The comparison of methods for anisotropic flow measurements with the MPD Experiment at NICA

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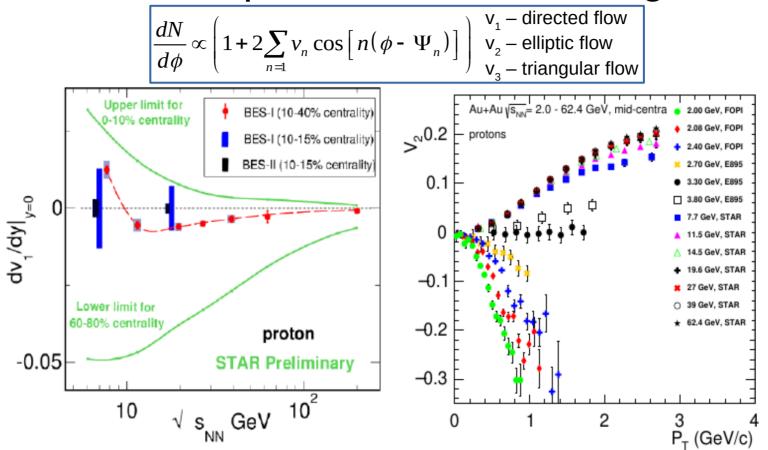
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Outline

- Anisotropic flow at NICA energies
- MPD experiment at NICA
- Flow performance in MPD
 - Methods descriptions
 - Performance study for v₁ and v₂ using different methods
 - Au+Au vs. Bi+Bi comparison
- Summary and outlook

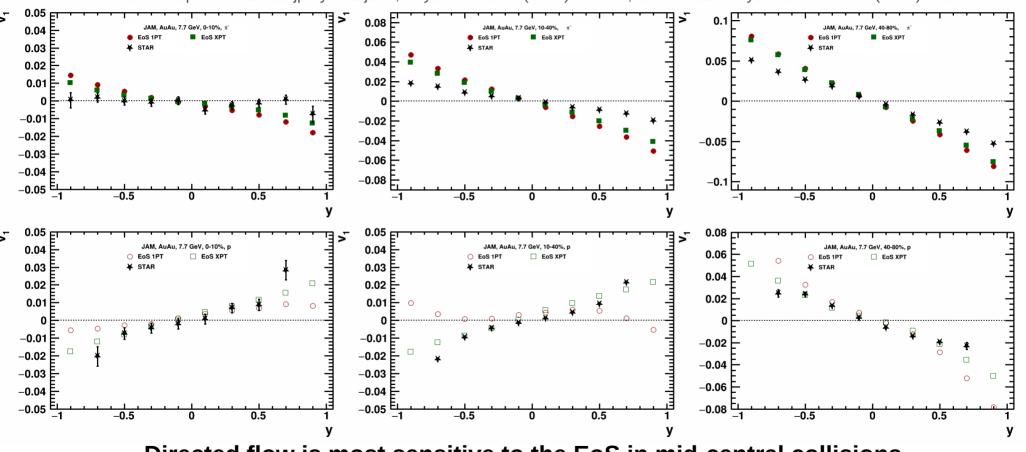
Anisotropic flow at NICA energies



- Both directed and elliptic flow are sensitive to the transport properties of the dense matter produced in the HIC (EoS, η /s, c_s, etc.)
- Large passing time → strong spectator influence on flow signal

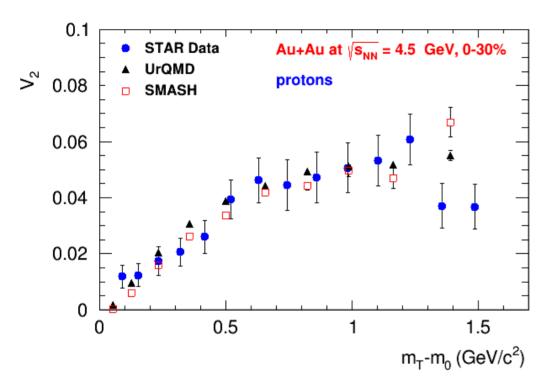
Rapidity dependence of directed flow: JAM EoS comparison

