

# $K_S^0$ analysis

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# Event and track selection for the $V^0$ analysis

## Event sample

SpdRoot 4.1.4

Generation: Pythia 8, (p+p) at  $\sqrt{S}=27$  GeV, SoftQCD(MB).

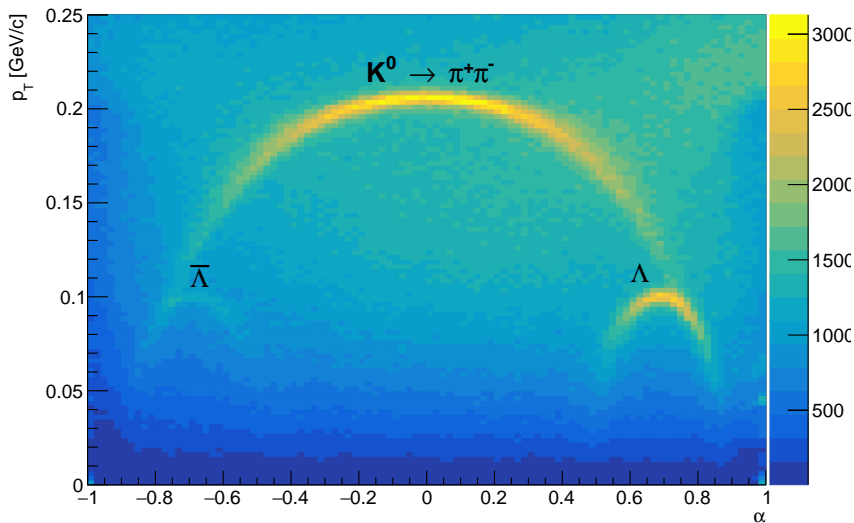
4 000 000 events (1 sec of data taking)

## $V^0$ selection:

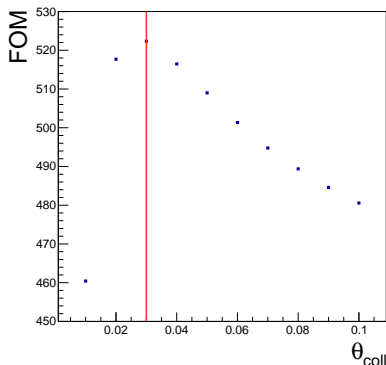
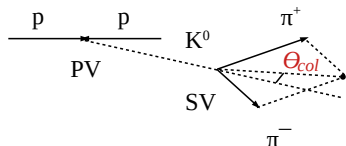
input parameters for SpdMCKFpartRCV0Finder:

- 1 fMinItsHists = 3 - minimum Its hits for track selection
- 2 fDaughters =  $K^0(-211, 211), \Lambda(2212, -211), \bar{\Lambda}(-2212, 211)$ ;  
Bg = (321,-321), (-321,211), (321,-211).
- 3 fMinChi2PV = 2.0 - minimum chi2 track to PV (primary selection)
- 4 fMaxChi2Part = 2.0 - maximum chi2 between 2 tracks (primary selection)

## Distributions of the $V^0$ candidates in the Podolanski-Armenteros without selection cuts



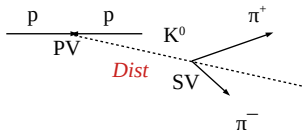
# The collinearity cut



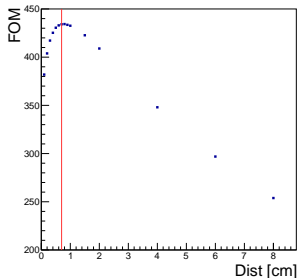
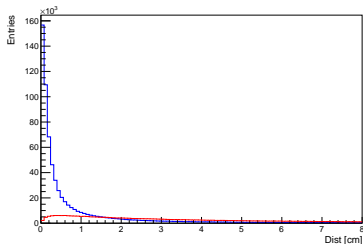
① 
$$FOM = \frac{N_{sig}}{\sqrt{N_{sig} + N_{bg}}};$$

- ② This cut selects  $V^0$  events the momentum looking at the PV.  
 $\theta_{coll} < 0.03$  rad for  $K^0$ .

