

Magnetic field influence for straw tube

Simulation in Garfield + LTSpice

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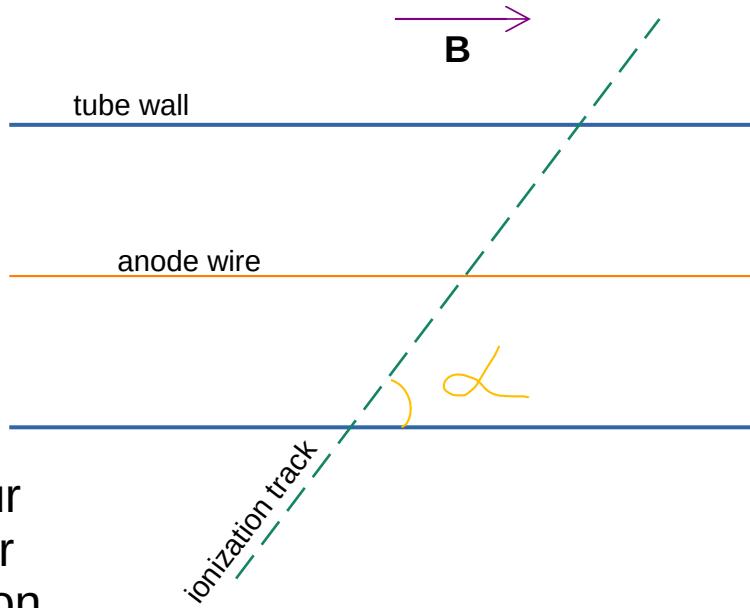
- Tube simulation parameters
- Drift time
- Garfield vs Garfield++ comparison
- LTSpice signal
- Last week update (Gas gain comparison)
- Spatial resoultuion
- Resume

Simulation parameters

1. Straw diameter: 10 mm
2. Anode diameter: 30 mkm
3. HV: 1750 V
4. Gas mixture: Ar+CO₂ / 70:30 [%]
5. Gas mix temperature: **25** celsius
6. Gas mix pressure: 1 atmosphere
7. Ionization particle: muon 1 GeV
8. Track angle α : 90, 14 degree
9. Magnetic field: 0, 1.5 T

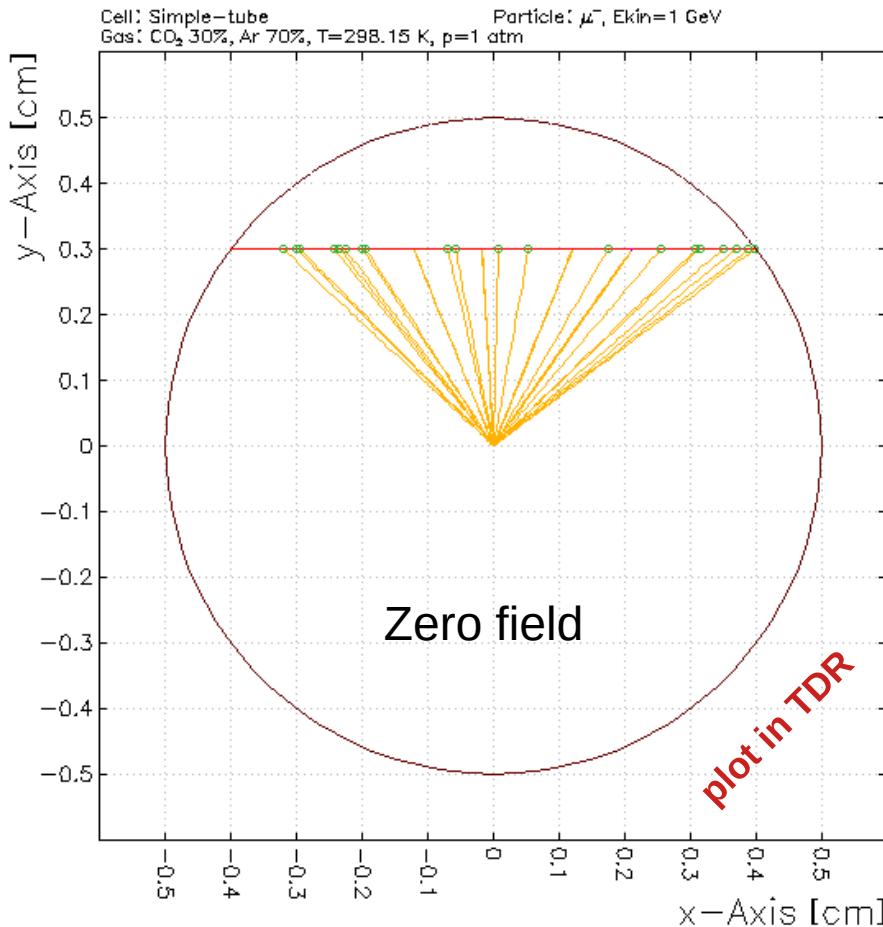
}

gives four
cases for
comparison

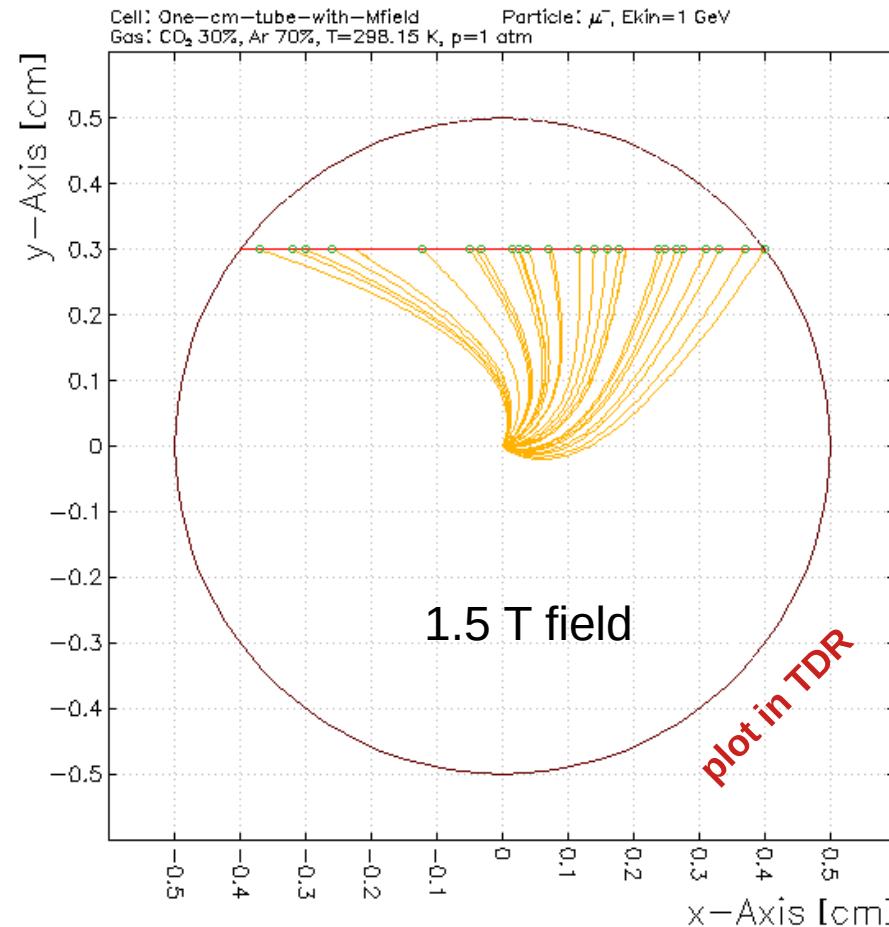


Drift line examples

Track, clusters and drift lines

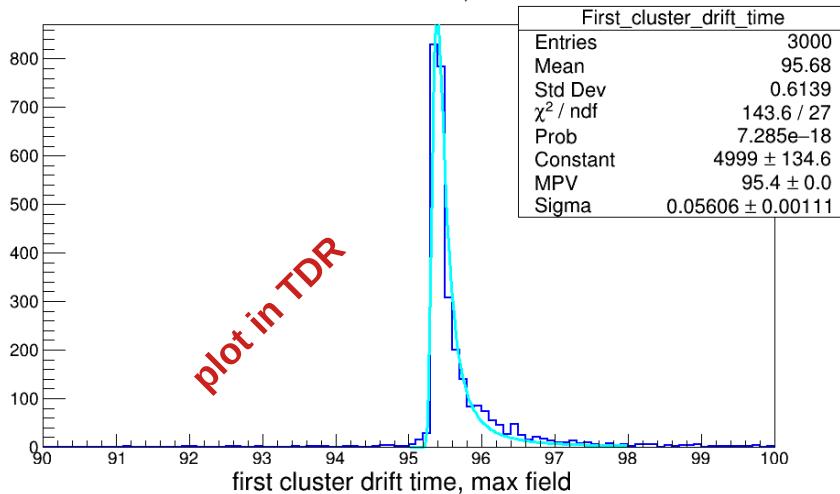


Track, clusters and drift lines

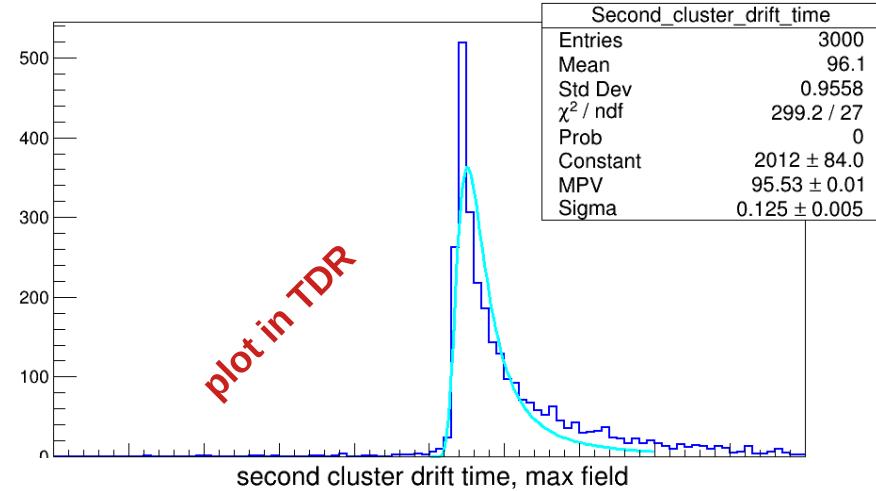


Drift time distributions (4mm distance)

