



Behavior of moment of inertia in highly deformed ^{24}Mg and ^{20}Ne

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Formalism

$$J_{Inglis} = 2 \sum_{mi} \frac{|\langle m | J_x | i \rangle|^2}{E_m - E_i}$$

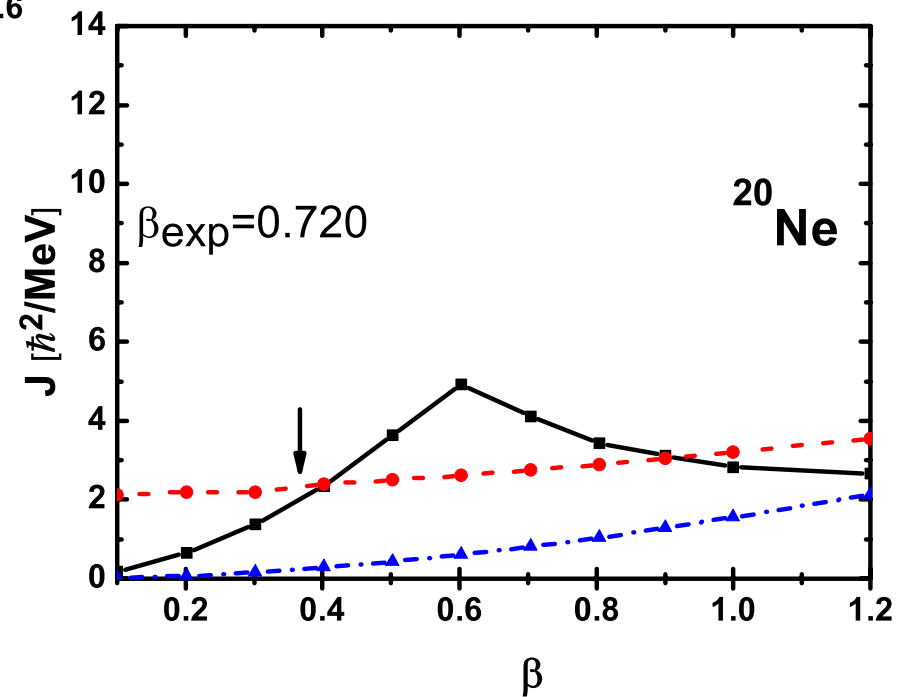
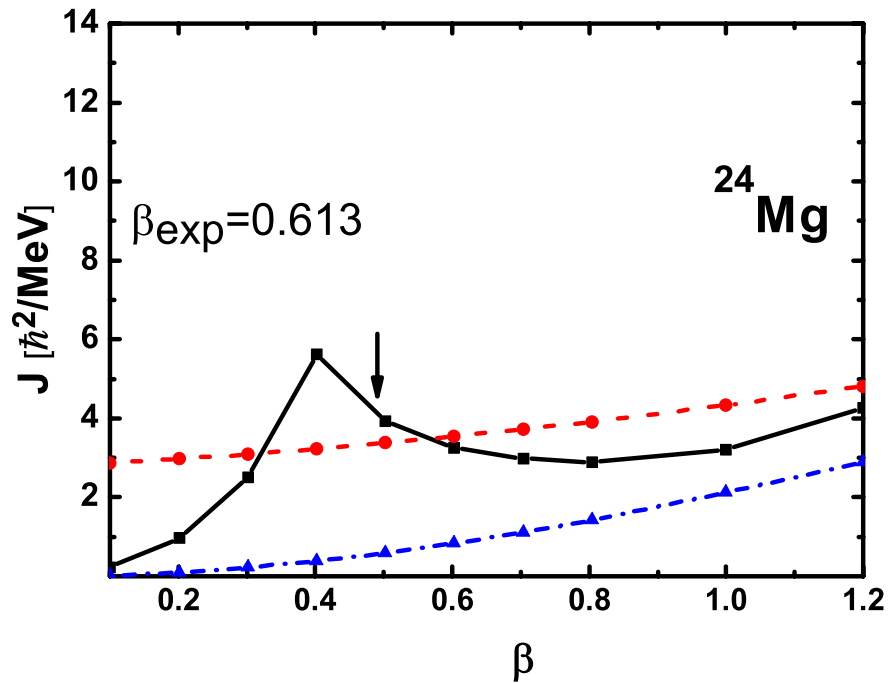
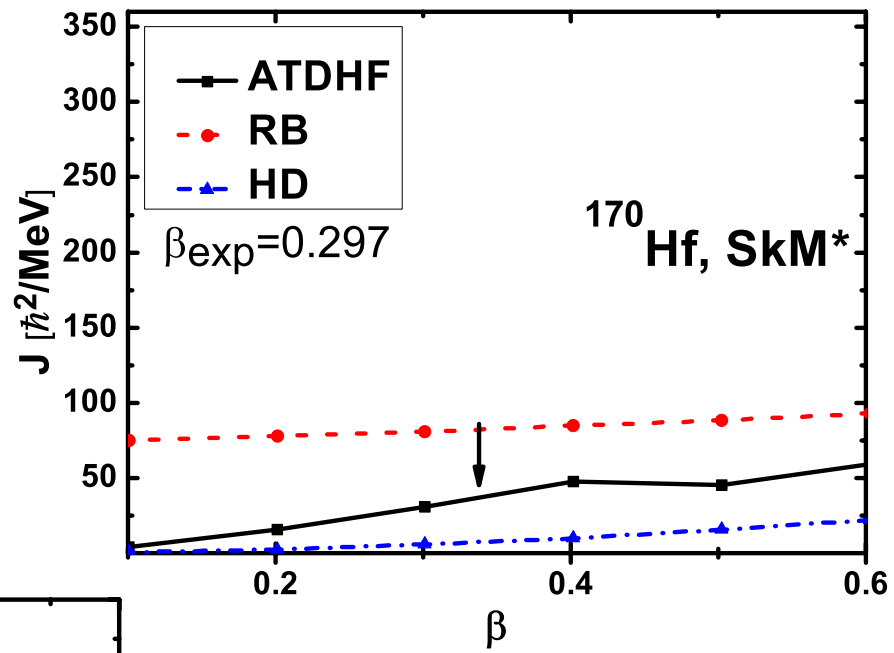
$$J_{RB} = \frac{2}{5} MR^2 \left(1 + \frac{1}{2} \sqrt{\frac{5}{4\pi}} \beta + \frac{25}{32\pi} \beta^2 \right)$$

