Colliders

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<u>Outline</u>

- Types of colliders
- Collision energy and luminosity
- Collider' landscape
- Basics concepts
- Present and Future colliders
- Beam cooling

Types of Colliding Beam Facilities



Since 60's colliders have been the major instrument in the particle physics

<u>Collision Energy and Luminosity</u>

- Gain in collision energy for ultra-relativistic particles
 - One particle stationary:

$$E_{cm} \approx \sqrt{2Emc^2} , \quad E \gg mc^2$$

• Both particles move:

$$E_{cm} = 2E$$

(120 times gain for the LHC)

Number of events in collisions:

$$\frac{dN}{dt} = L\sigma$$

Detectors want constant luminosity

Colliders Landscape

- 59 years since 1st collisions
 - Spring 1964 AdA and VEP-1
- 31 operated since
- 7 in operations now
 - S-KEKB, VEPP-2000, VEPP-4M, BEPC, DAFNE
 - LHC, RHIC
- 1 under construction
 - NICA
- One in a project phase
 - ◆ EIC

Far plans

- Higgs/Electroweak factories
 - ILC
 - FCC: e^+e^-
- Frontier ($E >> E_{LHC}$)
 - FCC: pp

V. Shiltsev and F. Zimmermann: Modern and future colliders

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	Species	E_b, GeV	C, m	\mathcal{L}_{peak}^{max}	Years
AdA	e^+e^-	0.25	4.1	10^{25}	1964
VEP-1	e^-e^-	0.16	2.7	5×10^{27}	1964-68
CBX	e^-e^-	0.5	11.8	2×10^{28}	1965-68
VEPP-2	e^+e^-	0.67	11.5	4×10^{28}	1966-70
ACO	e^+e^-	0.54	22	10^{29}	1967 - 72
ADONE	e^+e^-	1.5	105	6×10^{29}	1969 - 93
CEA	e^+e^-	3.0	226	0.8×10^{28}	1971 - 73
ISR	pp	31.4	943	1.4×10^{32}	1971-80
SPEAR	e^+e^-	4.2	234	1.2×10^{31}	1972 - 90
DORIS	e^+e^-	5.6	289	3.3×10^{31}	1973 - 93
VEPP-2M	e^+e^-	0.7	18	5×10^{30}	1974-2000
VEPP-3	e^+e^-	1.55	74	2×10^{27}	1974 - 75
DCI	e^+e^-	1.8	94.6	2×10^{30}	1977 - 84
PETRA	e^+e^-	23.4	2304	2.4×10^{31}	1978 - 86
CESR	e^+e^-	6	768	1.3×10^{33}	1979-2008
PEP	e^+e^-	15	2200	6×10^{31}	1980-90
$\mathrm{S}par{p}\mathrm{S}$	$p \bar{p}$	455	6911	6×10^{30}	1981-90
TRISTAN	e^+e^-	32	3018	4×10^{31}	1987 - 95
Tevatron	$p\bar{p}$	980	6283	4.3×10^{32}	1987-2011
SLC	e^+e^-	50	2920	2.5×10^{30}	1989 - 98
LEP	e^+e^-	104.6	26659	10^{32}	1989-2000
HERA	ep	30 + 920	6336	7.5×10^{31}	1992 - 2007
PEP-II	e^+e^-	3.1 + 9	2200	1.2×10^{34}	1999-2008
KEKB	e^+e^-	3.5 + 8.0	3016	2.1×10^{34}	1999-2010
VEPP-4M	e^+e^-	6	366	2×10^{31}	1979-
BEPC-I/II	e^+e^-	2.3	238	10^{33}	1989-
$DA\Phi NE$	e^+e^-	0.51	98	4.5×10^{32}	1997-
RHIC	p,i	255	<u>3834</u>	2.5×10^{32}	2000-
LHC	p, i	6500	26659	2.1×10^{34}	2009-
VEPP2000	e^+e^-	1.0	24	4×10^{31}	2010-
S-KEKB	e^+e^-	7 + 4	3016	8×10^{35} *	2018-

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Colliders: Energy





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Highest Energy = Highest Field SC Magnets

8.3T

LHC.