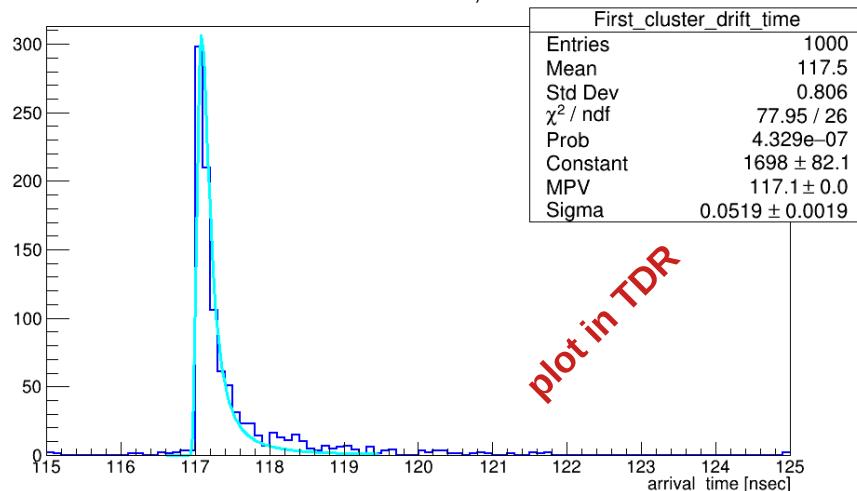
first cluster drift time, zero field



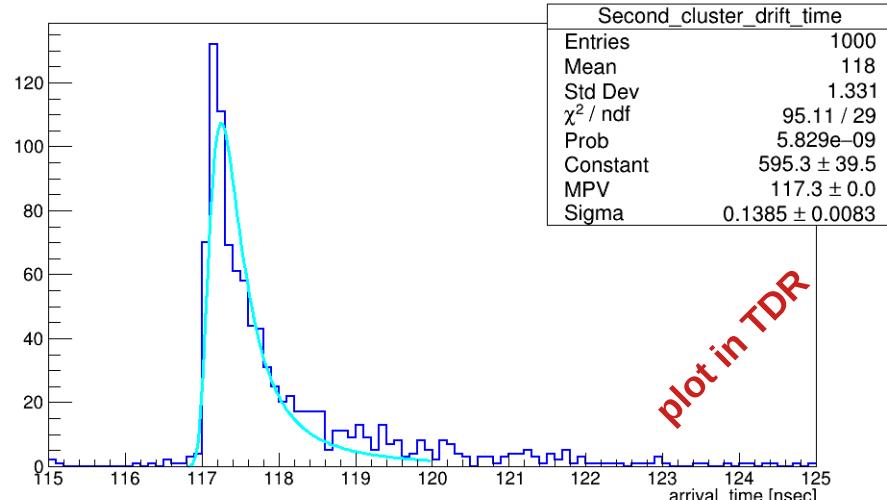
second cluster drift time, zero field



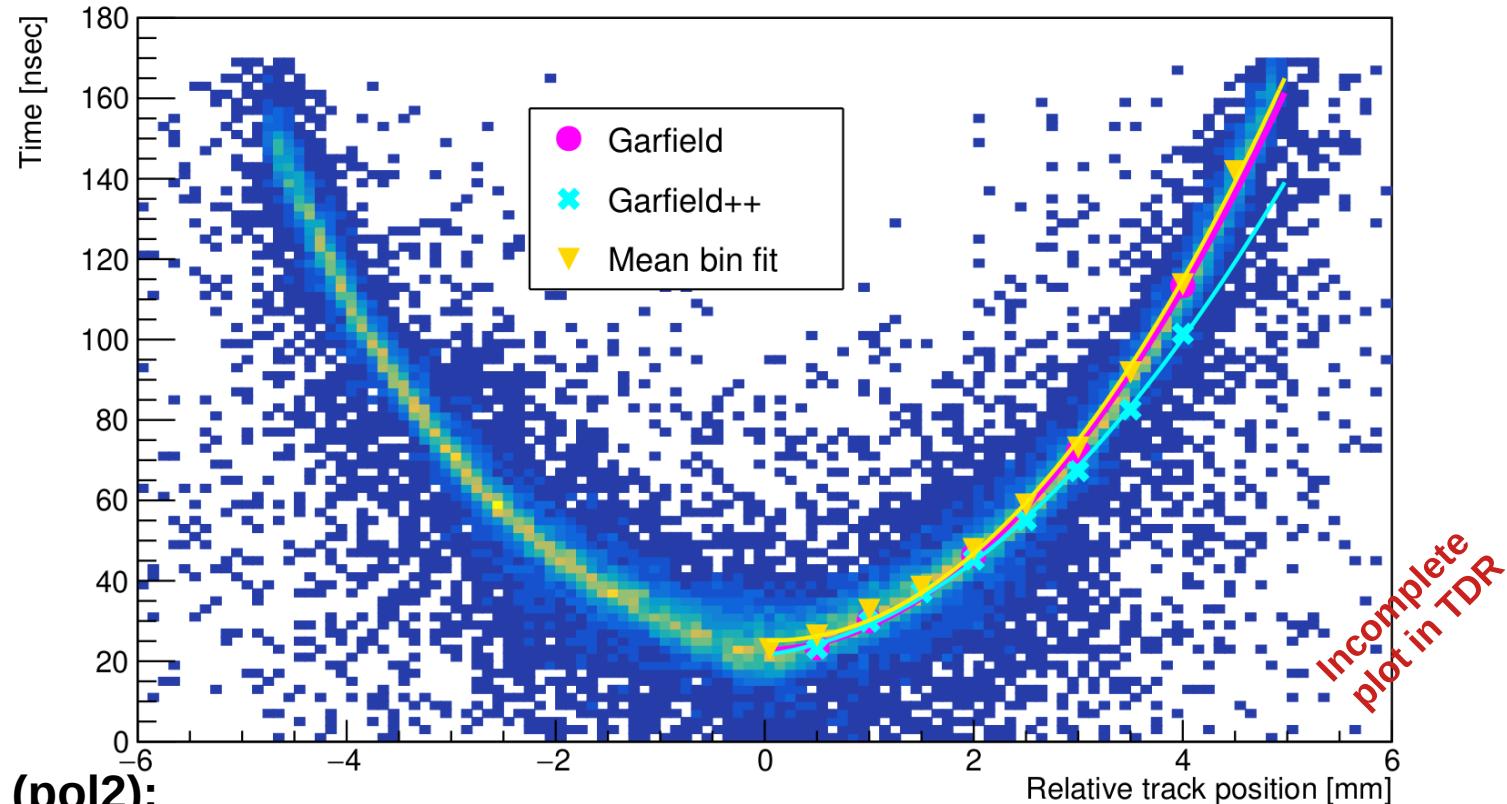
first cluster drift time, max field



second cluster drift time, max field



Comparison simulation and NA62 measurements



Fit curves (pol2):

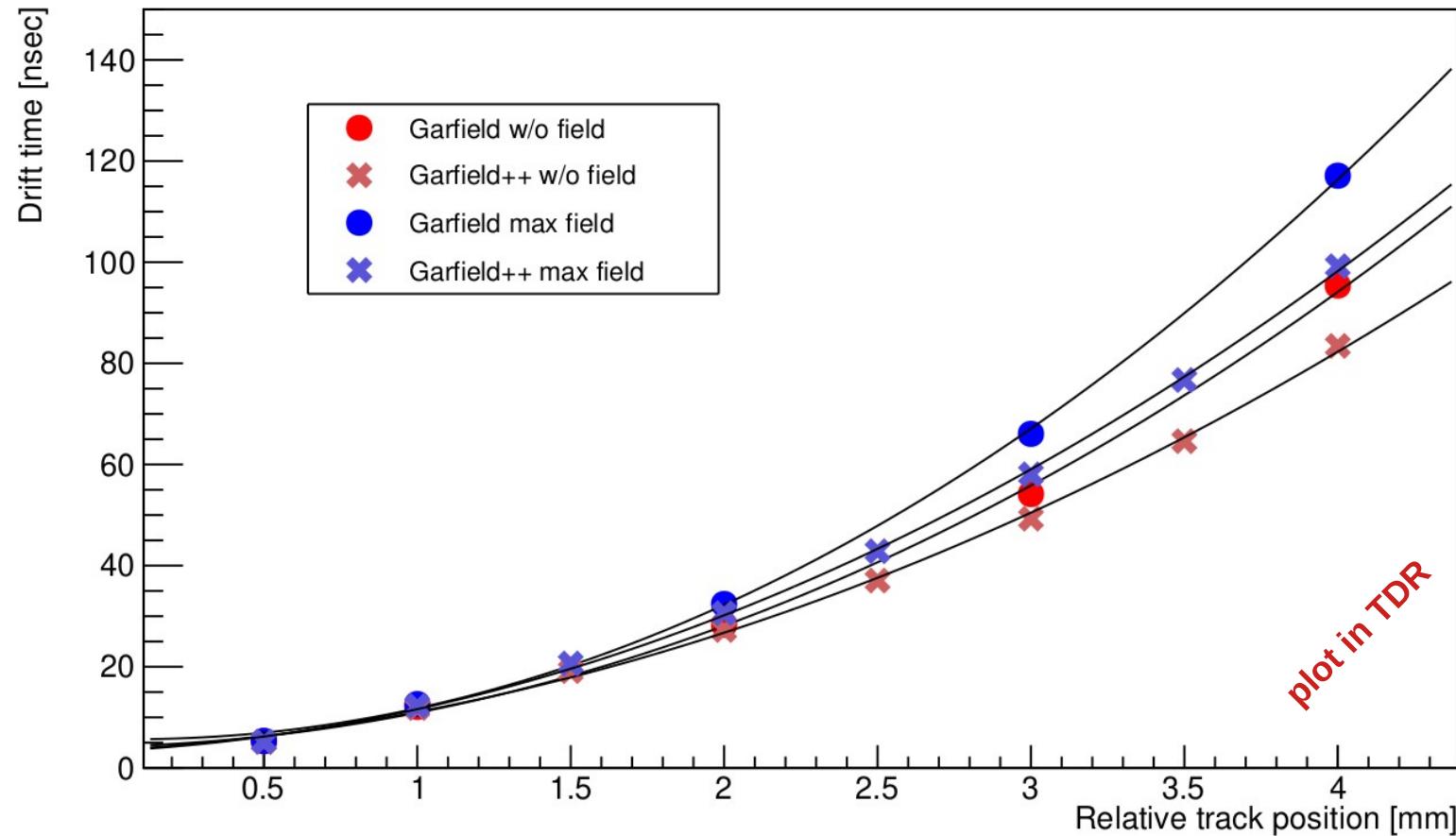
Garfield $22.74 + 0.46 * x + 5.51 * x * x$

Garfield++ $21.52 + 3.53 * x + 4.04 * x * x$

MeanGauss (data) $25.18 - 0.82 * x + 5.81 * x * x$

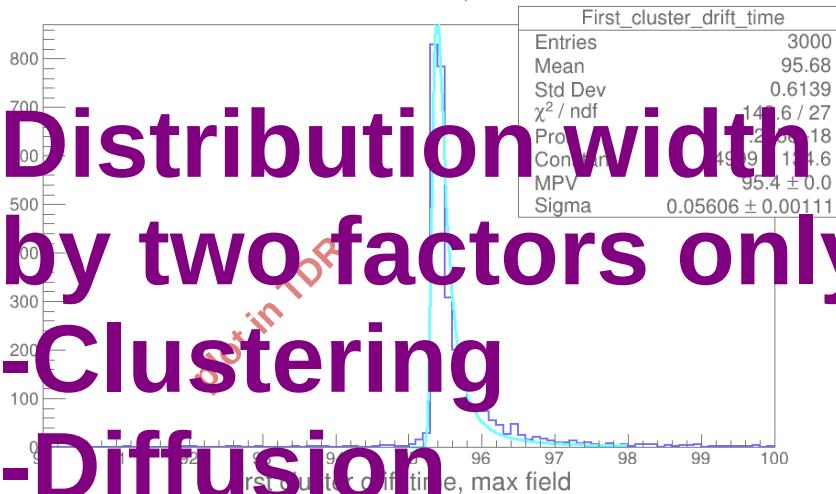
We are grateful to **Dosbol Baigarashev** (JINR) for sharing the experimental data

