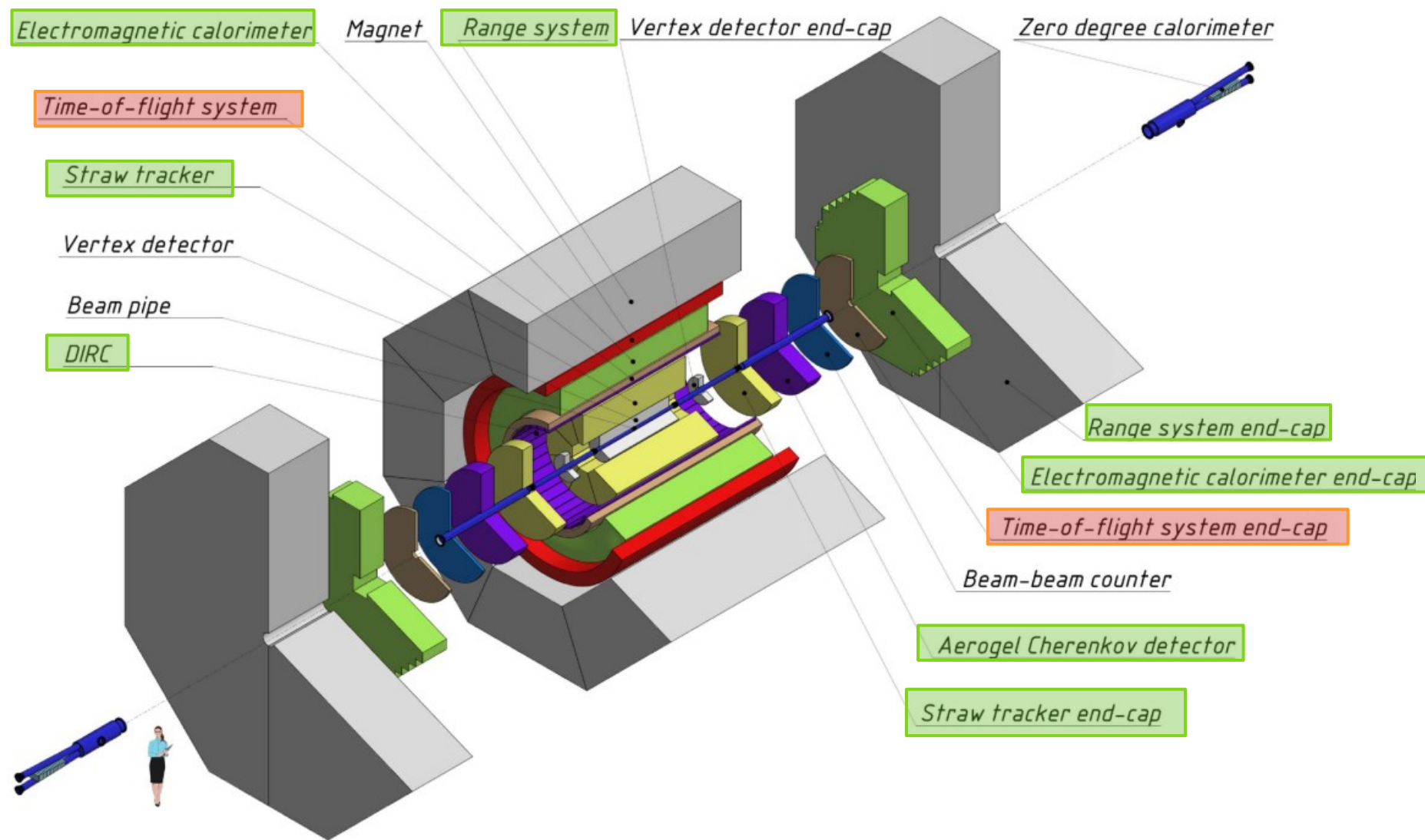


# **PID status**

Artem Ivanov  
JINR, Dubna

SPD Collaboration Meeting  
27.04.2023

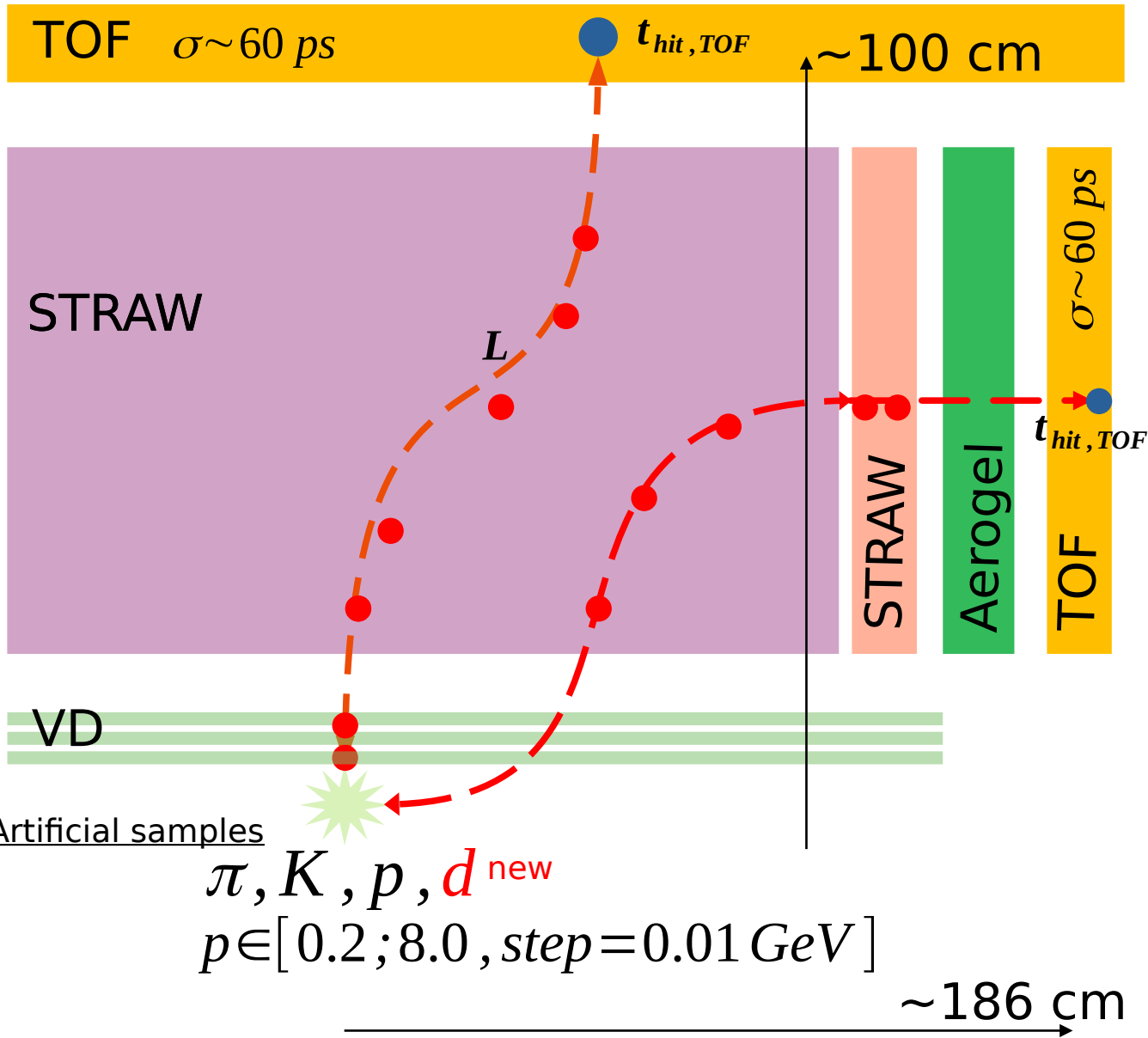
# Particle identification in SPD



Discussed in this talk: particle identification via Time-of-flight system

# Time of Flight system

Magnetic field  
→



$$m^2 = \frac{p^2}{c^2} \left[ \frac{t_{TOF}^2 c^2}{L^2} - 1 \right]$$

$$\sigma_{m^2}^2 = 4 m^4 \left( \frac{\sigma_p}{p} \right)^2 + 4 E^4 \left( \frac{\sigma_t}{t} \right)^2 + 4 E^4 \left( \frac{\sigma_L}{L} \right)^2$$

$\downarrow$   $\sigma \sim 150 \mu\text{m}$        $\downarrow$   $\sigma_{TOF} = 60 \text{ ps}$        $\downarrow$  from fitting

## Selection criteria

cuts on the quality of the tracks  
 (status of fit from GenFit and  $\chi^2/\text{ndf} < 5$ )  
 detailed explanation of cuts in talk of Ruslan Akhunzyanov

