

# Исследование глобальной поляризации лямбда гиперонов в столкновениях тяжелых ядер в эксперименте MPD.

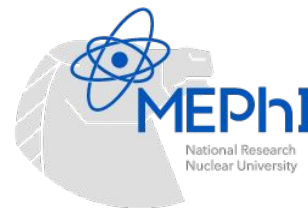
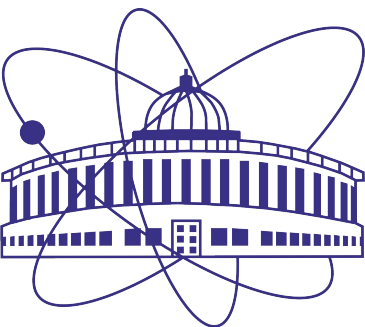
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(1- ОИЯИ, 2 - НИЯУ МИФИ)

Научная сессия секции ядерной физики ОФН РАН

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Работа поддержана Министерством науки и высшего образования РФ,  
проект "Фундаментальные и прикладные исследования на  
экспериментальном комплексе класса мегасайенс NICA"  
№ FSWU-2024-0024



# Outline

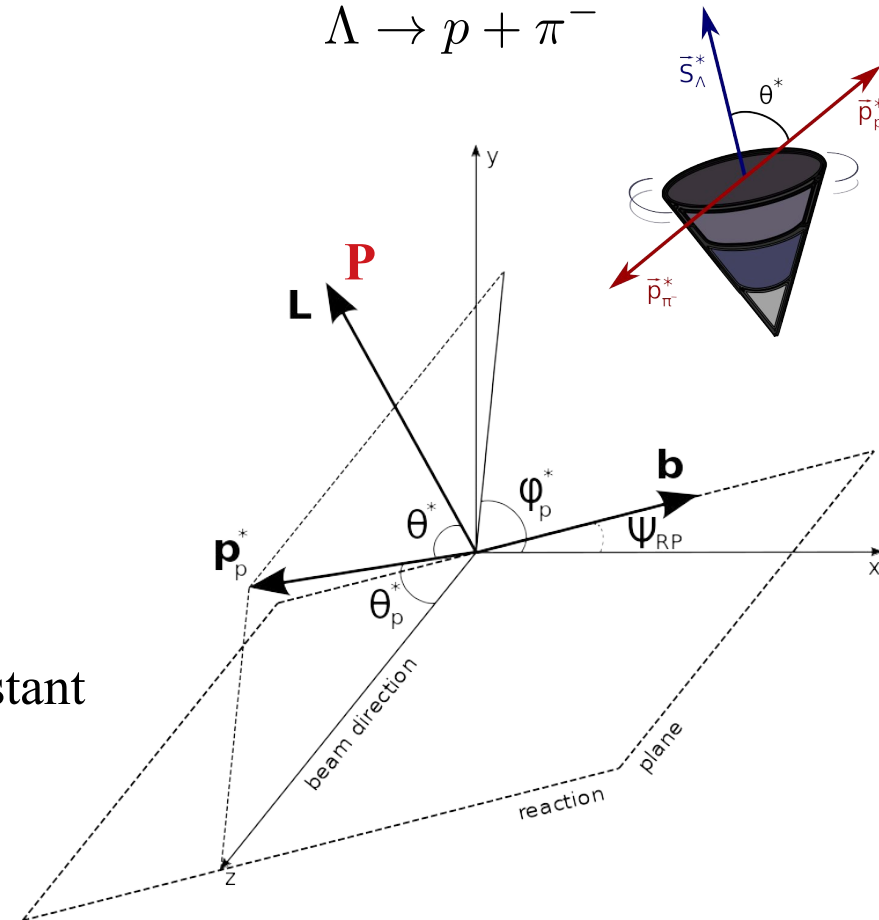
- Introduction
- $\Delta\phi$ -method
- Generalized invariant mass fit method
- Results
- Summary

# Global hyperon polarization

- w.r.t. reaction plane (RP)
- Emerges in HIC due to the system angular momentum
- Measured through the weak decay:

$$\frac{dN}{d \cos \theta^*} = \frac{1}{2} (1 + \alpha_H |\vec{P}_H| \cos \theta^*)$$

- \* — denotes hyperon rest frame
- $\theta^*$  — angle between the decay particle(proton) and polarization direction
- $\alpha_\Lambda \simeq -\alpha_{\bar{\Lambda}} \simeq 0.732$  - hyperon decay constant

