

About tracking efficiency in SpdRoot

Ruslan Akhunzyanov

JINR

SPD Physics Weekly Meeting
October 10, 2023

Generation of events

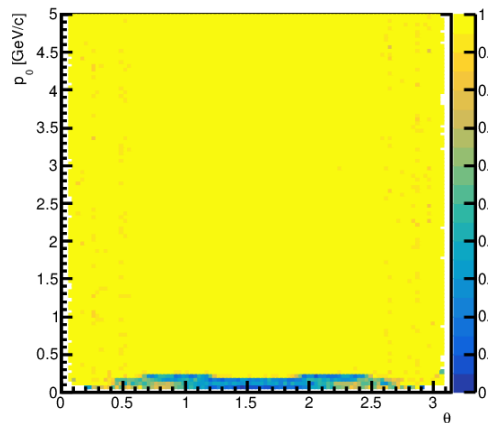
- SpdRoot: branch **geometry-update-spring-2023**
- Inner tracker: DSSD
- Two artificial samples were generated:
 - Pions: isotropical, $p = 0 \dots \mathbf{5}$ GeV/c (with step 0.05 GeV/c),
 $Z_{\text{primary vertex}} = \mathbf{0}$.
 - Pions: isotropical, $p = 0.1 \dots \mathbf{1}$ GeV/c (with step 0.01 GeV/c),
 $Z_{\text{primary vertex}} = \mathbf{0}$.

Reconstruction

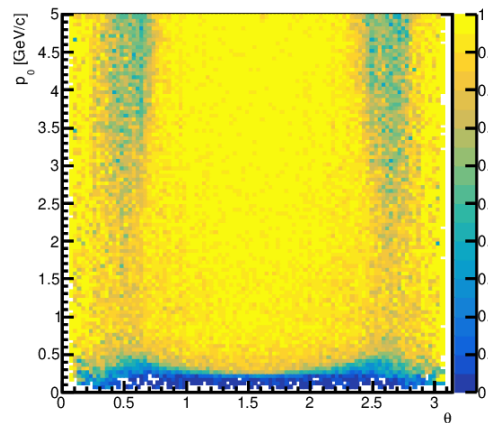
- Ideal track finding.
- The only requirement for a particle to be accepted as a track (in SpdMCTracksFinder) was total **N hits ≥ 3** .
- The corrected function for the drift radius calculation is used (see [my talk at SPD Physics Weekly Meeting, Sep 19, 2023](#)).

Efficiency of track quality cuts. Pions, $0 < p_0 < 5 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

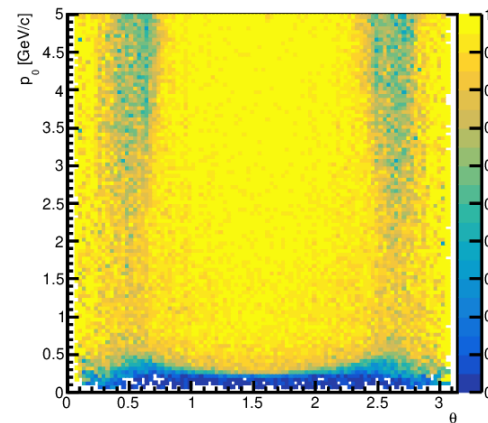
efficiency [!HasErrorMesg()]



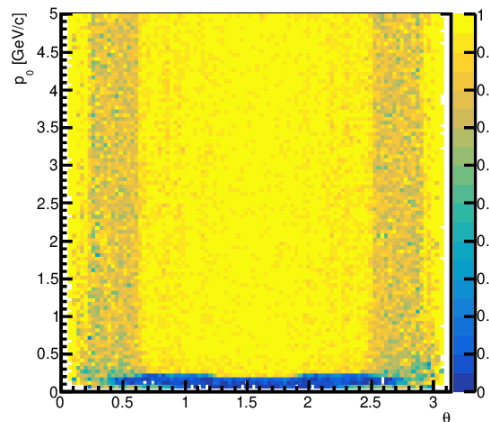
efficiency [fConvergencyGF = 1]



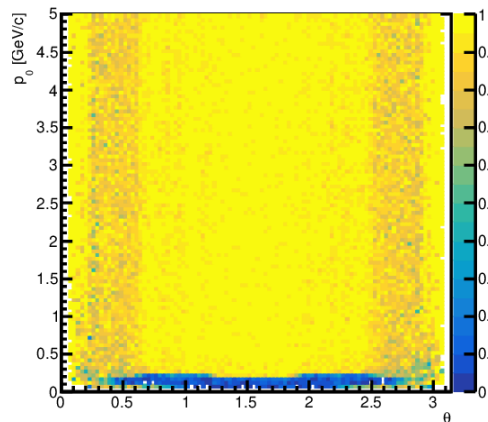
efficiency [fConvergencyGF = ±1]



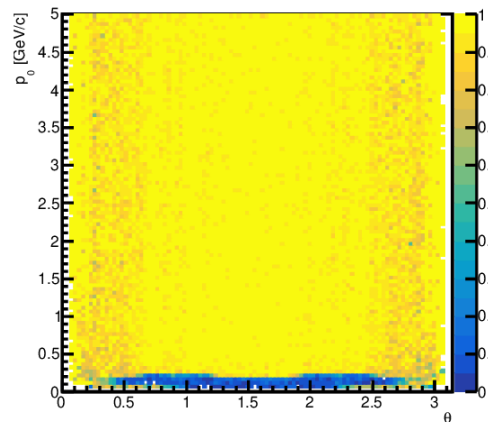
efficiency [$\chi^2/\text{ndf} < 2$]



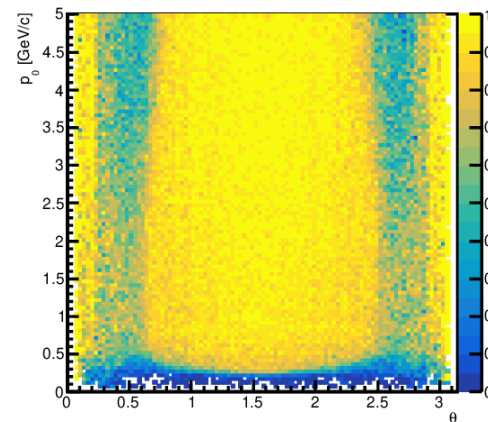
efficiency [$\chi^2/\text{ndf} < 4$]



efficiency [$\chi^2/\text{ndf} < 10$]

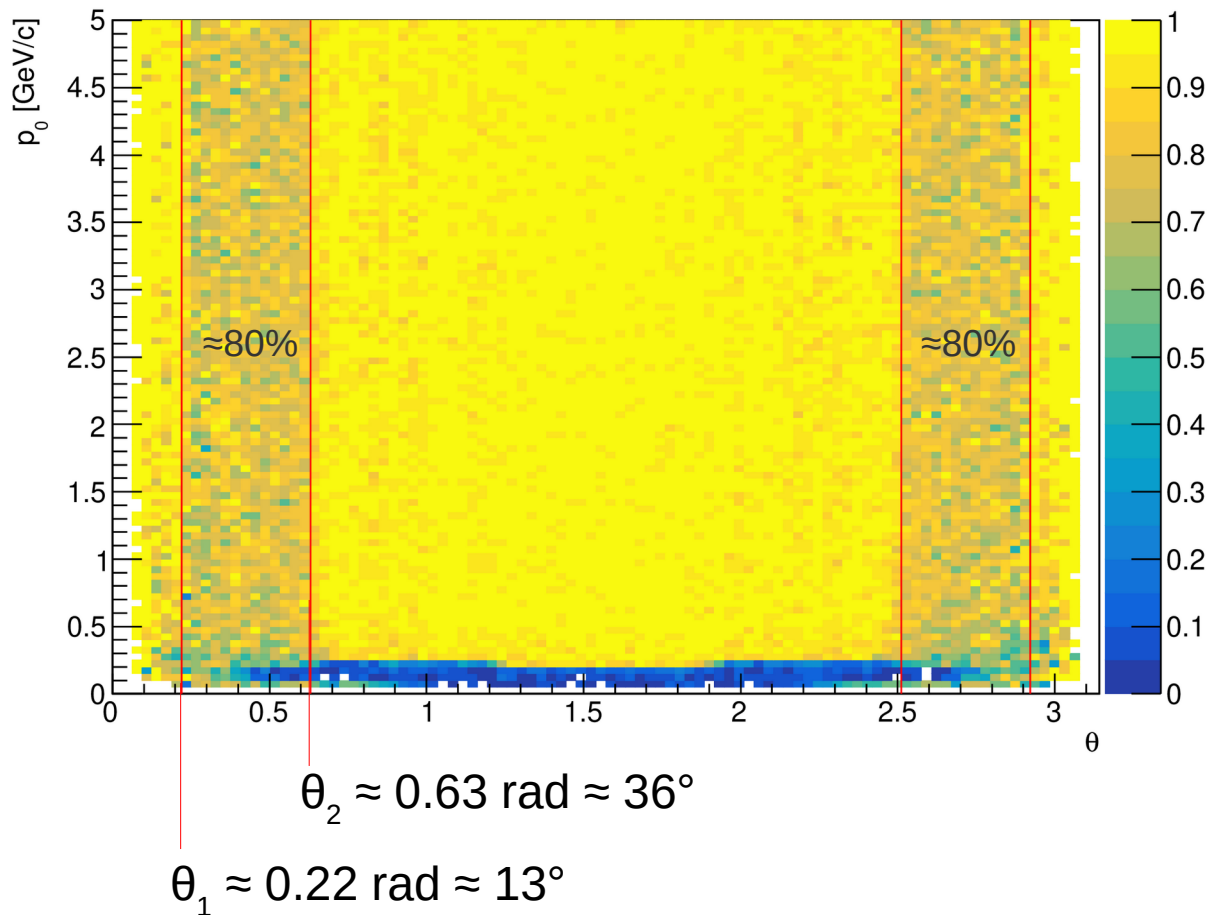


efficiency [all cuts]

