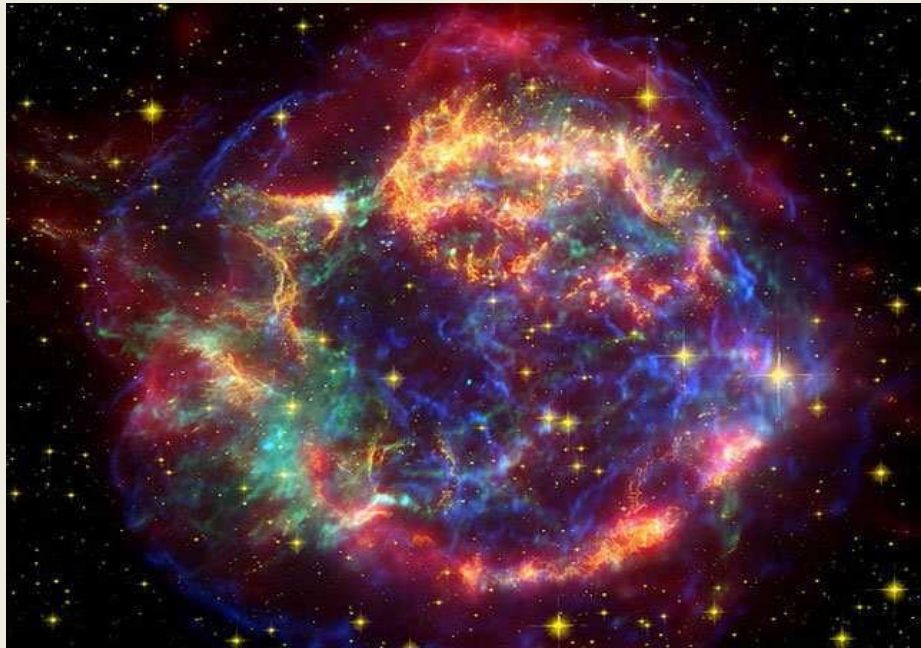


# Modeling the Evolution of Cooling of Neutron Stars



Hovik Grigorian:

*JINR LIT (Dubna),  
Yerevan State University,  
AANL CP&IT  
(Yeravan, Armenia)*

**Seminar LIT – 2023  
16 November  
JINR, Dubna**

my co-authors: D.Blaschke, D.Voskresensky,  
A. Ayriyan E. Kolomeitsev, K. Maslov,

# Соответствие исследований тематическому плану ОИЯИ

06-6-1119-2024/2026 "Методы, алгоритмы и программное обеспечение для моделирования физических систем, математической обработки и анализа экспериментальных данных"

**Проект 1: Моделирование, обработка и анализ экспериментальных данных**

FTE: 0.2

Задача

Применение современных методов машинного обучения для задачи распознавания заряженных частиц, в частности для MPD и BM@N

**Сотрудничество:**

А.А. Апарин (ЛФВЭ)

К.В. Герценбергер (ЛФВЭ)

**Проект 2: Методы вычислительной физики для исследования сложных систем**

FTE: 0.8

Задача

Методы моделирования сложных процессов в плотной ядерной материи на основе уравнения состояния (СТИ и компактные звёзды)

**Сотрудничество:**

Д.Н. Воскресенский (ЛТФ)

Ю.Б. Иванов (ЛТФ)

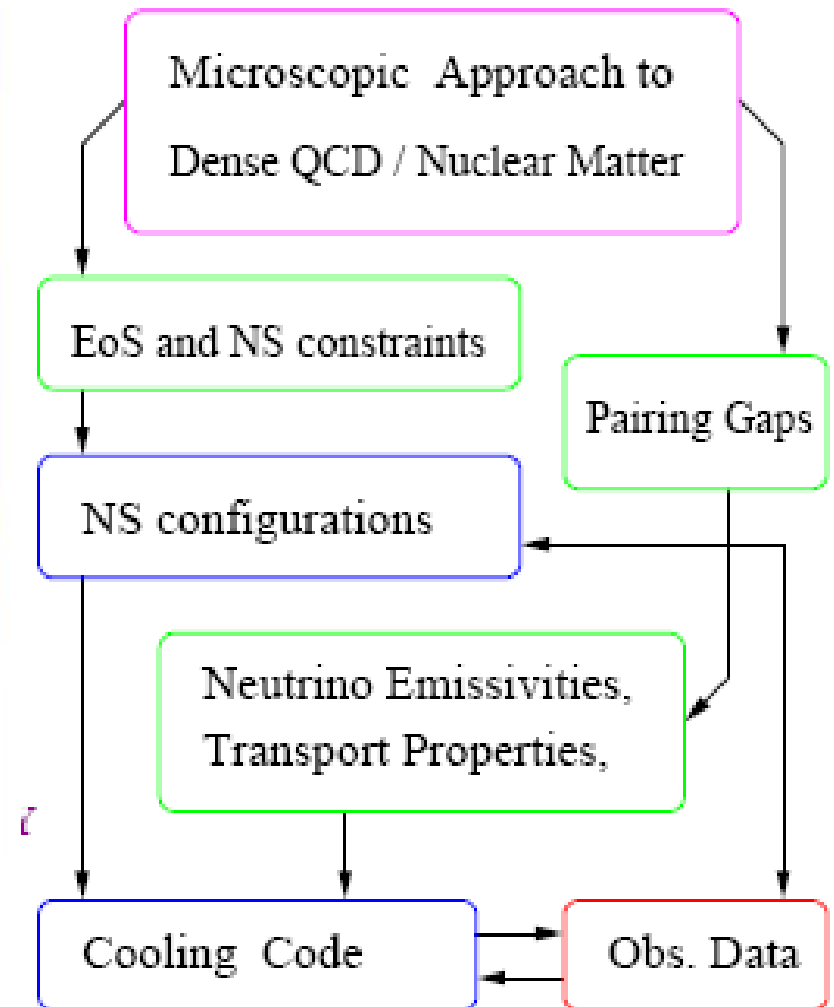
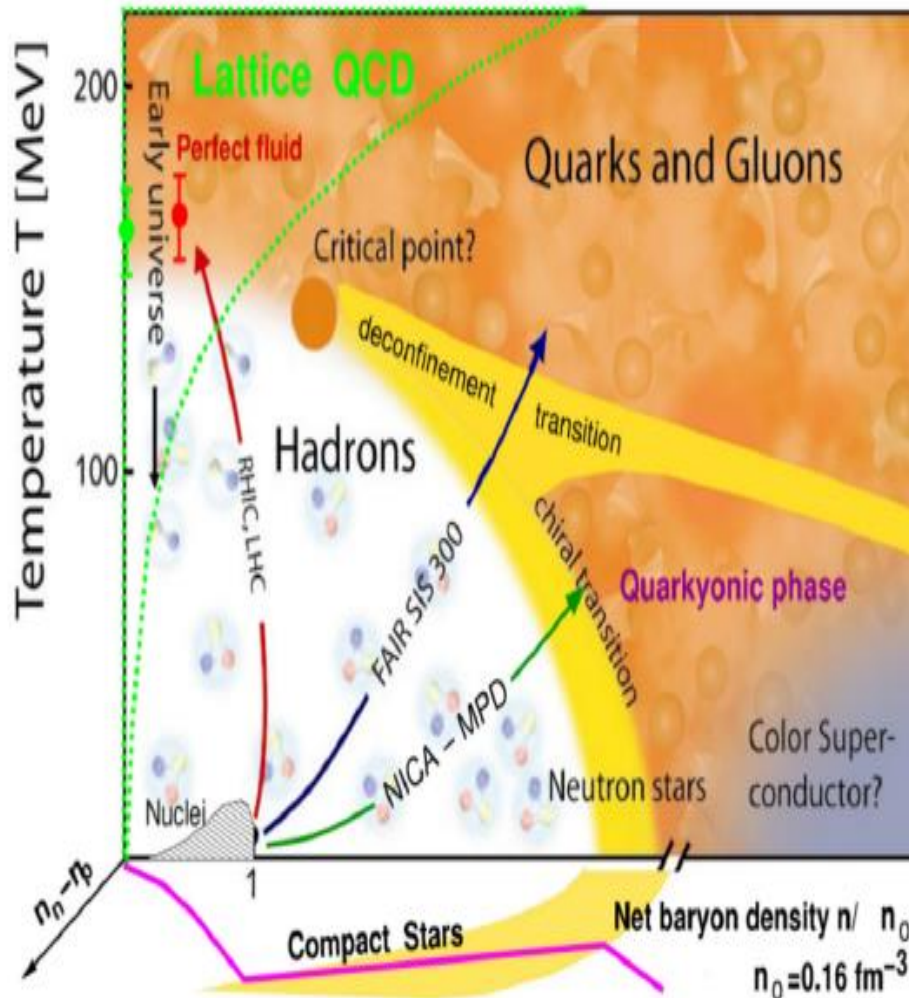
Е.Э. Коломейцев (ЛТФ)

# Simulation of Cooling Evolution of Neutron Stars

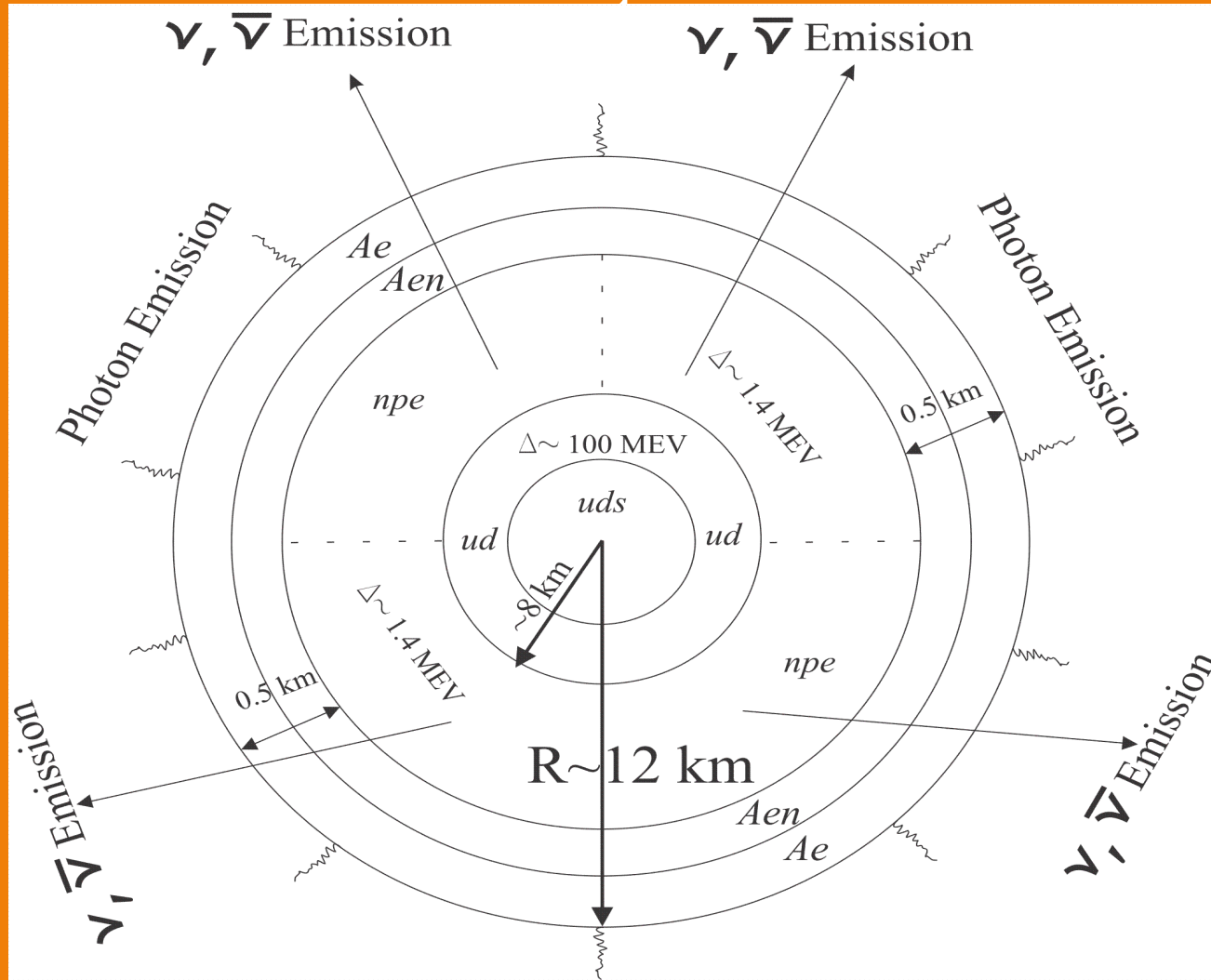
- Introduction
- Neutron Stars structure
- Neutron Stars cooling problem
- Simulations algorithm
- ***Results for NS cooling***

H. Grigorian, D. N. Voskresensky and D. Blaschke  
Eur. Phys. J. A **52**: 67 (2016).

# Phase Diagramm & Cooling Simulation



# Structure Of Hybrid Star



## Static neutron star mass and radius

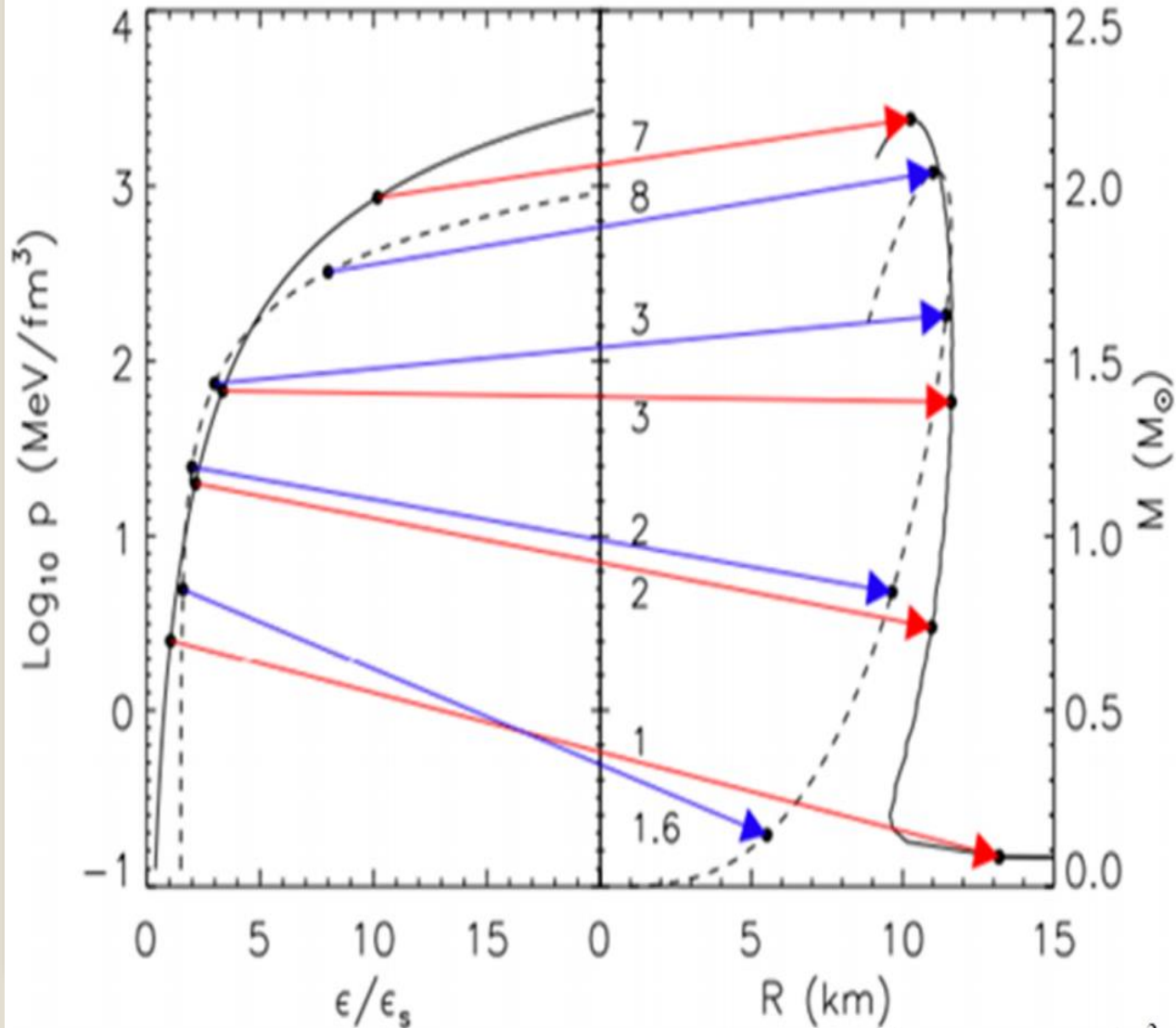
The structure and global properties of compact stars are obtained by solving the Tolman-Oppenheimer-Volkoff (TOV) equations<sup>1,2</sup>:

$$\left\{ \begin{array}{l} \frac{dP(r)}{dr} = -\frac{GM(r)\varepsilon(r)}{r^2} \frac{\left(1 + \frac{P(r)}{\varepsilon(r)}\right) \left(1 + \frac{4\pi r^3 P(r)}{M(r)}\right)}{\left(1 - \frac{2GM(r)}{r}\right)}; \\ \frac{dM(r)}{dr} = 4\pi r^2 \varepsilon(r); \\ \frac{dN_B(r)}{dr} = 4\pi r^2 \left(1 - \frac{2GM(r)}{r}\right)^{-1/2} n(r). \end{array} \right.$$

<sup>1</sup>R. C. Tolman, Phys. Rev. **55**, 364 (1939).

<sup>2</sup>J. R. Oppenheimer and G. M. Volkoff, Phys. Rev. **55**, 374 (1939).

