

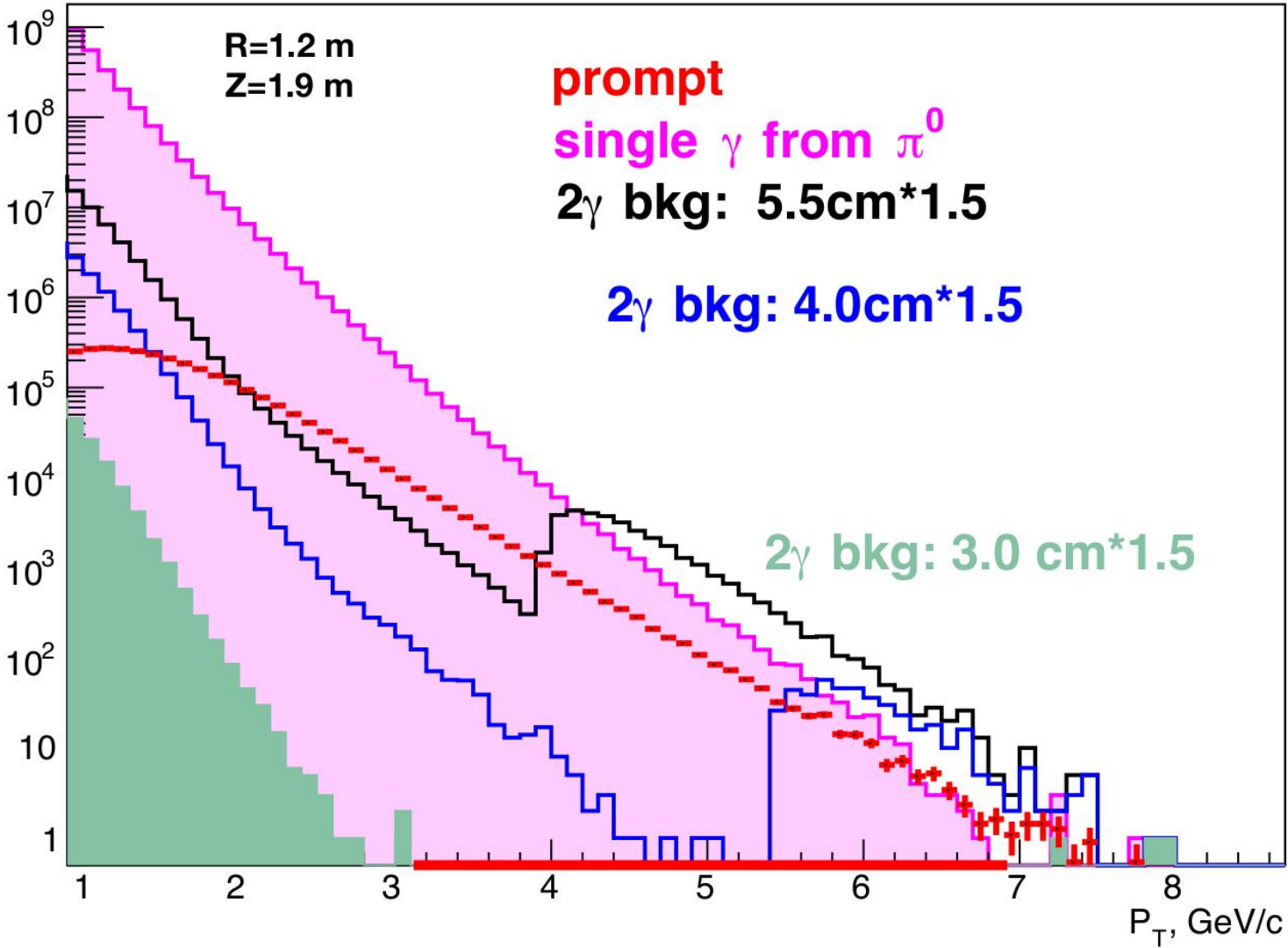
# Separation of $\gamma/\pi^0$ clusters in SPD ECAL

SPD Physics & MC meeting

07.10.2020

# Motivation

**Figure by Alexey Guskov**



Physics goal:  
measurements with prompt photons  
at  $p_T > \sim 4 \text{ GeV}$

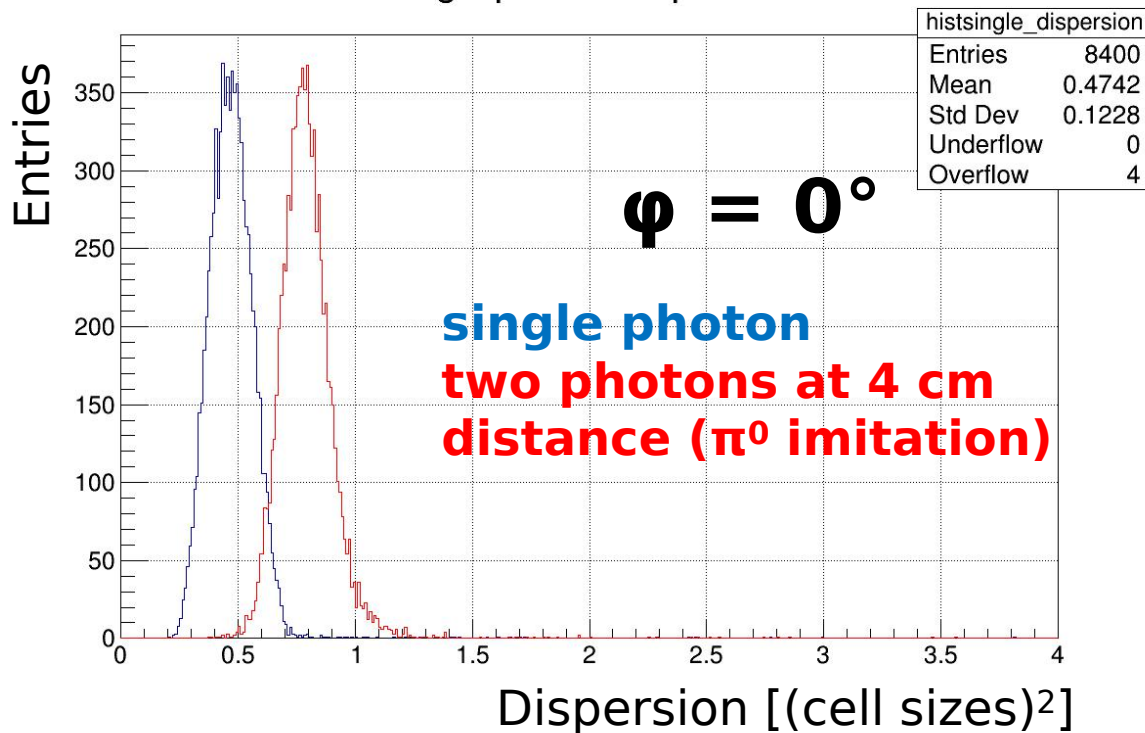
Recently, size of ECAL was decreased  
→ smaller distance between photons  
from  $\pi^0 \rightarrow \gamma\gamma$  decay  
→ more  $\pi^0$  are misidentified as  $\gamma$  in ECAL