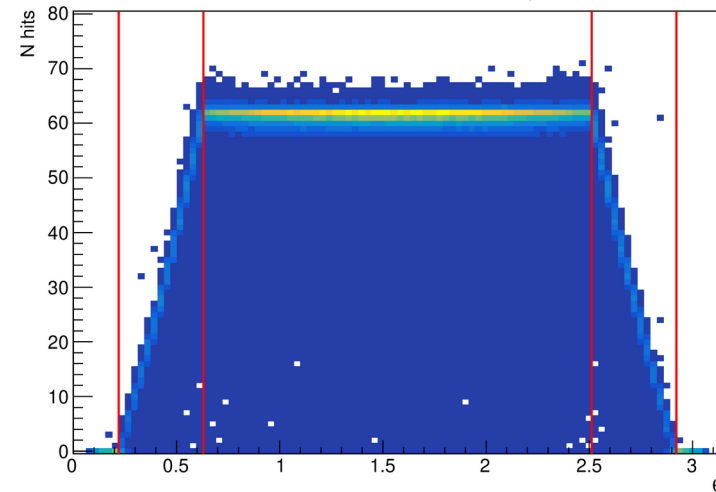


Number of hits. Pions, $0 < p_0 < 5 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

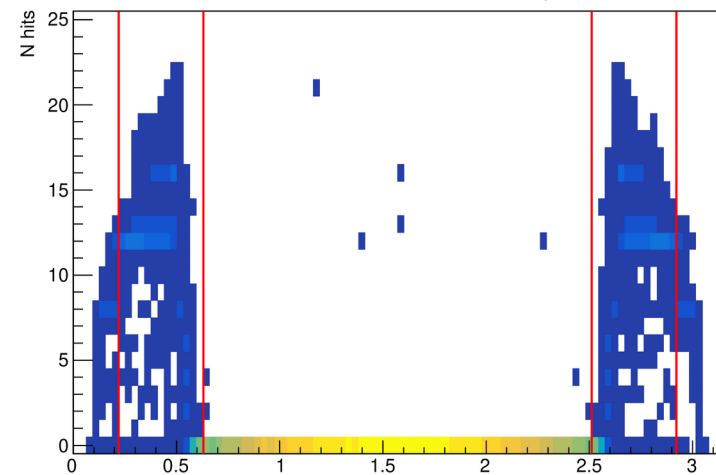
efficiency [$\chi^2/\text{ndf} < 2$]



N hits TsB ($p_0 > 1 \text{ GeV}/c$)

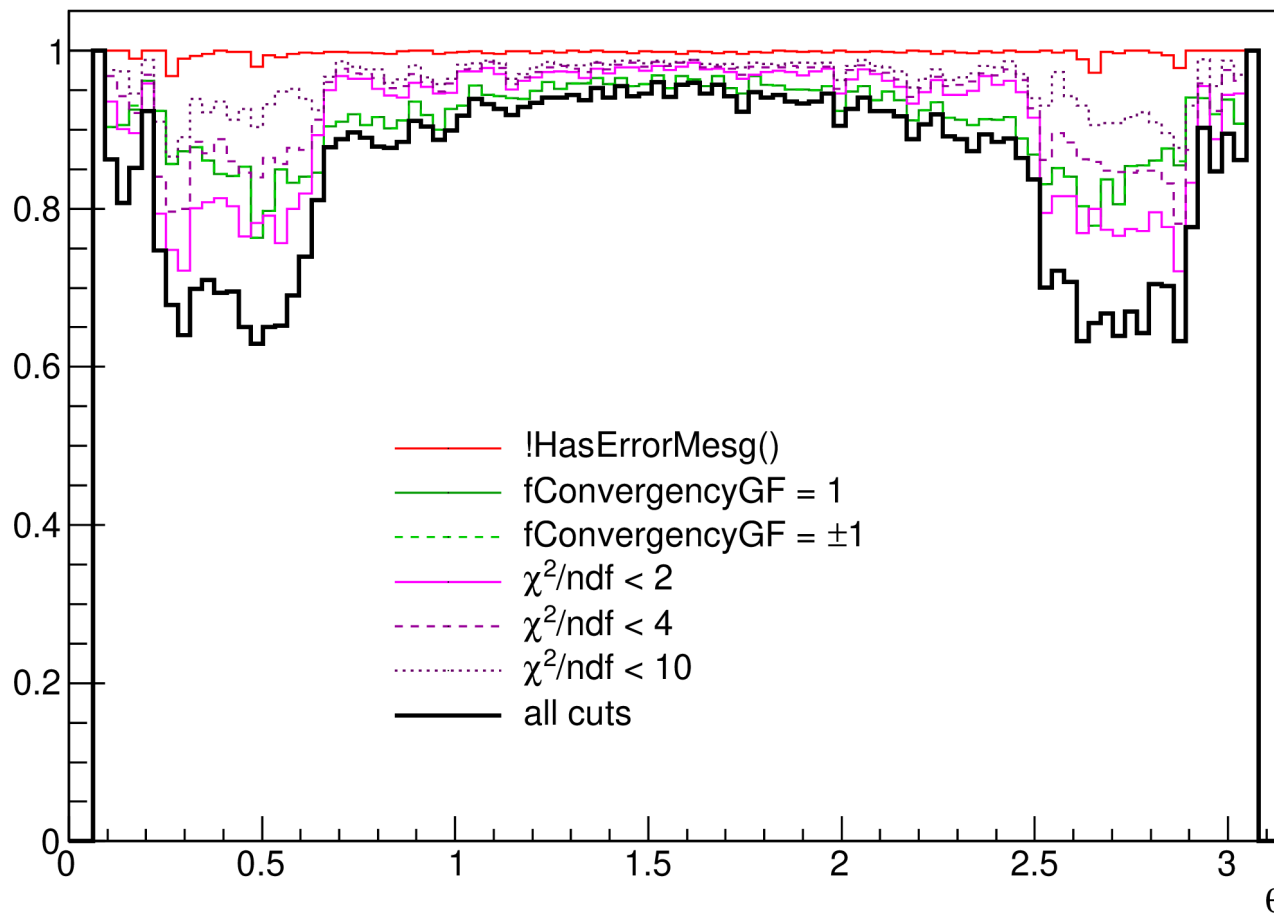


N hits TsEC ($p_0 > 1 \text{ GeV}/c$)



Efficiency of track quality cuts. Pions, $1 < p_0 < 2 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

$1 < p_0 < 2$

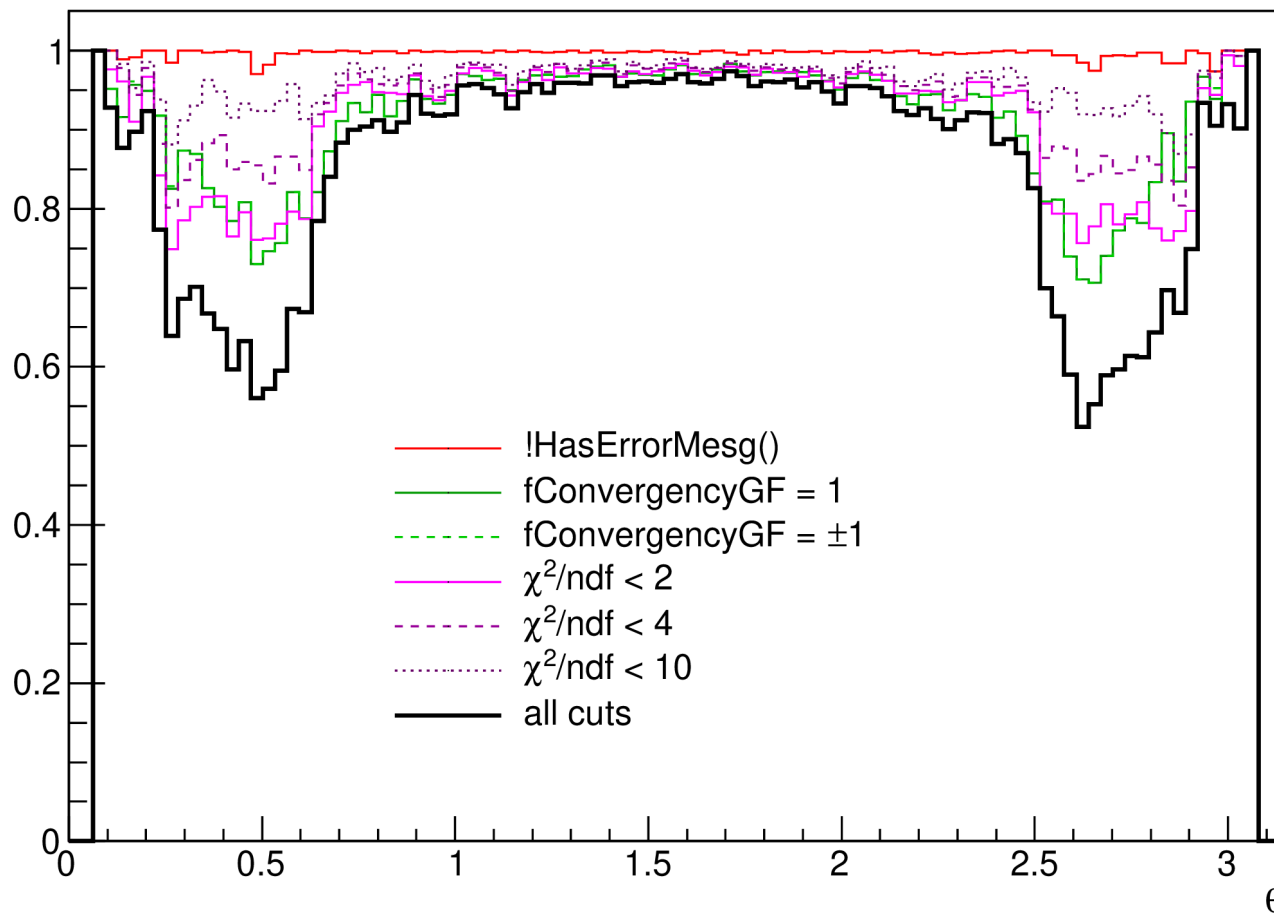


At $\theta = \pi/2$: 94%

Minimal: 63%

Efficiency of track quality cuts. Pions, $2 < p_0 < 3 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