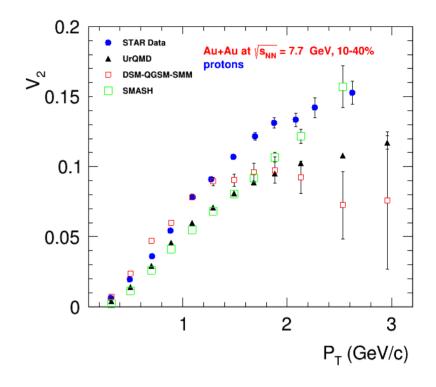
JAM model: http://www.aiu.ac.jp/~ynara/jam/, Phys. Rev. C 72 (2005) 064908; STAR data: Phys. Rev. Lett. 120 (2018) 62301



Directed flow is most sensitive to the EoS in mid-central collisions Slope $dv_1/dy|_{v=0}$ changes dramatically with centrality for protons

Elliptic flow: beam-energy dependence

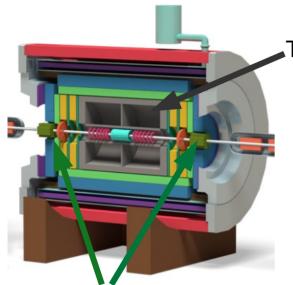




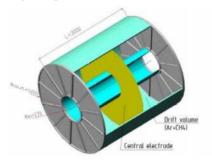
- At $\sqrt{s_{NN}}$ =4.5 GeV pure string/hadronic cascade models give similar v_2 signal compared to STAR data
- At $\sqrt{s_{NN}}$ =7.7 GeV pure string/hadronic cascade models underpredict v_2

Flow performance study at MPD (NICA)

Multi Purpose Detector (MPD)



Time projection chamber (TPC)



EP plane

FHCal (2<| η |<5) or TPC (| η |<1.5)

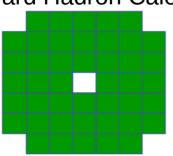
Time Projection Chamber (TPC)

- Tracking of charged particles within ($|\eta|$ < 1.5, 2π in ϕ)
- >PID at low momenta

Time of Flight (TOF)

>PID at high momenta

Forward Hadron Calorimeter (FHCal)



-5<η<**-**2



-1.5<η<1.5

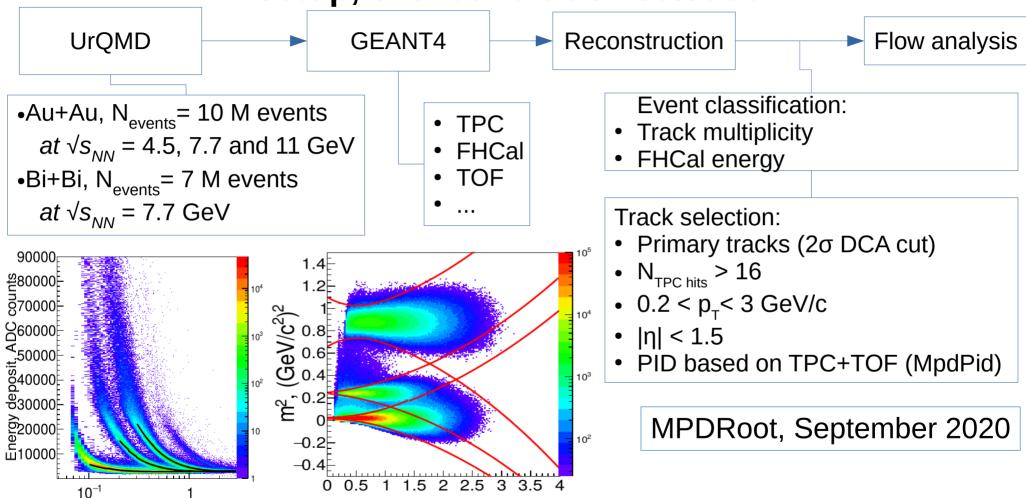
TP(

 $0.2 < p_T < 3 \text{ GeV}$

2<η<5

FHCal

Setup, event and track selection



Momentum, GeV/c

Momentum, GeV/c

Event plane method implementation in MPD (NICA)

