

# On ToF-400 $K^+$ and $\pi^+$ analysis in Ar run

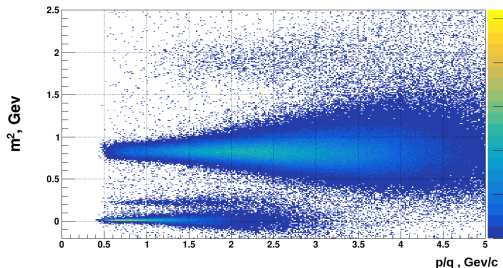
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October 3, 2021

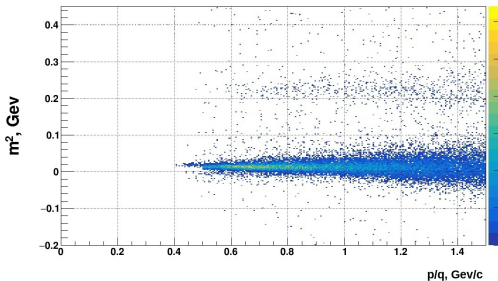
## Issues

- 1 **Estimation of trigger efficiency** for different trigger conditions: (BD>1, BD>2, BD>3, FD>2, FD>3) on ToF-400 in Ar run.  
*BD - barrel detector, FD - silicon detector, 1-3 - number of counts.*
- 2 **Identification of  $K^+$  and  $\pi^+$**   
on ToF-400 in Ar run at momentum:  $(0.5 < p < 2.3 \text{ GeV}/c)$

## 2-dimensional Mass square histograms



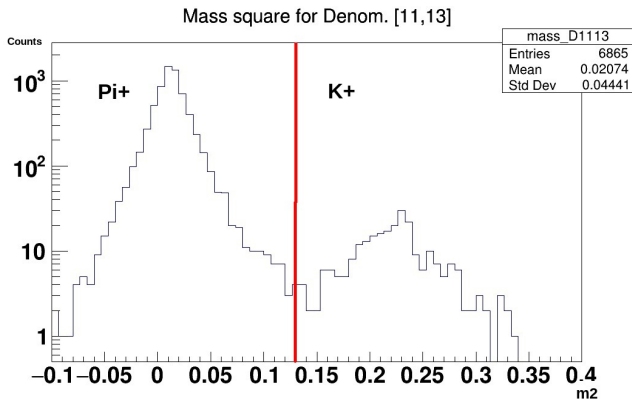
- Momentum for trigger efficiency  
 $0.5 < p < 1.5 \text{ GeV/c}$
- Momentum for particle identification  
 $0.5 < p < 2.3 \text{ GeV/c}$



## How to estimate trigger efficiency?

- 1 To create 1-dimensional mass square histogram according to the number of tracks participated in primary vertex in 2 ways :
  - Numerator**- with trigger condition.
  - Denominator**-without trigger condition which efficiency is estimated.
- 2 To define conditions for particle identification.
- 3 To find the ratio **Numerator/Denominator**.
- 4 To estimate binomial error.

# Mass square histogram FD>3 for [11,13]

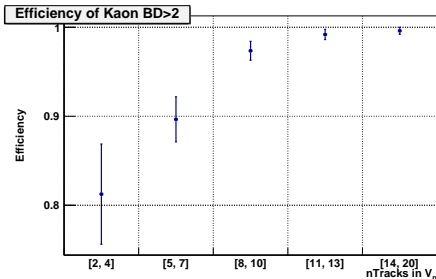


if ( $m^2 > -0.1$ ) and ( $m^2 < 0.13$ ) -  $\pi^+$

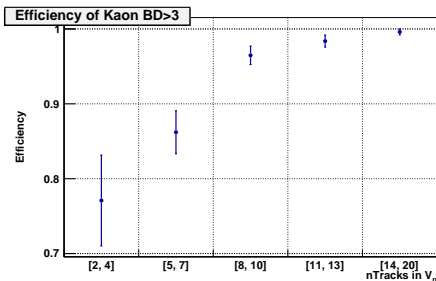
if ( $m^2 > 0.13$ ) and ( $m^2 < 0.34$ ) -  $K^+$

- The Centrality bins is taken according to number of tracks participated in  $V_p$ .