$2 < p_0 < 3$

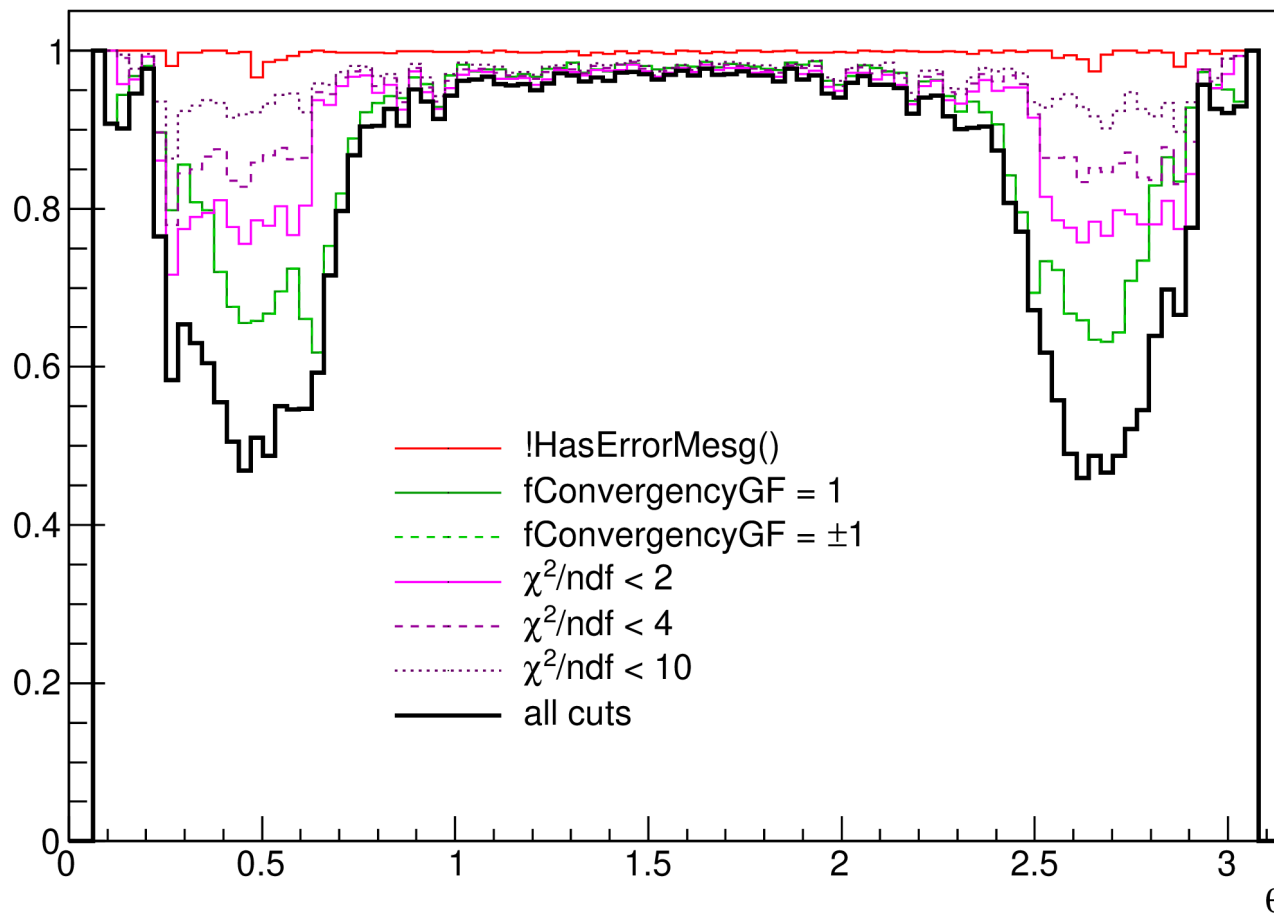


At $\theta = \pi/2$: 96%

Minimal: 52%

Efficiency of track quality cuts. Pions, $3 < p_0 < 4 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

$3 < p_0 < 4$

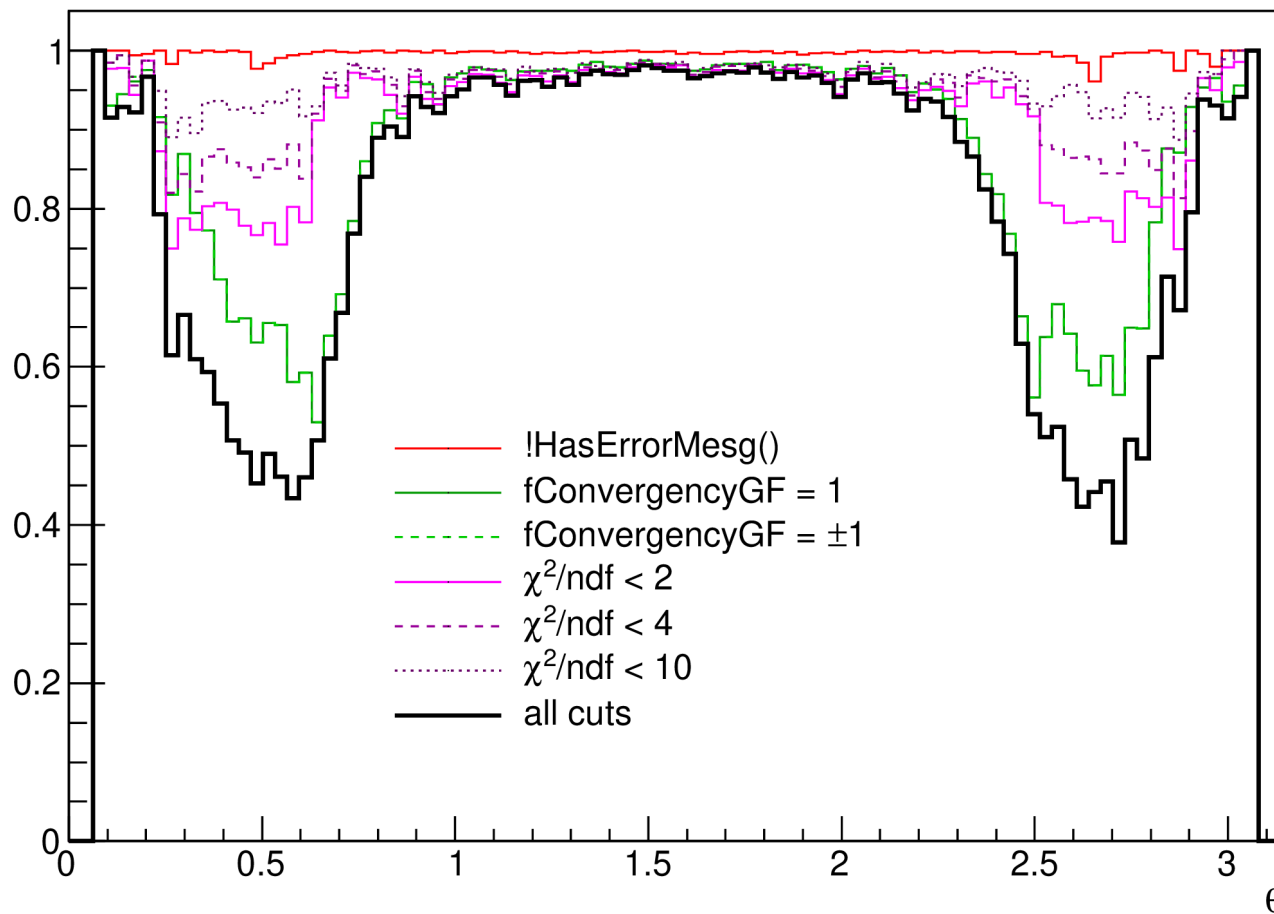


At $\theta = \pi/2$: 97%

Minimal: 46%

Efficiency of track quality cuts. Pions, $4 < p_0 < 5 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