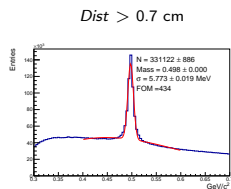
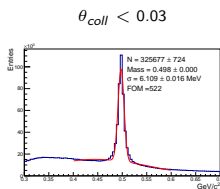
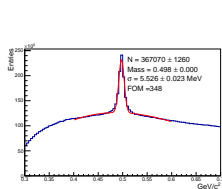
# Distance between PV and SV (V0 vertex)



- 1  $Dist = \sqrt{(x_{SV} - x_{PV})^2 + (y_{SV} - y_{PV})^2 + (z_{SV} - z_{PV})^2}$ ;
- 2 This cut selects  $V^0$  which decay close to PV.  
 $Dist > 0.7$  cm for  $K^0$ .



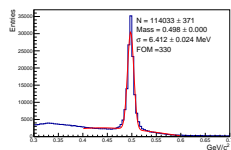
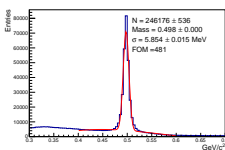
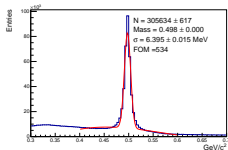
# Invariant mass of $K^0$ for different cuts



$\theta_{coll} < 0.03 \text{ rad}, Dist > 0.7 \text{ cm}$

$\theta_{coll} < 0.03 \text{ rad}, Dist > 0.7 \text{ cm}, \chi^2/ndf < 10$

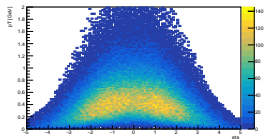
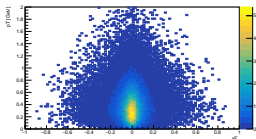
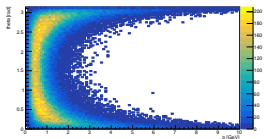
previous cuts, isgood



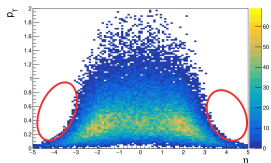
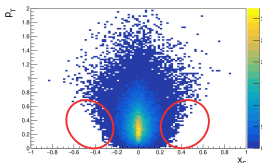
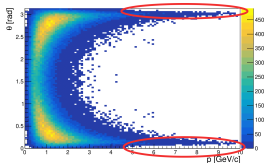
	no cuts	$\theta_{coll} < 0.03 \text{ rad}$	$Dist > 0.7 \text{ cm}$	$\theta_{coll} < 0.03 \text{ rad}, Dist > 0.7 \text{ cm}$
FOM ( $\pm 2\sigma$ ):	348	522	434	534
$N(K^0)$ :	367 070	325677	331122	305634
$\theta_{coll} < 0.03 \text{ rad}, Dist > 0.7 \text{ cm}, \chi^2/ndf < 10$	481		$\theta_{coll} < 0.03 \text{ rad}, Dist > 0.7 \text{ cm}, \chi^2/ndf < 10, \text{ isgood}$	
	246176		330	
			114033	

The selected  $V^0$  candidates are plotted in  $(p, \theta)$ ,  $(p_T, x_F)$  and  $(p_T, \eta)$  phase space

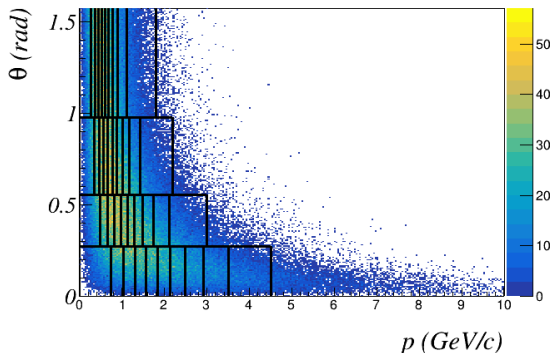
Pure Pythia 8,  $K^0$



Reconstruction data, cuts:  $K^0 \pm 2\sigma$ ,  $\theta_{coll} < 0.03$  rad and  $Dist > 0.7$  cm.