Drift time fit landau MPV for 1st cluster



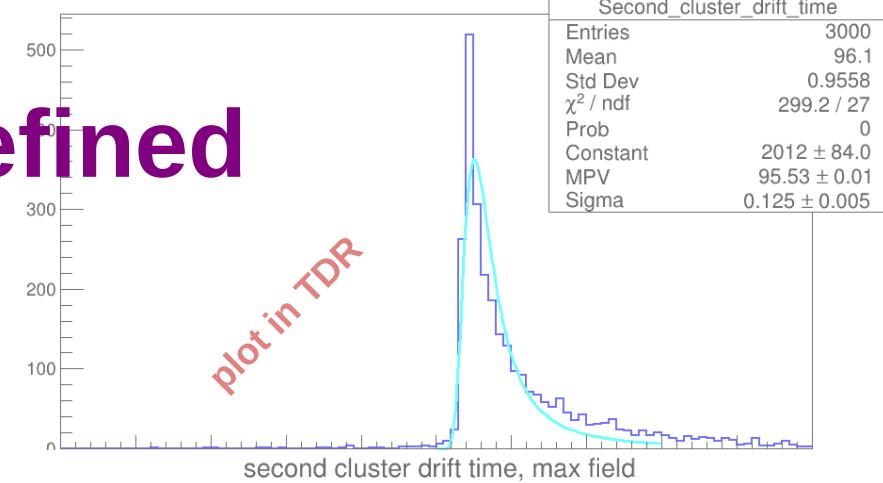
Drift time distributions (4mm distance)

first cluster drift time, zero field

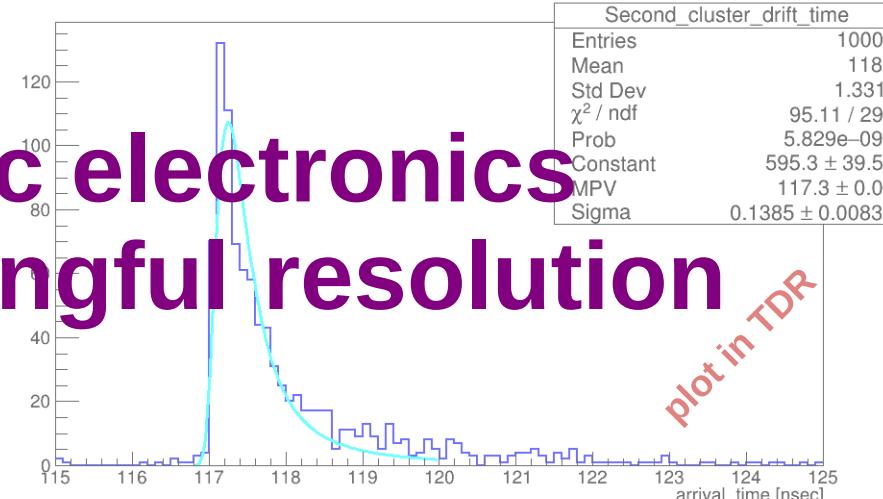
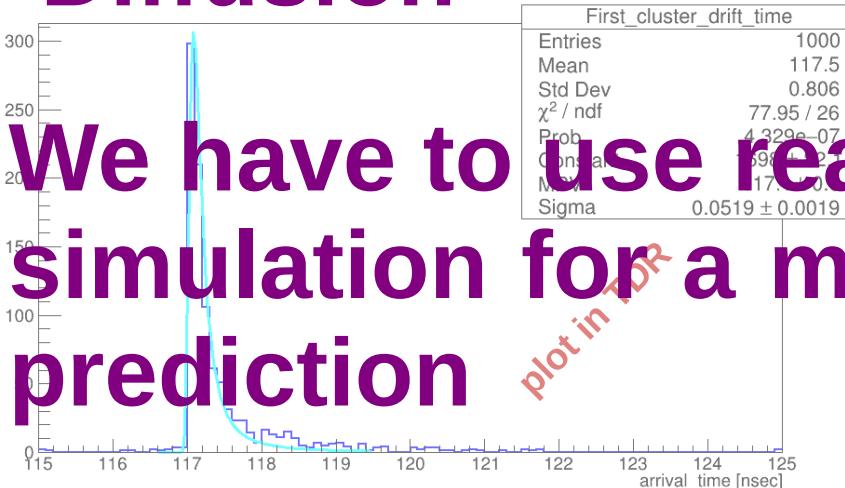


Distribution width is defined by two factors only:
-Clustering
-Diffusion

second cluster drift time, zero field



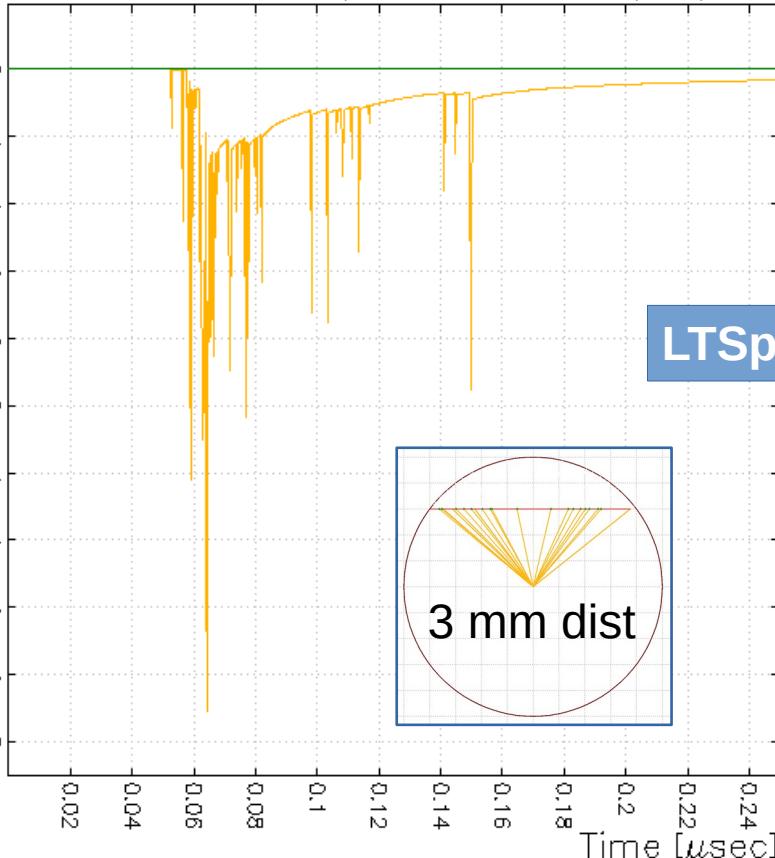
We have to use realistic electronics simulation for a meaningful resolution prediction



Simulation of real electronics

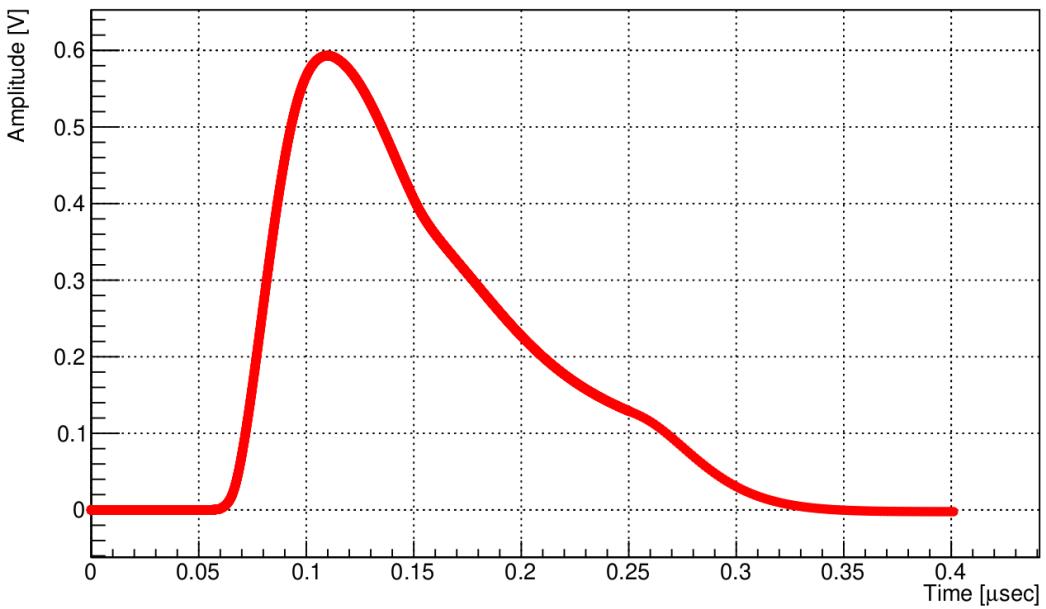
Induced currents on group 1

Cell: Simple-tube
Gas: CO₂ 30%, Ar 70%, T=298.15 K, p=1 atm tail: detailed, electron pulse: present



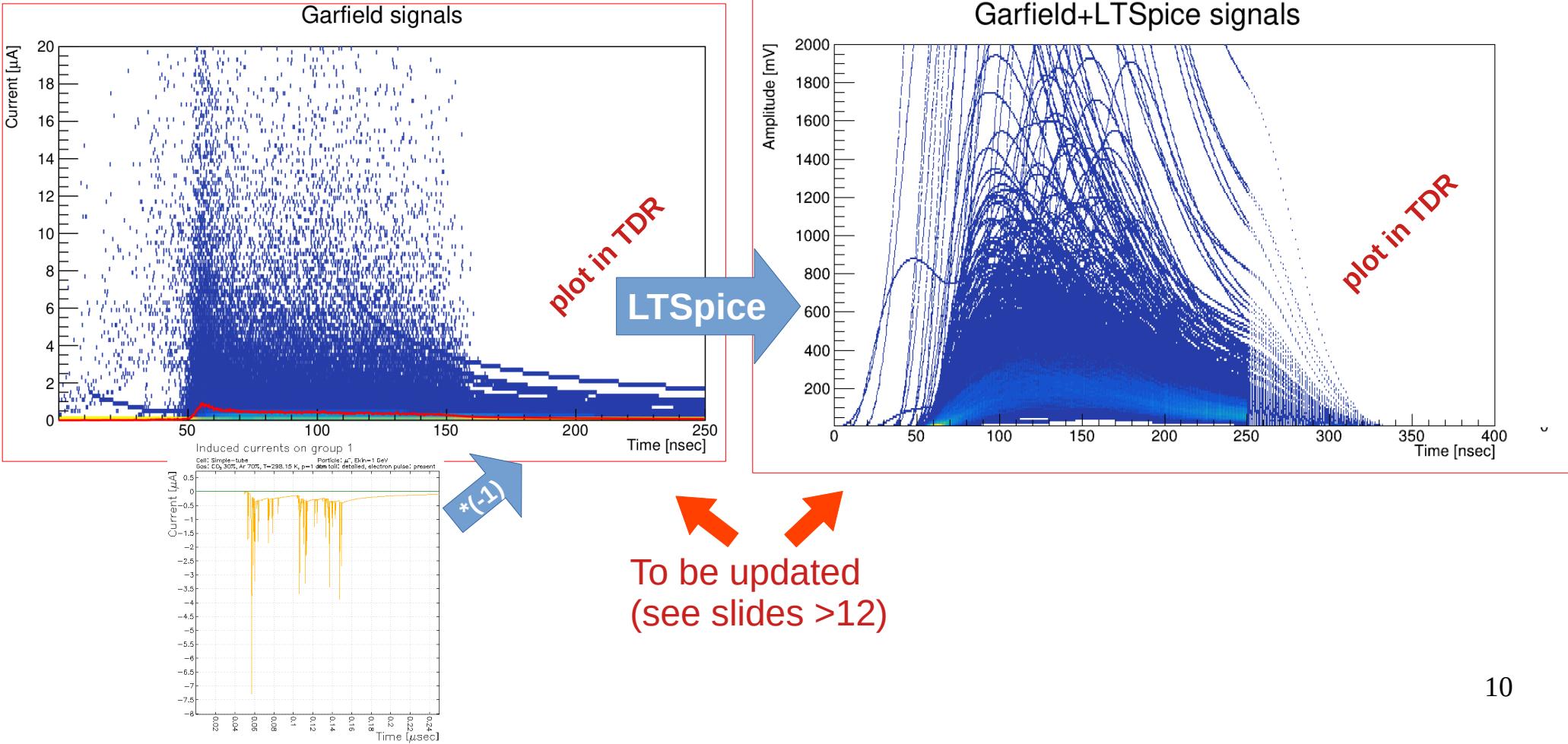
We assume VMM3a-based readout (see Vitaliy's slides)

