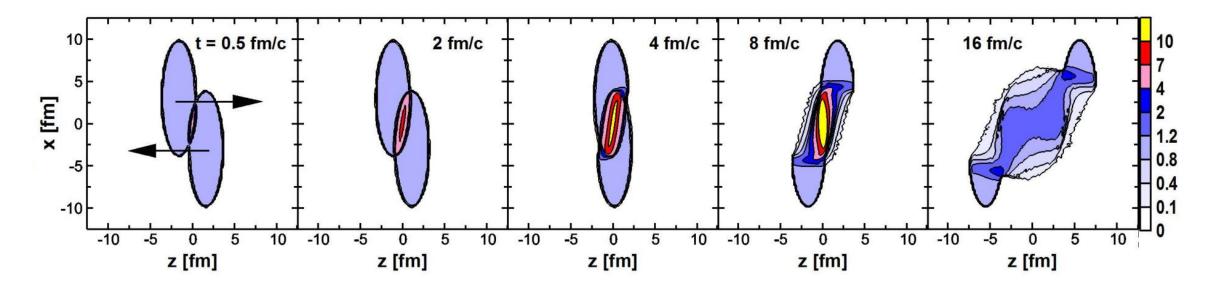
## Light-nuclei production in heavy-ion collisions at NICA energies in generator THESEUS based on 3-fluid dynamical model

Marina Kozhevnikova (VBLHEP, JINR)

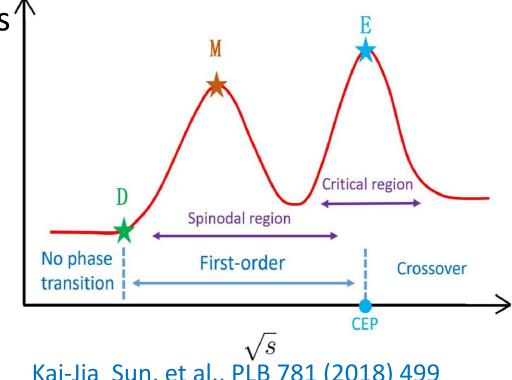
In collaboration with Yu. B. Ivanov



## Light nuclei in heavy-ion collisions

#### Why are they interesting?

- Abundant production at NICA and FAIR energies
- ❖ Very scarce data at NICA and FAIR energies
- Signal of spinodal instability
- Signal of critical endpoint (CEP)
- Medium effects



Density fluctuation

Kai-Jia Sun, et al., PLB 781 (2018) 499

#### 3FD model

Target-like fluid:

$$\partial_{\mu}J_{t}^{\mu}=0$$

 $\partial_{\mu}T_{t}^{\mu
u}=-F_{tp}^{
u}+F_{ft}^{
u}$ 

Leading particles carry bar. charge

exchange/emission

Projectile-like fluid:

$$\partial_{\mu} J^{\mu}_{\mathcal{D}} = 0$$
,

$$\partial_{\mu} T_{p}^{\mu 
u} = - F_{pt}^{
u} + F_{fp}^{
u}$$

Fireball fluid:

$$J_f^{\mu}=0$$
,

 $\partial_{\mu}T^{\mu
u}_{f}=$   $F^{
u}_{ extstyle pt}+F^{
u}_{ extstyle t extstyle p}-F^{
u}_{f extstyle p}-F^{
u}_{ft}$ 

Baryon-free fluid

Source term Exchange

The source term is delayed due to a formation time au

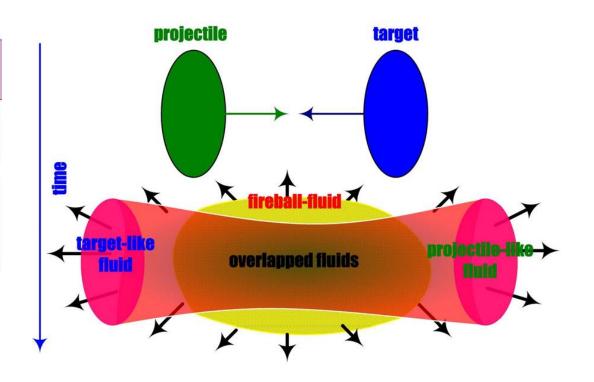
#### Total energy-momentum conservation:

$$\partial_{\mu}(T_{p}^{\mu\nu}+T_{t}^{\mu\nu}+T_{t}^{\mu\nu})=0$$

#### **Physical Input:**

- Equation of State
- Friction
- Freeze-out energy density  $\varepsilon_{frz}$  = 0.4 GeV/fm<sup>3</sup>

