

# **The status of time slice simulation in the SPD straw tracker**

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# Collaboration assignment

- Development of methods and creation of software for modelling the response of SPD tracker in the trigger-free regime.
- Studying the temporal structure of signals.
- Development of algorithms for reconstruction of events in the trigger-free regime.
- Investigation of reconstruction efficiency and purity on MC simulation data.
- Development of prototype software for event reconstruction at the stage of online data filtering.

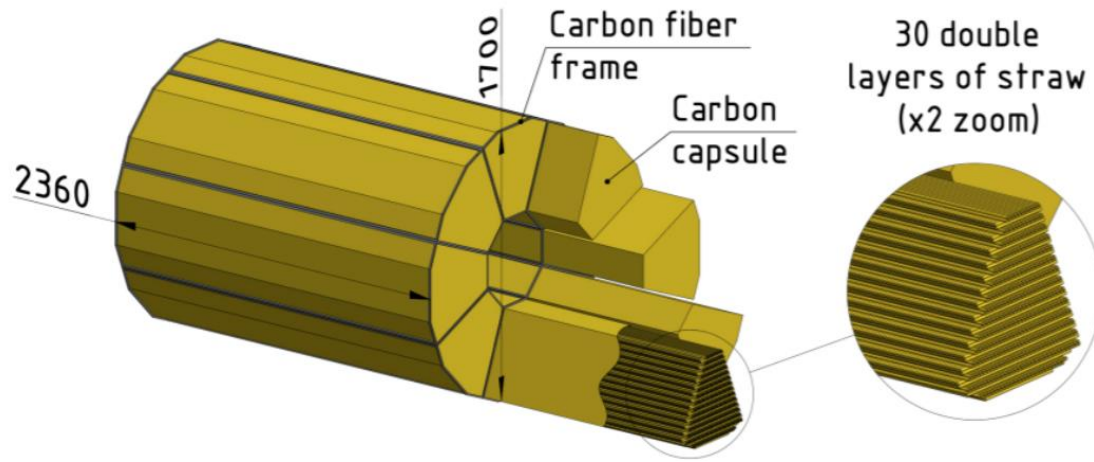


Fig.1. Schematic representation of the straw tracker

Blue layer – PET  
 $R = 0.036 \text{ mm}$   
 White layer – gas  
 $\text{CO}_2 (30\%) + \text{Ar} (70\%)$   
 $R = 4.964 \text{ mm}$

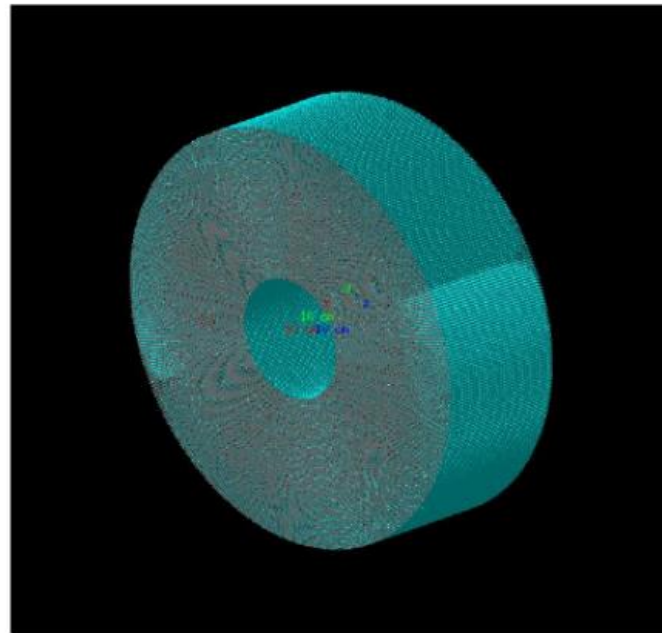
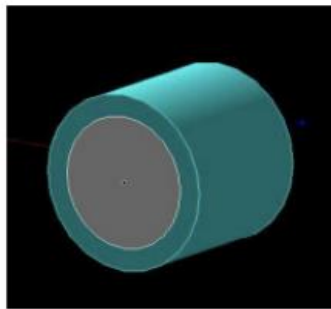