# Cluster shape analysis

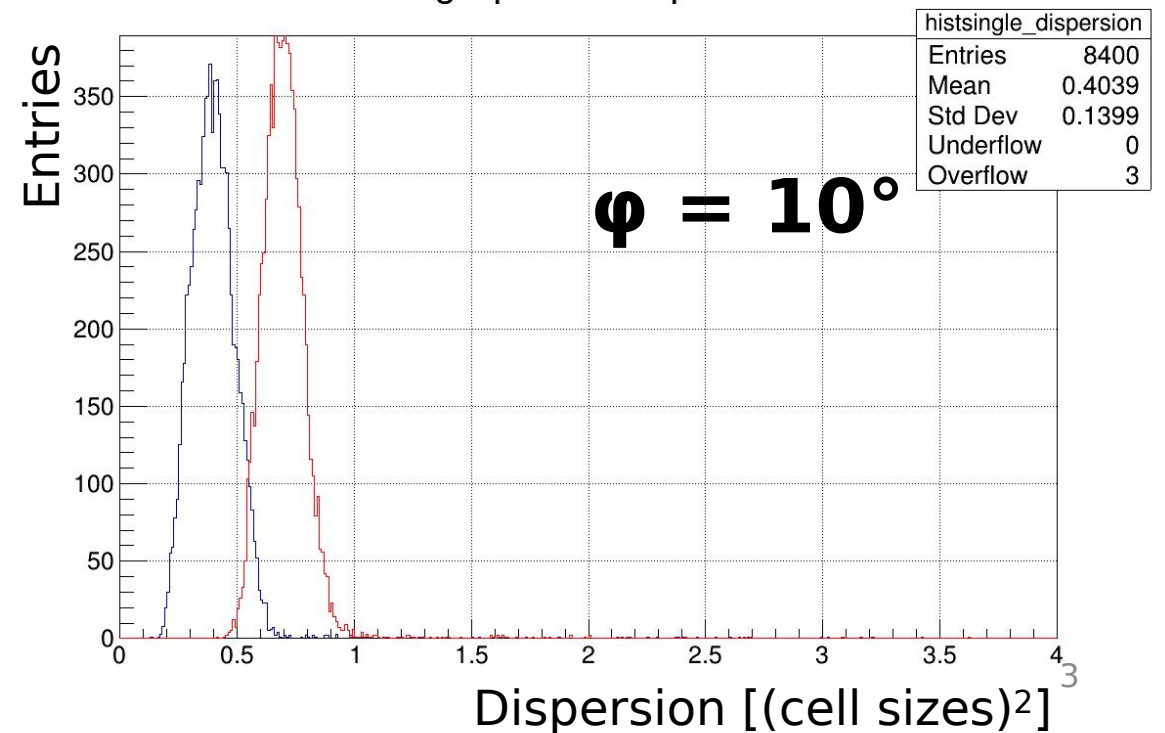
“Dispersion”:  $r^2 = \langle r^2 \rangle = S_{XX} + S_{YY} = \frac{\sum_{i=1}^N e_i ((x_i - x_c)^2 + (y_i - y_c)^2)}{\sum_{i=1}^N e_i}$   $x_c, y_c$ : cluster center of gravity

(4x4 cm non-projective cell) **one can separate  $\pi^0/\gamma$  clusters using “dispersion”**

single photon: dispersion



single photon: dispersion



# Cluster shape analysis

<https://cds.cern.ch/record/2042173/files/LHCb-PUB-2015-016.pdf>

Other variables can be used:

- The first one is related to the size of the cluster, referred to as  $r^2$  or shower shape. It is simply the second order momenta:

$$r^2 = \langle r^2 \rangle = S_{XX} + S_{YY} = \frac{\sum_{i=1}^N e_i ((x_i - x_c)^2 + (y_i - y_c)^2)}{\sum_{i=1}^N e_i} \quad (3)$$

- The second variable informs about the importance of the tails, here referred to as  $r^2r^4$ :

$$r^2r^4 = 1 - \frac{\langle r^2 \rangle^2}{\langle r^4 \rangle} \quad (4)$$

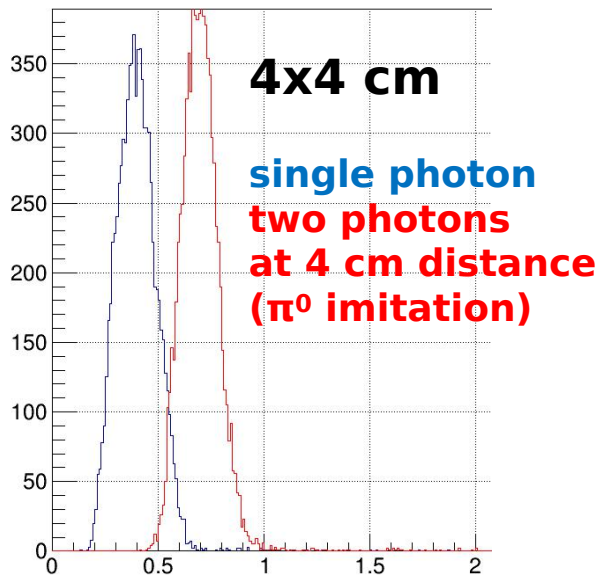
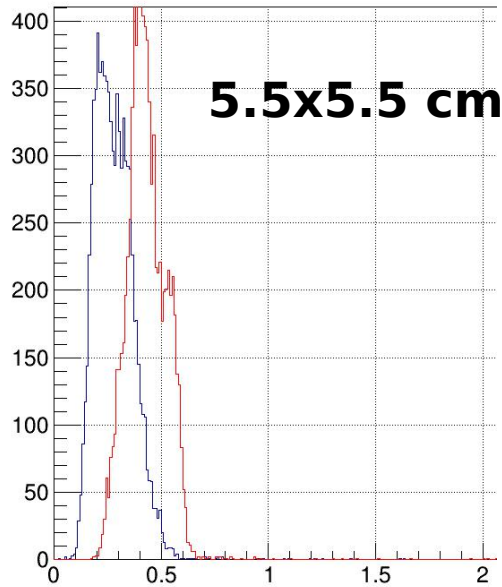
- The following is known as  $\kappa$  and is related to the ratio of the eigenvalues of the matrix  $S$ , which is  $(1 + \kappa)/(1 - \kappa)$ . Thus, it relates to the major and minor semi-axes of an ellipse.

