





Summary report from PWG1 Global observables

Reported by Alexey Aparin XI Collaboration Meeting of the MPD Experiment 20.04.20223

PWG1 conveners A.Aparin (JINR), G. Feofilov (SPbSU)





Previous collaboration meeting took place at 8.11-10.11 2022

Since then we had 9 Cross-PWG meetings ~ 20 talks concerning PWG1 Several talks on ICPPA (December) Some talks on other occasions

Only one talk was fully presented to PWG prior to the presenting at the conference

Institutions contributing to the PWG1 workflow: JINR, NRNU (MEPHI), INR, SPbSU, some people from MexNICA ~ 20 people MPD collaboration list > 500 people Previous collaboration meeting took place at 8.11-10.11 2022

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Where is everyone??







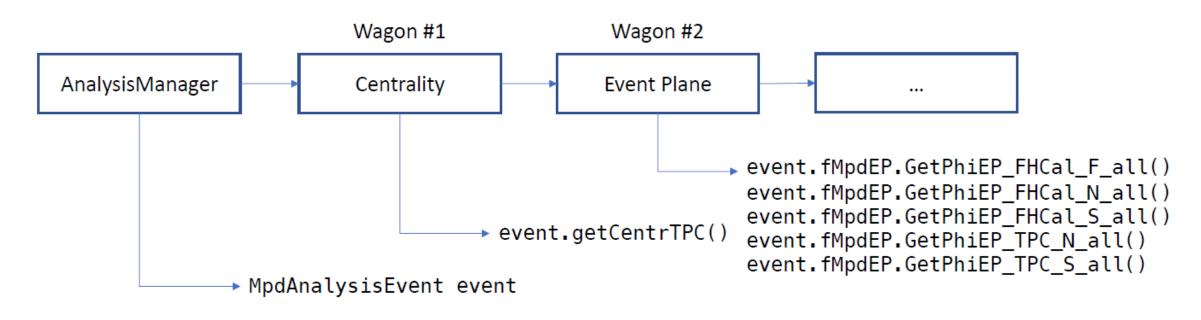
Analysis manager reads event into memory and calls wagons one-by-one to modify and/or analyze data:



Proposal is to move to a centralized Analysis Framework:

- > all analyses codes are saved (archived) in the MpdRoot -> easier sharing of codes and methods
- > all analyses codes have a similar structure -> easier reading of codes, cross checks
- all analyses use the same global variables for centrality, T0, z-vertex, reaction plane, matching for tracks to external detectors, etc. (input from TaskForces) -> consistent approach
- analyses are easily grouped in a train, analyses are run simultaneously with a single access to data for all of them -> reduced number of input/output operations for disks and databases, easier organization of data storage





- Centrality wagon: mpdroot/physics/evCentrality
- Currently works with Request25_UrQMD, Request26_DCM-SMM and Request31_PHSD
- Other productions/event generators can be added by request
- Calculates TPC centrality for all accepted events

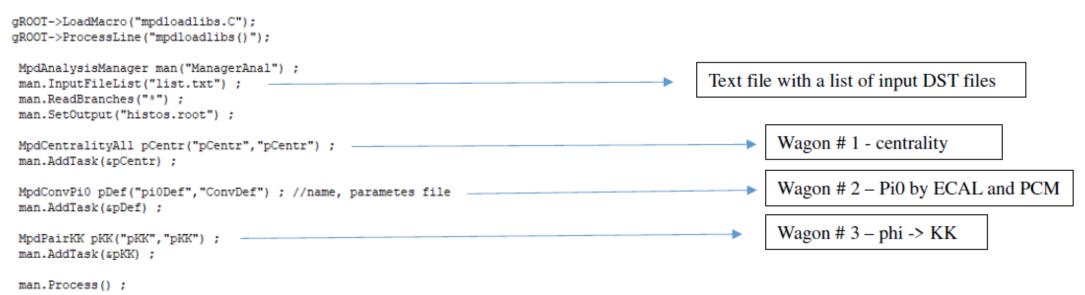


• Example codes are available in MpdRoot @ mpdroot/physics, originally committed by D. Peresunko:

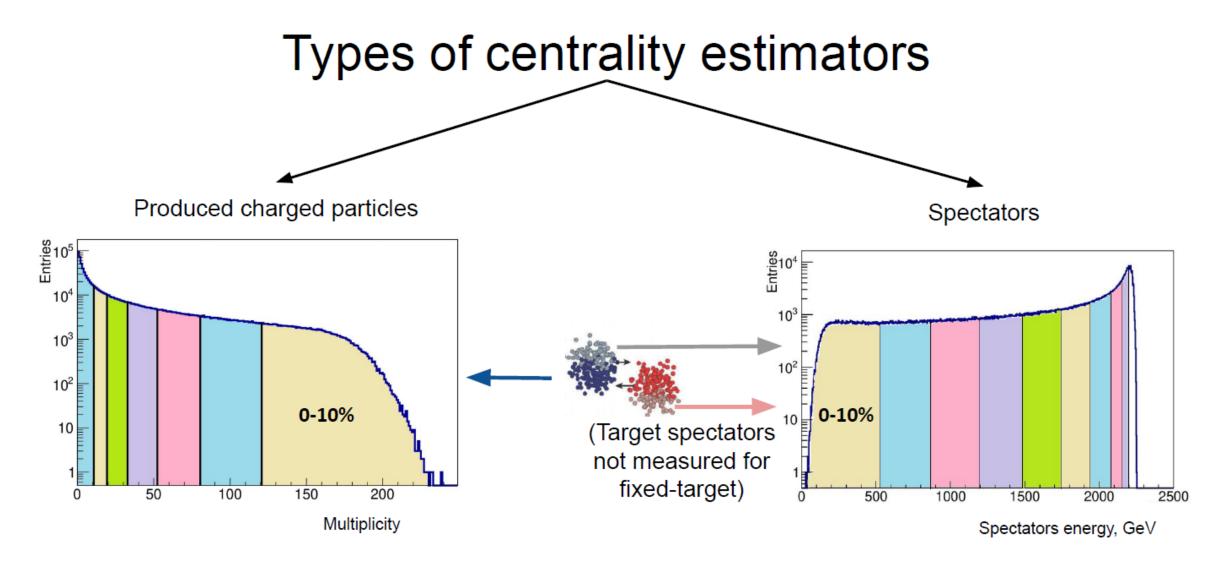
MpdAnalysisEvent.cxx MpdAnalysisEvent.h MpdAnalysisManager.cxx MpdAnalysisManager.h MpdAnalysisTask.cxx MpdAnalysisTask.h

• Class **MpdAnalysisManager** requires list of input files, list of branches to be used for analysis and list of tasks (wagons) to process. In the end, **MpdAnalysisManager** takes care of writing output objects for each task (wagon)

void RunAnalyses() {









MC Glauber model provides a description of the initial state of a heavy-ion collision

- Independent straight line trajectories of the nucleons
- A-A collision is treated as a sequence of independent binary NN collisions
- Monte-Carlo sampling of nucleons position for individual collisions

Main model parameters

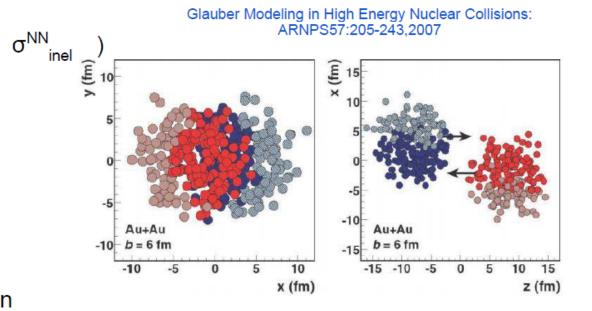
- Colliding nuclei
- Inelastic nucleon-nucleon cross section ((depends on collision energy)
- Nuclear charge densities (Wood-Saxon distribution)

$$\rho(r) = \rho_0 \cdot \frac{1 + w(r/R)^2}{1 + \exp\left(\frac{r-R}{a}\right)}$$

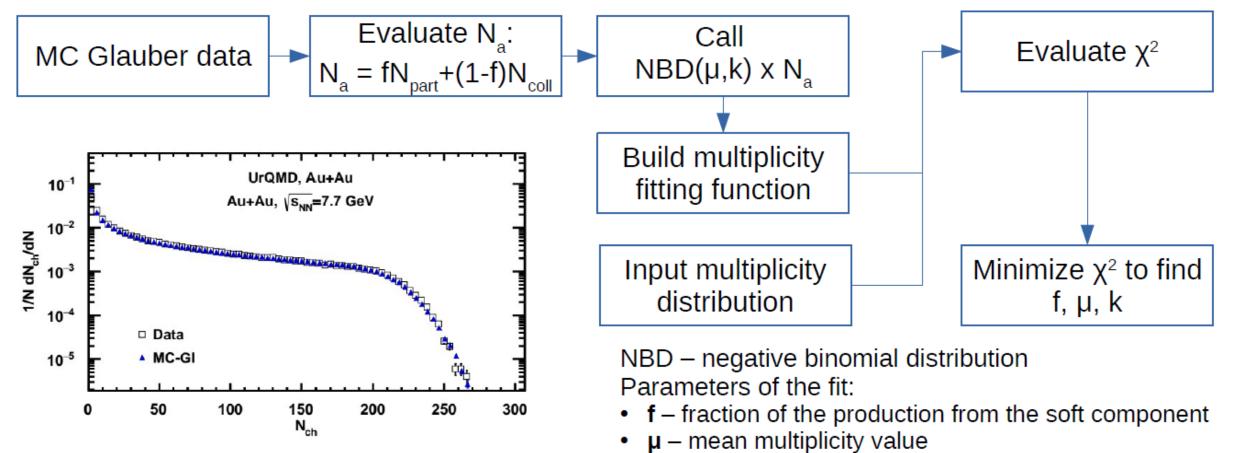
Geometry parameters

b - impact parameter

 $N_{part}^{}$ – number of nucleons participating in the collision $N_{spec}^{}$ – number of spectator nucleons in the collision $N_{coll}^{}$ – number of binary NN collisions







