

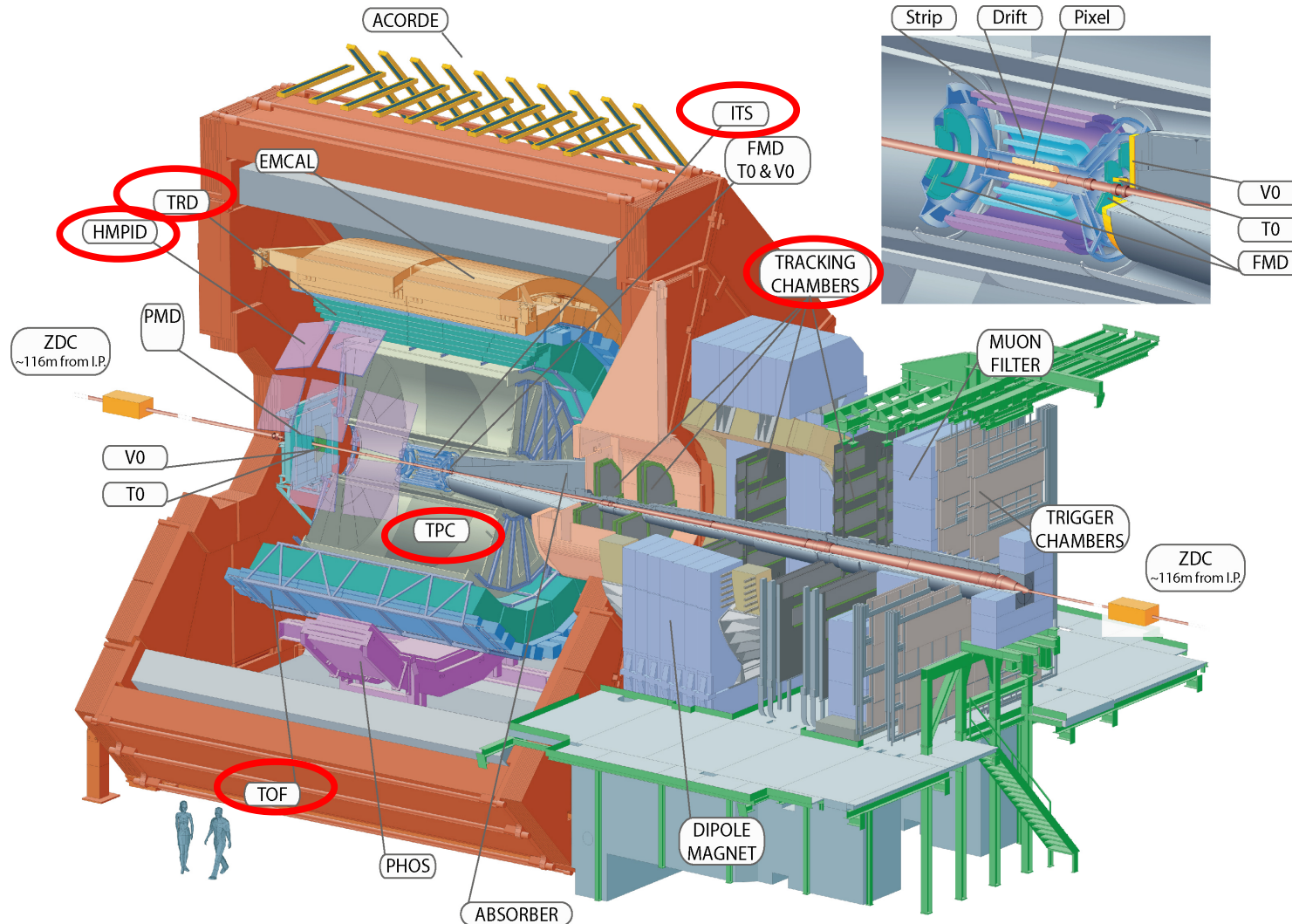


**Soft particle production  
and study of collective phenomena  
with the ALICE detector at the LHC**

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\*University of Bologna and INFN Bologna

SQM 2015, 06-11 July, Dubna, Russia

# The ALICE experiment



- Low material budget
- Optimized for good PID performance

ALICE has several detectors in the central barrel ( $|\eta| < 0.9$ ) dedicated to **PID**

- covering complementary  $p_T$  ranges
- using different PID techniques:
  - ITS:  $dE/dx$
  - TPC:  $dE/dx$
  - TRD: Transition Radiation
  - TOF: Time-of-Flight
  - HMPID: Cherenkov Radiation

ALICE has a forward muon spectrometer ( $-4.0 < \eta < -2.5$ ) for muon ID

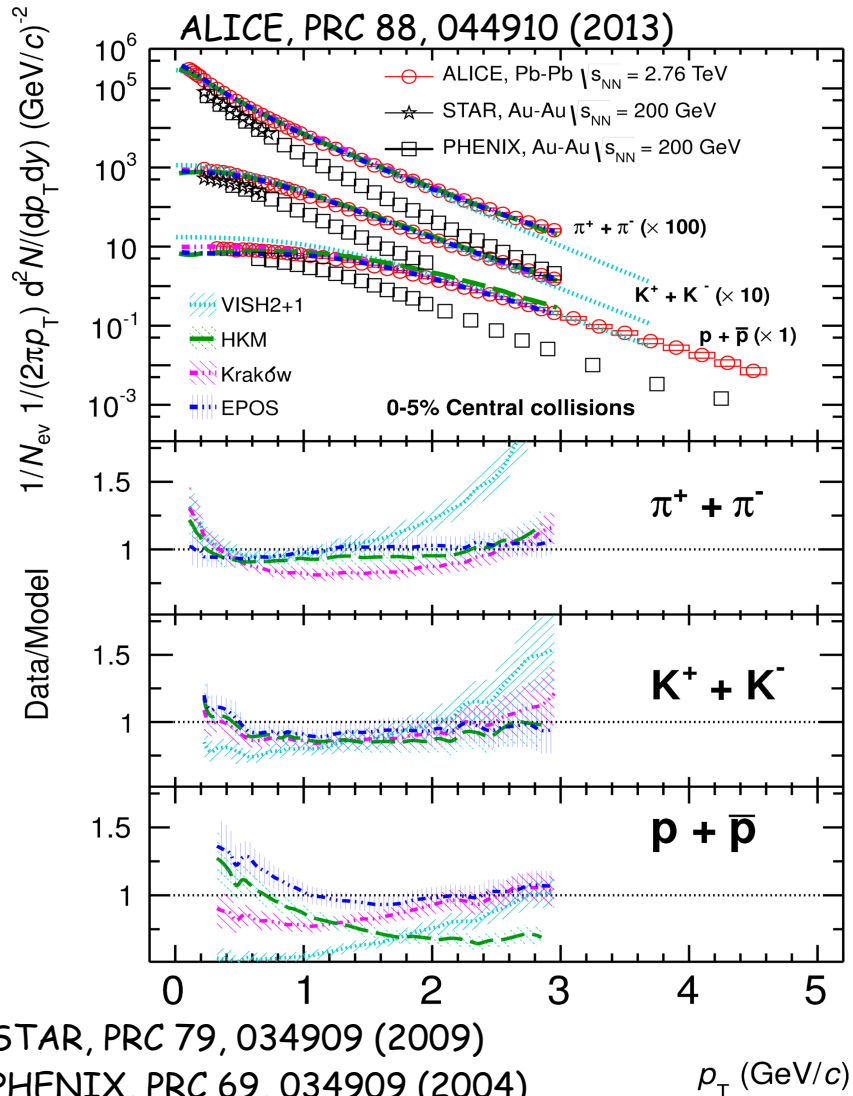
# Outline

Soft particle production: low  $p_T$  spectra

- Hydrodynamic interpretation of the spectra in Pb-Pb collisions
- Is there collective behaviour also in pp and p-Pb collisions?
  - Pb-Pb, p-Pb and pp spectra as a function of multiplicity: similarities?
- Particle ratios vs colliding system
- Thermal model interpretation of particle ratios in Pb-Pb

Conclusions

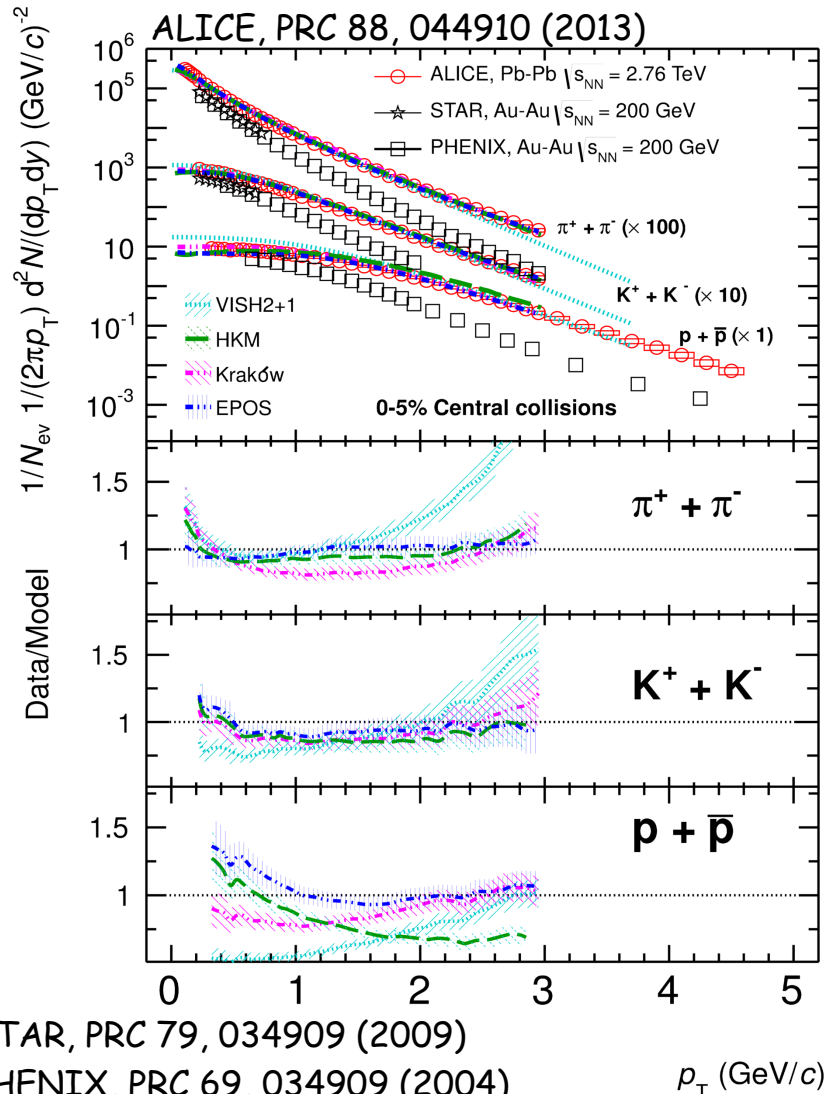
# Pb-Pb bulk production: low $p_T$ spectra