Spice shaper voltage



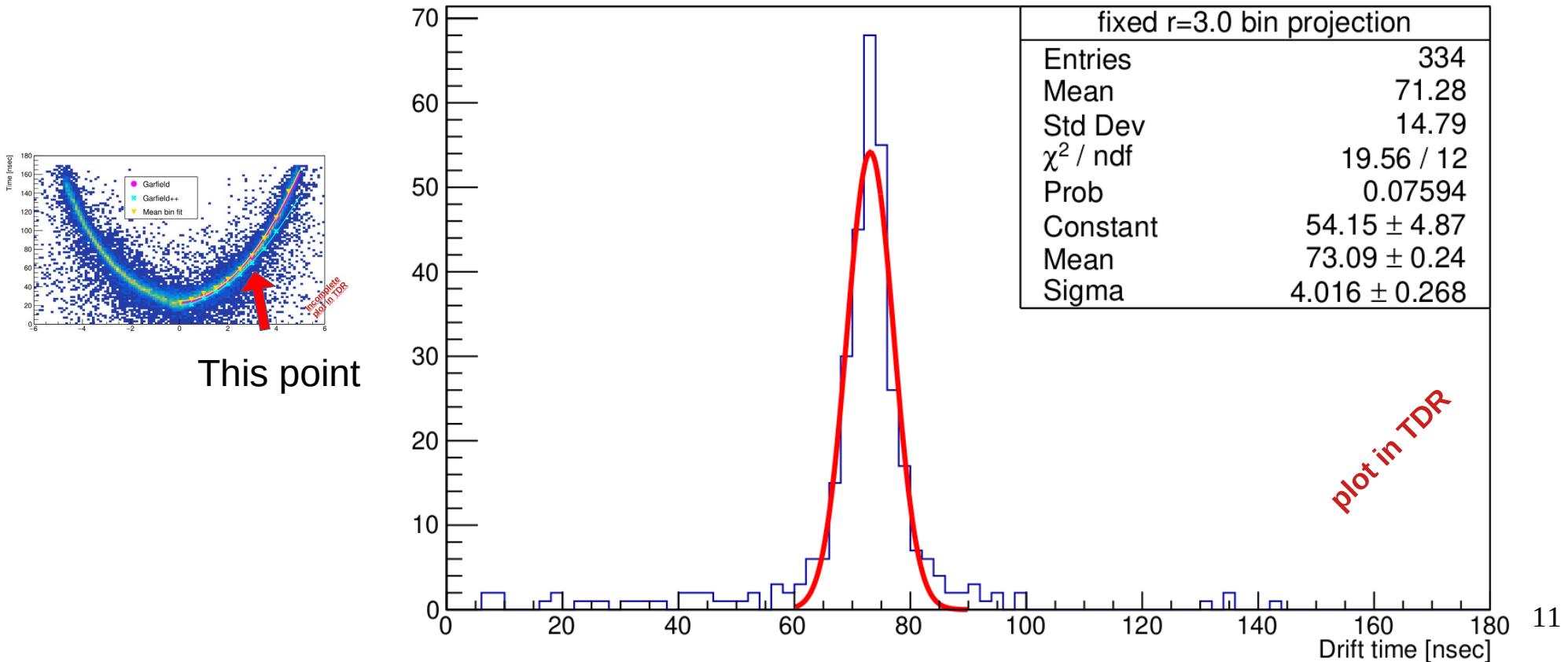
We are grateful to **RD51**
collaboration for sharing
the electronic circuit

Signal examples (no field; 3 mm distance)

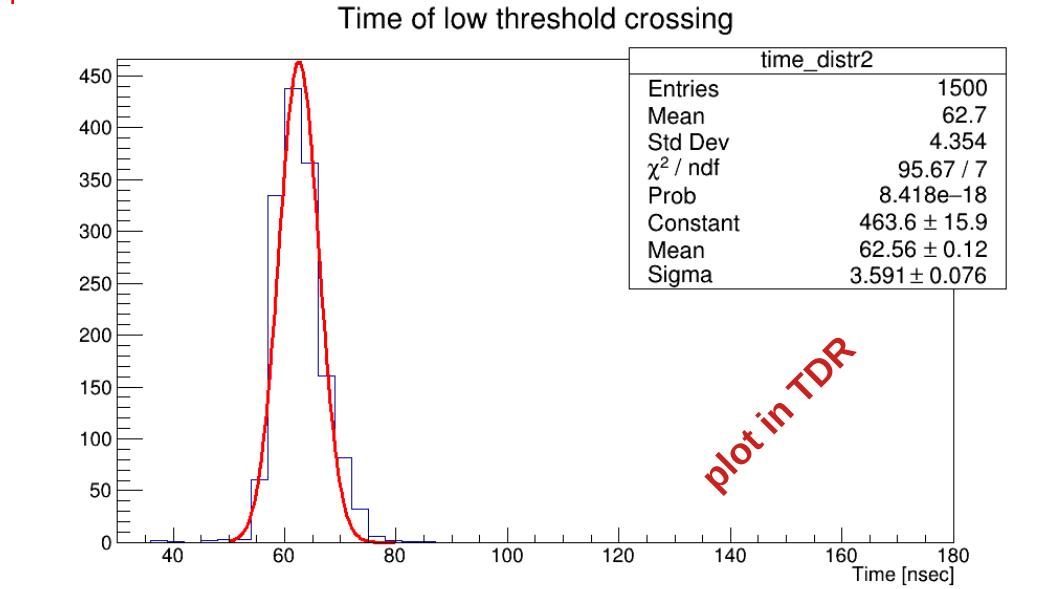
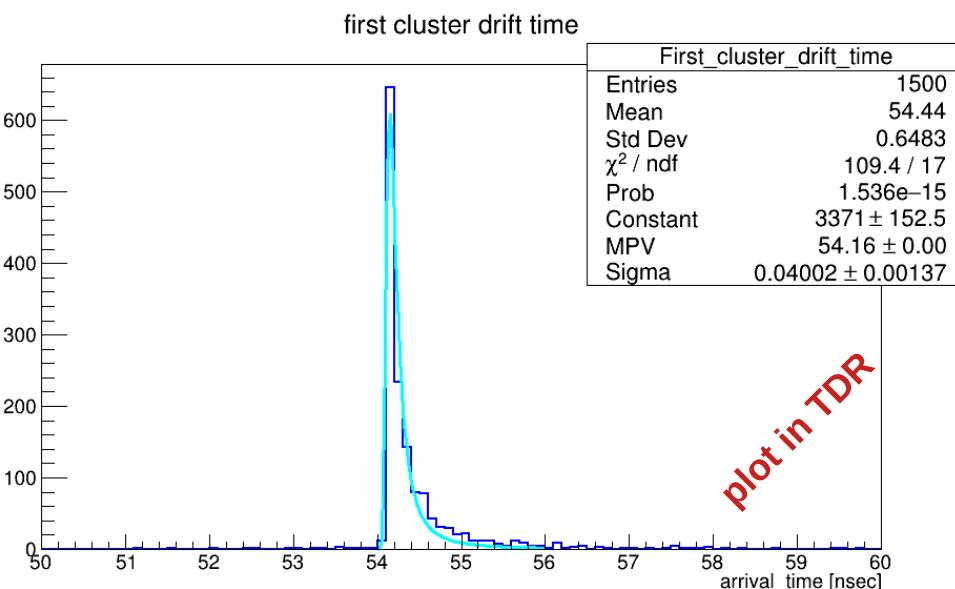


Time distribution (NA62 measurements) for 3-3.1 mm bin

Projection of measurements data



Time distribution for 3-3.1 mm bin



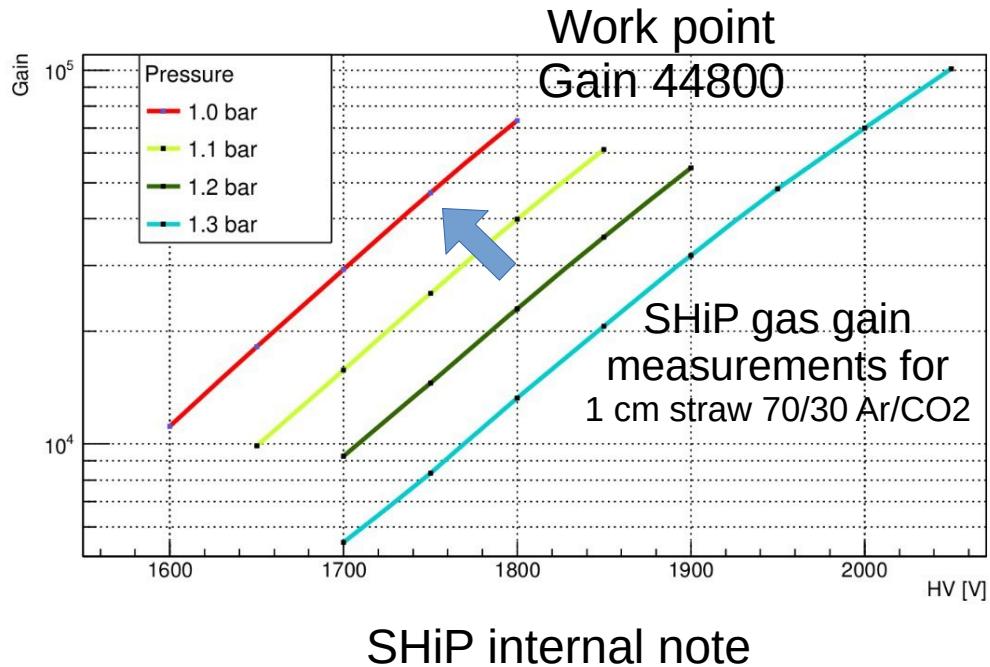
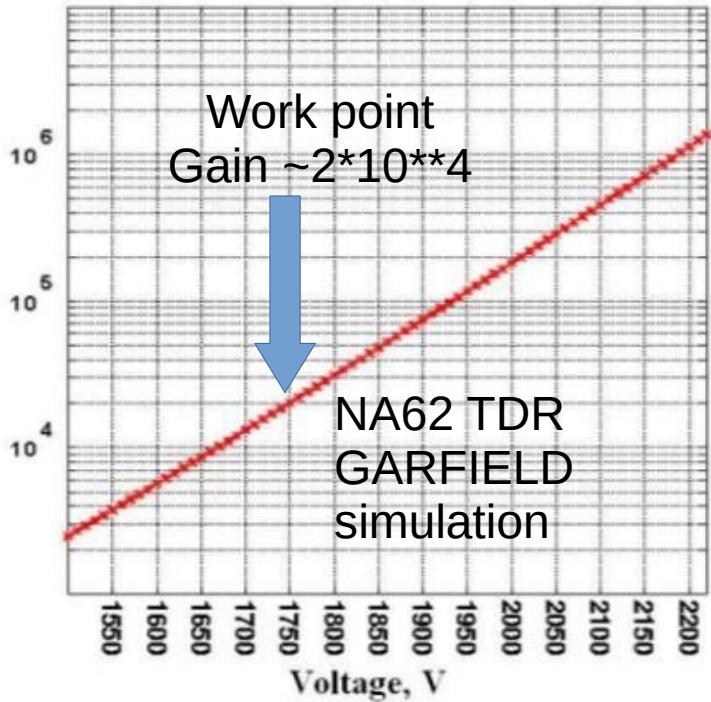
To be updated



But:
no noise
gas gain MAGBOLTZ
amplification 3 mV/fC

Last week update

Gas gain problem

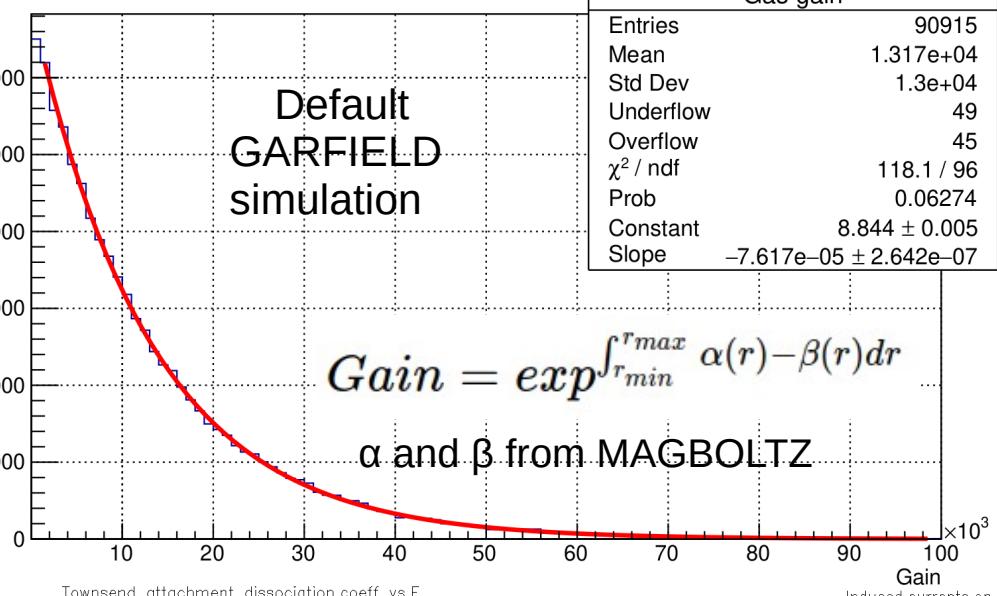


Gas gain distributions

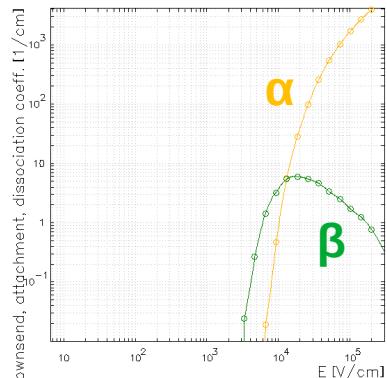
Default
GARFIELD
simulation

$$Gain = \exp^{\int_{r_{min}}^{r_{max}} \alpha(r) - \beta(r) dr}$$

α and β from MAGBOLTZ



Townsend, attachment, dissociation coeff. vs E
Gas: CO₂ 30%, Ar 70%, T=298.15 K, p=1 atm