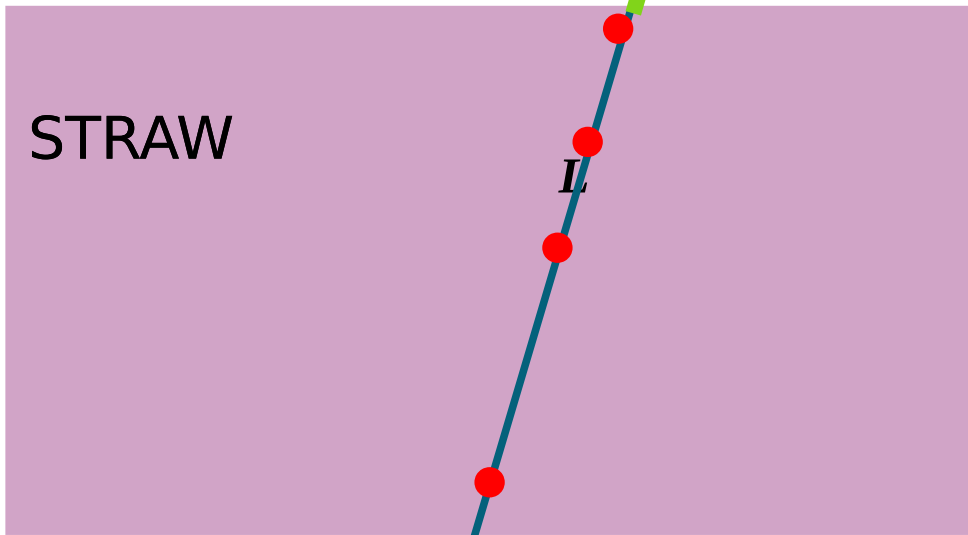
# Calculation $L_{rc}$

Magnetic field  


$$L_{rc} = L_1 + L_2 + L_3$$

$$m^2 = \frac{p^2}{c^2} \left[ \frac{t_{TOF}^2 c^2}{L_{rc}^2} - 1 \right]$$

TOF  $\sigma \sim 60 ps$    $t_{hit, TOF}$



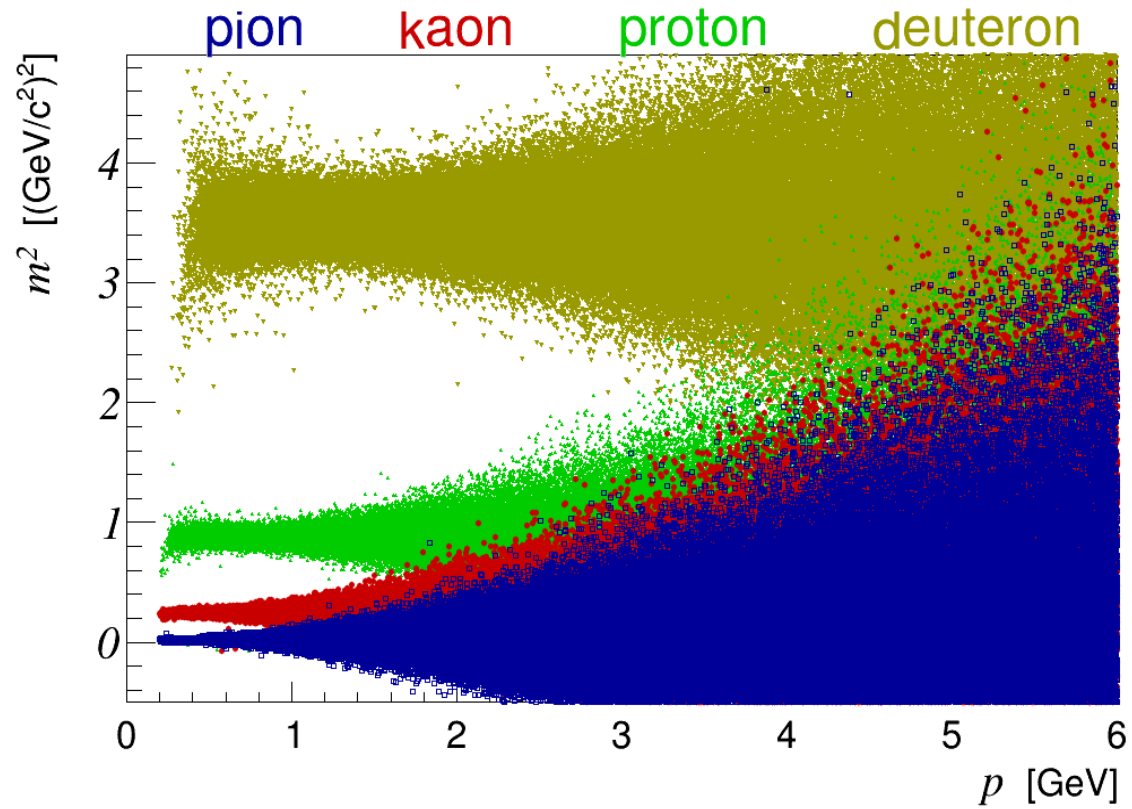
**$L_1$ : extrapolation from *last state* to TOF hit**  
 ExtrapolateToPlane

**$L_2$ : from *first state* to *last state***  
 From fit

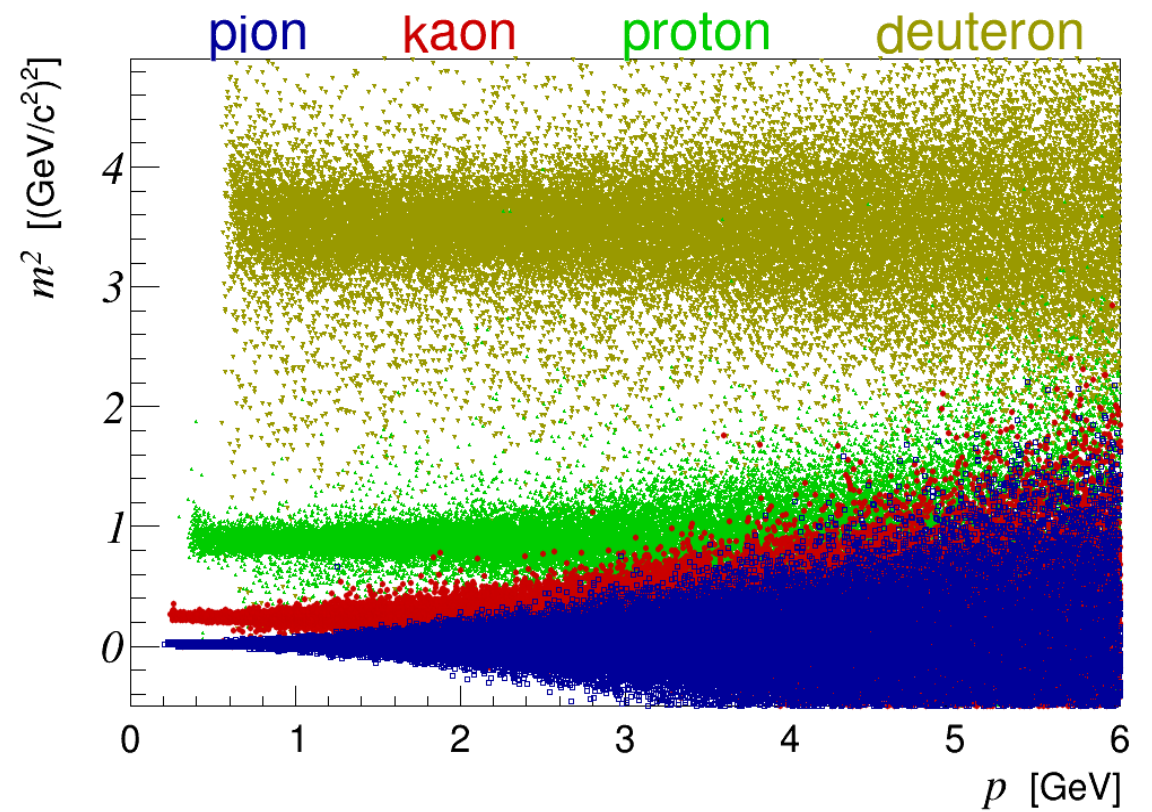
**$L_3$ : extrapolation from *first state* to PV**  
 ExtrapolateToPoint