$$J_{IB} = 2 \sum_{k, k' > 0} \frac{|\langle k | J_x | k' \rangle|^2}{\varepsilon_k + \varepsilon_{k'}} (u_k v_{k'} - u_{k'} v_k)^2$$

$$J_{HD} = \frac{9}{4\pi} MR^2 \frac{\beta^2 \left(1 + \frac{1}{4} \sqrt{\frac{5}{4\pi}} \beta \right)^2}{2 + \sqrt{\frac{5}{4\pi}} \beta + \frac{25}{16\pi} \beta^2}$$

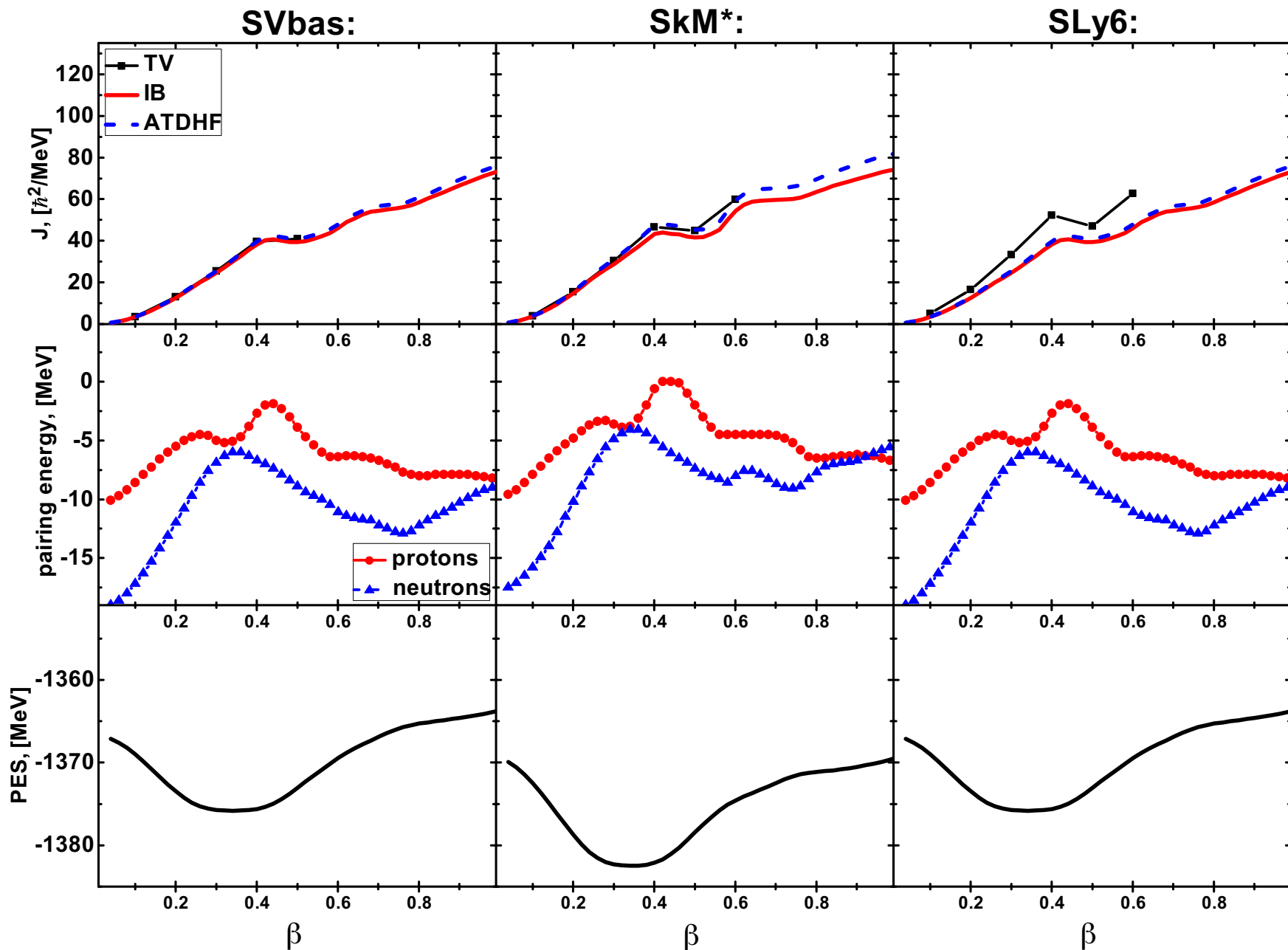
$$J_{TV} = 2 \sum_{\nu > 0} \frac{|\langle \nu | J_x | 0 \rangle|^2}{E_\nu - E_0}$$