Gas gain

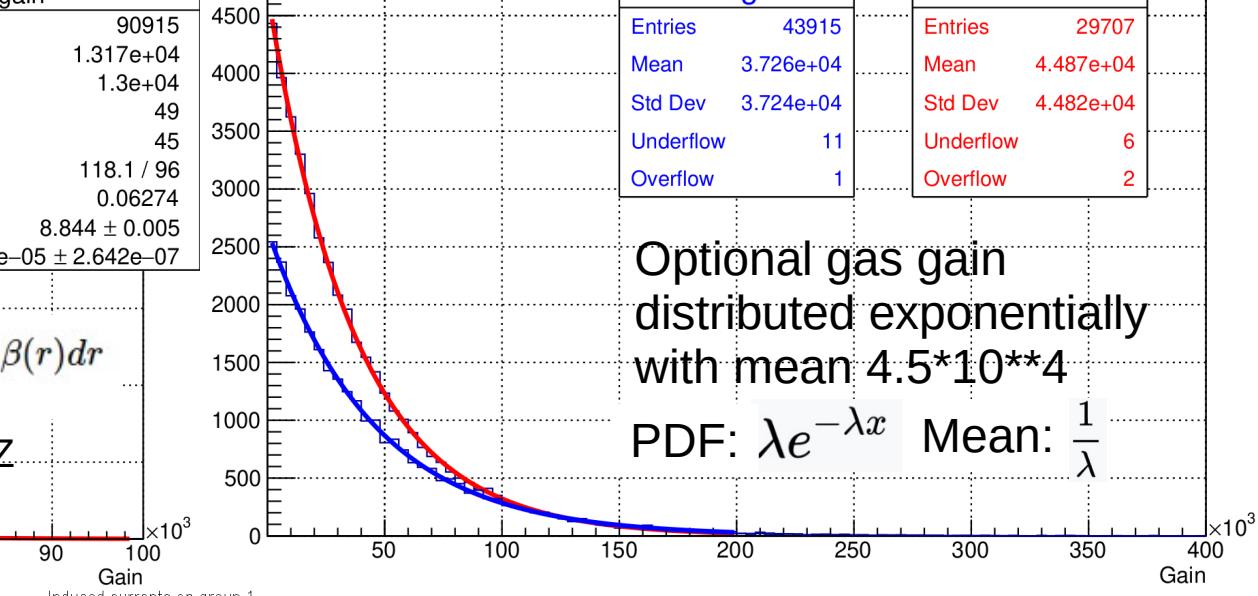
Entries	43915
Mean	3.726e+04
Std Dev	3.724e+04
Underflow	11
Overflow	1

Gas gain noattachment

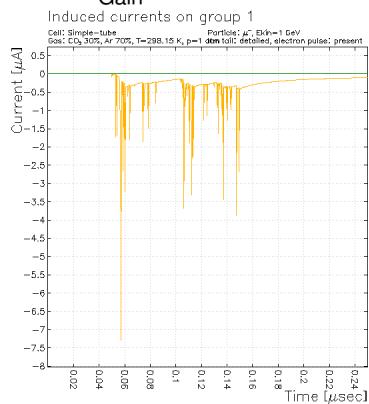
Entries	29707
Mean	4.487e+04
Std Dev	4.482e+04
Underflow	6
Overflow	2

Optional gas gain distributed exponentially with mean 4.5×10^{4}

$$\text{PDF: } \lambda e^{-\lambda x} \quad \text{Mean: } \frac{1}{\lambda}$$

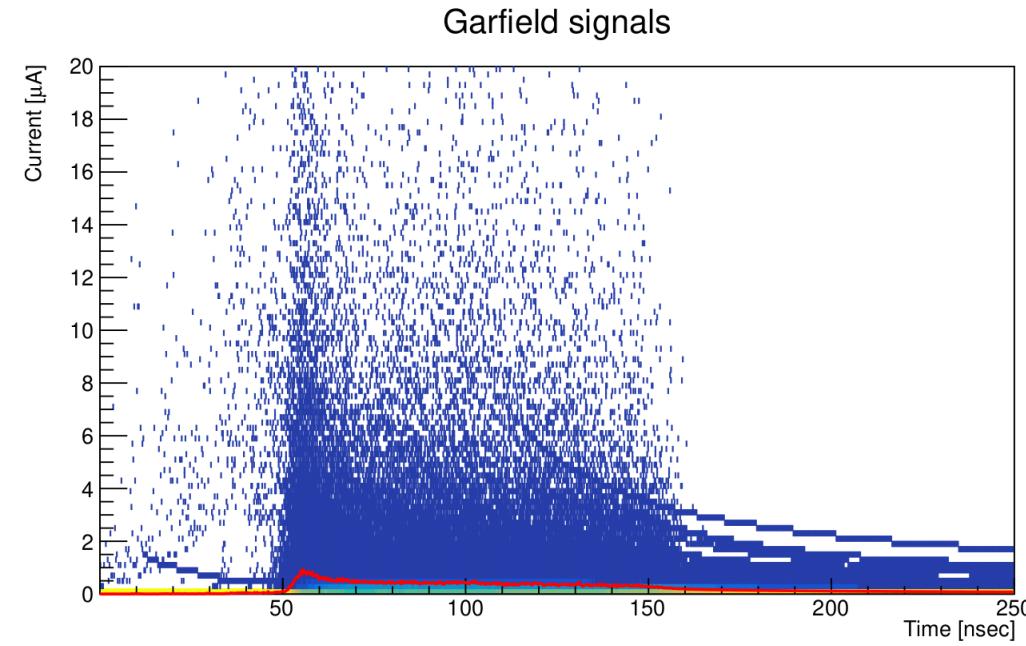


TO BE DONE: attachment should be switched off

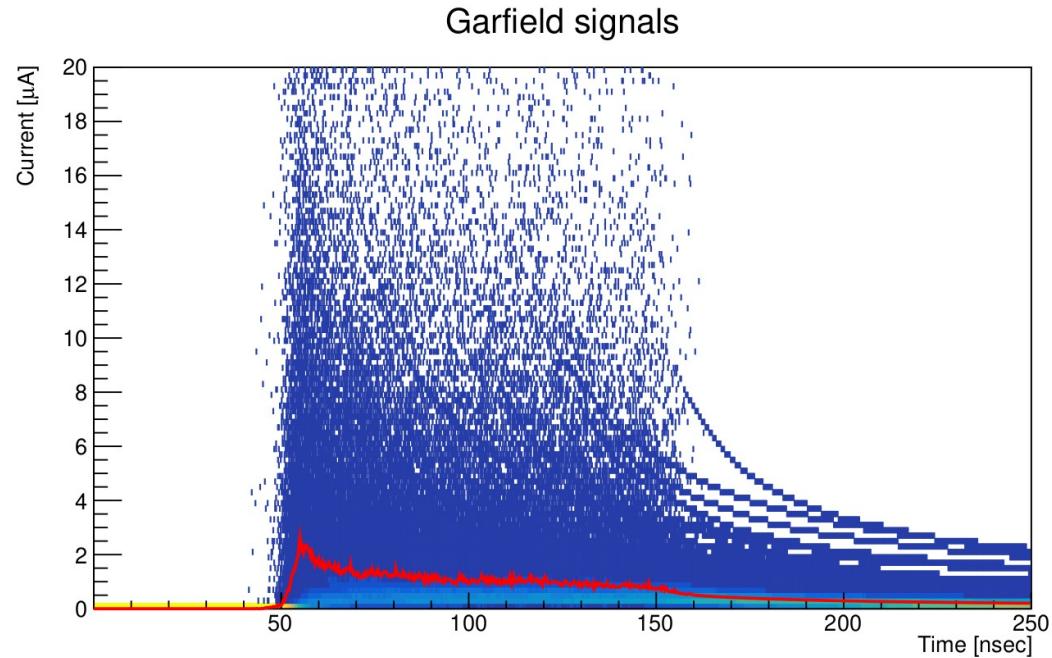


Gas gain affects only the amplitude of the peaks; All TDR plots related to drift time are unaffected

TDR plots changed due to the new gas gain value (3.7×10^{14})