**3FD:** Yu.B. Ivanov, V.N. Russkikh, V.D. Toneev, PHYSICAL REVIEW C 73, 044904 (2006)



#### **EoS**:

- hadronic EoS (no phase transition)
- hadronic+QGP EoS with 1st-order PT
- hadronic+QGP EoS with crossover

EoS: A. Khvorostukhin, V.V. Skokov, V.D. Toneev, K. Redlich, EPJ C48, 531 (2006)

#### THESEUS event generator and 3FD

#### 3FD:

- The output = Lagrangian test particles (i.e. fluid droplets) for each fluid  $\alpha$ (= p, t or f).
- Fluid droplet = element of freeze-out surface
- Observables = integration of hadron distribution functions over freeze-out surface

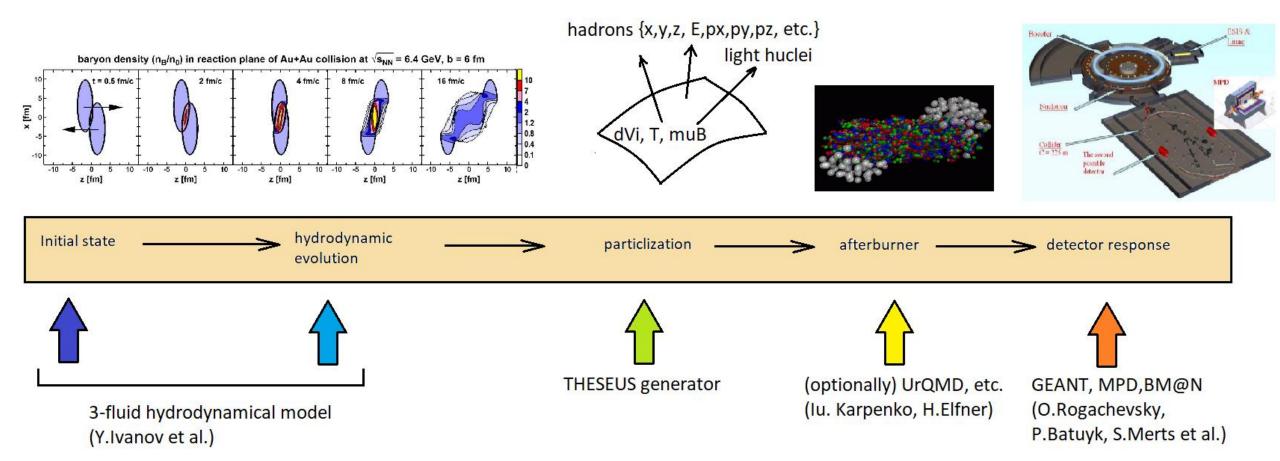
## This is inconvenient for application of experimental acceptance **THESEUS**:

❖ In 2016 the THESEUS event generator was introduced (Three-fluid Hydrodynamics-based Event Simulator Extended by UrQMD (Ultra-relativistic Quantum Molecular Dynamics) final State interactions).

