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### 0.11 .41

"Study of $\Lambda$ - hyperon production in collisions of heavy ions with solid targets in the BM@N experiment"

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## BM@N at NICA Complex



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## Physical motivation BM@N experiment



Hyperon yield in 4A GeV Au+Au:


EoS study for symmetric matter at $\rho / \rho_{0}=3-5, \rho_{0}=0.16 \mathrm{fm}^{-1}$ :

- Elliptical flow of protons, mesons and hyperons;
- Sub-threshold production of strange mesons and hyperons extract nuclear;
- Incompressibility $\left(K_{m n}\right)$ from the modeled data;

Ch.Fuchs, EPJA 30 (2006) 5



EoS: The relation between density, pressure, temperature, energy and isospin asymmetry.

$$
\begin{aligned}
E_{A}(\rho, \delta) & =E_{A}(\rho, 0)+E_{A}(\rho) \delta^{2} \\
\delta & =\left(\rho_{n}-\rho_{\rho}\right) / \rho
\end{aligned}
$$

Incompressibility of the nucleus: $K_{m n}=\left.9 \rho^{2} \frac{\partial^{2}}{\partial \rho^{2}}(E / A)\right|_{\rho=\rho_{0}}$


## Goal and tasks of the job

## Goal of the job:

To develop an effective procedure for $\Lambda^{0}$ signal extraction, which will allow us to estimate the production cross section in the $\Lambda^{0} \rightarrow p+\pi^{-}$decay channel and the $\Lambda^{0}$ yields formed in the interaction of heavy ions with the nuclei of solid targets.

## Tasks:

- To get the efficiency of signal reconstruction in the MC.
- To plot the mass distribution $\Lambda^{0} \rightarrow p+\pi^{-}$with efficiency $\omega_{i}$ over the kinematic range ( $\mathrm{p}_{\mathrm{T}} \mathrm{y}$ ).
- To Define kinematic areas with low reconstruction efficiency $\omega_{i}$.
- Perform measurement of areas of low efficiency using the GQSM model.
- To estimate the number of extracted signal by the fitting method.
- To obtain the cross sections and yields in $\mathrm{C}+\mathrm{A}(4,4.5 \mathrm{AGeV})$ reactions.


## Study of the $\Lambda$ hyperon in the BM@N experiment

- $\mathrm{BM} @ \mathrm{~N}$ can only register charged particle signals in the run6 configuration.
- The main focus is on the decay $\Lambda \rightarrow p \pi$ - with a decay probability of $64 \%$.

| Mass | $m_{\Lambda}=1115.683 \pm 0.006 \mathrm{MeV}$ |
| :---: | :---: |
| Mean life | $\tau=(2.632 \pm 0.020) \times 10^{-10} \mathrm{c}$ |
| Decay length | $\mathrm{c} \tau=7.89 \mathrm{~cm}$ |
| Baryon charge | $\mathrm{B}=+1$ |
| strangeness | $\mathrm{S}=-1$ |
| Coulomb charge | $\mathrm{Q}=0$ |
| $\Lambda \rightarrow p \pi^{-}$ | $B R=(63.9 \pm 0.5) \%$ |
| $\Lambda \rightarrow p \pi^{0}$ | $B R=(35.8 \pm 0.5) \%$ |

- The $\Lambda$-decay is reconstructed by its invariant mass: $m_{i n v}=\sqrt{\left(E_{p}+E_{\pi^{-}}\right)^{2}-\left(\overrightarrow{p_{p}}+\overrightarrow{p_{\pi^{-}}}\right)^{2}}$;
- The equation includes the moments of the decay products p and $\pi$ - and the opening angle of their direction vectors at the decay vertex;
The parameters set the limits of the analysis:
- Detector acceptance, momentum, and angular resolution (defines mass resolution);
- Primary and secondary vertex reconstruction, providing tools for background separation;

Setup scheme (spring 2017)