Fig.2. Straw-tube segment model(left), full detector model (64 layers) (right)

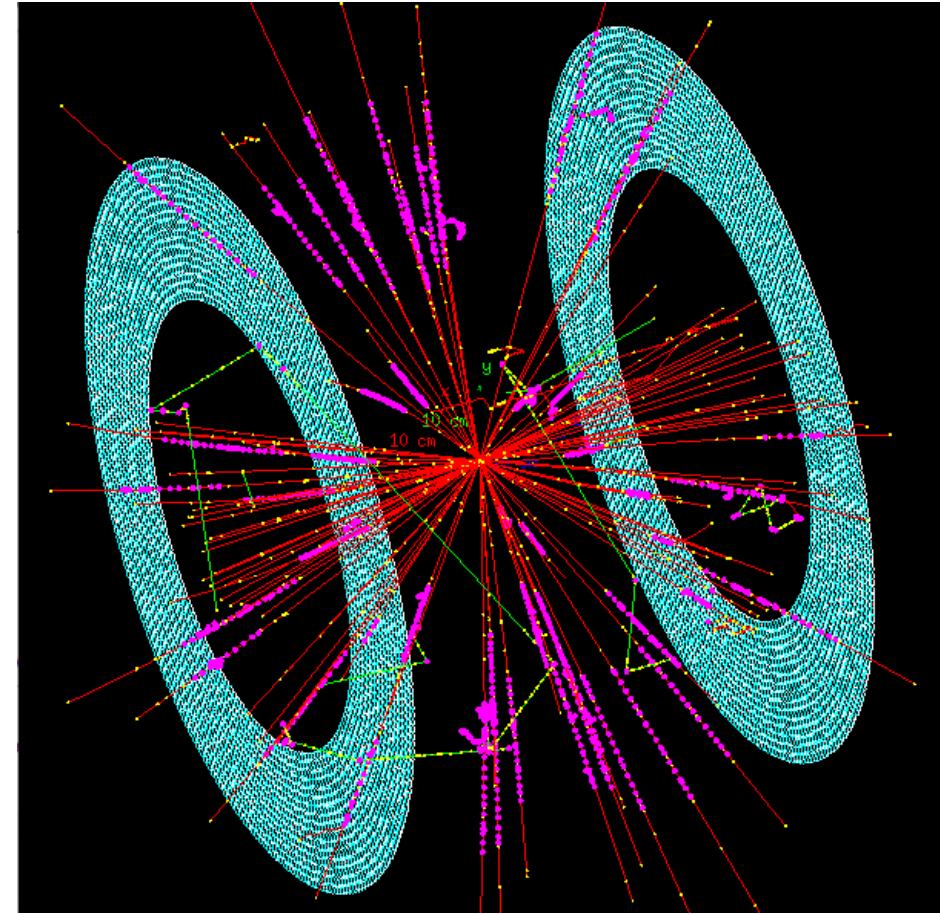
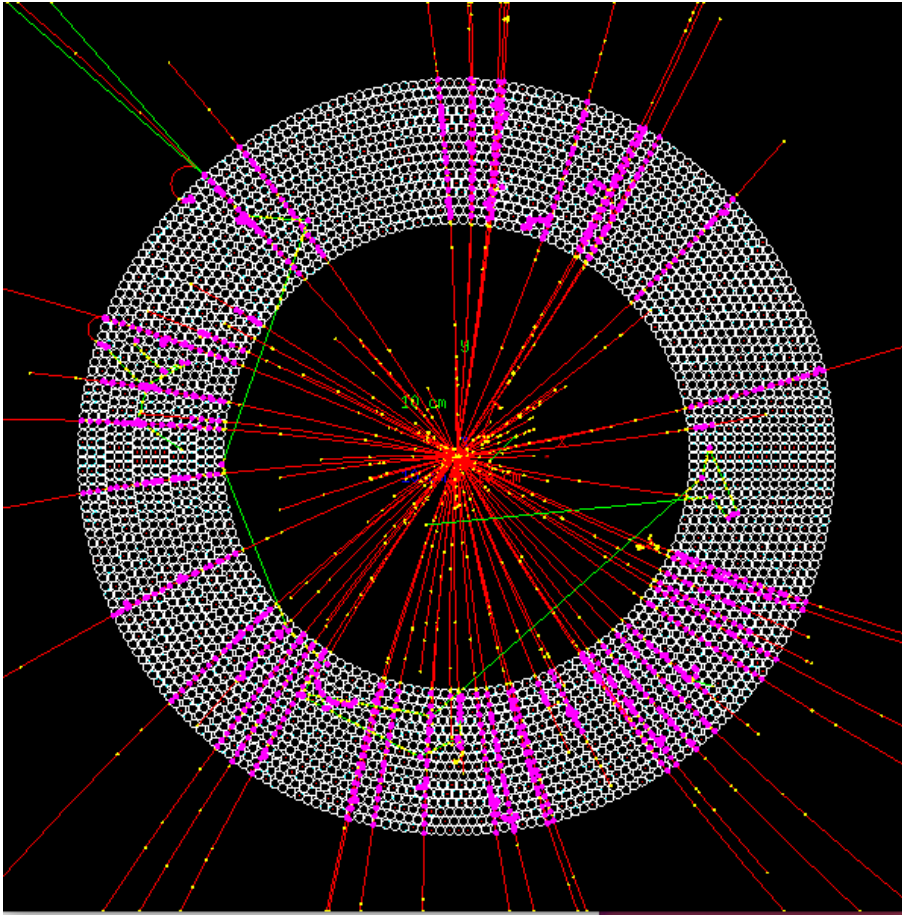