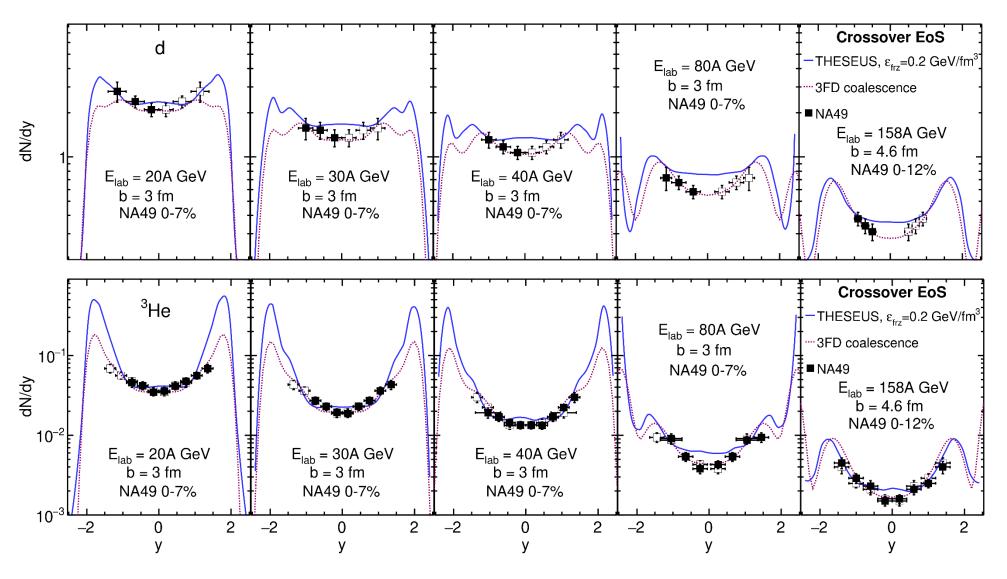
(3FD+Particlization+UrQMD): P. Batyuk et al., PHYSICAL REVIEW C 94, 044917 (2016)

- ❖ THESEUS = 3FD + Monte Carlo hadron sampling + afterburner via UrQMD
- THESEUS presents the 3FD output in terms of a set of observed particles.

#### Hydrodynamic modelling of nuclear collisions for NICA / FAIR

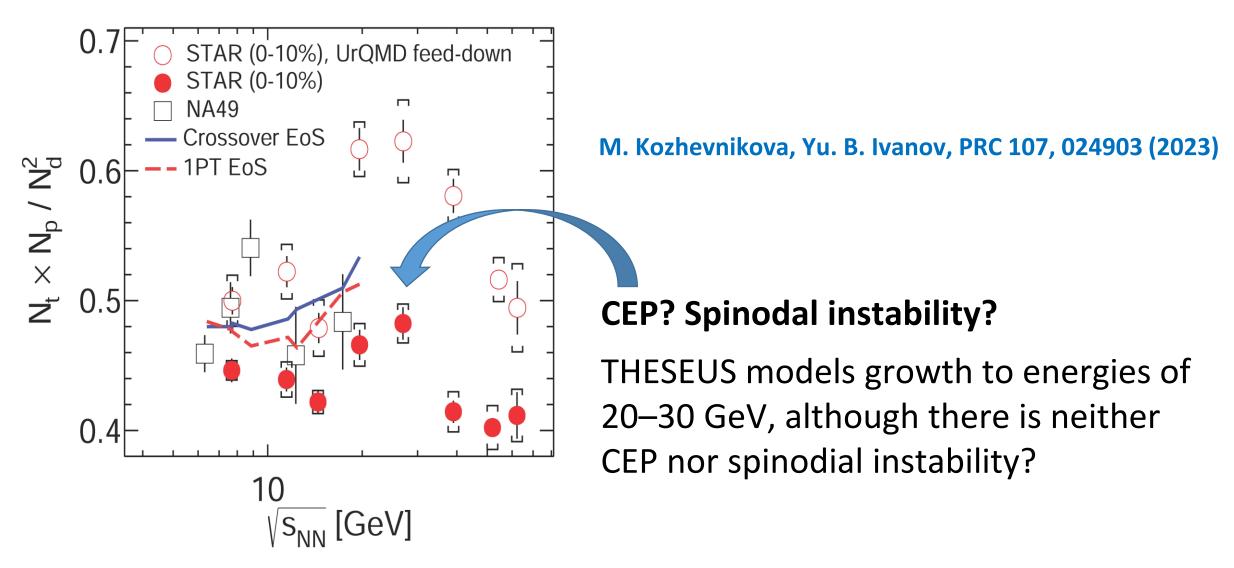


## THESEUS-v2: rapidity distributions, $\varepsilon_{\rm frz} = 0.2 \, {\rm GeV/fm^3}$ .



**Puzzle:** reproduction of the <sup>3</sup>He data is better than that of deuterons, in spite of that <sup>3</sup>He heavier.