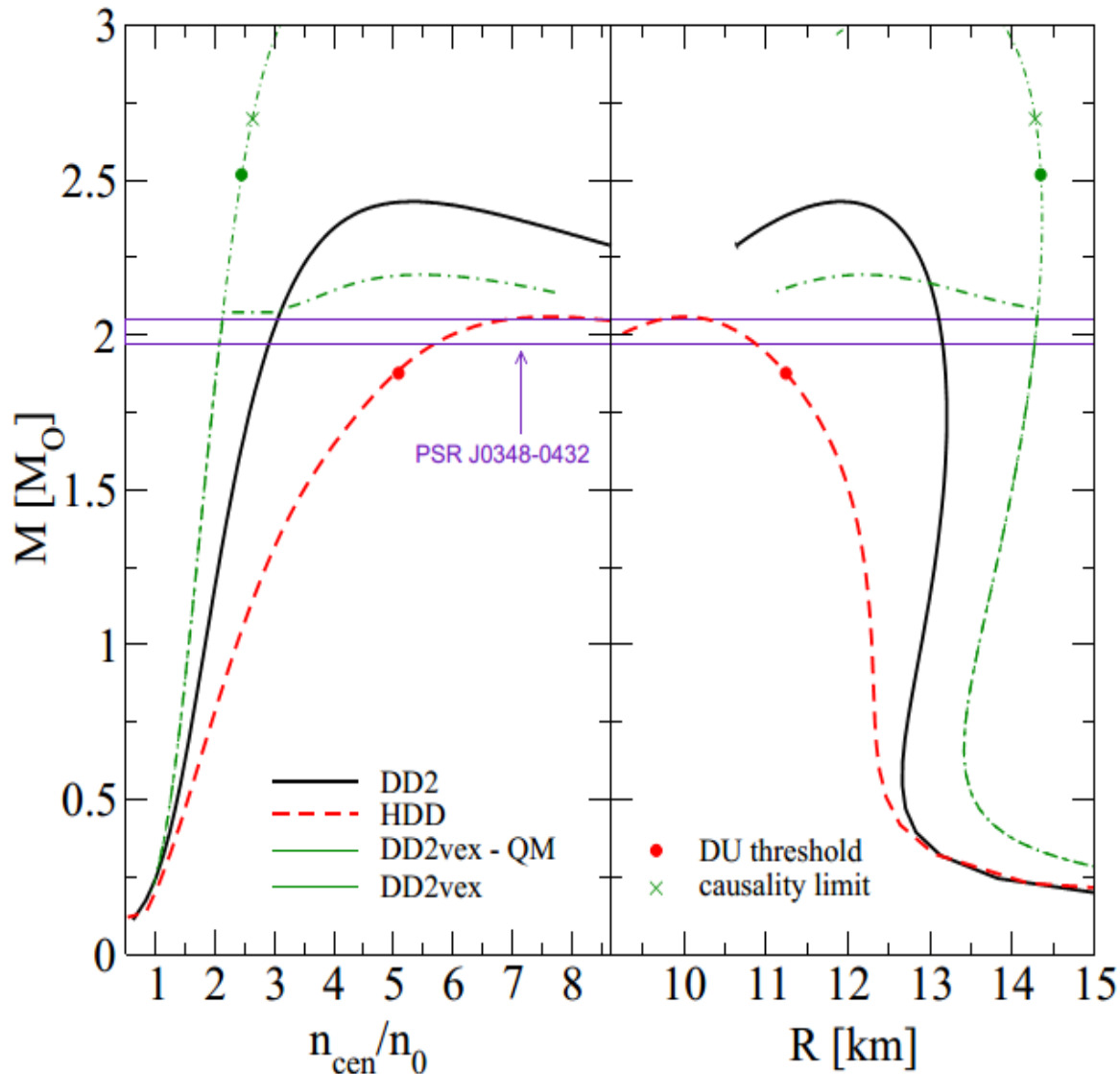
# EoS vs. Mass Radius of NS



Lattimer,  
Annu. Rev. Nucl. Part. Sci. 62,  
485 (2012)  
arXiv: 1305.3510

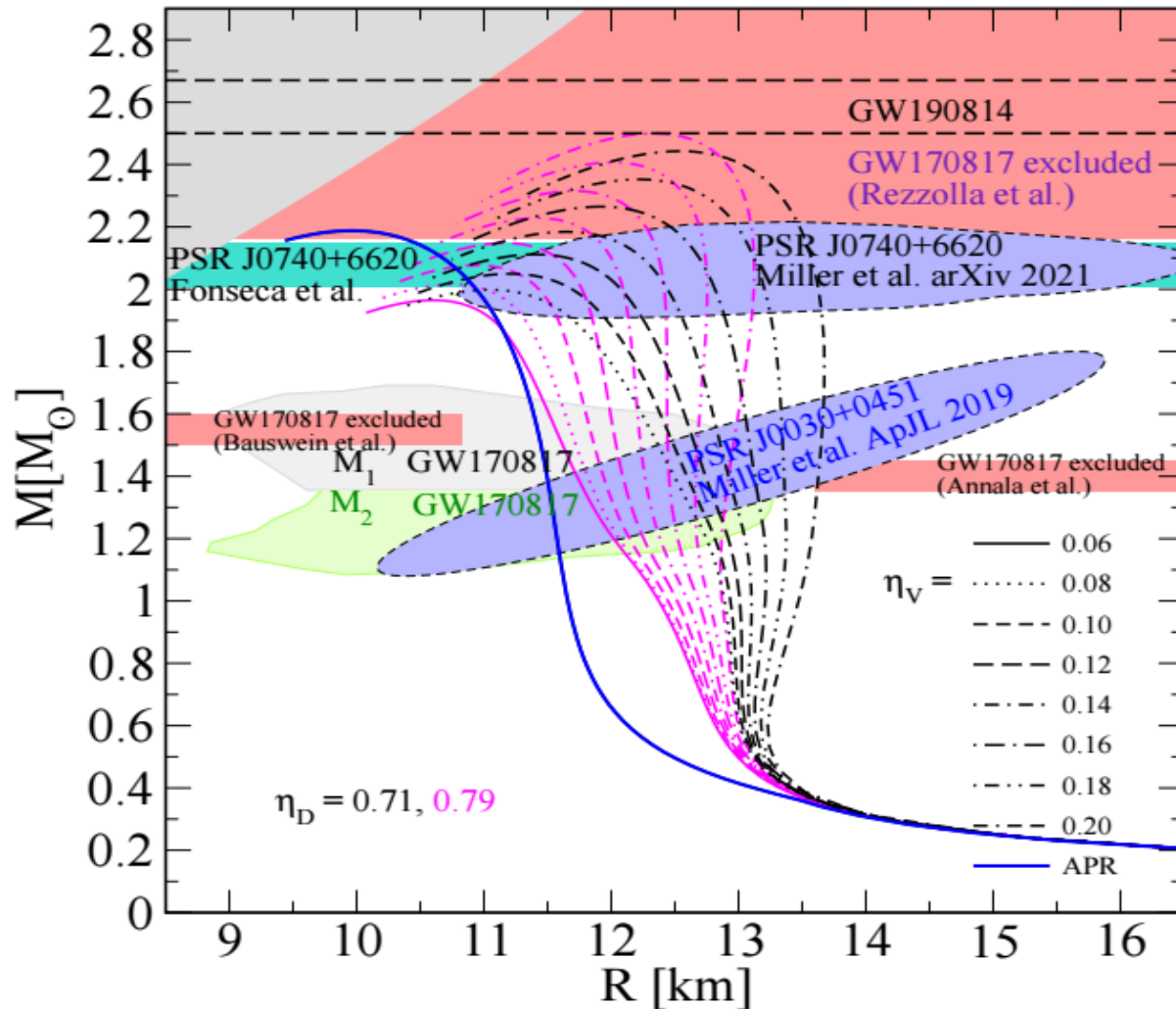
# Stability of stars

## HDD, DD2 & DDvex-NJL EoS models

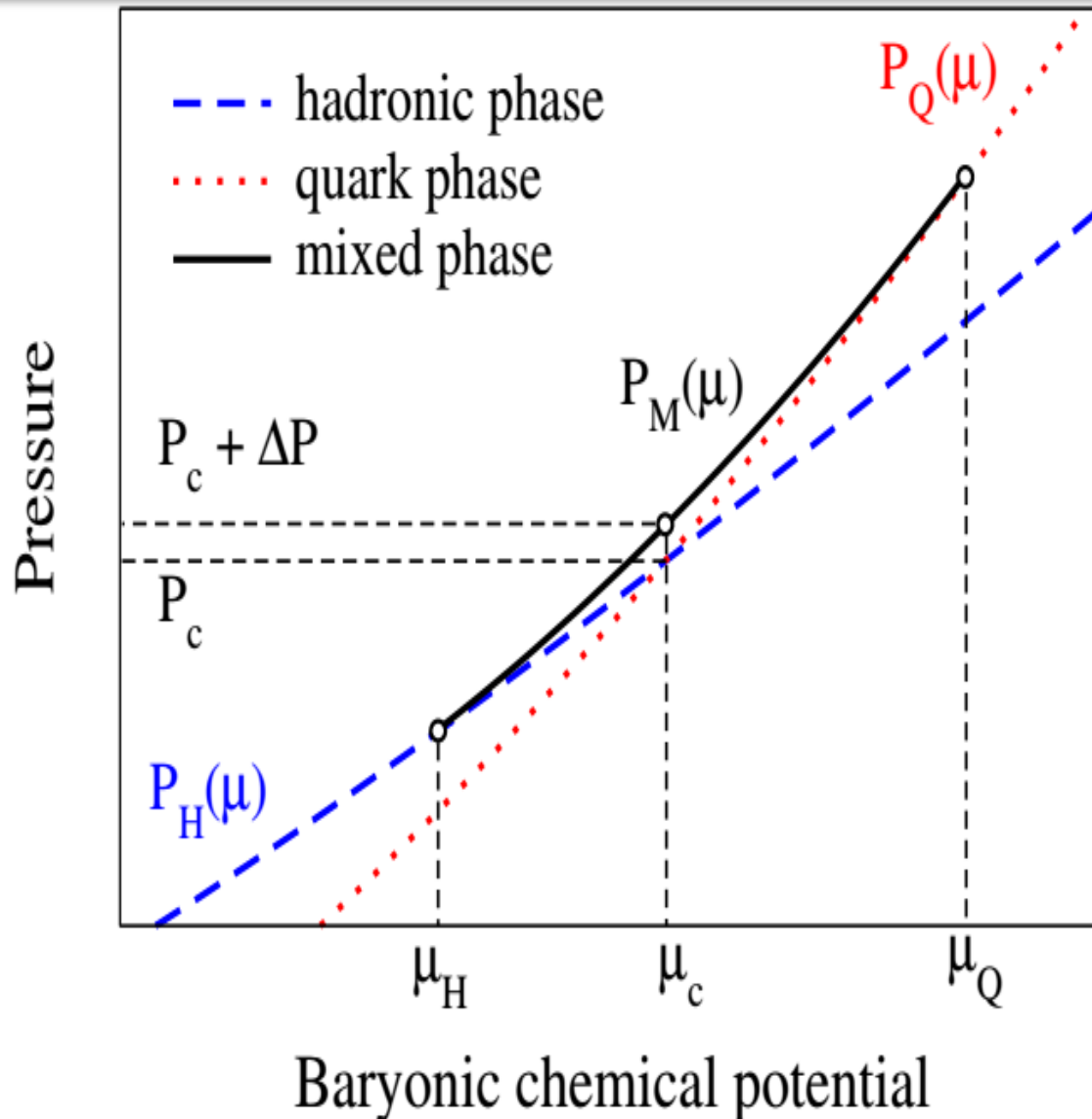




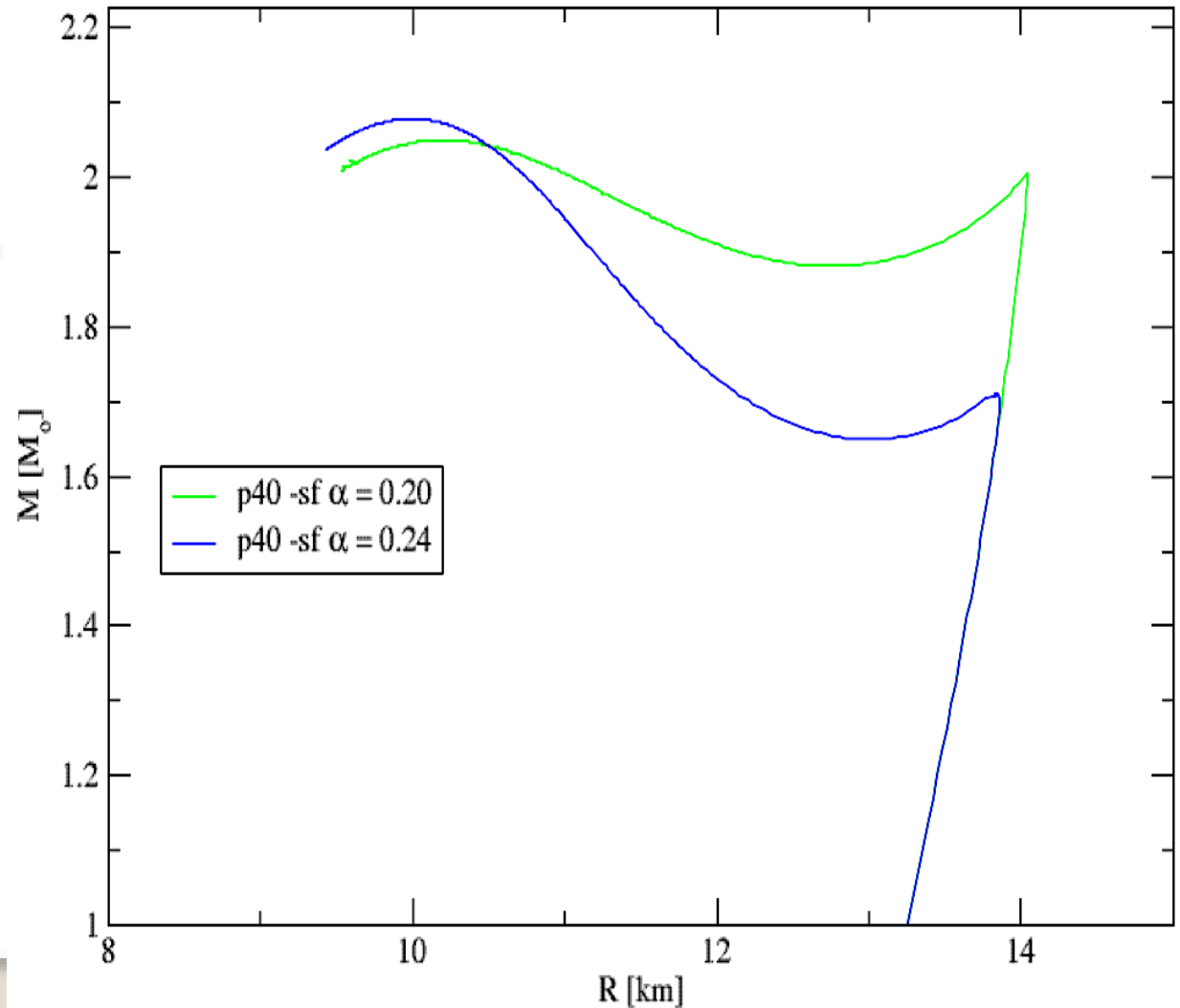
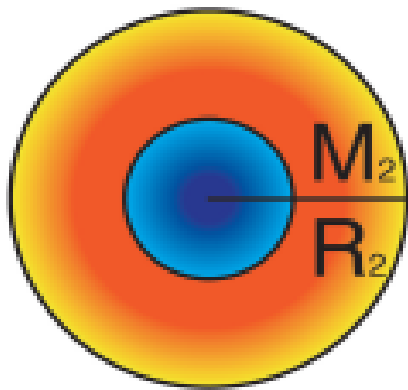
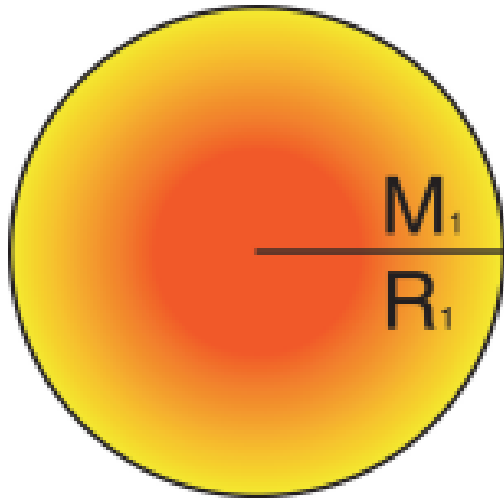
# Modern MR Data and Models



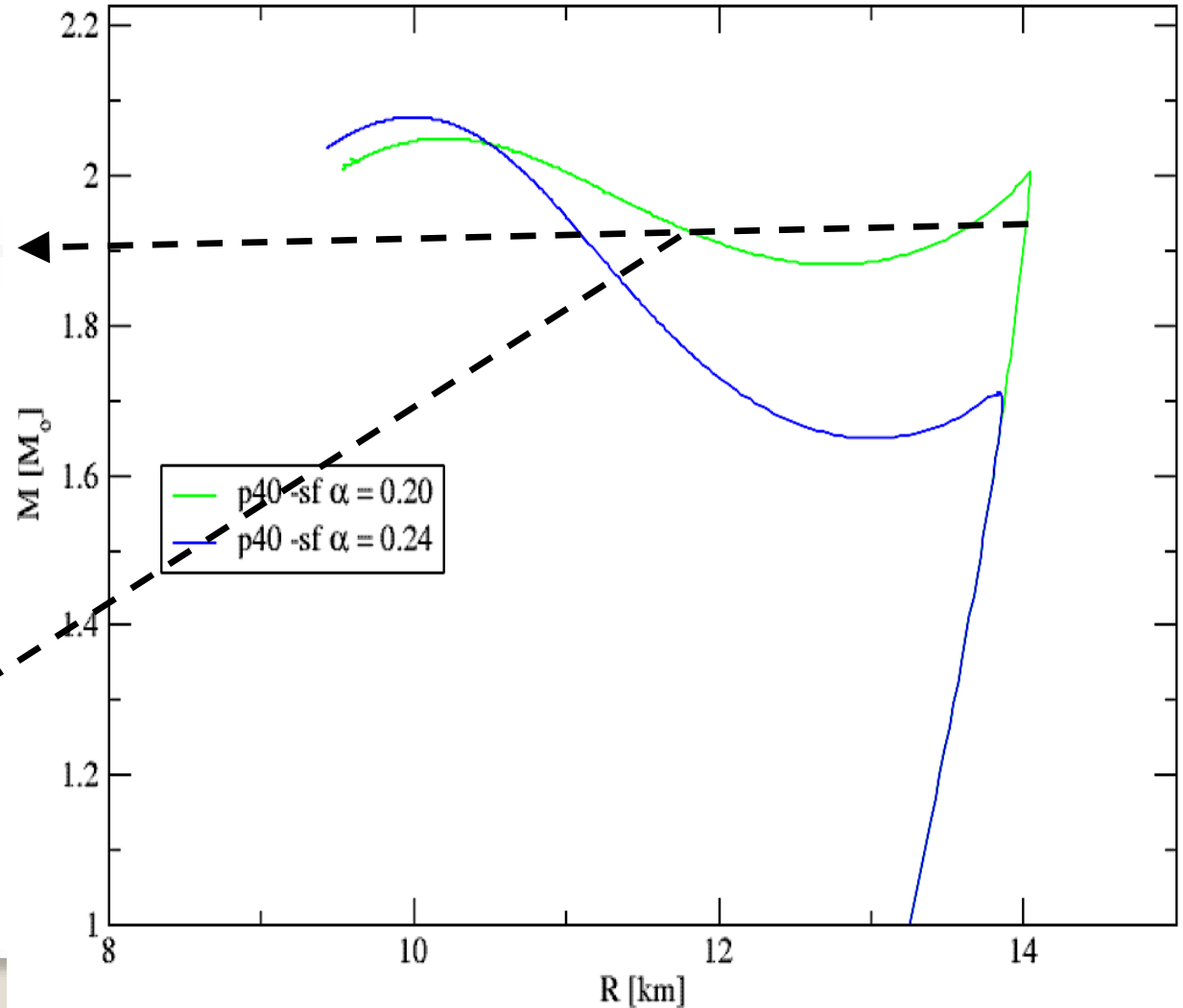
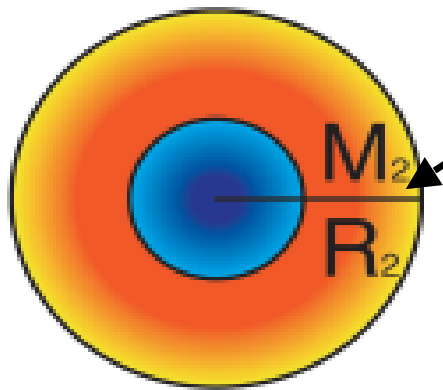
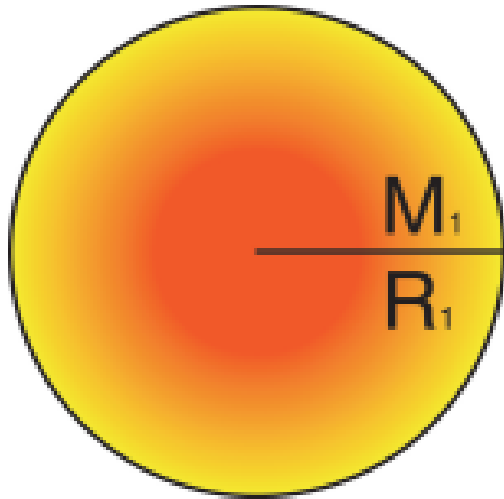
# Mixed Phase in Quark-Hadron Phase Transition



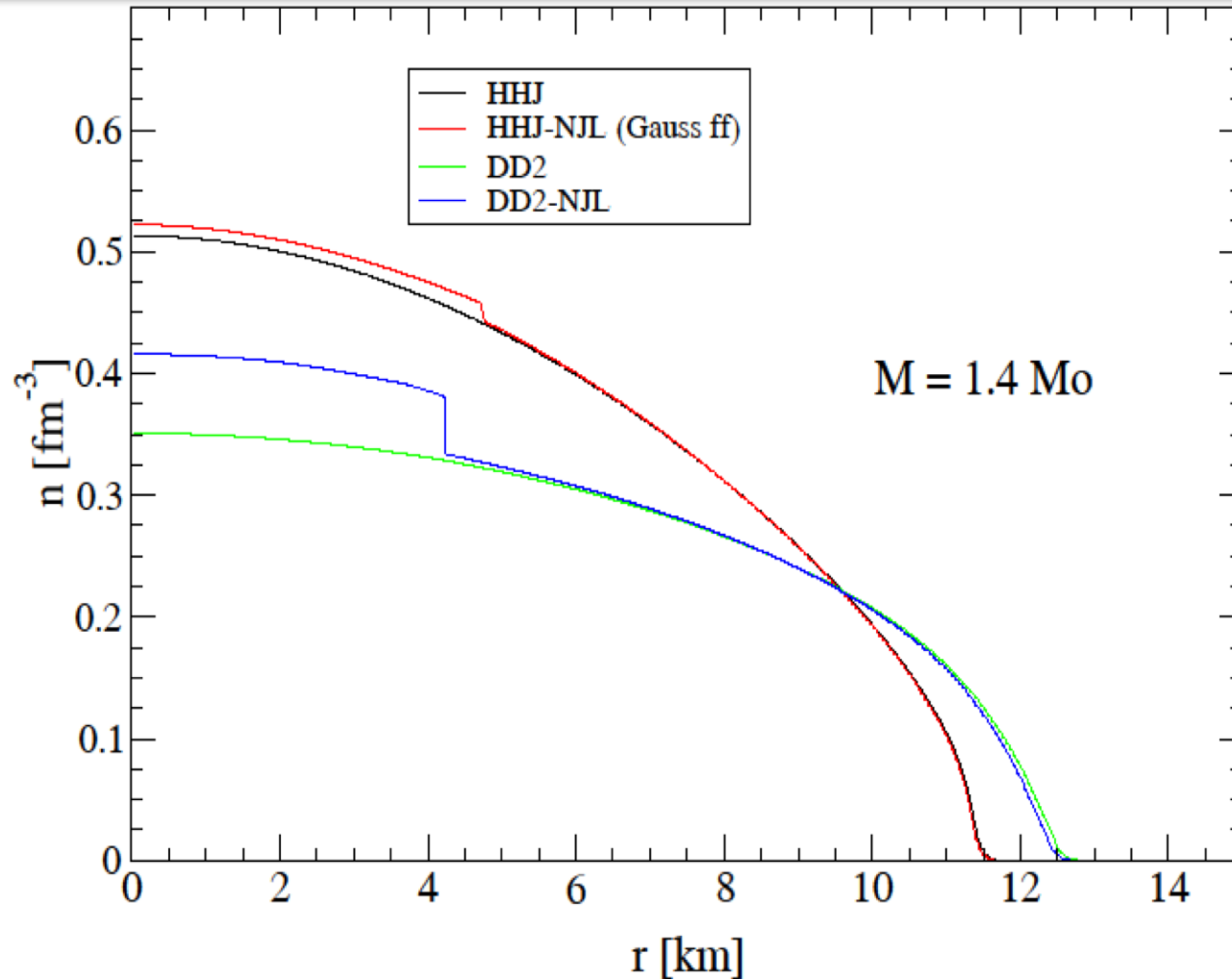
# High Mass Twin CS



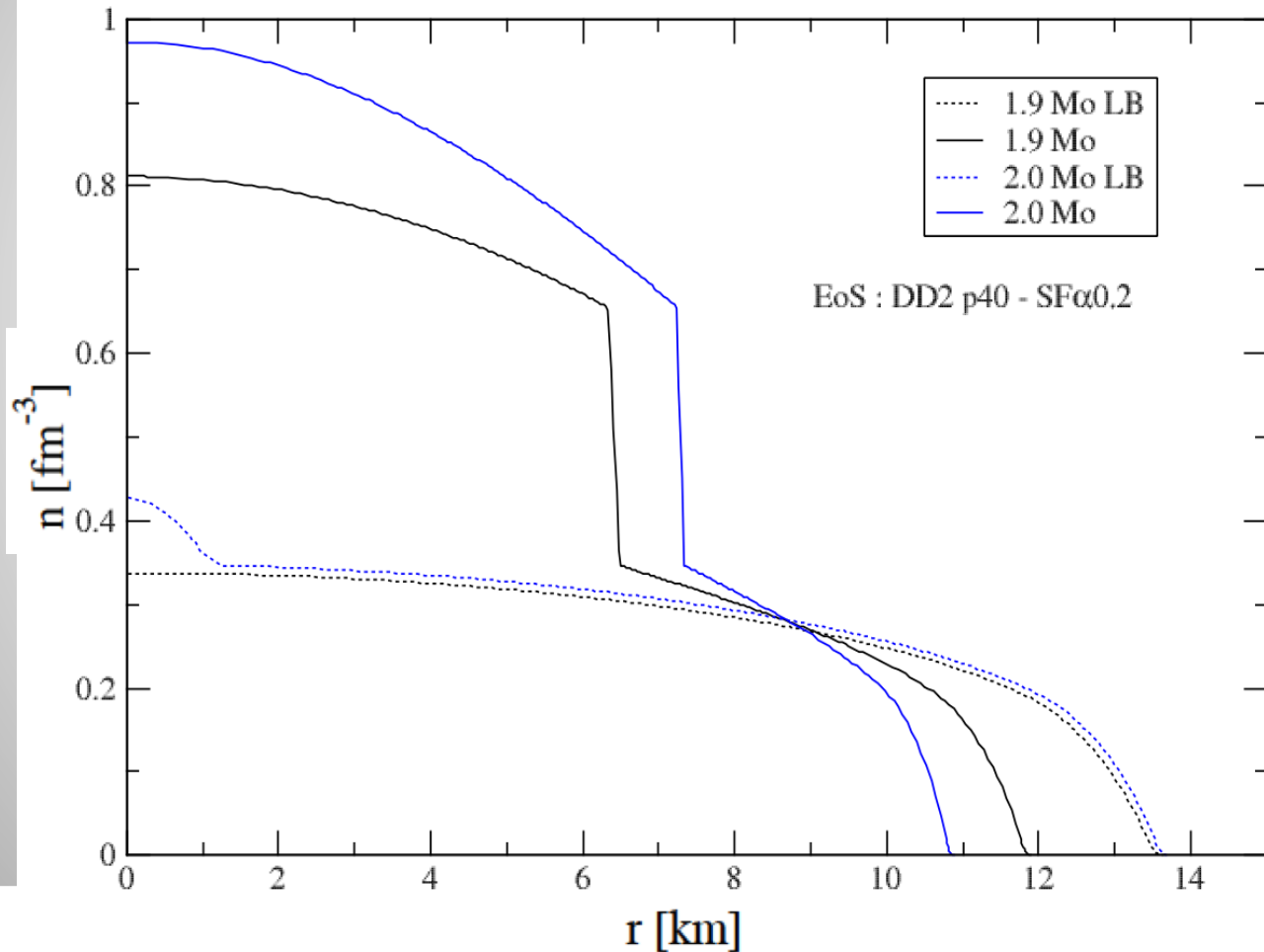
# High Mass Twin CS



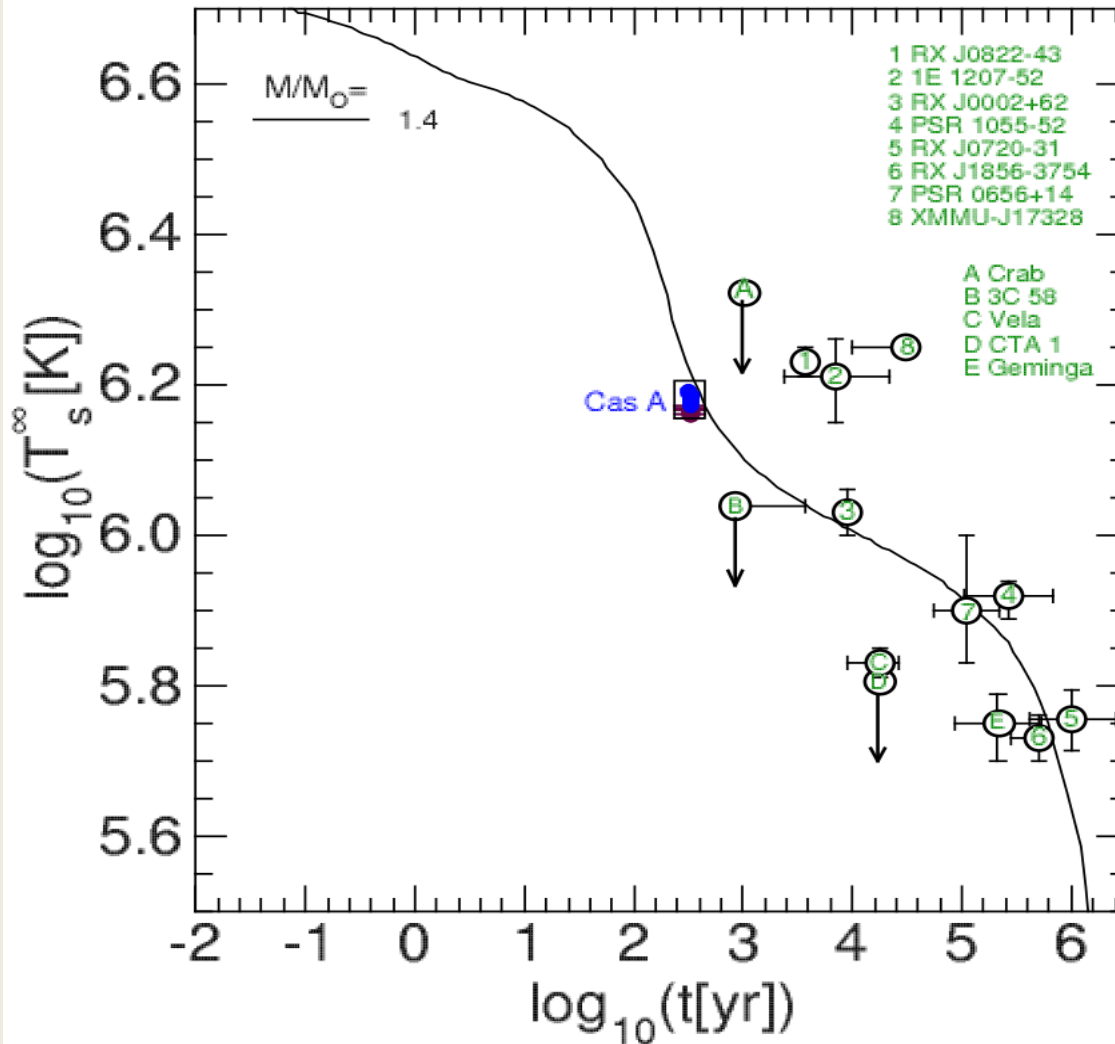
# Different Configurations with the same NS mass



# Different Configurations with the same NS mass



# Surface Temperature & Age Data



# Cooling Mechanism

$$\frac{dU}{dt} = \sum_i C_i \frac{dT}{dt} = -\varepsilon_\gamma - \sum_j \varepsilon_\nu^j$$

## Cooling Processes

- ➔ Direct Urca:  $n \rightarrow p + e + \bar{\nu}_e$
- ➔ Modified Urca:  $n + n \rightarrow n + p + e + \bar{\nu}_e$
- ➔ Photons:  $\rightarrow \gamma$
- ➔ Bremsstrahlung:  $n + n \rightarrow n + n + \nu + \bar{\nu}$



# Cooling Evolution

The energy flux per unit time  $l(r)$  through a spherical slice at distance  $r$  from the center is:

$$l(r) = -4\pi r^2 k(r) \frac{\partial(Te^\Phi)}{\partial r} e^{-\Phi} \sqrt{1 - \frac{2M}{r}}.$$