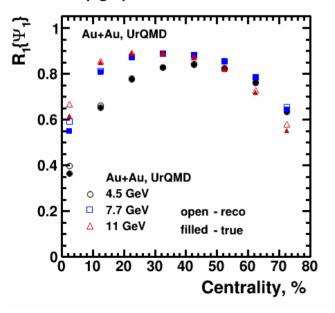
$$Q_{x}^{m} = \frac{\sum \omega_{i} \cos(m \varphi_{i})}{\sum \omega_{i}}, Q_{y}^{m} = \frac{\sum \omega_{i} \sin(m \varphi_{i})}{\sum \omega_{i}}, \Psi_{m}^{EP} = \frac{1}{m} \operatorname{ATan2}(Q_{y}^{m}, Q_{x}^{m}) \qquad Res_{n}^{2} \left[\Psi_{m}^{EP,L}, \Psi_{m}^{EP,R}\right] = \left\langle \cos[n(\Psi_{m}^{EP,L} - \Psi_{m}^{EP,R})] \right\rangle$$

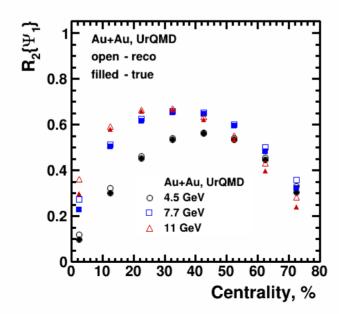
FHCal EP: m=1, $\omega = E$

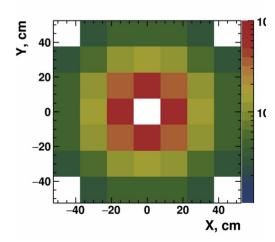
TPC EP: m=2, $\omega=p_{\rm T}$

 $Res_{n}^{2} \left\{ \Psi_{m}^{EP,L}, \Psi_{m}^{EP,R} \right\} = \left\langle \cos \left[n \left(\Psi_{m}^{EP,L} - \Psi_{m}^{EP,R} \right) \right] \right\rangle$ $Res_{n} \left\{ \Psi_{m}^{EP,true} \right\} = \left\langle \cos \left[n \left(\Psi_{RP} - \Psi_{m}^{EP} \right) \right] \right\rangle$ $v_{n} = \frac{\left\langle \cos \left[n \left(\Psi_{RP} - \Psi_{m}^{EP} \right) \right] \right\rangle}{Res_{n} \left\{ \Psi_{m}^{EP,true} \right\}}$

- Both FHCal and TPC detecors were used for EP:
 - Δη-gap>0.05 for TPC EP
 - Δη-gap>0.5 for FHCal EP







Energy distribution in FHCal

Direct cumulants method

Particle azimuthal moments.
$$\langle 2 \rangle_n = \langle e^{in(\varphi_i - \varphi_j)} \rangle \approx v_n^2 + \delta_n$$

$$\langle 4 \rangle_n = \langle e^{in(\varphi_i + \varphi_j - \varphi_k - \varphi_l)} \rangle \approx v_n^4 + 4 v_n^2 \delta_n + 2 \delta_n^2$$

$$\delta \text{ - is nonflow}$$

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$$\delta_{-\text{ is nonflow}}$$

$$\langle 4 \rangle_n = \frac{|Q_n|^2 - M}{M(M-1)}, Q_n \equiv \sum_{i=1}^M e^{in\varphi_i}$$

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Average over all events (RFP):

$$v_n \{2\}^2 = \langle \langle 2 \rangle \rangle_n$$

 $v_n \{4\}^4 = 2 \langle \langle 2 \rangle \rangle_n^2 - \langle \langle 4 \rangle \rangle_n$

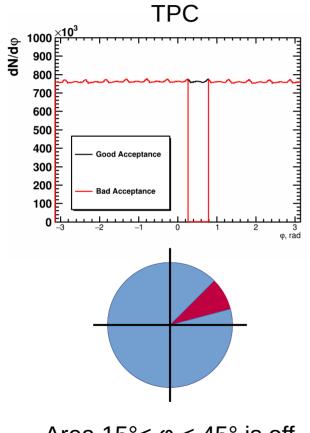
For exclusive region (POI):

$$v_{n}\{2'\} = \frac{\langle\langle 2'\rangle\rangle_{n}}{\sqrt{\langle\langle 2\rangle\rangle_{n}}}$$