Fig.3. Launch of 100 muons. View of the detector in the  $Oxy$  plane (left), at an angle (right). Pink dots are points of energy loss in the sensitive volume.

$$r = \frac{|(x_2 - x_1)y_2 - (y_2 - y_1)x_2|}{\sqrt{(y_2 - y_1)^2 + (x_2 - x_1)^2}},$$

$(x_1, y_1)$  – local (relative to the centre of the tube) coordinates of the first point of energy loss,  $(x_2, y_2)$  – of the last one.

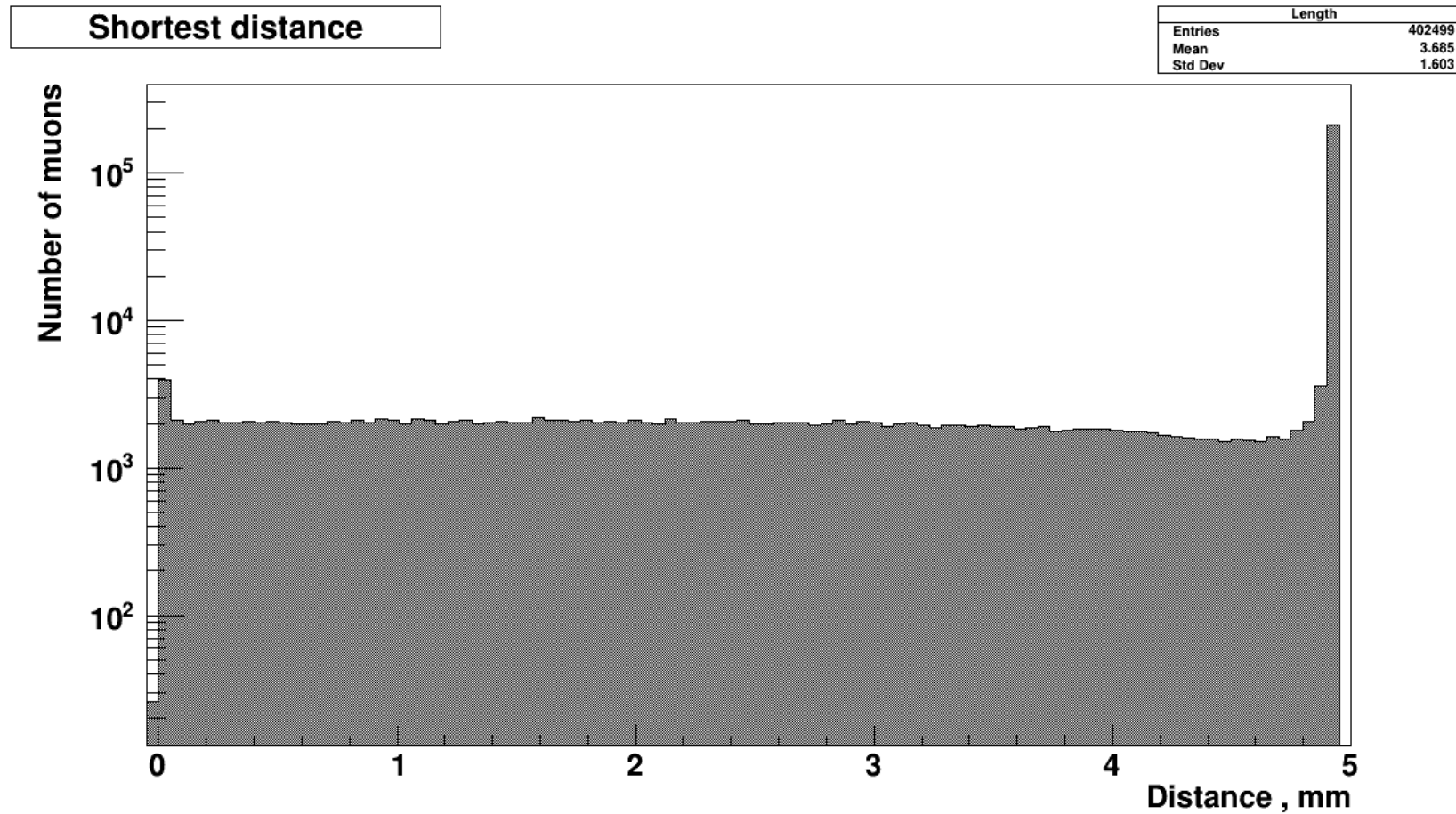


Fig.4. Distribution of the distance from the point of energy loss to the tube axis.