4.5T



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Fermilab

Some Basic Concepts of Accelerator Physics

Betatron Oscillations, Tune



Particle trajectory

 As particles go around a ring, they will undergo a number of <u>betatron</u> oscillations v (sometimes Q) given by

$$\nu = \frac{1}{2\pi} \oint \frac{ds}{\beta(s)}$$

- This is referred to as the <u>"tune"</u>
- We can generally think of the tune in two parts:

Integer : - 64.31 Fraction: magnet/aperture Beam optimization Stability

<u>Emittance</u>

- As a particle returns to the same point on subsequent revolutions, it will map out an ellipse in phase space
 - Emittance = $\sigma_x \sigma_\theta$
- Normalized emittance: $\varepsilon_n = \varepsilon \gamma \beta$ - adiabatic invariant
 - Beam size:

$$\sigma_{x,y} = \sqrt{\frac{\varepsilon_n \cdot \beta_{x,y}}{\gamma}}$$

Luminosity $\sim 1/\epsilon$



Collider Spot Size



Beam-beam Effects

The beam-beam tune shift is similar to the space charge tune shift but is engaged in the IPs only. The tune shift per IP:

$$\begin{bmatrix} \delta v_{BB_{x}} \\ \delta v_{BB_{y}} \end{bmatrix} = \frac{r_{p} Z^{2} N_{i}}{4\pi A \beta^{2} \gamma} \frac{1 + \beta^{2}}{\left(\sigma_{x} + \sigma_{y}\right)} \begin{bmatrix} \beta_{x}^{*} / \sigma_{x} \\ \beta_{y}^{*} / \sigma_{y} \end{bmatrix}, \quad \sigma_{x,y} = \sqrt{\beta_{x,y}^{*}} \varepsilon_{x,y} + \left(D_{x,y}^{*} \sigma_{p}\right)^{2}$$

low-beta

pole

For round beam

$$\delta v_{SC_X} = \frac{r_p Z^2 N_i}{8\pi A \beta^2 \gamma} \frac{1+\beta^2}{\varepsilon}$$

- Magnetic field of counter rotating beam almost doubles force, $1+\beta^2$
- Note that for large synchrotron amplitude the tune shift increase due to larger beta-function with longitudinal displacement is compensated by decrease of space charge field => no dependance on bunch length

Smaller β^* yields larger β -function and beam size in quads $\beta(s) = \beta^* + s^2 / \beta^*$



Collider Betatron Tunes

- Stochastic cooling requires betatron tunes close to half-integer to avoid the Schottky band overlap
- Odd resonances are suppressed in the absence of parasitic collisions
- Tunes ~[x.42, x.46] are chosen for NICA (same as Recycler)
 - Inversion of Tevatron tunes ($\sim 0.582 \rightarrow 0.418$)
- Tevatron suffers from 7-th order (parasitic collisions) and 12-th order (will be suppressed by cooling in NICA)



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<u>Possible Values of Tune Shifts</u>

- Achieved values of tune shifts
 - Space charge
 - NAPM ~0.15 (strong el. cooling, 200000 turns)
 - Fermilab Booster ~0.3 (only ~2000 turns at low energy) •
 - JPARK, PS Booster $\sim 0.5-0.6$ (high accuracy of super-periodicity)
 - Beam-beam
 - VEPP-2 ~0.2 (round beams) •
 - Typical $e^+e^- \sim 0.05$ (fast SR damping) •
 - Typical hadron beams (Tevatron, LHC) ~0.01-0.015 per IP
 - Low energy RHIC ~0.1 (bad life time)
- Ratio of tune shifts:
- $\frac{\delta v_{BB}}{\delta v_{SC}} = N_{IPs} \sqrt{\frac{\pi}{2}} \frac{\sigma_s}{C} \gamma^2 \left(1 + \beta^2\right)$ For the present NICA parameters, the beam-beam tune shifts are much smaller than the space charge ones and, in the first approximation, can be neglected
- Note that for the same tune shift the beam-beam effect is more destructive than the space charge due to kick concentration near IPs
- For NICA we choose total $\Delta v = \Delta v_{SC} + 2\Delta v_{BB} \sim 0.05$