I decay reconstruction in Central tracker(Si+GEM) in $\mathrm{C}+\mathrm{A}$ interaction
$\mathbf{C}+\mathbf{A} \rightarrow \mathbf{X}, \mathbf{A}: \mathbf{C}, \mathbf{A l}, \mathbf{C u}, \mathbf{S n}, \mathbf{P b}$

## Gas Electron Multiplier (GEM) system:

To measure momenta of a charged particle and reconstruct the interaction point

Selection of events with $\boldsymbol{\Lambda}$ hyperon


$$
\Lambda \rightarrow p+\pi^{-}
$$



Event topology:
PV - primary vertex
V0 - vertex of hyperon decay
dca - distance of the closest approach path - decay length

Criteria for the selection of $\boldsymbol{\Lambda}$-hyperons:
$\checkmark$ Each track has at least 4 of the 6 hits in (GEM);
$\checkmark p_{\text {pos }}<3.9(4.4) \mathrm{GeV} / \mathrm{c}$ for a beam energy of 4 (4.5) AGeV;
$\checkmark p_{\text {neg }}>0.3 \mathrm{GeV} / \mathrm{c}$;
$\checkmark$ dca $<1 \mathrm{~cm}$;
$\checkmark$ Distance between the decay vertex $\mathrm{V}_{0}$ and the primary vertex: path > 2.0-2.5 cm (target dependent).
*K. A. Alishina, Yu. Yu. Stepanenko, A.Y Khukhaeva" Gem residuals corrections in monte-carlo simulation for the run 6 at the BM@N experiment", PEPAN letters - volume 19, part 5, 2022

## Procedure in MC modelling(QGSM)

1. Divide the kinematic measuring range by $\mathrm{y}, \mathrm{p}_{\mathrm{T}}$ into $(8 \mathrm{x} 8)$ cells in the MC simulation;

## Kinematic measuring range:

$0.1<p_{T}<1.05 \mathrm{GeV} / \mathrm{c}$
4 AGeV: $1.2<\mathrm{y}_{\text {lab }}<2.1$
4.5 AGeV: $1.25<y_{\text {lab }}<2.15$

| h18 | h28 | h38 | h48 | h58 | h68 | h78 | h88 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| h17 | h27 | h37 | h47 | h57 | h67 | h77 | h87 |
| h16 | h26 | h36 | h46 | h56 | h66 | h76 | h86 |
| h15 | h25 | h35 | h45 | h55 | h65 | h75 | h85 |
| h14 | h24 | h34 | h44 | h54 | h64 | h74 | h84 |
| h13 | h23 | h33 | h34 | h53 | h63 | h73 | h83 |
| h12 | h22 | h32 | h42 | h52 | h62 | h72 | h82 |
| h11 | h21 | h31 | h41 | h51 | h61 | h71 | h81 |

2. To get the number of events generated by the MC;
3. Fit with function $(*)$ the $8 \times 8$ matrix cells of the MC for the reconstructed events with $\Lambda$.

Function for background estimation:

$$
\begin{equation*}
f_{b g}=N \cdot\left(x-M_{0}\right)^{A} \cdot e^{-B \cdot\left(x-M_{0}\right)} \tag{*}
\end{equation*}
$$

Where $\mathrm{N}, \mathrm{A}, \mathrm{B}$ are free parameters of the fitting function, $\mathrm{M}_{0}=1.078$ ГэВ $/ \mathrm{c}^{2}, x$ is the mass value.
4. To get the weight of each cell: $\omega_{i}=M C_{r e c_{-} i} / M C_{g e n_{-} i}$, where $M C_{r e c_{-} i}$ is the number of extracted MC signal (step 3), $M C_{g e n_{-} i}$ is the number of events generated by the MC ;

## QGSM generated $\Lambda^{\prime}$ s for $\mathrm{P}_{\mathrm{T}}$

$\mathbf{P}_{\mathrm{T}, \mathrm{GeV} / \mathrm{c}}$




## Distribution of the reconstructed signal in the MC BM@:


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## Distribution of the reconstructed signal in the MC




$1.55<y<1.65,0.20<\mathrm{pt}<0.30$
22
20
18
16
14
12
10
8
6
4
2

All events: 10292 BG: $8507 \pm 87$ SIG: $1785 \pm 137$ ( $\chi$ /ndf): 1.08 M0: 1.071
$1.60<y<1.70,0.30<\mathrm{pt}<0.40 \quad$ All events: 11111



Set the boundary $\boldsymbol{\omega}_{\boldsymbol{i}} \geq \mathbf{0 . 0 1}$ - cells below this boundary are discarded.

