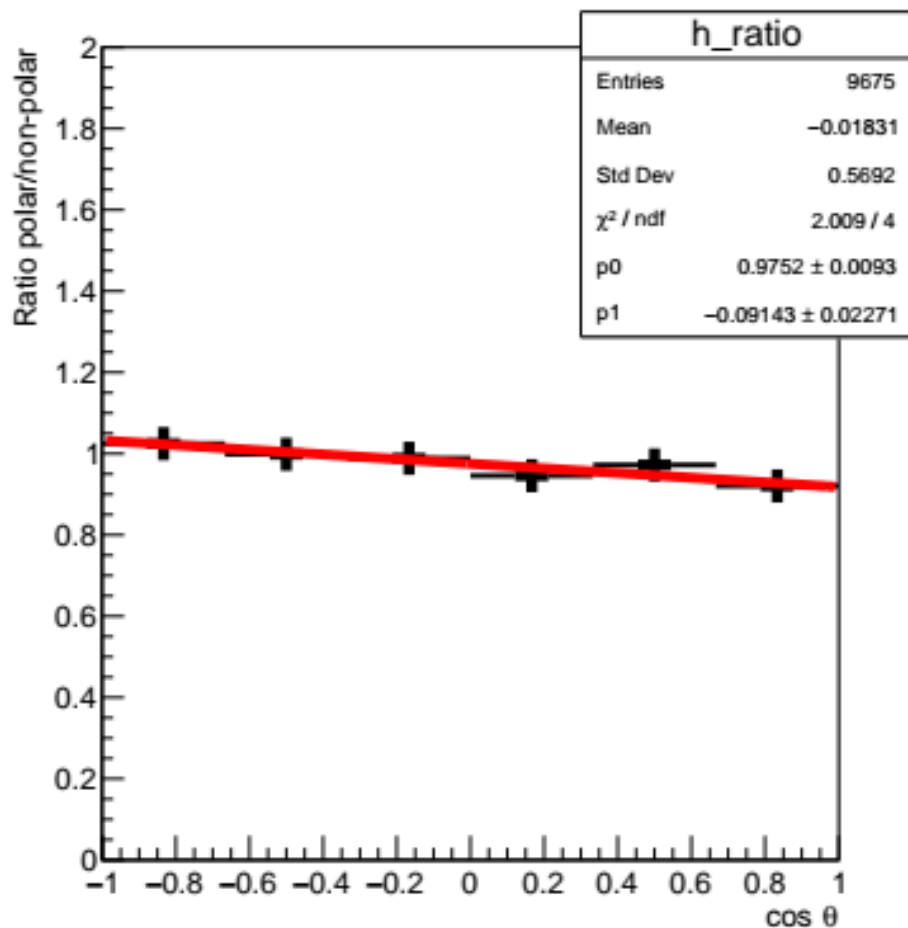
Accounting
for detector
acceptance

Net effect of
polarization

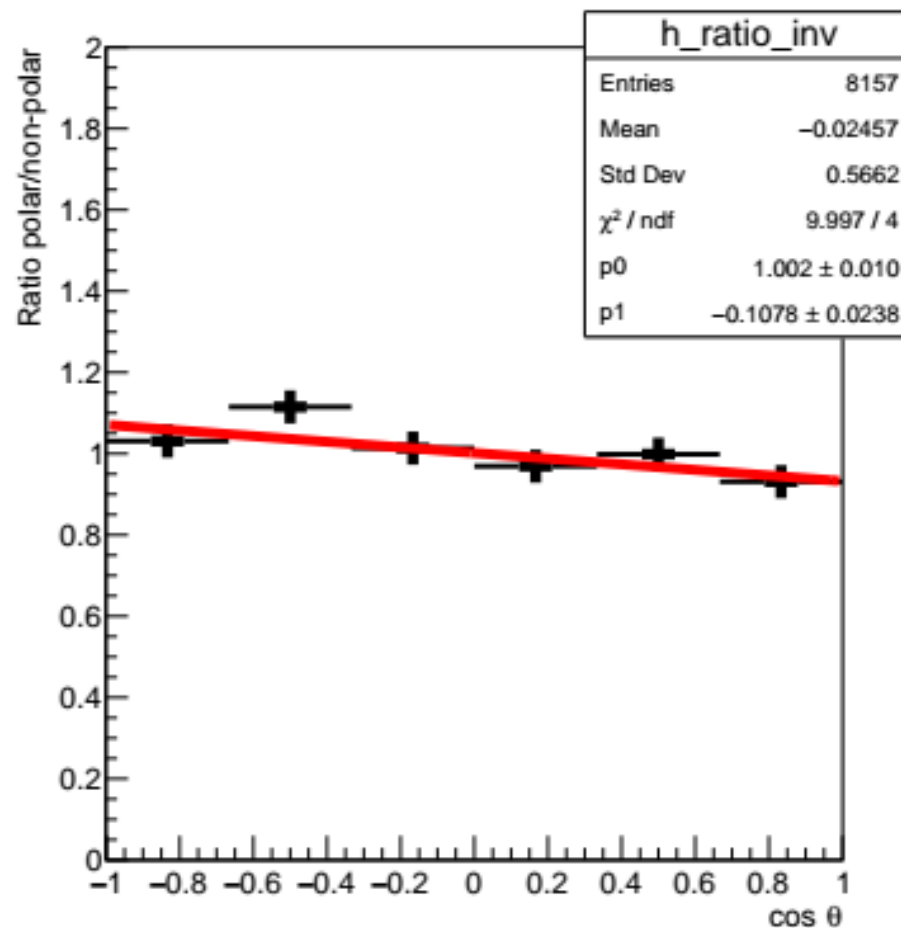
Dividing extracted angular distributions obtained from polarized/non-polarized case (with or w/o anisotropic decay)

- Accounts for the detector acceptance → shows net effect due to polarization of Λ hyperons