$$\kappa = \sqrt{1 - 4 \frac{S_{XX}S_{YY} - S_{XY}^2}{(S_{XX} + S_{YY})^2}} = \sqrt{1 - 4 \frac{\det S}{\text{Tr}^2 S}} \quad (5)$$

- The last one, referred to as *asym*, provides information about the orientation of the ellipse or correlation between X and Y coordinates.

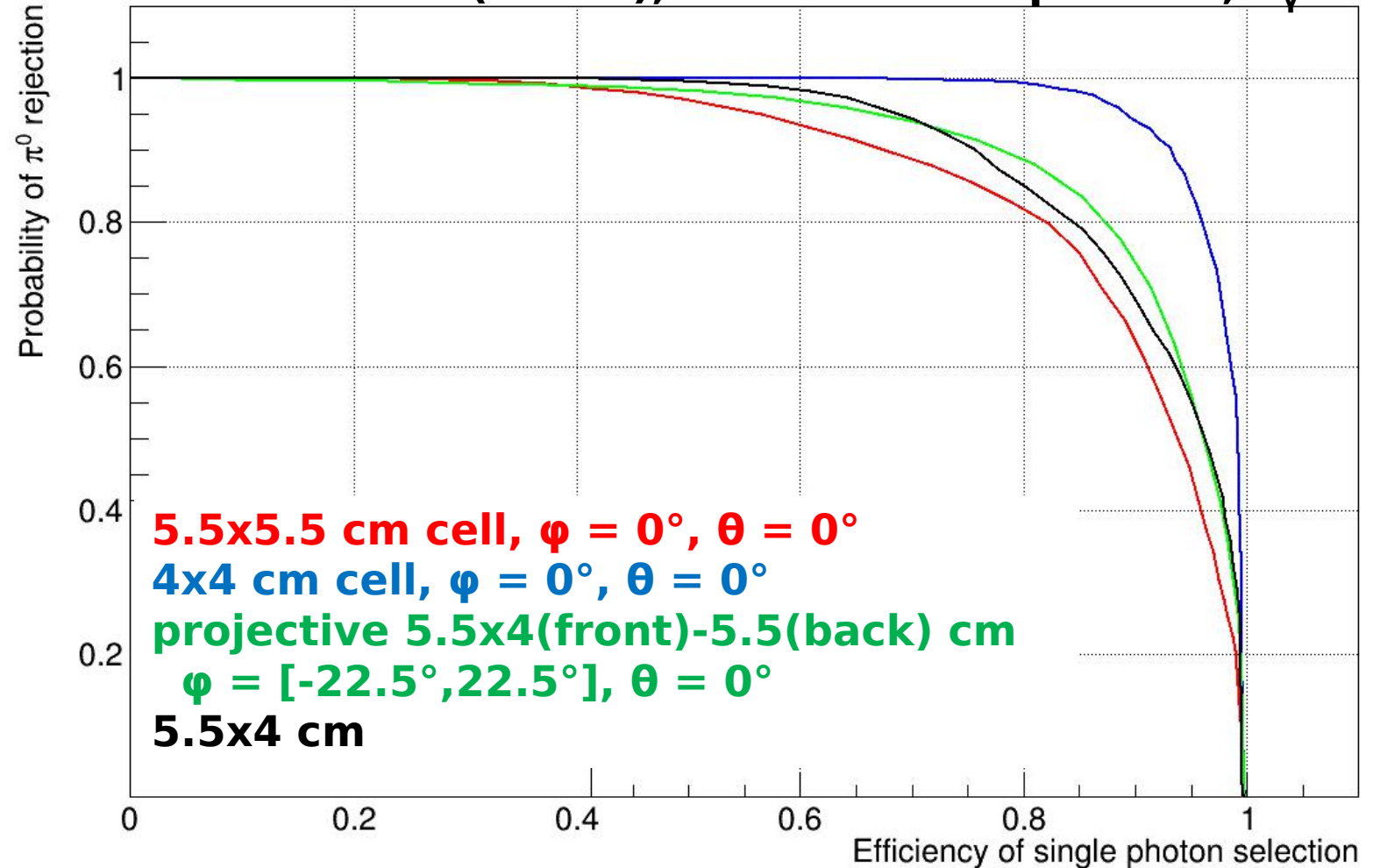
$$\text{asym} = \frac{S_{XY}}{\sqrt{S_{XX}S_{YY}}} \quad (6)$$

# Comparison of different cell sizes



Each possible “dispersion” cut  $\rightarrow$  point on “efficiency/purity” graph

“ideal” conditions ( $\theta = 0^\circ$ ), 4 cm between photons,  $E_\gamma = 3$  GeV