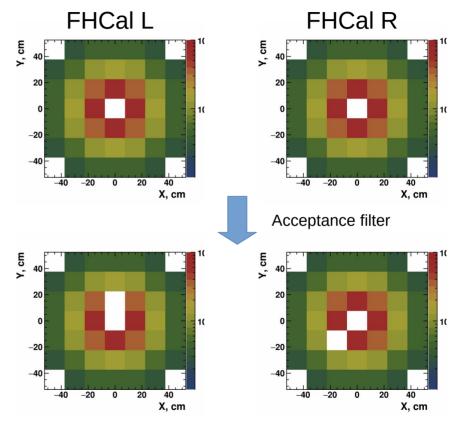
$$v_{n}\{4'\} = \frac{2\langle\langle 2'\rangle\rangle_{n}\langle\langle 2\rangle\rangle_{n} - \langle\langle 4'\rangle\rangle_{n}}{\left(2\langle\langle 2\rangle\rangle_{n}^{2} - \langle\langle 4\rangle\rangle_{n}\right)^{3/4}}$$

- Reference Flow Particle (RFP) integrated flow over the event (centrality dependence)
- Particle Of Interest (POI) differential flow (centrality, p_{τ} , ...)

Acceptance filter

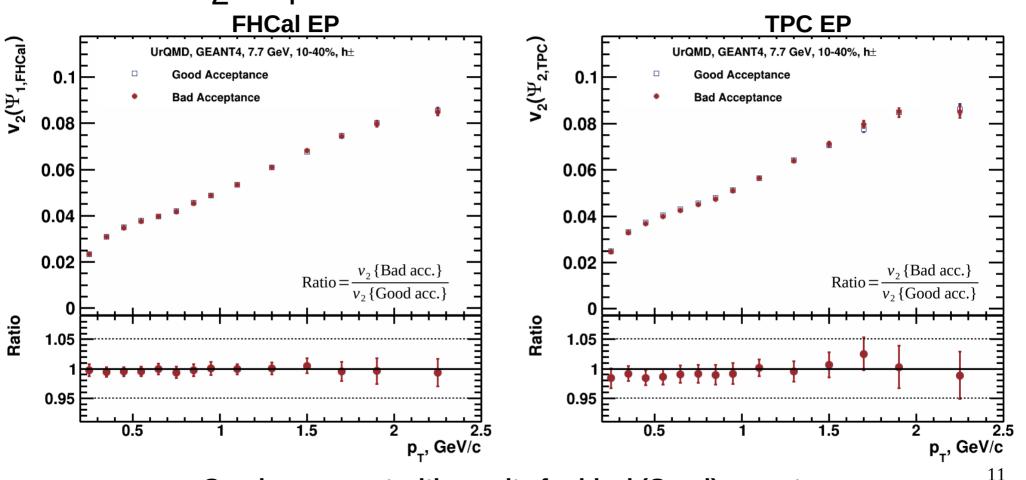


Area 15° < ϕ < 45° is off



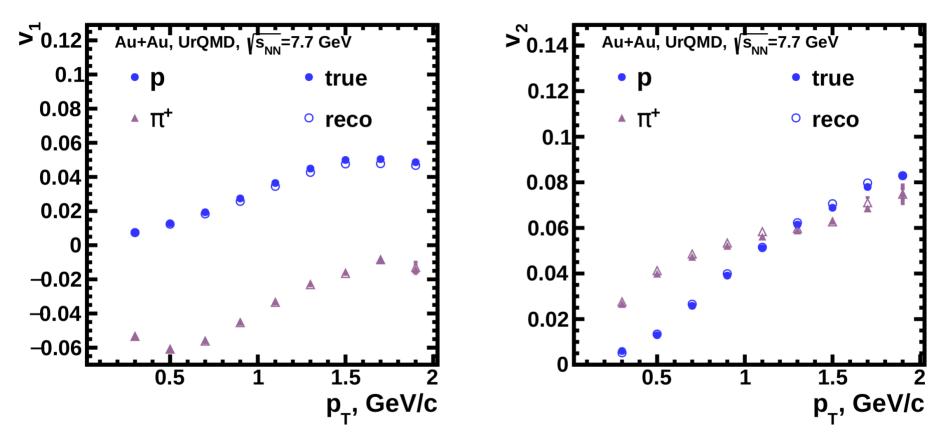