### Landau MPV

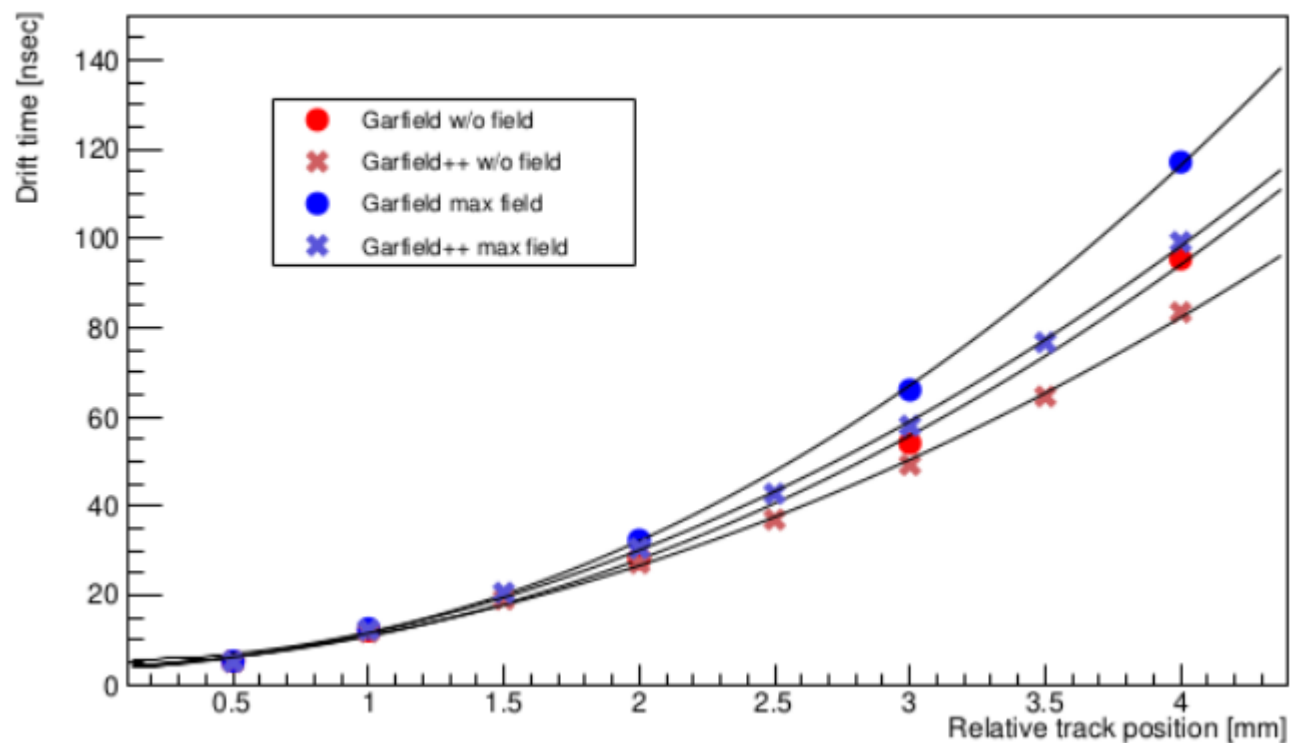


Fig.5. Time dependence on distance from the tube axis. Garfield generation.

$$T_{Real} = t + 2.71012 + 1.21564x + 6.82868x^2,$$

$x$  – distance to the tube axis,

$t$  – time of energy loss by the particle from the beginning of the experiment modelling,

$T_{Real}$  - time taking into account electron drift.