# Trigger efficiency for Kaon $BD>2$ , $BD>3$

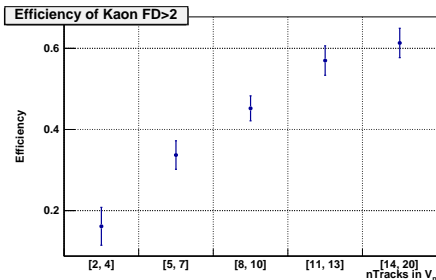


- $BD>2$ 
  - [2,4]- $81 \pm 5\%$
  - [5,7]- $90 \pm 3\%$
  - [8,10]- $97 \pm 1\%$
  - [11,13]- $99.2 \pm 0.6\%$
  - [14,20]- $99.6 \pm 0.4\%$

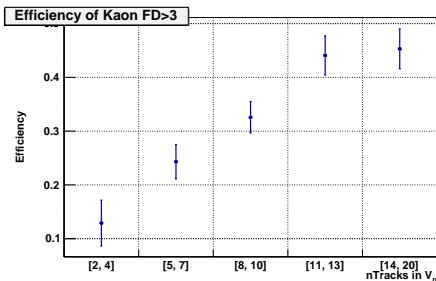


- $BD>3$ 
  - [2,4]- $77 \pm 6\%$
  - [5,7]- $86 \pm 2\%$
  - [8,10]- $98 \pm 0.8\%$
  - [11,13]- $96 \pm 1\%$
  - [14,20]- $99.6 \pm 0.3\%$

# Trigger efficiency for Kaon $FD>2$ , $FD>3$

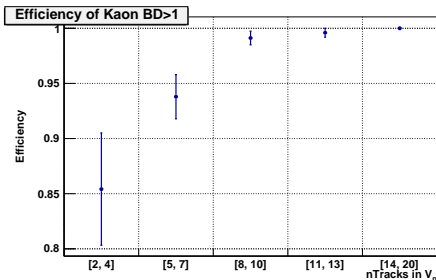


- $FD>2$ 
  - [2,4]- $16 \pm 5\%$
  - [5,7]- $34 \pm 4\%$
  - [8,10]- $45 \pm 3\%$
  - [11,13]- $57 \pm 4\%$
  - [14,20]- $61 \pm 4\%$



- $FD>3$ 
  - [2,4]- $13 \pm 4\%$
  - [5,7]- $24 \pm 3\%$
  - [8,10]- $33 \pm 3\%$
  - [11,13]- $44 \pm 4\%$
  - [14,20]- $45 \pm 4\%$

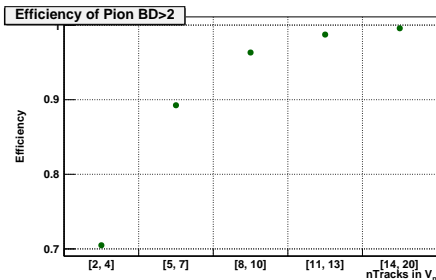
# Trigger efficiency for Kaon $BD > 1$



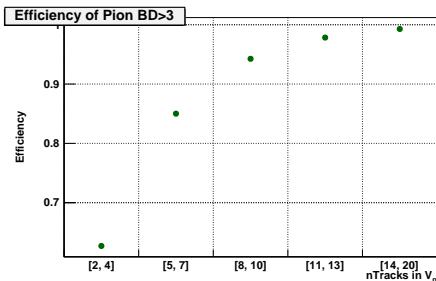
- $BD > 1$ 
  - [2,4]- $85 \pm 5\%$
  - [5,7]- $94 \pm 2\%$
  - [8,10]- $99.1 \pm 0.6\%$
  - [11,13]- $99.6 \pm 0.4\%$
  - [14,20]- $100\%$



# Trigger efficiency for Pion $BD>2$ , $BD>3$

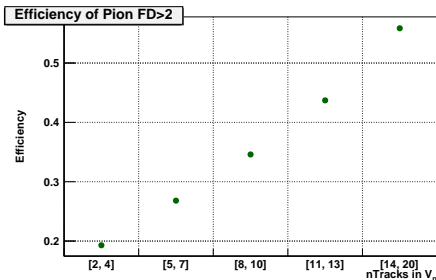


- $BD>2$   
[2,4]- $70 \pm 1\%$   
[5,7]- $89.2 \pm 0.4\%$   
[8,10]- $96.3 \pm 0.2\%$   
[11,13]- $98.7 \pm 0.1\%$   
[14,20]- $99.57 \pm 0.07\%$

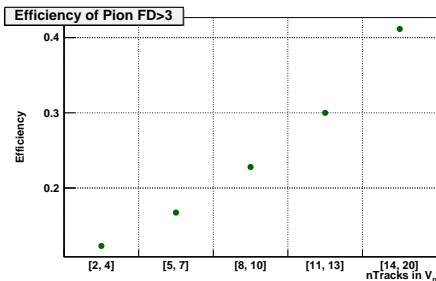


- $BD>3$   
[2,4]- $62 \pm 1\%$   
[5,7]- $85.1 \pm 0.5\%$   
[8,10]- $94.2 \pm 0.2\%$   
[11,13]- $97.8 \pm 0.1\%$   
[14,20]- $99.3 \pm 0.1\%$