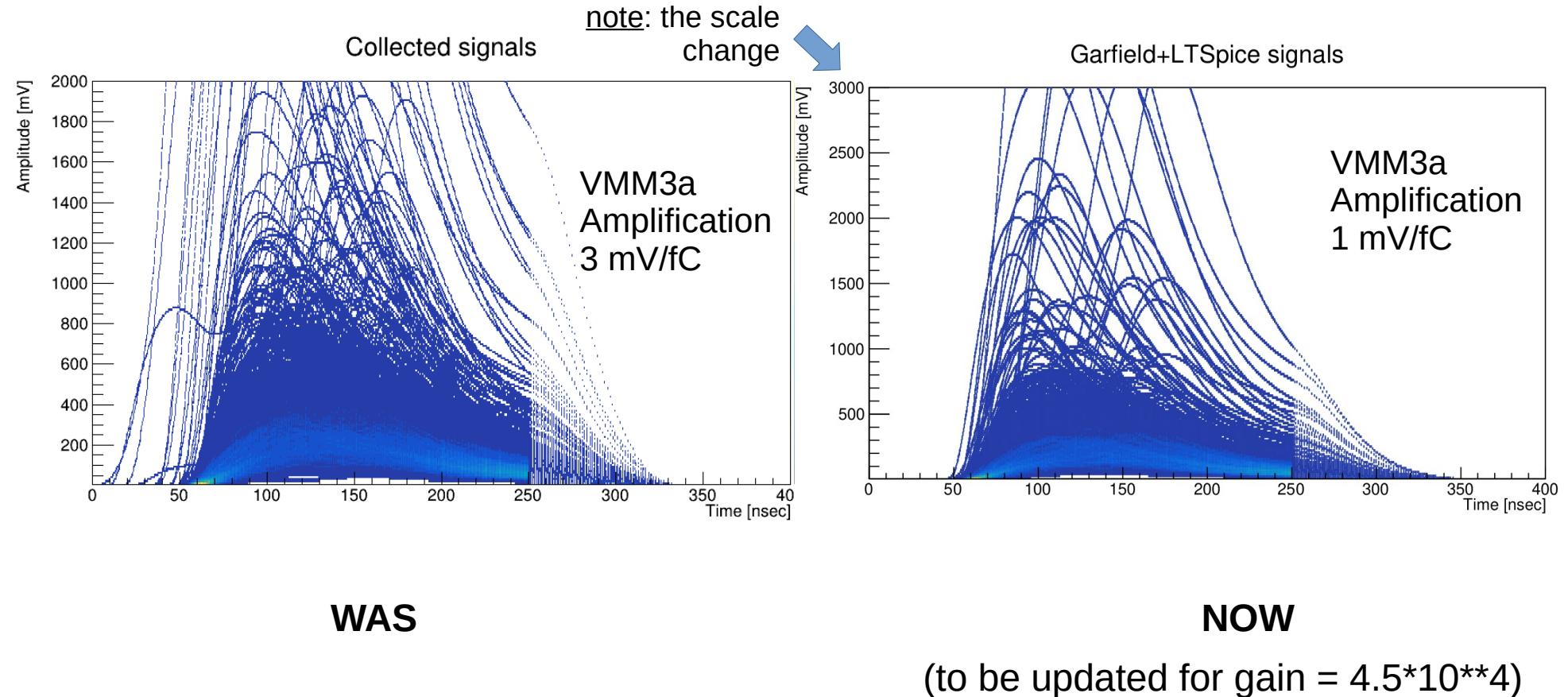
WAS



NOW

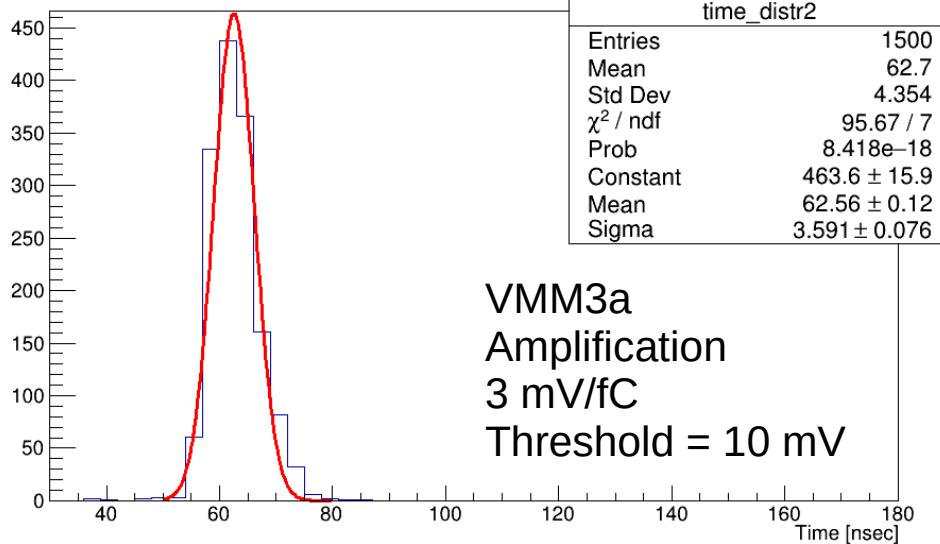
(to be updated for gain = 4.5×10^{14})

TDR plots changed due to the new gas gain value (3.7×10^{14})

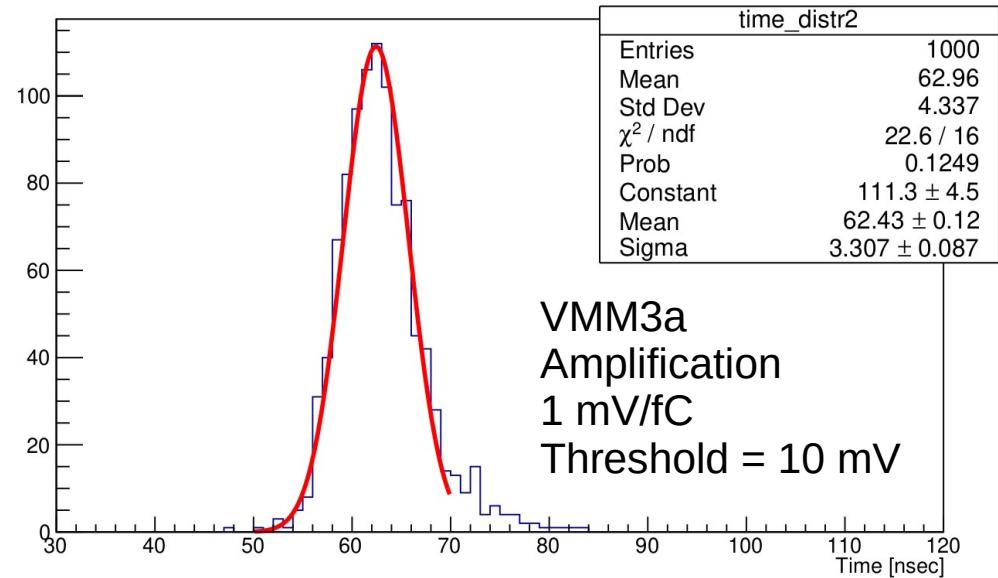


TDR plots changed due to the new gas gain value (3.7×10^{14})

Time of low threshold crossing



Time of low threshold crossing



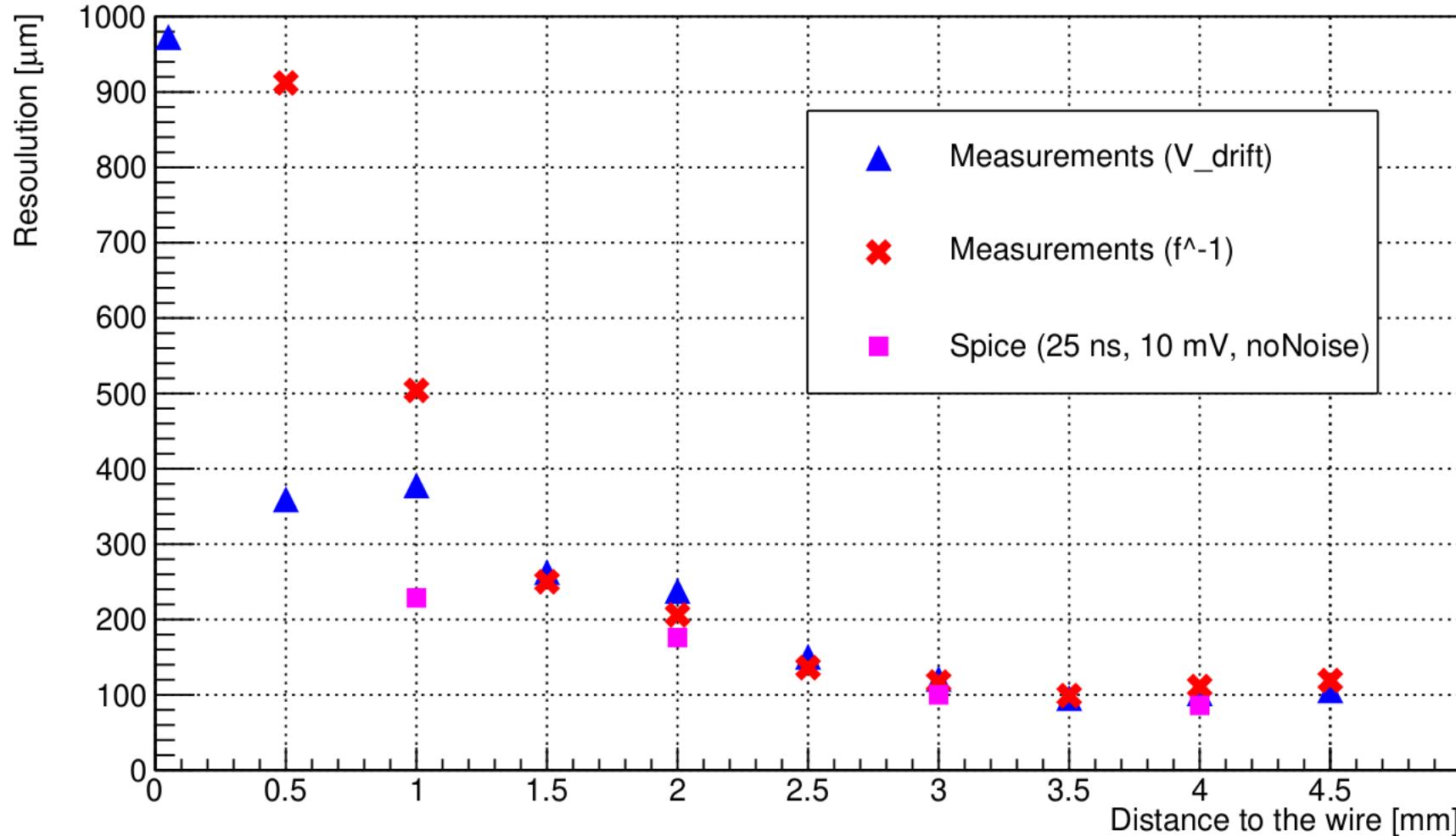
The signal discrimination threshold is kept at the same level from practical consideration

WAS

(to be updated for gain = 4.5×10^{14})

NOW

Spatial resolution



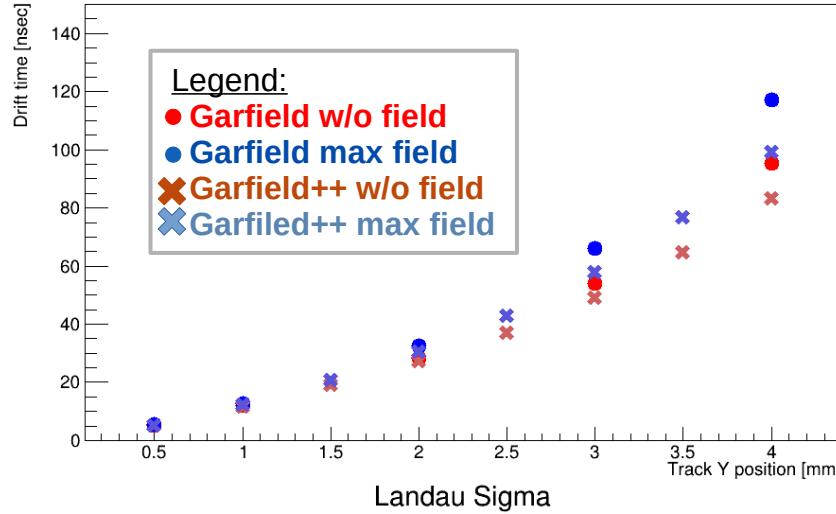
Conclusions

- Garfield MPV prediction (r-t dependence) looks reasonable and describes well NA62 measurements for the same type of straw
- We know about some issues in precision of our simulation: Garfield and Garfield++ drift times have a slight difference; Gas gain in (any) Garfield is less than measured (investigation ongoing)
- Future steps: update affected plots for $G=4.5*10^{**4}$; complete the set of plots for magnetic field and inclined (along z-axis) tracks cases; add noise to the signals