$4 < p_0 < 5$

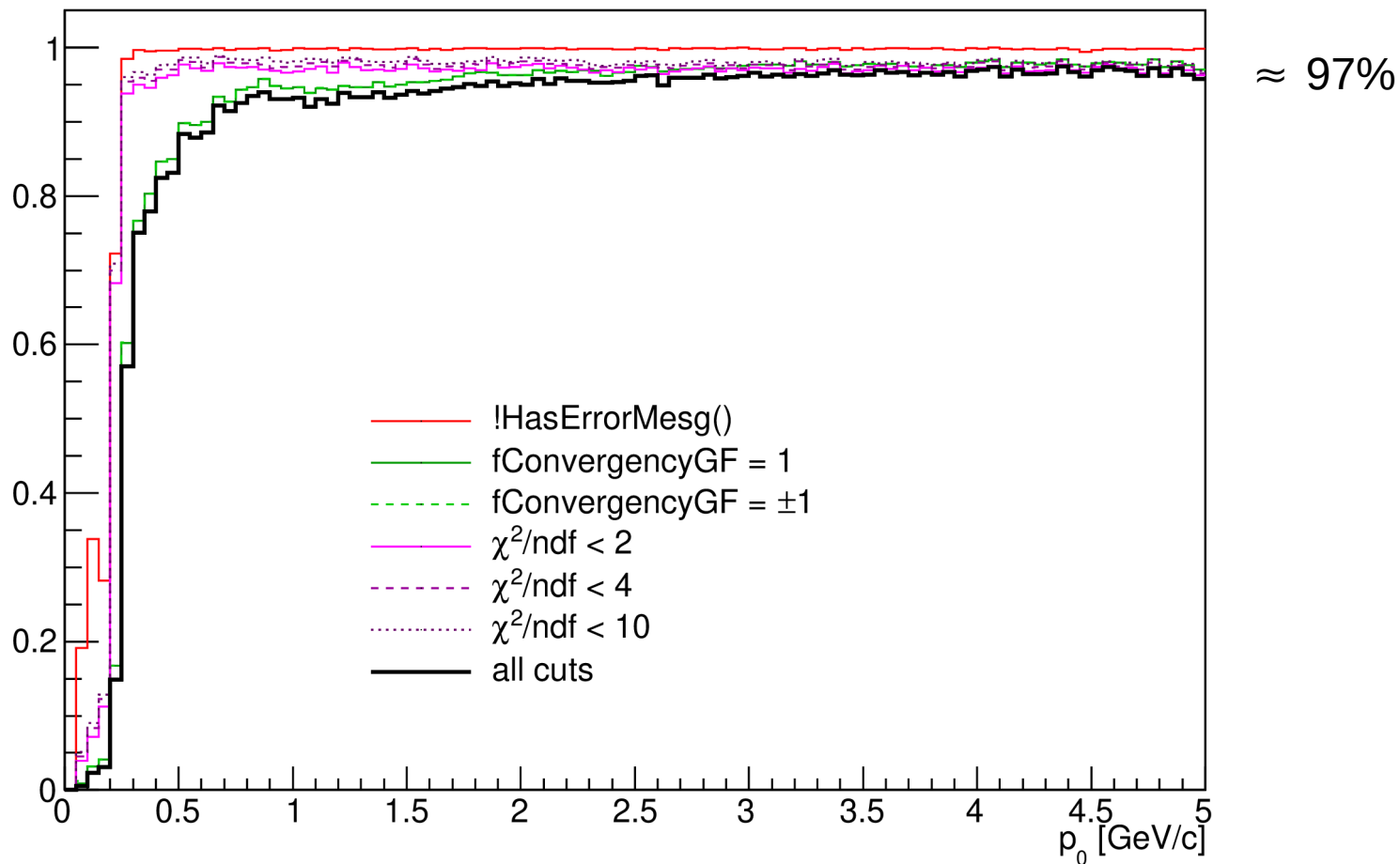


At $\theta = \pi/2$: 97%

Minimal: 38%

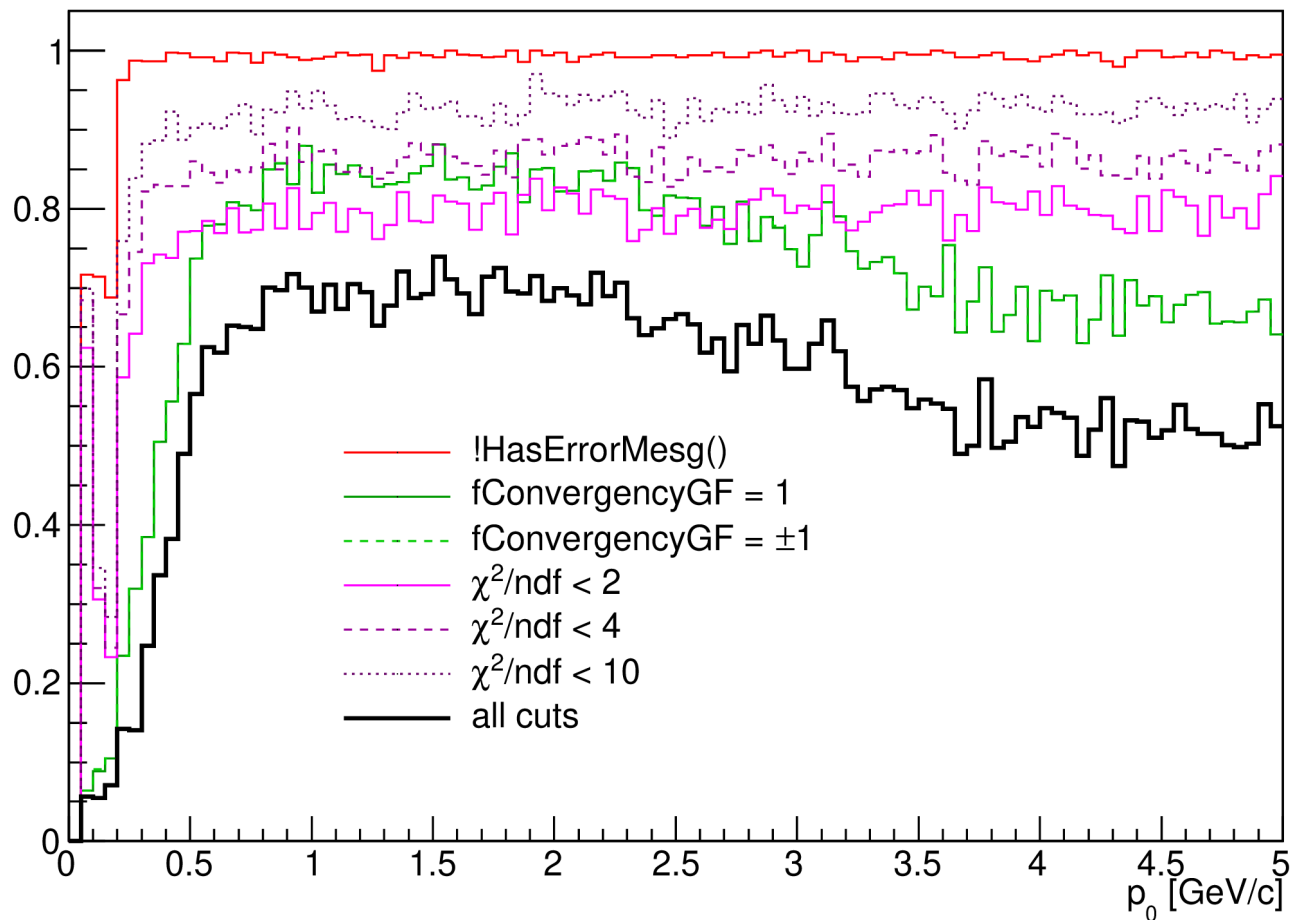
Efficiency of track quality cuts. Pions, $0 < p_0 < 5 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

$60^\circ < \theta < 120^\circ$ ($1.05 < \theta < 2.09 \text{ rad}$)



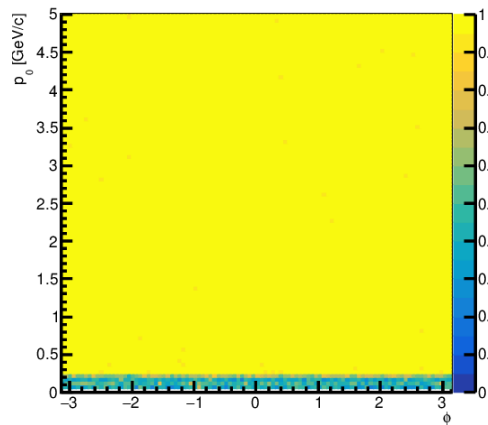
Efficiency of track quality cuts. Pions, $0 < p_0 < 5 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

$13^\circ < \theta < 36^\circ$ ($0.22 < \theta < 0.63 \text{ rad}$)

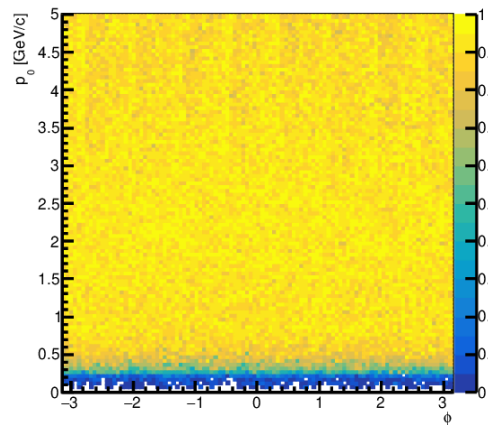


Efficiency of track quality cuts. Pions, $0 < p_0 < 5 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