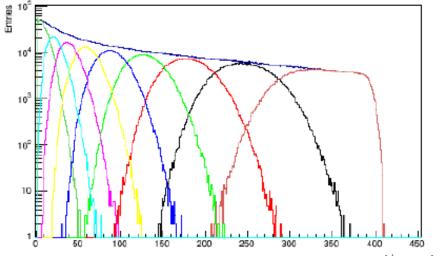
 k – width of the multiplicity distribution, can be connected to the fluctuations

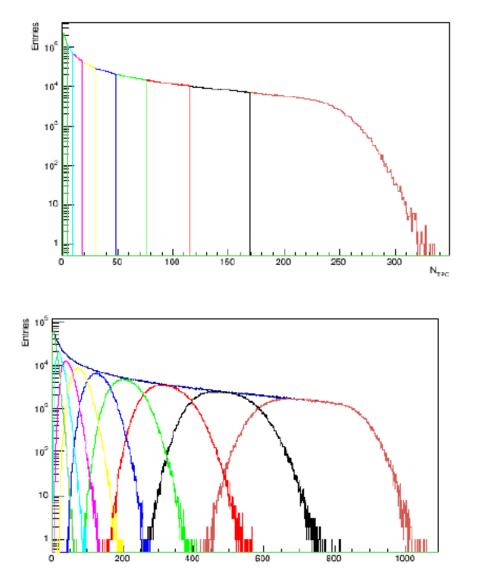
Centrality from TPC multiplicity



We need to keep in mind the parameters N_{part} and N_{coll} meaning in the MC Glauber function and consequent quantities which we get from fit if charged particle multiplicity Thus, the centrality class can be narrow, but corresponding N_{part} and N_{coll} can still be rather wide

$$\frac{dN_{ch}}{d\eta}\Big|_{\eta=0} = n_{pp} \left[(1-x) N_{part} / 2 + x N_{coll} \right]$$

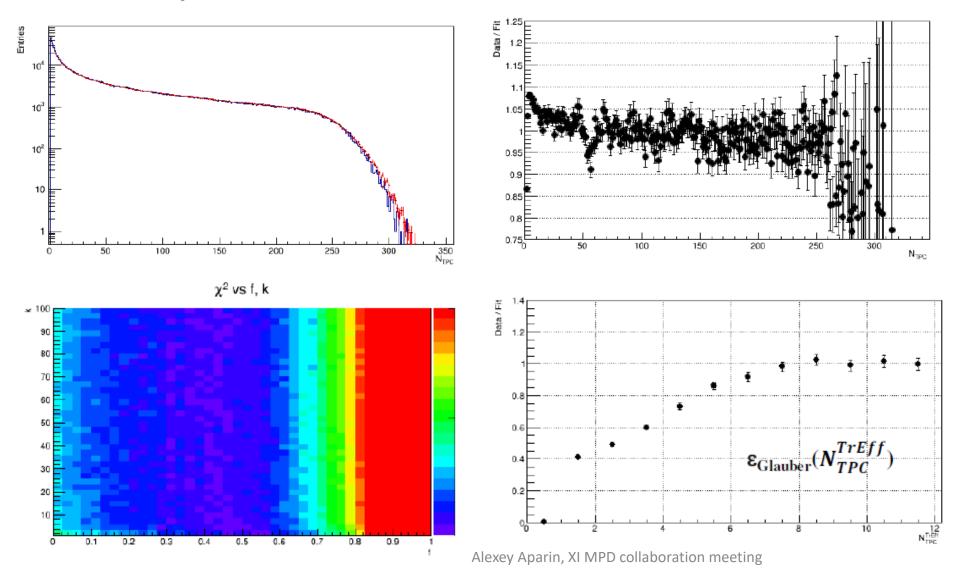




Weighted Glauber fit for TPC N_{tracks}

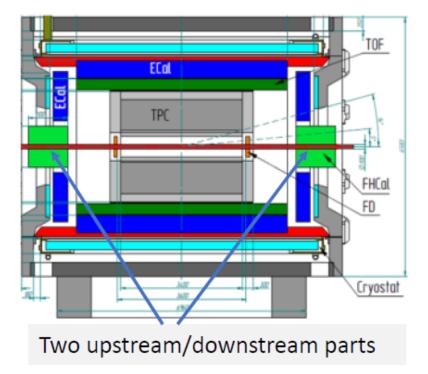


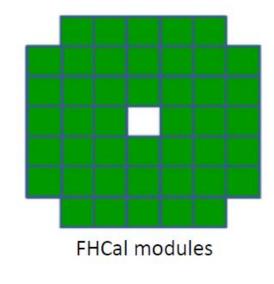
• With efficiency correction: f = 0 mu = 0.29 k = 87 chi2 = 1.5