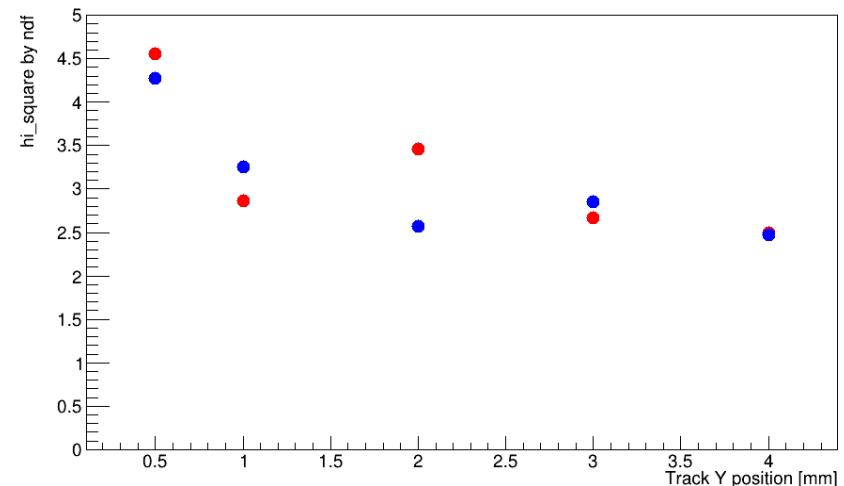
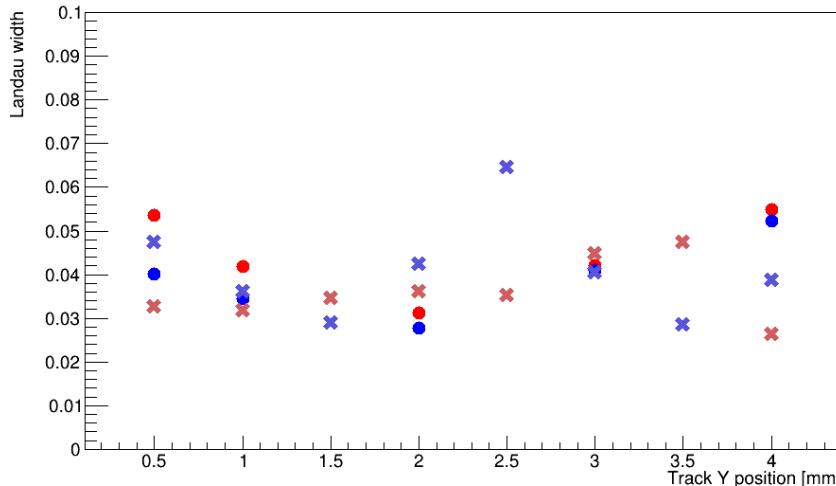
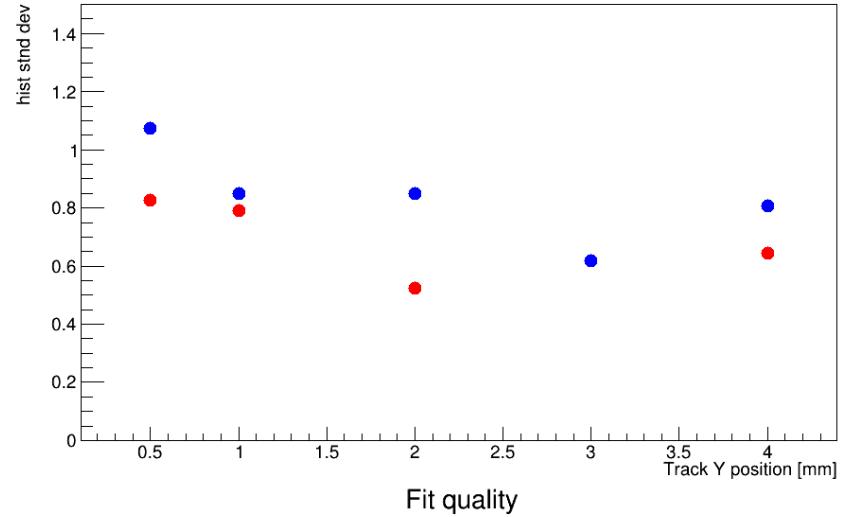
Drafts >_<

First cluster arrival properties

Landau MPV

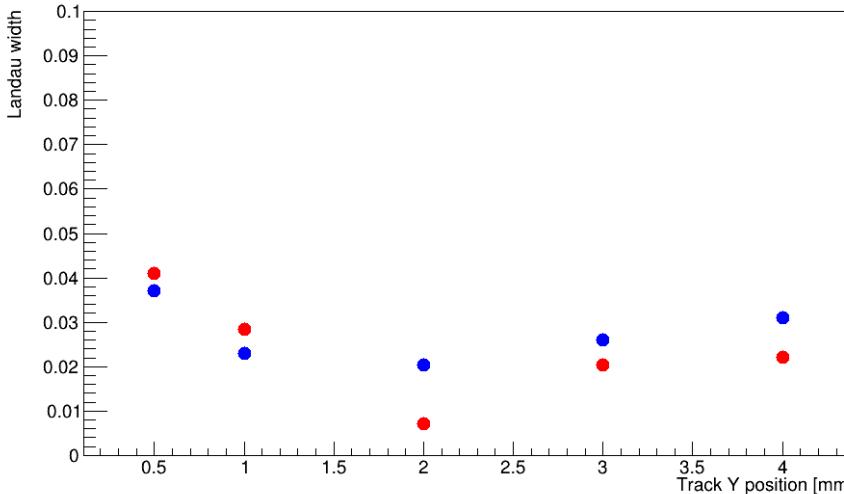
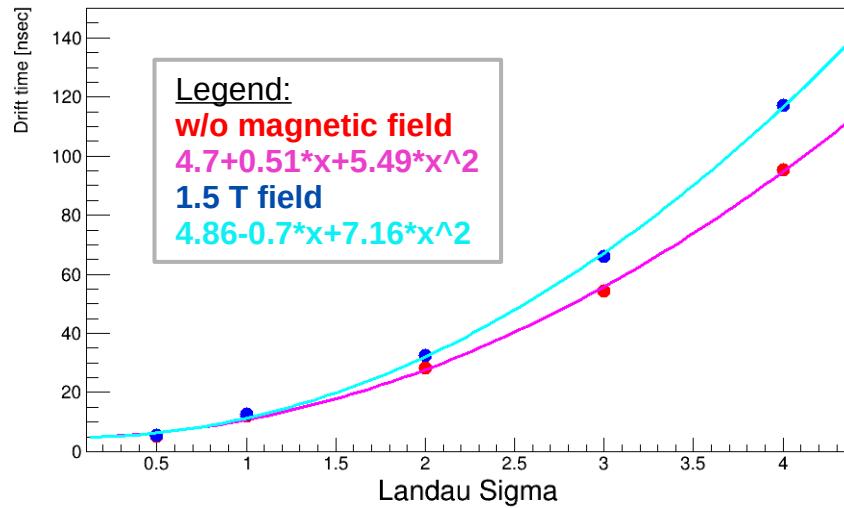


Histogram standart deviation

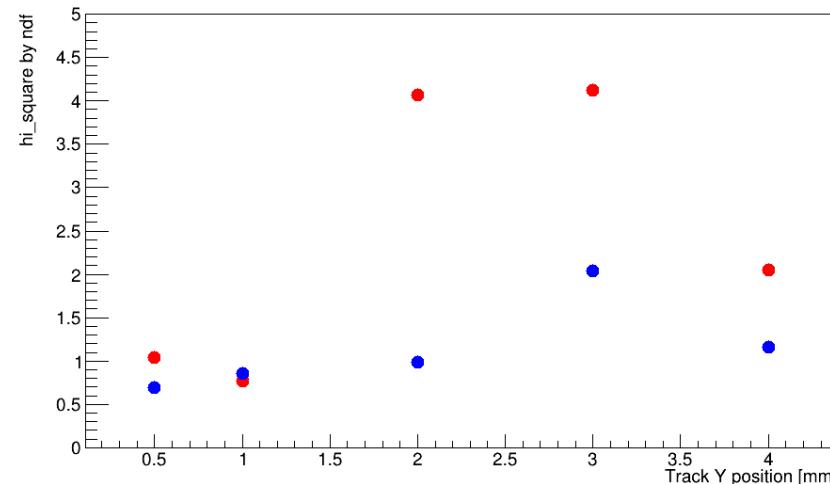
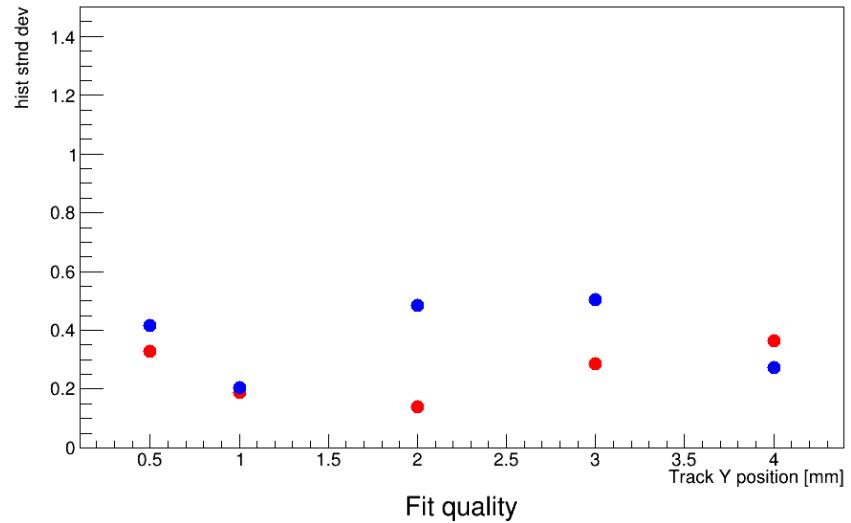


Second cluster arrival properties for long tracks

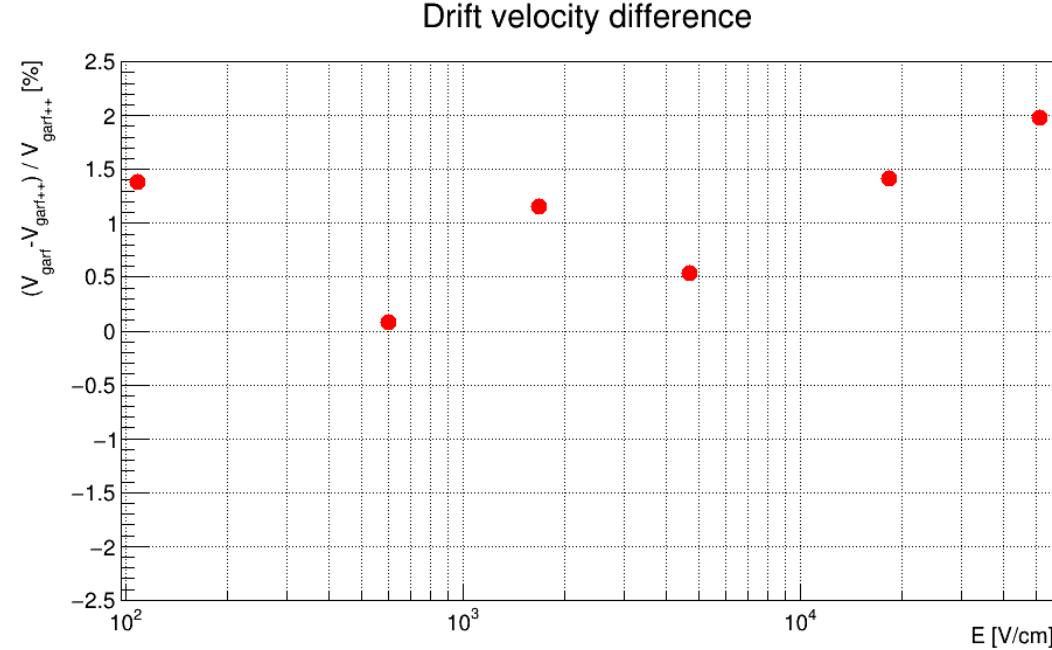
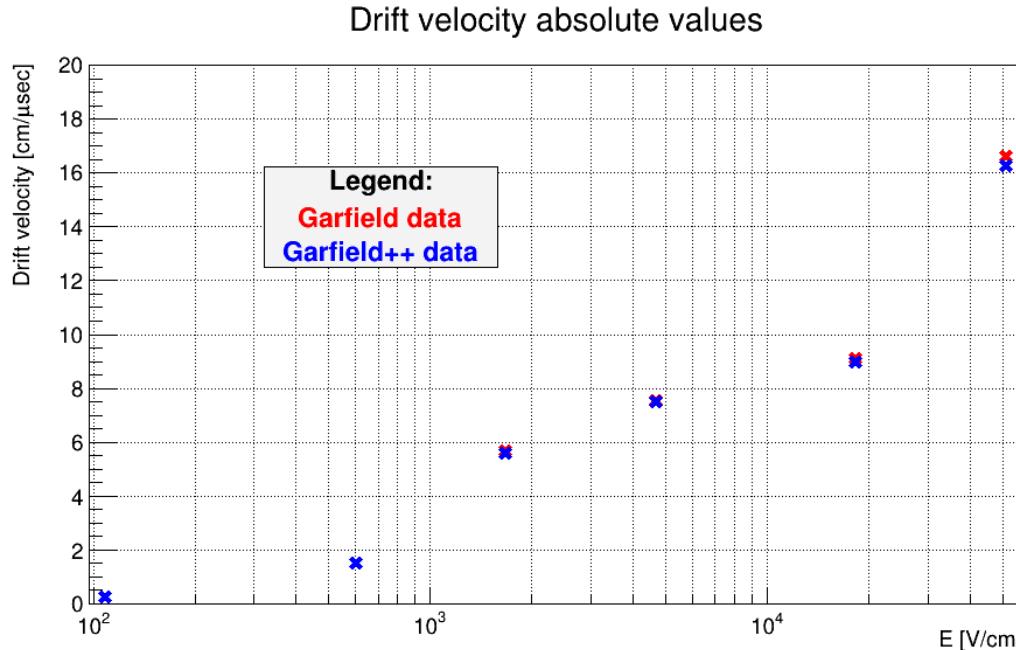
Landau MPV