Timing distribution

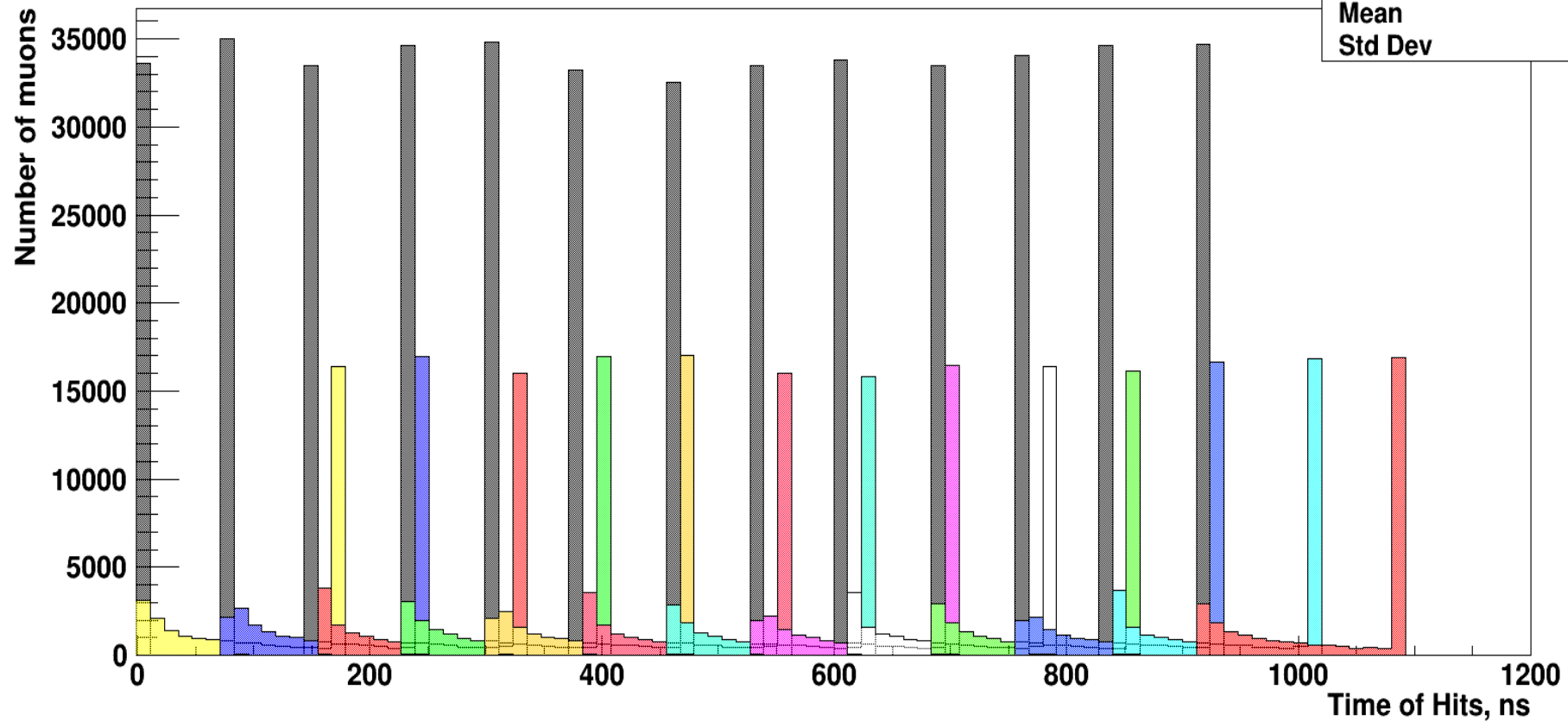