#### $N(t)\times N(p)/N^2(d)$ ratio



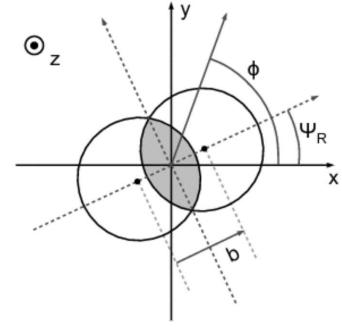
Accurate subtraction of weak-decays feed-down from proton yield is important

#### Directed flow $v_1(y)$

The single particle distribution function:

$$E\frac{d^{3}N}{d^{3}p} = \frac{1}{2\pi} \frac{d^{2}N}{p_{T}dp_{T}dy} (1 + \sum_{n=1}^{\infty} 2v_{n} \cos(n(\phi - \Psi_{RP})))$$

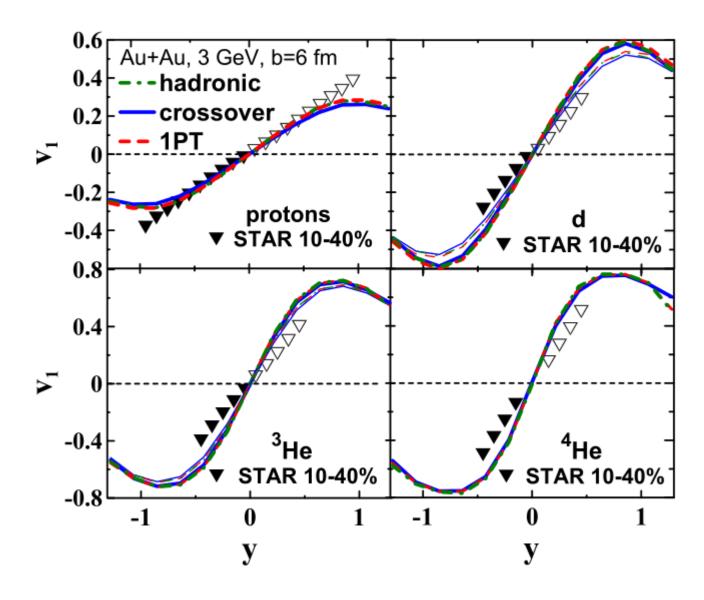
The first coefficient of Fourier expansion, i.e. **directed flow**:



$$v_1^{(a)}(y) \;=\; \frac{\int d^2p_T \left(p_x/p_T\right) E\; dN_a/d^3p}{\int d^2p_T E\; dN_a/d^3p}. \qquad \qquad v_1 = \langle\cos\phi\rangle \;\; \text{, where $\varphi$-- azimuthal angle.}$$

In THESEUS:  $v_1(y)$  is calculated in terms of sums over hadrons rather than integrals over momenta.

#### Preliminary directed flow $v_1(y)$ : protons and light nuclei



**Fig.:** Directed flow of **protons** and **light nuclei** as function of rapidity in semicentral (b = 6 fm) Au+Au collisions.

Thin lines – without decays of He4\*.

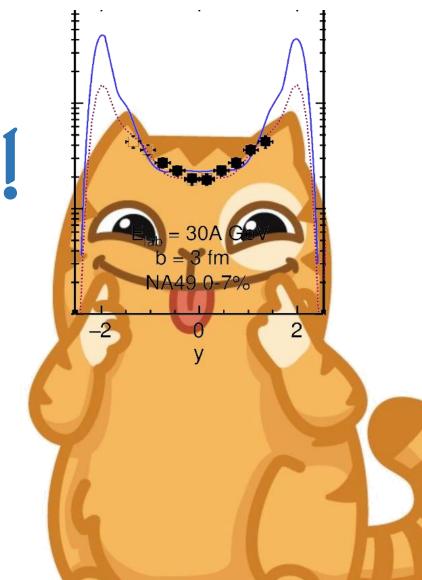
#### Summary

- The thermodynamical approach approximately reproduces data on light nuclei with a single parameter,  $\varepsilon_{\rm frz} = 0.2~{\rm GeV/fm^3}$ .
- The functional dependencies (on y, v1, mass of light nuclei and others) qualitatively are reproduced.
- Medium effects are currently studied