Intrabeam Scattering

- Intrabeam scattering is determined by two major mechanisms
 - Temperature exchange between degrees of freedom
 - Landau collision integral describes the temperature exchange:

$$\frac{\partial f}{\partial t} = -\frac{2\pi e^4 nL_c}{m^2} \frac{\partial}{\partial v_i} \int \left(f \frac{\partial f'}{\partial v'_j} - f' \frac{\partial f}{\partial v_j} \right) \frac{u^2 \delta_{ij} - u_i u_j}{u^3} d^3 v'$$
$$\mathbf{u} = \mathbf{v} - \mathbf{v}', \quad \int f d^3 \mathbf{v} = 1$$

- Additional heating related to non-zero dispersion
 - Scattering with particle momentum change results in additional betatron oscillations due to instant change of reference orbit

$$\Delta x = D \frac{\Delta p}{p} \xrightarrow{smooth \, lattice} \Delta \varepsilon_x = \frac{1}{2} \frac{\Delta x^2}{\beta_x} = \frac{D^2}{2\beta_x} \left(\frac{\Delta p}{p}\right)^2$$

Relatively simple equations in the smooth lattice approximation

- Below transition there is an equilibrium state where no emittance growth
- Particle mass changes "its sign" above the transition. That yields unlimited emittance growth (energy is taken from the beam energy)

Luminosity Lifetime

- Sources of particle loss
 - Scattering at the residual gas
 - Rutherford scattering
 - Nuclear scattering
 - Capture of residual gas electrons (fully stripped heavy ions,E<1 GeV)
 - Multiple small-angle scattering leading to *dɛ/dt* in cooling absence Without cooling more powerful mechanism than single scattering
 - Nuclear and Rutherford scattering in the IPs
 - Noise in RF system (phase and amplitude)
 - Electron capture in the electron cooler
 - Non-linear resonances due to space charge and beam-beam effects
 - Very powerful mechanism typically observed at the store beginning in the absence of cooling
 - Electron cooling rate grows fast with decrease of amplitude. That can lead to overcooling and particle loss increase with time
 Observed in Fermilab Recycler

<u>Luminosity Evolution</u>

$$L = \gamma f_B \frac{N_1 N_2}{4\pi \beta^* \varepsilon} H(\sigma_s / \beta^*)$$

Factors change in time: $L(t) = C \frac{N_1(t)N_2(t)}{\varepsilon(t)} H(t)$

Therefore, in the absence of cooling the lifetime





LHC luminosity plot

Present Hadron Colliders



RHIC (BNL, Brookhaven)



RHIC is NICA's main competitor

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Colliders That Will Be



EIC (BNL, Brookhaven)



Cooling at Collision Energy

- The planned luminosities of hadron colliders cannot be achieved without beam cooling at collisions (LHC has SR damping)
 Present cooling technologies are good enough to support NICA
 However, there is a great challenge to cool dense high energy bunches at the collision energy in ep-collider planned by BNL
 - ♦ BNL demonstrated stochastic cooling of heavy fully stripped ions at ~150 GeV/a at RHIC
 - However, due to much larger number of protons per bunch in ep-collider, the cooling rate for proton beam are way too small to be useful
- We need cooling method capable to cool dense ultra relativistic bunches
 - Present electron cooling technology does not allow cooling above 10 GeV
 - Present technology of stochastic cooling based on microwaves (<10 GHz) has cooling rates 2-3 orders of magnitude below required
- Possible was to address the problem: stochastic cooling at optical frequency & electron cooling not based on electrostatic acceleration

Stochastic Cooling

- Invented in 1969 by Simon van der Meer Naïve cooling model
 - 90 deg. between pickup and kicker

$$\delta\theta = -g\theta$$

Averaging over betatron oscillations yields

$$\delta \overline{\theta^2} = -\frac{1}{2} 2g \overline{\theta^2} \equiv -g \overline{\theta^2}$$

Adding noise of other particles yields $\delta \overline{\theta^2} = -g \overline{\theta^2} + N_{sample} g^2 \overline{\theta^2} \equiv -(g - N_{sample} g^2) \overline{\theta^2}$