# $m^2$ vs $p$

## Barrel



## End-Cap

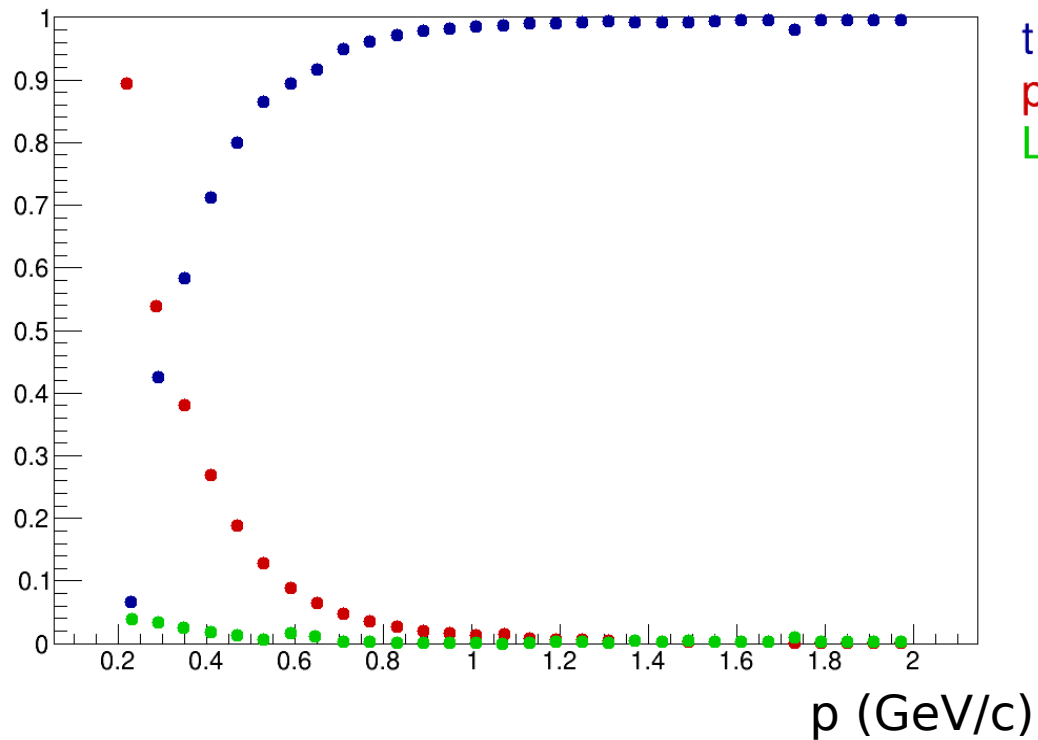


# The mass squared resolution

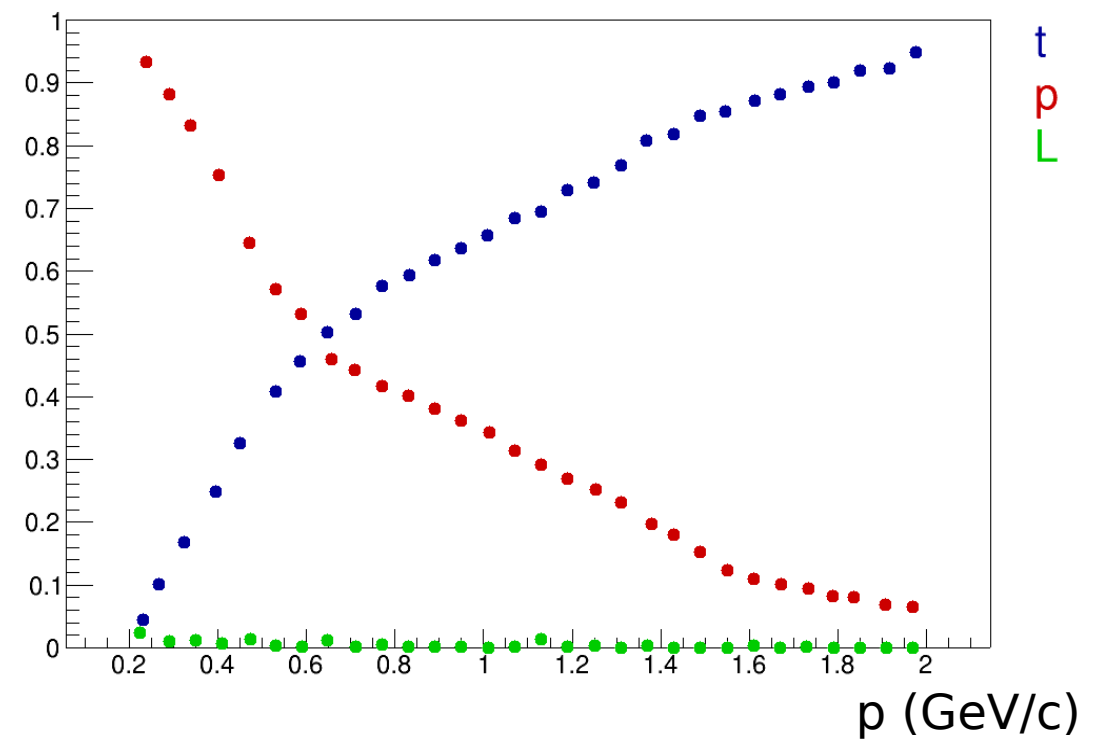
$$\sigma_{m^2}^2 = 4 m^4 \left( \frac{\sigma_p}{p} \right)^2 + 4 E^4 \left( \frac{\sigma_t}{t} \right)^2 + 4 E^4 \left( \frac{\sigma_L}{L} \right)^2$$

kaon

**Barrel**



**End-Cap**

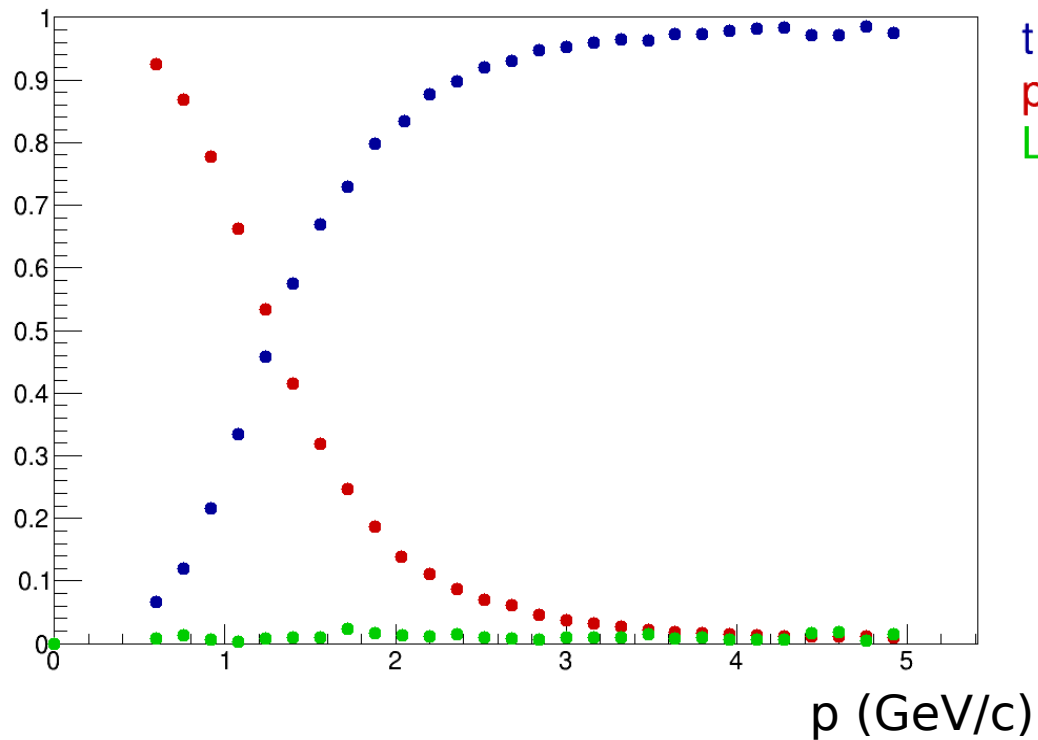


# The mass squared resolution

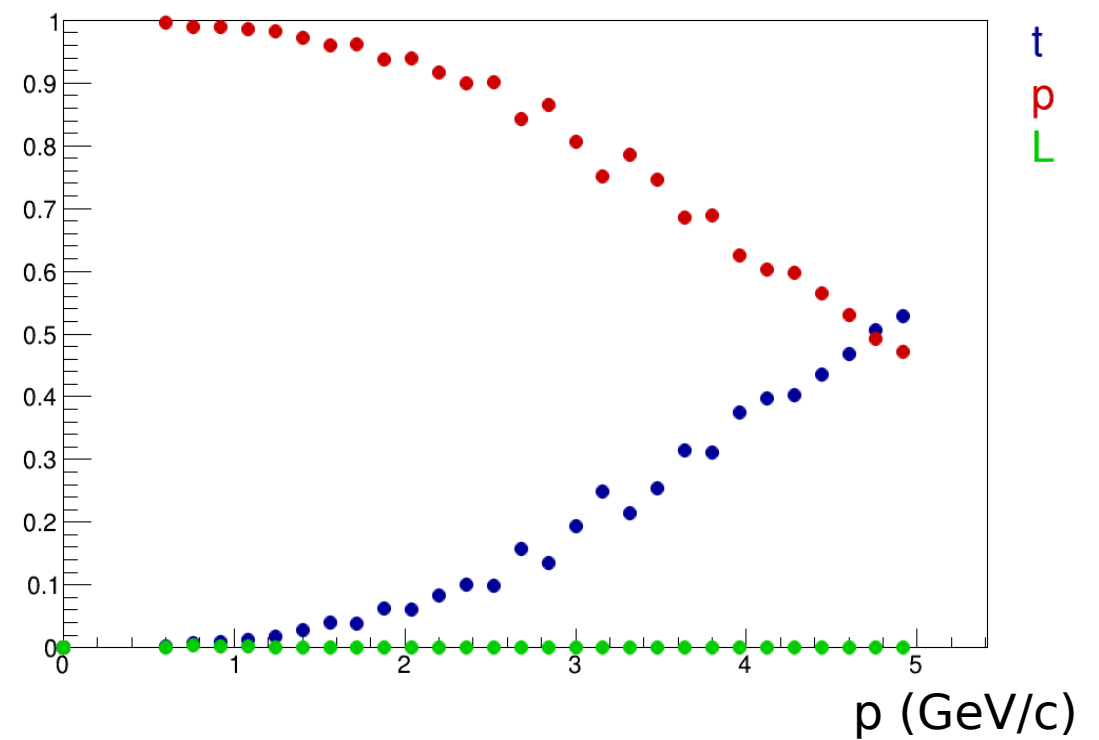
$$\sigma_{m^2}^2 = 4 m^4 \left( \frac{\sigma_p}{p} \right)^2 + 4 E^4 \left( \frac{\sigma_t}{t} \right)^2 + 4 E^4 \left( \frac{\sigma_L}{L} \right)^2$$