Modules 15 (L) and 28 (R) are off

$v_2(p_T)$: check of corrections



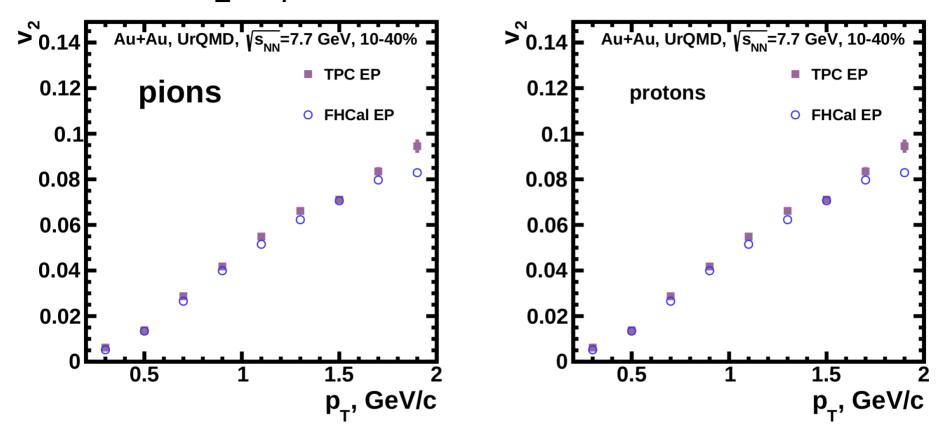
Good agreement with results for ideal (Good) acceptance

p_T -dependence of v_1 and v_2 of reconstructed signal



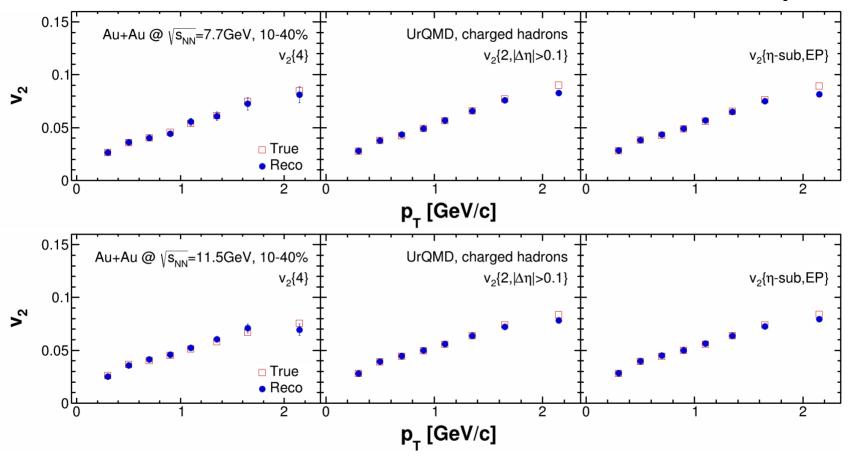
Both directed and elliptic flow results after reconstruction and resolution correction are consistent to that of MC simulation

$v_2(p_T)$: FHCal EP vs TPC EP



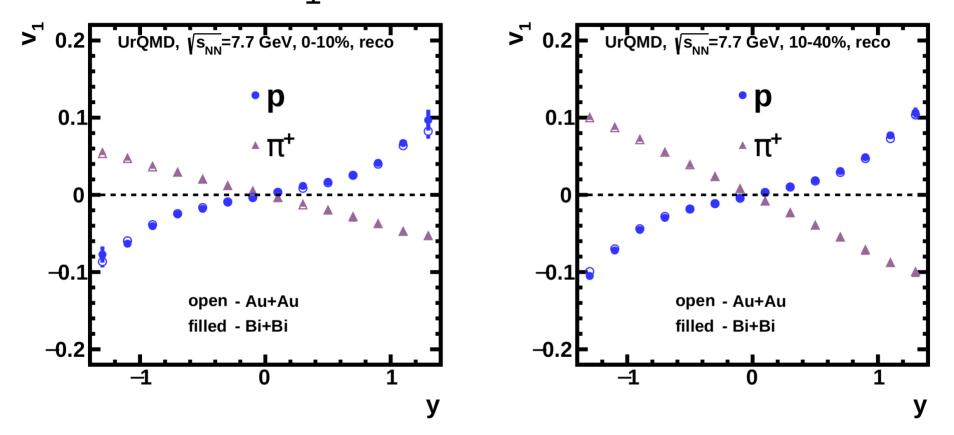
Expected small difference between v_2 measured with respect TPC ($\Psi_{2,EP}$) and FHCal ($\Psi_{1,EP}$)