cos θ distribution

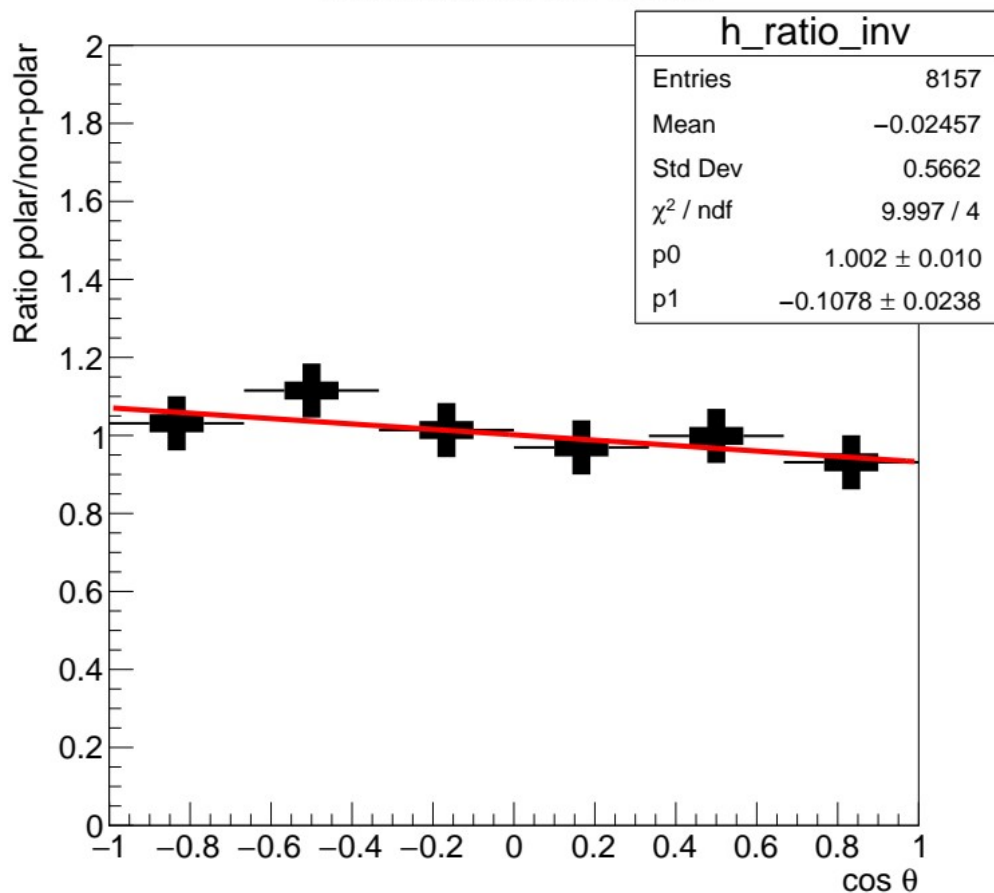


cos θ from inv. mass



Polarized/non-polarized case (with or w/o anisotropic decay)
 (Right) true distributions, (Left) distributions from invariant mass

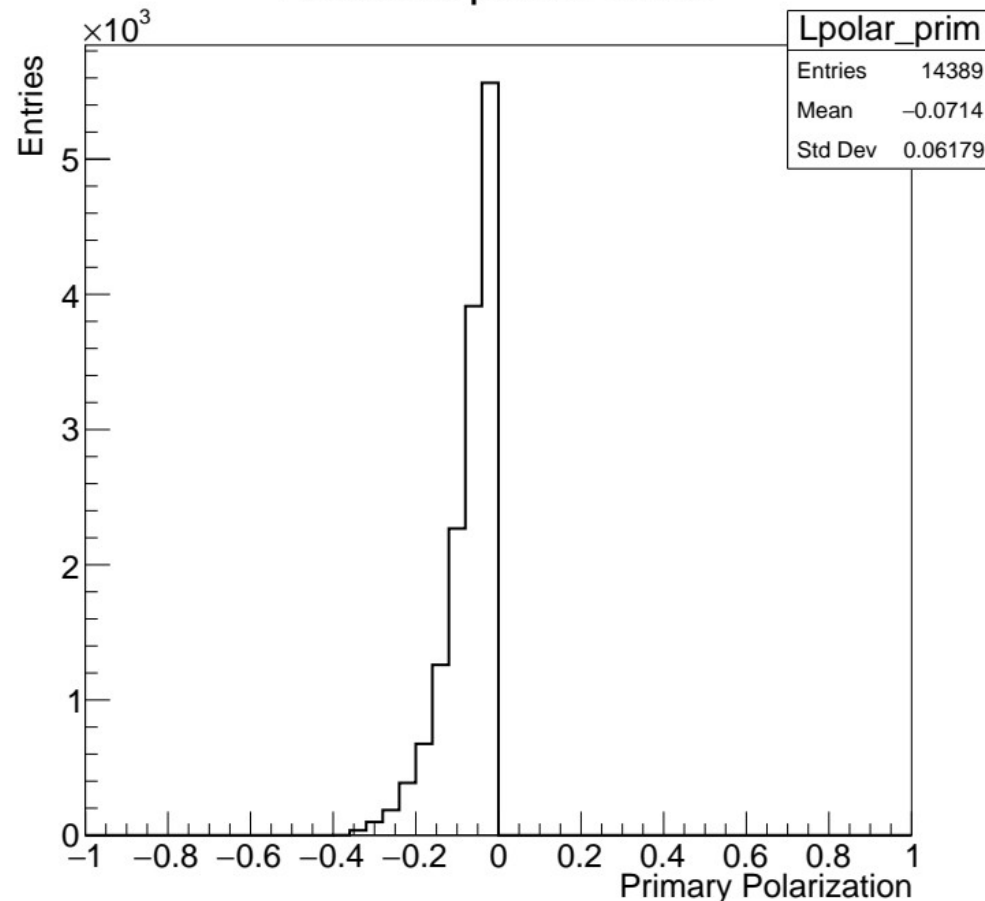
cos θ from inv. mass



p_1 (slope parameter) \rightarrow extracted polarization value:

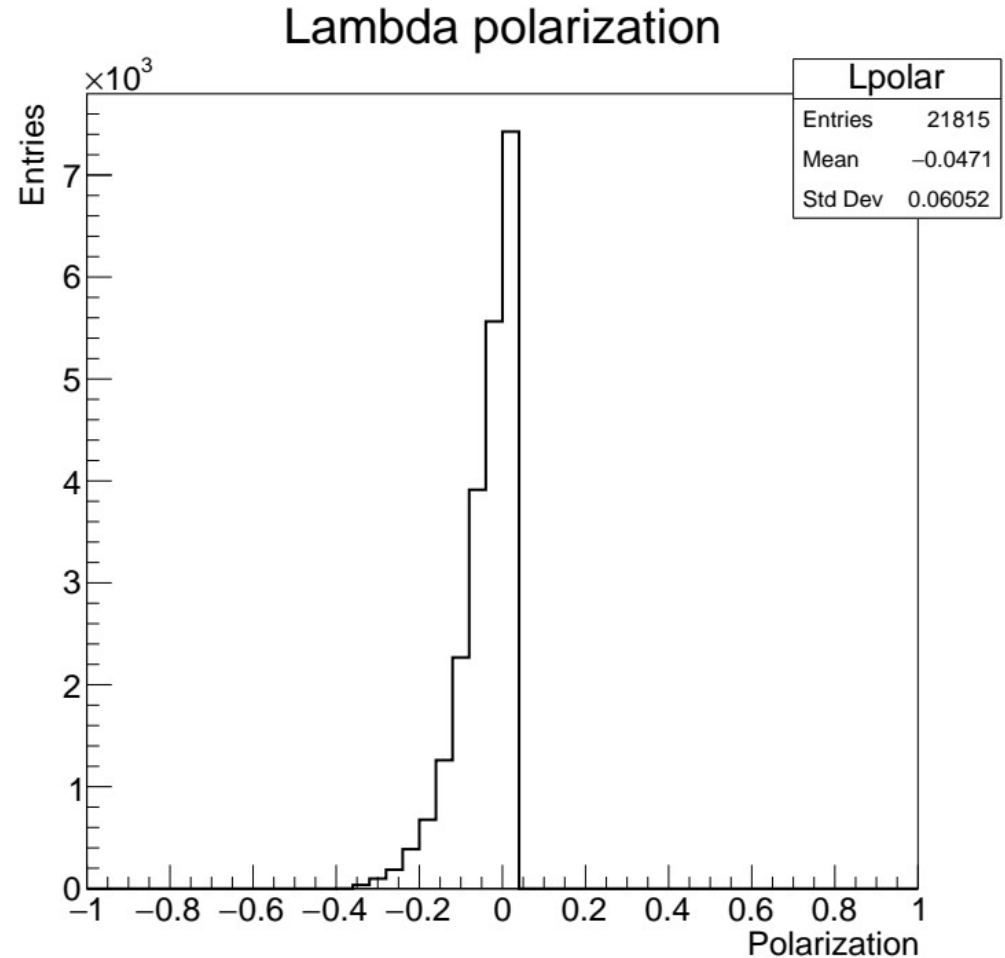
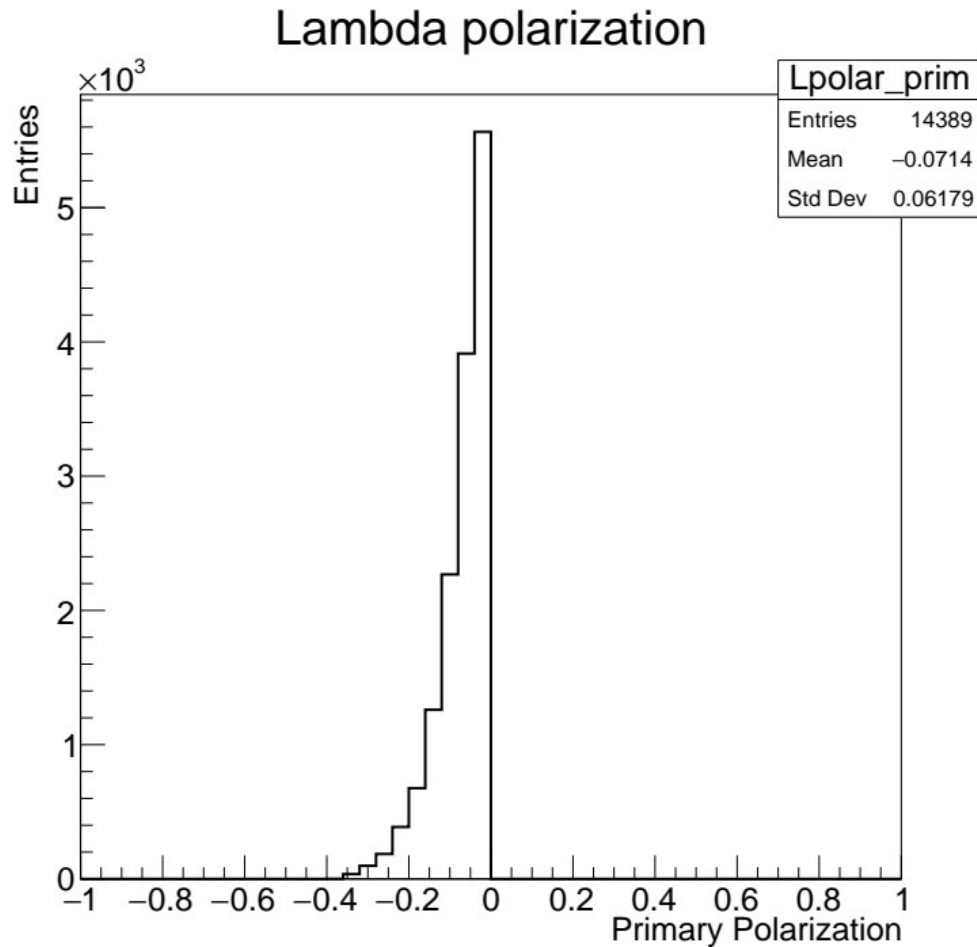
$$\triangleright p_1 = -0.1078 \pm 0.0238$$