#### Acknowledgments

- ➤ We are grateful to **David Blaschke** for convincing us to apply the thermodynamic approach to modeling the light-nuclei production in heavy-ion collisions.
- We are especially grateful to Iu. Karpenko for the expertise, interesting suggestions and discussions.

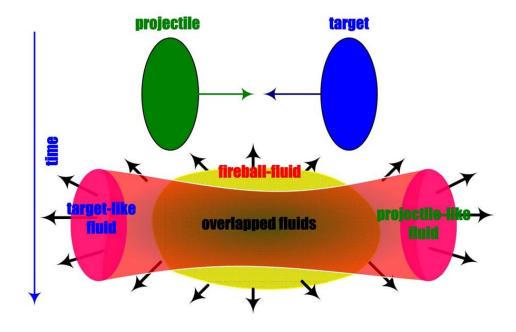
# Thank you for your attention!



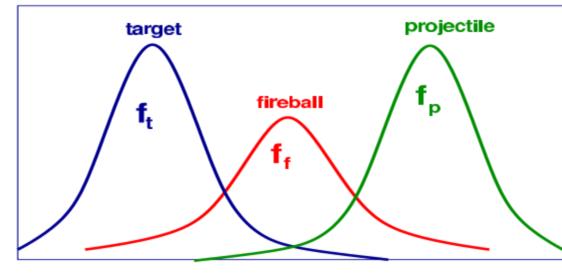
#### Three-fluid dynamics (3FD) model

The 3FD approximation simulate the early, nonequilibrium stage of the strongly-interacting matter:

- baryon-rich fluids: nucleons of the projectile (p) and the target (t) nuclei;
- fireball (f) fluid: newly produced particles which dominantly populate the midrapidity region.







momentum along beam

#### THESEUS-v2: updates

No light-nuclei in 3FD originally.

The main update: To include light nuclei in thermodynamics we recalculate the baryon chemical potential taking into account light nuclei production, proceeding from the local baryon number conservation:

$$n_{\text{primordial }N}(x; \mu_B, T) + \sum_{\text{hadrons}} n_i(x; \mu_B, \mu_S, T)$$

$$= n_{\text{observable }N}(x; \mu_B', T) + \sum_{\text{hadrons}} n_i(x; \mu_B', \mu_S, T)$$

$$+ \sum_{\text{nuclei}} n_c(x; \mu_B', \mu_S, T).$$

The list of light-nuclei species is shown in Table.

$\overline{\mathrm{Nucleus}(E[\mathrm{MeV}])}$	J	decay modes, in %
d	1	Stable
t	1/2	Stable
<sup>3</sup> He	1/2	Stable
<sup>4</sup> He	0	Stable
$^{4}\text{He}(20.21)$	0	p = 100
$^{4}\text{He}(21.01)$	0	n = 24, p = 76
$^{4}\text{He}(21.84)$	2	n = 37, p = 63
$^{4}\text{He}(23.33)$	2	n = 47, p = 53
$^{4}\text{He}(23.64)$	1	n = 45, p = 55
$^{4}\text{He}(24.25)$	1	n = 47, p = 50, d = 3
$^{4}\text{He}(25.28)$	0	n = 48, p = 52
$^{4}\text{He}(25.95)$	1	n = 48, p = 52
$^{4}\text{He}(27.42)$	2	n = 3, p = 3, d = 94
$^{4}\text{He}(28.31)$	1	n = 47, p = 48, d = 5
$^{4}\text{He}(28.37)$	1	n=2, p=2, d=96
$^{4}\text{He}(28.39)$	2	n = 0.2, p = 0.2, d = 99.6
$^{4}\text{He}(28.64)$	0	d = 100
$^{4}\text{He}(28.67)$	2	d = 100
$^{4}\text{He}(29.89)$	2	n = 0.4, p = 0.4, d = 99.2