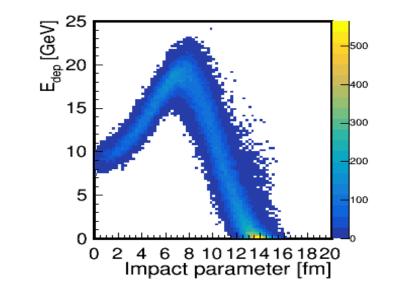


FHCal for centrality





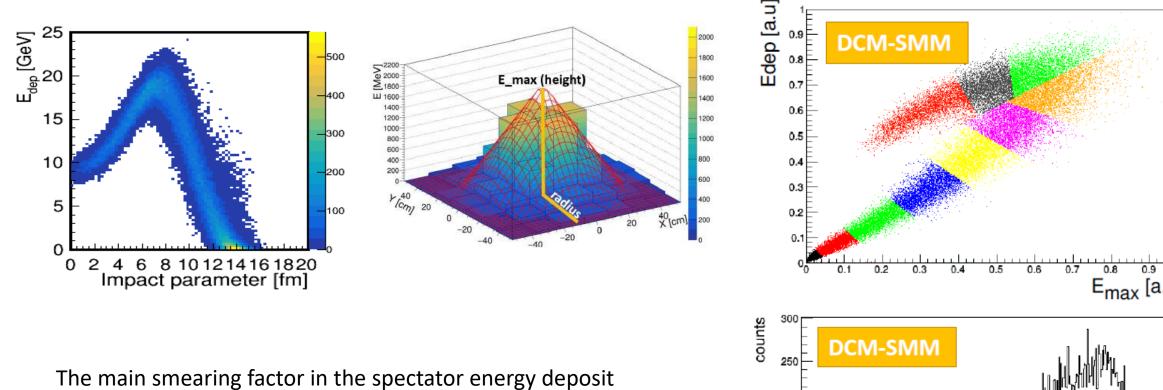




Due to the central hole in FHCal for the beam pipe some spectators can escape detection which will lead to the horn shape in the total deposited energy distribution

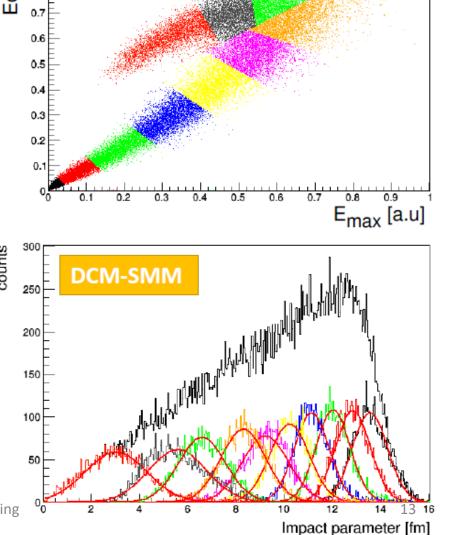
FHCal for centrality





estimator for the centrality would be the spectators which escaped detection.

This leads to the possibility of mismatching centrality classes from very central with very peripheral events

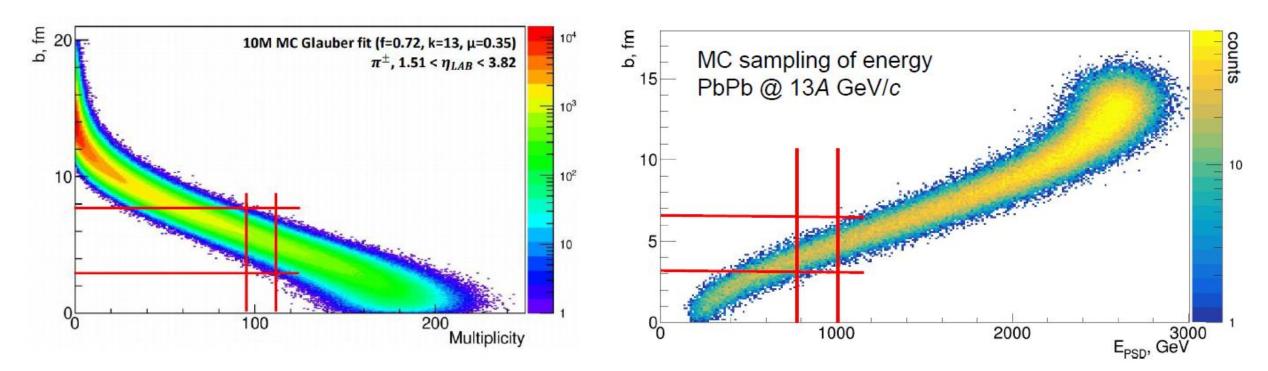


Alexey Aparin, XI MPD collaboration meeting



Centrality estimators based on charged track multiplicity in TPC and spectator energy deposit in FHCal both give only a rather wide estimation of actual impact parameter of the collision

It can be worth it to have a method of combined estimation of the centrality to reduce these fluctuations of the centrality vs. impact parameter