Histogram standart deviation

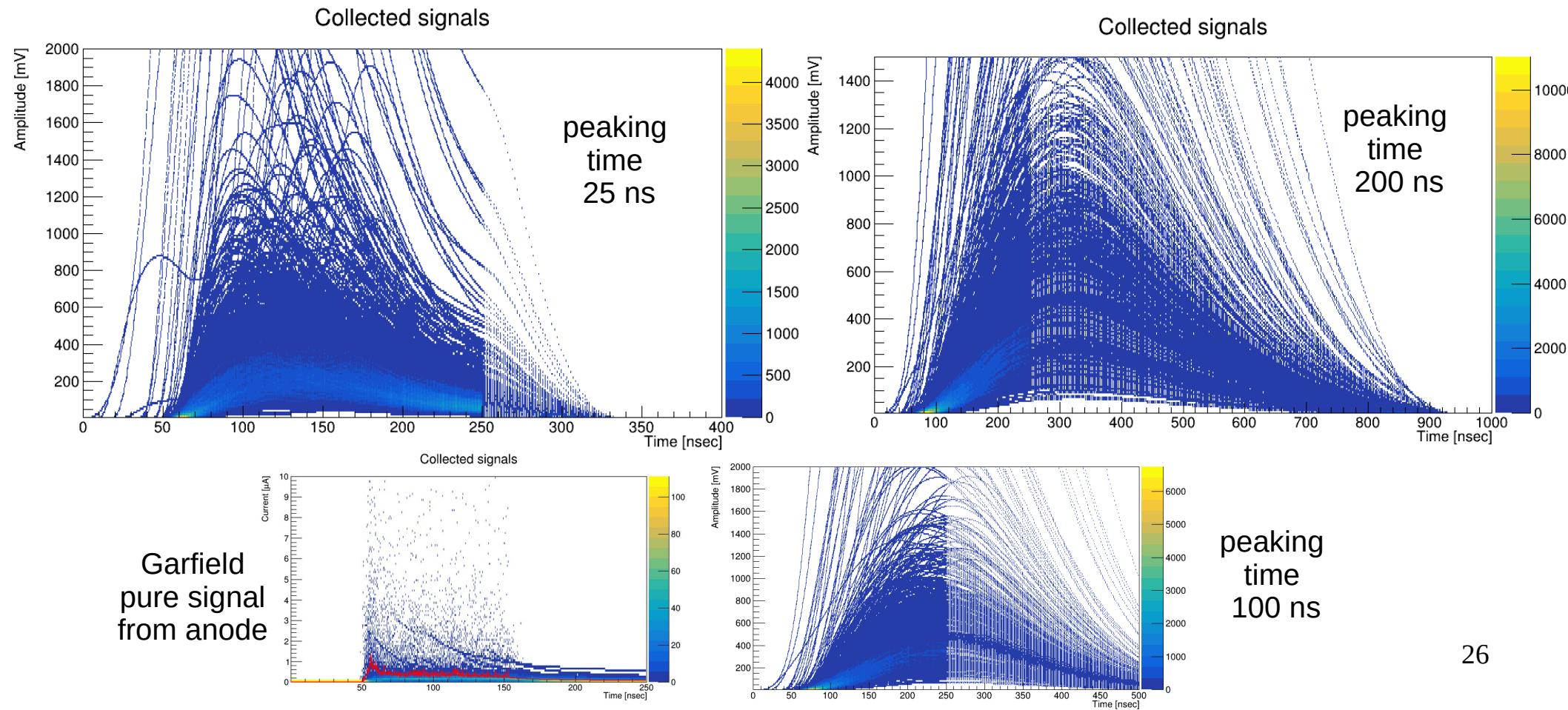


Investigation of the difference between Garfield and Garfield++ (work ongoing)

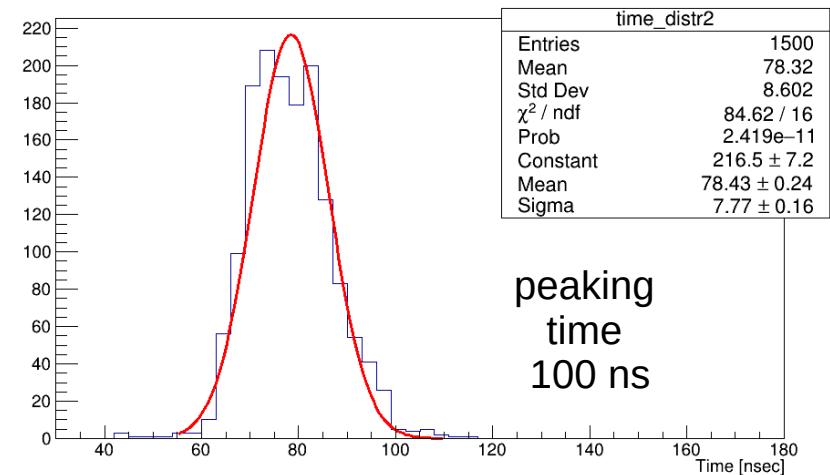
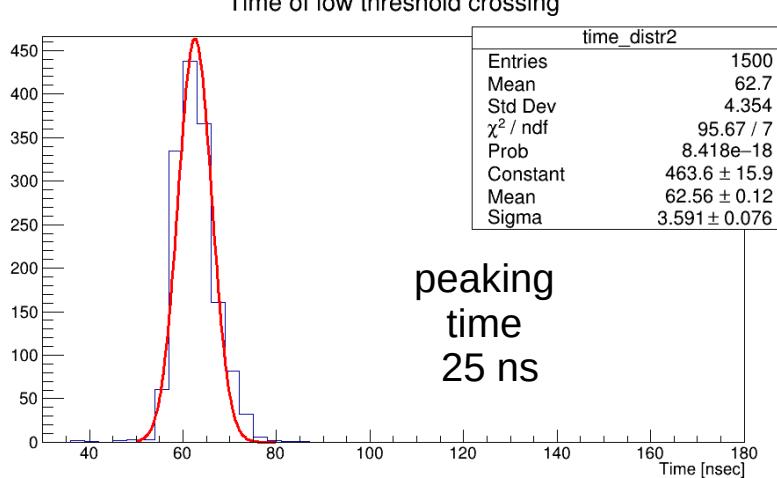
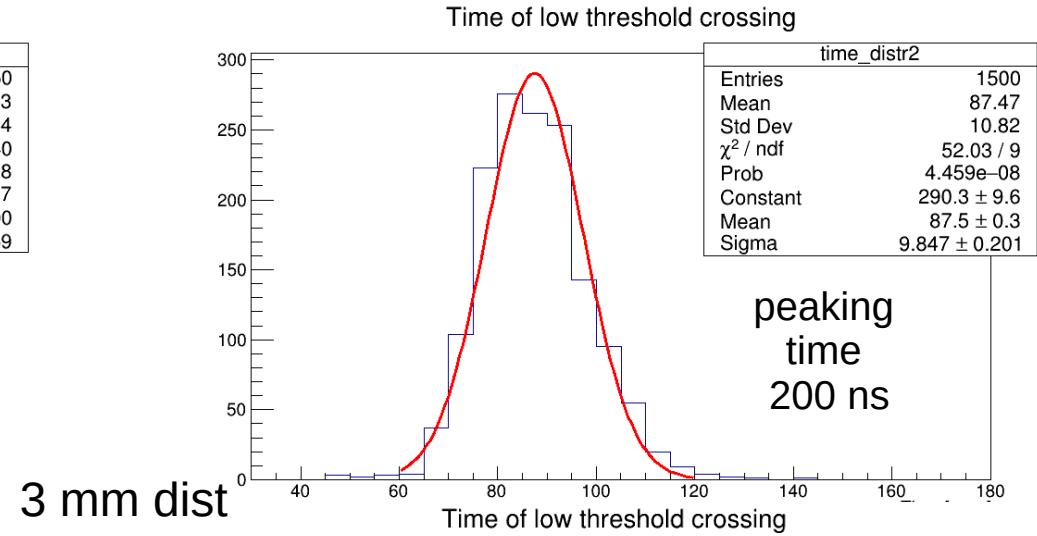
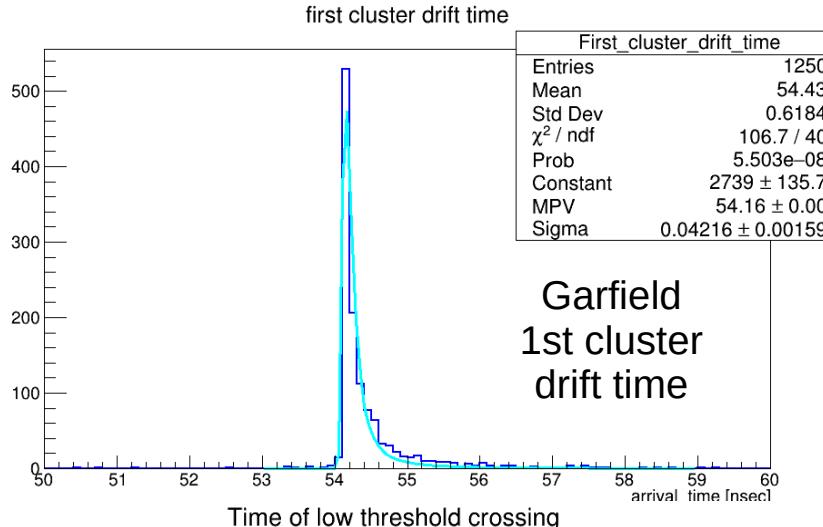


The difference in drift velocities does not exceed 2% on the full E range (gas properties in good accordance)
Configuration of the electric field inside tube is the same (very simple cylindrical geometry)

Signal shapes



Compare Garfield and LTSpice (10 mV thr)



Landau function

```
///////////  
/// The LANDAU function.  
///  
/// mu is a location parameter and correspond approximately to the most probable value  
/// and sigma is a scale parameter (not the sigma of the full distribution which is not defined)  
/// Note that for mu=0 and sigma=1 (default values) the exact location of the maximum of the distribution  
/// (most proper value) is at x = -0.22278  
/// This function has been adapted from the CERNLIB routine G110 denlan.  
/// If norm=kTRUE (default is kFALSE) the result is divided by sigma  
  
Double_t TMath::Landau(Double_t x, Double_t mu, Double_t sigma, Bool_t norm)  
{  
    if (sigma <= 0) return 0;  
    Double_t den = ::ROOT::Math::landau_pdf( (x-mu)/sigma );  
    if (!norm) return den;  
    return den/sigma;  
}
```

Probability density function of the Landau distribution:

$$p(x) = \frac{1}{\xi} \phi(\lambda)$$

with

$$\phi(\lambda) = \frac{1}{2\pi i} \int_{c-i\infty}^{c+i\infty} e^{\lambda s + s \log s} ds$$

where $\lambda = (x - x_0)/\xi$. For a detailed description see K.S. Kölbig and B. Schorr, A program package for the Landau distribution, Computer Phys. Comm. 31 (1984) 97-111 [Erratum-ibid. 178 (2008) 972]. The same algorithms as in CERNLIB (DENLAN) is used

Parameters

- x** The argument x
- xi** The width parameter ξ
- x0** The location parameter x_0

SPICE DISCUSSION

1 mm distance; left — GasGain 45k (but with attachment so ~37)
Right — the same signals, but with amplification 1 mV / fC

SPICE DISCUSSION

2 mm distance; left — GasGain 45k (but with attachment so ~37)
Right — the same signals, but with amplification 1 mV / fC

SPICE DISCUSSION

3 mm distance; left — GasGain 45k (but with attachment so ~37)
Right — the same signals, but with amplification 1 mV / fC

SPICE DISCUSSION

4 mm distance; left — GasGain 45k (but with attachment so ~37)
Right — the same signals, but with amplification 1 mV / fC

SPICE DISCUSSION

Signals from 1 mm distance

SPICE DISCUSSION

SPICE DISCUSSION

SPICE DISCUSSION

2nd cluster arrival time diffusion infl.

Distanse 3 mm

with diff

w/o diff