**Table:** Stable light nuclei and low-lying resonances of the <sup>4</sup>He system (from BNL properties of nuclides).

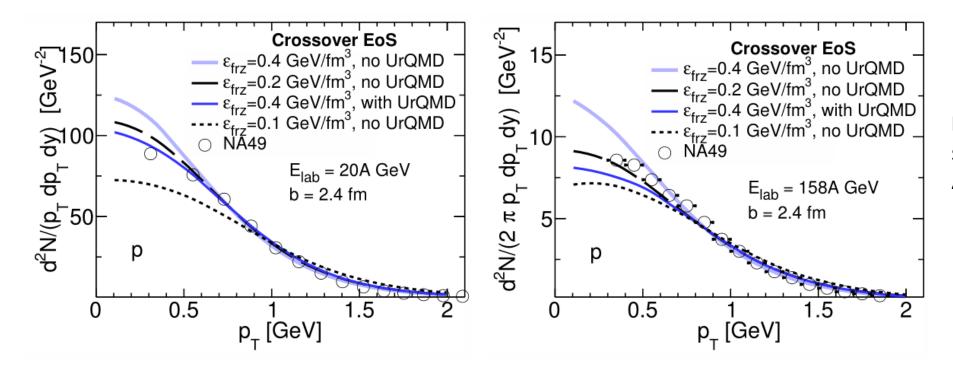
#### THESEUS-v2: afterburner for light nuclei

There is no UrQMD afterburner stage for light nuclei, so we imitate the afterburner by later freeze-out for light nuclei.

▶ To choose suitable late freeze-out we fit protons by means of the late freeze-out:

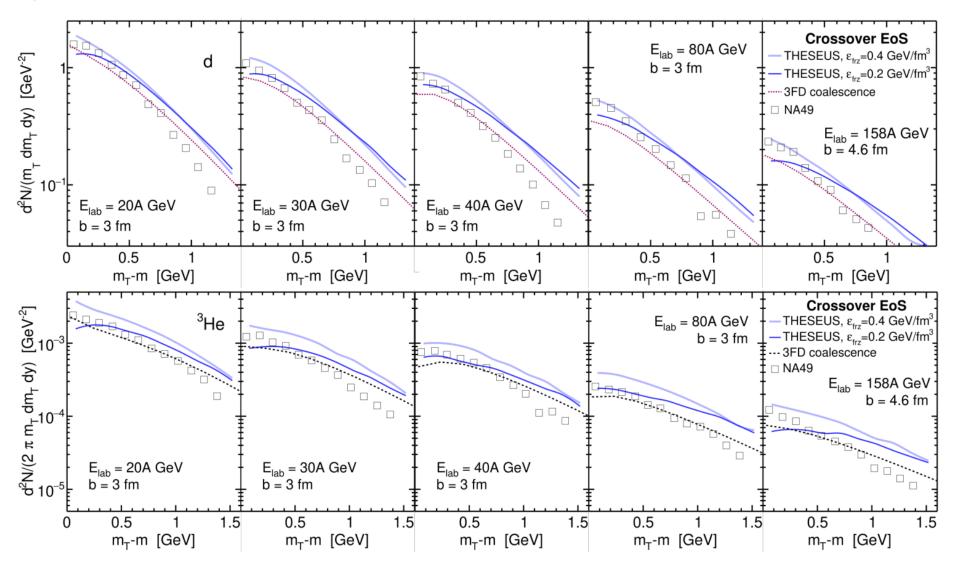
$$\varepsilon_{\rm frz} = 0.2 \ {\rm GeV/fm^3}.$$

We choose protons because they are closely related to the light nuclei.