# Comparison of different cell sizes

$\pi^0$  decays generated,

$|\cos(\theta)| < 0.8$  (barrel),

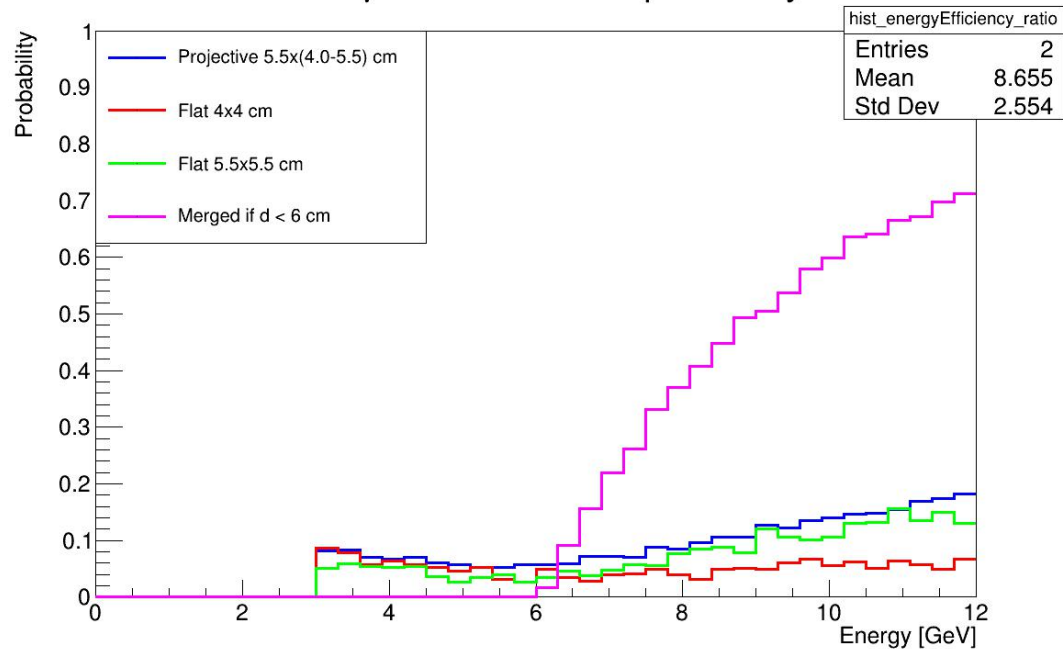
$3 \text{ GeV} < E_{\pi^0} < 12 \text{ GeV}$ ,

$\varphi = 0^\circ$  for non-projective geometries

**Dispersion cut as a function of  $\theta$  is selected so that 80% of photons are accepted**

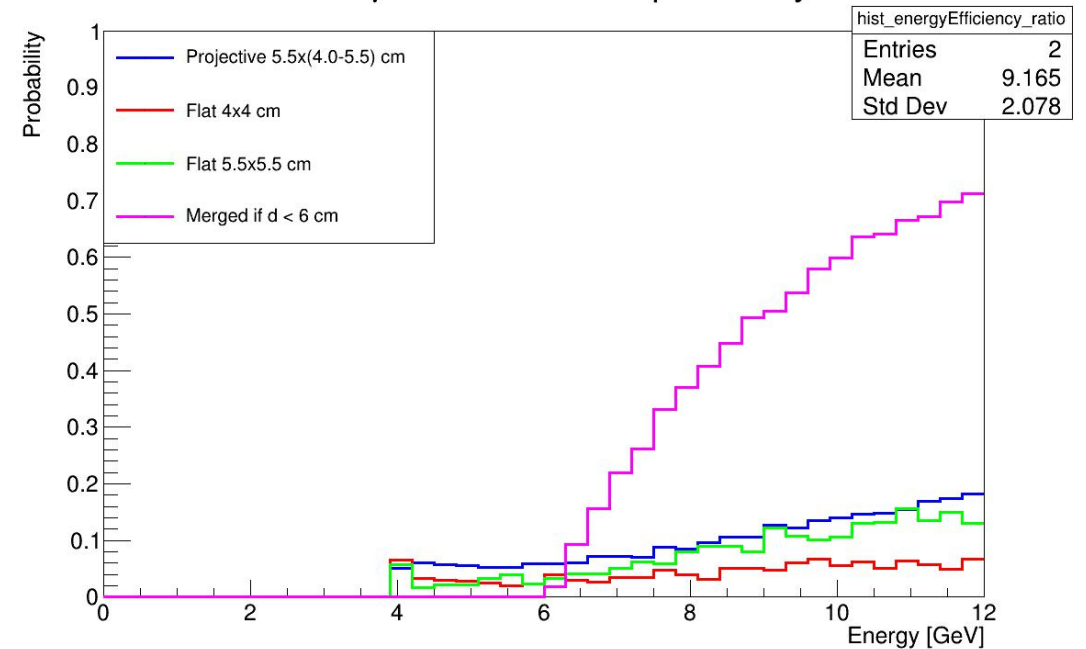
**no  $p_T$  cut**

$\pi^0 \rightarrow \gamma$  misidentification probability



**$p_T$  cut:  $p_T > 4 \text{ GeV}/c$**

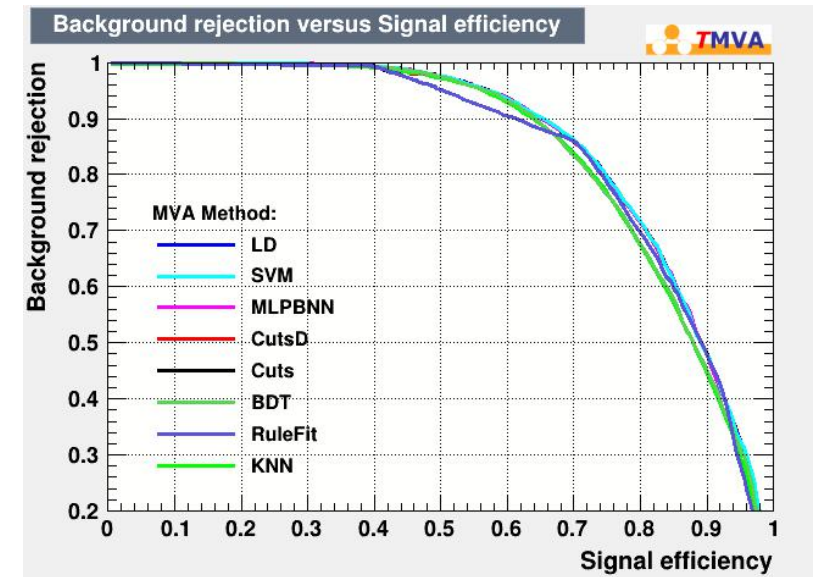
$\pi^0 \rightarrow \gamma$  misidentification probability



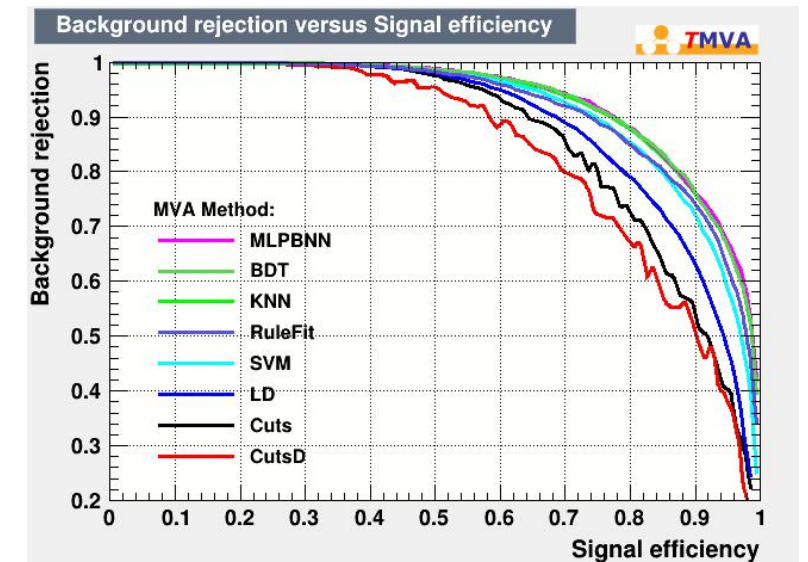
# Other points

- The separation algorithm can be improved using other variables besides “dispersion”:  
background suppression 2-2.5 times
- In real data, more systematics may arise from calibrations etc.