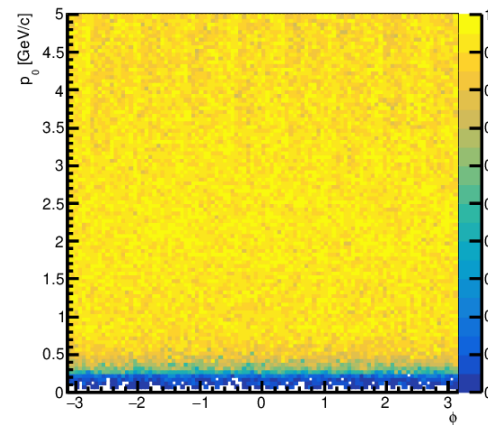
efficiency [!HasErrorMesg()]



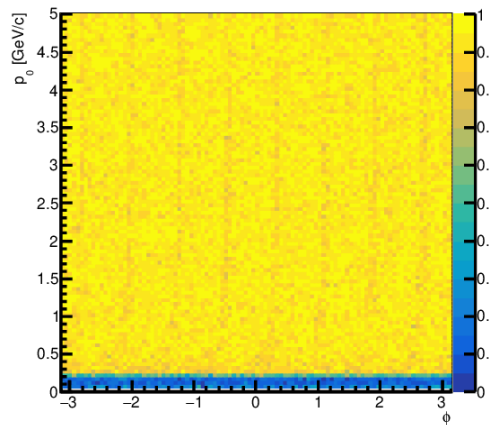
efficiency [fConvergencyGF = 1]



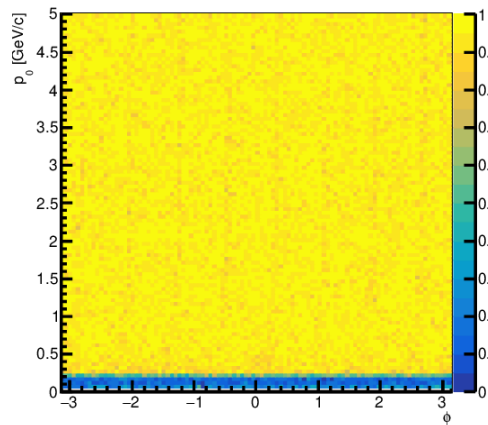
efficiency [fConvergencyGF = ±1]



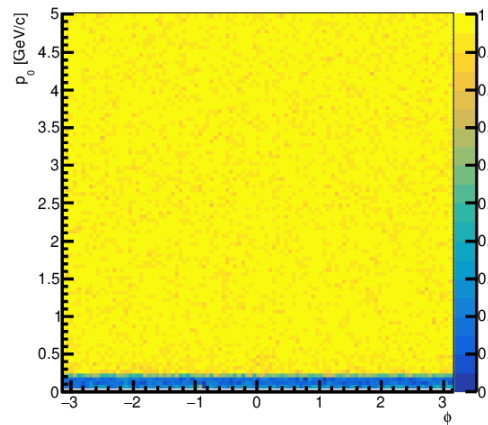
efficiency [$\chi^2/\text{ndf} < 2$]



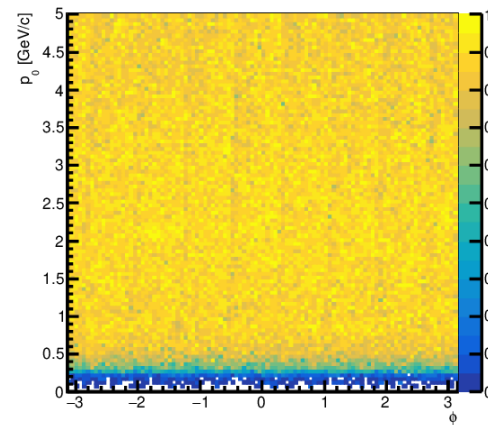
efficiency [$\chi^2/\text{ndf} < 4$]



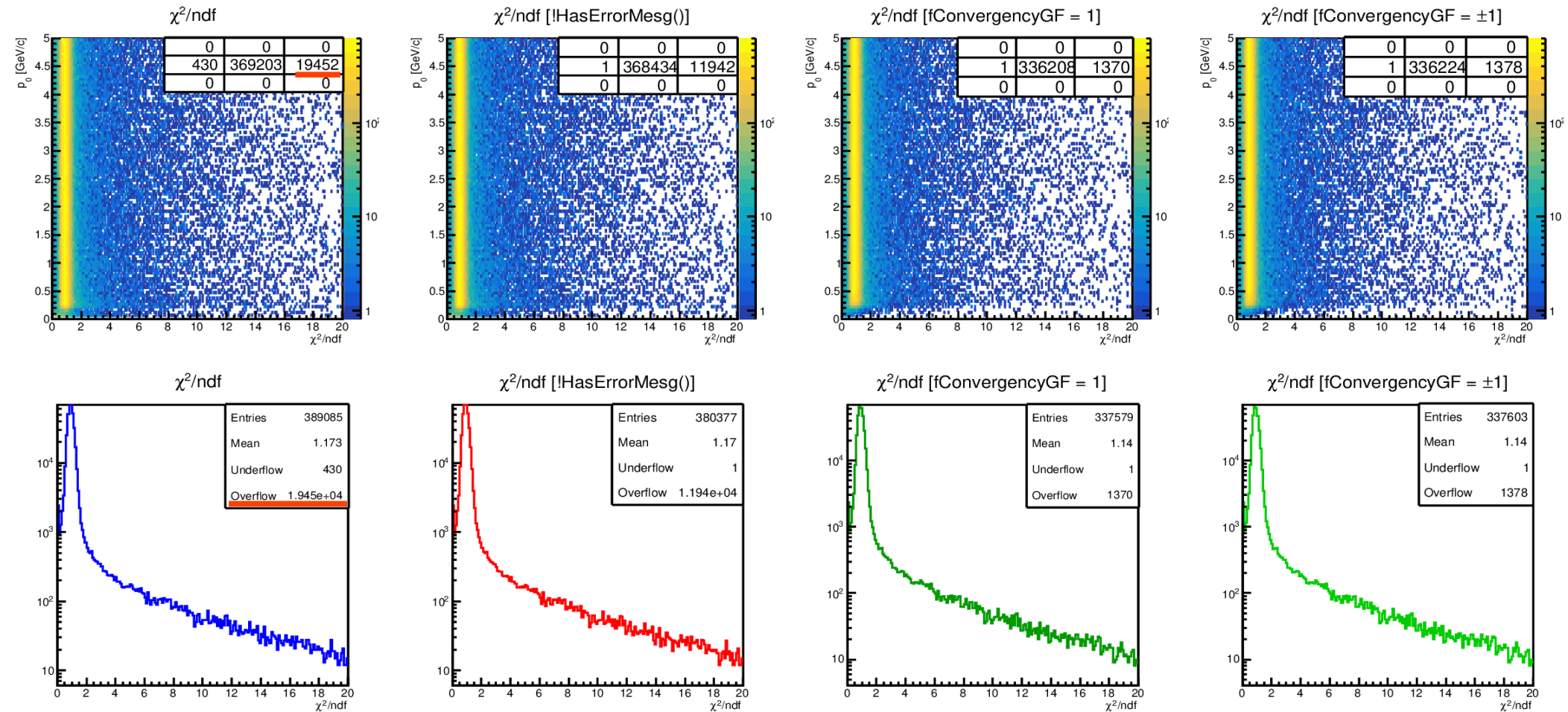
efficiency [$\chi^2/\text{ndf} < 10$]



efficiency [all cuts]

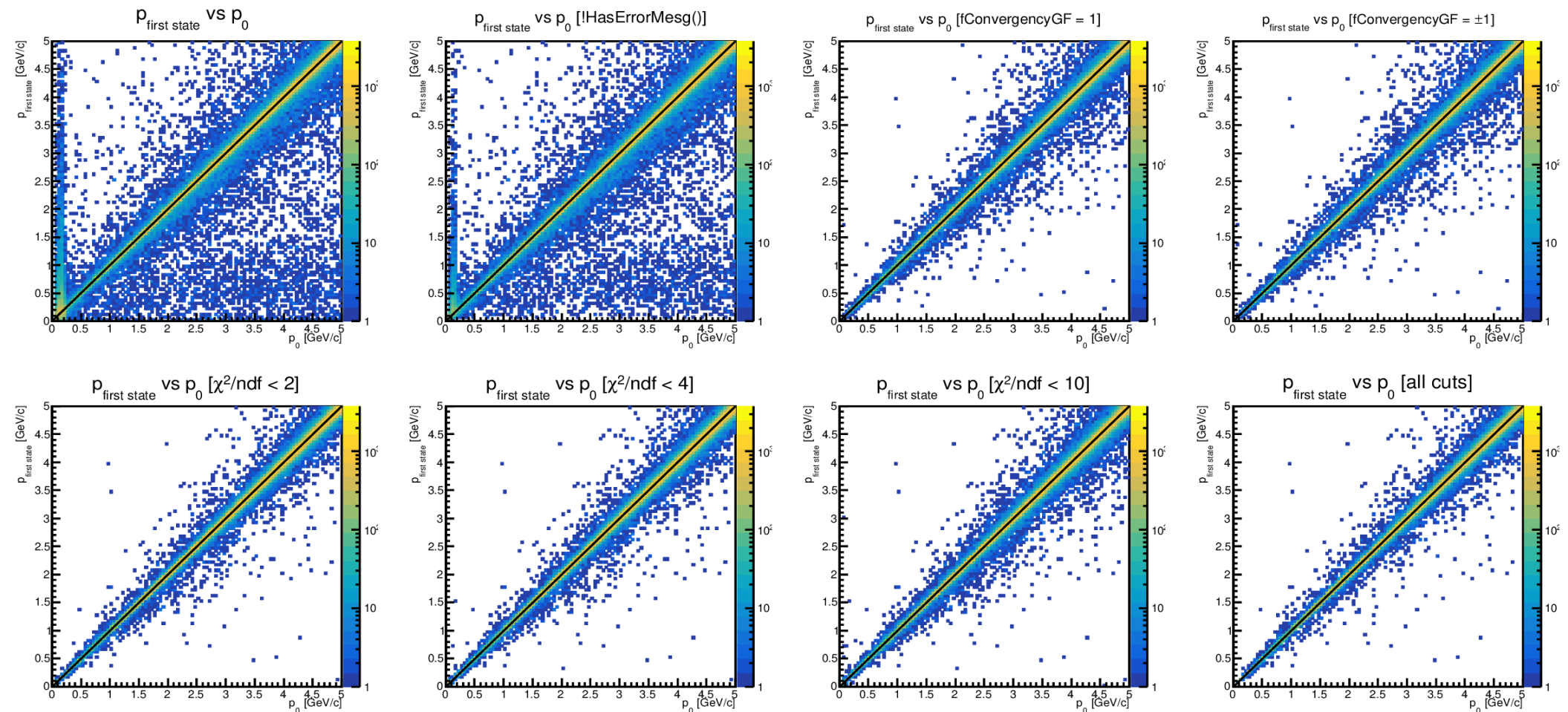


χ^2/ndf distribution. Pions, $0 < p_0 < 5 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.