- Harder spectra compared to RHIC  $\rightarrow$  stronger radial flow (in hydrodynamic models this is a consequence of increasing particle density)
- Combined blast wave fit\* :
  - $\langle \beta_T \rangle = 0.65 \pm 0.02 \rightarrow$  10% higher than RHIC consistent with observation of increasing of mean  $p_T$  at LHC compared to RHIC for  $\pi$ , K, p
  - $\text{Kinetic freeze-out temperature } T_{kin} = 95 \pm 10 \text{ MeV} \rightarrow$  comparable with RHIC (sensitive to pion fit range)

\*Schneidermann et al., PRC 48, 2462 (1993)

# Pb-Pb bulk production: comparison with models

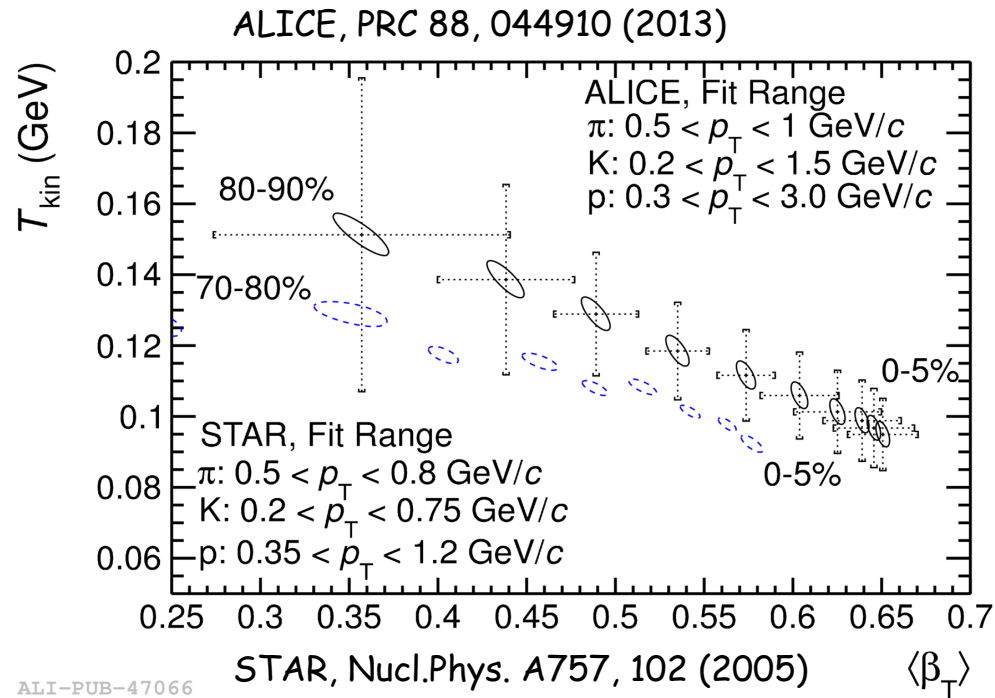


## Hydro models:

- **VISH2+1**: viscous hydrodynamics, no description of hadronic phase (Shen et al., PRC 84, 044903 (2011))
- **HKM**: hydro+UrQMD, hadronic phase builds additional radial flow, mostly due to elastic interactions, and affects particle ratios due to inelastic interactions (Karpenko et al., PRC 87, 024914 (2013))
- **Krakow**: non equilibrium corrections due to bulk viscosity at the transition from hydro description to particles which change the effective chemical freeze-out temperature  $T_{ch}$  (Bozek, PRC 85, 064915 (2012))
- **EPOS**: hydro + UrQMD + jets (Werner et al., PRC 85, 064907 (2012))

# Pb-Pb bulk production: low $p_T$ spectra

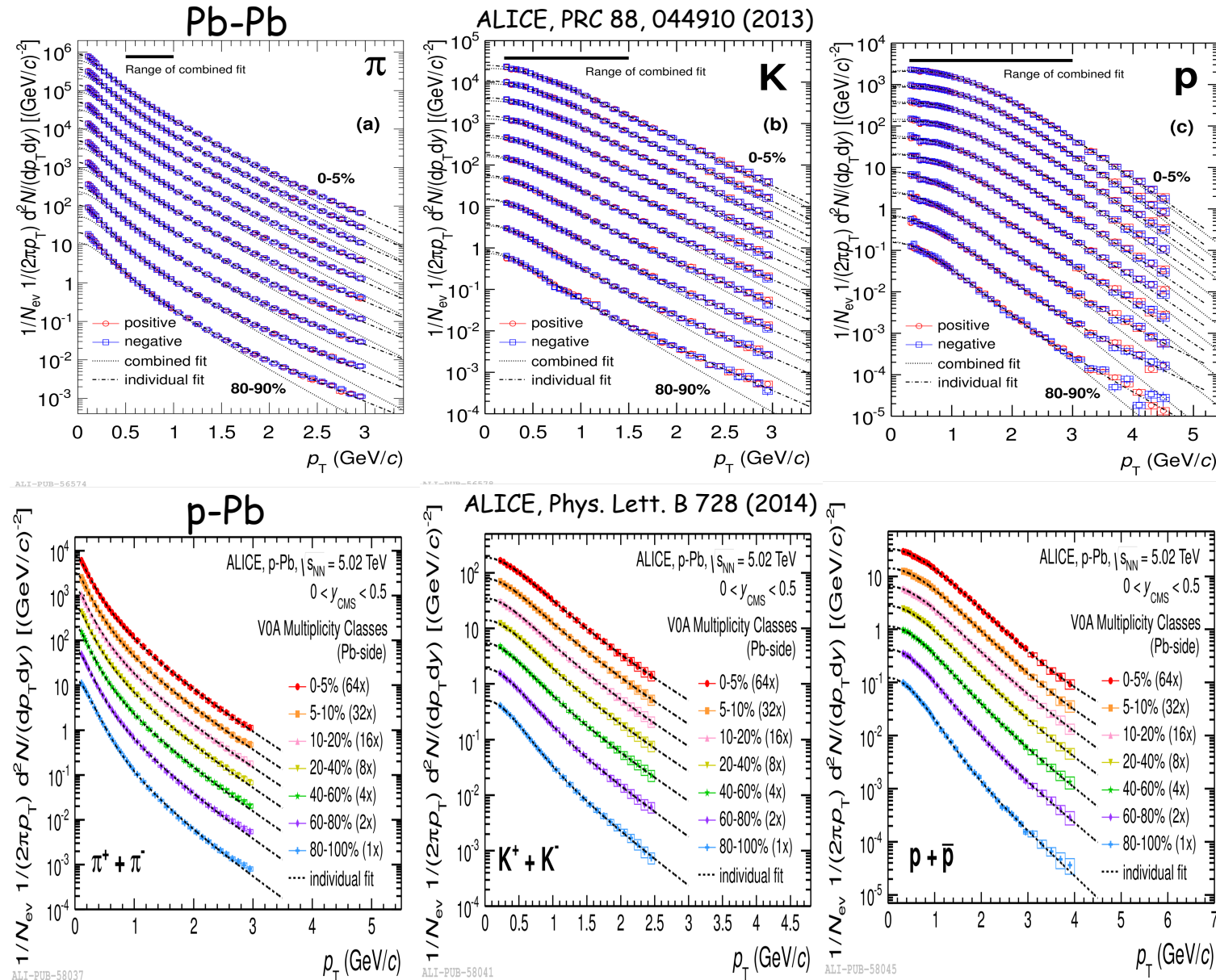
Blast-wave fit parameters for collisions with different centrality at ALICE and RHIC



- $\langle \beta_T \rangle$  increases with centrality
- $T_{kin}$  decreases with centrality