$$J_{ATDHF} = 3B\beta^2$$



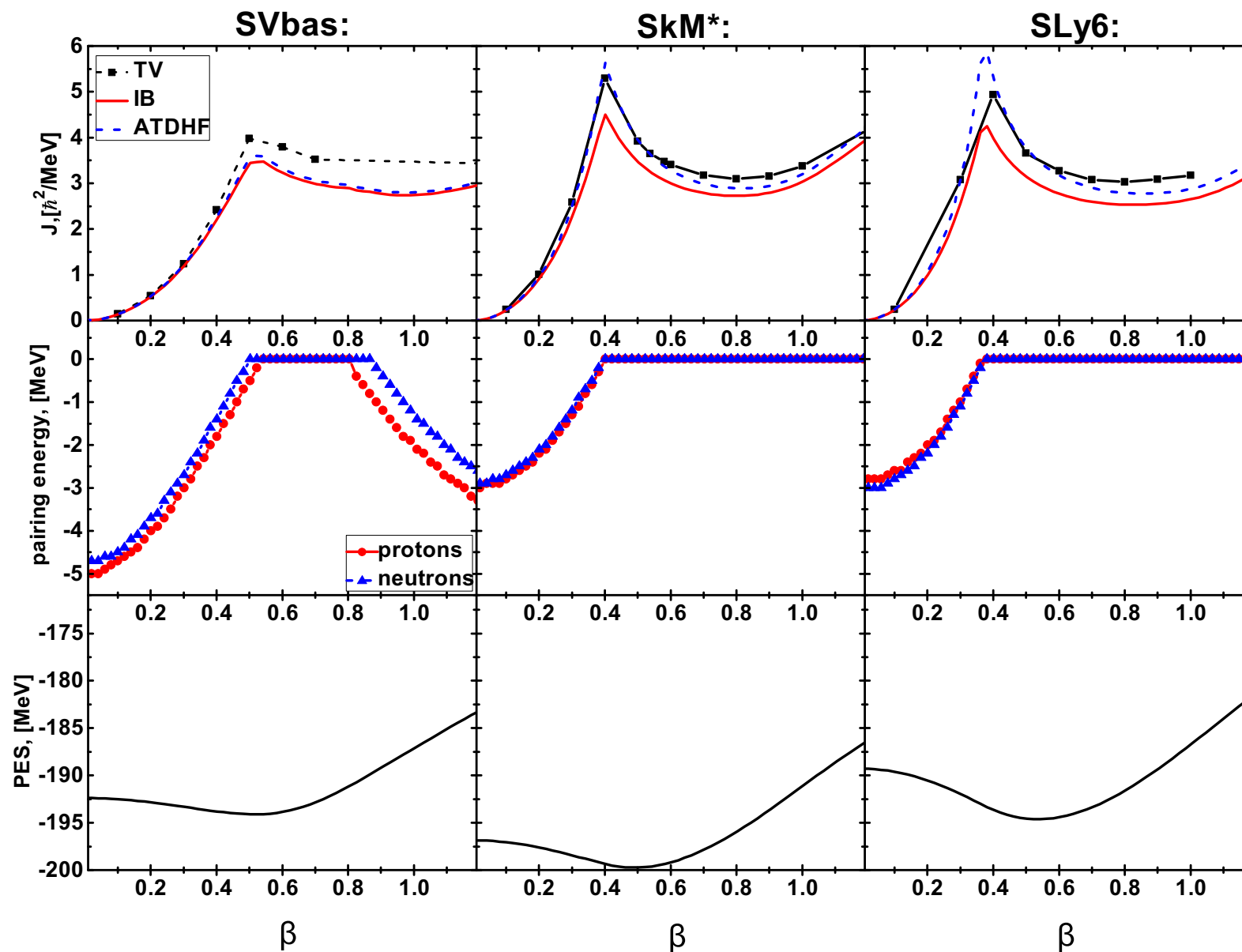
Anomalous behavior of the moment of inertia in heavily deformed light nuclei: decrease in the moment of inertia near the equilibrium deformation