Reconstructed momentum vs true momentum.

Pions, $0 < p_0 < 5 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.



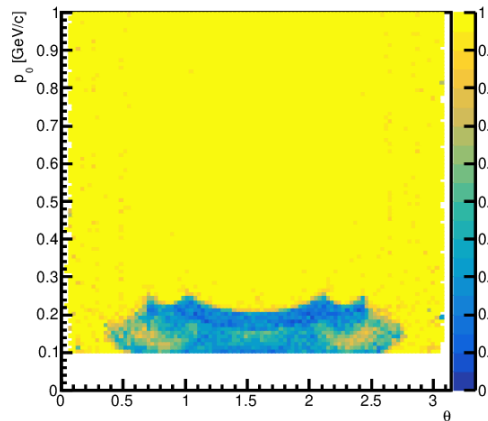
Pions

$$0.1 < p_0 < 1 \text{ GeV}/c$$

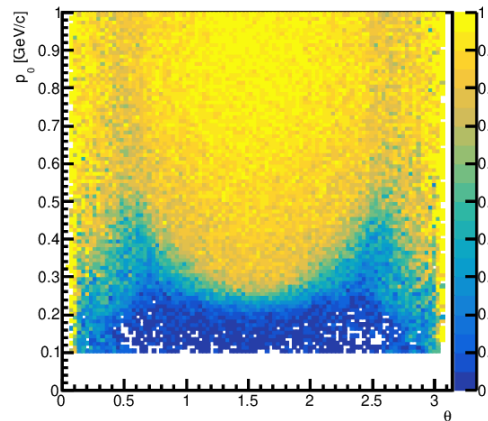
$$Z_{\text{prim.vtx.}} = 0$$

Efficiency of track quality cuts. Pions, $0.1 < p_0 < 1 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

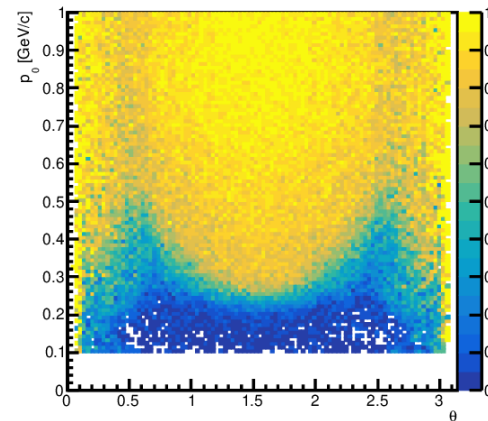
efficiency [!HasErrorMesg()]



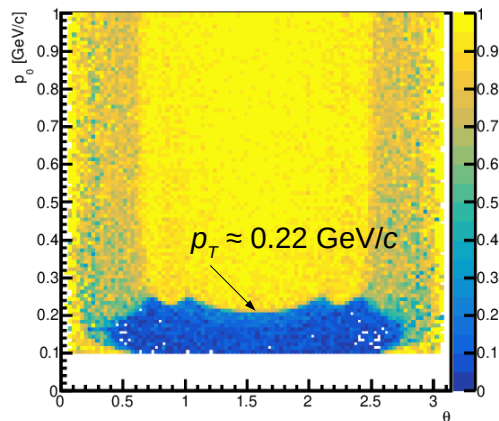
efficiency [fConvergencyGF = 1]



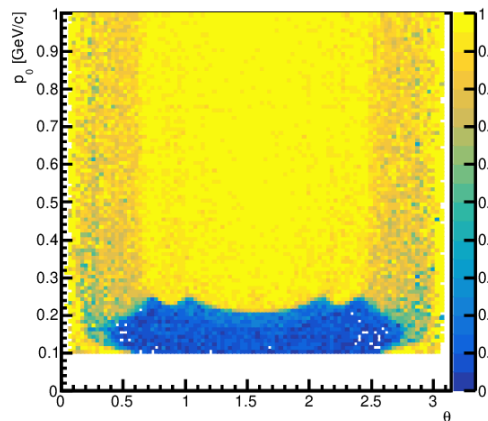
efficiency [fConvergencyGF = ±1]



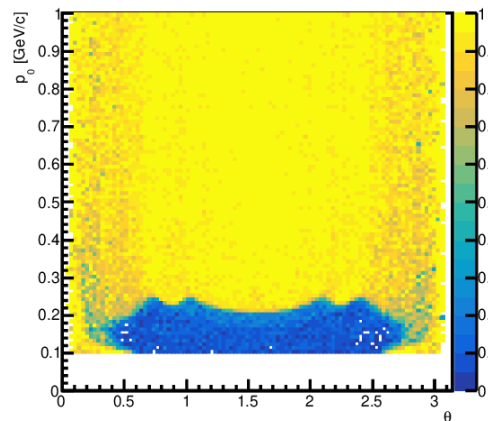
efficiency [$\chi^2/\text{ndf} < 2$]



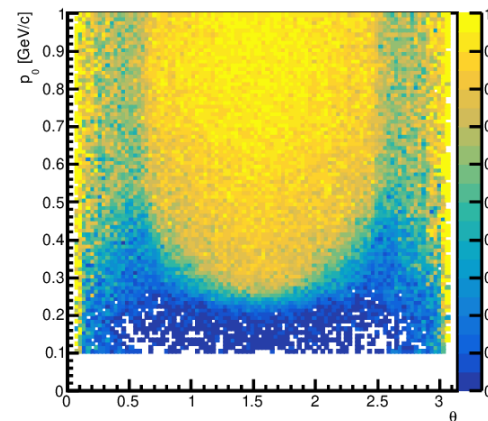
efficiency [$\chi^2/\text{ndf} < 4$]



efficiency [$\chi^2/\text{ndf} < 10$]

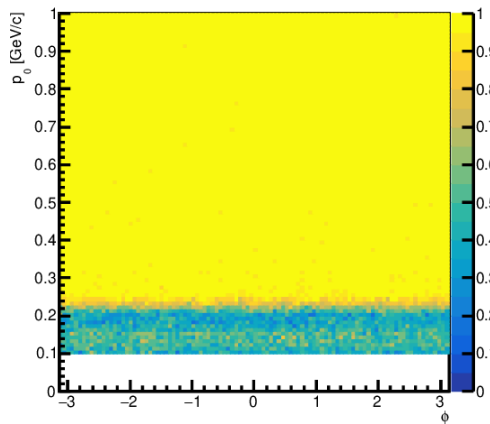


efficiency [all cuts]

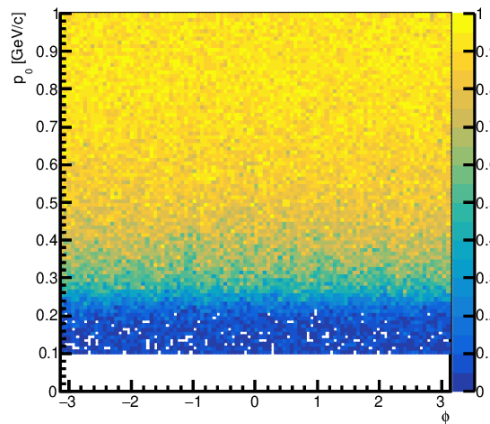


Efficiency of track quality cuts. Pions, $0.1 < p_0 < 1 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

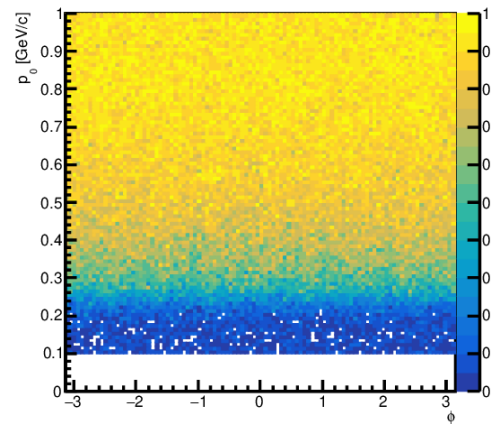
efficiency [!HasErrorMesg()]