Possible indication of more rapid expansion with increasing centrality

# Pb-Pb vs p-Pb spectra: common behavior?



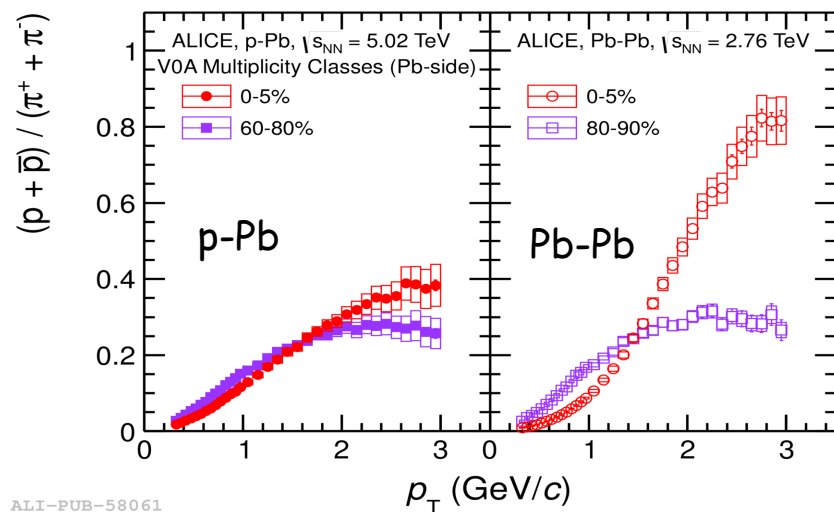
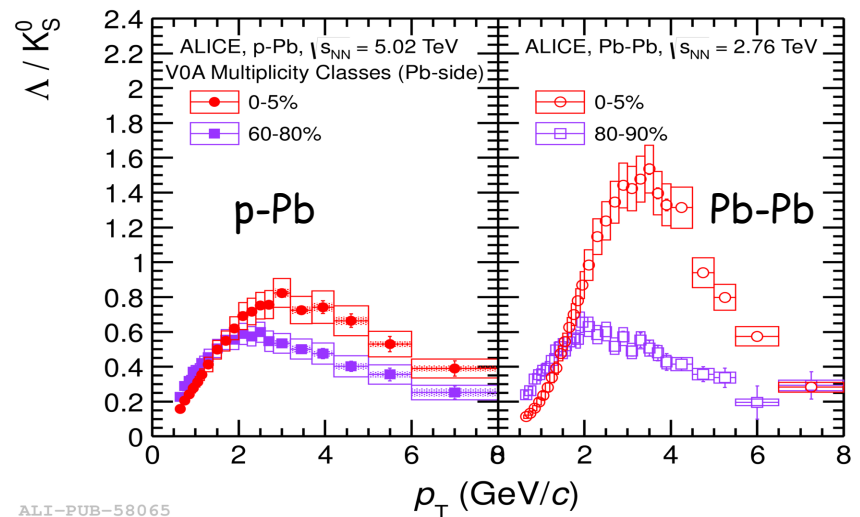
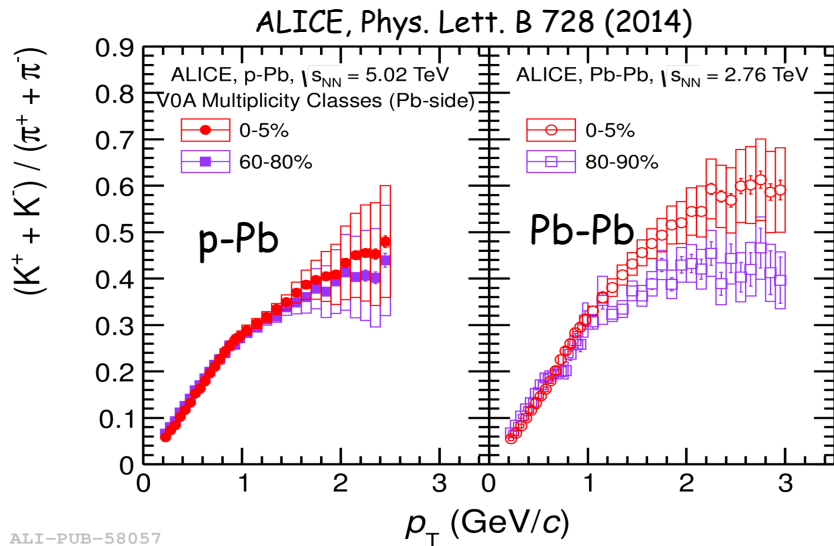
Pb-Pb and p-Pb:

- spectra evolution with centrality/multiplicity
- spectra become harder as the multiplicity increases especially for heavier particles



Indication of collective radial expansion also in p-Pb collisions?

# Pb-Pb vs p-Pb ratios of spectra: common behavior?



- Spectra become harder as the multiplicity increases
- Mass dependence of spectral shape evolution with multiplicity

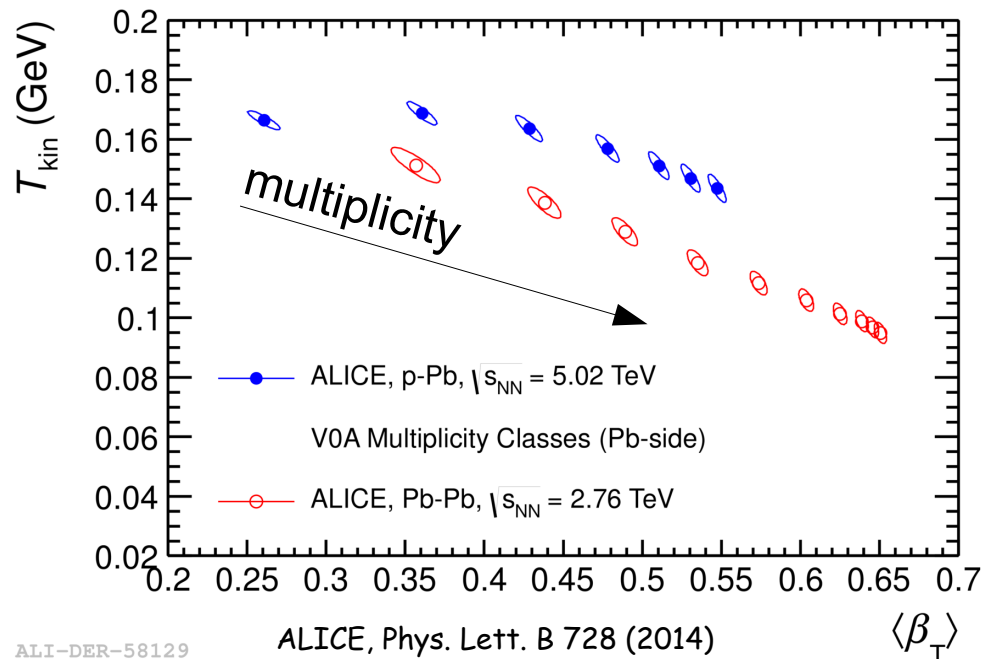
p-Pb shows a similar behavior as Pb-Pb, where it is explained in terms of collective radial expansion or coalescence  $\rightarrow$  final state effects needed to describe p-Pb data ?



# p-Pb: testing the collective radial expansion of the system

How to compare spectral shapes and evolution in different collision systems?

-> simultaneous fit of spectra with Blast wave function (Schnedermann et al., PRC 48, 2462 (1993))



1-Similar trend for p-Pb and Pb-Pb -> consistent with radial flow in p-Pb

At similar  $dN_{ch}/dn$ :

- $T_{kin}$  comparable for the two systems
- $\langle \beta_T \rangle$  higher in p-Pb collisions

□ stronger collective flow for smaller system size? Shuryak, arXiv:1301.4470 [hep-ph]

□ in p-Pb high multiplicity selection biases the sample towards harder collisions -> this could lead to the larger  $\langle \beta_T \rangle$

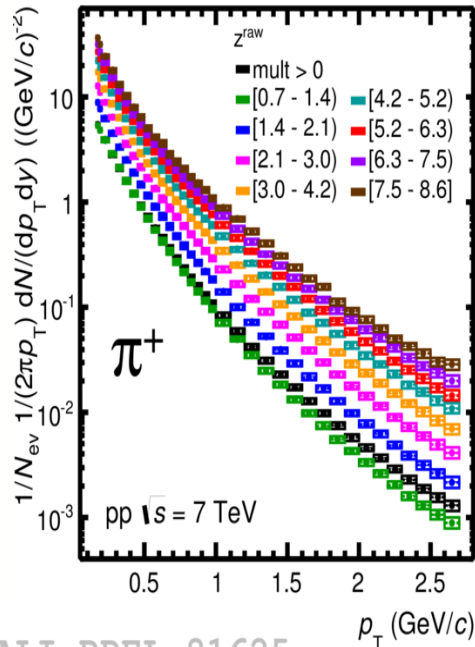
# And in pp collisions?

The multiplicity in pp can be quantified by the ratio:

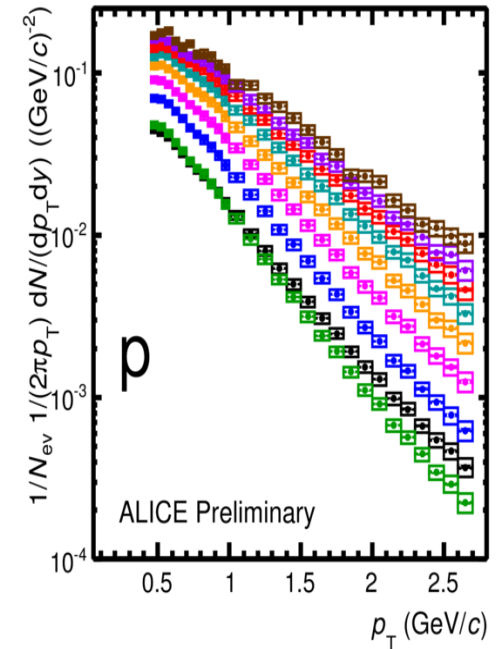
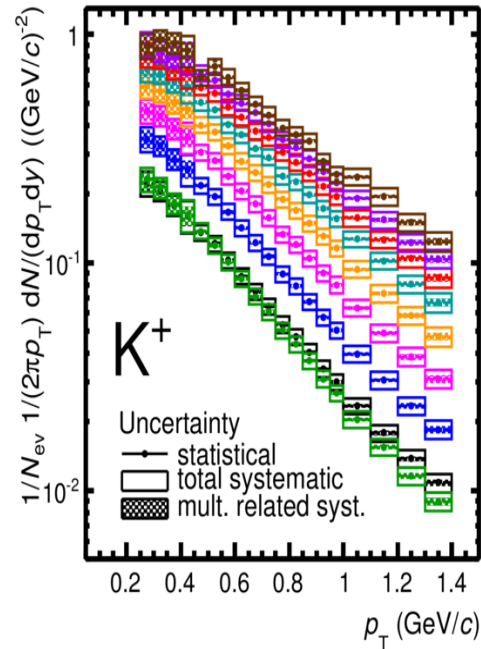
$$z^{raw} = \frac{(N_{ch}^{raw})_{limit}}{\langle N_{ch}^{raw} \rangle_{mult>0}}$$

$$\langle N_{ch}^{raw} \rangle = 9.6, \quad |\eta| < 0.8$$

$N_{ch}^{raw}$	$z^{raw}$
7-12	0.7-1.3
13-19	1.4-2.0
20-28	2.1-2.9
29-39	3.0-4.1
40-49	4.2-5.1
50-59	5.2-6.2
60-71	6.3-7.4
72-82	7.5-8.6