deuteron

**Barrel**



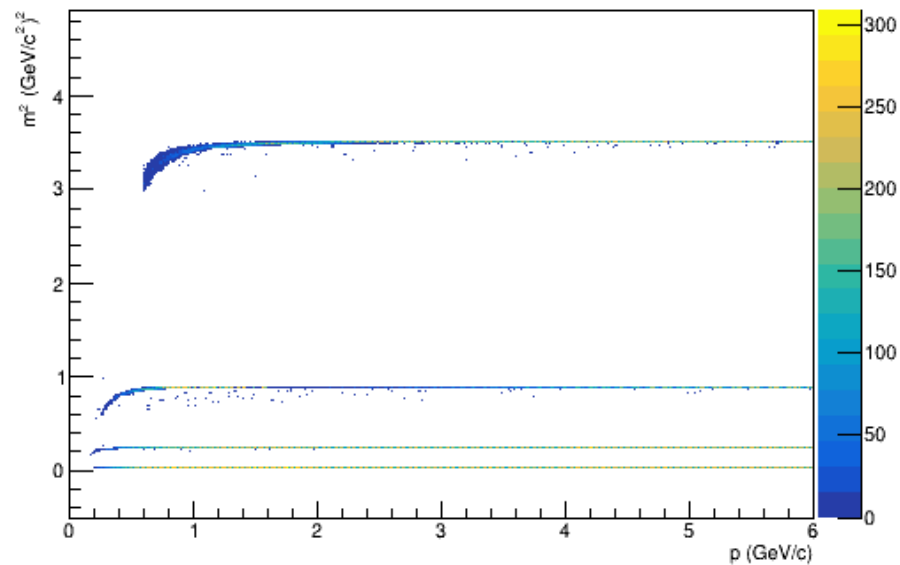
**End-Cap**



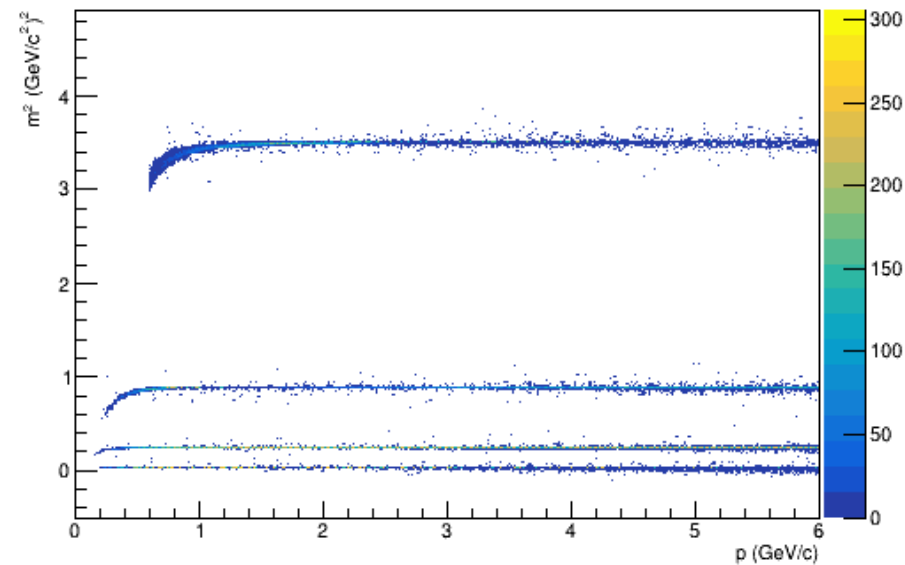
# $m^2$ vs $p$ : End-Cap

$$m^2 = \frac{p^2}{c^2} \left[ \frac{t_{\text{TOF}}^2 c^2}{L^2} - 1 \right]$$

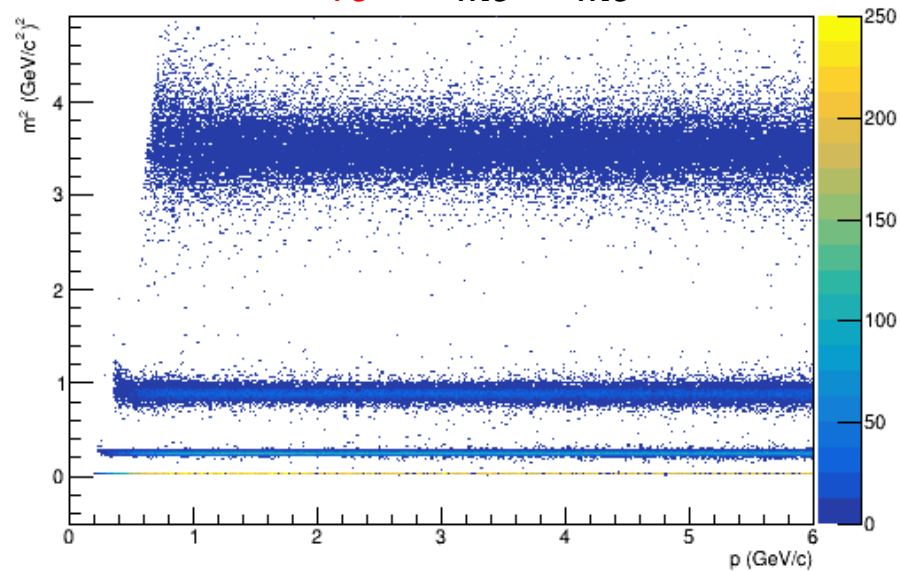
$p_{mc}, L_{mc}, t_{mc}$



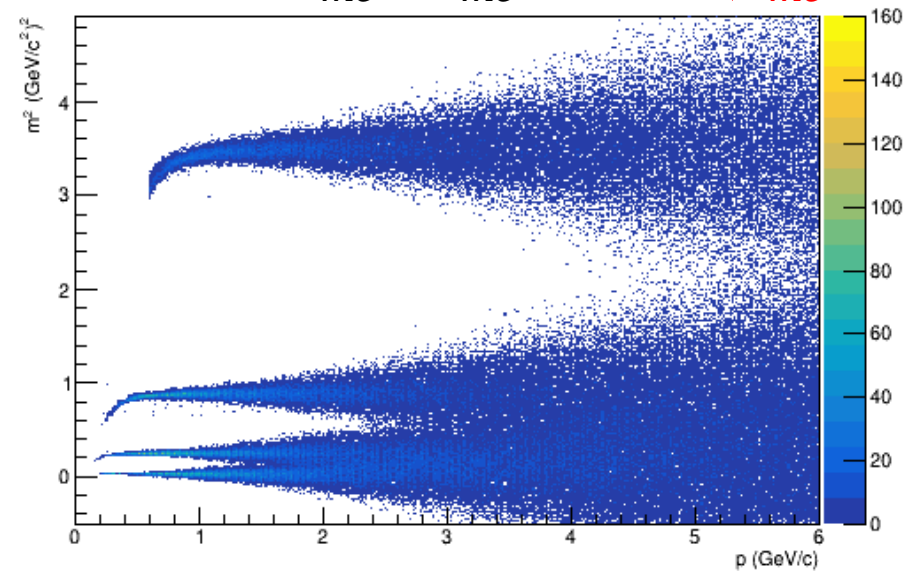
$p_{mc}, L_{rc}, t_{mc}$



$p_{rc}, L_{mc}, t_{mc}$



$p_{mc}, L_{mc}, \text{gaus}(t_{mc}, \sigma_{\text{TOF}})$

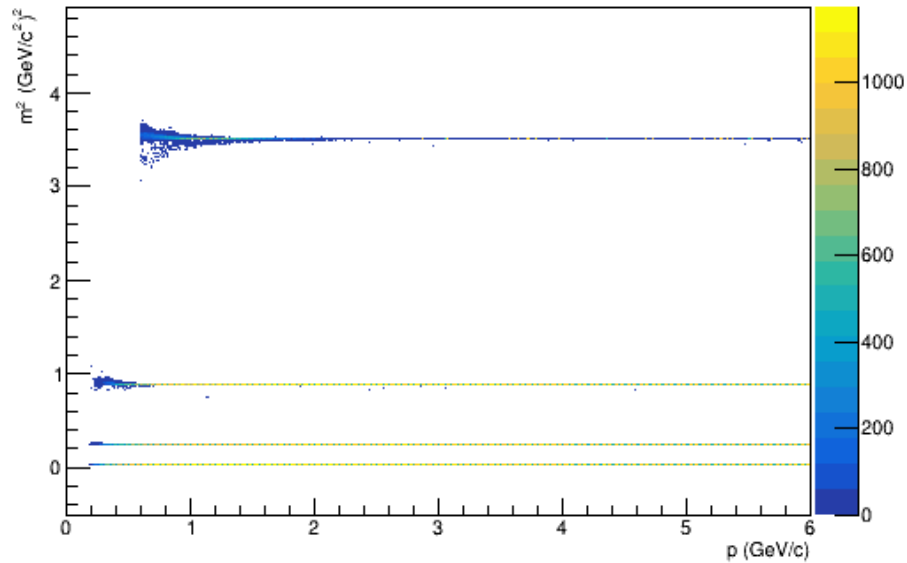




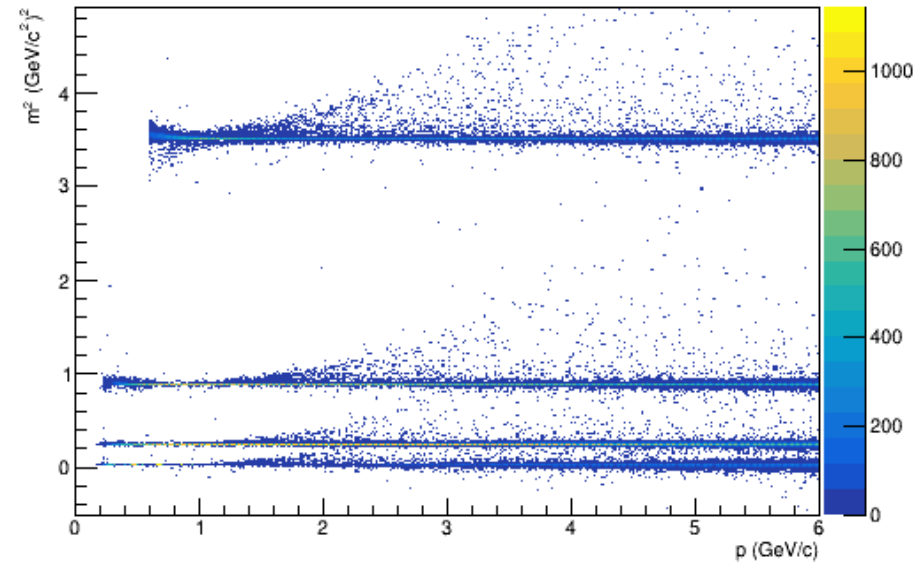