The equations for energy balance and thermal energy transport are:

$$\frac{\partial}{\partial N_B}(le^{2\Phi}) = -\frac{1}{n}(\epsilon_\nu e^{2\Phi} + c_V \frac{\partial}{\partial t}(Te^\Phi))$$
$$\frac{\partial}{\partial N_B}(Te^\Phi) = -\frac{1}{k} \frac{le^\Phi}{16\pi^2 r^4 n}$$

where  $n = n(r)$  is the baryon number density,  $N_B = N_B(r)$  is the total baryon number in the sphere with radius  $r$

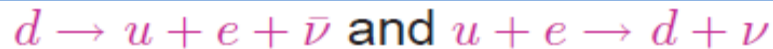
$$\frac{\partial N_B}{\partial r} = 4\pi r^2 n \left(1 - \frac{2M}{r}\right)^{-1/2}$$

F.Weber: Pulsars as Astro. Labs ... (1999);

D. Blaschke Grigorian, Voskresensky, A& A 368 (2001)561.

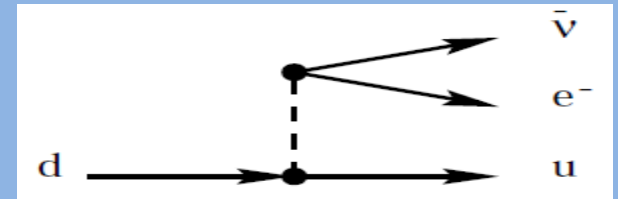
# Neutrino emissivities in quark matter:

- Quark direct Urca (QDU) the most efficient processes

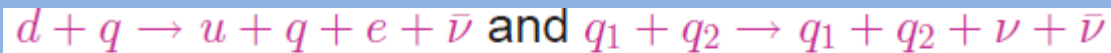


$$\epsilon_{\nu}^{\text{QDU}} \simeq 9.4 \times 10^{26} \alpha_s u Y_e^{1/3} \zeta_{\text{QDU}} T_9^6 \text{ erg cm}^{-3} \text{ s}^{-1},$$

Compression  $n/n_0 \simeq 2$ , strong coupling  $\alpha_s \approx 1$



- Quark Modified Urca (QMU) and Quark Bremsstrahlung

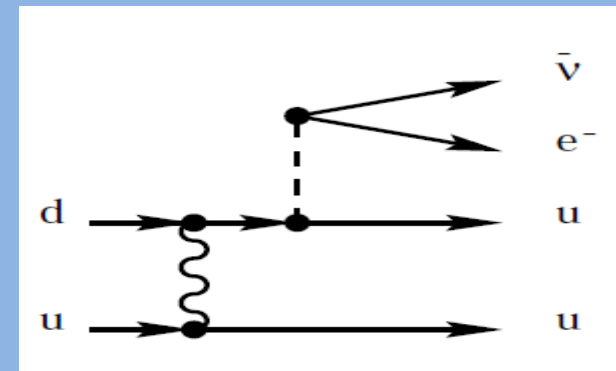


$$\epsilon_{\nu}^{\text{QMU}} \sim \epsilon_{\nu}^{\text{QB}} \simeq 9.0 \times 10^{19} \zeta_{\text{QMU}} T_9^8 \text{ erg cm}^{-3} \text{ s}^{-1}.$$

- Suppression due to the pairing

$$\text{QDU} : \zeta_{\text{QDU}} \sim \exp(-\Delta_q/T)$$

$$\text{QMU and QB} : \zeta_{\text{QMU}} \sim \exp(-2\Delta_q/T) \text{ for } T < T_{\text{crit},q} \simeq 0.57 \Delta_q$$



- Enhanced cooling due to the pairing

- $e + e \rightarrow e + e + \nu + \bar{\nu}$  (becomes important for  $\Delta_q/T \gg 1$ )

$$\epsilon_{\nu}^{ee} = 2.8 \times 10^{12} Y_e^{1/3} u^{1/3} T_9^8 \text{ erg cm}^{-3} \text{ s}^{-1},$$

Quark PBF

# Neutrino emissivities in hadronic matter:

- Direct Urca (DU) the most efficient processes

$$\epsilon_{DU} = M_{DU} * (m_p^*)(m_n^*) * \Gamma_{wN}^2 * (n_e)^{1/3} (T_9)^6 * R_D;$$

$$M_{DU} = 4 \times 10^{27} \text{ erg/s/cm}^3$$

- Modified Urca (MU) and Bremsstrahlung

$$\epsilon_{MUP} = F_M * M_p * (m_p)^3 (m_n^*) (T_9)^8 (n_e)^{1/3} * R_{MUP}(v_n, v_p);$$

$$\epsilon_{nnBS} = P_{nnBS} * R_{BS}^{nn}(v_n) * \Gamma_w^2 \Gamma_s^4 (n_b)^{4/3} (T_9)^8 (m_n^*)^4 / (\omega)^3;$$

- Suppression due to the pairing

$$v_N = \Delta_N(T)/T = \sqrt{1 - \tau_N} \left( 1.456 - \frac{0.157}{\sqrt{\tau_N}} + \frac{1.766}{\tau_N} \right)$$

- Enhanced cooling due to the pairing

$$\epsilon_{\nu}^{\text{NPBF}} = 6.6 \times 10^{28} (m_n^*/m_n) (\Delta_n(T)/\text{MeV})^7 u^{1/3}$$

$$\times \xi I(\Delta_n(T)/T) \text{ erg cm}^{-3} \text{ s}^{-1},$$

$$\epsilon_{\nu}^{\text{PPBF}} = 0.8 \times 10^{28} (m_p^*/m_p) (\Delta_p(T)/\text{MeV})^7 u^{2/3}$$

$$\times I(\Delta_p(T)/T) \text{ erg cm}^{-3} \text{ s}^{-1},$$

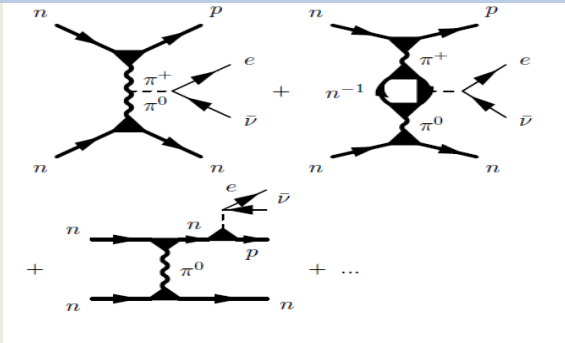
# Medium Effects In Cooling Of Neutron Stars

- Based on Fermi liquid theory ( Landau (1956), Migdal (1967), Migdal et al. (1990))
- MMU – insted of MU

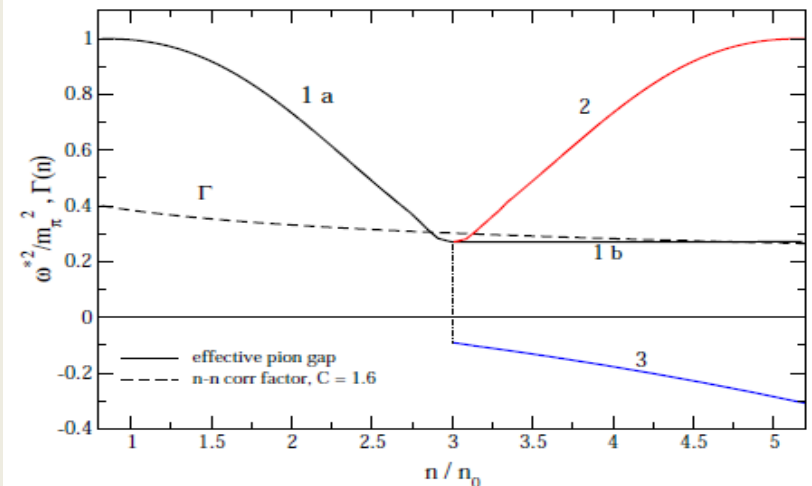
- Main regulator in Minimal Cooling

$$\varepsilon_\nu [\text{MpPBF}] \sim 10^{29} \frac{m_N^*}{m_N} \left[ \frac{p_{Fp}}{p_{Fn}(n_0)} \right] \left[ \frac{\Delta_{pp}}{\text{MeV}} \right]^7$$

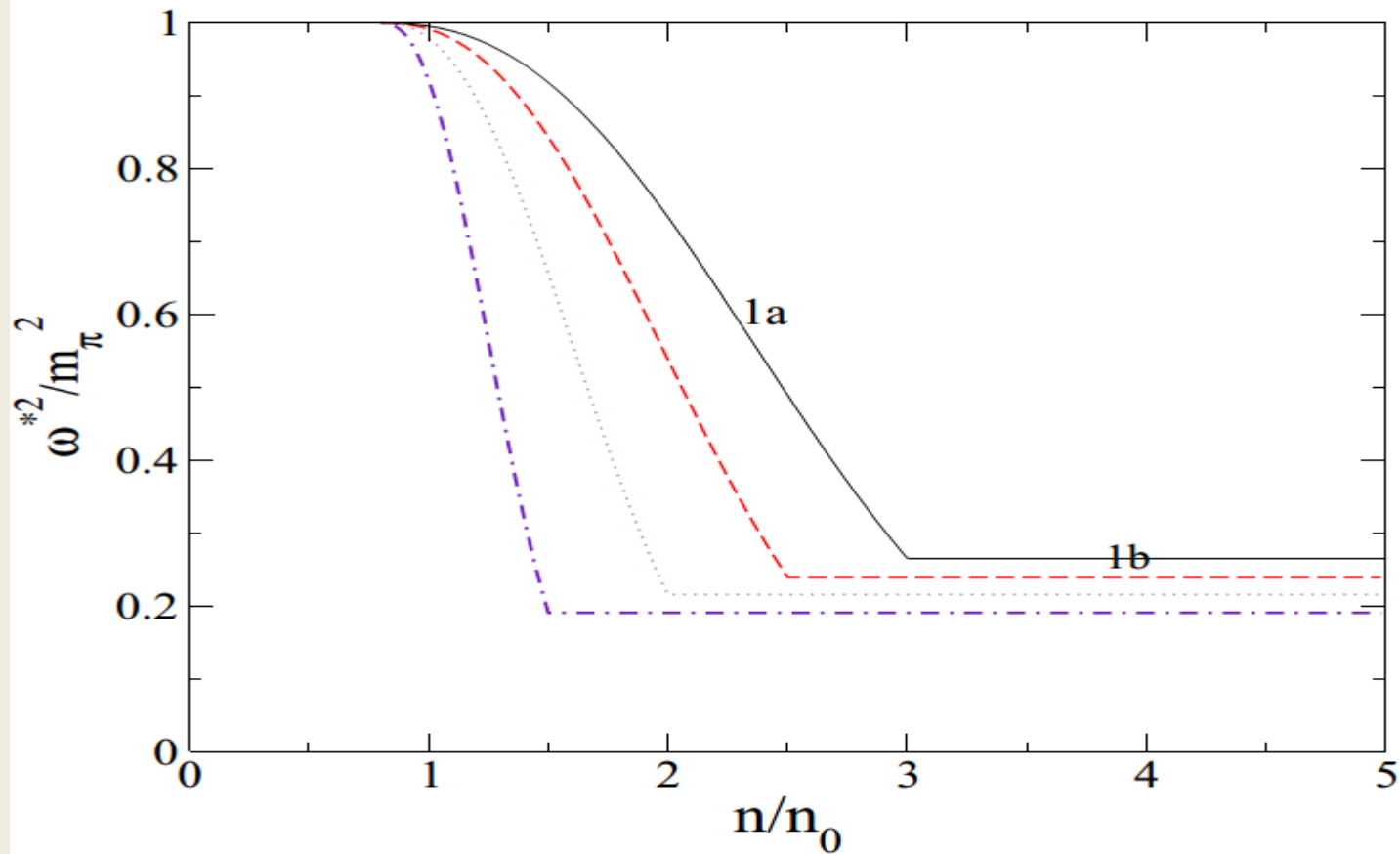
$$\times \left[ \frac{T}{\Delta_{pp}} \right]^{1/2} \xi_{pp}^2 \frac{\text{erg}}{\text{cm}^3 \text{ sec}}, \quad T < T_{cp}.$$



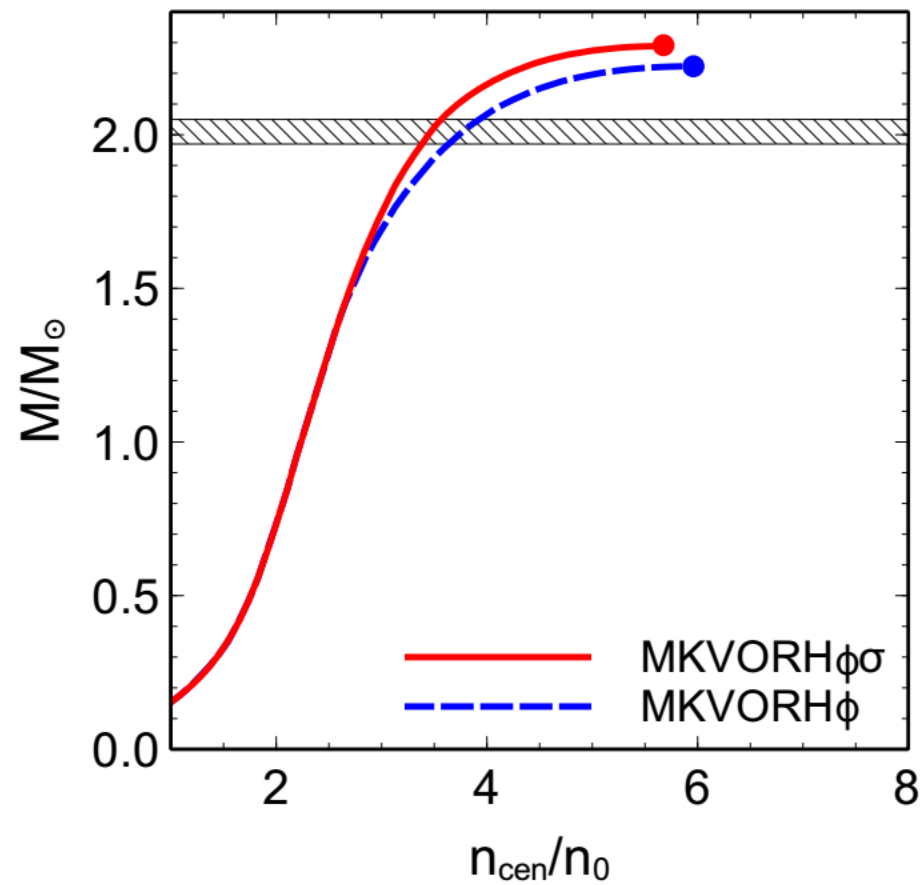
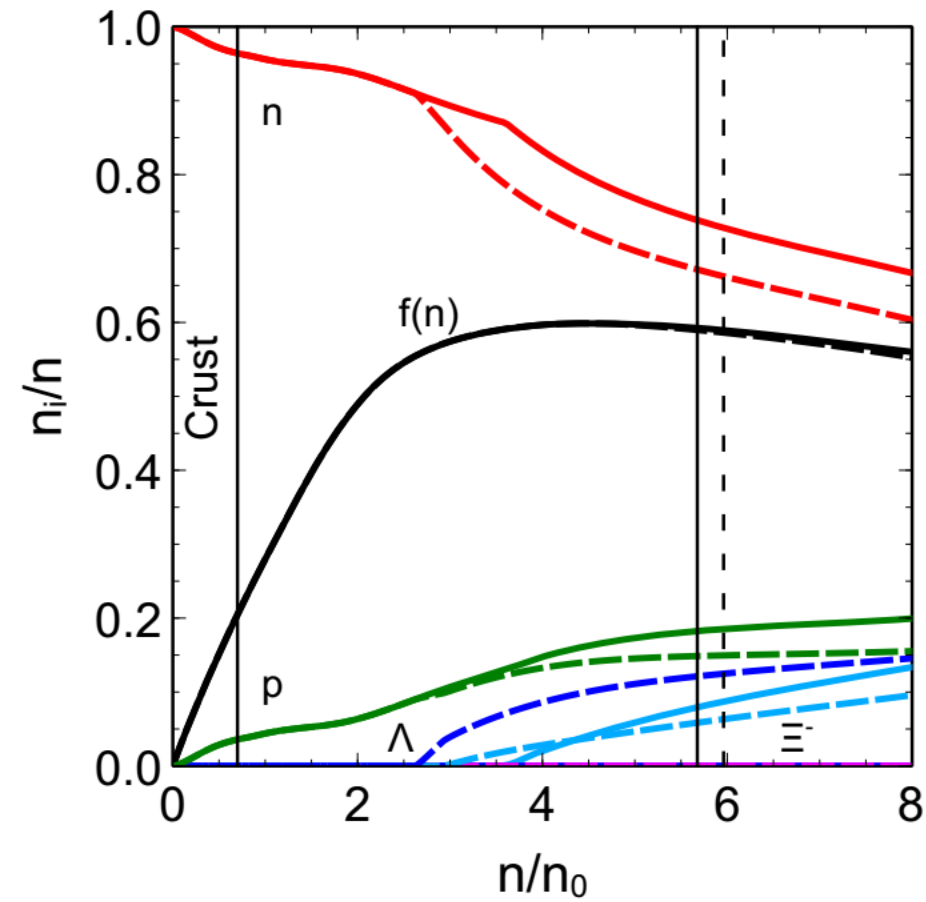
$$\frac{\varepsilon_\nu [\text{MMU}]}{\varepsilon_\nu [\text{MU}]} \sim 10^3 \left( \frac{n}{n_0} \right)^{10/3} \frac{\Gamma^6(n)}{[\omega^*(n)/m_\pi]^8},$$



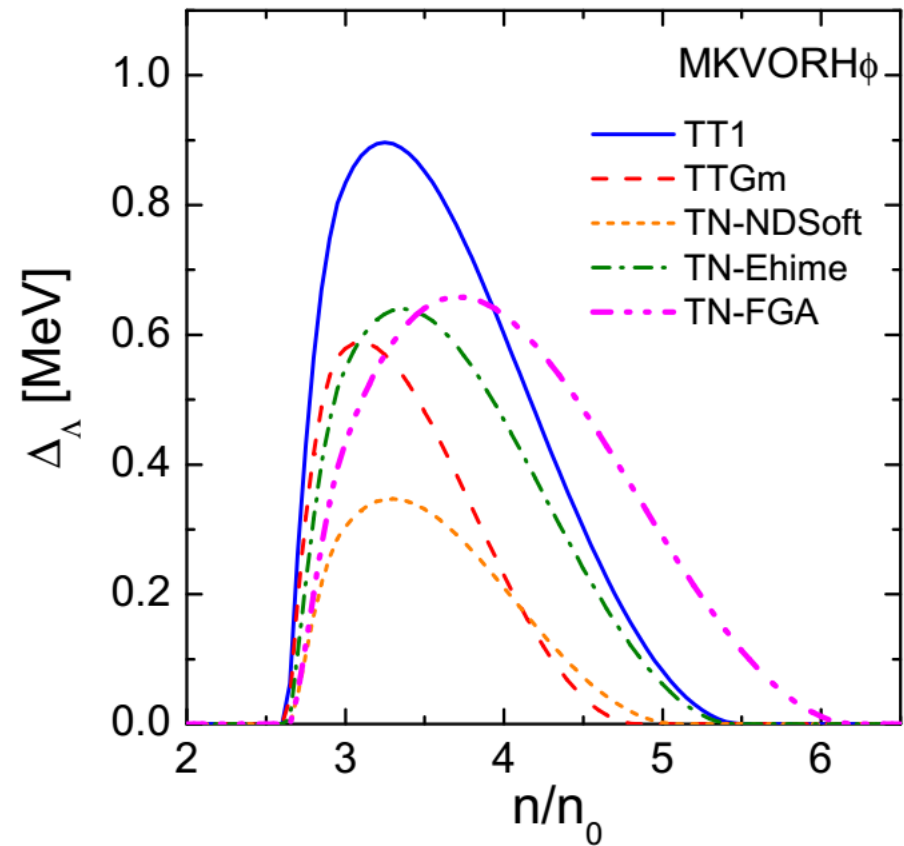
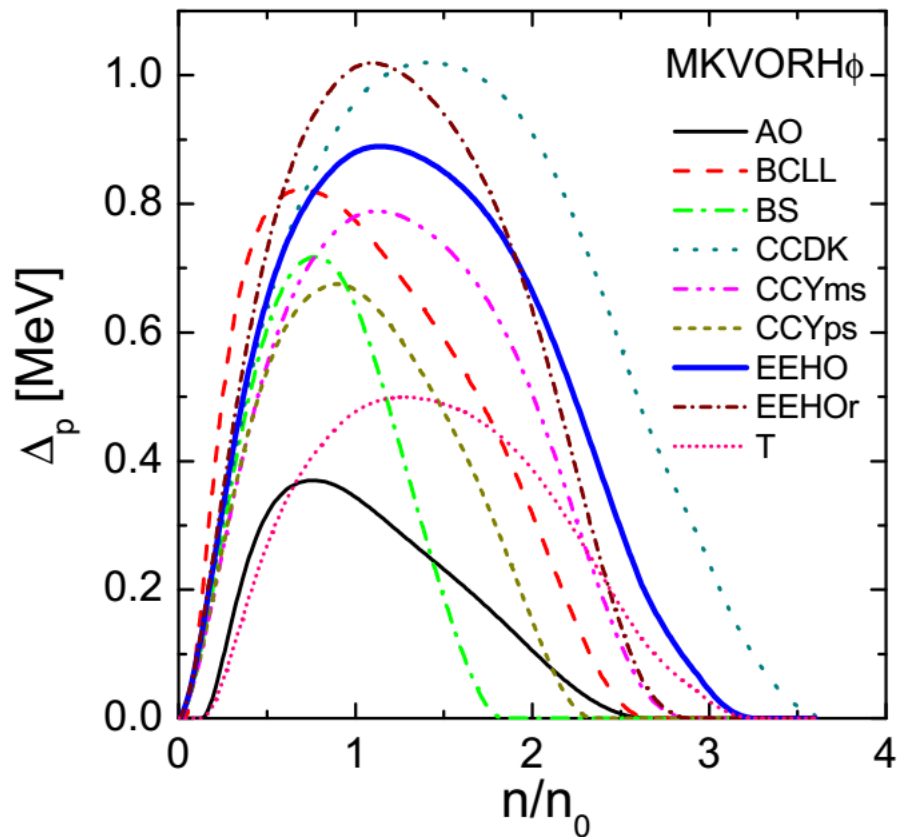
# Medium Effects In Cooling Of Neutron Stars



# MKVOR – EoS model



# MKVORHp – Gap models



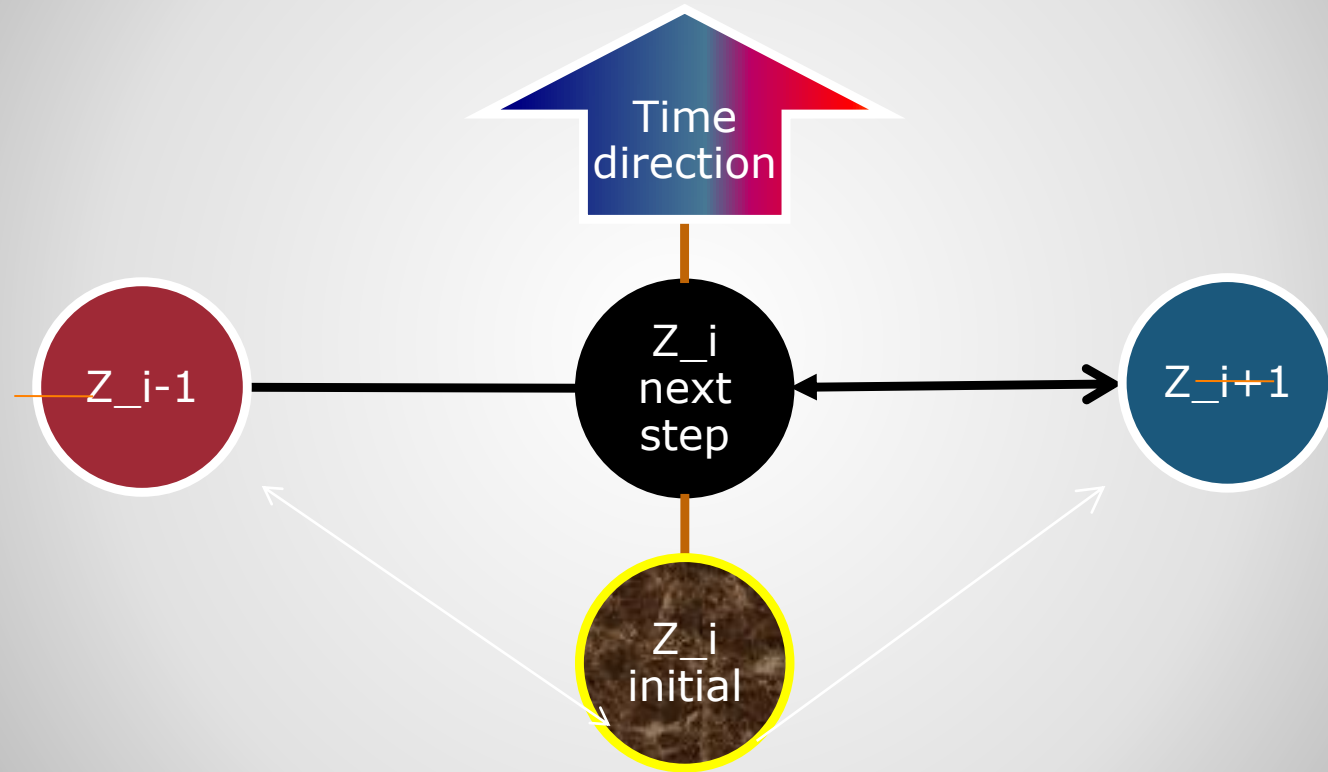
# Equations for Cooling Evolution

$$\left\{ \begin{array}{l} \frac{\partial z(\tau, a)}{\partial \tau} = A(z, a) \frac{\partial L(\tau, a)}{\partial a} + B(z, a) \\ L(\tau, a) = C(z, a) \frac{\partial z(\tau, a)}{\partial a} \end{array} \right. \quad z(\tau, a) = \log T(\tau, a)$$

$$L_{i\pm 1/2} = \pm \frac{C_i + C_{i\pm 1}}{2} \frac{z_{i\pm 1} - z_i}{\Delta a_{i-1/2(1\mp 1)}} \quad \frac{\partial L_i}{\partial a} = 2 \frac{L_{i+1/2} - L_{i-1/2}}{\Delta a_i + \Delta a_{i-1}}$$