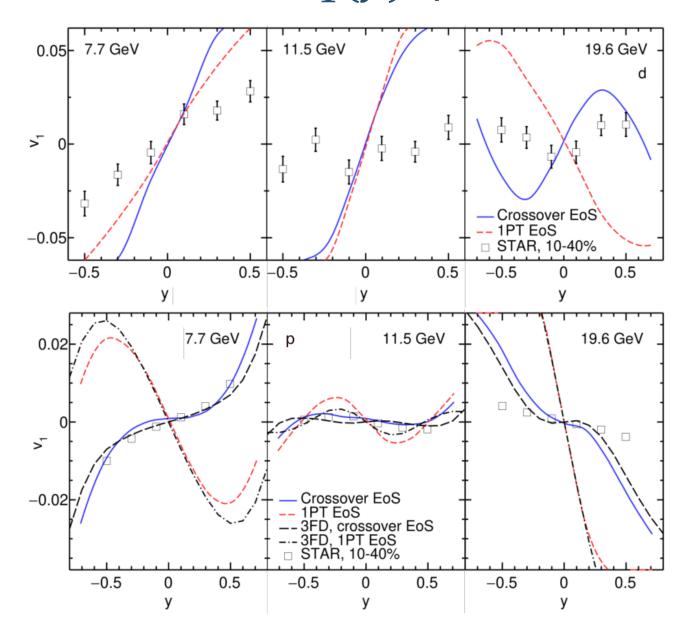
**Fig.:** Transverse-momentum spectra of protons in central Au+Au collisions.

#### $m_T$ -spectra: deuterons and Helium 3



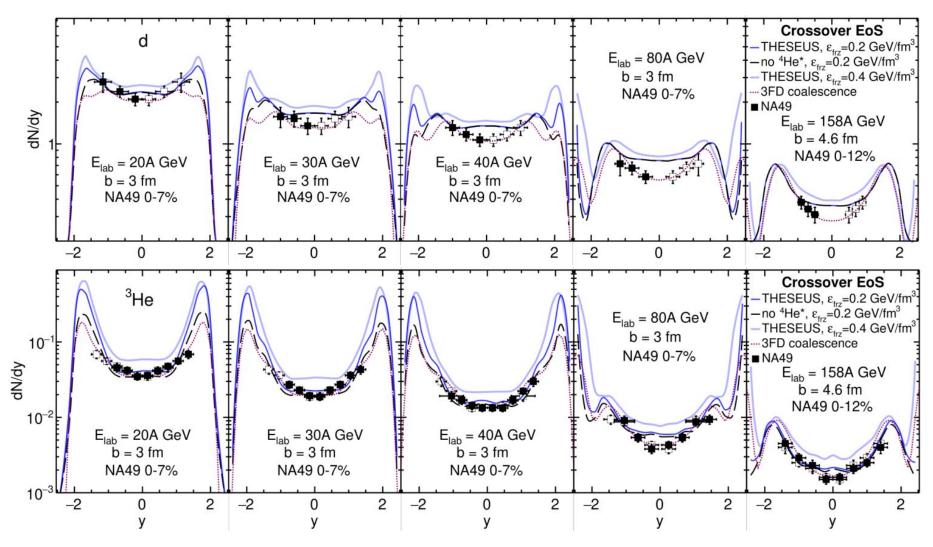
The slopes change. The curves become in better agreement with data at low  $m_T$ .

#### Directed flow $v_1(y)$ : protons and deuterons



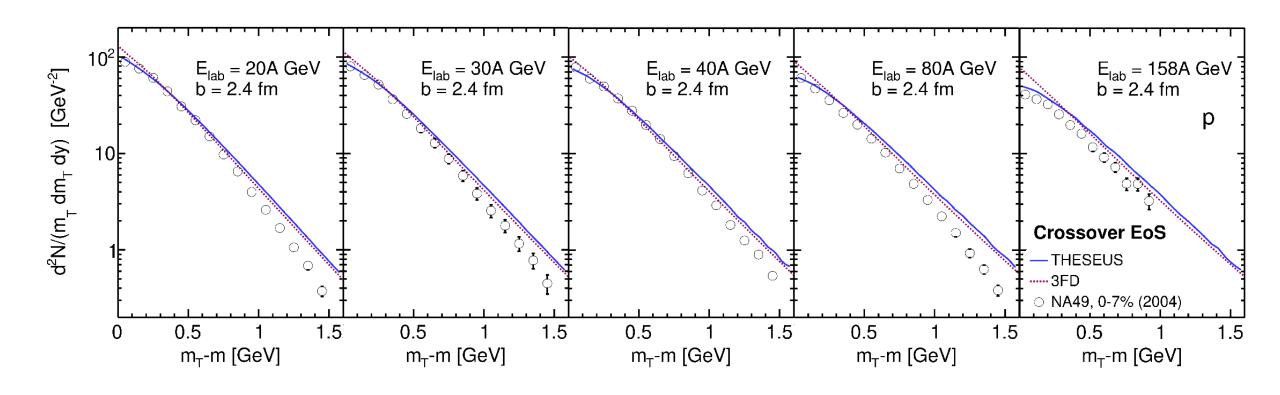
**Fig.:** Directed flow of **deuterons** (upper raw of panels) and **protons** (lower raw of panels) as function of rapidity in semicentral (b = 6 fm) Au+Au collisions.