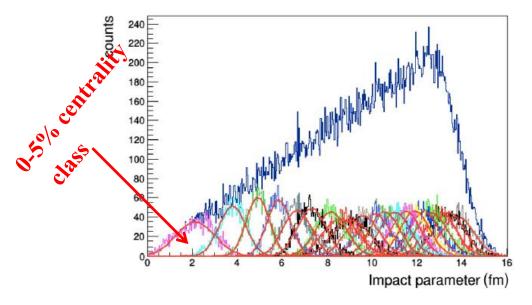
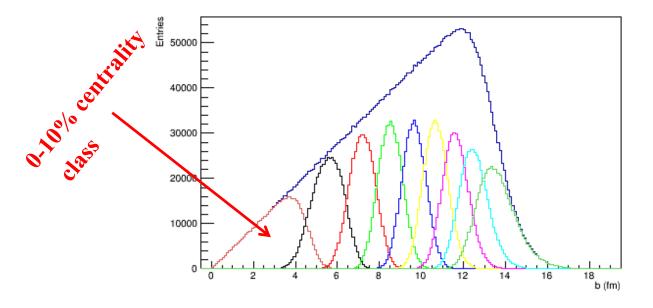


Fig. 44 Top: correlation of the energy deposition in the FHCal and the height of the cone, obtained from the linear fit of the two twodimensional energy distributions in the FHCal modules. The different colors indicate groups of events within 5% centrality ranges. Bottom: distributions of the MC-generated impact parameters for each 5% group of events fitted to a Gaussian



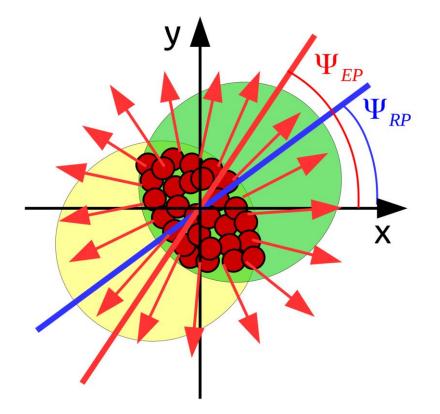
- we need more precise selection of centrality classes
- we need events with well defined initial conditions and optimized class width
- we need combination of several observables proxies of centrality, capable to minimize trivial volume fluctuations

Reaction plane

Reaction plane (RP) – plane formed by impact parameter *b* and beam line *RP cannot be measured in the* experiment since we cannot measure *b*

Event plane (EP) is the observable estimation of the reaction plane

$$\Psi_{n}^{EP} = \frac{1}{n} \tan^{-1} \left(\frac{Q_{n,Y}}{Q_{n,X}} \right)$$
$$v_{n} = \frac{\left(\cos \left(n (\varphi - \Psi_{n,EP}) \right) \right)}{R_{n,EP}}$$
$$R_{n,EP} = \left(\cos \left(n (\Psi_{n,EP} - \Psi_{RP}) \right) \right)$$
$$R_{n,EP} - \text{Resolution correction factor}$$



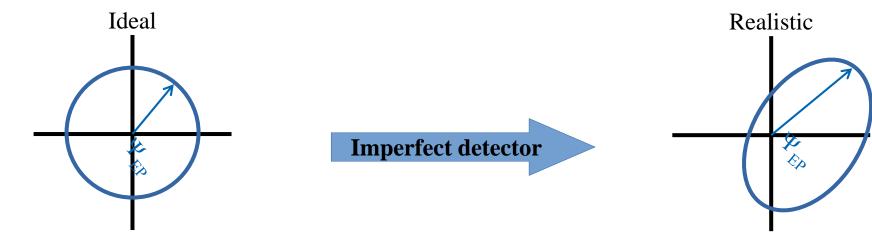
Calculation of the Event Plane



• EP angle is measured using Q-vectors from FHCal and TPC: $Q_{1,x}^{\text{FHCal}} = \frac{1}{\sum E_{dep,i}} \sum E_{dep,i} \cos \phi_i , Q_{1,y}^{\text{FHCal}} = \frac{1}{\sum E_{dep,i}} \sum E_{dep,i} \sin \phi_i$ $Q_{2,x}^{\text{TPC}} = \sum p_{T,i} \cos 2\varphi_i , Q_{2,y}^{\text{TPC}} = \sum p_{T,i} \sin 2\varphi_i$ $\Psi_1^{\text{FHCal}} = \tan^{-1} \frac{Q_{1,y}^{\text{FHCal}}}{Q_{1,x}^{\text{FHCal}}}, \qquad \Psi_2^{\text{TPC}} = \frac{1}{2} \tan^{-1} \frac{Q_{2,y}^{\text{TPC}}}{Q_{2,x}^{\text{TPC}}}$

EP correction factors





Most common methods for the acceptance corrections are:

Recentering

$$Q^{Corrected} = Q - \langle Q \rangle$$

Flattening – removes contribution from higher harmonics

$$\Psi_{n,EP}^{Corrected} = \Psi_{n,EP} - n\Delta\Psi_n$$

$$n\Delta\Psi_n = \sum_{i=1}^{i_{max}} \frac{2}{i} \left(-\langle \sin(in\Psi_n) \rangle \cos(in\Psi_n) + \langle \cos(in\Psi_n) \rangle \sin(in\Psi_n) \right)$$