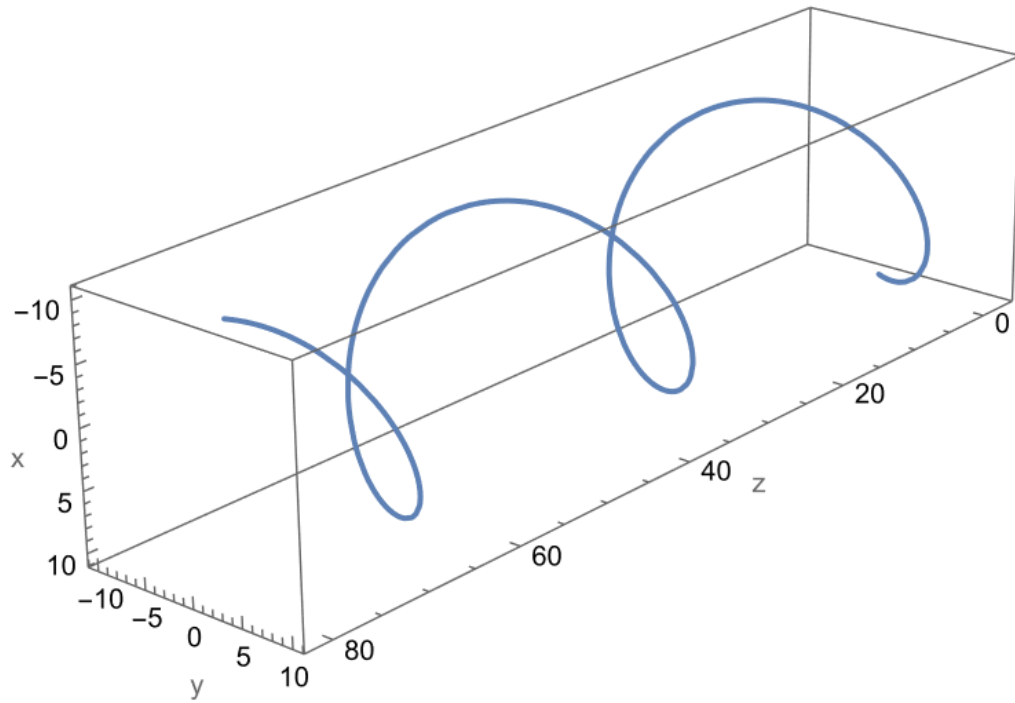