# $m^2$ vs $p$ : Barrel

$$m^2 = \frac{p^2}{c^2} \left[ \frac{t_{\text{TOF}}^2 c^2}{L^2} - 1 \right]$$

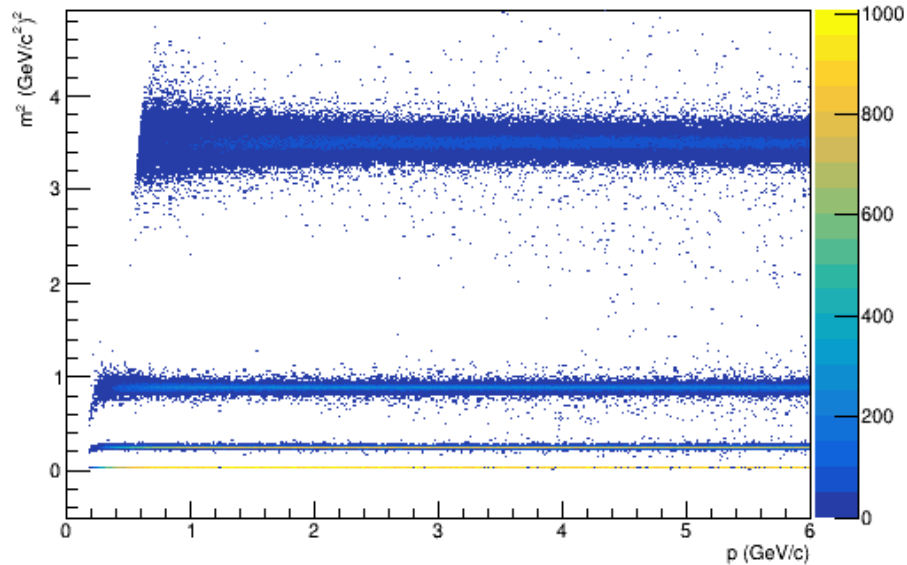
$p_{mc}, L_{mc}, t_{mc}$



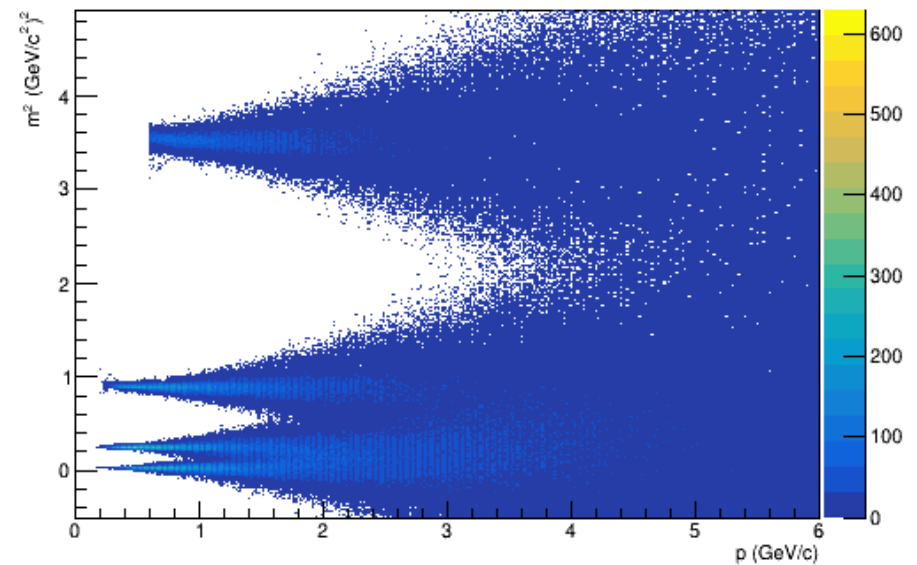
$p_{mc}, L_{rc}, t_{mc}$



$p_{rc}, L_{mc}, t_{mc}$

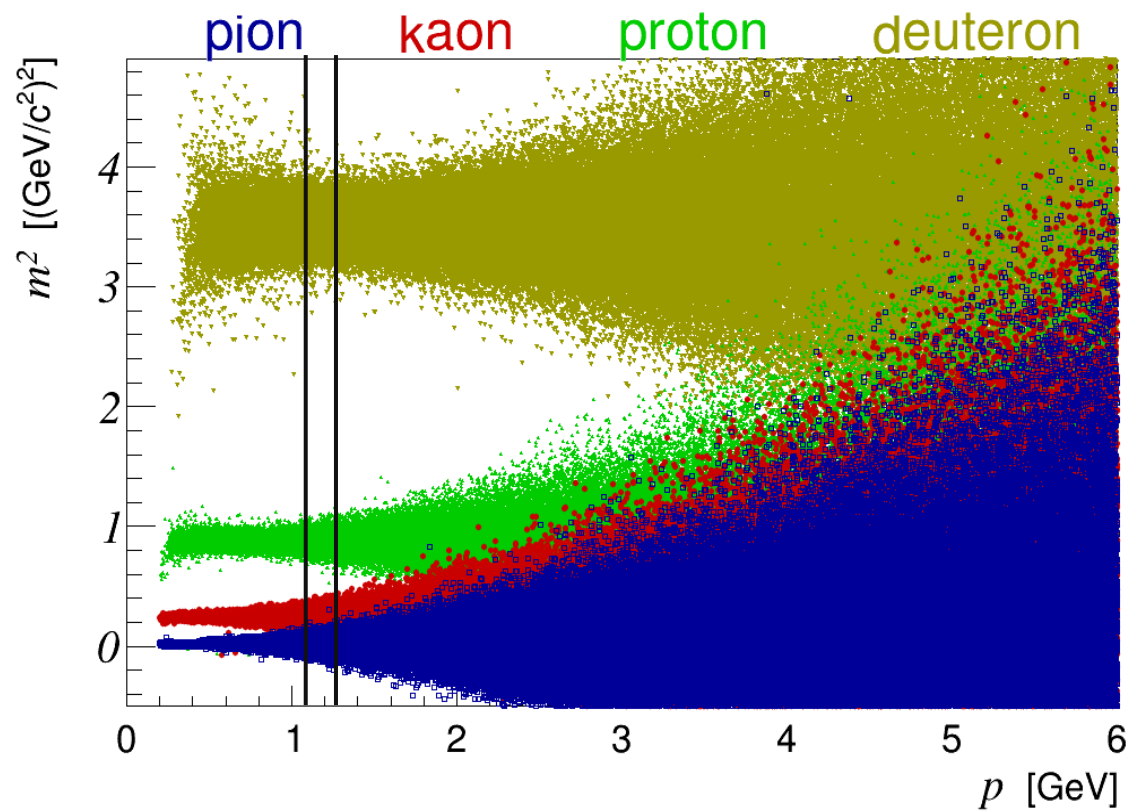


$p_{mc}, L_{mc}, \text{gaus}(t_{mc}, \sigma_{\text{TOF}})$



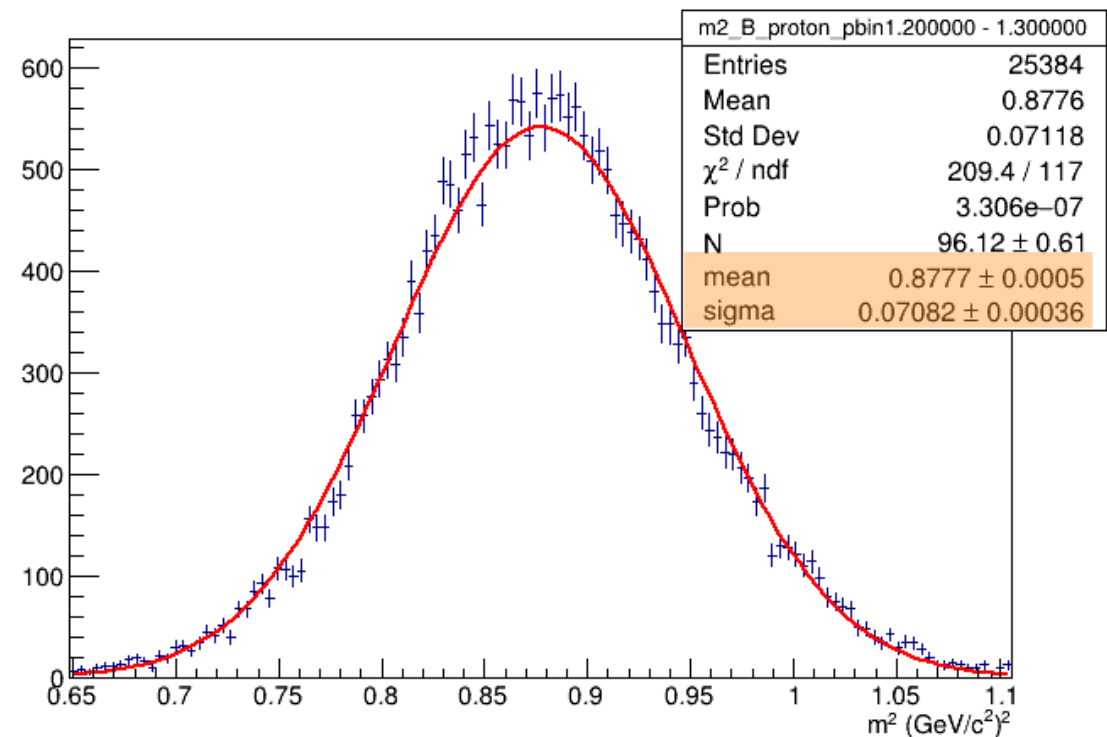
# Parametrization

Fit  $m^2$  distribution in 40 bins of momentum



proton

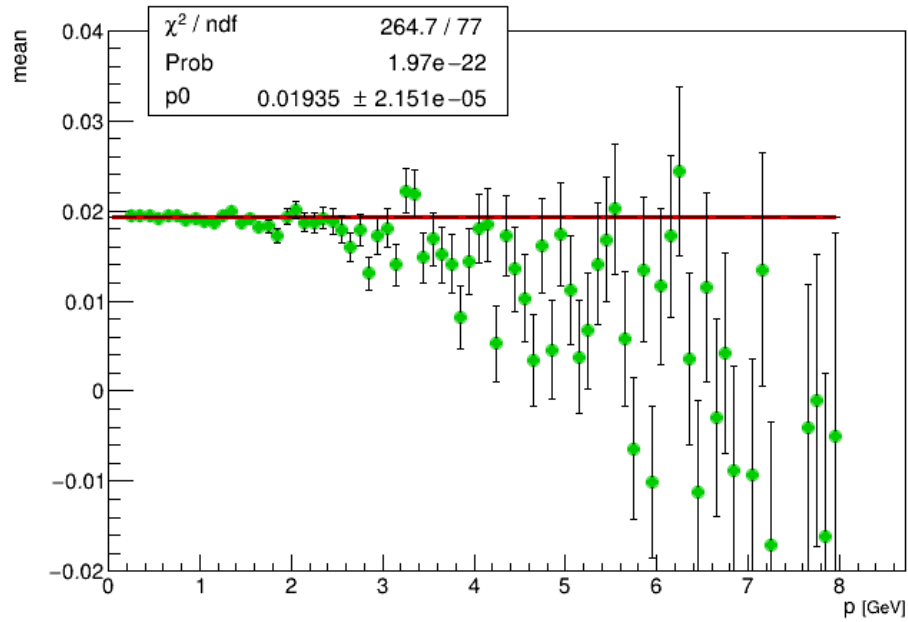
$P_{\text{bin}} = \underline{1.2 - 1.3}$  GeV