# Finite difference scheme



$$\alpha_{i,j-1} z_{i+1,j} + \beta_{i,j-1} z_{i,j} + \gamma_{i,j-1} z_{i-1,i} = \delta_{i,j-1}$$

# Finite difference scheme

$$\begin{pmatrix}
 \beta_{0,j-1} & \alpha_{0,j-1} & & & 0 \\
 \gamma_{1,j-1} & * & & * & \\
 & * & & * & * \\
 & & * & * & \alpha_{N-1,j-1} \\
 0 & & & \gamma_{N,j-1} & \beta_{N,j-1}
 \end{pmatrix}
 \begin{pmatrix}
 z_{0,j} \\
 z_{1,j} \\
 * \\
 * \\
 z_{N,j}
 \end{pmatrix}
 =
 \begin{pmatrix}
 \delta_{0,j-1} \\
 \delta_{1,j-1} \\
 * \\
 * \\
 \delta_{N,j-1}
 \end{pmatrix}$$

$$\alpha_{i,j-1} z_{i+1,j} + \beta_{i,j-1} z_{i,j} + \gamma_{i,j-1} z_{i-1,i} = \delta_{i,j-1}$$

# Crust Model

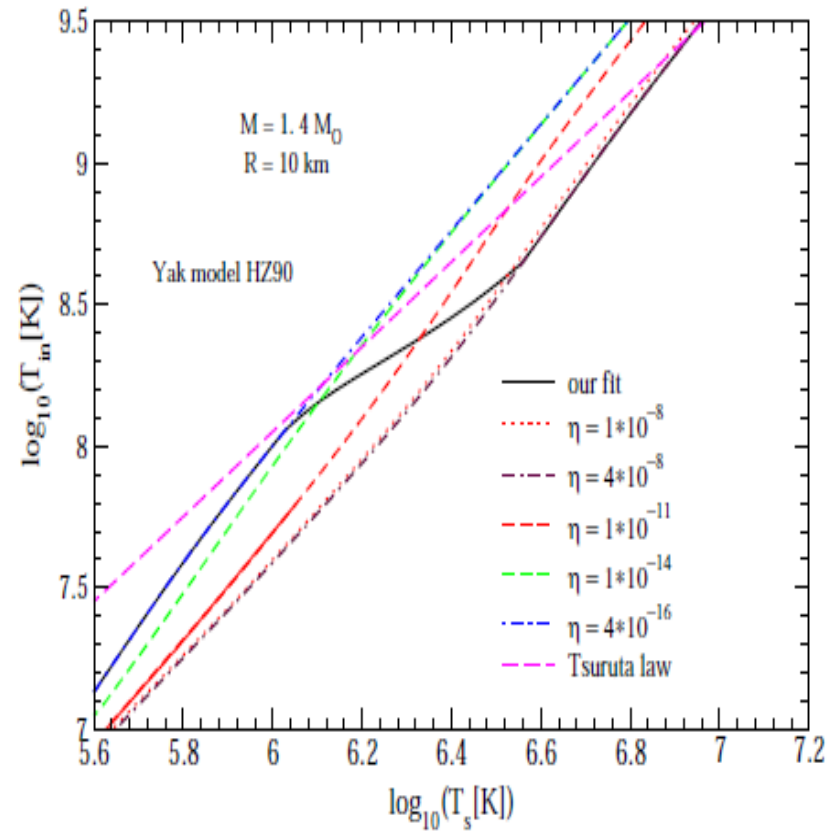
Time dependence of the light element contents in the crust

$$\Delta M_L(t) = e^{-t/\tau} \Delta M_L(0)$$

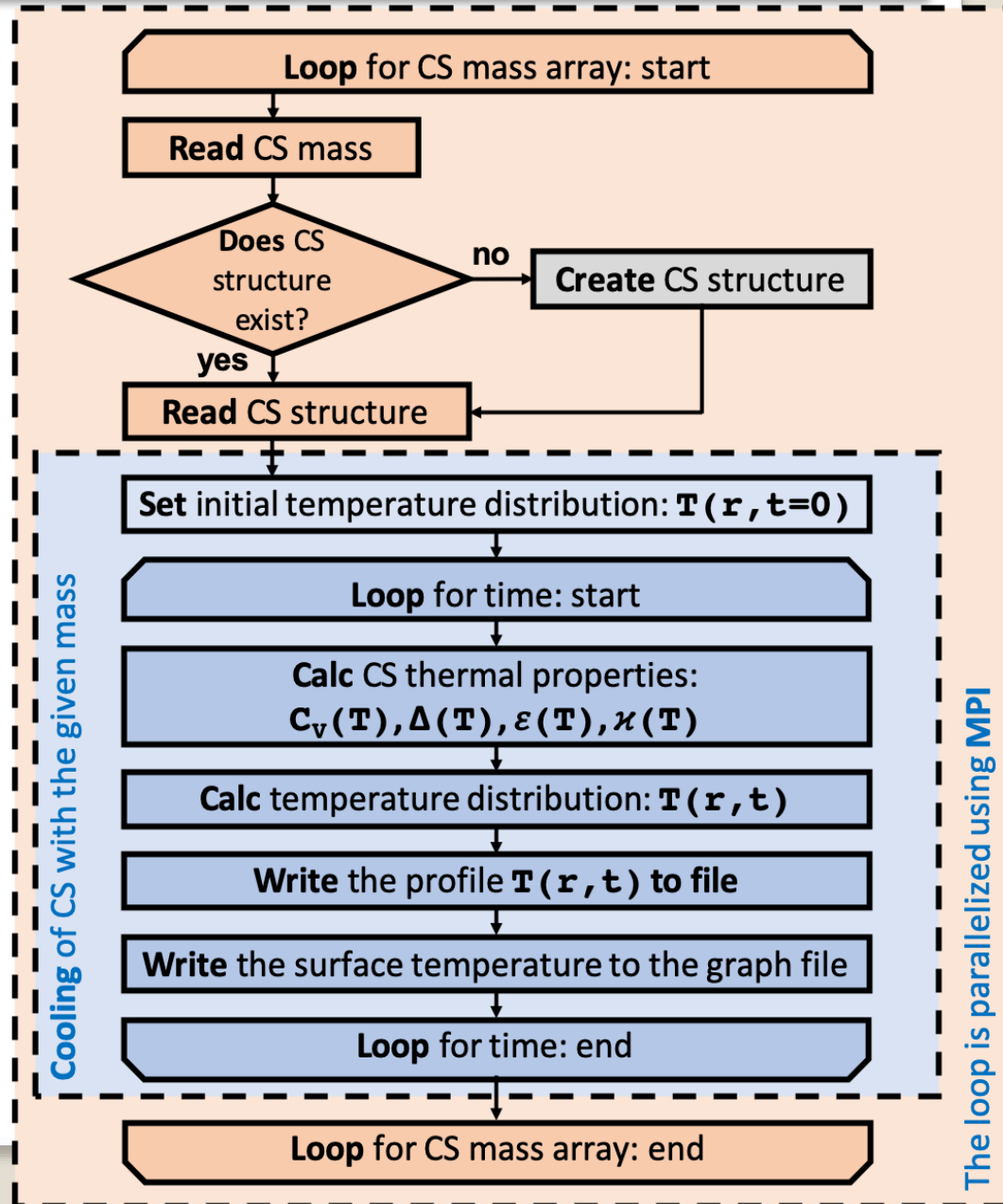
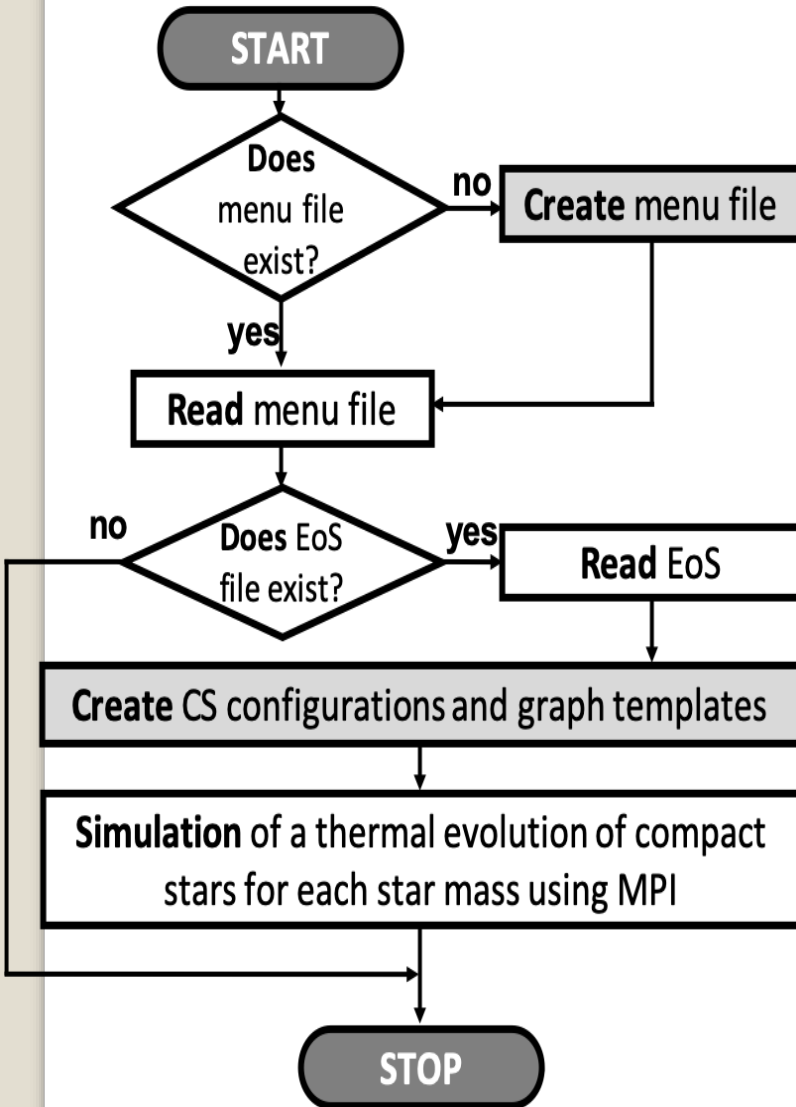
Blaschke, Grigorian, Voskresensky,  
*A&A* 368 (2001)561.

Page, Lattimer, Prakash & Steiner,  
*Astrophys. J.* 155, 623 (2004)

Yakovlev, Levenfish, Potekhin,  
Gnedin & Chabrier, *Astron. Astrophys.*  
417, 169 (2004)



# Program Algorithm



# Model parameters - DD2

```
Menu_dd2_2017n.dat

Model Parametrs

The HOME directory is : .\Data\DD2\Configs-2
The EV UOTPUT directory : .\Data\DD2\17-12-2019\EV-DD2-pi-F4-o3-D
Make EoS file : 0
Make new config. file : 0
Read full EoS from a file : 1
Read from : .\EoS\DD2_HG
Hadronic EoS
LWalecka (0) NLW (1) HDD (3) BSk20 (4): 3
Normal Shell : 0
Quark EoS SM model (1) Bag model (0) : 0
In case of SM GF (0) GL(1) NJL (2) : 0
with Quark core : 1
without Mixed phase : 1
Superconducting Quark core : 1
Quark Star : 0
Medium effects : 1
Pion condensate : 1
Crust Model (Yakovlev - Y Tsuruta - T our - G) : G
Gaps in Hadrons Model (Yakovlev - Y AV18 - A Schwenk - U Armen-fit - F) : F
for F-fit p-Gap
1-AO
2-BCLL
3-BS
4-CCDK
5-CCYms
6-CCYps
7-EEHO
8-EEHOr
9-T
: 4
for F-fit n-Gap
2-AWP2
3 - AWP3
4 - CCDK
5 - CLS
6 - GIPSF
7 - MSH
8 - SCLBL
9 - SFB
0 - WAP : 0
XGaps in 2SC QModel constant 0 - 0
constant 0.1 MeV - 1
constant 0.05 MeV - 5
constant 0.03 MeV - 3
rising 0.03 + MeV - A
increasing 0.03 - MeV - B
constant 0.03 ++ MeV - C
constant 0.03 -- MeV - D
: C
```

```
Menu_dd2_2017n.dat

Gap factors in HM
Protons 1S0p : 1
Neutrons 1S0n : 1
Neutrons 3P2n : 0.1

End time point log10(t/yr) : 8

initial temperatur in MeV : 0.5

minimal value of log Temperature : 5.5

Print output files for LogN-LogS : 0

Print profiles for the time points : 0

Number of points : 7
0 0 0 0 0 0 0

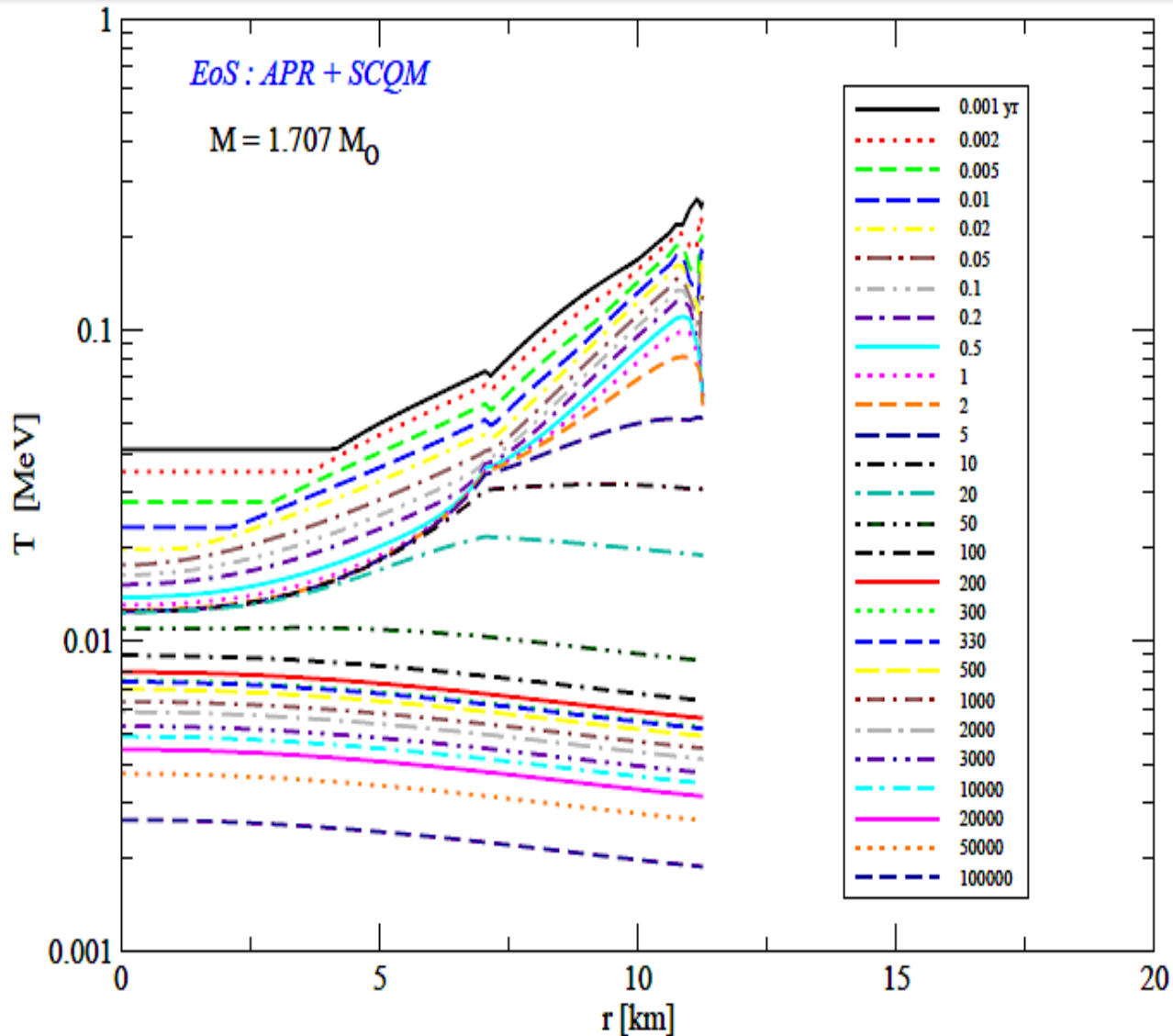
The Masses [Mo] of Configurations to be Cooled

Number of points : 51
1.450
0.5 0.51 0.52 0.53 0.54 0.55 0.56 0.57 0.58 0.59
0.6 0.61 0.62 0.63 0.64 0.65 0.66 0.67 0.68 0.69
0.7 0.71 0.72 0.73 0.74 0.75 0.76 0.77 0.78 0.79
0.8 0.81 0.82 0.83 0.84 0.85 0.86 0.87 0.88 0.89
0.9 0.91 0.92 0.93 0.94 0.95 0.96 0.97 0.98 0.99

1.0 1.01 1.02 1.03 1.04 1.05 1.06 1.07 1.08 1.09
1.10 1.11 1.12 1.13 1.14 1.15 1.16 1.17 1.18 1.19
1.20 1.21 1.22 1.23 1.24 1.25 1.26 1.27 1.28 1.29
1.30 1.31 1.32 1.33 1.34 1.35 1.36 1.37 1.38 1.39
1.40 1.41 1.42 1.43 1.44 1.45 1.46 1.47 1.48 1.49
1.50 1.51 1.52 1.53 1.54 1.55 1.56 1.57 1.58 1.59
1.60 1.61 1.62 1.63 1.64 1.65 1.66 1.67 1.68 1.69
1.70 1.71 1.72 1.73 1.74 1.75 1.76 1.77 1.78 1.79
1.80 1.81 1.82 1.83 1.84 1.85 1.86 1.87 1.88 1.89
1.90 1.91 1.92 1.93 1.94 1.95 1.96 1.97 1.98 1.99
2.00 2.01 2.02 2.03 2.04
2.05 2.06 2.07 2.08 2.09
2.10 2.11 2.12 2.13 2.14 2.15 2.16 2.17 2.18 2.19
2.20
2.21 2.22 2.23 2.24 2.25 2.26 2.27 2.28 2.29
2.30 2.31 2.32 2.33 2.34 2.35 2.36 2.37 2.38 2.39
2.40 2.41

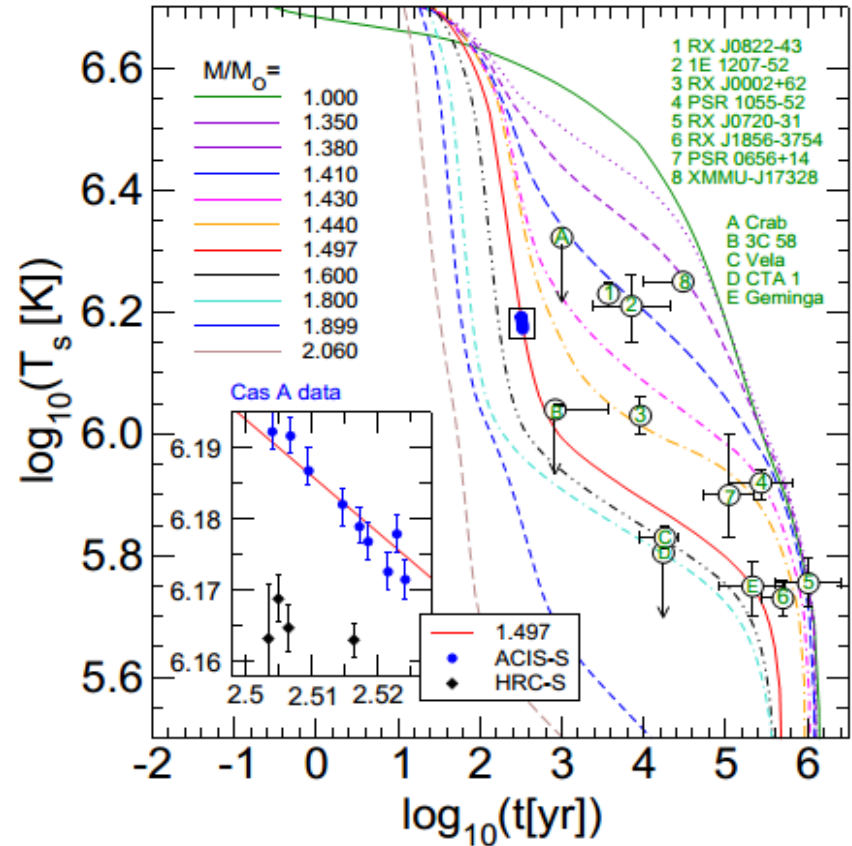
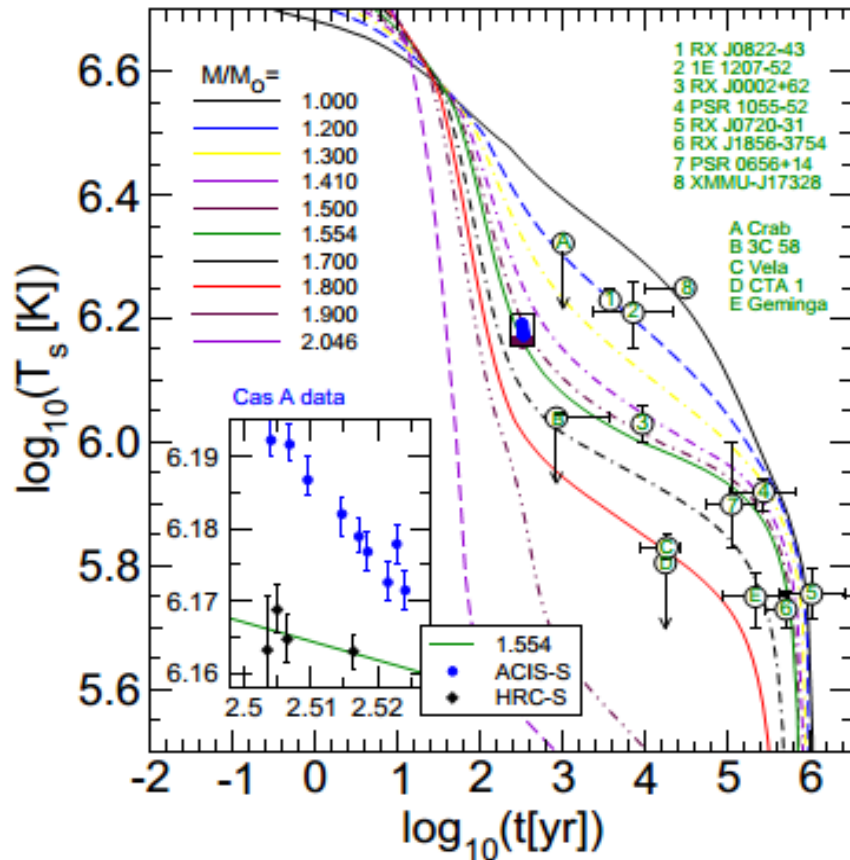
1.0 1.1 1.2 1.3 1.4 1.5 1.6 1.7 1.8 1.9 2.0 2.1 2.2
```

# Temperature in the Hybrid Star Interior



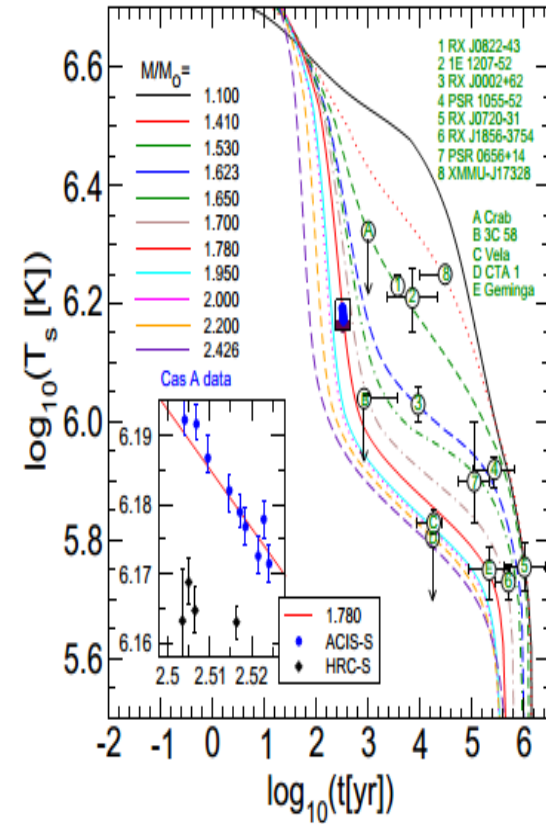
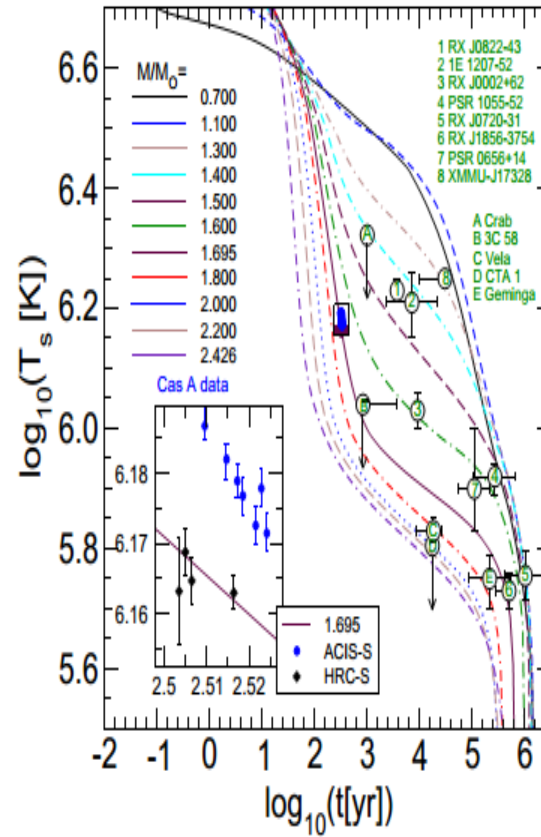
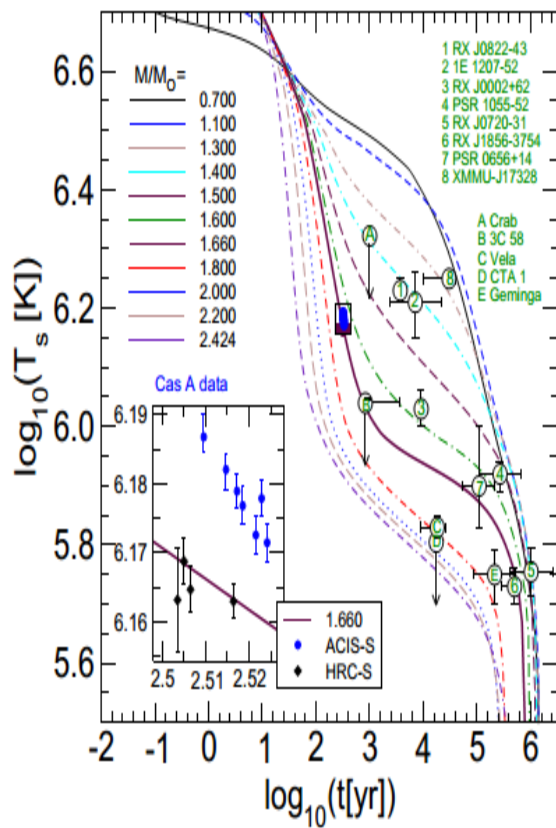
# HDD - AV18 , Yak.