Fig.6. Histogram of the distribution of straw response times.



$$\begin{aligned}
 x &= a_1 \cos a_2 t \\
 y &= b_1 \sin b_2 t \\
 z &= c_1 t + c_2
 \end{aligned}$$

$$\begin{aligned}
 \sin x &= \sum_{n=0}^{\infty} \frac{(-1)^n x^{2n+1}}{(2n+1)!} \\
 \cos x &= \sum_{n=0}^{\infty} (-1)^n \frac{x^{2n}}{(2n)!}
 \end{aligned}$$

Approximation functions:

$$y(z) = a_1 z^2 + b_1 z + c_1$$

$$x(z) = a_2 z^2 + b_2 z + c_2$$

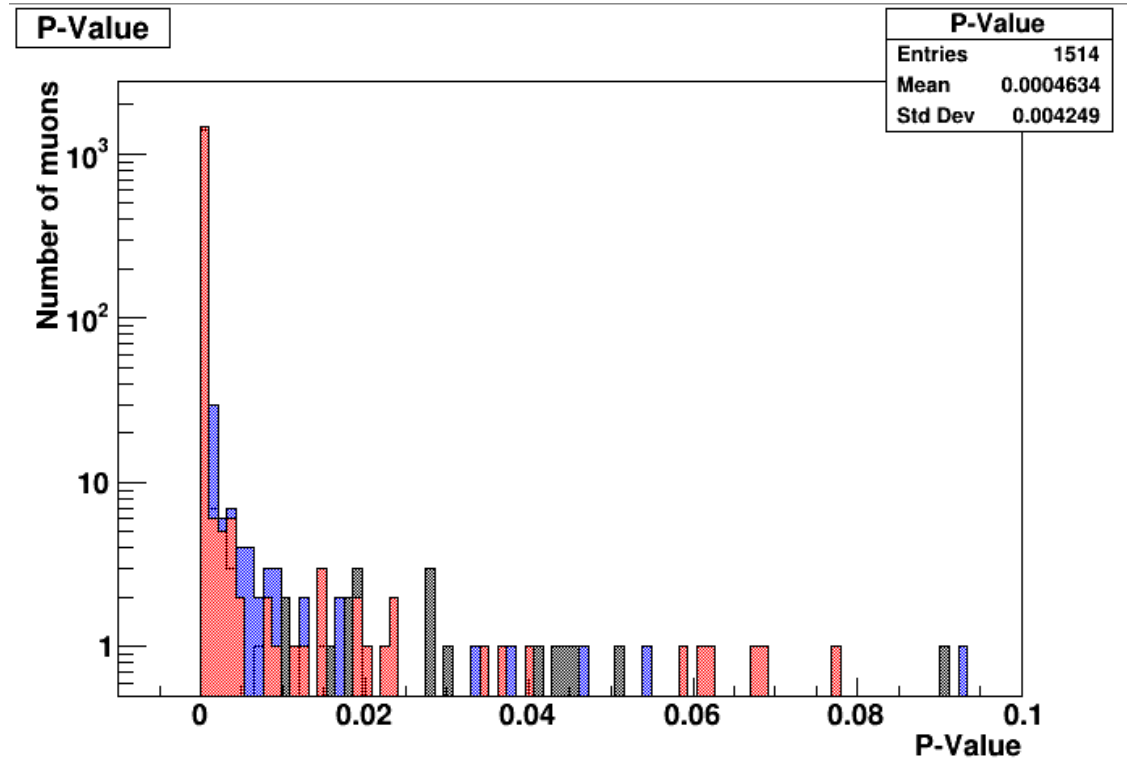


Fig.7. P-value of  $z(t)$  approximation. red - linear, black - quadratic, blue - cube