Lambda polarization



$\langle P \rangle$ (mean polarization) \rightarrow true mean polarization (primary Λ):

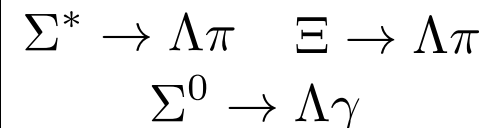
$$\triangleright \langle P \rangle = -0.0714 \pm 0.06179$$

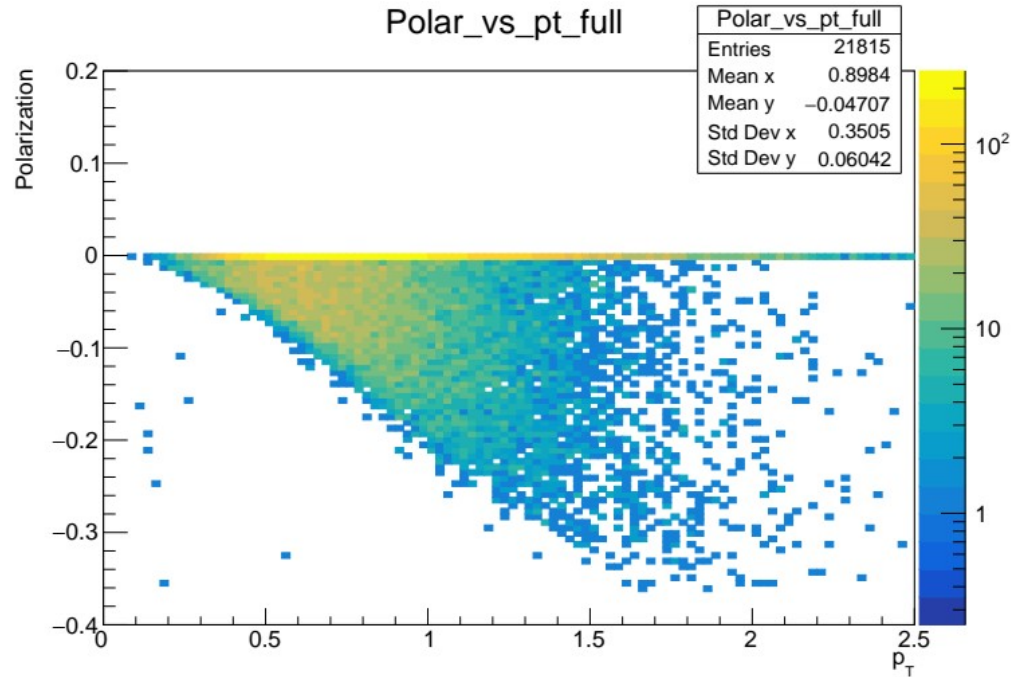


$\langle P \rangle$ (mean polarization) \rightarrow true mean polarization is smeared towards 0 due to non-polarized secondary Λ :