# Pion parametrization

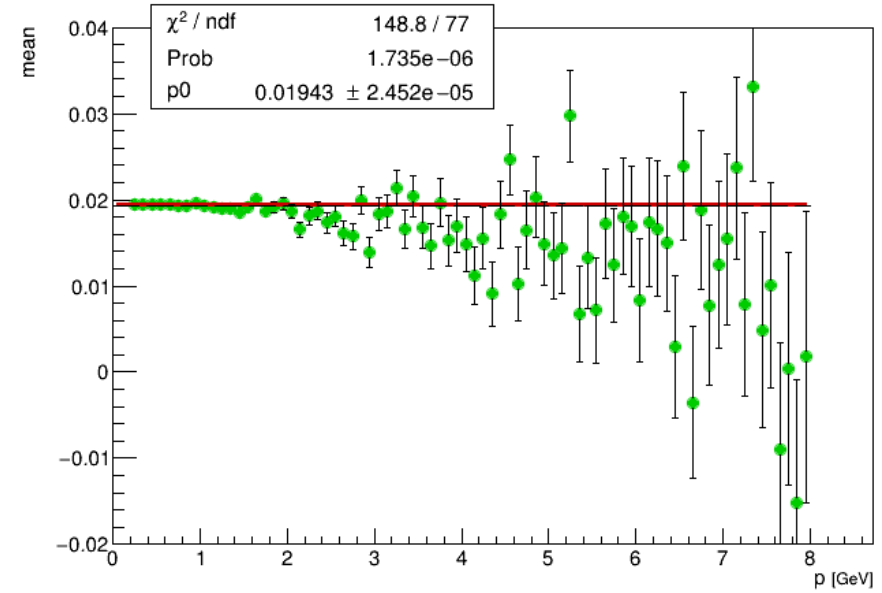
$$m_{\text{pdg}}^2 = 0,019321 \text{ GeV}^2$$

## Barrel

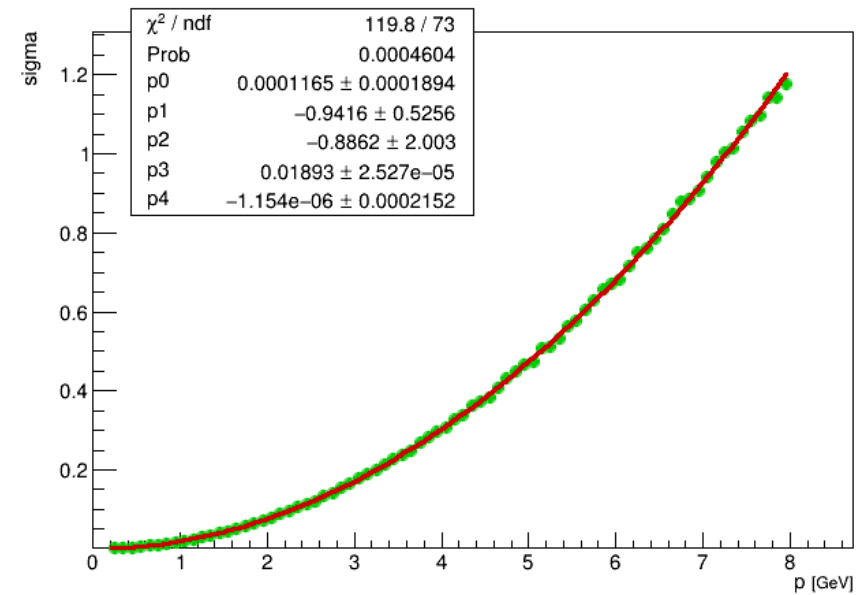
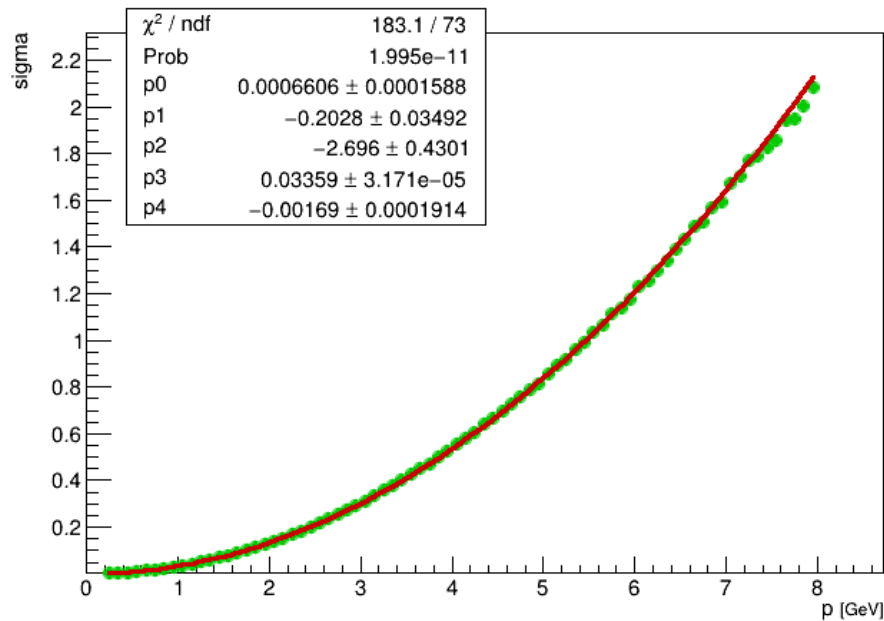


mean

## End-Cap



sigma

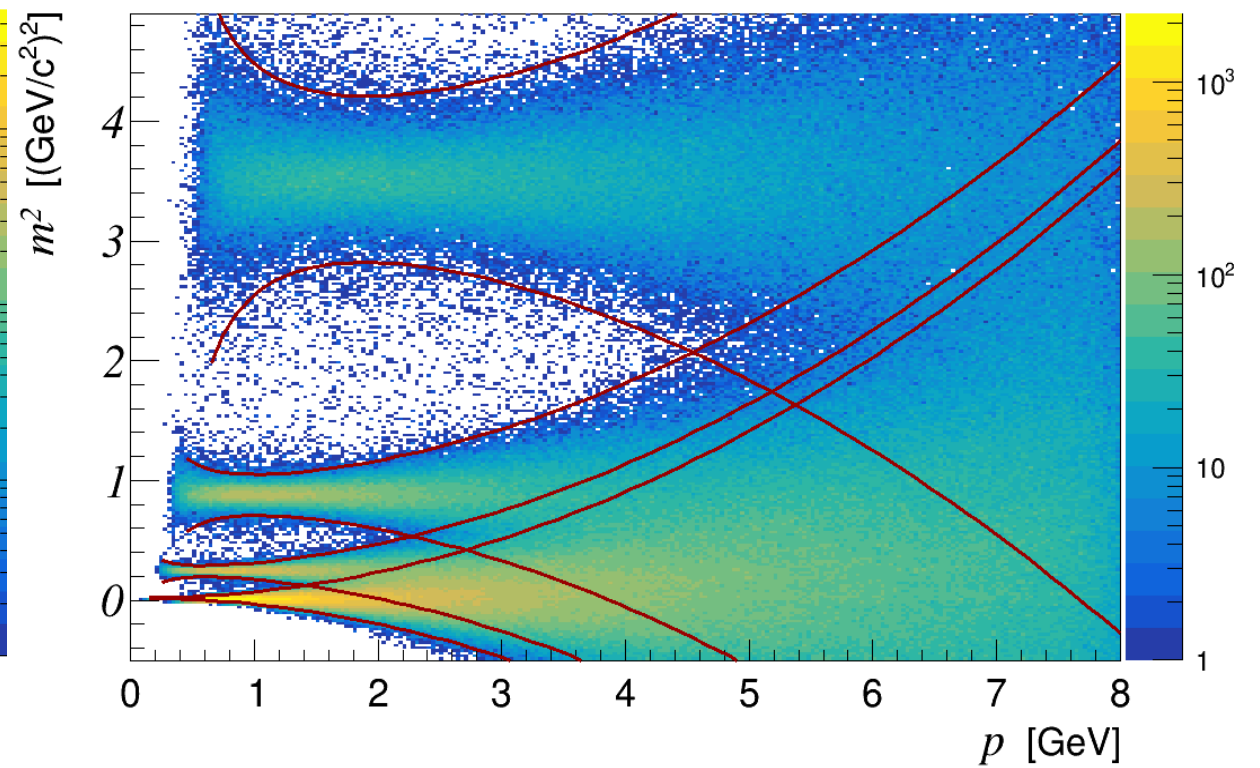
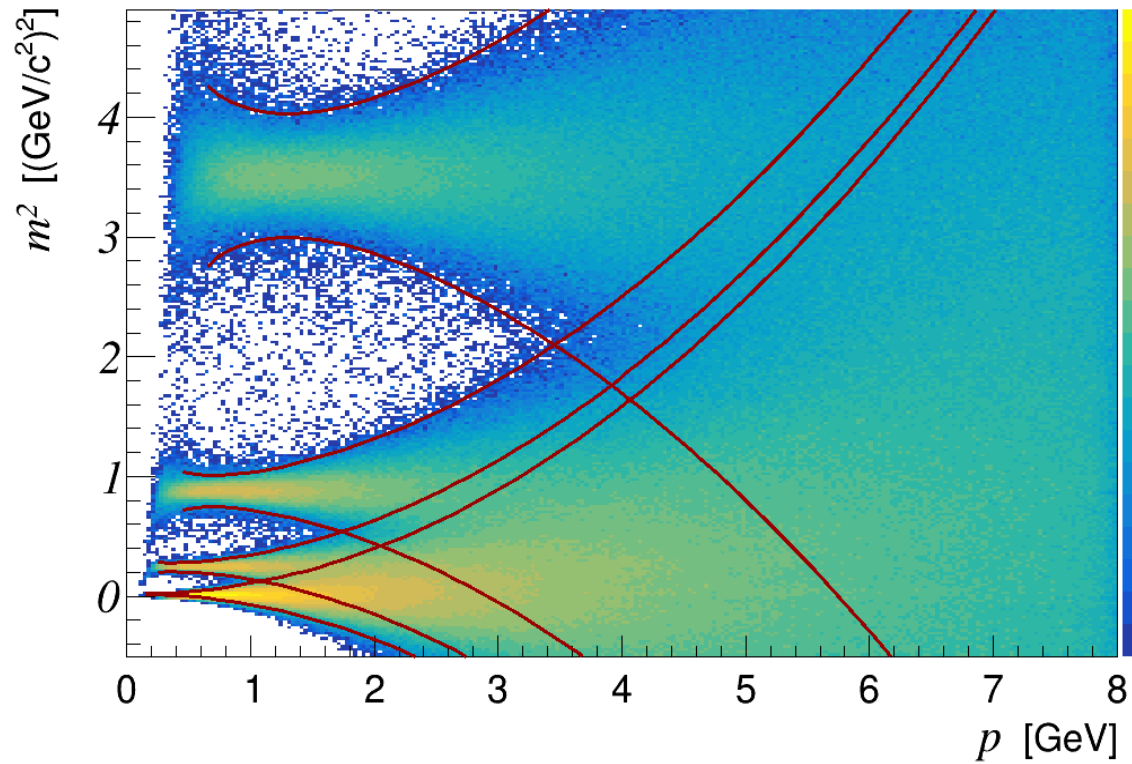