^{170}Hf



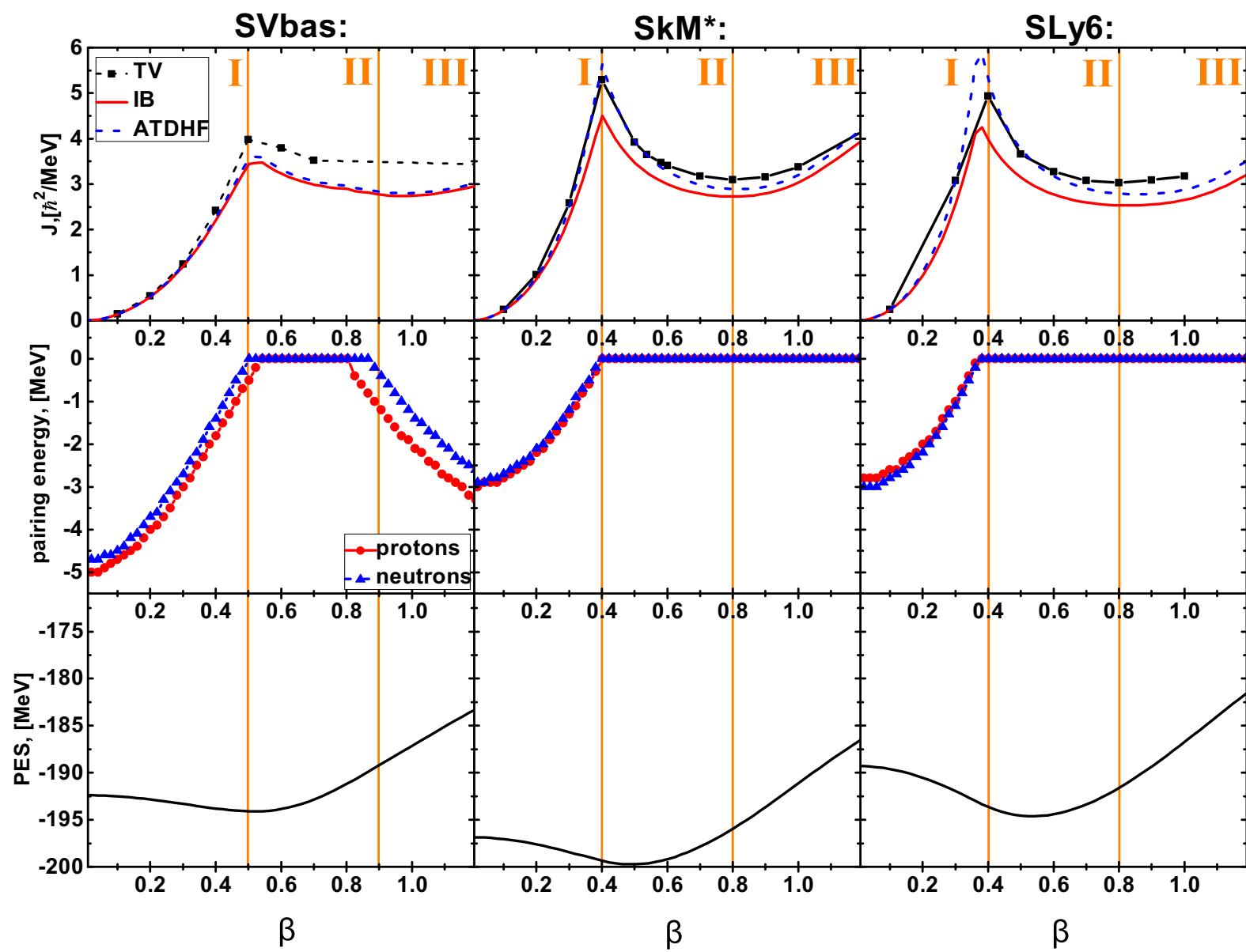
The moment of inertia in the case of all parametrizations growing up