ME nc = 3 n0



# DD2 – EEH0r

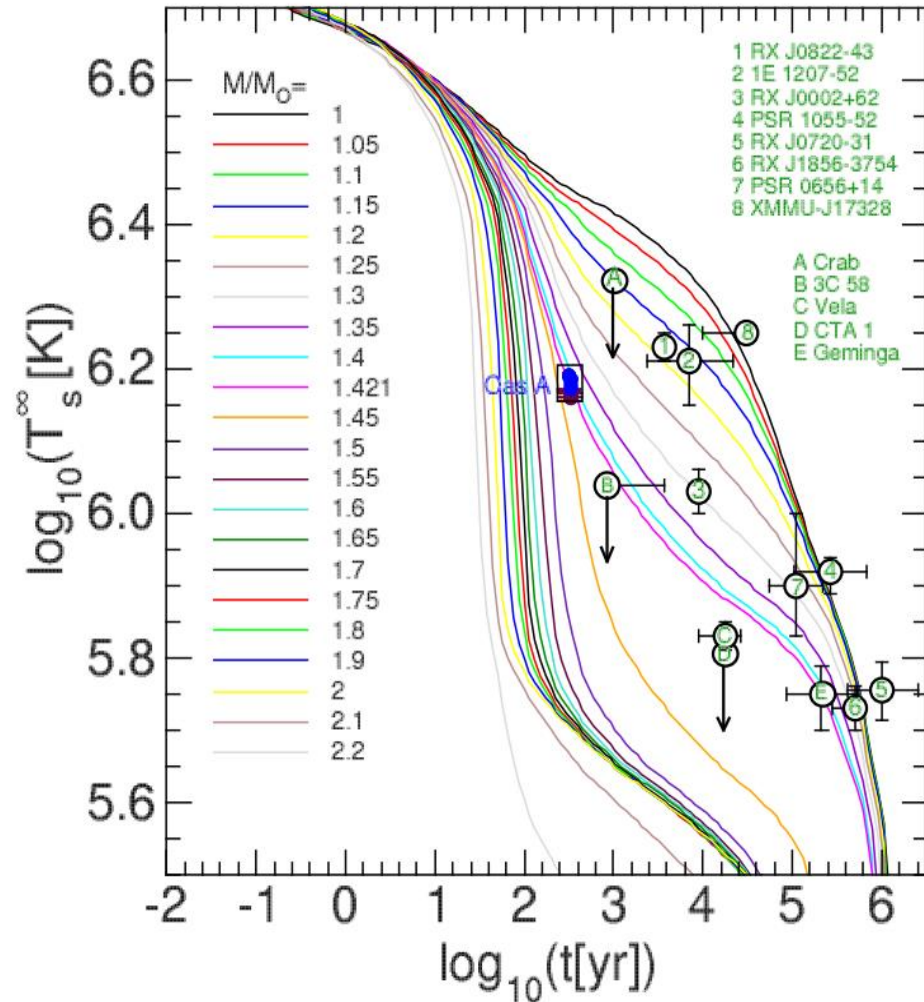
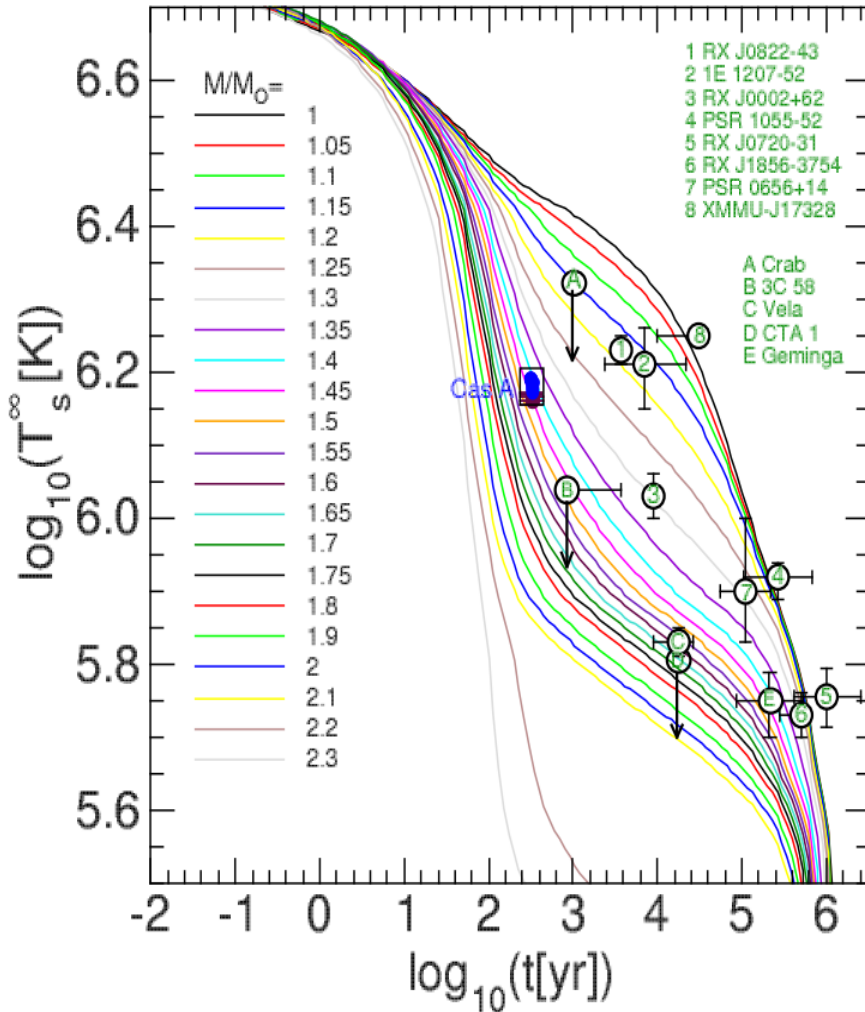
ME-nc=1.5, 2.0, 2.5n0





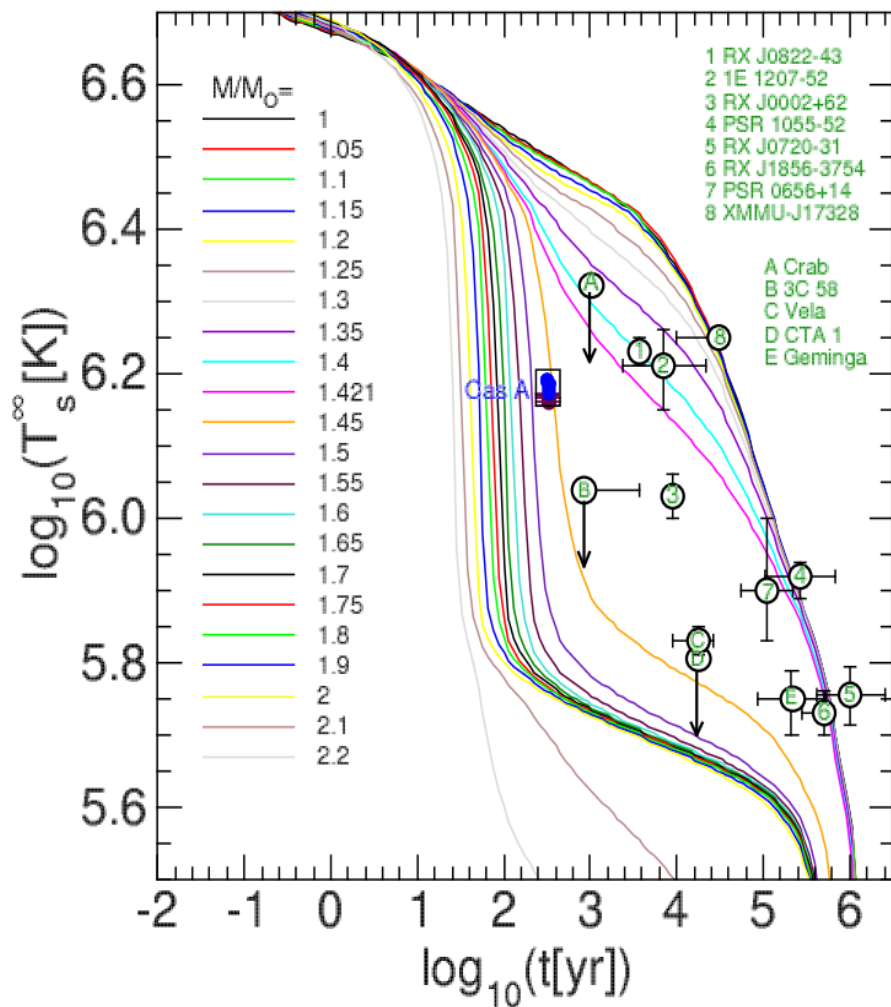
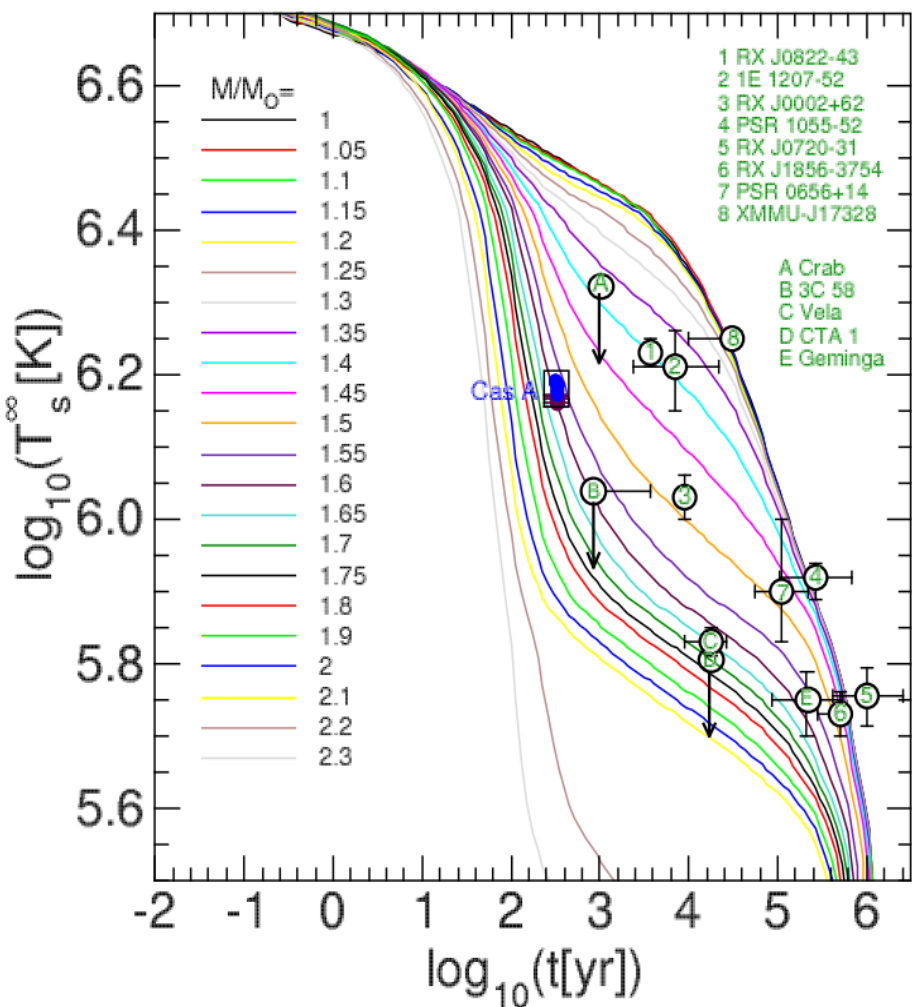
# MKVOR – BCLL, TN-FGA

## ME-nc=3.0n0

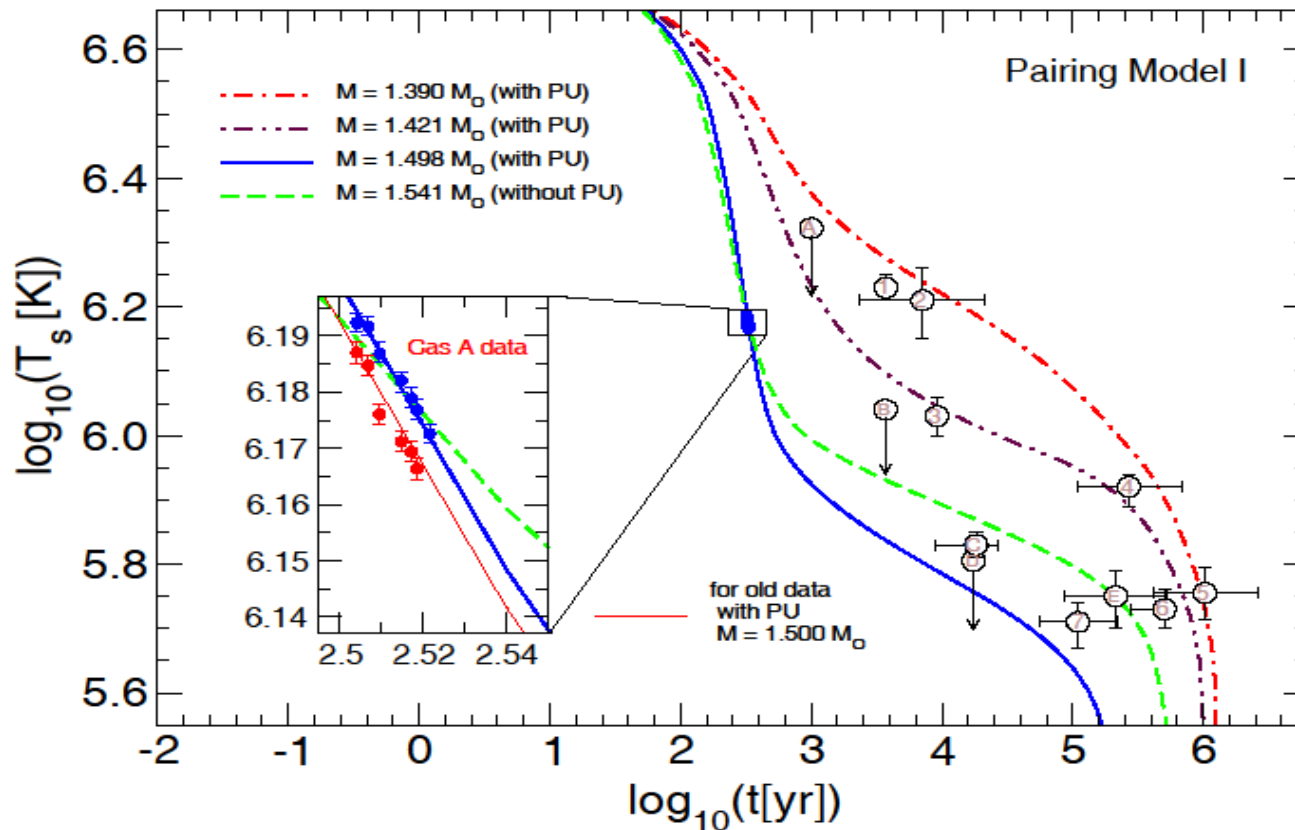


# MKVOR Hyp – EEH0r, TN-FGA

## ME-nc=3.0n0

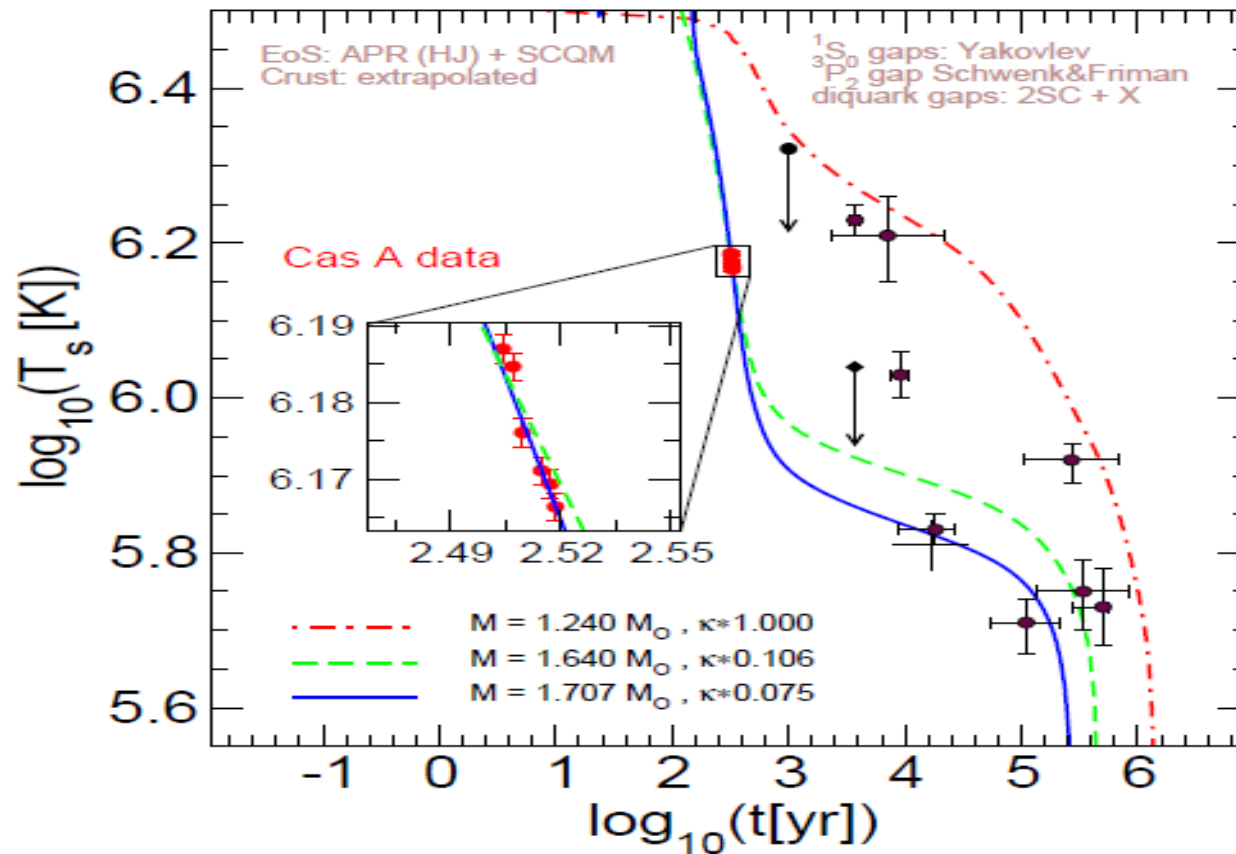


# Cas A as an Hadronic Star

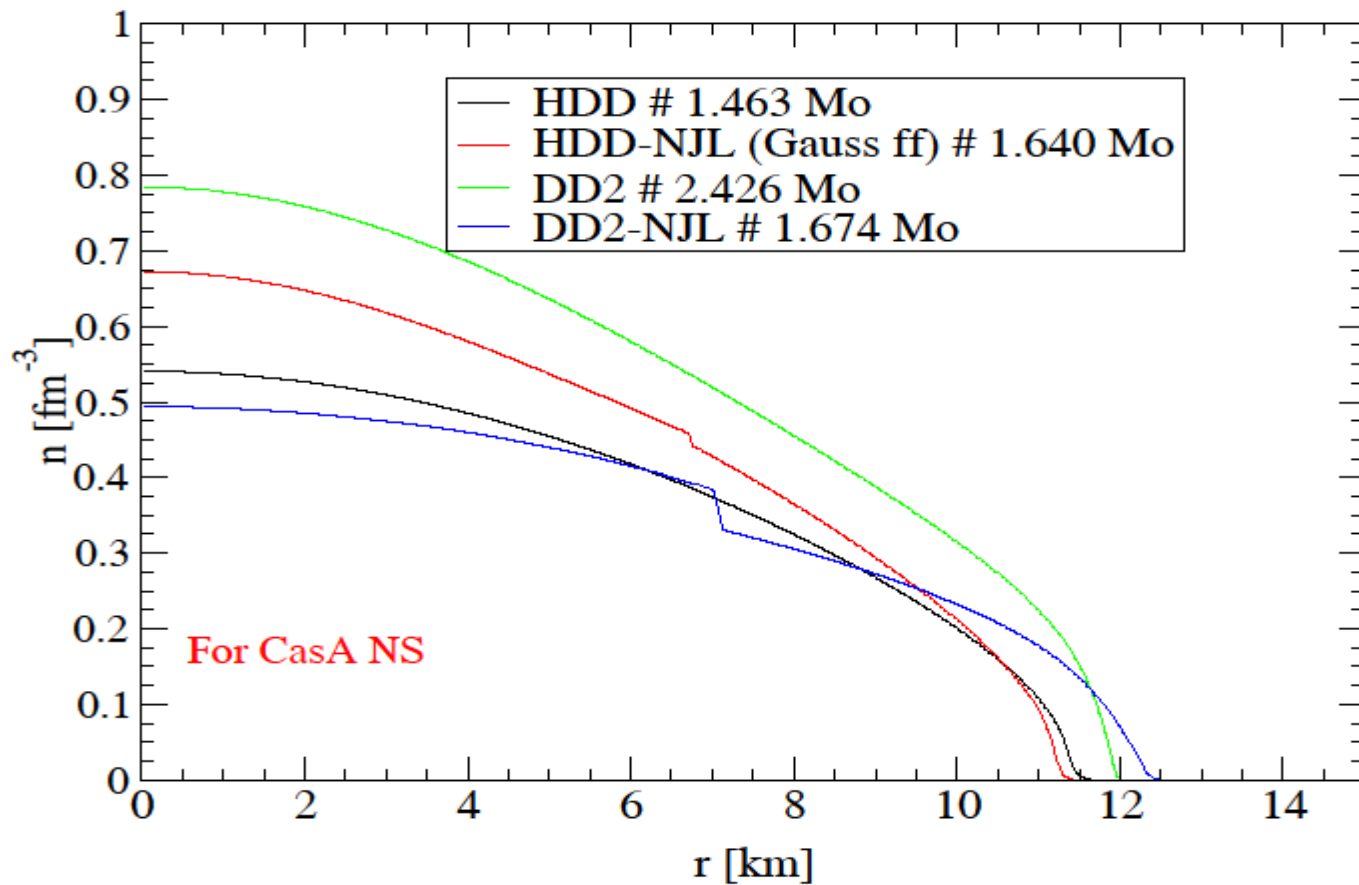


# Cas A As An Hybrid Star

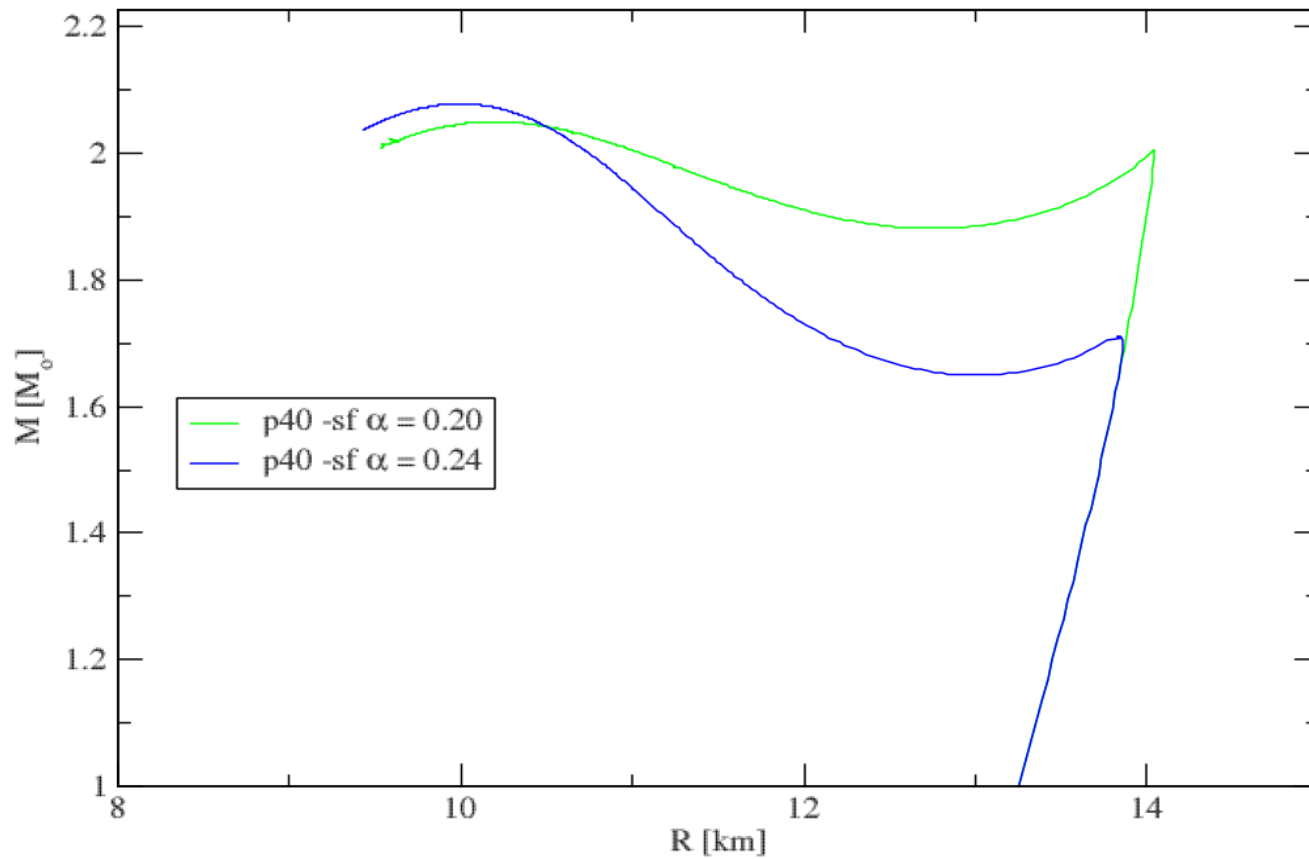
H. Grigorian, D. Blaschke, D.N. Voskresensky, Phys. Rev. C 71, 045801 (2005)