$\varphi = [-22.5^\circ, 22.5^\circ]$ ,  $\theta = 0$ ,  
Two parameters: dispersion +  $\varphi$

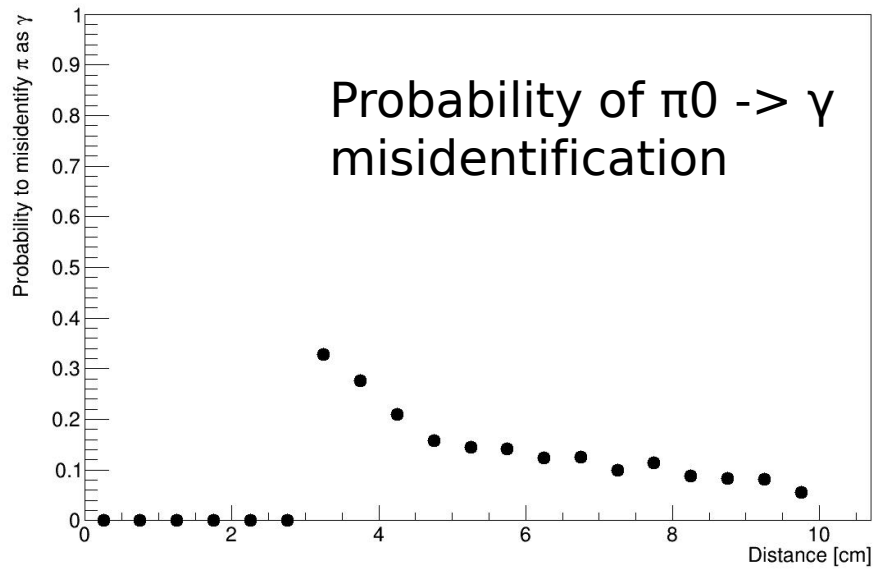


$\varphi = [-22.5^\circ, 22.5^\circ]$ ,  $\theta = 0$ ,  
Four parameters: dispersion, r2r4,  $\kappa$ , asym