- $\langle P \rangle = -0.0471 \pm 0.06052$ (full)
- $\langle P \rangle = -0.0714 \pm 0.06179$ (only primary Λ)

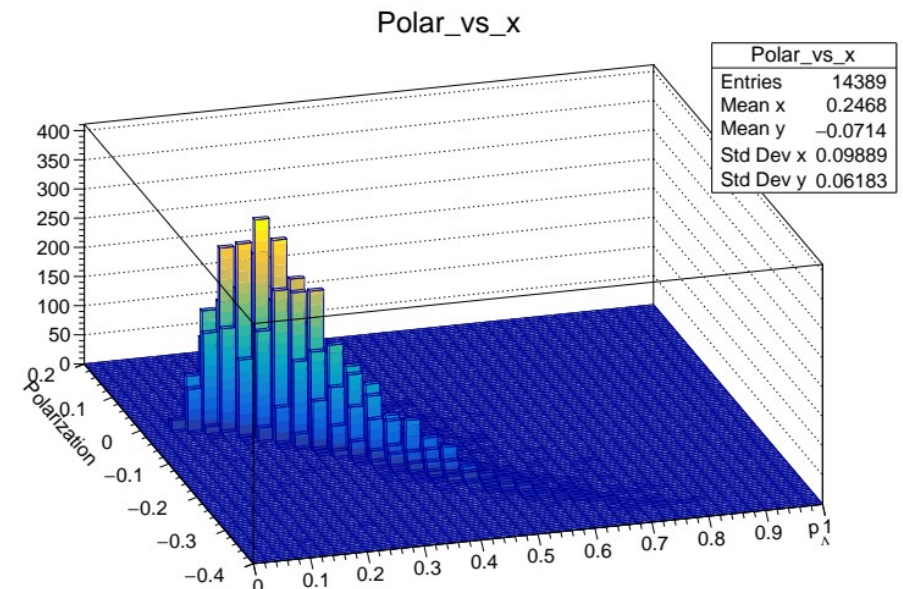
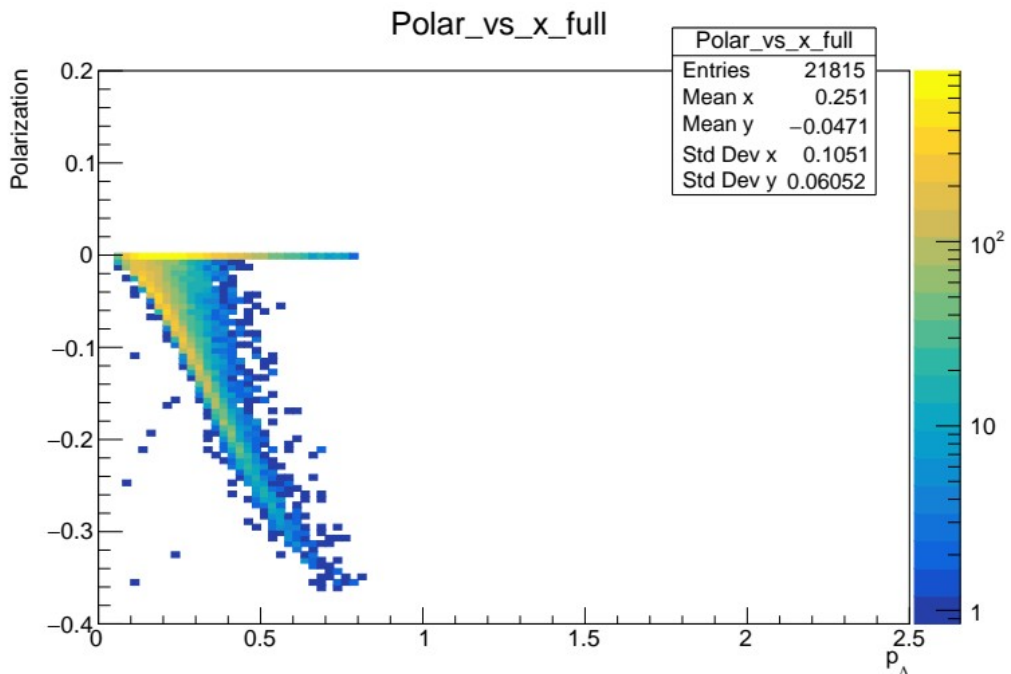
Major contributions from decays:





Polarization dependence on p_T (top) and $x = p_\Lambda/p_{\text{beam}}$ (bottom).

- Large fraction of non-polarized secondary Λ
- Reaches maximum at intermediate values of p_T and x
- Warrants a study in different regions of p_T (x)



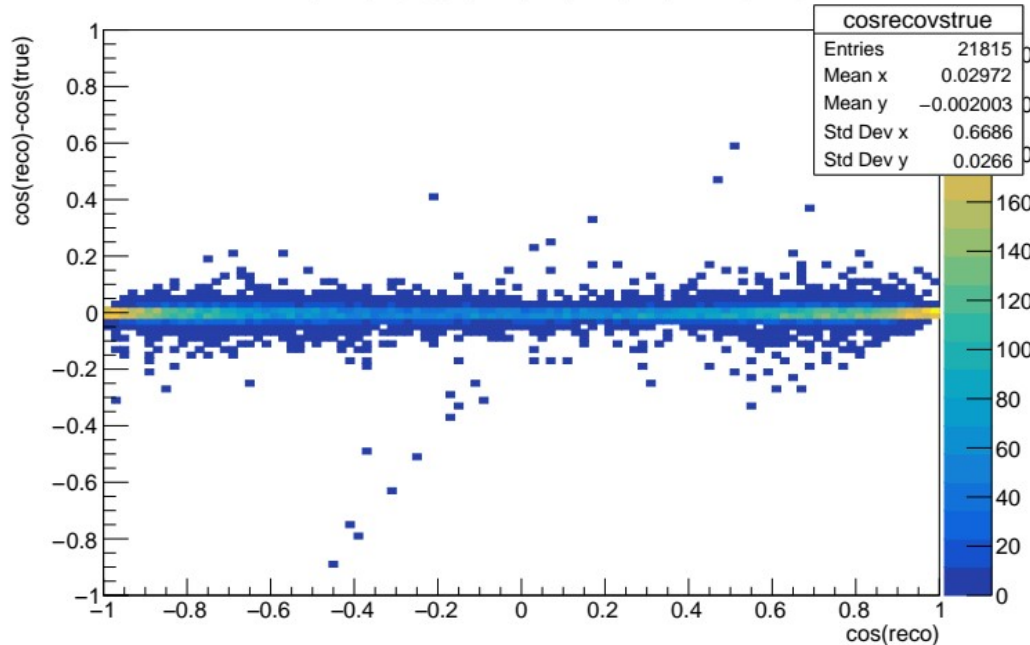


- Feasibility test of polarization extraction within the framework of the MPD experiment
 - Good sensitivity of the detector to inclusive Λ polarization
 - Reasonable extraction of Λ -hyperons via the weak decay
 - Need to account for secondary Λ -hyperons
- Outlook:
 - Perform feasibility test on MC simulation of global polarization
 - Estimate the sensitivity of the detector towards global polarization of Λ and anti- Λ hyperons
 - Include polarization effects for other hyperons and account for rescattering