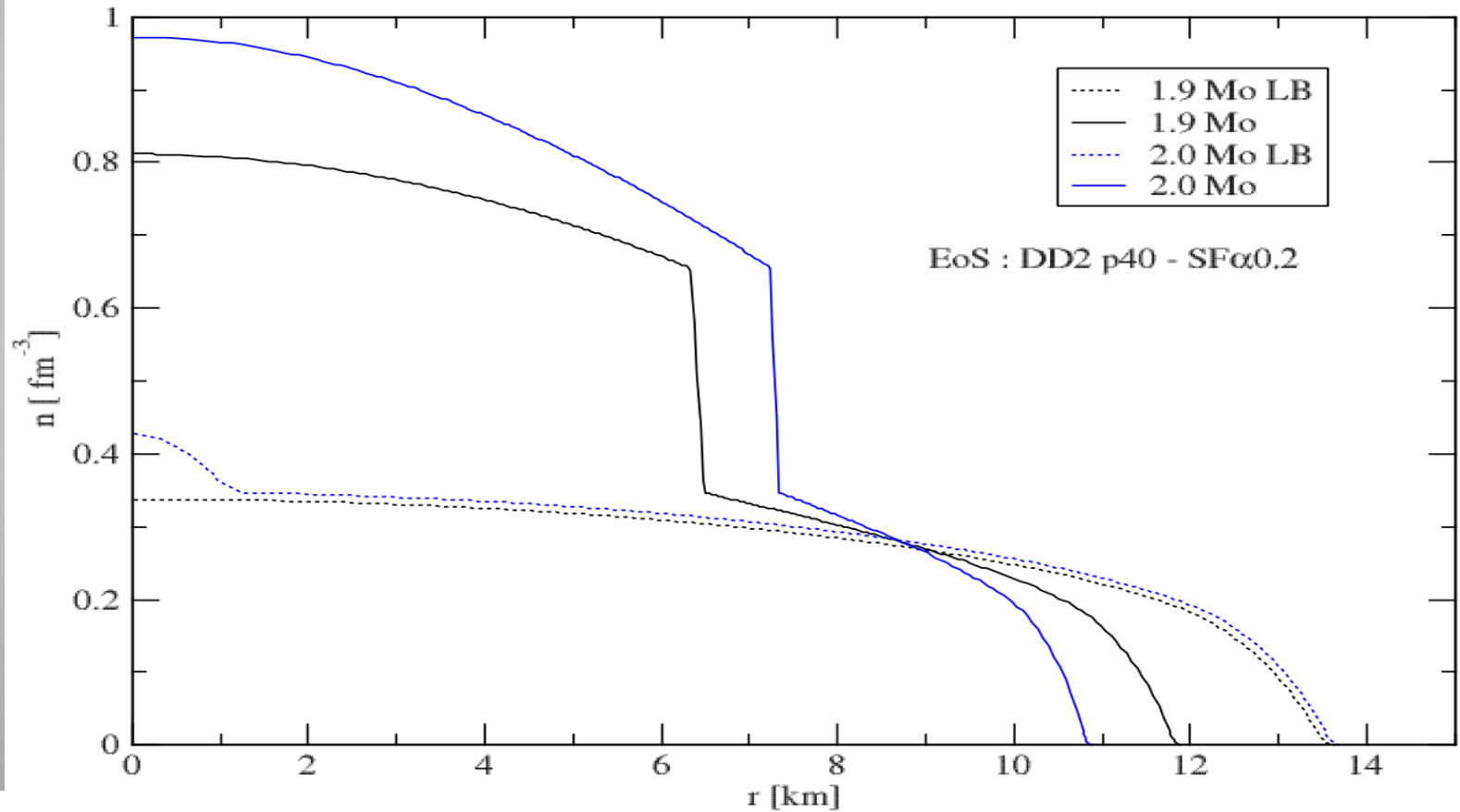
# Possible internal structure of CasA



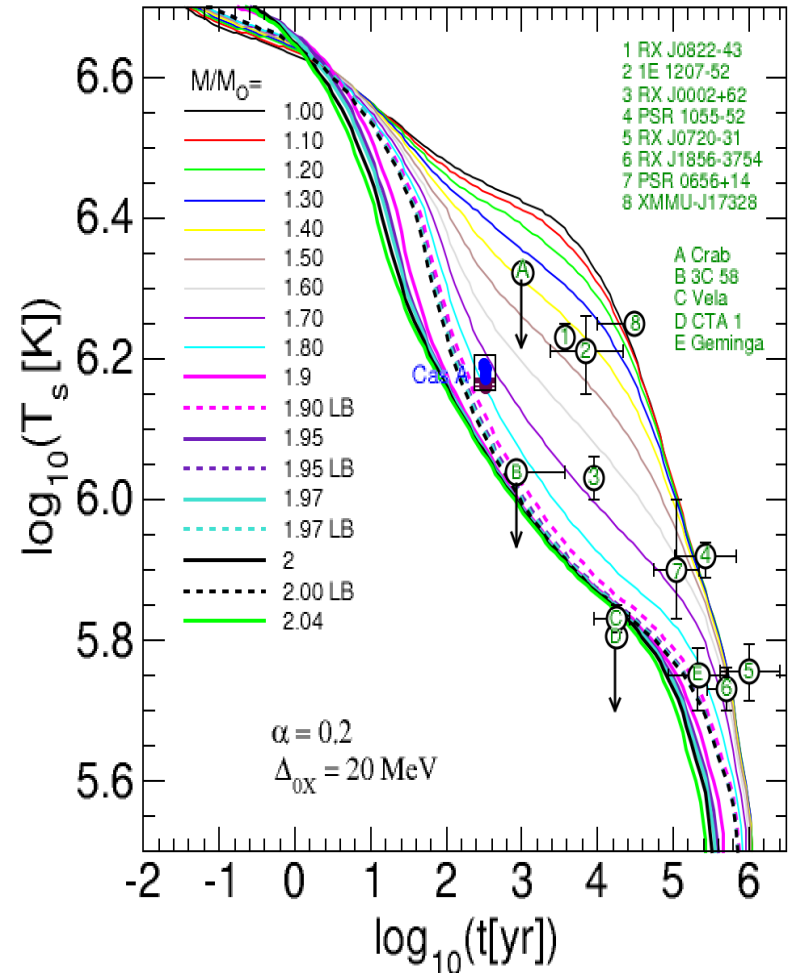
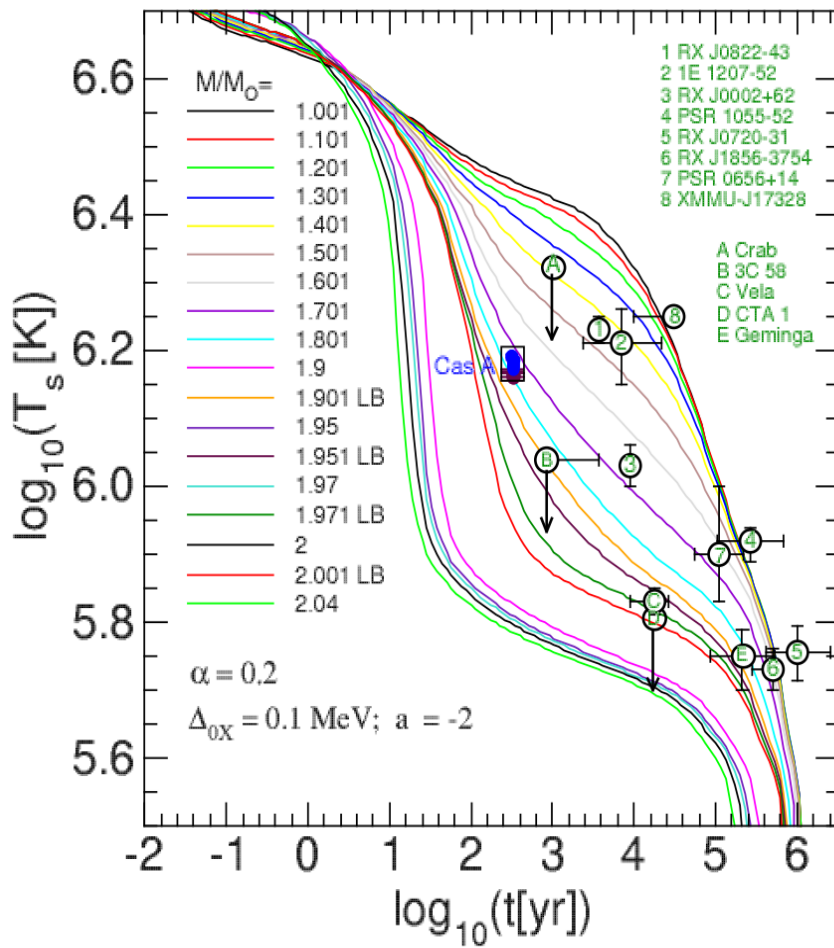
# High Mass Twin CS



# Different Configurations with the same NS mass

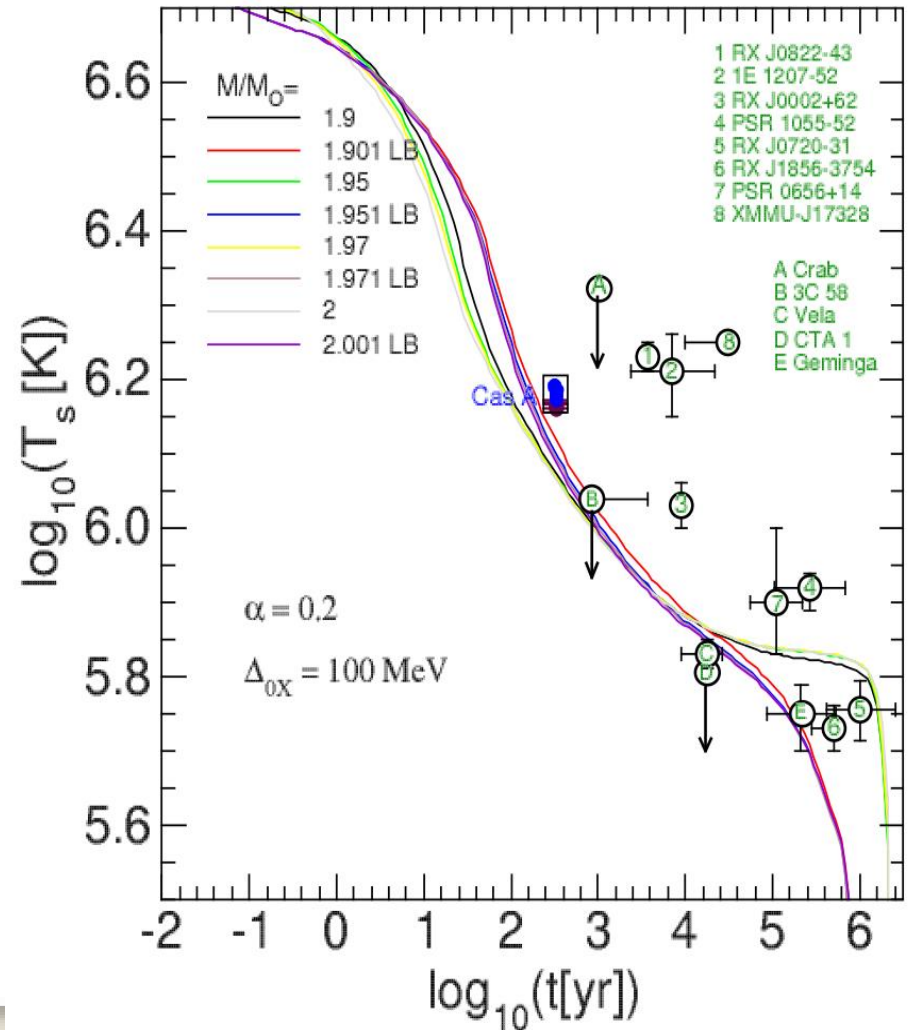
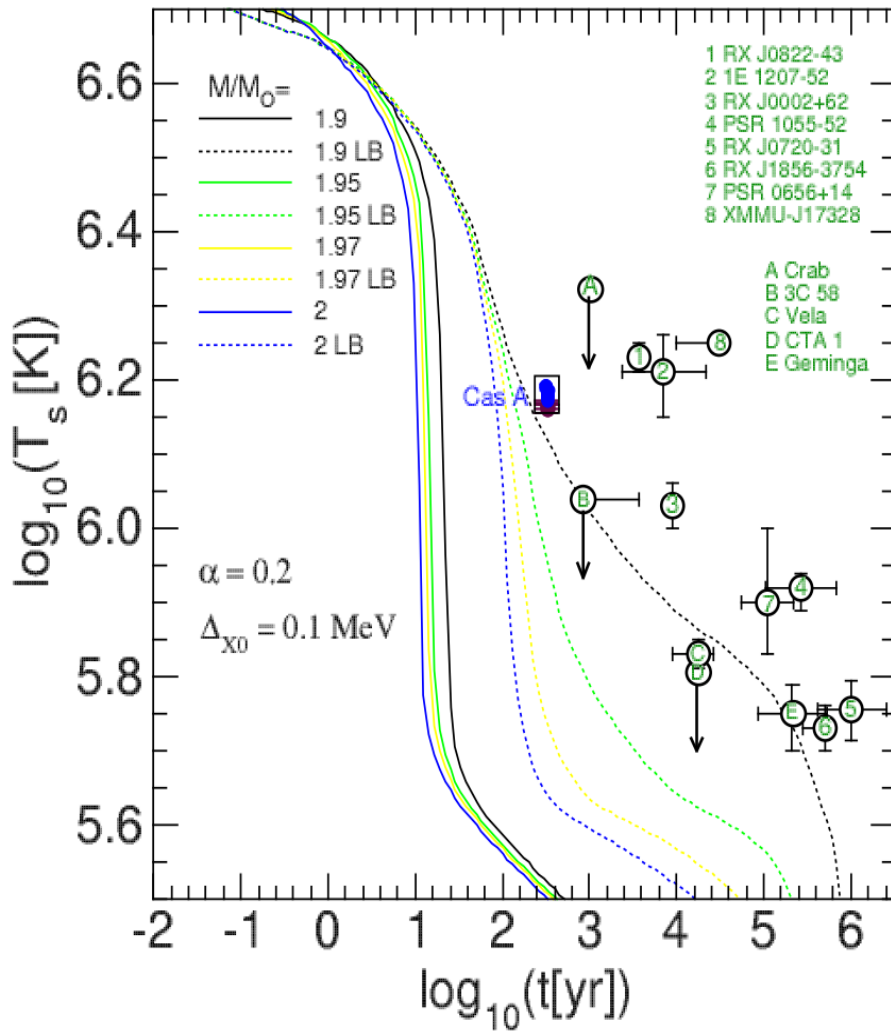


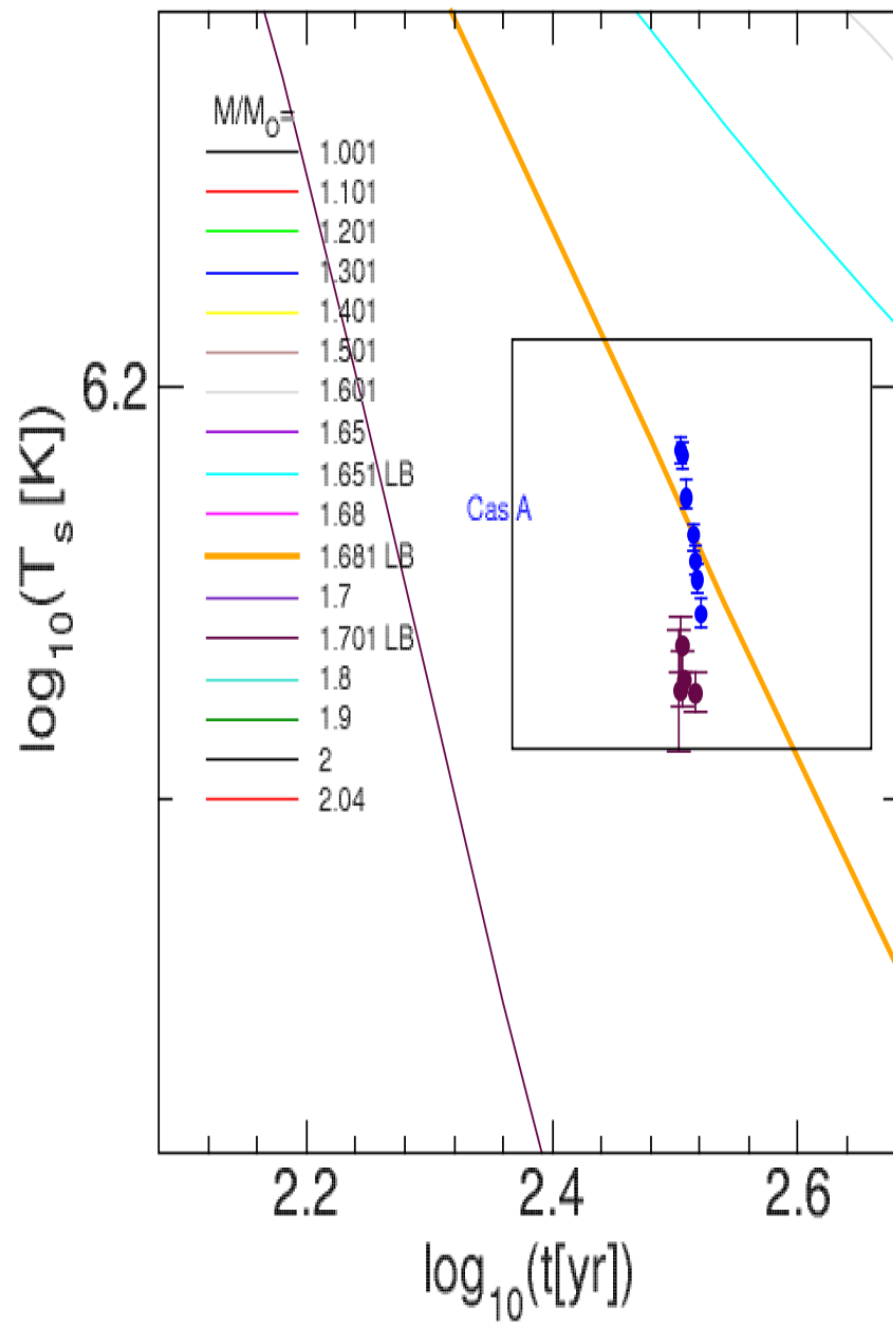
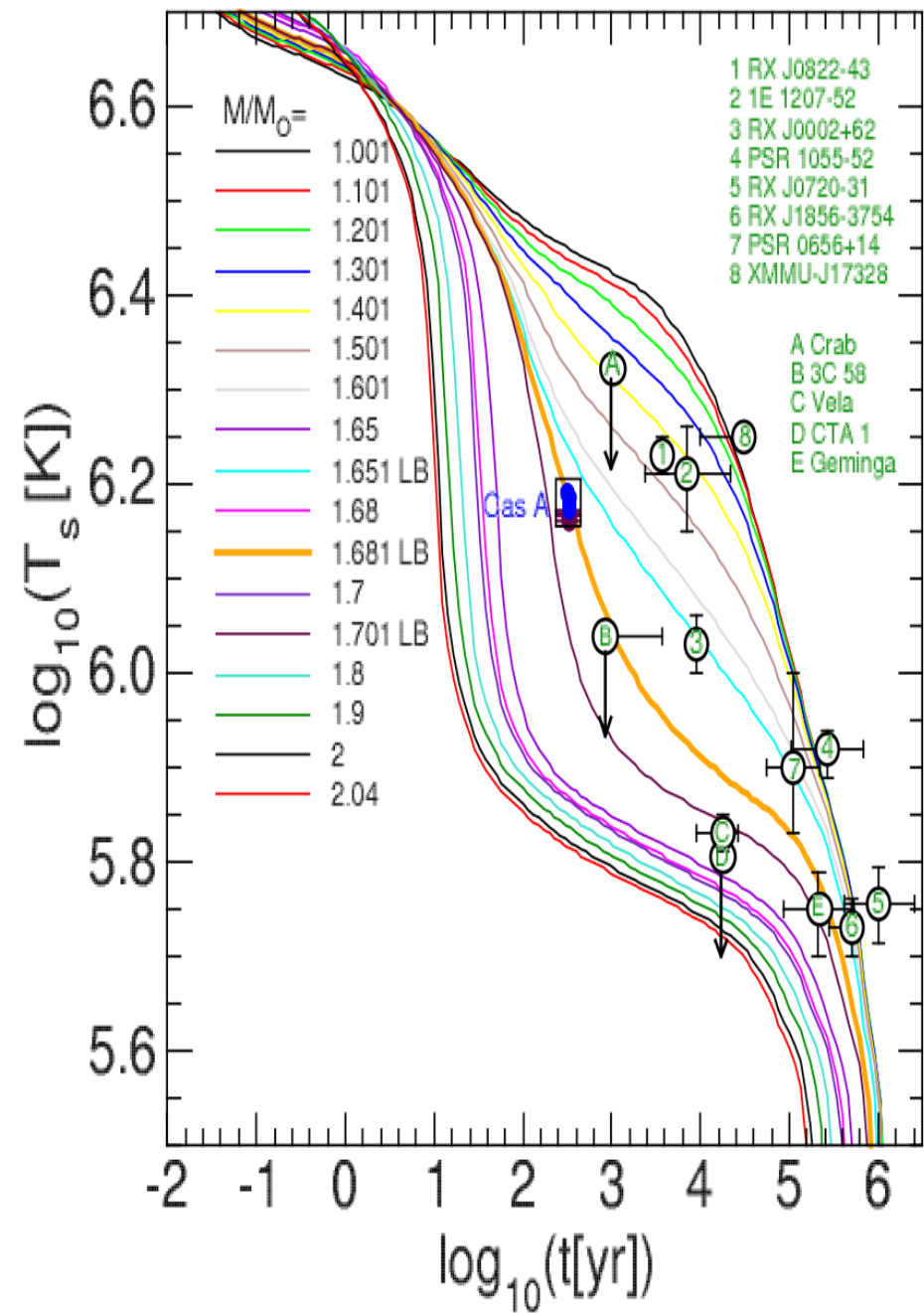
# Cooling of Twin CS