Direct cumulant measurements in MPD (NICA)



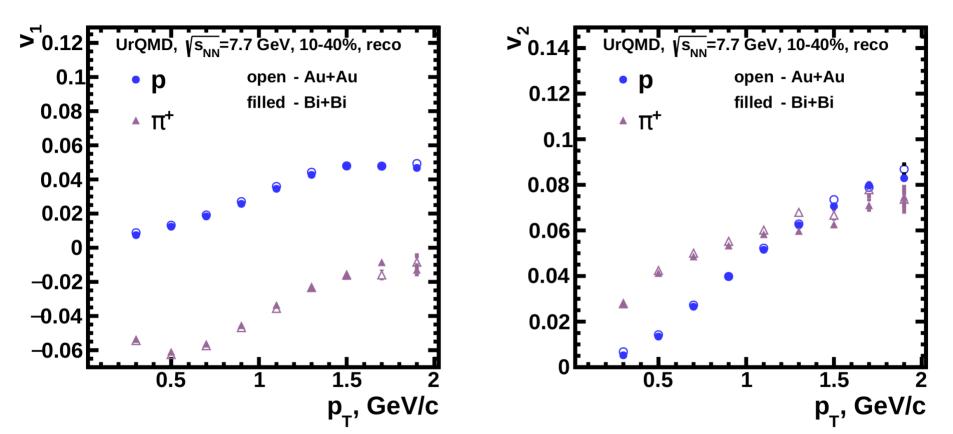
Elliptic flow results using direct cumulant and EP methods after reconstruction are consistent to that of MC simulation

v₁(y): Bi+Bi vs Au+Au



Expected small difference for v1 (y) for particles produced in Au+Au and Bi+Bi collisions.

$v_n(p_T)$: Bi+Bi vs Au+Au



Expected small difference for v1 and v2 for particles produced in Au+Au and Bi+Bi collisions.

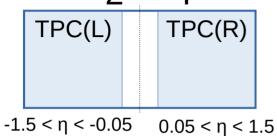
Summary

- Comparison of models with STAR data shows that at NICA energy range:
 - Slope $dv_1/dy|_{v=0}$ of protons changes sign with centrality
 - v_2 shows non-monotonic growth with increasing beam energy (from $\sqrt{s_{NN}}$ = 4.5 to 7.7 GeV)
- Full reconstruction chain was implemented in MPD:
 - Combined particle identification based on TPC and TOF
 - Realistic hadronic simulation (GEANT4)
 - Corrections allow us to perform flow measurements even with non-uniform acceptance
- Reconstructed v_1 , v_2 are in an agreement with MC generated data for both event plane and direct cumulant methods
- v₁ and v₂ show small difference between Au+Au and Bi+Bi collisions

Thank you for your attention!

Backup

$v_2(p_T)$: EP vs. SP methods



Left TPC half
$$(\eta < -0.05) \rightarrow \eta_{-}$$

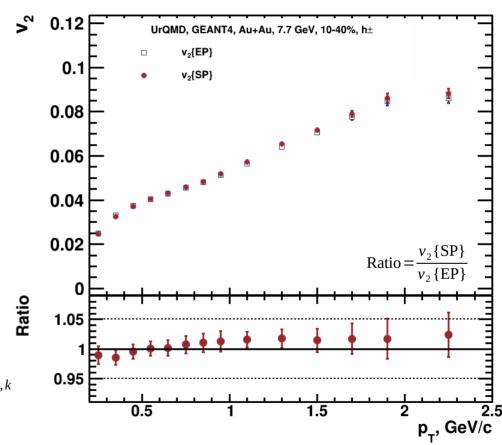
Right TPC half $(\eta > 0.05) \rightarrow \eta_{+}$

Event Plane (EP):