That yields

$$\delta \overline{\theta^2} = -\frac{1}{2} g_{opt} \overline{\theta^2}$$
, $g_{opt} = \frac{1}{2N_{sample}}$, $N_{sample} \approx N \frac{f_0}{W}$

In accurate analytical theory the cooling process is described by Fokker-Planck equation

The theory is built on the same principle as plasma theory – which is a perturbation theory (large number of particles in the Debye sphere versus large number of particles in the sample Page | 22



Electron cooling

- Invented in 1966 by A. M. Budker
 - In the beam frame heavy particles come into equilibrium with electron gas
- Tested experimentally in BINP, Novosibirsk, in 1974-79 at NAP-M
 - 35 MeV electron beam (65 MeV per nucleon)
 - Magnetized electron cooling



- Many installations since then, up to 300 kV electron beam (GSI, Darmstadt)
- FNAL 4.3 MeV cooler was the next step in technology
- 2 MeV cooler for COSY built by BINP





Electron Cooling at FNAL (1)

- Fermilab made next step in the electron cooling technology
- Main Parameters
 - ♦ 4.34 MeV pelletron
 - Up to 0.5 A DC electron beam with radius of about 4 mm
 - Magnetic field in the cooling section 100 G
 - ♦ Interaction length 20 m (out of 3319 m of Recycler



Stochastic Cooling at Optical Frequencies

- Coherent electron cooling (Derbenev, ~1980)
 - ◆ FEL based (Derbenev, Litvinenko, ~2006)
 - Techniques suggested to increase the relative bandwidth
 - Microbunch instability based (D. Ratner)
 - Plasma cascade instability (Litvinenko)
 - Optical stochastic cooling (OSC) (~2005)
 - Suggested by Zolotorev, Zholents and Mikhailichenko
 - ♦ OSC is the only cooling method tested experimentally which is capable to cool a proton bunched beam at collisions for energies above ~300 GeV
 - Electron cooling (20 100 MeV)
 - Based on an energy recovery linac
 - Based on an electron beam rotated in a ring



The test was carried out with 100 MeV electrons in a passive regime. OSC increased the SR radiation cooling rates for all degrees of freedom by almost an order of magnitude
 Test of OSC in active regime (with OA) is planned to happen within few years

Major Questions in Nuclear Physics

- How do quarks and gluons give rise to the properties of strongly interacting particles?
- How does the structure of nuclei emerge from nuclear forces?
- What physics lies beyond the Standard Model?
- What are the phases of strongly



interacting matter, and what roles do they play in the cosmos?

Spin structure of the proton/deuteron (g-factor)



Why NICA?

- NICA is built to answer the last 2 questions
- Unique niche
 - Two major competitors (LHC & RHIC) have too large energy to get to the ultimate luminosity in the interesting region of low energy of few GeV/n
 - From accelerator physics point of view NICA has complete set of problems/technologies present in modern hadron colliders
 - Ultrahigh vacuum
 - Superconducting magnets
 - Large beam current results in beam instabilities
 - ⇒ Feedback systems for suppression of instabilities
 - Low-beta optics brings dynamic aperture limitations
 - Careful design of machine optics, optical measurements and correction
 - Electron and stochastic cooling at collisions
 - Instrumentation and controls required for modern colliders

NICA Layout



Initial operation: Bi-Bi collisions
The second stage (5-10 years later): collisions of polarized protons/deuterons (spin structure)

Scheme of the collider ring



Two rings: one above another Collision energy in the ion mode: $2 \cdot (1.5 \div 4.5)$ GeV/n

Collider Electron Cooler



Detector MPD



<u>**Colliders : Most Important Topics/Effects</u>**</u>

- Engineering of magnets, RF, Power supplies, vacuum, particle sources, targets, diagnostics, collimators, etc
- Beam physics (incomplete list)
 - One particle: beam optics, long-term stability, resonances, losses, noises, diffusion/emittance growth, etc
 - One beam: instabilities, synchrotron radiation, beam-induced radiation deposition, intrabeam scattering, cooling, space-charge effects and compensation
 - Two-beams: beam-beam effects and compensation, beamstrahlung, machine-detector interface, etc
 - Beam cooling (electron, ionization, stochastic)