^{24}Mg

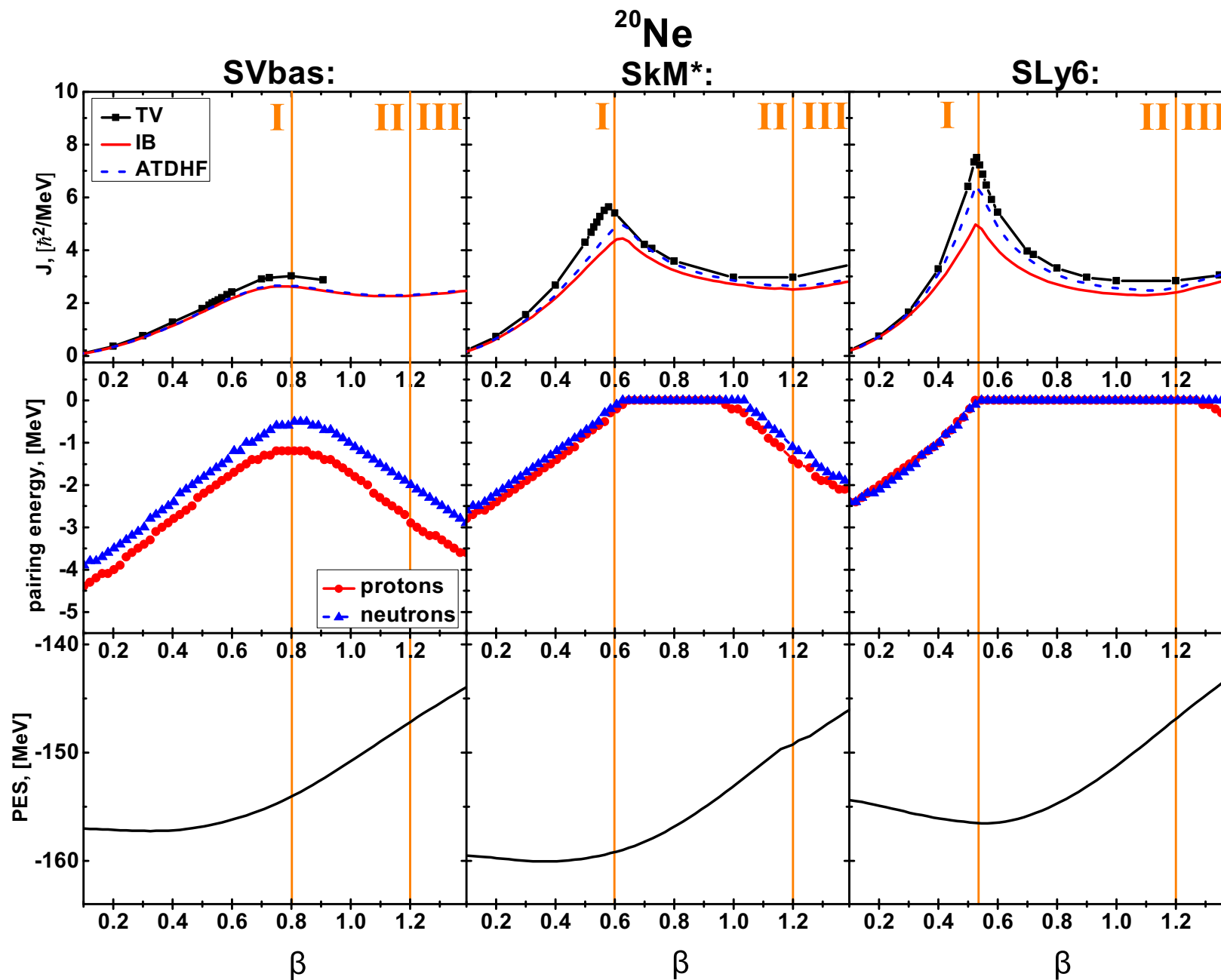


The moment of inertia can be divided into 3 conditional sectors: growth, decline, further growth

^{24}Mg

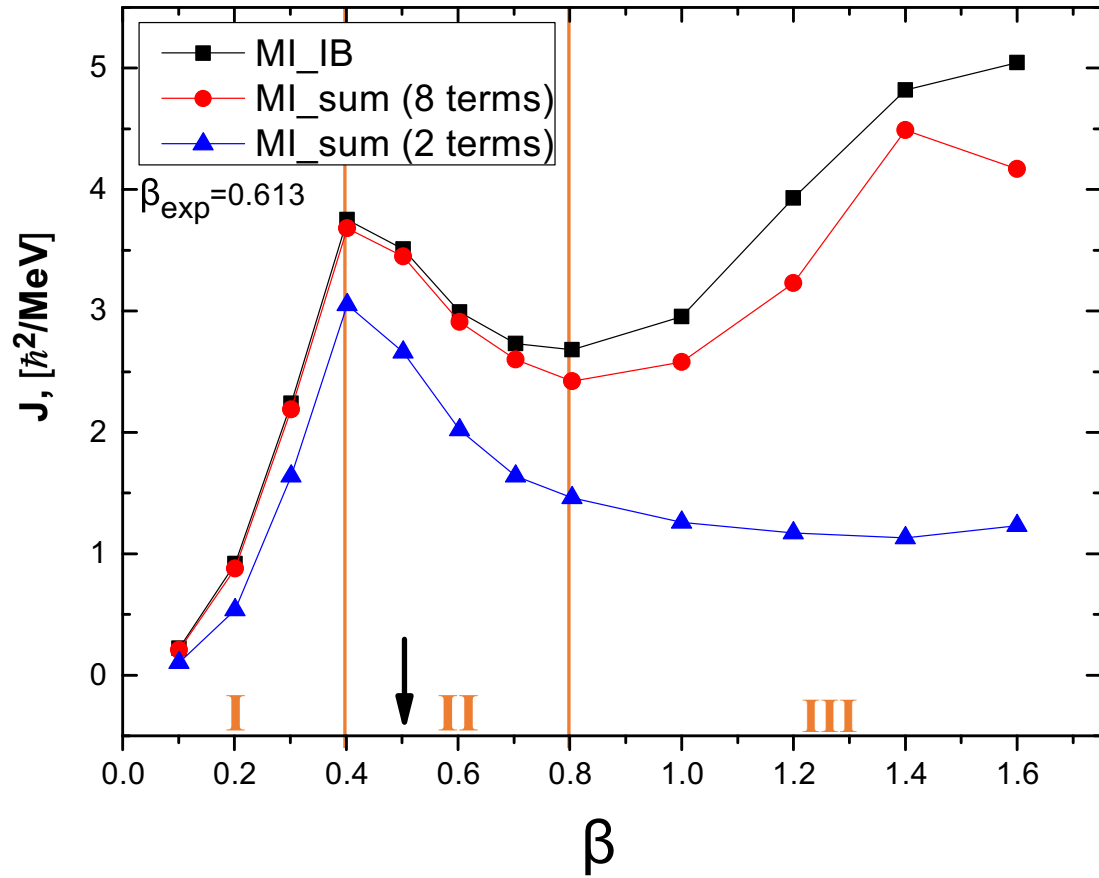


$$J_{IB} = 2 \sum_{k, k' > 0} \frac{|\langle k | J_x | k' \rangle|^2}{\varepsilon_k + \varepsilon_{k'}} (u_k v_{k'} - u_{k'} v_k)^2$$