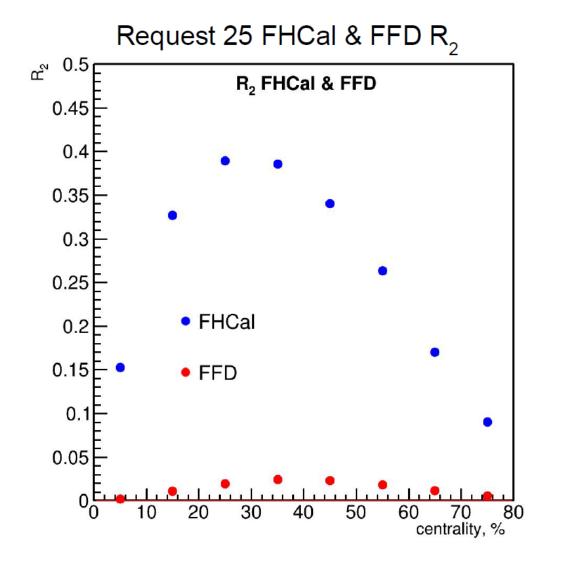


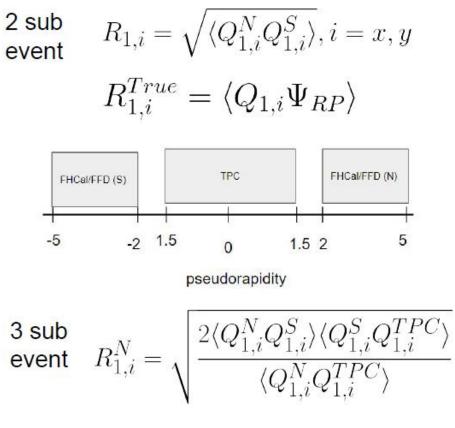
An unexpected? jump in reaction plane resolution from request 25 to request 30

Difference in UrQMD and PHQMD in FHCAL response? ц R₁ FHCal & FFD 0.9 ď Req30: PHSD 0.8 0.9 Bi+Bi @ 9.2 GeV 0.8 0.7 30k events 0.7 0.6 0.6 0.5 0.5 FHCal 2 sub even FHCal 3 sub even 0.4 0.4 Cal True FFD 2 sub event 0.3 0.3 FFD 3 sub event - R₁ for FHCal F FFD True 0.2 0.2 R₁ for FHCal N/S 0.1E 0.1 ᅇᄃ 1 1 1 1 111 10 2030 40 50 60 70 80 90 100 Centrality, % 10 20 30 40 50 60 70 80

centrality, %

Event plane resolution





(NICA)

- FFD resolution are smaller than FHCal
- 2 and 3 sub event has good agreement with True Resolution

Asymmetric nuclear collisions



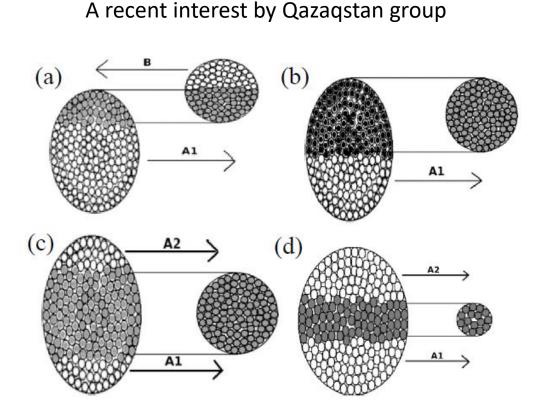


Figure 2 – Schematic representation of the interaction of nuclei with different degrees of centrality. Participating nucleons are marked in dark color (based on geometric representations). The light color indicates spectator nucleons that form fragments of the projectile and target nuclei.

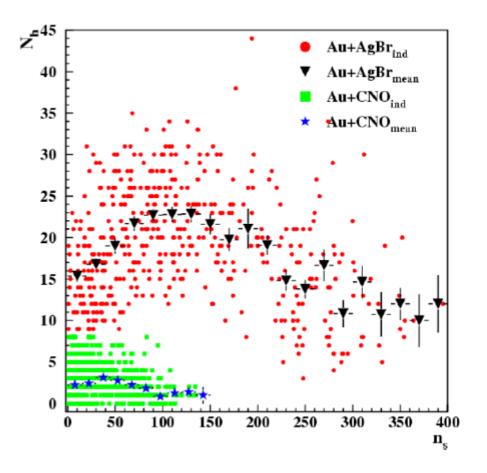
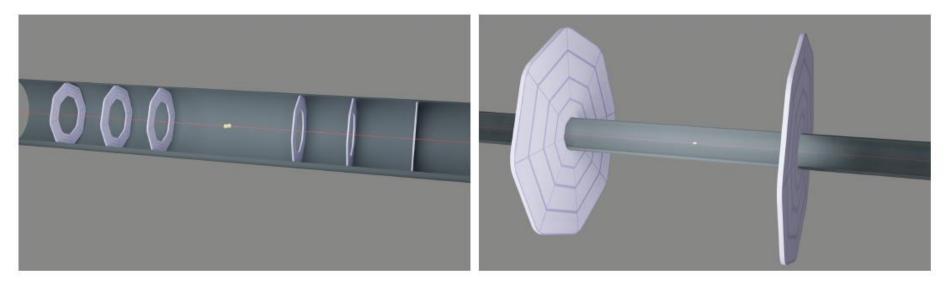


Figure 3 – Dependence of the total number of fragments of the target nucleus $(N_h=n_b+n_g)$ and the number of shower particles n_s for the interaction of projectile-nucleus with heavy (AgBr) and light

(CNO) target-nuclei.