# Trigger efficiency for Pion FD>2, FD>3

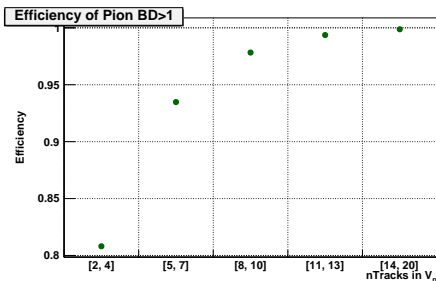


- FD>2
  - [2,4]- $19.3 \pm 0.6\%$
  - [5,7]- $26.8 \pm 0.4\%$
  - [8,10]- $34.6 \pm 0.5\%$
  - [11,13]- $43.7 \pm 0.6\%$
  - [14,20]- $55.8 \pm 0.6\%$



- FD>3
  - [2,4]- $12.3 \pm 0.5\%$
  - [5,7]- $16.7 \pm 0.4\%$
  - [8,10]- $22.7 \pm 0.4\%$
  - [11,13]- $29.9 \pm 0.5\%$
  - [14,20]- $41.1 \pm 0.6\%$

# Trigger efficiency for Pion BD>1

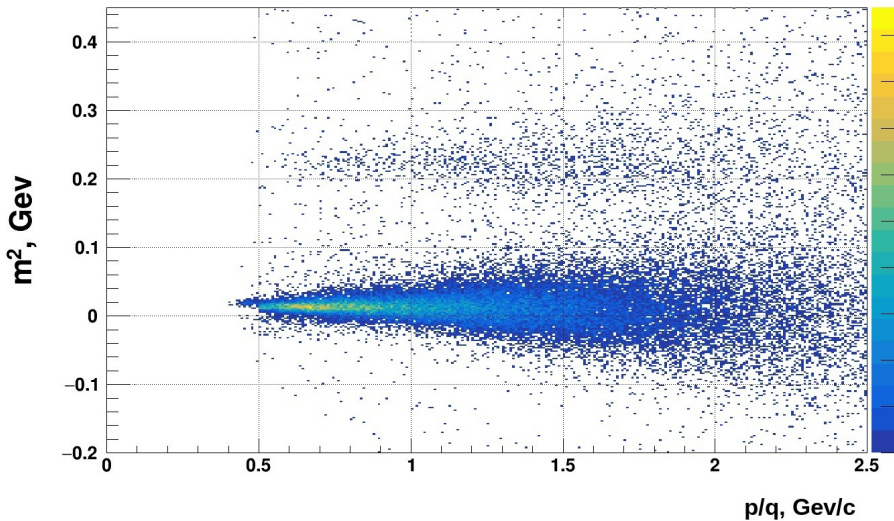


- BD>1
  - [2,4]- $80 \pm 0.8\%$
  - [5,7]- $93 \pm 0.3\%$
  - [8,10]- $98 \pm 0.2\%$
  - [11,13]- $99.3 \pm 0.1\%$
  - [14,20]- $99.8 \pm 0.04\%$

# Efficiency table ( $0.5 < p < 1.5$ )

		FD>2	FD>3	BD>3	BD>2	BD>1
K+	[2,4]	24%	13%	77%	81%	85%
	[5,7]	35%	25%	86%	90%	94%
	[8,10]	44%	31%	98%	97%	99.1%
	[11,13]	58%	44%	96%	99.2%	99.6%
	[14,20]	76%	47%	99.6%	100%	100%
Pi+	[2,4]	19%	12%	62%	70%	81%
	[5,7]	27%	17%	85%	89%	93%
	[8,10]	35%	23%	94%	96%	98%
	[11,13]	44%	30%	98%	98%	99.4%
	[14,20]	56%	41%	99%	99%	99.7%

## 2-dimensional Mass square histogram



# Slices Y for various momentum

Signals are fitted with Gaussian distribution

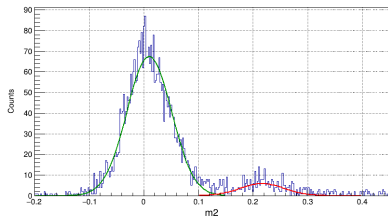


Figure: Slice  $p = 1.7$  GeV/c

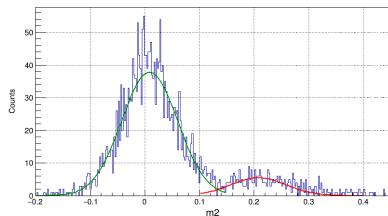


Figure: Slice  $p = 2.1$  GeV/c

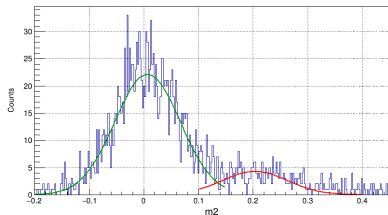


Figure: Slice  $p = 1.9$  GeV/c

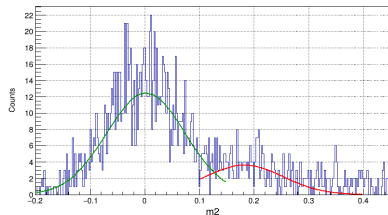
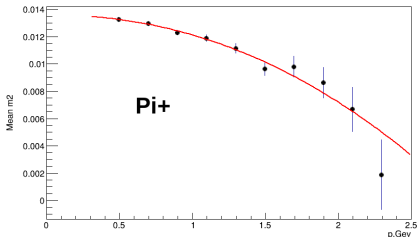