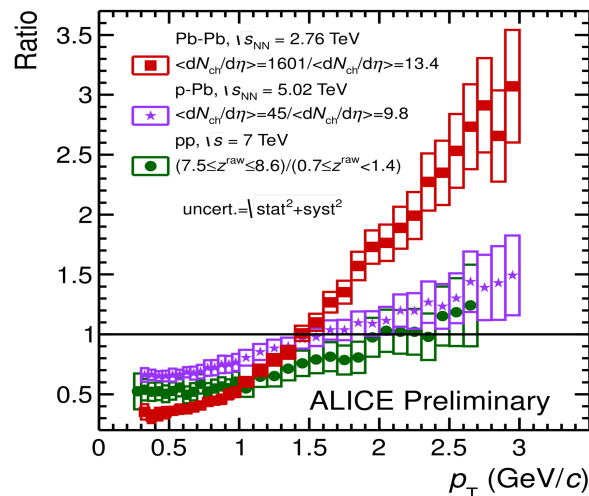
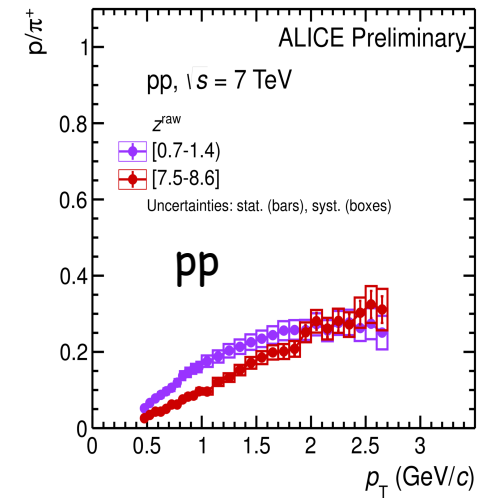
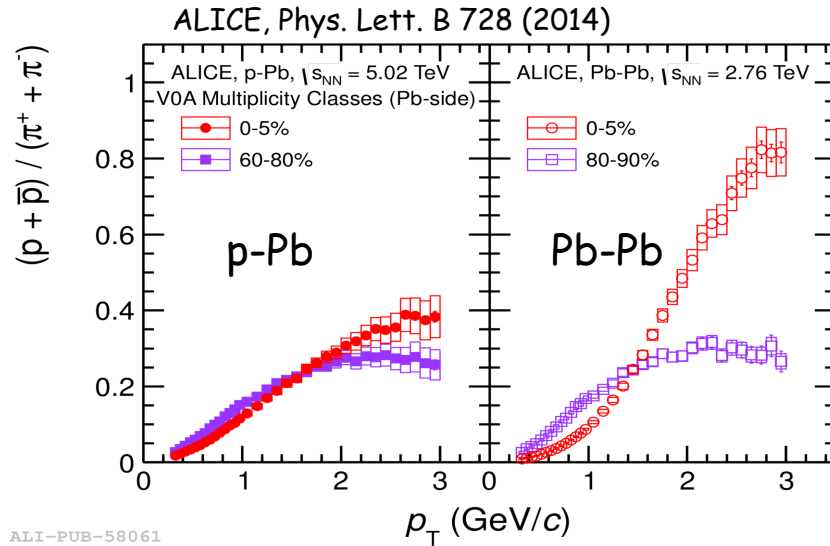


ALI-PREL-81625



- Multiplicity dependence of the spectral shape
- Spectra become harder as a function of multiplicity and particle mass
  - > mass ordering as expected from hydrodynamics?

# And in pp collisions?

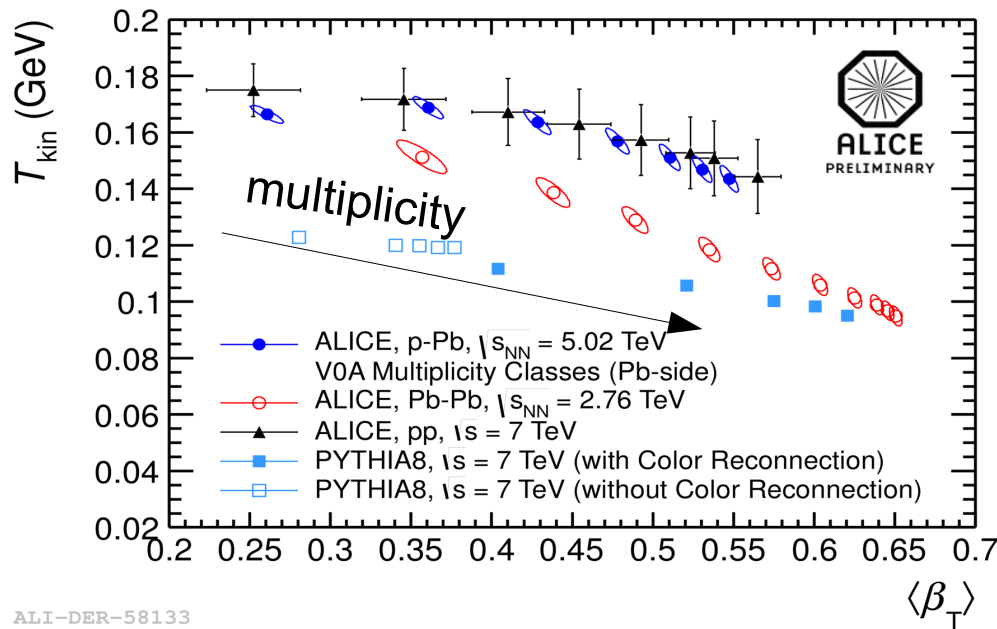


- Heavier particles have larger  $p_T$  for all the colliding systems
- Similar trend for pp and p-Pb
- Stronger increase in Pb-Pb

# Testing the collective radial expansion

How to compare spectral shapes and evolution in different collision systems?

-> simultaneous fit of spectra with Blast wave function (Schnedermann et al., PRC 48, 2462 (1993))



Flow, correlations, .. can provide further information

1-Similar trend for p-Pb and Pb-Pb -> consistent with radial flow in p-Pb

At similar  $dN_{ch}/dn$ :

- $T_{kin}$  comparable for the two systems
- $\langle \beta_T \rangle$  higher in p-Pb collisions

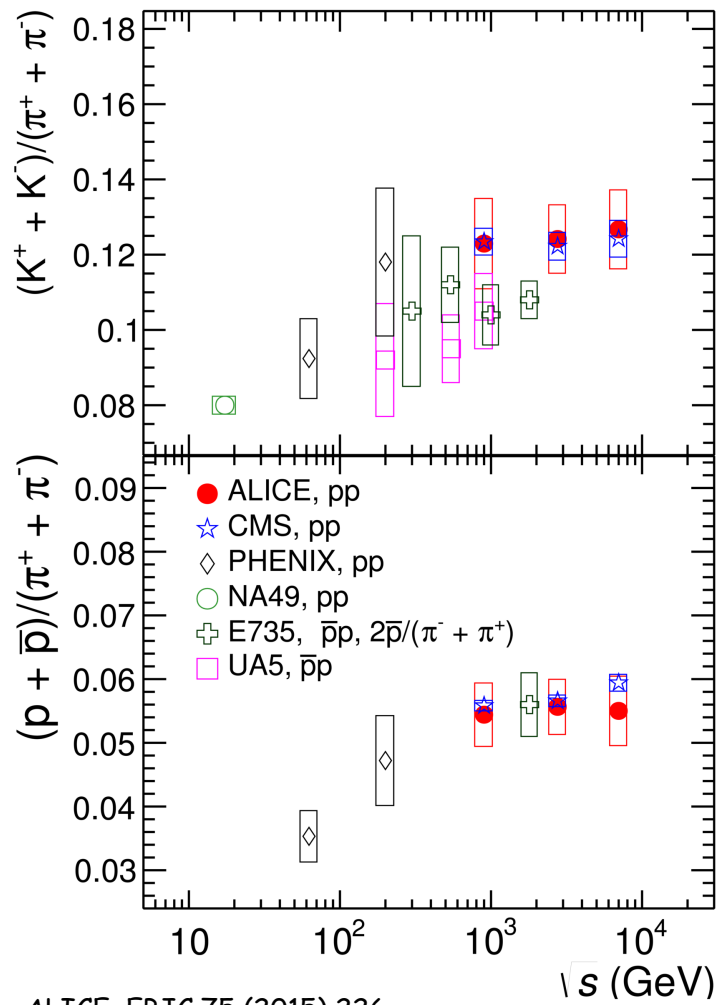
□ stronger collective flow for smaller system size? Shuryak, arXiv:1301.4470 [hep-ph]

2-PYTHIA (no hydro-like collectivity implemented) shows similar features -> color reconnection (CR) produces flow-like patterns in pp A.Ortiz et al. Phys. Rev. Lett. 111 (2013),042001