Microchannel plate detector modeling





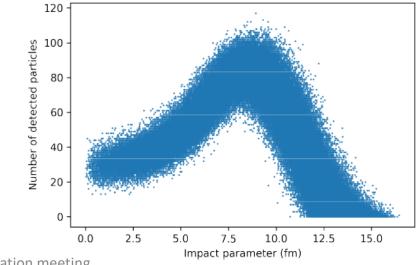
A proposition from SPbSU to use Artificial Neural Network ANN to model the layout of segmented microchannel plate detector for the MPD

Big detectors geometry:

- 300 400 floating point multiplications
- Preprocessing: number of particles and mean angle
- 2 x 352 cells

Small detectors geometry:

- 10000 80000 floating point multiplications
- Preprocessing: time-of-flight evaluation
- 6 x 32 cells





Physics Working Group 1

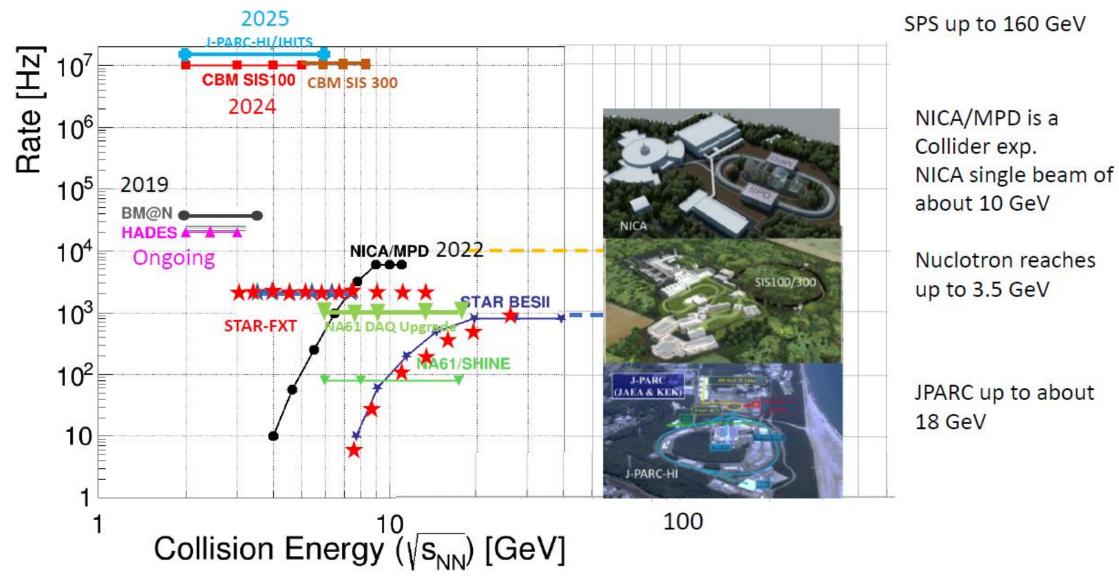
conveners: Alexey Aparin (JINR) <u>aparin@jinr.ru</u> Grigory Feofilov (SPbSU) <u>grigory-feofilov@yandex.ru</u>

PWG specific mailing list <u>mpd_pwg1@maillist.jinr.ru</u> currently 29 active e-mails in this list If you want to subscribe to PWG1 mailing list, please, contact the conveners

Meeting of the group can be organized if needed in addition to the cross-PWG meetings