## Extrapolation procedure from simulated data

- Let's highlight the areas where cells have been discarded from consideration (Purple rectangles);
- Sum all the cells in two neighboring columns by the rapidity y;
- $\quad$ Sum the cells in which the efficiency $\boldsymbol{\omega}_{\boldsymbol{i}} \geq \mathbf{0 . 0 1}$;
- To obtain extrapolation factors by the formula : $\mathrm{f}_{\text {extrcon }}$
$=N_{\text {all }(\mathrm{a}+\mathrm{b})} / N_{\text {con }(\mathrm{a}+b)} ;$
$N_{\text {all }(\mathrm{a}+\mathrm{b})}$ - sum of all generated events in paired columns( $\left.\mathrm{a}, \mathrm{b}\right)$ by $\mathrm{y} ; N_{\text {con }(a+b)}-\operatorname{sum}$ of all considered in paired columns $(\mathrm{a}, \mathrm{b})$ by y ;
- Multiply $\mathrm{f}_{\text {extrcon }}$ by the content of the histogram $M_{i n v}\left(\Lambda \rightarrow p \pi^{-}\right)$in the data for the kinematic respective region;
- To obtain distributions $M_{\text {inv }}\left(\Lambda \rightarrow p \pi^{-}\right)$to estimate the number of reconstructed $\Lambda$ - hyperons;



## Extrapolation from the QGSM model







## Procedure in DATA C $+\mathrm{A} \rightarrow \mathrm{X}$

1) Split the area by $y$, $p_{T}$ into smaller cells in DATA (8x8);
2) Apply cuts on the efficiency $\boldsymbol{\omega}_{\boldsymbol{i}} \geq \mathbf{0 . 0 1}$;
3) Plot mass histogram with weight of $1 / \omega_{i}$;
4) Applying extrapolation;
5) Sum the cells by $\sum_{i j} y_{i j}$ and by $\sum_{i j} p T_{i j}$

| Reaction <br> $\mathrm{C}+\mathrm{C}$ | signal <br> $N_{\text {rec }}\left(p_{T} / y\right)$ |
| :---: | :---: |
| 4.0 AGeV | 30672 |
| 4.5 AGeV | 20200 |

- $\quad \Lambda$ signal width $\sim 2.0-4 \mathrm{MeV}$ (due to low statistics);
- Signal = hist - Background(bg) in $\mathbf{1 1 0 7 . 5 - 1 1 2 5 ~ M e V / c ^ { 2 }}$;
- Background $\rightarrow$ 4th polynomial(Blue dashed);
- $\operatorname{err}($ stat $)=\sqrt{\sum w_{i}}$;




## Procedure in DATA $\mathrm{C}+\mathrm{A} \rightarrow \mathrm{X}$

1) Split the area by $y$, $p_{T}$ into smaller cells in DATA (8x8);
2) Apply cuts on the efficiency $\boldsymbol{\omega}_{\boldsymbol{i}} \geq \mathbf{0 . 0 1}$;
3) Plot mass histogram with weight of $1 / \omega_{i}$;
4) Applying extrapolation;
5) Sum the cells by $\sum_{i j} y_{i j}$ and by $\sum_{i j} p T_{i j}$

| Reaction <br> $\mathrm{C}+\mathrm{Cu}$ | signal <br> $\Lambda$$N_{\text {rec }}\left(p_{T} / y\right)$ |
| :---: | :---: |
| 4.0 A GeV | 76295 |
| 4.5 A GeV | 113404 |