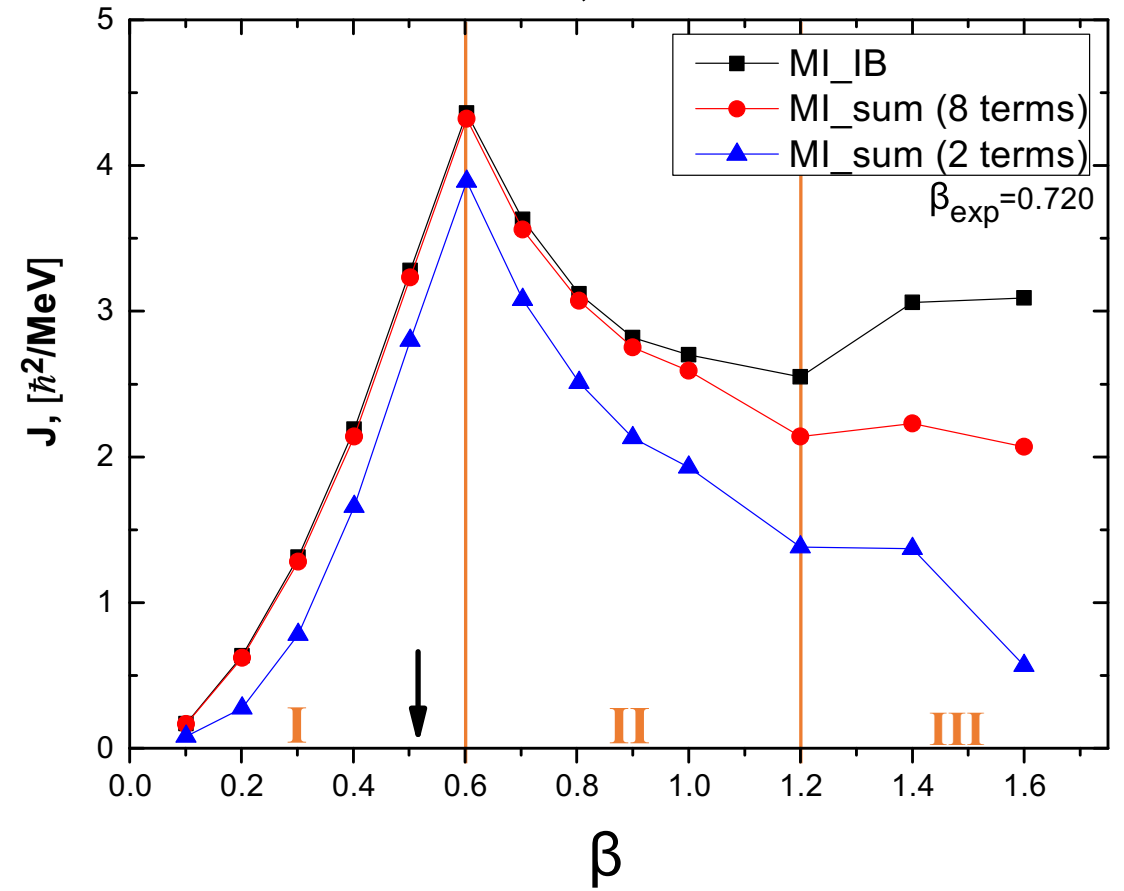


As for ^{24}Mg , for ^{20}Ne it is also possible to distinguish 3 modes of evolution of the moment of inertia of the nucleus: increase, decrease and again increase