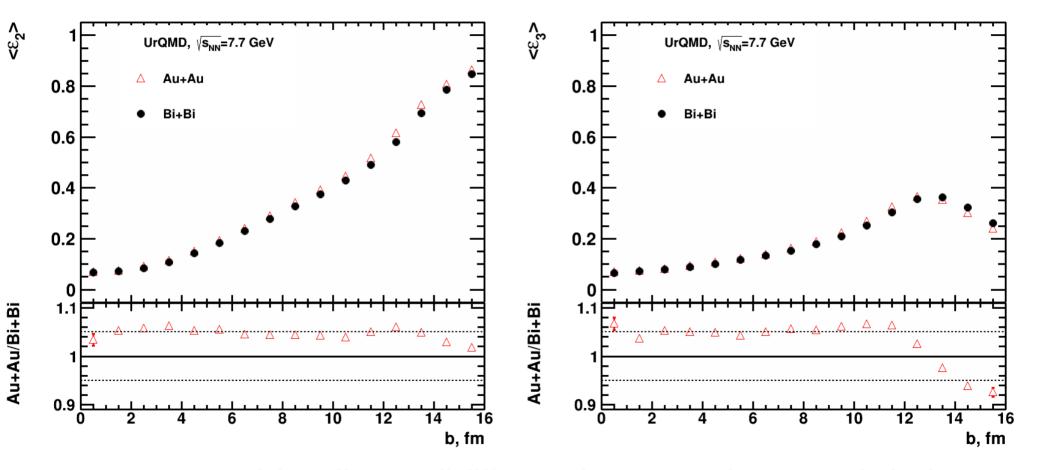
$$v_{2} \{ \text{EP} \} = \frac{\left\langle \cos \left[2 \left(\varphi_{\eta \pm} - \Psi_{2, \eta \mp} \right) \right] \right\rangle}{\sqrt{\left\langle \cos \left[2 \left(\Psi_{2, \eta \pm} - \Psi_{2, \eta -} \right) \right] \right\rangle}}$$

Scalar Product (SP):

$$v_{2}\{SP\} = \frac{\langle u_{2,\eta\pm} Q_{2,\eta\mp}^{*} \rangle}{\sqrt{\langle Q_{2,\eta-} Q_{2,\eta+}^{*} \rangle}}, \quad u_{2} = e^{i(2\varphi)}, \quad Q_{2} = \sum_{k}^{k_{\text{tracks}}} u_{2,k}$$