HIC facilities and experiments





BES-II data collection at STAR



| STA | R 🛧 | √s _{NN} (GeV) | Beam Energy (GeV/nucleon) | Collider or Fixed Target | Ycenter of mass | µв (MeV) | Run Time (days) | No. Events Collected (Request) | Date Collected | |
|-----|------------------------|------------------------|------------------------------|-----------------------------|-----------------|-------------|-------------------------|--------------------------------|----------------|--|
| | Recent BES-II, FXT and | 200 | 100 | С | 0 | 25 | 2.0 | 138 M (140 M) | Run-19 | |
| | 200 GeV datasets | 27 | 13.5 | С | 0 | 156 | 24 | 555 M (700 M) | Run-18 | |
| | (years 2018-2021) | 19.6 | 9. 8 | С | 0 | 206 | 36 | 582 M (400 M) | Run-19 | |
| | | 17.3 | 8.65 | С | 0 | 230 | 14 | 256 M (250 M) | Run-21 | |
| | | 14.6 | 7.3 | С | 0 | 262 | 6 0 | 324 M (310 M) | Run-19 | |
| | | 13.7 | 100 | FXT | 2.69 | 276 | 0.5 | 52 M (50 M) | Run-21 | |
| | | 11.5 | 5.75 | С | 0 | 316 | 54 | 235 M (230 M) | Run-20 | |
| | | 11.5 | 70 | FXT | 2.51 | 316 | 0.5 | 50 M (50 M) | Run-21 | |
| | | 9.2 | 4.59 | С | 0 | 372 | 102 | 162 M (160 M) | Run-20+20b | |
| | | 9.2 | 44.5 | FXT | 2.28 | 372 | 0.5 | 50 M (50 M) | Run-21 | |
| | | 7.7 | 3.85 | С | 0 | 420 | 90 | 100 M (100 M) | Run-21 | |
| | | 7.7 | 31.2 | FXT | 2.10 | 420 | 0.5+1.0+ scattered | 50 M + 112 M + 100 M (100 M) | Run-19+20+21 | |
| | | 7.2 | 26.5 | FXT | 2.02 | 443 | 2+Parasitic with CEC | 155 M + 317 M | Run-18+20 | |
| | | 6.2 | 19.5 | FXT | 1.87 | 487 | 1.4 | 118 M (100 M) | Run-20 | |
| | | 5.2 | 13.5 | FXT | 1.68 | 541 | 1.0 | 103 M (100 M) | Run-20 | |
| | | 4.5 | 9. 8 | FXT | 1.52 | 589 | 0.9 | 108 M (100 M) | Run-20 | |
| | | 3.9 | 7.3 | FXT | 1.37 | 633 | 1.1 | 117 M (100 M) | Run-20 | |
| | | 3.5 | 5.75 | FXT | 1.25 | 666 | 0.9 | 116 M (100 M) | Run-20 | |
| | | 3.2 | 4.59 Aléxev Ana | | 1.13 | 6 99 | 2 .0 | 200 M (200 M) | Run-19 | |
| | | 3.0 | 3.85 | FXT | 1.05 | 72 1 | 4.6 | 259 M -> 2B(100 M -> 2B) | Run-18+21 | |



- Statistics for Bi+Bi collisions at 9.2 GeV: ~ 300M min. bias events in different MC generators
- More precise selection of the centrality class in the MPD vs. STAR will provide more accurate determination of the number of binary collisions and of the R_{AA} factor
- Classes with narrow width of central collisions will eliminate considerably the trivial volume fluctuations and allow to get new results at the NICA energy
- We need to intensify organizational efforts prior to the actual data taking in order to effectively use working time
- We need to deliver **new physics message** from the MPD taking into account the huge amount of data from BES-II program at STAR



Thank you for the attention!

Alexey Aparin, XI MPD collaboration meeting



Backup slides



MC Glauber model provides a description of the initial state of a heavy-ion collision

- Independent straight line trajectories of the nucleons
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Main model parameters

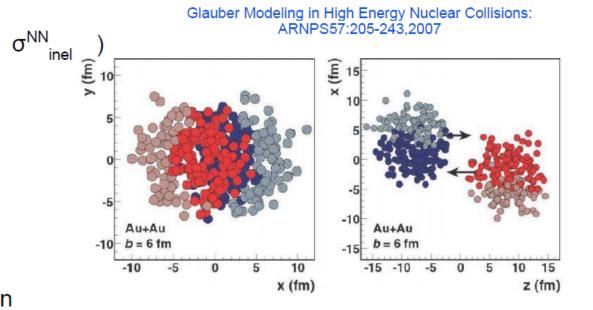
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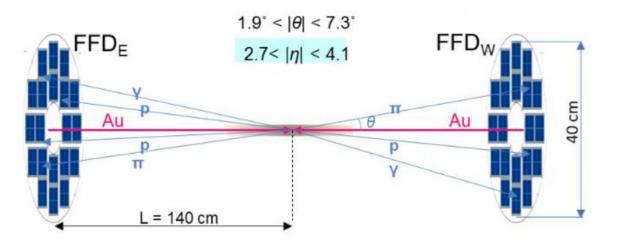
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b - impact parameter

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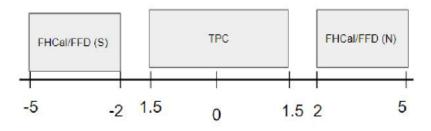


- Event plane Resolution of FFD is much more smaller than FHCal resolution;
- Good agreement for 2 and 3 sub event methods
- FFD has extremely small Resolution for 2-nd harmonic
- FFD needs more statistics than FHCal for flow measurements
- FHCal are better than FFD for flow measurements

3 sub event $R_{1,i}^N = \sqrt{\frac{2\langle Q_{1,i}^N Q_{1,i}^S \rangle \langle Q_{1,i}^S Q_1^T Q_1^T \rangle}{\langle Q_{1,i}^N Q_{1,i}^T P C \rangle}}$

2 sub event

$$R_{1,i} = \sqrt{\langle Q_{1,i}^N Q_{1,i}^S \rangle}, i = x, y$$
$$R_{1,i}^{True} = \langle Q_{1,i} \Psi_{RP} \rangle$$



pseudorapidity