3-pp data show similar features

-> **Blast-Wave spectral-shape analysis not yet conclusive**

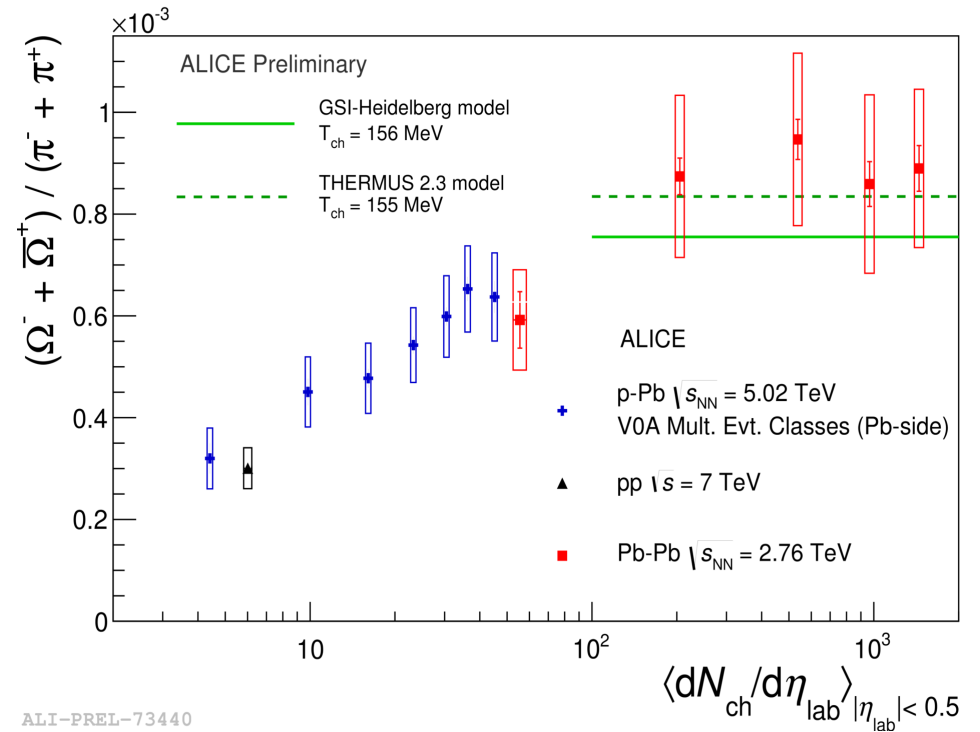
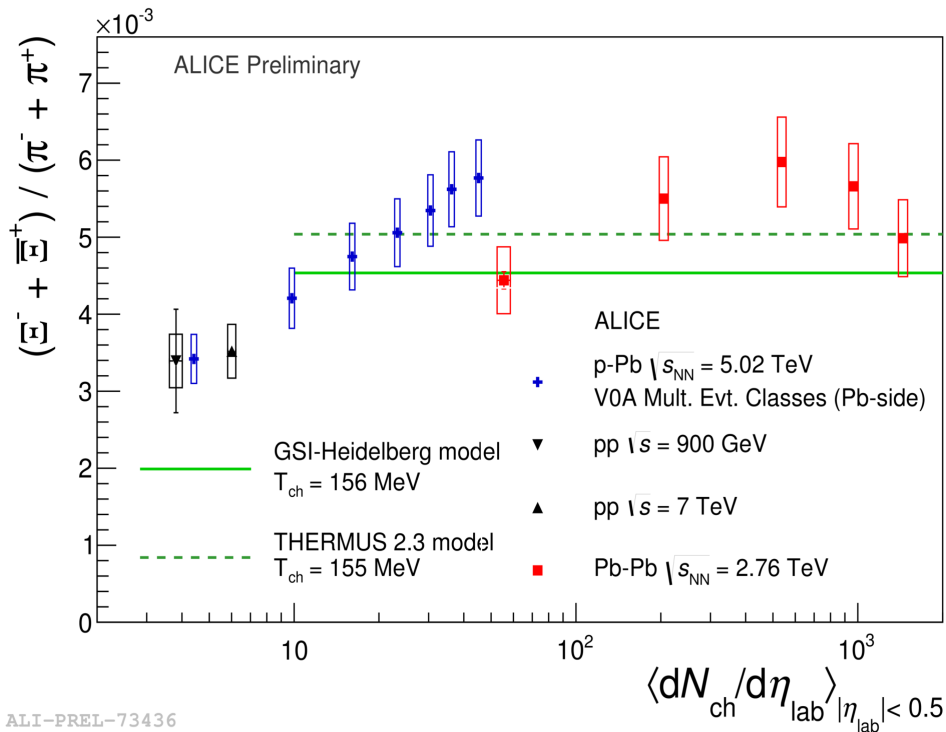
# pp particle ratios vs $\sqrt{s}$



ALICE, EPJC 75 (2015) 226  
ALI-PUB-92239

$p_T$  integrated particle ratios  
 measured in pp collisions show  
 no significant energy  
 dependence at the LHC

# Particle ratios vs colliding systems: strangeness enhancement



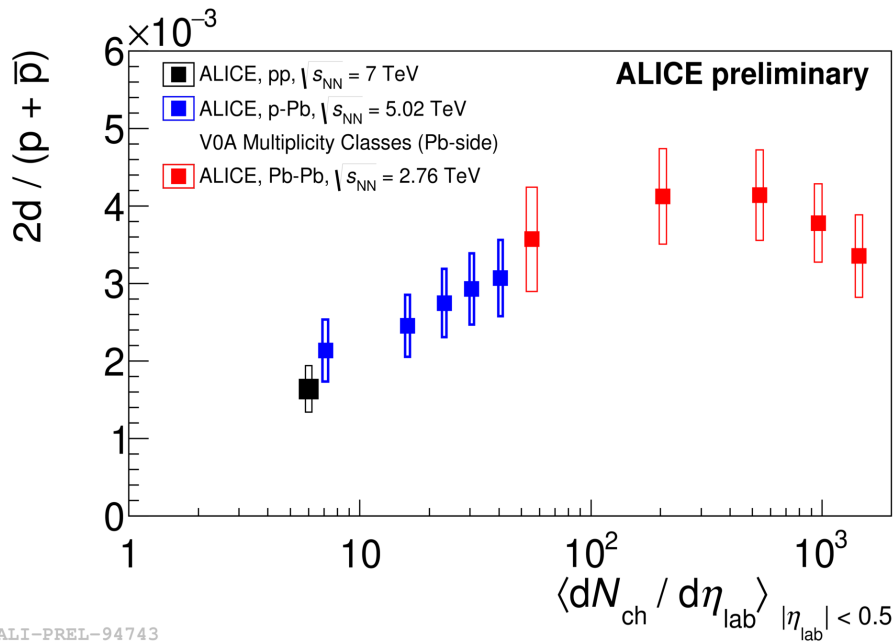
See M. Nicassio talk

$\Xi/\pi$  and  $\Omega/\pi$  : strangeness enhancement as a function of multiplicity in p-Pb collisions

Low-multiplicity:  $\square$  consistent with pp

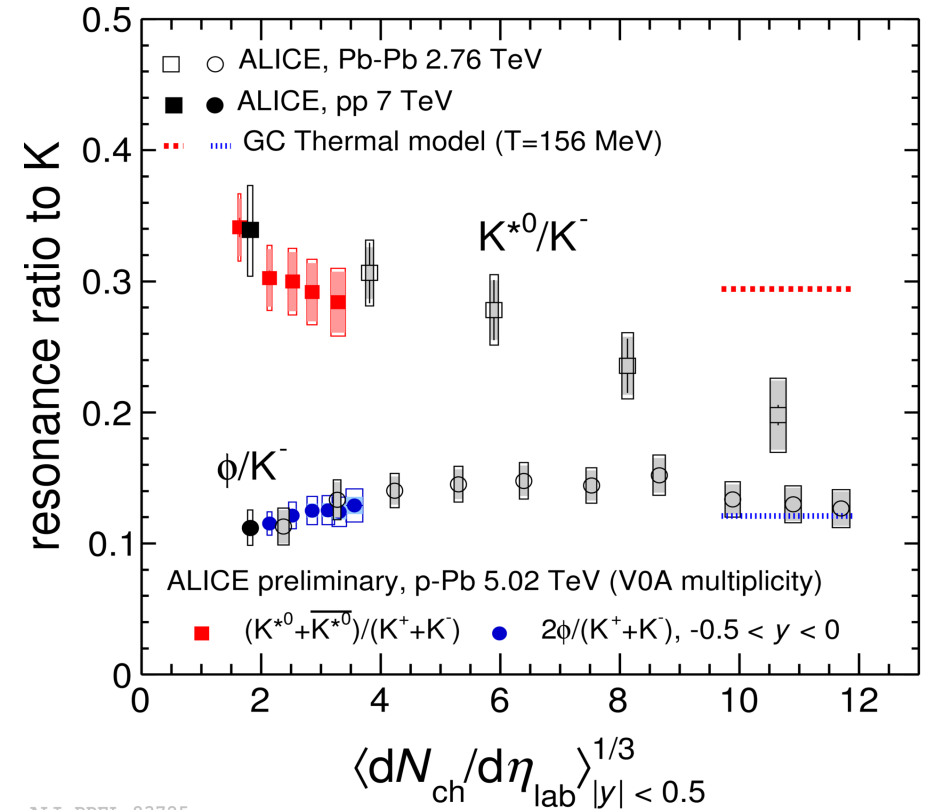
High-multiplicity:  $\square$  compatible with central ( $\Xi$ ) or peripheral ( $\Omega$ ) Pb-Pb

# Particle ratios vs colliding systems: deuteron enhancement and $K^*$ suppression



ALI-PREL-94743

$d/p$ : increasing trend with multiplicity in p-Pb  
 pp collisions is a factor 2.2 lower than in  
 Pb-Pb collisions

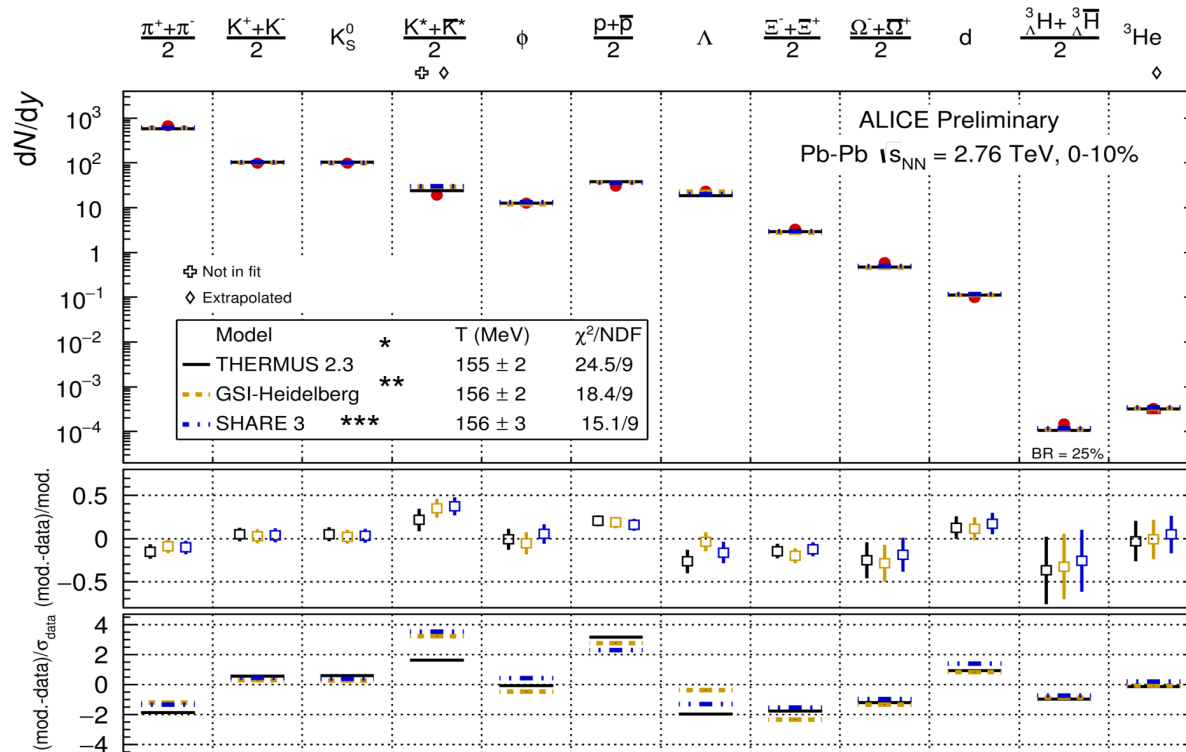


ALI-PREL-83725

$\Phi/K$ : no strong centrality dependence,  
 consistent for pp, p-Pb and Pb-Pb  
 $K^*/K$ : significant suppression from pp and  
 peripheral Pb-Pb to central Pb-Pb