# $m^2$ vs $p$

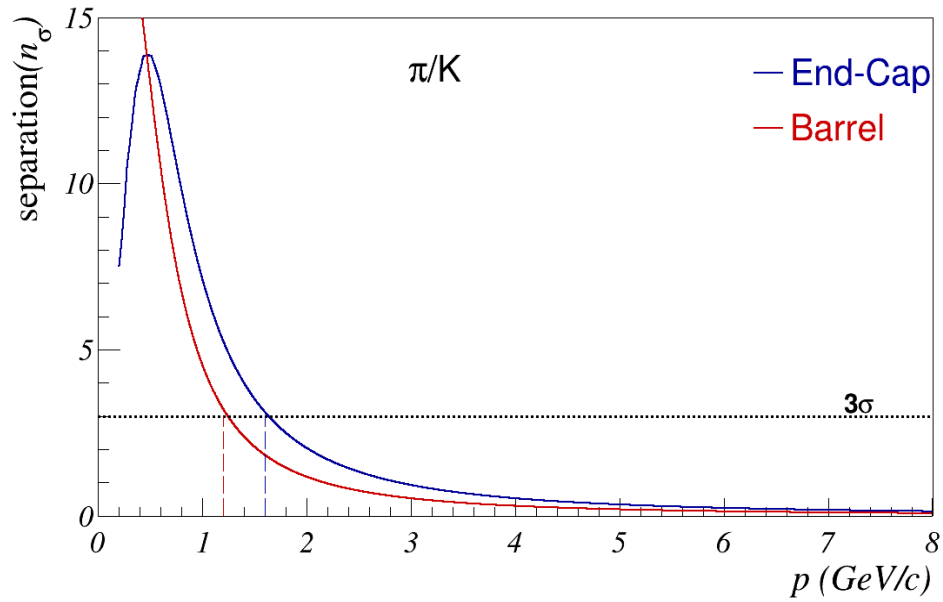
## Barrel

## End-Cap

curves with  $3\sigma$

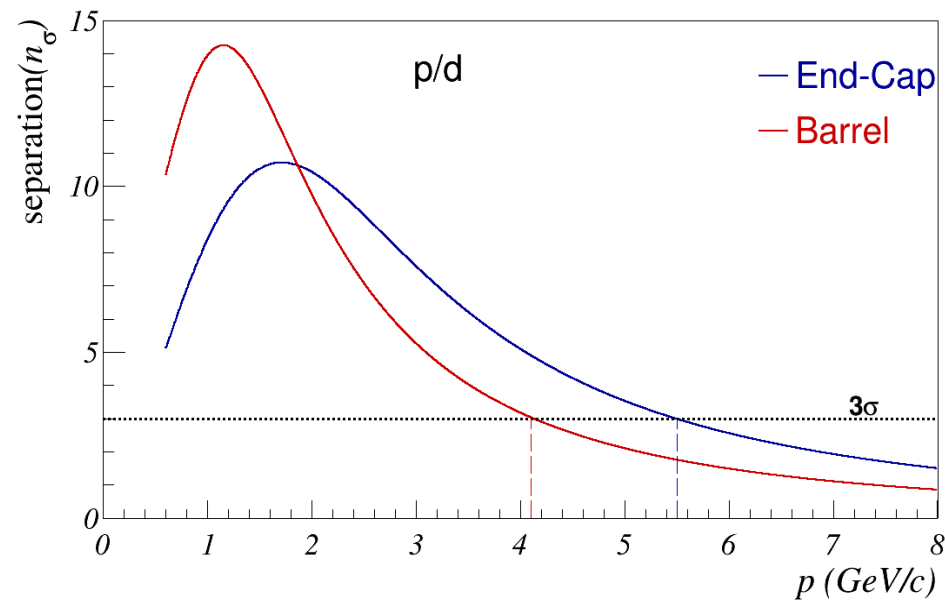
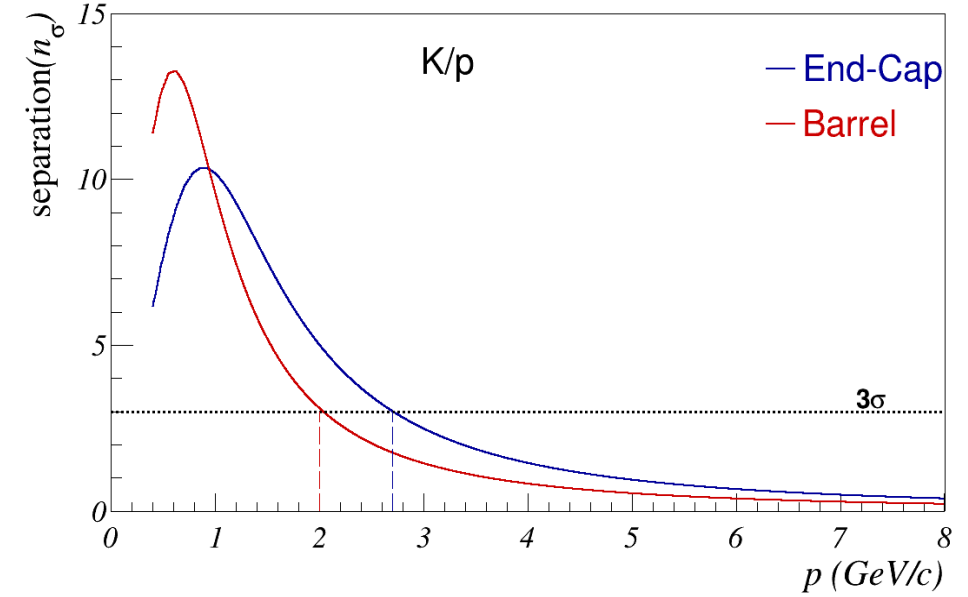