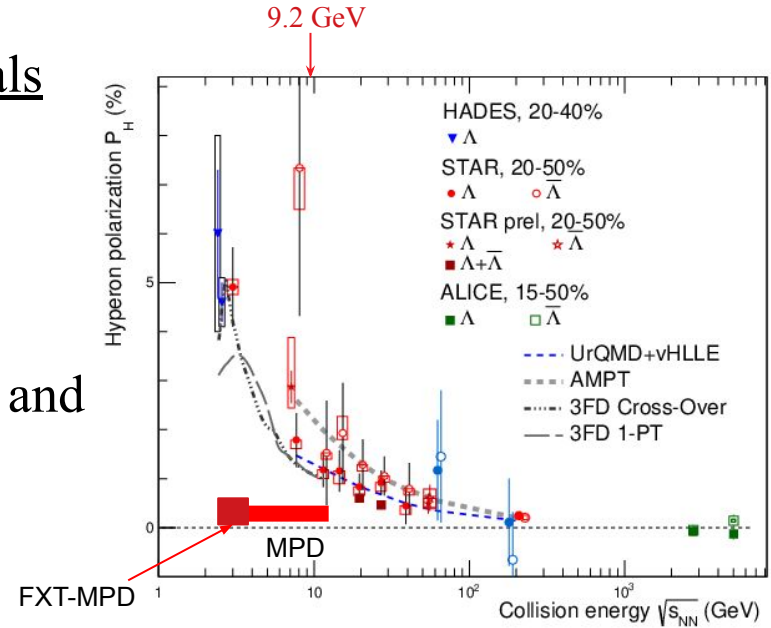


# Global Polarization at Nuclotron-NICA energies

- Predicted and observed global polarization signals rise as the collision energy is reduced:

NICA energy range will provide new insight

- $\Lambda(\bar{\Lambda})$  - splitting of global polarization
- Comparison of models, detailed study of energy and kinematical dependences, improving precision
- Probing the vortical structure using various observables



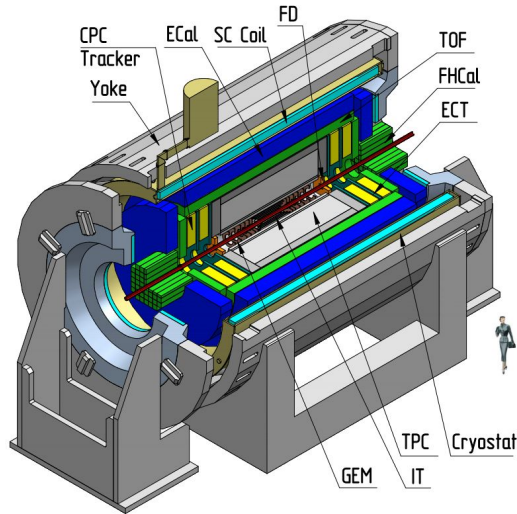
S. Singha, EPJ Web Conf. 276 (2023)  
06012

J. Adam et al. (STAR Collaboration), Phys. Rev. C 98, 014910 (2018)

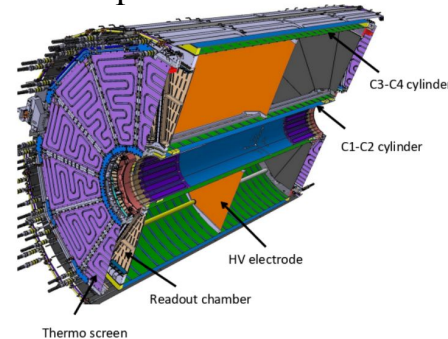
O. Teryaev and R. Usubov, Phys. Rev. C 92, 014906 (2015)

# MPD detector

- $4\pi$  spectrometer designed to work at high luminosity in the energy range of the NICA collider (4-11 GeV)
- Capable of detecting of charged hadrons, electrons and photons.
- Precise 3-D tracking system and a high-performance particle identification system based on the time-of-flight measurements and calorimetry.
- Forward Hadron Calorimeter (FHCaI) allow to reconstruct projectile and target spectator symmetry planes



Time Projection Chamber (TPC) is a main tracking detector, overlapping pseudorapidity region  $|\eta| < 1.5$  with high particle reconstruction efficiency for  $p_T > 0.1$  GeV/c