See V. Riabov talk

# Thermal models in Pb-Pb



$dN/dy$  interpreted in terms of thermal models  $\rightarrow$  properties of the system at the chemical freeze-out:

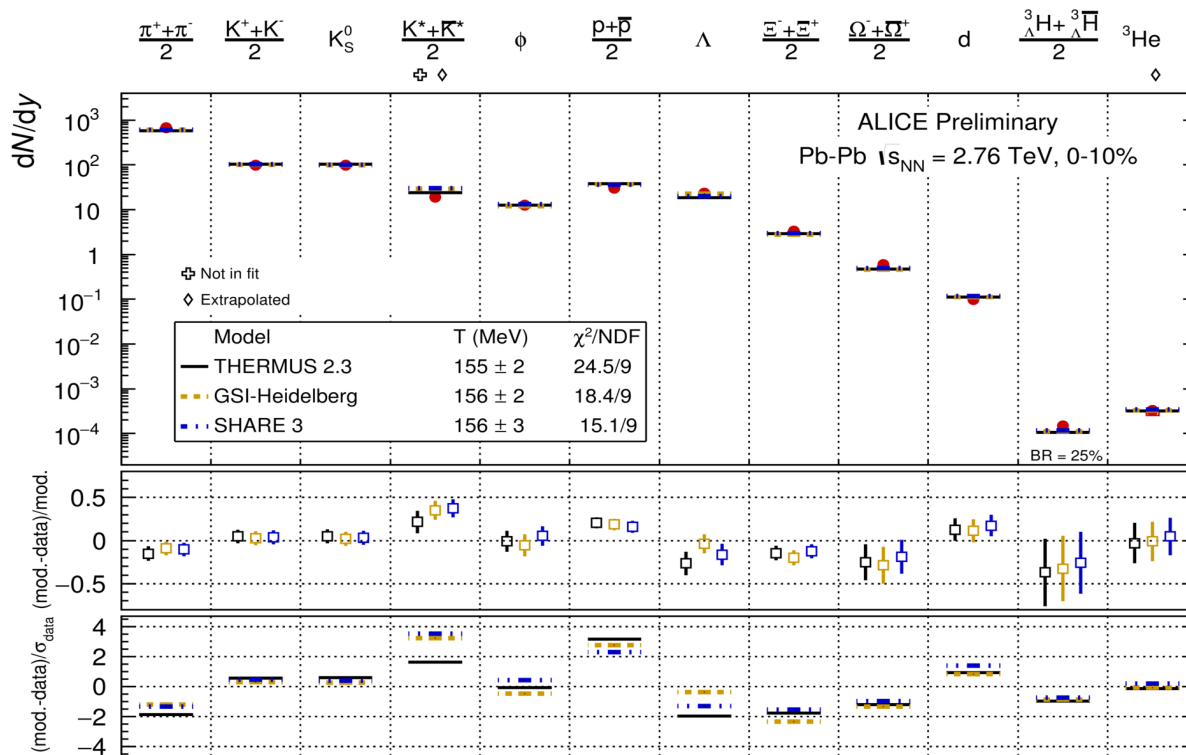
- chemical freeze-out temperature ( $T_{ch}$ )
- baryochemical potential ( $\mu_B=0$  at LHC)
- Volume ( $V$ )
- Non equilibrium parameters ( $\gamma_{s,q}$  in SHARE model)

3 equilibrium thermal models: THERMUS 2.3\*, GSI\*\* and SHARE ( $\gamma_s=\gamma_q=1$ )\*\*\*

- Different implementations of equilibrium thermal models yield the same  $T_{ch}$  ( $\approx 156$  MeV)
- It is lower than  $T_{ch}$  from lower energy extrapolation ( $\approx 164$  MeV)



# Thermal models in Pb-Pb



ALI-PREL-94600

- Anomaly of the p with respect to equilibrium model expectations
- Agreement restored if p (and K\*) are excluded from the fits ( $\chi^2/\text{ndf}$  goes from 2 to 1)

Deviation from thermal ratio:

- final state interactions in hadronic phase
- non equilibrium thermal model ( $\gamma_{q,s} > 1$ )
- flavor dependent freeze-out temperature

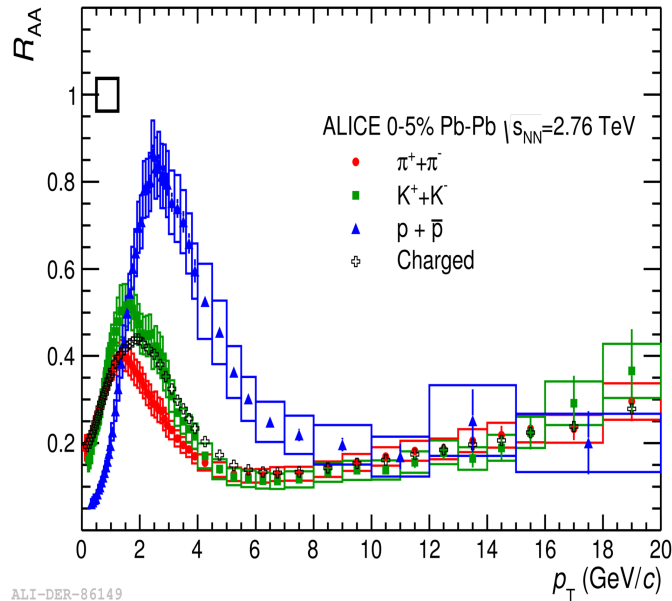
# Conclusions

Soft particle production allows one to:

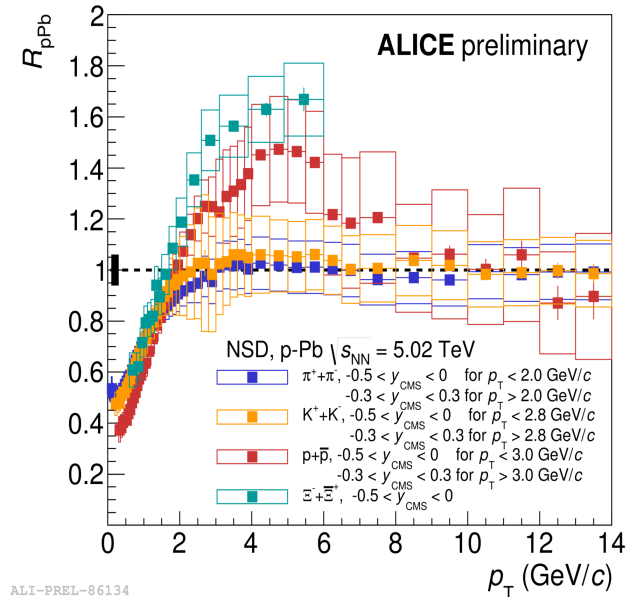
- test hydro models to describe low  $p_T$  Pb-Pb spectra
- look for possible collective behavior (radial flow expansion) in pp and p-Pb:
  - particle spectra show similar evolution as a function of centrality/multiplicity in pp, p-Pb, Pb-Pb → flow-like patterns in high multiplicity p-Pb and pp
- study how the particle ratios change in different colliding systems
  - strangeness and deuteron enhancement +  $K^*$  and baryon suppression moving from pp to p-Pb to Pb-Pb collisions
- get information of the system at chemical freezeout thanks to thermal models

# Backup

# $R_{AA}$ vs $R_{pPb}$



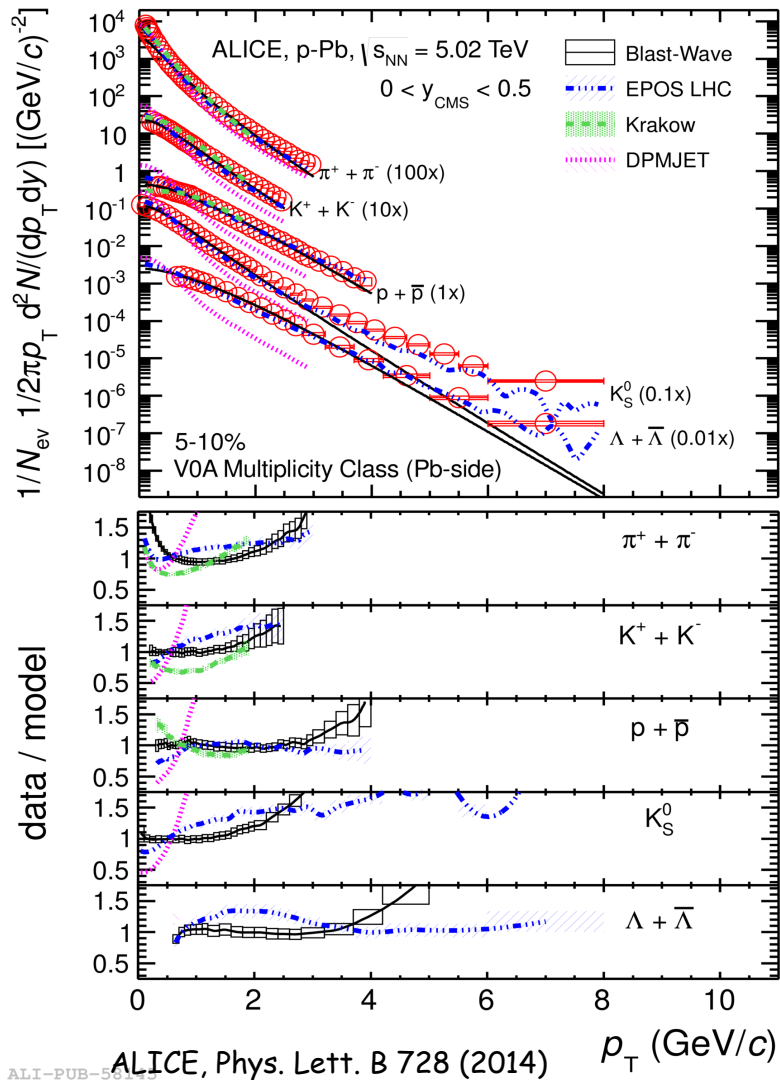
- $p_T < 8$  GeV/c: p less suppressed than  $\pi$  and K
- $p_T > 10$  GeV/c same suppression for  $\pi$ , K, p



- $R_{pPb}$  of  $\pi$ , K, p consistent with unity at large  $p_T$
- mass ordering at intermediate  $p_T$
- Cronin peak in charged  $R_{pPb}$  from protons

In Pb-Pb collisions the mass ordering is attributed to radial flow  $\rightarrow$  collective behavior (flow-like effect) in p-Pb collisions?