^{24}Mg , SkM*



^{20}Ne , SkM*

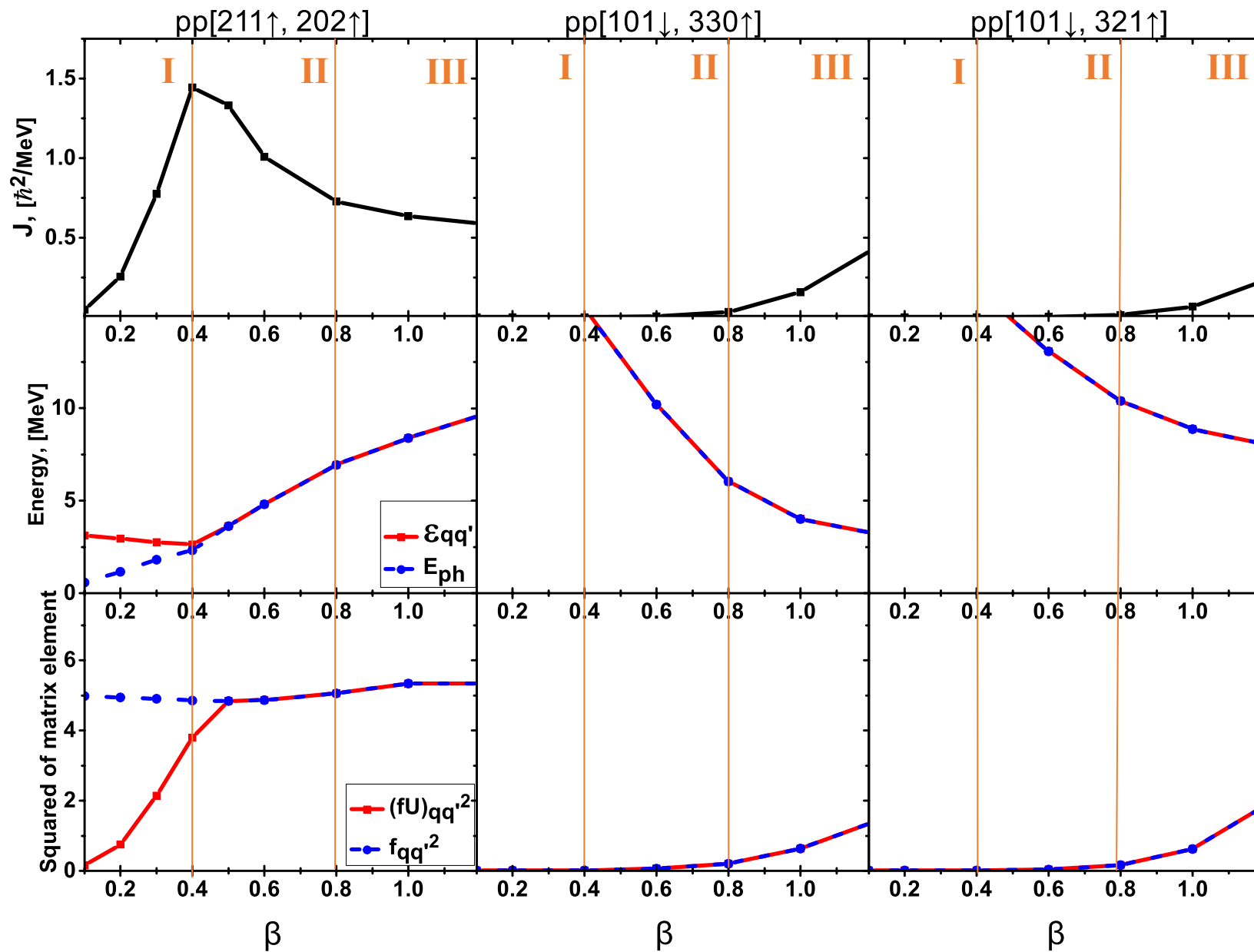


$$J_{IB} = 2 \sum_{k, k' > 0} \frac{|\langle k | J_x | k' \rangle|^2}{\varepsilon_k + \varepsilon_{k'}} (u_k v_{k'} - u_{k'} v_k)^2$$

It turned out that the most optimal for consideration are 8 configurations (4 protons pairs and 4 neutrons pairs). The smallest number of configurations that qualitatively describe the general dynamics of the moment of inertia with increasing deformations - 2 configurations (1 protons pair, 1 neutrons pair).