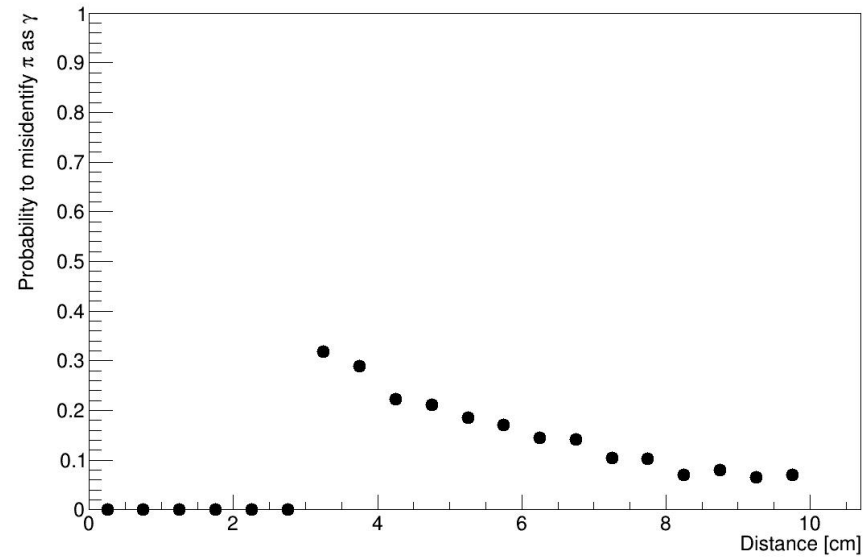


# Fast reconstruction: merging probability

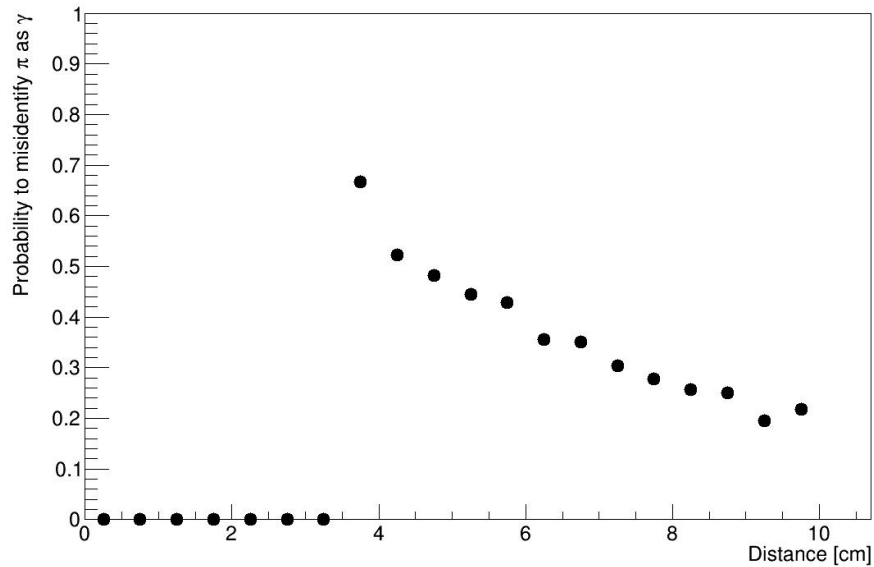
0.000000 < angle < 5.729578



11.459156 < angle < 17.188734



34.377468 < angle < 40.107046

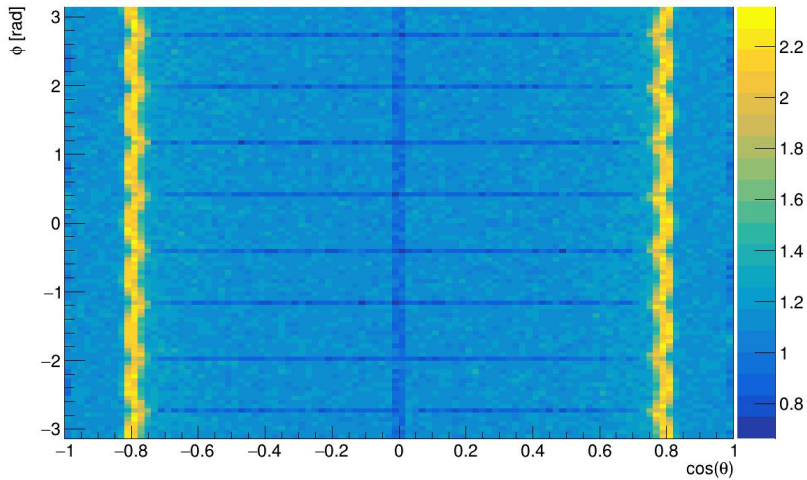


5.5 cm cell (!)  
Selecting 80% photons

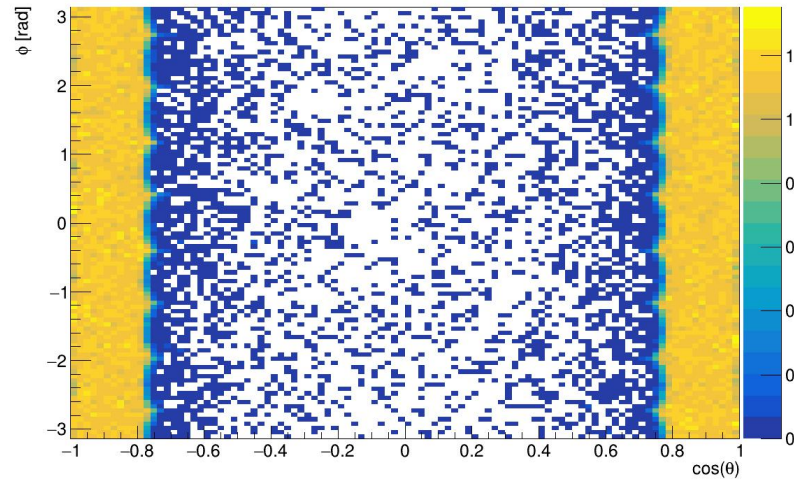


# Full reconstruction: ECAL integrity

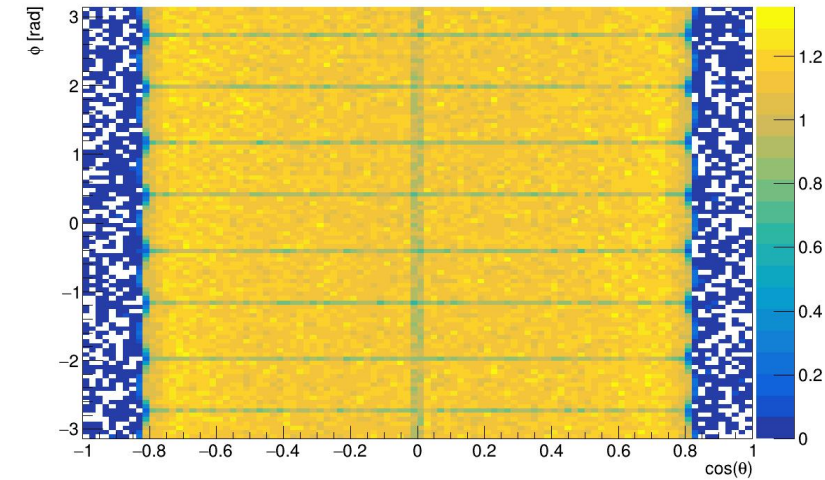
Average number of reconstructed particles



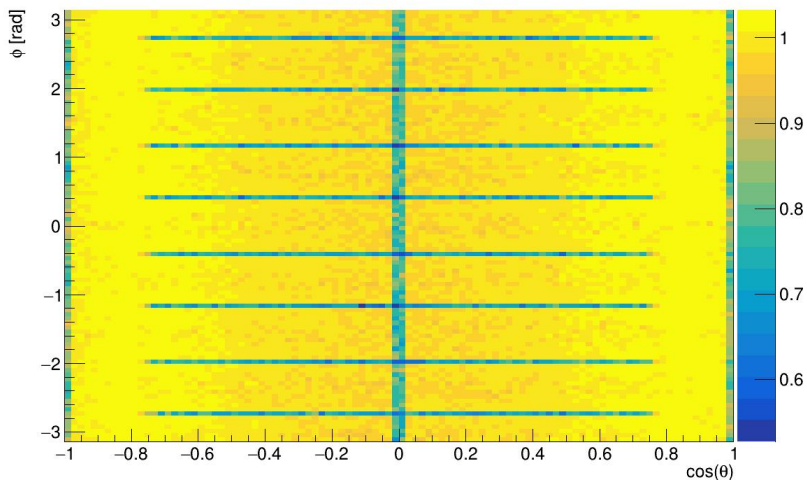
Average number of reconstructed particles in endcap



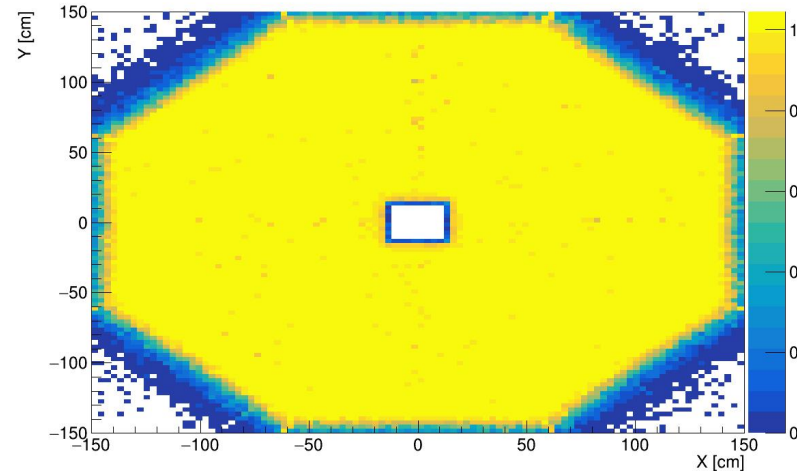
Average number of reconstructed particles in barrel