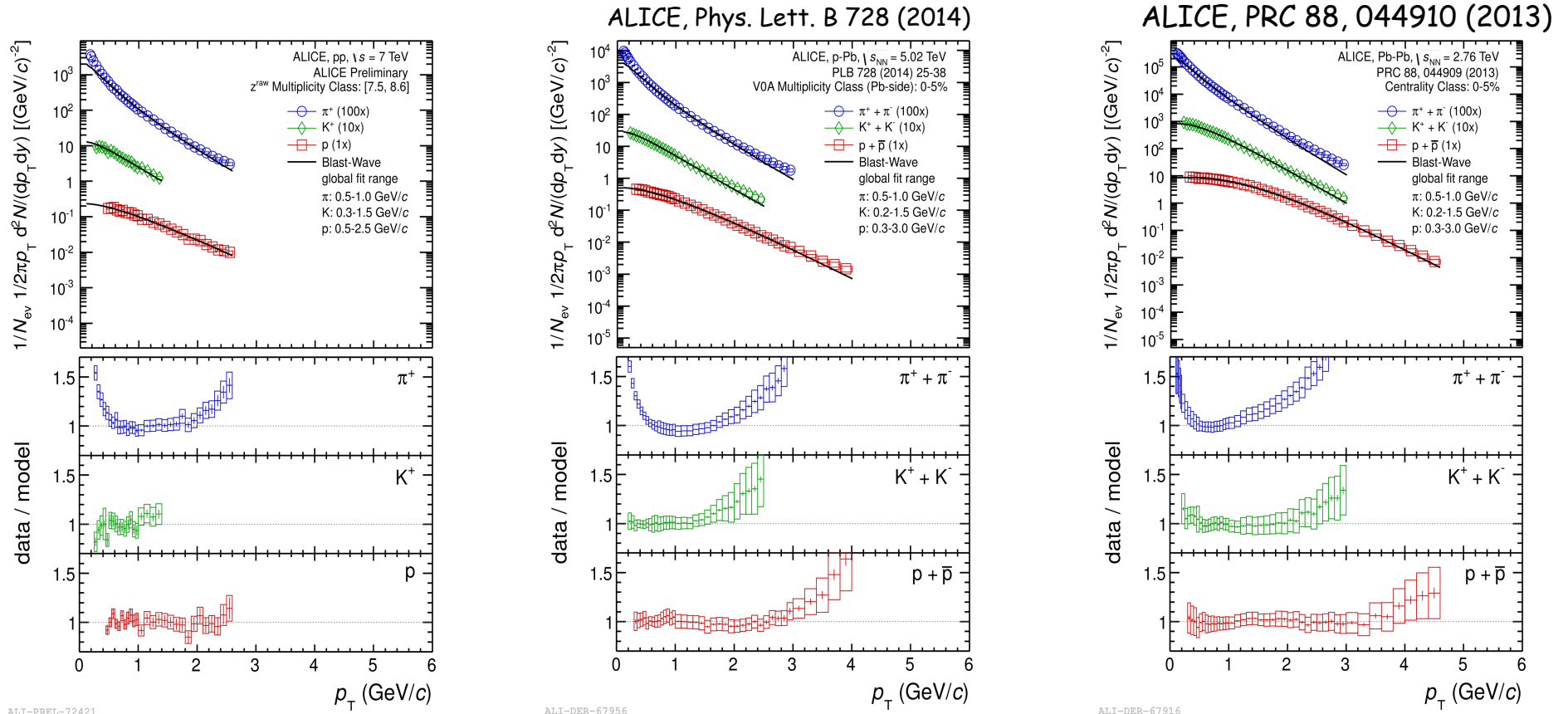
# p-Pb: testing the collective radial expansion of the system



- **DPMJET** QCD inspired generator: Can not reproduce  $p_T$  distributions and  $\langle p_T \rangle$  of charged particles.
- **Krakow** (Bozek, PRC85, 014911 (2012)), viscous hydro model. Reproduces  $\pi$  and K for  $p_T < 1$  GeV/c where hydro effects dominate. At higher  $p_T$  the observed deviations for pions and kaons are possibly due to non-thermal component. Good description of p.
- **EPOS LHC** (Pierog et al., arXiv:1306.0121 [hep-ph]), initial hard scattering creates "flux tubes" which either escape the medium and hadronize as jets, or contribute to the bulk matter, described in terms of hydrodynamics. It can reproduce  $\pi$  and p within 20% over the full measured range; larger deviations for kaons and lambdas.

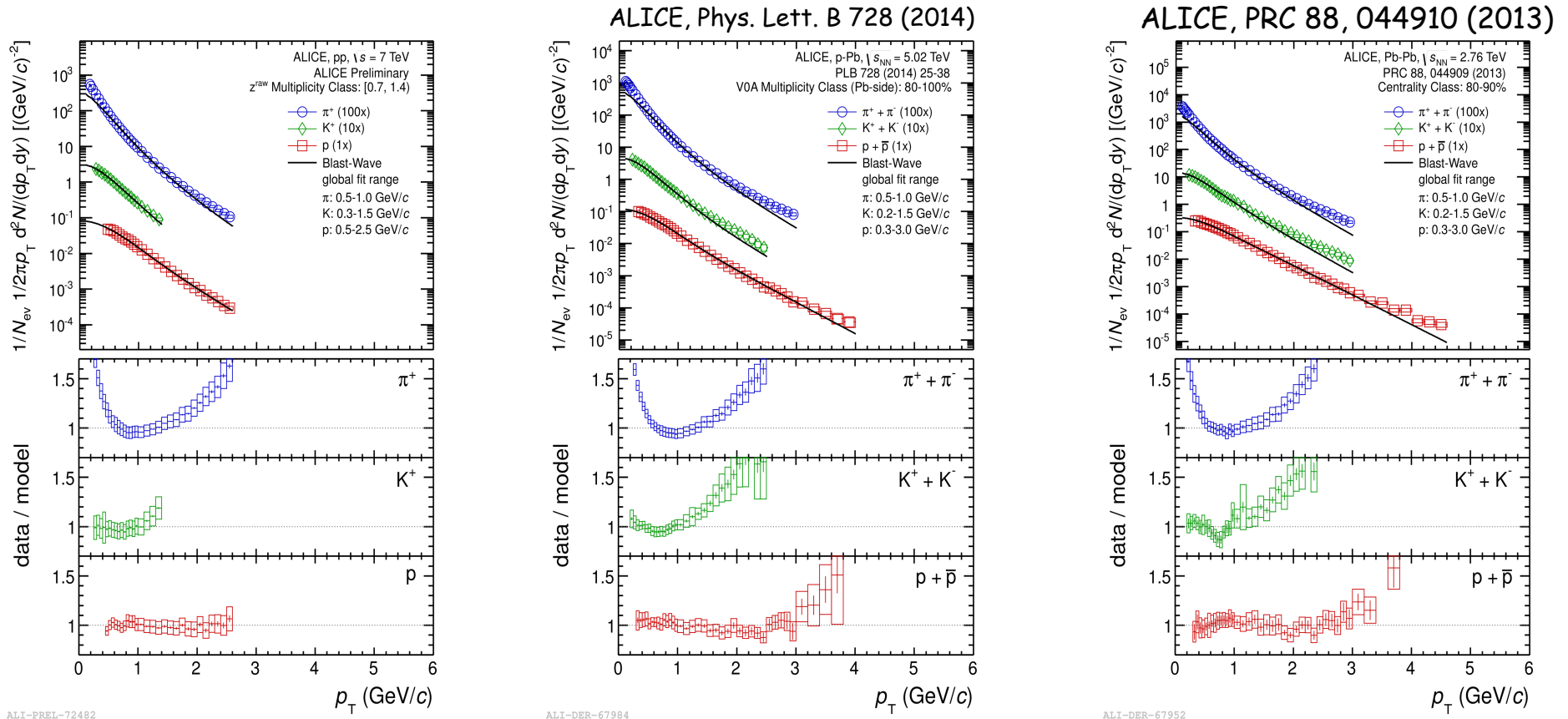
Models including hydrodynamics better describe the data

# Blast wave fit in pp, p-Pb, Pb-Pb



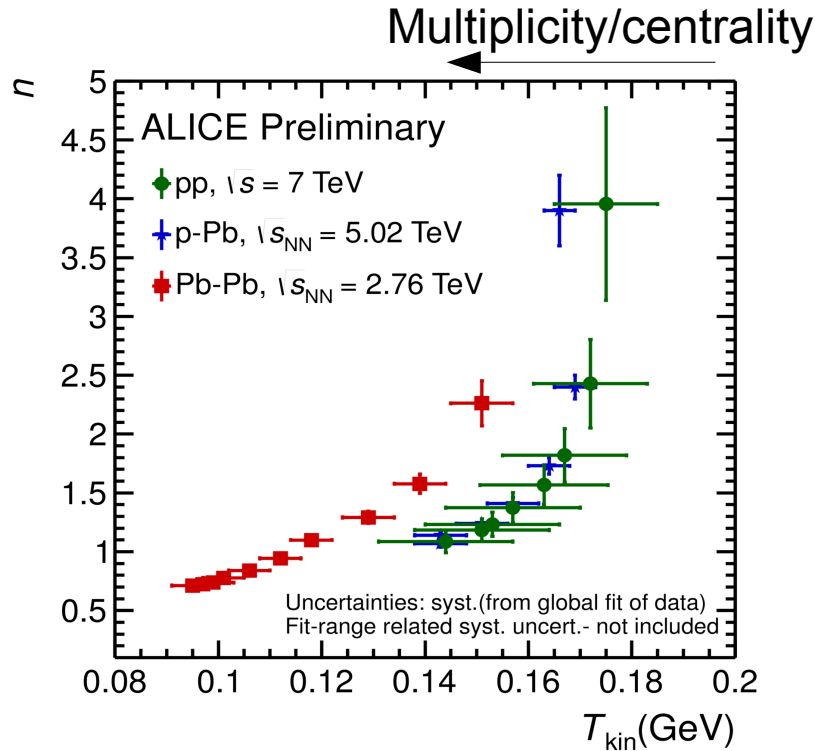
- The quality of the fits is similar for all three systems
- The  $p_T$  range on which the spectra follows the hydro shape increases going towards higher multiplicity/centrality