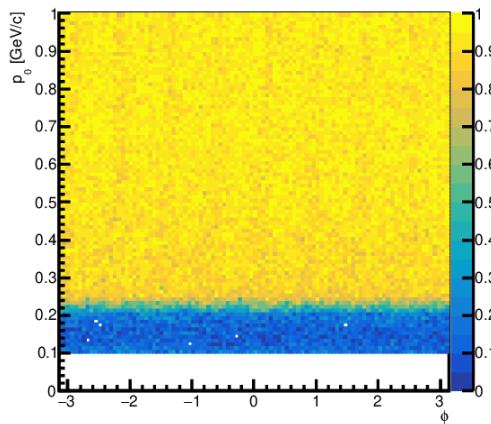
efficiency [fConvergencyGF = 1]



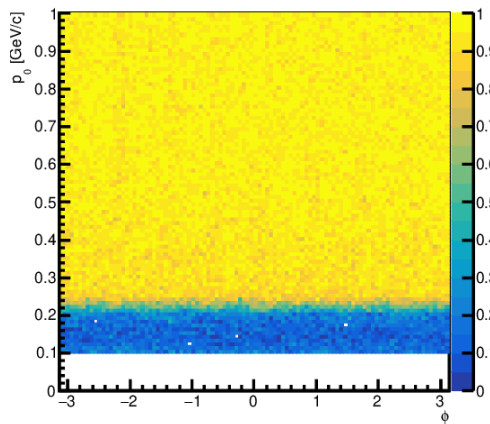
efficiency [fConvergencyGF = ±1]



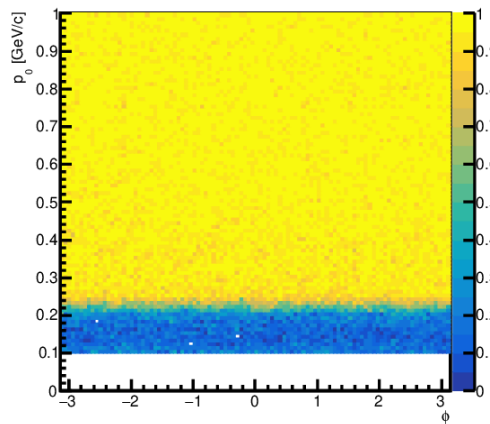
efficiency [$\chi^2/\text{ndf} < 2$]



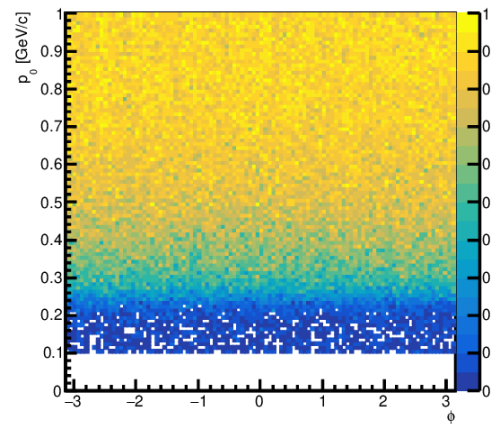
efficiency [$\chi^2/\text{ndf} < 4$]



efficiency [$\chi^2/\text{ndf} < 10$]

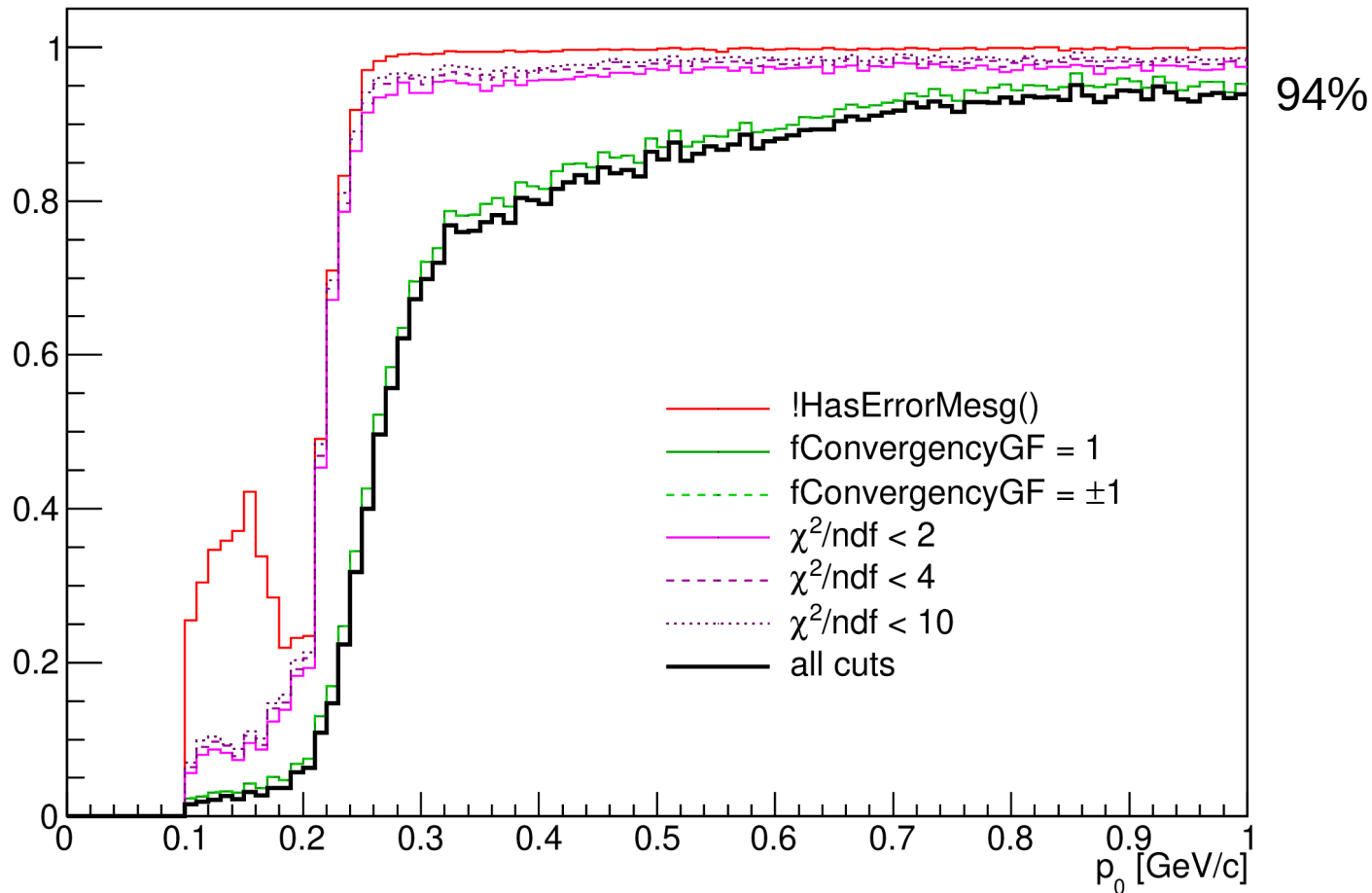


efficiency [all cuts]



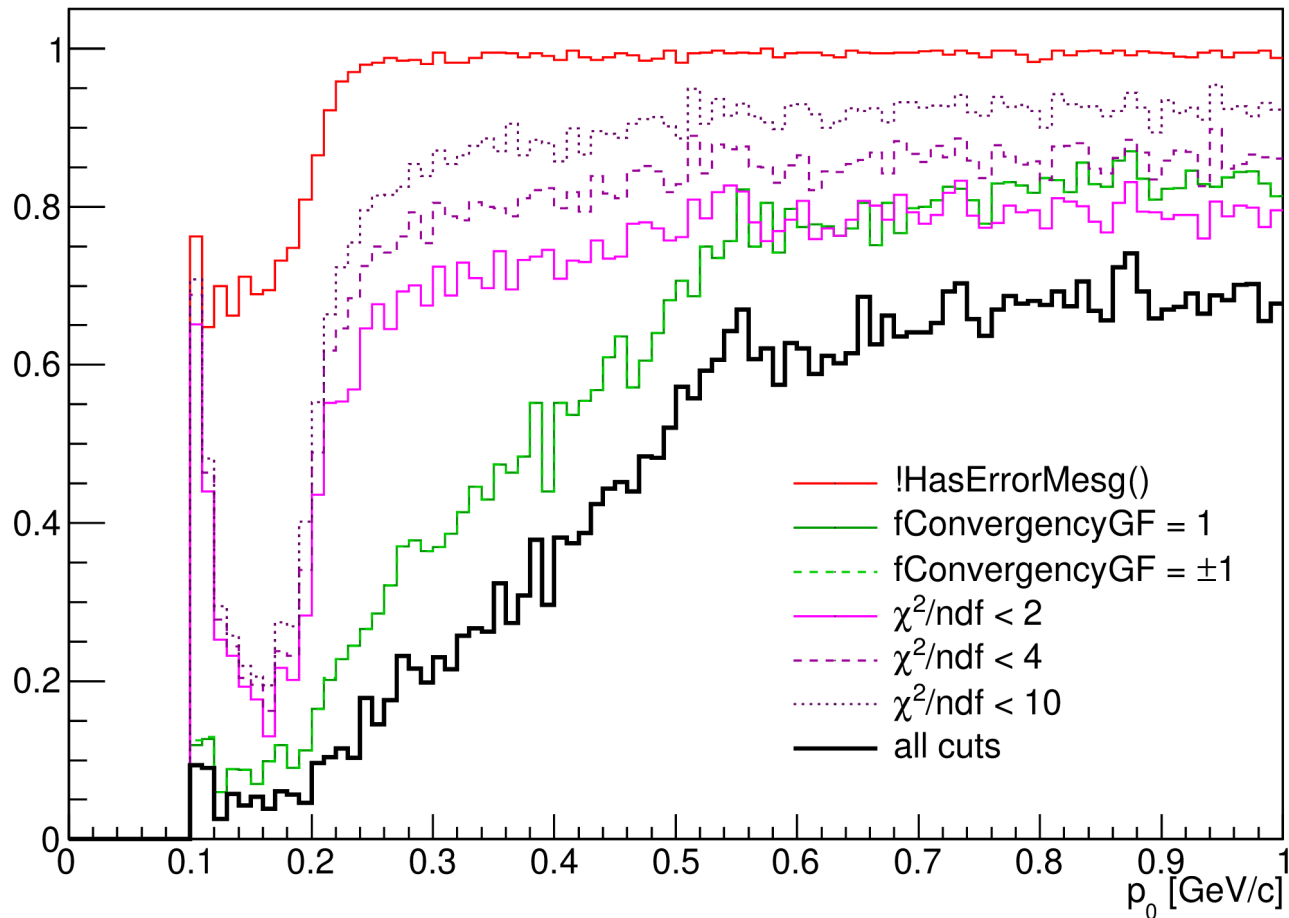
Efficiency of track quality cuts. Pions, $0.1 < p_0 < 1 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