# Highmass Twins: QM SC Effect





# Cooling of Neutron Stars admixed with Light Dark Matter

$$\frac{e^{-\lambda-2\Phi}}{4\pi r^2} \frac{\partial}{\partial r} (e^{2\Phi} L) = -Q + Q_h - \frac{c_V}{e^\Phi} \frac{\partial T}{\partial t},$$

$$\frac{L}{4\pi \kappa r^2} = e^{-\lambda-\Phi} \frac{\partial}{\partial r} (T e^\Phi)$$

$$N_\chi(t) \simeq N_{\chi,0} + \frac{dN_\chi}{dt} (t - t_0),$$

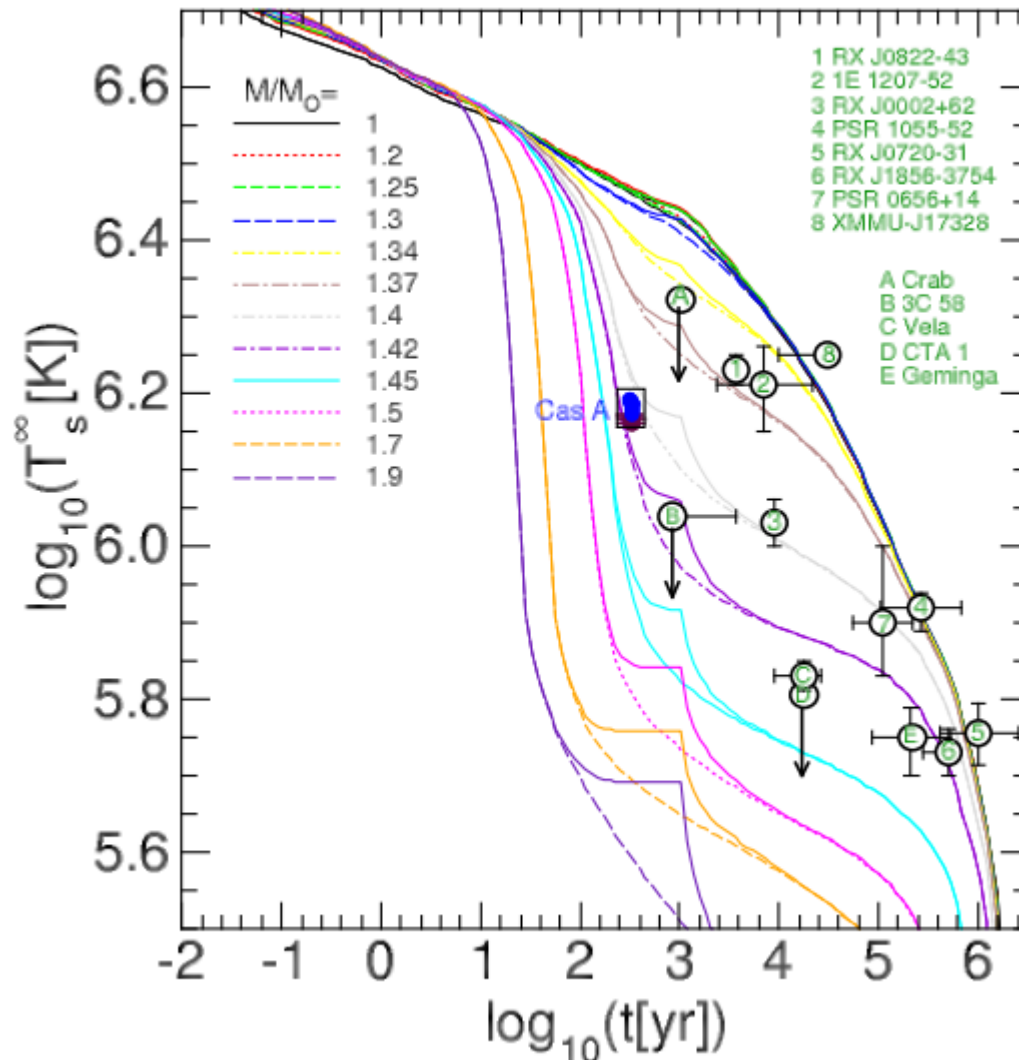
$$\frac{dN_\chi}{dt} = C_\chi - C_a N_\chi^2.$$

The DM capture rate can be approximated by

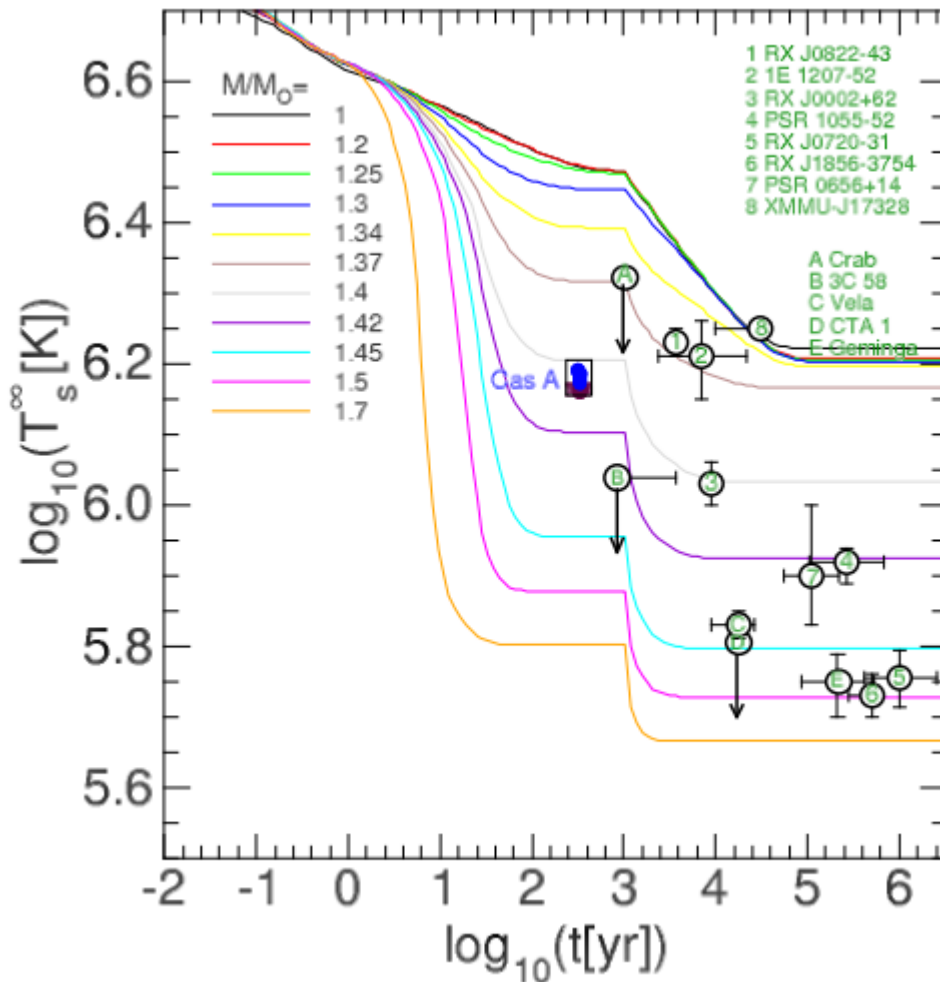
$$C_\chi \simeq 5.6 \times 10^{26} \left( \frac{M}{1.5 M_\odot} \right) \left( \frac{R}{14 \text{ km}} \right) \left( \frac{0.1 \text{ GeV}}{m_\chi} \right) \left( \frac{\rho_\chi}{0.4 \frac{\text{GeV}}{\text{cm}^3}} \right) \text{ s}^{-1}$$

the thermally-averaged self-annihilation rate  $\langle \sigma v \rangle \sim 10^{-26} \text{ cm}^3 \text{ s}^{-1}$ ,

$$C_a \simeq 2 \times 10^{-42} \left( \frac{0.1 \text{ GeV}}{m_\chi} \frac{2\rho_0}{\rho_N} \frac{T}{0.5 \text{ MeV}} \right)^{-3/2} \text{ s}^{-1}.$$



NSs with masses  $M \in [1, 1.9]M_\odot$  with the effect of self-annihilating LDM ( $m_\chi = 0.1 \text{ GeV}$ ) originating a plateau or without LDM (continuous decline). Existing series of cooling

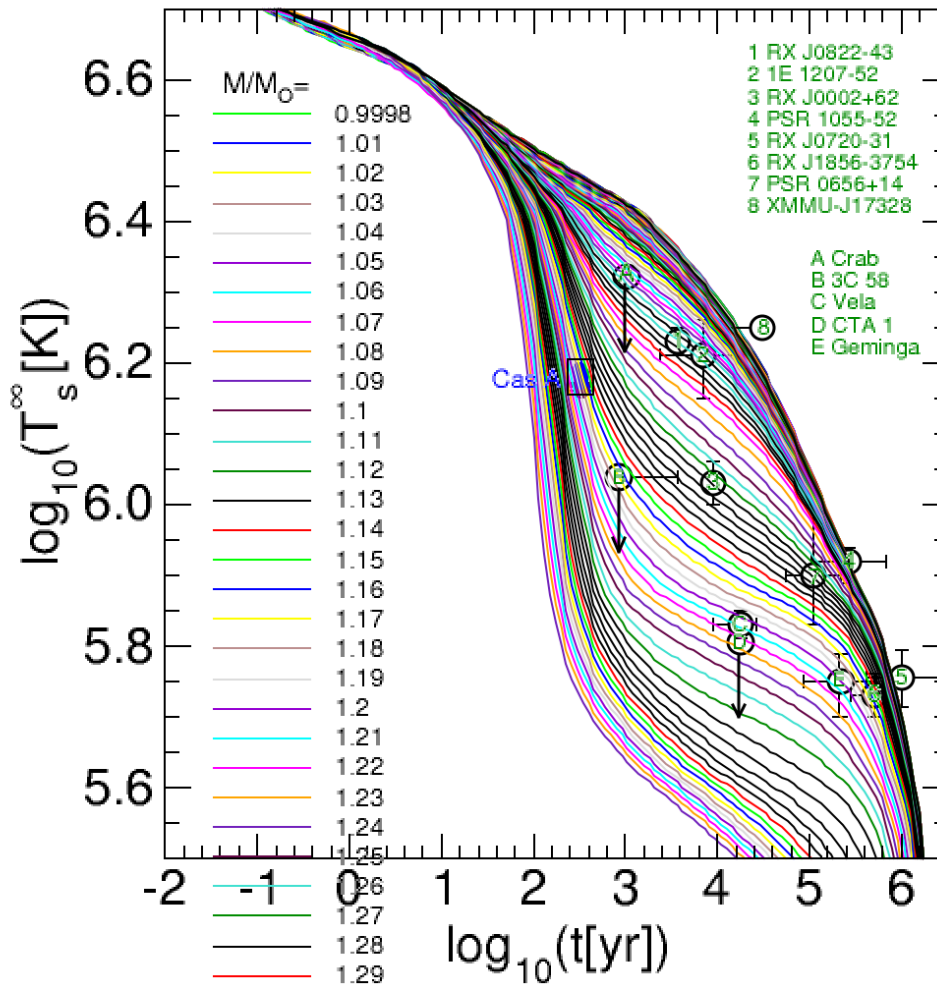


M. Ángeles Pérez-García  
H. Grigorian, C. Albertus,  
D. Barba, J. Silk

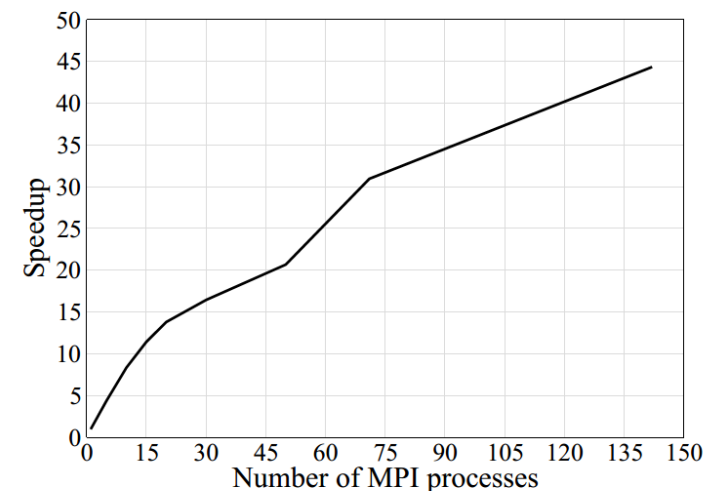
Physics Letters B  
827(2022)136937

FIG. 2. Surface temperature as a function of NS age with masses  $M \in [1, 1.7]M_\odot$  including self-annihilating conducting DM ( $m_\chi = 0.1 \text{ GeV}$ ).  $\chi$  emissivity has been enhanced a factor 5 larger than in Figure 1. LDM enhanced processes are active up to  $\tau \sim 10^3 \text{ yr}$ , followed by a period of decline, and again for  $t \gtrsim 1.5 \times 10^3 \text{ yr}$ . See text for details.

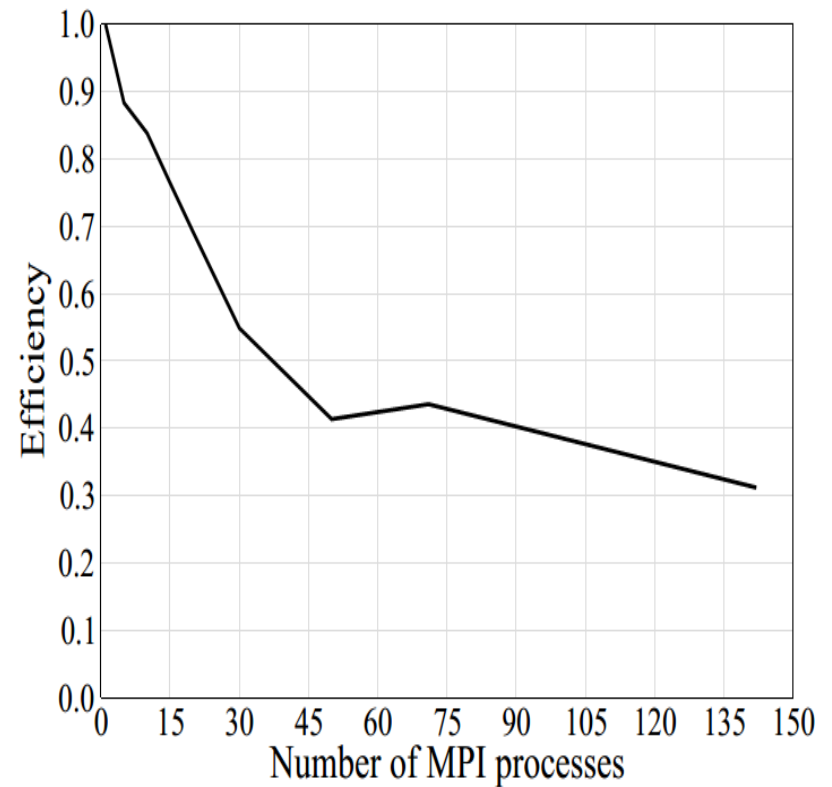
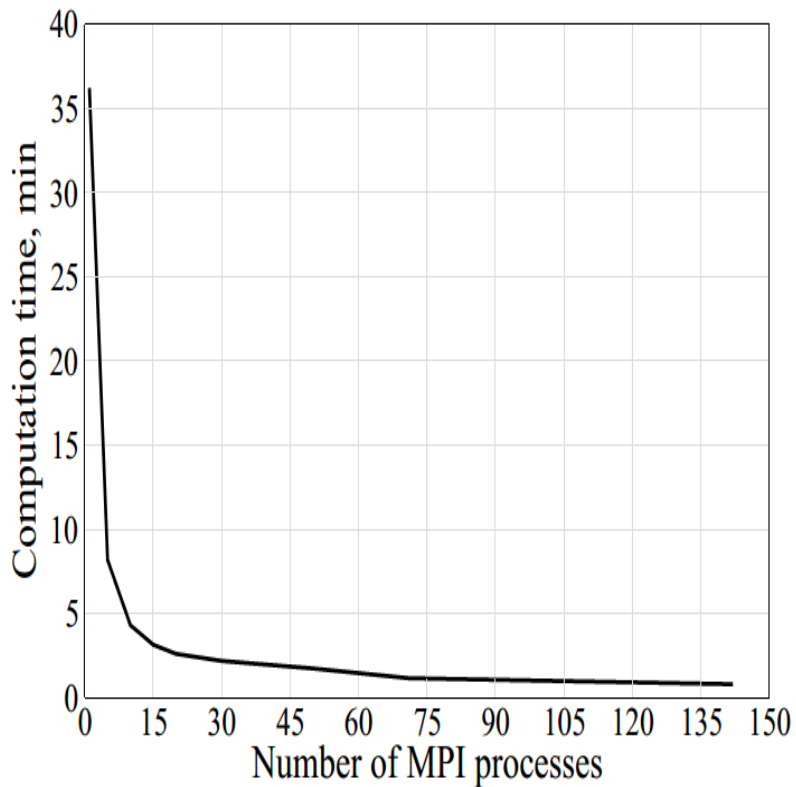
# Results produced with use of MPI Technology



142 configurations has  
 been calculated in **0m49s**  
 on the 142 processes.  
 On 1 process it takes  
**36m14s**  
 – acc is **~ 44 times**



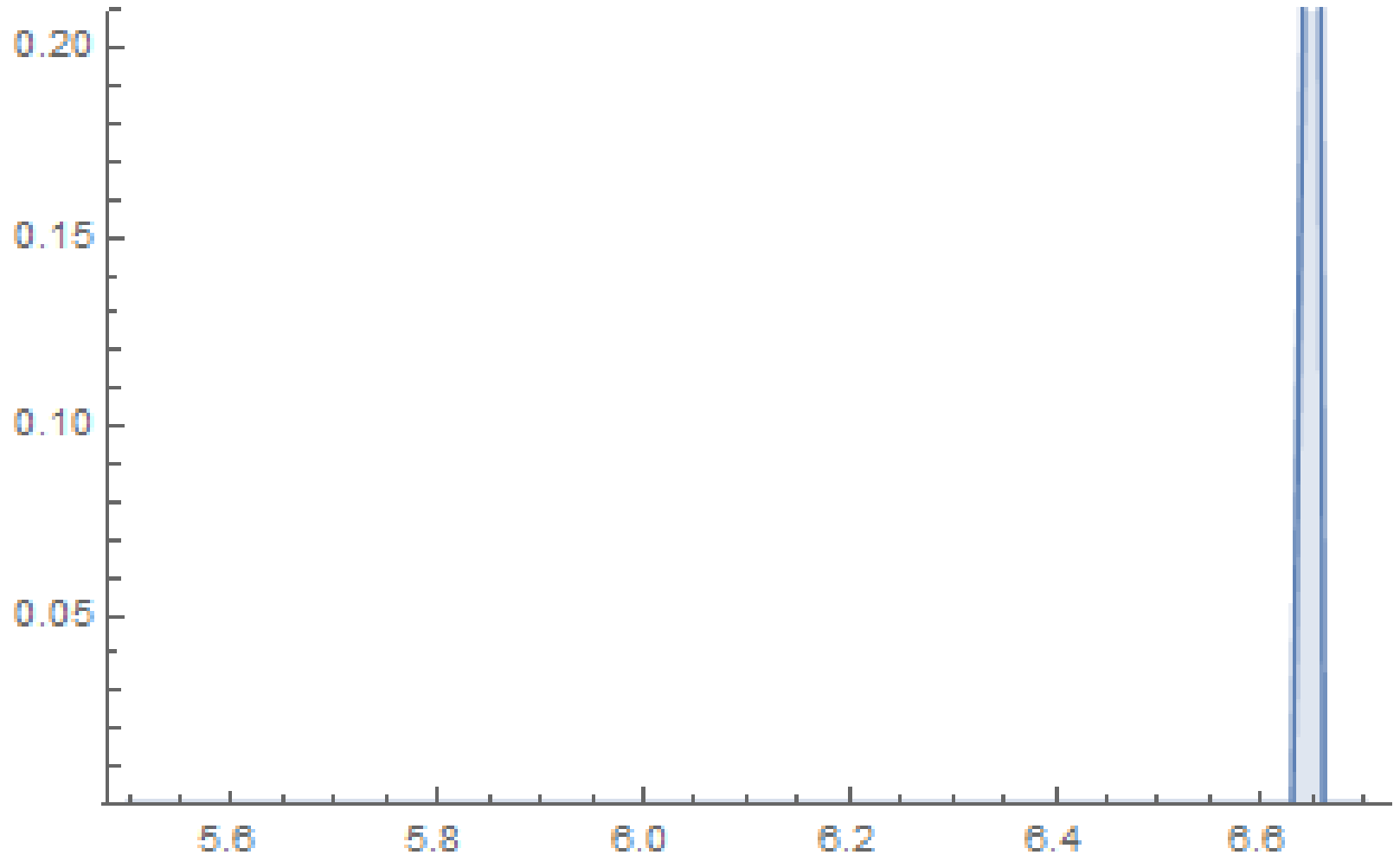
# Calculation Time and efficiency



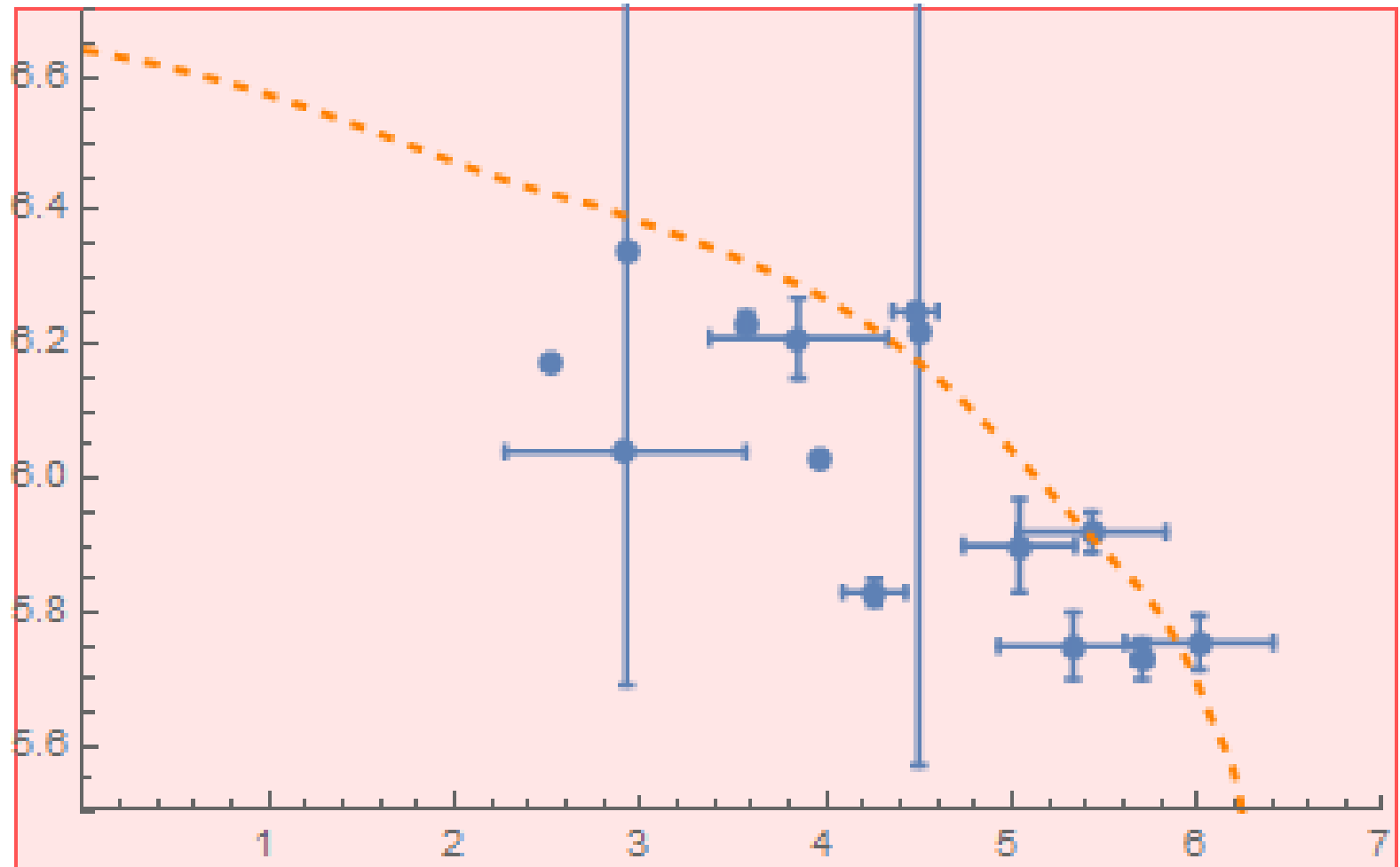




# Distribution of Evolution tracks via Temperature at given Time

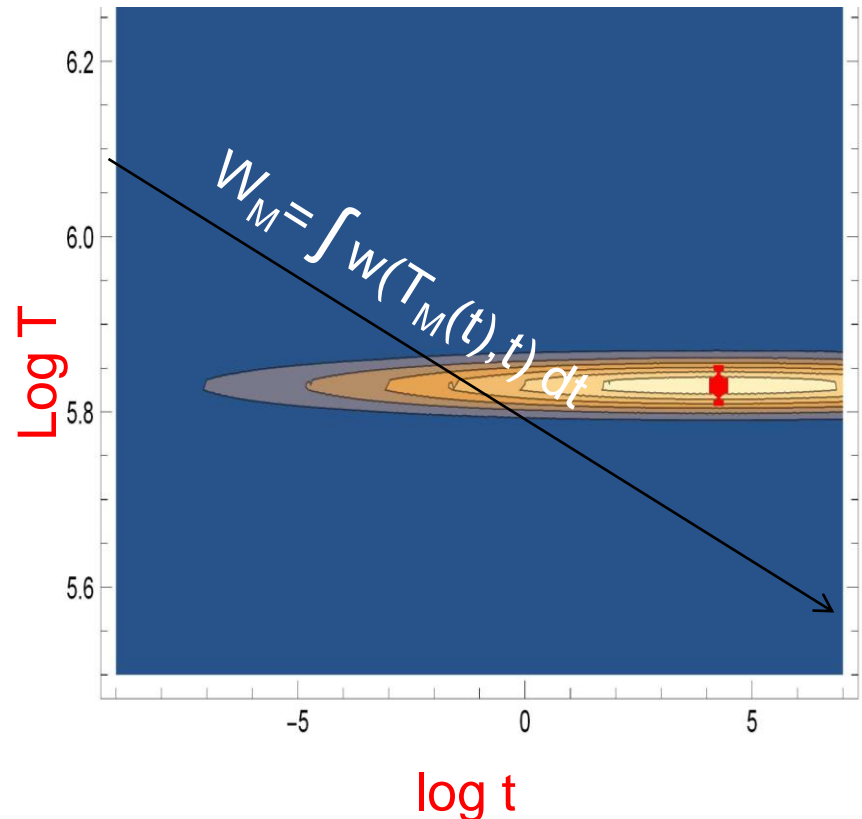
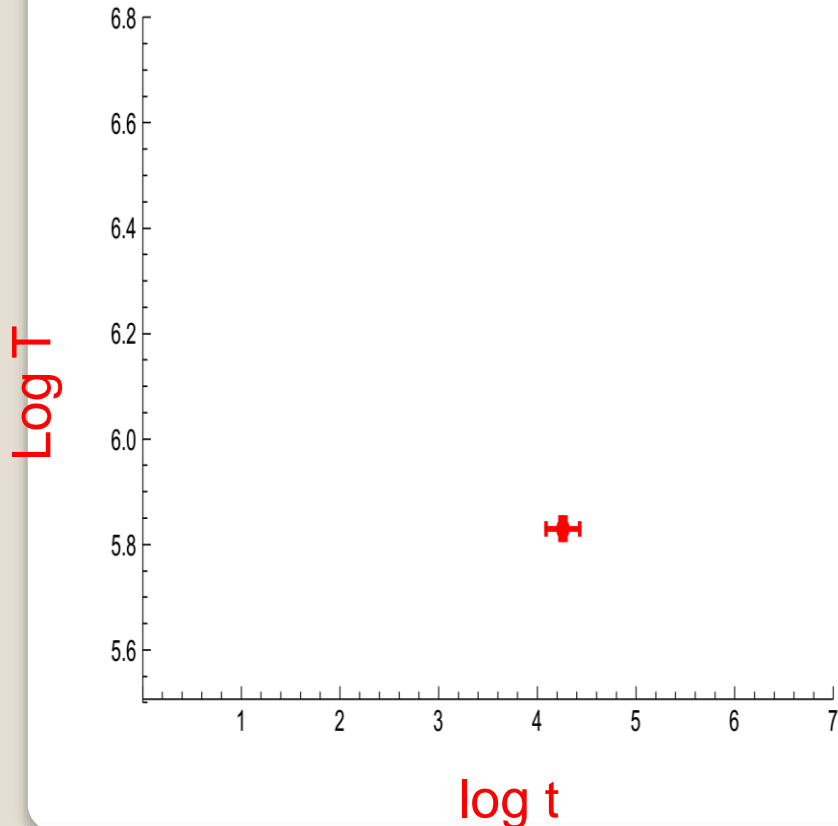