# Separation power



$$n_{\text{sigma}} = \frac{\mu_i - \mu_j}{\sqrt{\sigma_i^2 + \sigma_j^2}}$$

$i = \pi, K, p; j = K, p, d$

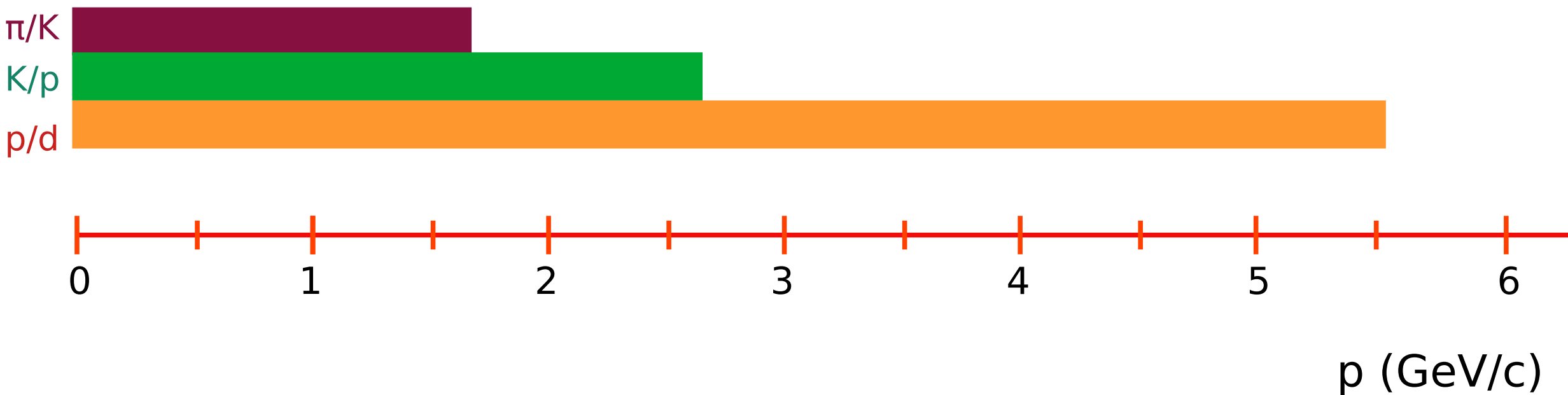


# PID in SPD with TOF (3 sigma)

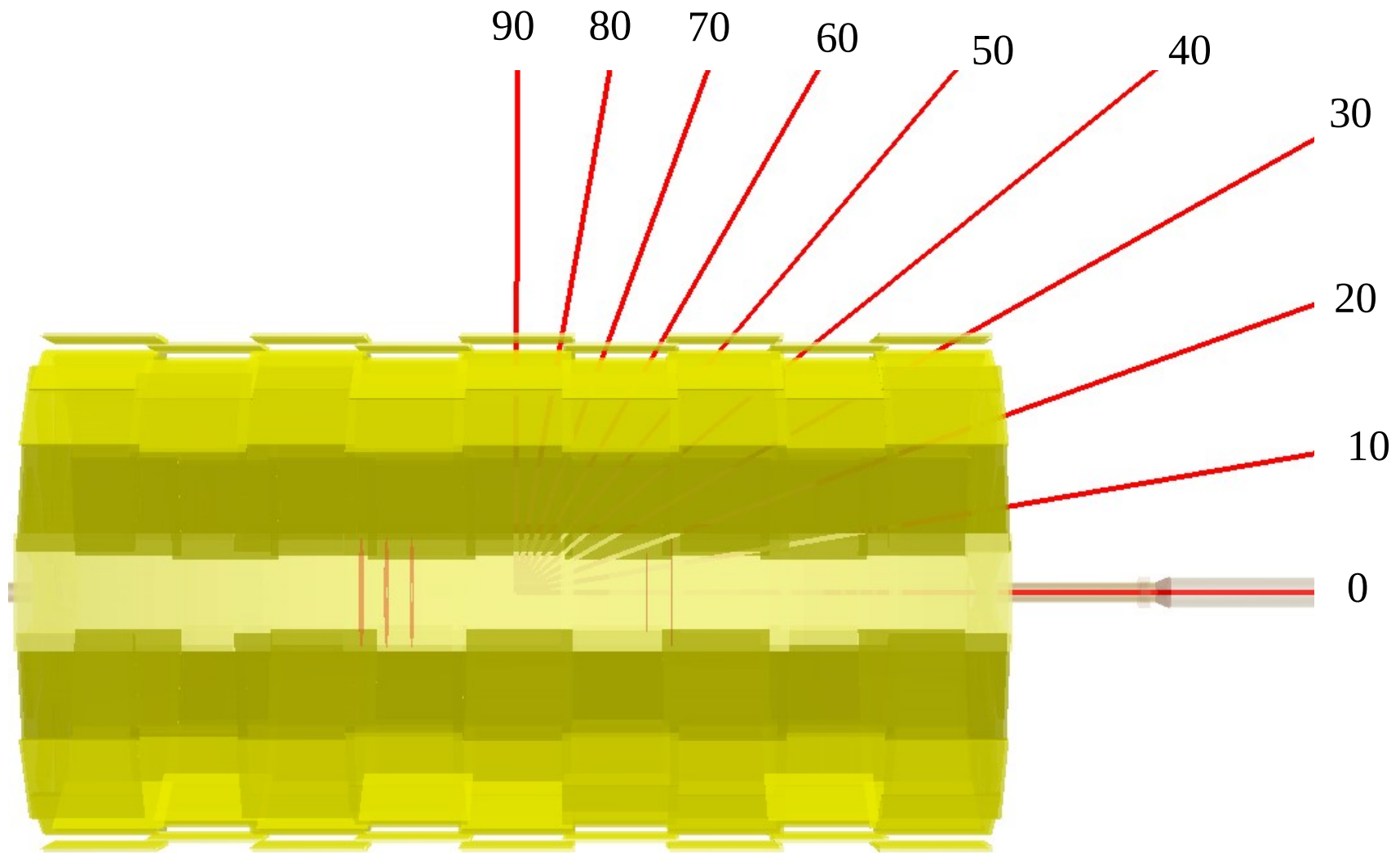
## Barrel



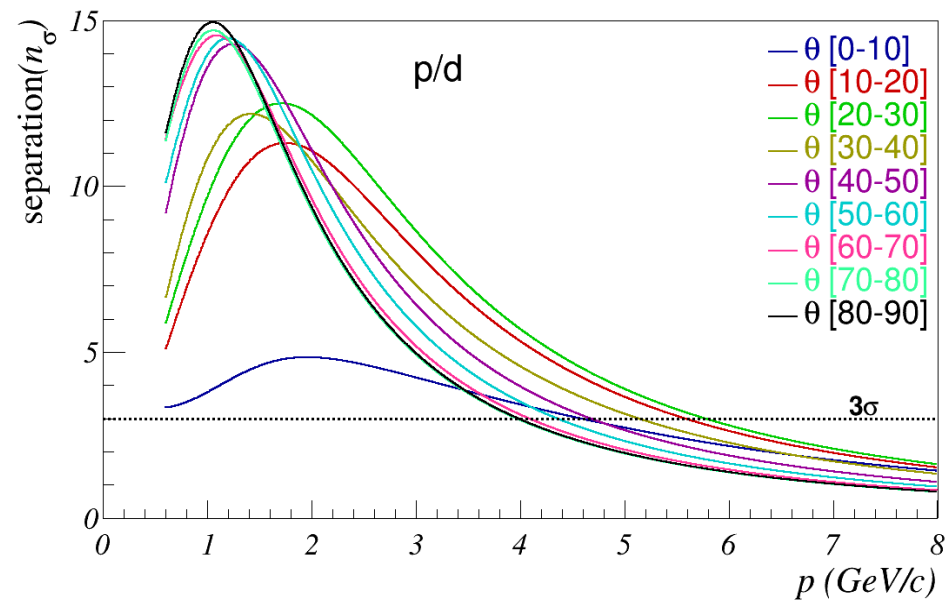
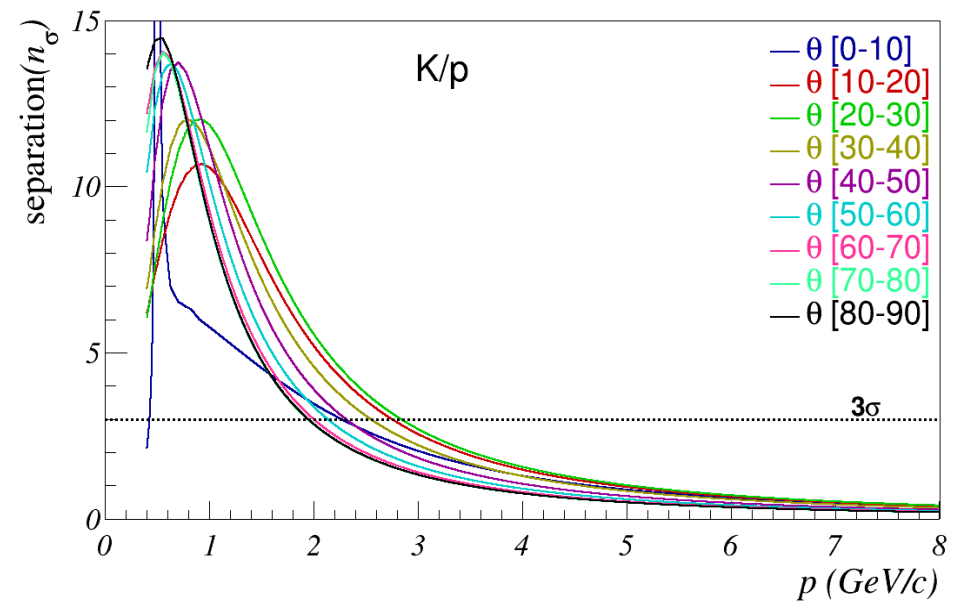
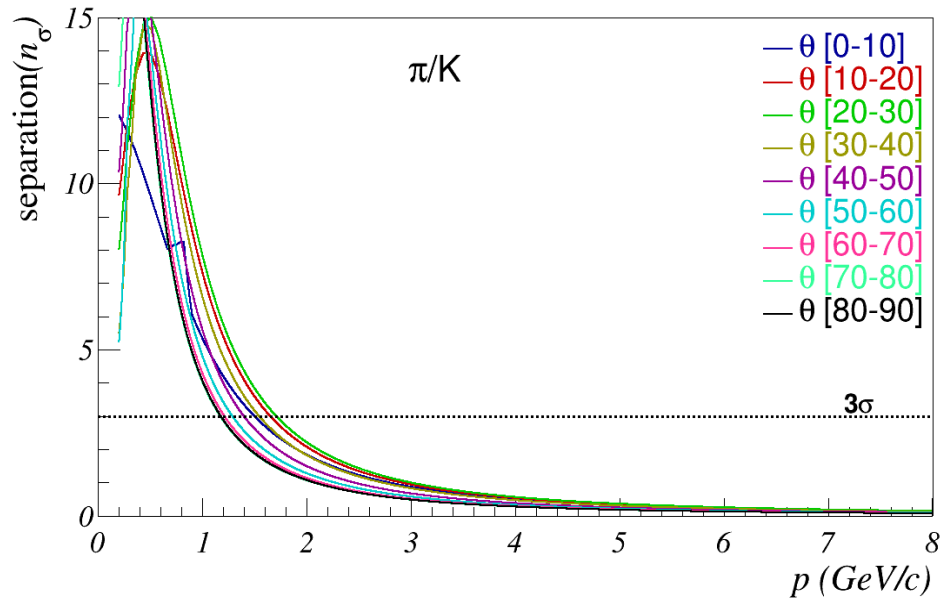
## End-Cap



# Theta bins



# Separation power in theta bins





# Conclusion

- Investigation of PID system is ongoing.
  - 1) Deuteron was added
  - 2) Uncertainty on the track length was included to PID TOF study.

$n_{\text{sigma}} = 3$	$p_{\text{max}}(\text{pion/kaon}), \text{ GeV}$	$p_{\text{max}}(\text{kaon/proton}), \text{ GeV}$	$p_{\text{max}}(\text{deuteron/proton}), \text{ GeV}$
<b>Barrel</b>	1.2	2.0	4.1
<b>End-Cap</b>	1.6	2.7	5.5