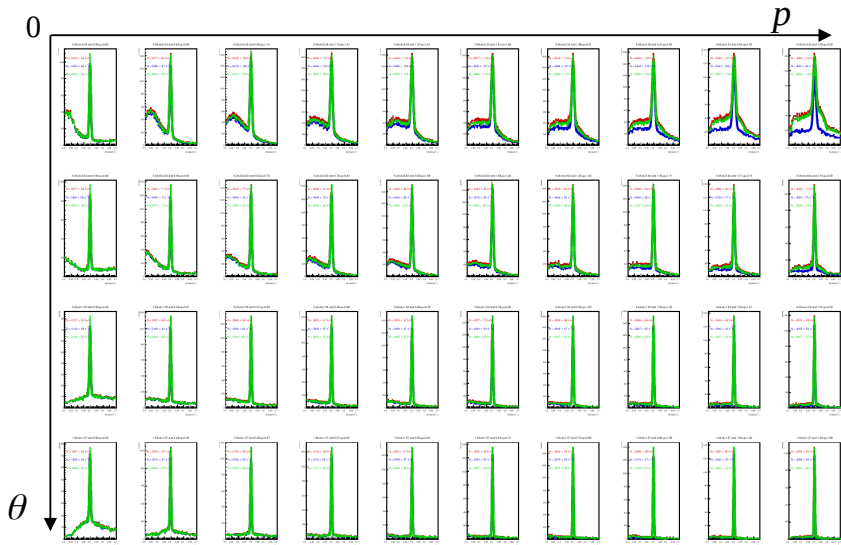
## Binning



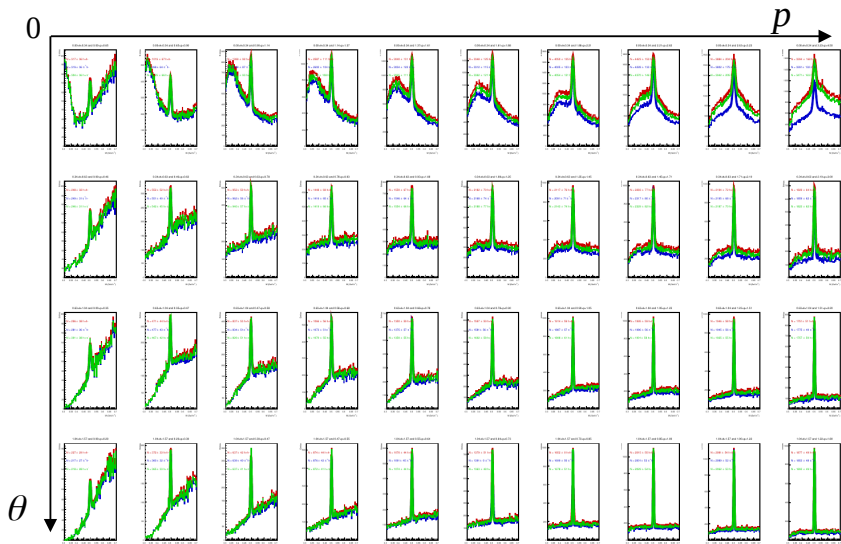
The choice of the binning scheme is obtained from distribution of  $K^0$  simulated in Pythia 8. It was done to have the similar number of  $K^0$  in bins ( $n_{bin}^\theta = 4, n_{bin}^p = 10$ ).



# Distributions of the $K^0$ candidates with cut $\theta_{coll} < 0.03$ and $Dist > 0.7$ cm

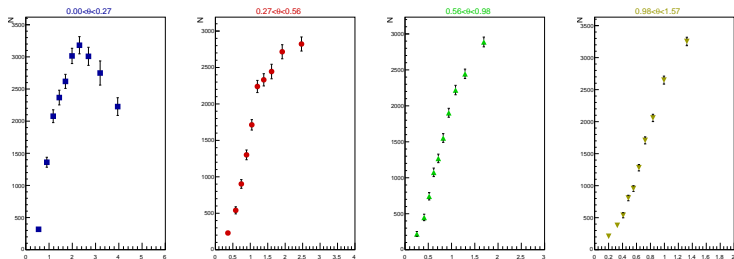
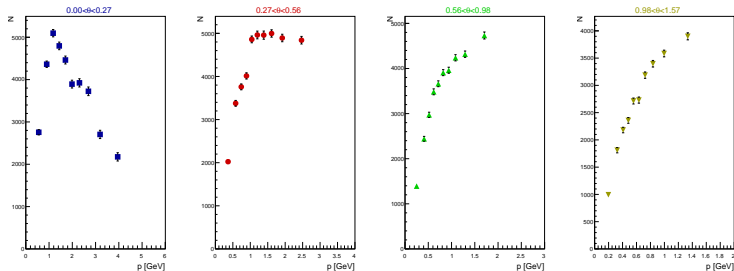