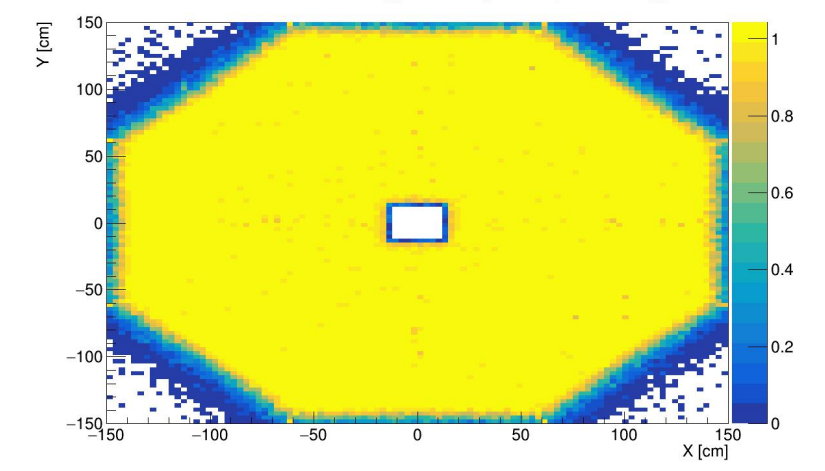
Ratio of Reconstructed energy to MC photon energy



Ratio of reconstructed energy in +endcap to MC photon energy

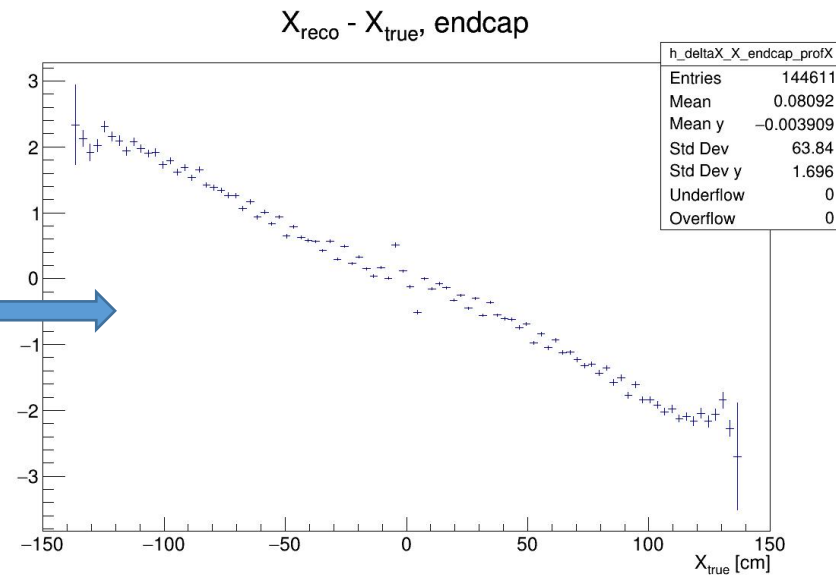
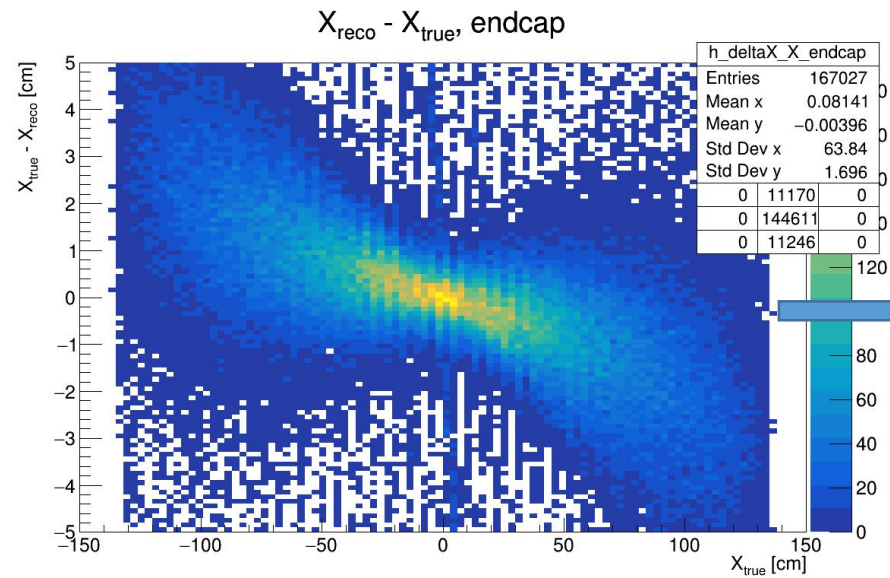