- $\quad \Lambda$ signal width $\sim 2.0-4 \mathrm{MeV}$ (due to low statistics)
- Signal = hist - Background(bg) in $\mathbf{1 1 0 7 . 5 - 1 1 2 5} \mathrm{MeV} / \mathrm{c}^{2}$
- Background $\rightarrow$ 4th polynomial(Blue dashed)
- $\operatorname{err}($ stat $)=\sqrt{\sum w_{i}}$


## Cross sections and yields of the $\Lambda \rightarrow \mathrm{p} \pi^{+}$

The inclusive cross section $\sigma_{\Lambda}$ and $Y_{\Lambda}$ of $\Lambda$ hyperon in $C+A$ interactions are calculated in bins of $y$ (pT) according to the formulae:

$$
\begin{align*}
& \sigma_{\Lambda}(y)=\sum y\left[N_{\text {rec }}^{\Lambda}\left(y, p_{T}\right) / \varepsilon_{\text {rec }}\left(y, p_{T}\right) \cdot \varepsilon_{\text {trig }} \cdot \varepsilon_{\text {pileup }} \cdot L\right]  \tag{**}\\
& \sigma_{\Lambda}\left(p_{T}\right)=\sum p_{T}\left[N_{\text {rec }}^{\Lambda}\left(y, p_{T}\right) / \varepsilon_{\text {rec }}\left(y, p_{T}\right) \cdot \varepsilon_{\text {trig }} \cdot \varepsilon_{\text {pileup }} \cdot L\right]  \tag{**}\\
& Y_{\Lambda}(y)=\sigma_{\Lambda}(y) / \sigma_{\text {inel }} \\
& Y_{\Lambda}\left(p_{T}\right)=\sigma_{\Lambda}\left(p_{T}\right) / \sigma_{\text {inel }}
\end{align*}
$$

$$
(* * *)
$$

$$
(* * *)
$$

where $L$ is the luminosity, $N_{r e c}^{\Lambda}$ is the number of recontacted $\Lambda$-hyperons, $\varepsilon_{r e c}$ is the combined efficiency of the $\Lambda$ - hyperon reconstruction, $\varepsilon_{\text {trig }}$ is the trigger efficiency, $\varepsilon_{\text {pileup }}$ is the suppression factors of reconstructed events, $\sigma_{\text {inel }}$ - is the cross section for minimum bias inelastic $\mathbf{C}+\mathrm{A}$ interactions.

## Beam kinetic energy 4.0 GeV

| Target | $\mathbf{C}+\mathbf{C}$ | $\mathbf{C}+\mathbf{C u}$ |
| :---: | :---: | :---: |
| Yields total(preliminarily) | $0,0112 \pm 0,0011$ (stat) | $0,0302 \pm 0,0023$ (stat) |


|  | Beam kinetic energy 4.5 GeV |  |
| :---: | :---: | :---: |
| Target | $\mathbf{C}+\mathbf{C}$ | $\mathbf{C}+\mathbf{C u}$ |
| Yields total(preliminarily) | $0,012 \pm 0,0015$ (stat) | $0,0366 \pm 0,0028$ (stat) |

## Done:

$\checkmark$ The $\Lambda^{0}$ reconstruction efficiency was determined in each of the 64 cells for $\mathrm{C}+\mathrm{A}$ reaction separately in MC.
$\checkmark$ Cells with $\omega_{i}<0.01$ were identified and excluded from the analysis.
$\checkmark$ An extrapolation procedure was developed and applied to measure regions with $\omega_{i}<0.01$.
$\checkmark$ Mass distributions $\Lambda^{0}$ were obtained with weight $\omega_{i}$ for each cell out of 64 in the MC and physical data.
$\checkmark$ Preliminary results on the computation of yields and cross sections were obtained. $\mathrm{C}+\mathrm{C}$, $\mathrm{C}+\mathrm{Cu}(4,4.5)$ results are reported.

## Plans:

Obtain final results taking into account systematic error.
To apply the skills obtained in the analysis of Xe + GsI.

## BM@:

## Thank you for your attention!