# Blast wave fit in pp, p-Pb, Pb-Pb



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# Blast wave fit in pp, p-Pb, Pb-Pb

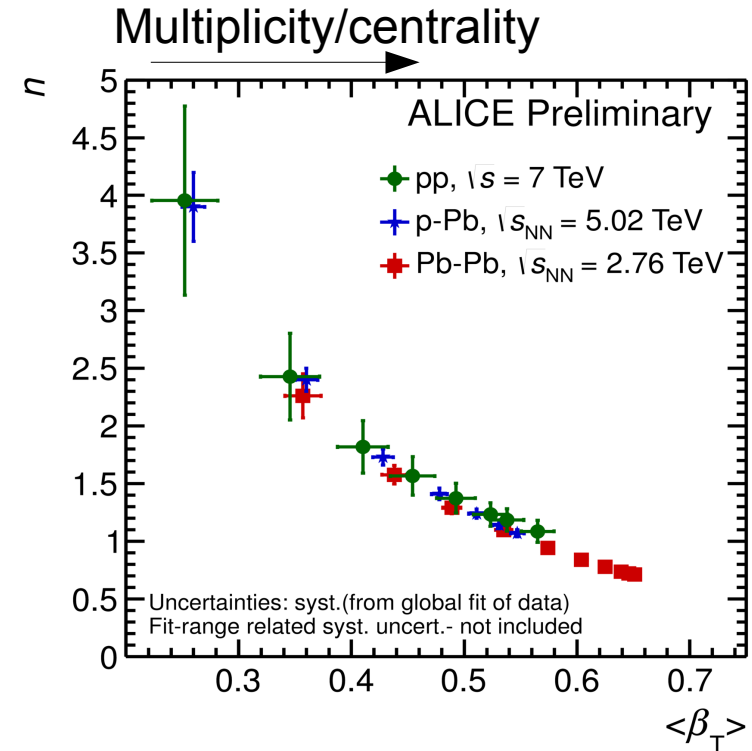


ALI-PREL-81583

$n - T_{kin}$  correlations:

similar for pp and p-Pb; Pb-Pb has lower

$T_{kin}$  values

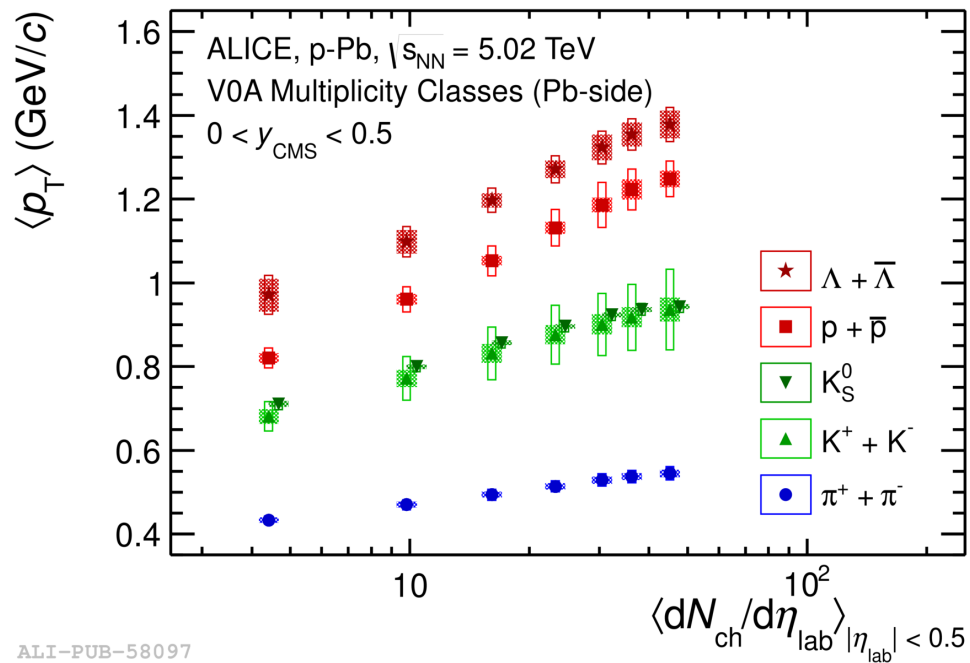


ALI-PREL-81587

$\langle\beta_T\rangle$  approaches a linear dependence as a function of position in the fireball for pp, p-Pb and Pb-Pb



# p-Pb: mean $p_T$



$\langle p_T \rangle$  increases with multiplicity, at a rate which is stronger for heavier particles. A similar mass ordering is also observed in Pb-Pb collisions as a function of multiplicity.

# Blast-wave function

Assumption: locally thermalized medium, expanding collectively with a common velocity field and undergoing an instantaneous common freeze-out.

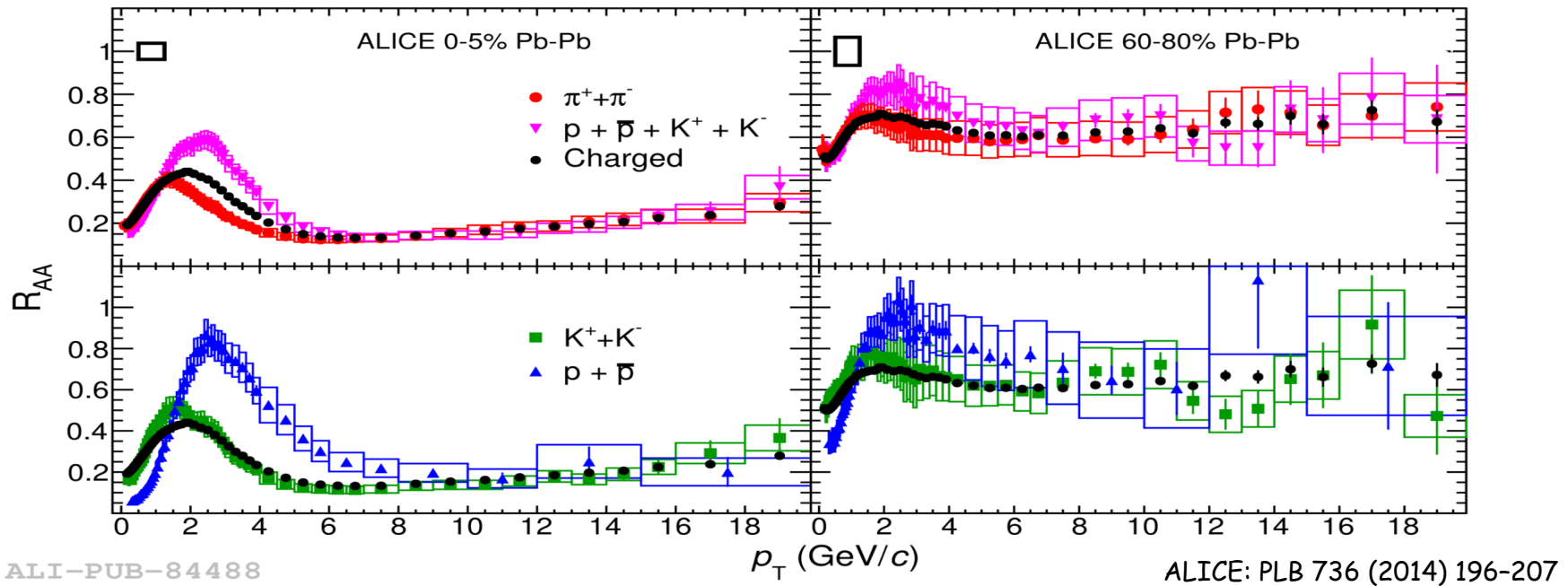
$$\frac{1}{p_T} \frac{dN}{dp_T} \propto \int_0^R r dr m_T I_0 \left( \frac{p_T \sinh \rho}{T_{kin}} \right) K_1 \left( \frac{m_T \cosh \rho}{T_{kin}} \right), \quad (1)$$

where the velocity profile  $\rho$  is described by

$$\rho = \tanh^{-1} \beta_T = \tanh^{-1} \left( \left( \frac{r}{R} \right)^n \beta_s \right). \quad (2)$$

Here,  $m_T = \sqrt{p_T^2 + m^2}$  is the transverse mass,  $I_0$  and  $K_1$  are the modified Bessel functions,  $r$  is the radial distance from the center of the fireball in the transverse plane,  $R$  is the radius of the fireball,  $\beta_T(r)$  is the transverse expansion velocity,  $\beta_s$  is the transverse expansion velocity at the surface,  $n$  is the exponent of the velocity profile and  $T_{kin}$  is the kinetic freeze-out temperature. The free parameters in the fit are  $T_{kin}$ ,  $\beta_s$ ,  $n$  and a normalization parameter.

# $\pi, K, p: R_{AA}$



- $p_T < 8 \text{ GeV}/c$ : p less suppressed than  $\pi$  and K
- $p_T > 10 \text{ GeV}/c$  same suppression for  $\pi, K, p \rightarrow$  particle composition and ratios at high  $p_T$  are the same in medium and in vacuum (disfavors models where large energy loss is associated with mass ordering or large fragmentation differences between baryons and mesons)

$$R_{AA} = \frac{d^2 N_{AA}/dp_T dy}{\langle N_{coll} \rangle d^2 N_{pp}/dp_T dy}$$