$60^\circ < \theta < 120^\circ$ ($1.05 < \theta < 2.09 \text{ rad}$)

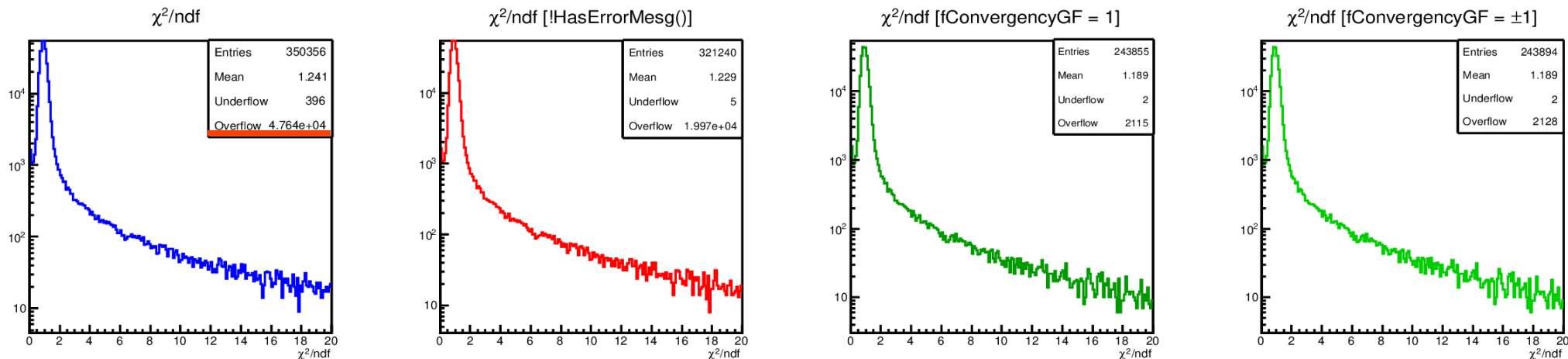
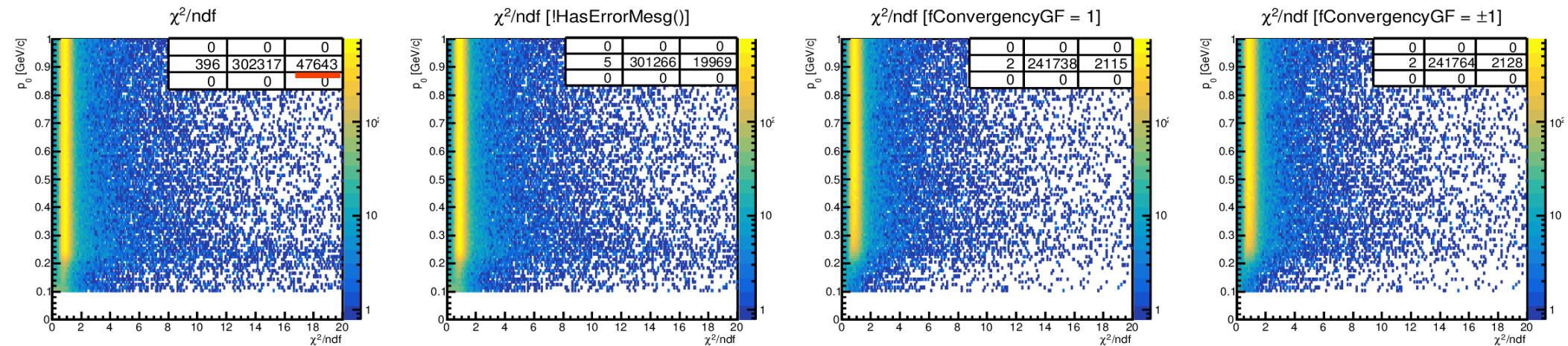


Efficiency of track quality cuts. Pions, $0.1 < p_0 < 1 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.

$13^\circ < \theta < 36^\circ$ ($0.22 < \theta < 0.63 \text{ rad}$)

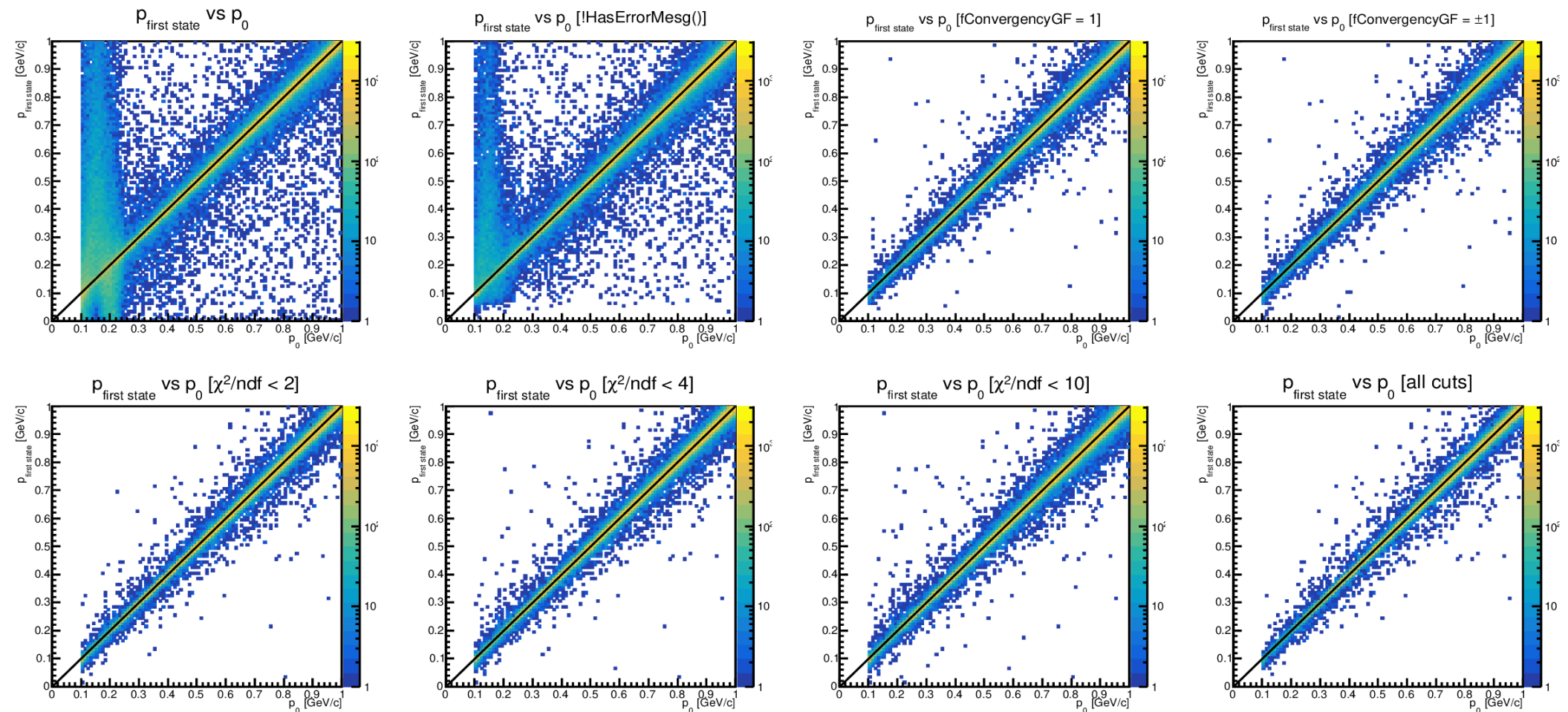


χ^2/ndf distribution. Pions, $0.1 < p_0 < 1 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.



Reconstructed momentum vs true momentum.

Pions, $0.1 < p_0 < 1 \text{ GeV}/c$, $Z_{\text{prim.vtx.}} = 0$.



Summary

- Tracking works OK for tracks going through the barrel and with sufficiently large momenta ($p \gtrsim 1 \text{ GeV}/c$).
- χ^2/ndf distribution becomes worse for $0.22 < \theta < 0.63 \text{ rad}$, presumably range which corresponds to tracks with hits both in barrel and endcaps
- Cut on convergency significantly reduces statistics for similar (but not exactly the same) range of θ , more so for large momenta.
- For small momenta the cut on convergency is the most constraining.