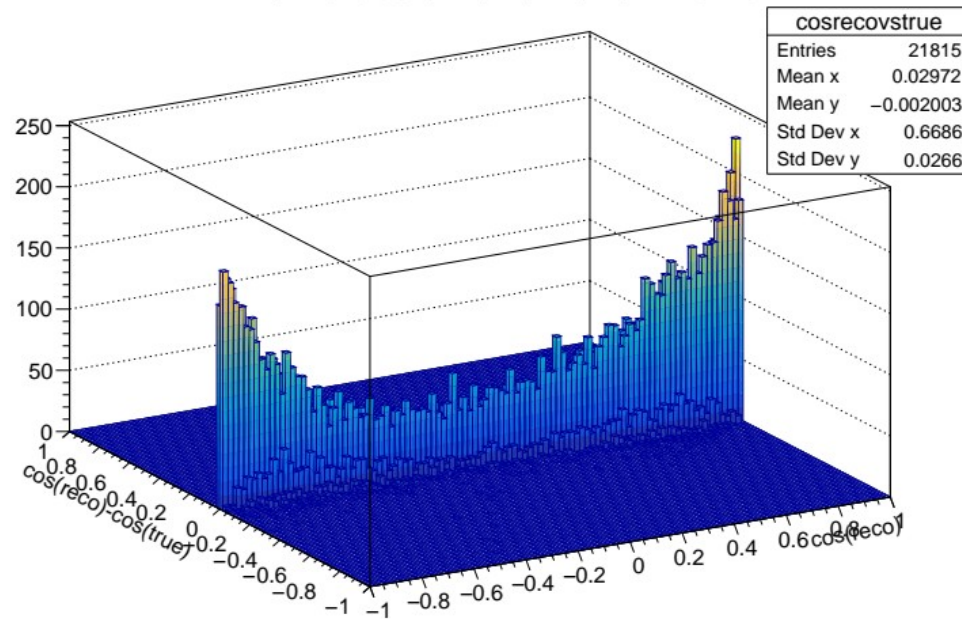


Thank you for your attention!

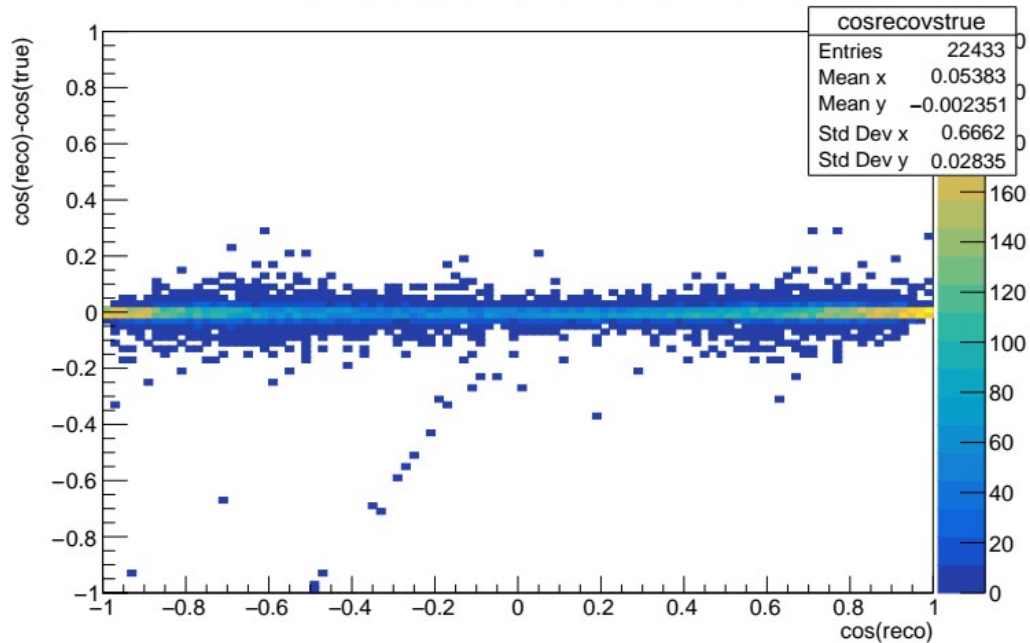
true lambda polar(origins[0]>0) cos(reco)-cos(true) vs cos(reco)+cut



true lambda polar(origins[0]>0) cos(reco)-cos(true) vs cos(reco)+cut



true lambda polar(origins[0]>0) cos(reco)-cos(true) vs cos(reco)+cut



true lambda polar(origins[0]>0) cos(reco)-cos(true) vs cos(reco)+cut