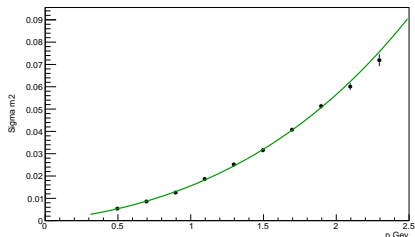
Figure: Slice  $p = 2.3$  GeV/c

# Obtained parameters vs momentum

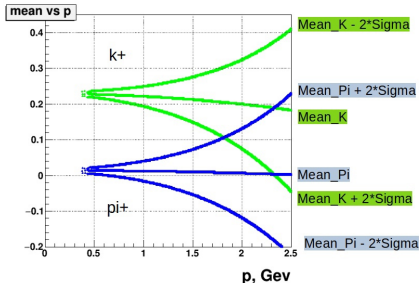
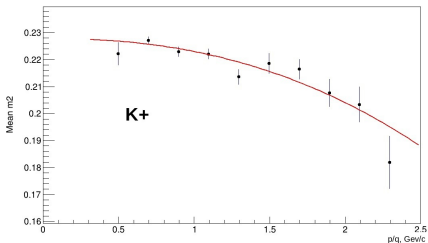
Mean of slices (0.5,2.3) Gev, step = 0.2Gev



Sigma of slices (0.5,2.3) Gev, step = 0.2Gev

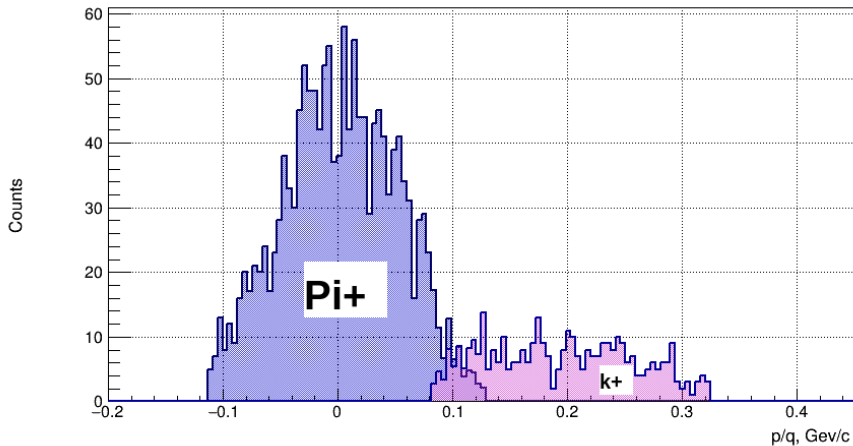


Mean of slices (0.5,2.3) Gev, step = 0.2Gev



# Mass square histogram for $K^+$ and $\pi^+$

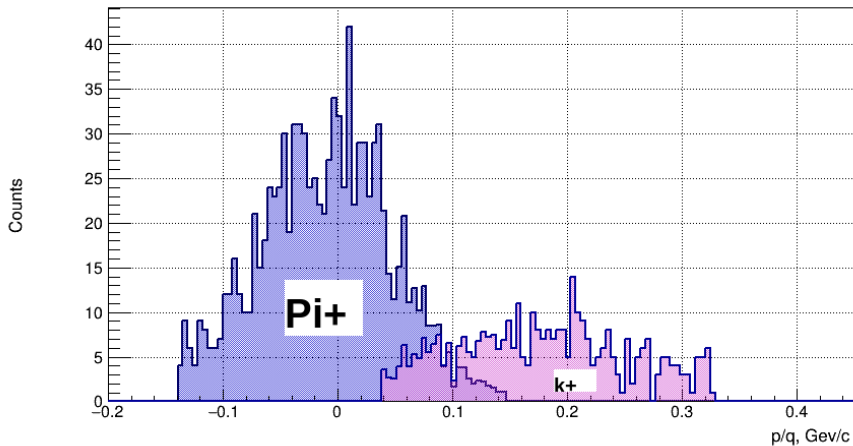
$P = 2.1 \text{ GeV}/c$





# Mass square histogram for $K^+$ and $\pi^+$

$P = 2.3 \text{ GeV}/c$



**Thank you for your attention!**