### THESEUS-v2: rapidity distributions, $\varepsilon_{\rm frz} = 0.2 \, {\rm GeV/fm^3}$ .



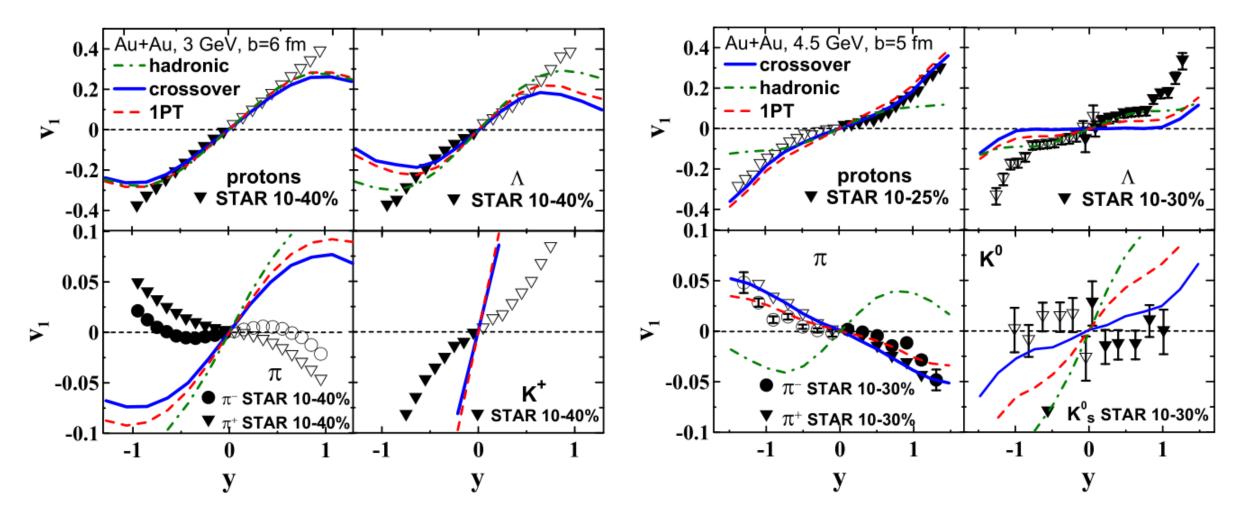
**Resonances of <sup>4</sup>He are unimportant in midrapidity** at the considered collision energies. **Puzzle:** reproduction of the <sup>3</sup>He data is better than that of deuterons, in spite of that <sup>3</sup>He heavier.

#### THESEUS-v2: $m_T$ -spectra of protons.



 $m_T$ -spectra of protons: thermodynamics works good with soft particles and with hard particles not perfect.

#### Directed flow $v_1(y)$ : hadrons



**Fig.:** Directed as function of different hadrons as function of rapidity in semicentral (b = 6 fm) Au+Au collisions.

#### Nearest plans

- $\blacktriangleright$  Study of  $v_1$  puzzle for deuterons:  $p_T$ -differential  $v_1(p_T)$ ;
- Including medium effects;
- Predictions for NICA energies;
- HADES and AGS data;
- Hyper-(anti)nuclei.