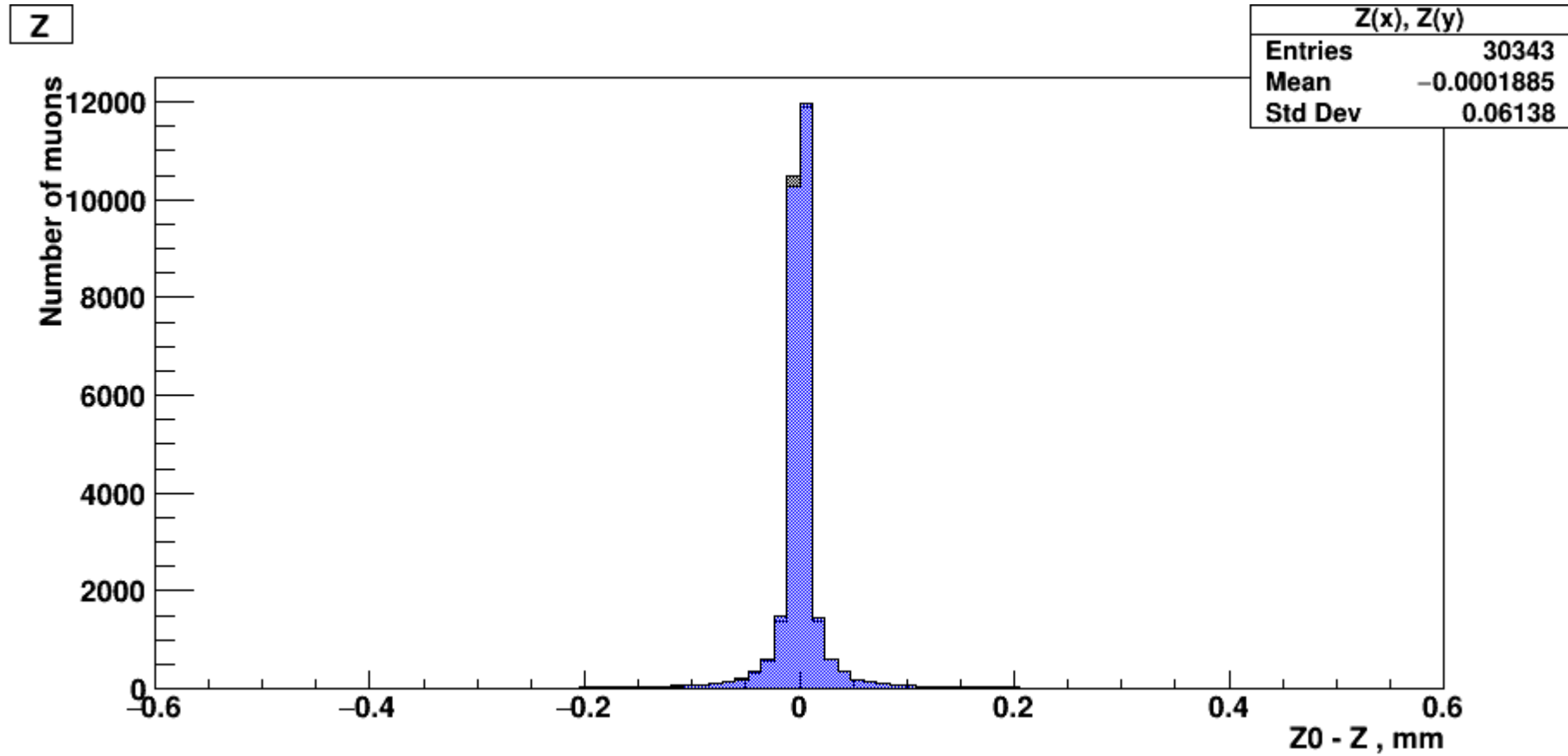


Fig.8. Histogram of deviation of the found z from the true value

# Conclusion and TODO

- Time distributions of the simulated hits in sensitive volumes were obtained.
- Algorithm for primary vertices reconstruction was developed.
- The next step is to improve algorithm.