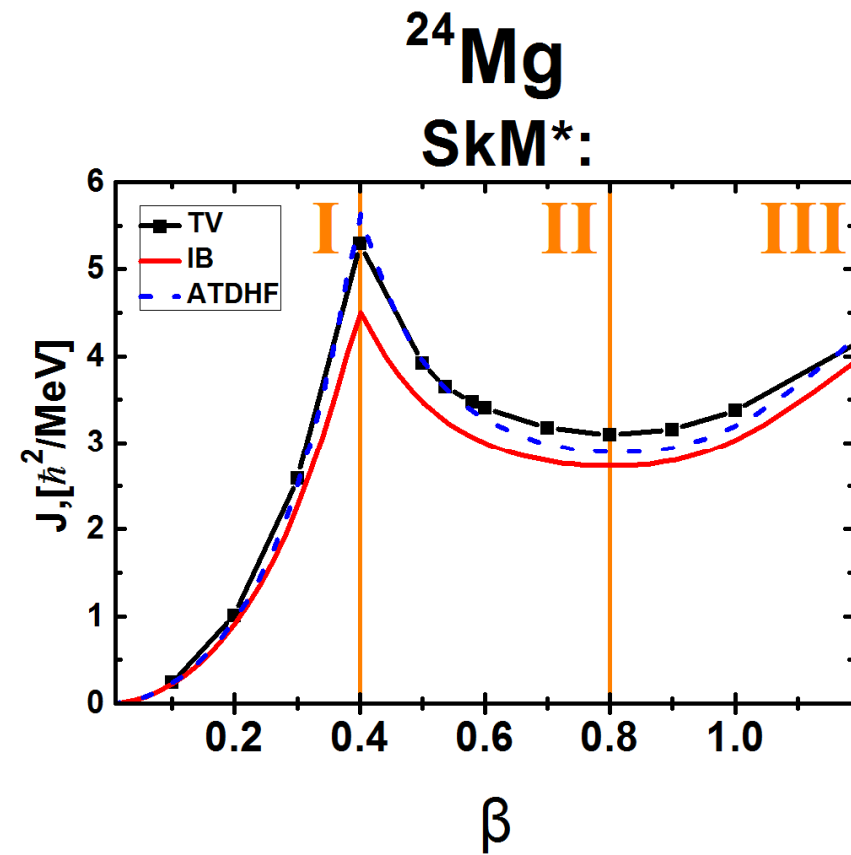
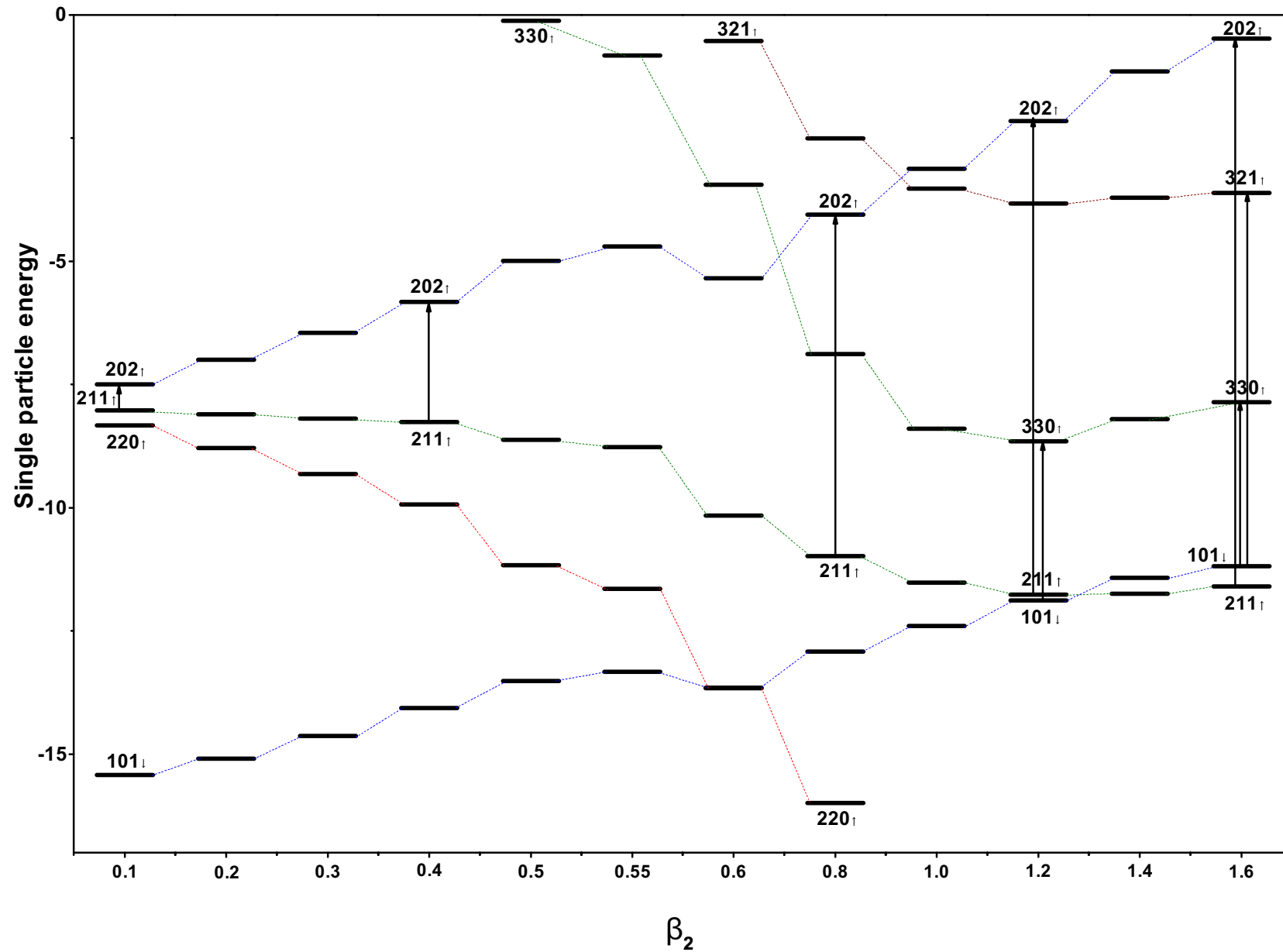
^{24}Mg , SkM*

main contributions



The bottom panels show the matrix element with pairing - $(fU)_{qq'}{}^2$ and without pairing - $f_{qq'}{}^2$;
on average, two quasi-particle energy ($\epsilon_{qq'}$) and particle-hole energy (E_{ph}); the top panels show the moment of inertia of a two-particle pair.

^{24}Mg single particle spectrum (protons)
SkM*



Conclusion

- The behavior of the moment of inertia near the equilibrium deformation in ^{24}Mg and ^{20}Ne is analyzed
- The behavior of the moment of inertia with deformation in ^{24}Mg and ^{20}Ne can be divided into 3 sectors:
 - 1) the increase in the moment of inertia due to a decrease in pairing;
 - 2) **anomalous decrease** in the moment of inertia due to an increase in the gap between levels with an approximately constant matrix element
or
the decrease in the matrix element with an almost constant energy gap;
 - 3) growth moment of inertia due to regrouping of levels;
- This behavior is determined by pairing, single-particle level regrouping and strong shell effects

Thank you for your attention!

Backup slides

^{24}Mg , SkM* main contribute