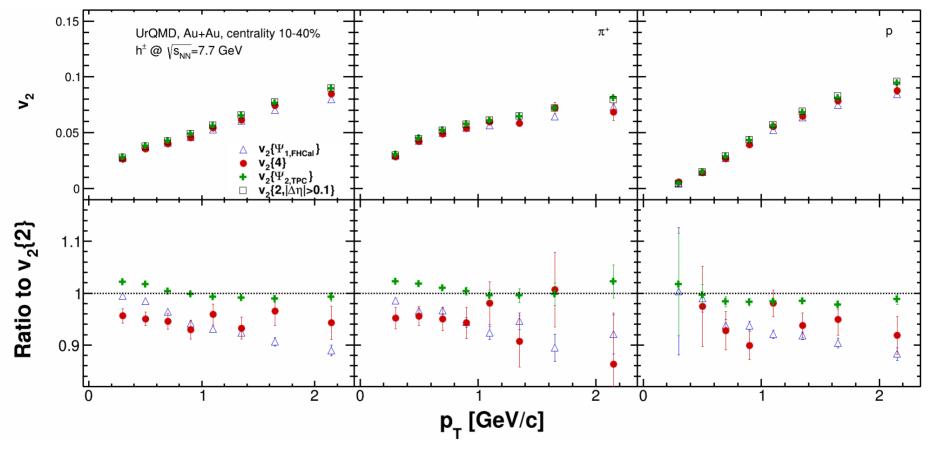


Eccintricity: Bi+Bi vs Au+Au



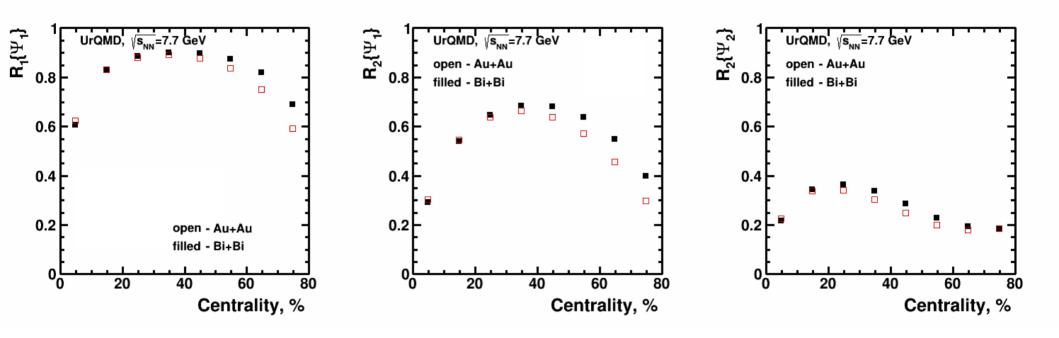
UrQMD model predicts small difference between ε_n of Au+Au and Bi+Bi

Direct cumulants in MPD



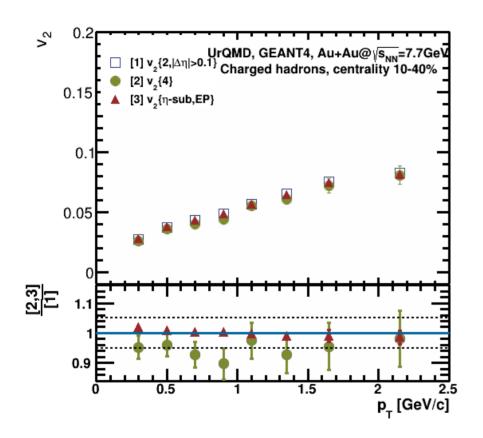
 v_2 {2} and v_2 ($\Psi_{2,EP}$) are in a good agreement v_2 {4} and v_2 ($\Psi_{1,EP}$) are smaller compared to v_2 {2} due to fluctuations and nonflow

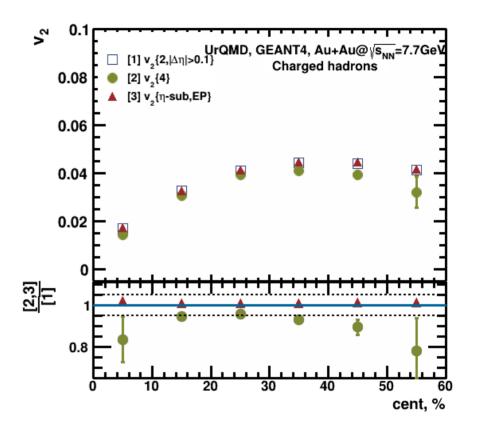
EP Resolution: Bi+Bi vs Au+Au



Expected small difference between EP resolutions for Au+Au and Bi+Bi

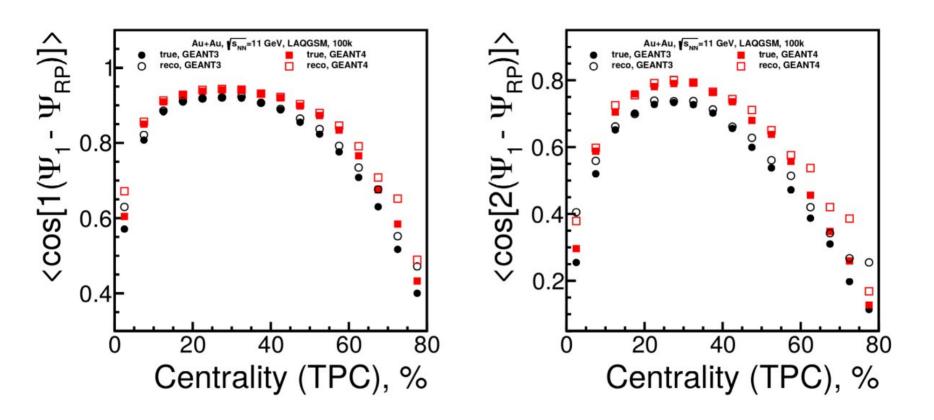
Direct cumulant measurements in MPD (NICA)





- > $v_2\{2\}$ and $v_2(\Psi_{2,EP})$ are in a good agreement
- v_2 {4} is smaller compared to v_2 {2} and v_2 ($\Psi_{2,EP}$)

Resolution correction factor: GEANT3 vs GEANT4 comparison



GEANT4 has more realistic hadronic shower simulation In the future: use models with fragments in the spectator area