# Distributions of the $K^0$ candidates with cuts $\chi^2/ndf < 10$ and isgood



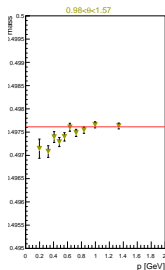
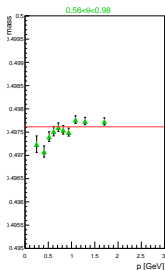
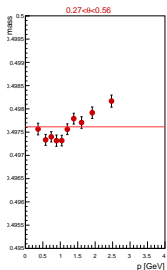
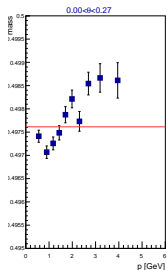
# Result of the fit (number of $K^0$ in $p$ for fixed $\theta$ interval)

$\theta_{coll} < 0.03\text{rad.}$   
 $Dist > 0.7\text{ cm}$

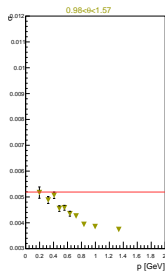
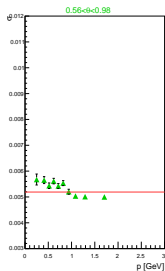
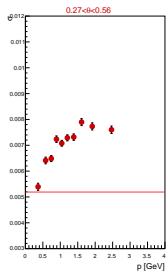
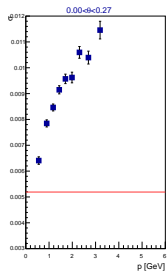


$\chi^2 / ndf < 10$   
 isgood

# Mean mass and sigma of $K^0$ (in $p$ for fixed $\theta$ interval)

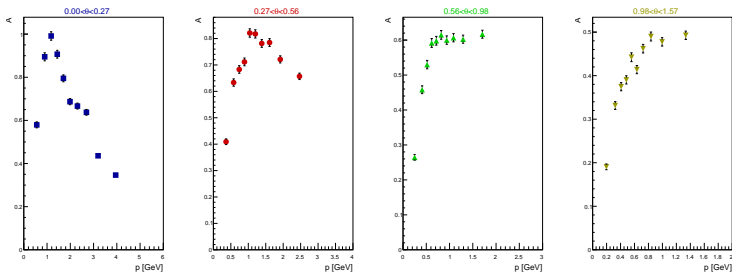


red line shows  
 $m(\text{PDG}) =$   
 0.497 GeV

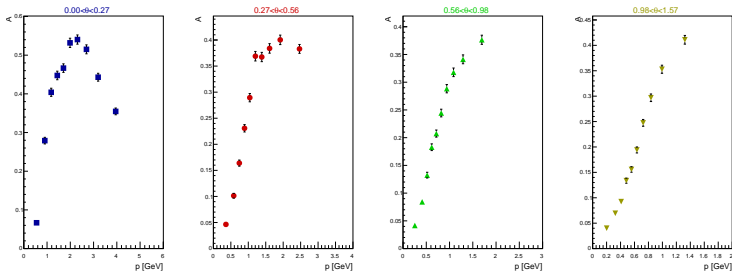


red line shows  
 the sigma of  
 the  $K^0$  fit  
 using full  
 data sample

# $K^0$ reconstruction efficiency with all corrections included ( $A = N_{Rec}^{MC} / N_{pythia}^{MC}$ )



$\theta_{coll} < 0.03 \text{ rad.}$   
 $Dist > 0.7 \text{ cm}$



$\chi^2 / ndf < 10$   
 isgood

## Conclusion and TODO

- 1 Analysis of various factors affecting the  $K_S^0$  reconstruction efficiency was performed.
- 2  $K_S^0$  reconstruction efficiency depends on  $p$  and  $\theta$  and in general is about 70%.
- 3 Criterium isgood rejects many signal events. Particularly for low momentum ( $p=0-1.5$  GeV).
- 4 Spatial resolution along X, Y, Z axes and decay length for the secondary vertex of the  $K^0 \rightarrow \pi^+\pi^-$  decay.

# Backup slides

Length  $\rightarrow$  GetLength(); LengthErr  $\rightarrow$  GetLengthErr();