Ratio of reconstructed energy in -endcap to MC photon energy

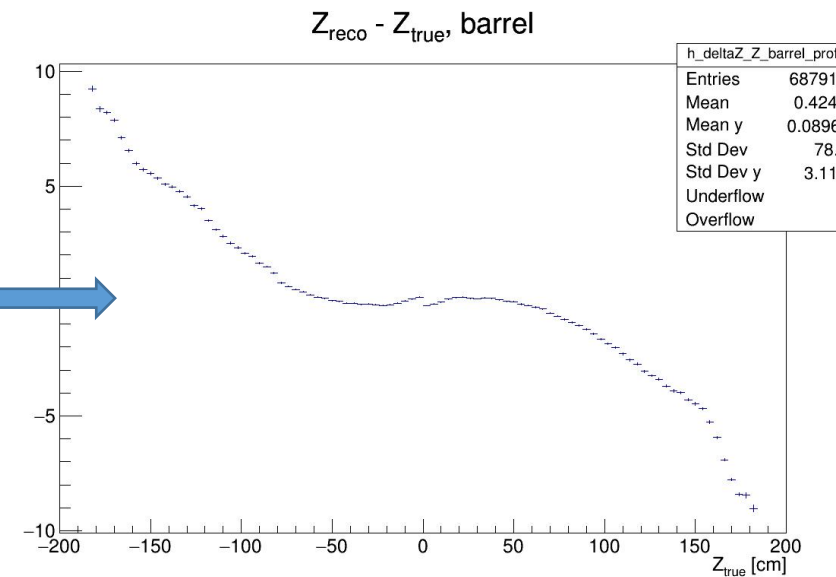
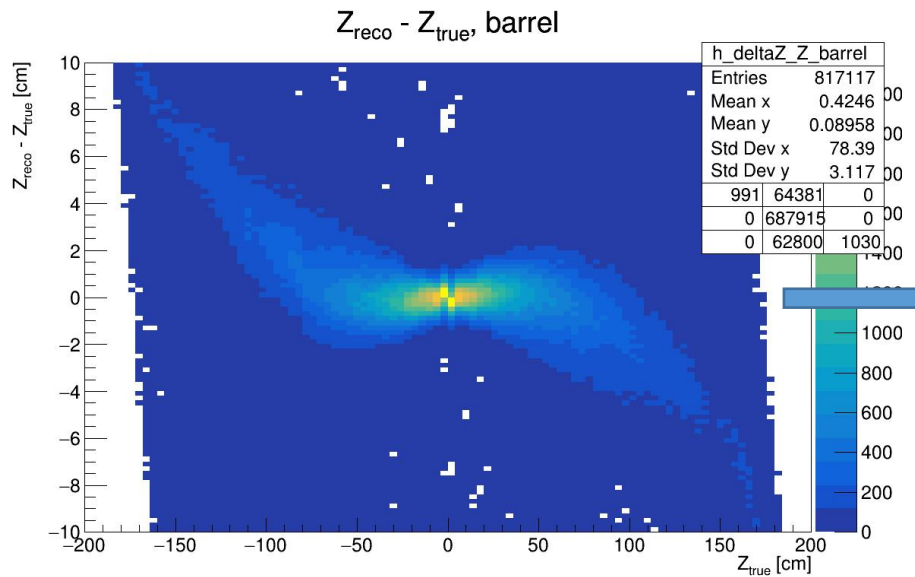


Medium is simulated properly, need combined Endcap+Barrel clustering  
Need particle energy threshold

# Full reconstruction: position resolution



$$X_{\text{corr}} = f_{\text{pol1}}(X)$$



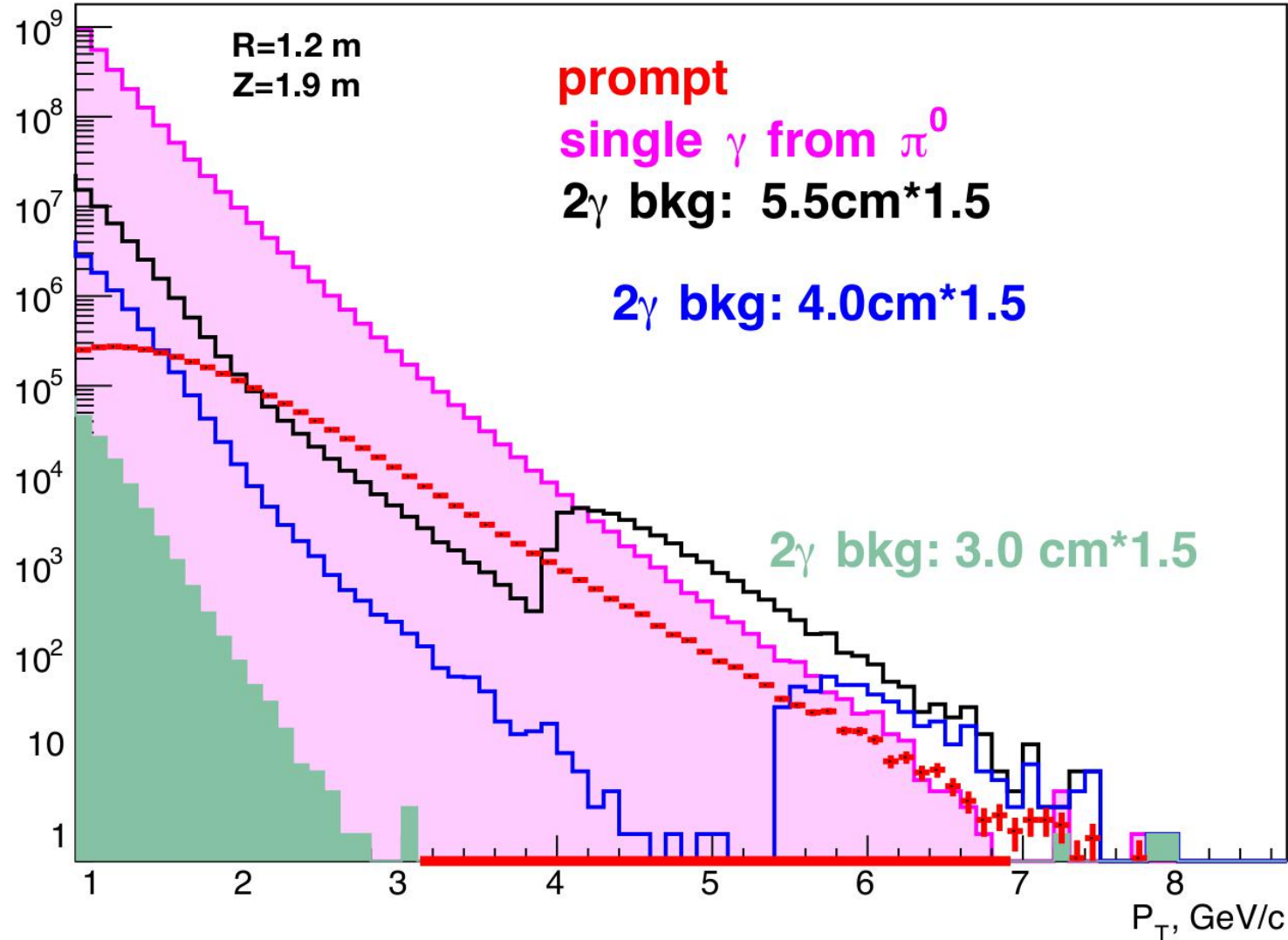
$$Z_{\text{corr}} = f_{\text{pol3}}(Z)$$

# Conclusions

- From naive calculation, 4x4 cm cell: while selecting 80%  $\gamma$  clusters, 95% of  $\pi^0$  clusters will be rejected (only barrel).
- This rough estimate can be improved by using more cluster shape variables and worsened due to systematics, specific to real data.
- First version of **fast** reconstruction: Friday 09.10
- First version of **full** reconstruction: Monday-Tuesday next week

# Conclusions

**Figure by Alexey Guskov**



**The blue curve** -> improved by  
~1 order of magnitude