# Evolution tracks for different NS Masses

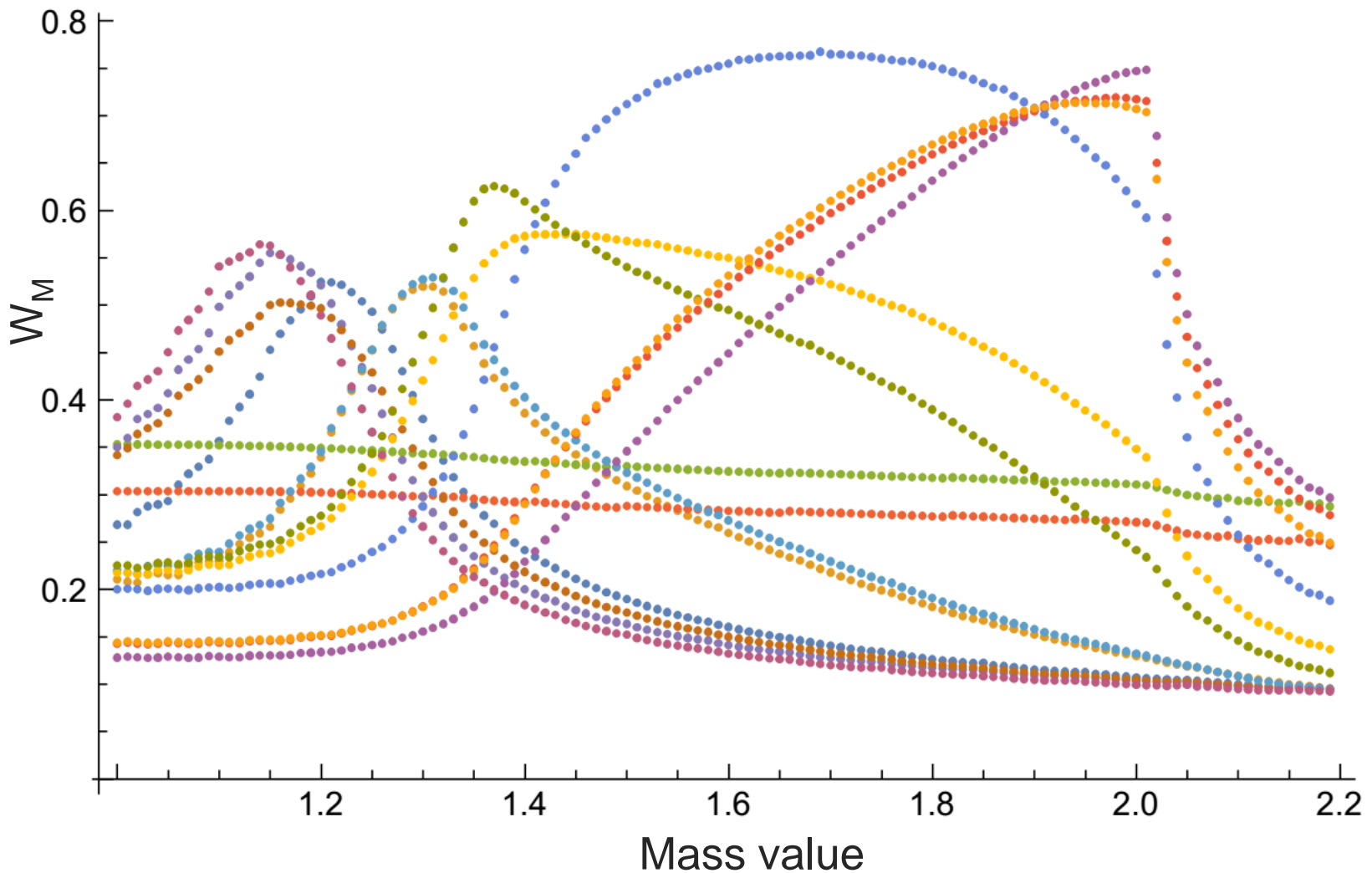


# Weighting of Data point on the Temperature - Age Diagram

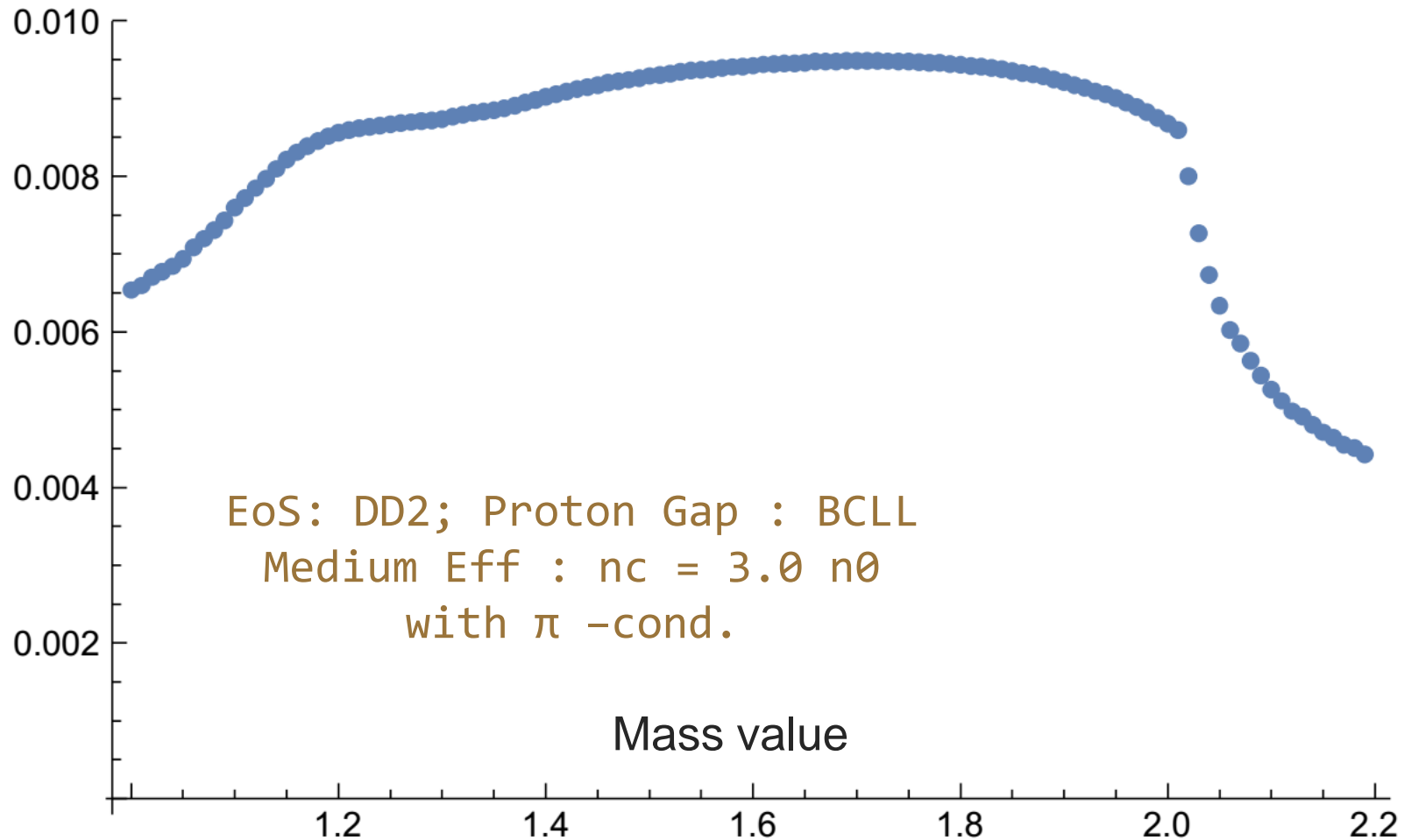
$$w(T,t) = \text{Exp}\left\{ \frac{(\log T - \log T_D)^2}{\sigma_T} + \frac{(\log t - \log t_D)^2}{\sigma_t} \right\}$$



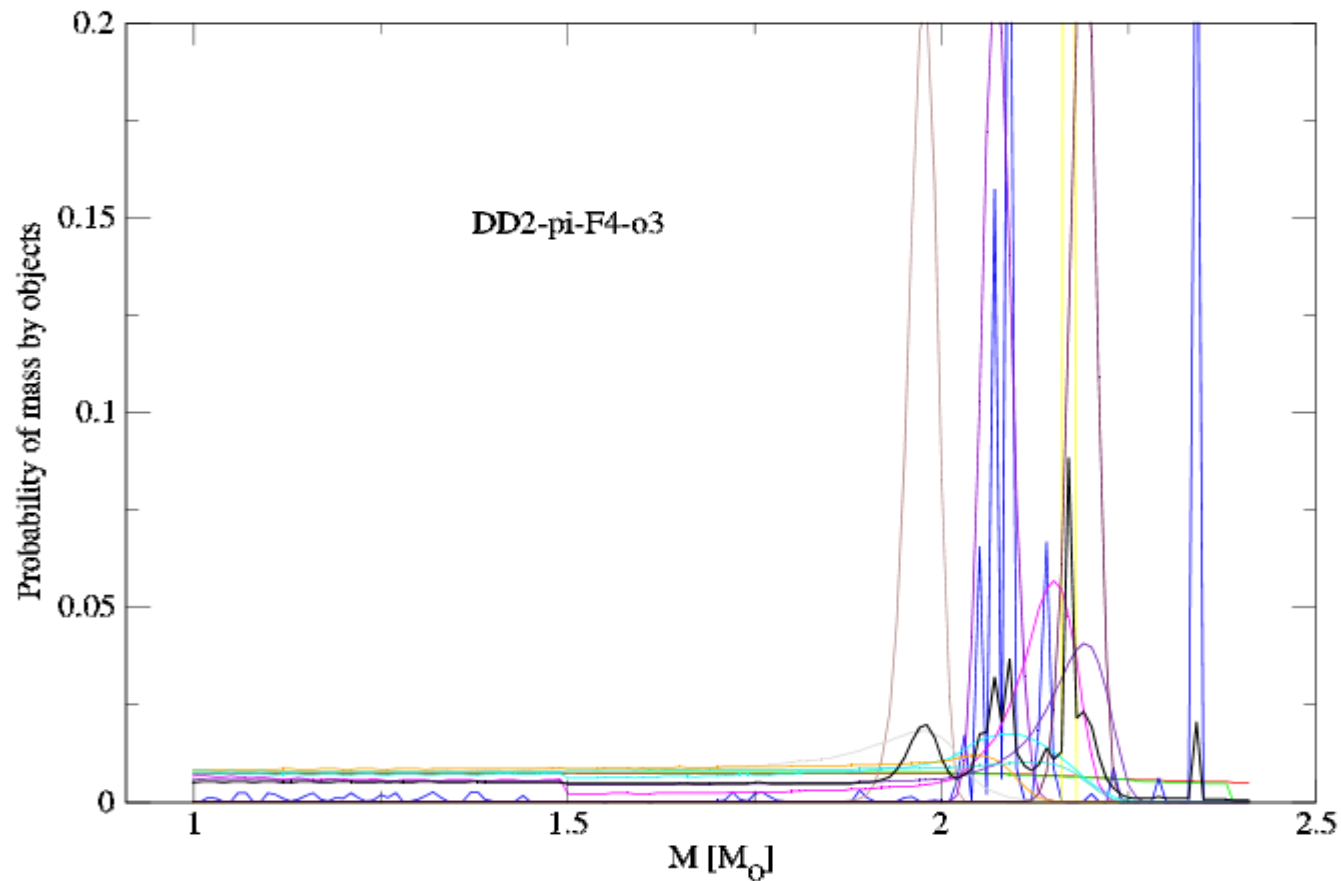
# Expected Mass value for the Data points on the T - t Diagram



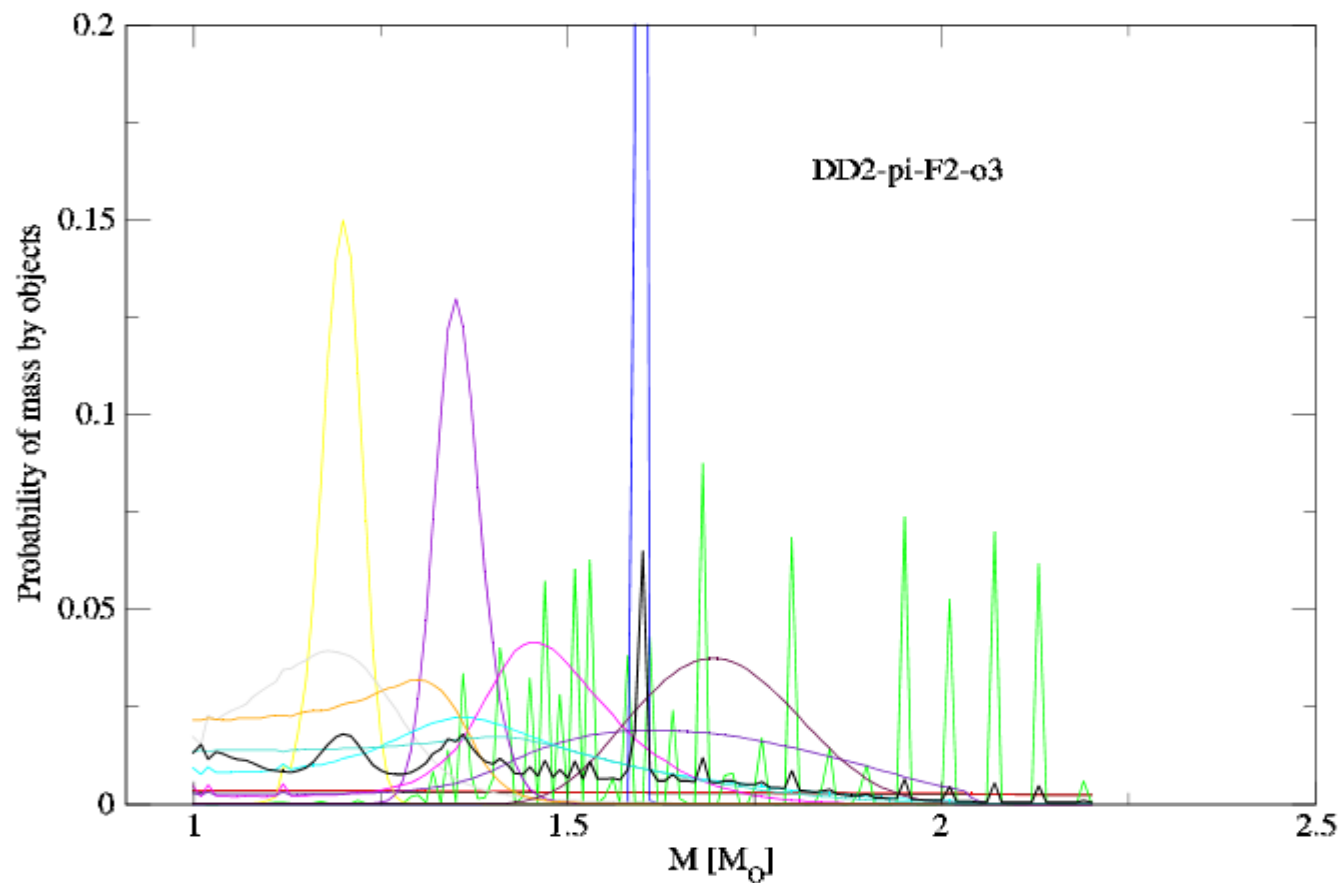
# Expected Mass value for the Data points on the T - t Diagram



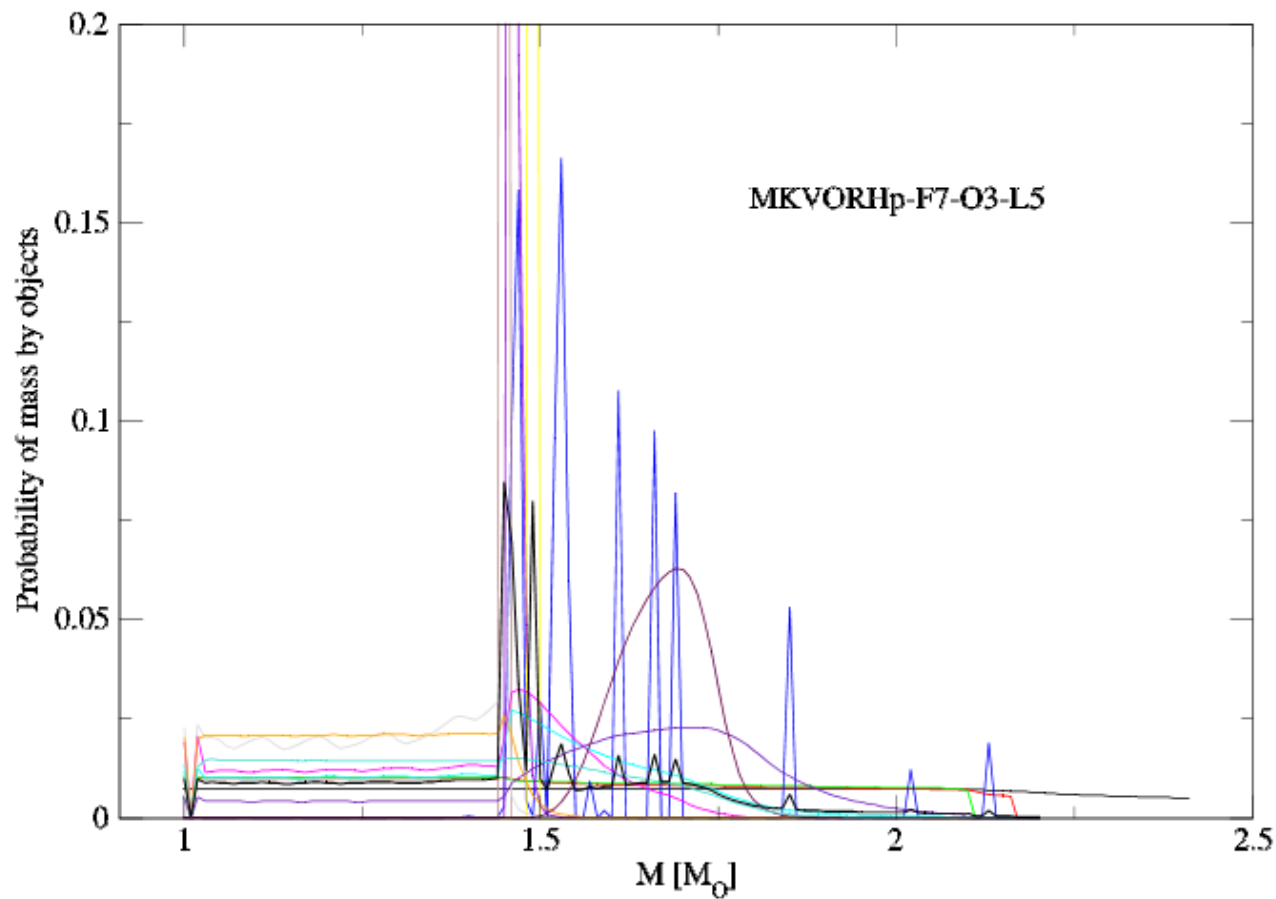
# Expected Mass value for the Data points on the T - t Diagram



# Expected Mass value for the Data points on the T - t Diagram

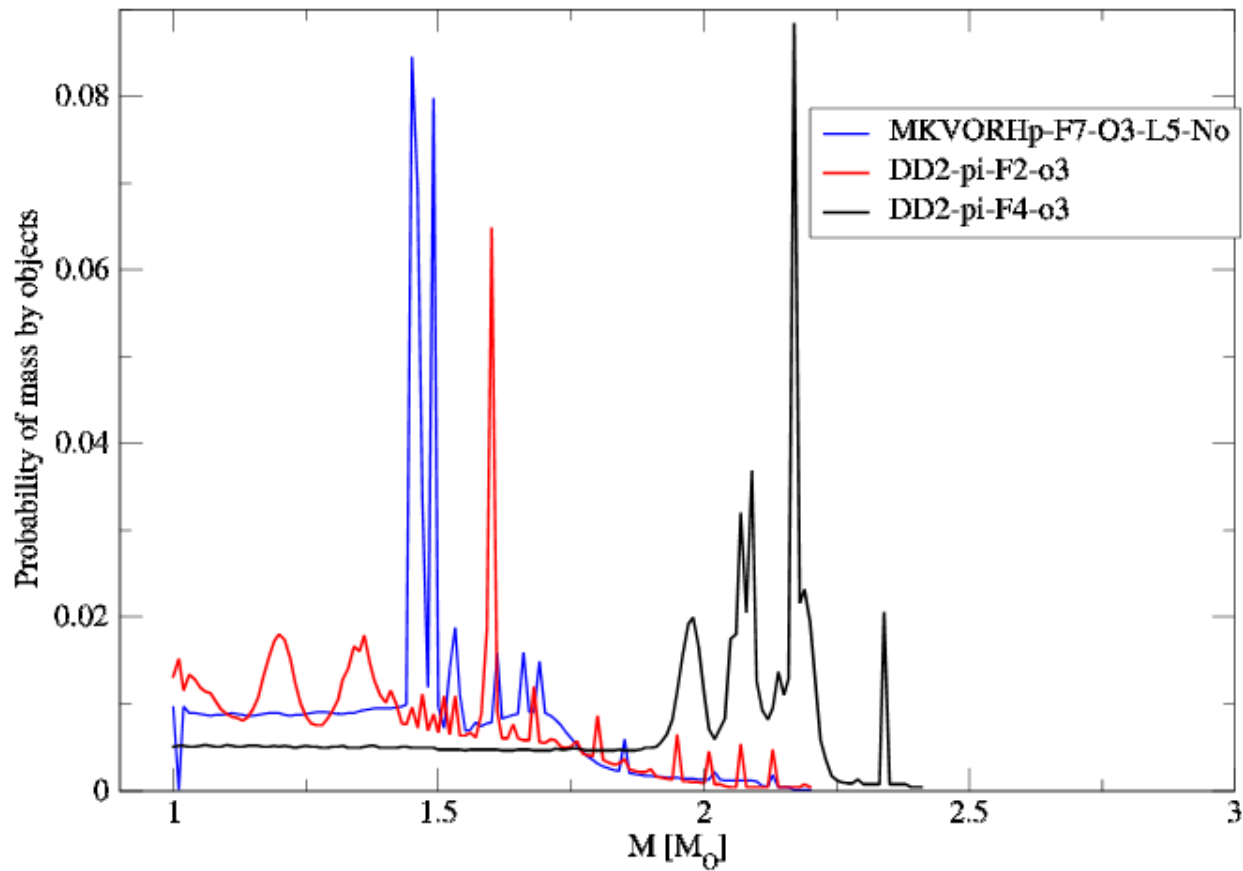


# Expected Mass value for the Data points on the T - t Diagram





# Expected Mass value for the Data points on the T - t Diagram



# Conclusions

- All known cooling data including the Cas A rapid cooling consistently described by the “nuclear medium cooling” scenario
- Influence of stiffness on EoS and cooling can be balanced by the choice of corresponding gap model.
- In case of existence of Hyperons and/or Quarks or Dark-Matter in high-mass stars could show different cooling behavior depending on core superconductivity
- Parallelization allowed to make the calculations for statistical analyses of models in reasonable time

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13. Ayriyan, A., Alvarez-Castillo, D., Blaschke, D., Grigorian, H. **Bayesian analysis for extracting properties of the nuclear equation of state from observational data including tidal deformability from GW170817.** *Universe*, 2019, 5(2), 61 (21 citations).
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Thank YOU!!!!!!