# Monte-Carlo simulation

- MC simulation using PHSD generator

N.S. Tsegelnik, E.E. Kolomeitsev, V. Voronyuk, Phys.Rev.C 107 (2023) 034906

N.S. Tsegelnik, E.E. Kolomeitsev, V. Voronyuk, Particles 2023, 6, 373-384

- **Bi-Bi @ 9.2GeV, 15M MB events, b [0,12]fm**

- Global hyperon polarization

- Thermodynamical (Becattini) approach

F. Becattini, et. al. Ann. Phys. 338 (2013) 32

- Hyperon polarization vector ( $\mathbf{P} = \{P_x, P_y, P_z\}$ )

- Transfer of polarization during hyperon decays (feed-down effect)

- Anisotropic decay of  $\Lambda$  hyperons:

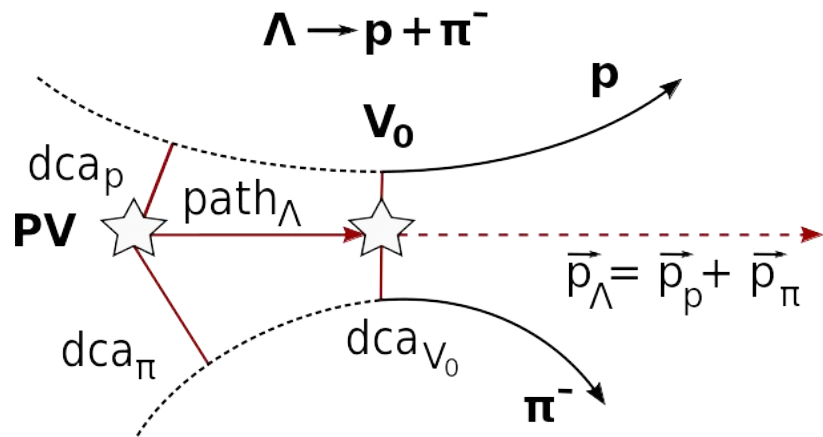
$$\frac{dN}{d\cos\theta^*} = \frac{1}{2}(1 + \alpha_H |\vec{P}_H| \cos\theta^*)$$

# Measurements of global hyperon polarization

- Polarization can be measured using the azimuthal angle of proton in Lambda rest frame  $\phi^*$

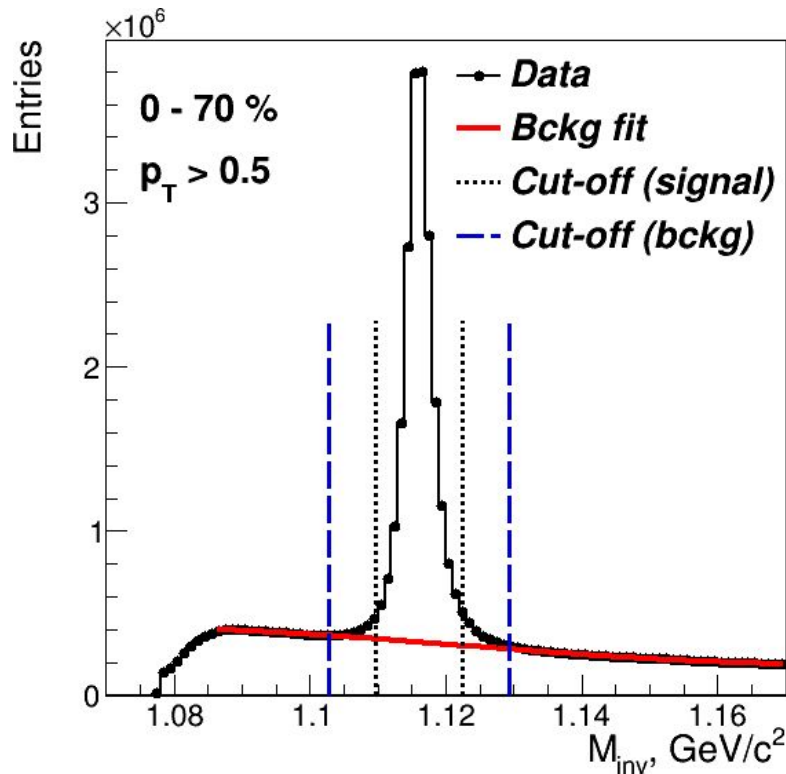
$$\overline{P}_{\Lambda/\bar{\Lambda}} = \frac{8}{\pi\alpha} \frac{1}{R_{EP}^1} \langle \sin(\Psi_{EP}^1 - \phi^*) \rangle$$

- ➔ Determine centrality
- ➔ Determine event plane  
( $\Psi_{EP}^1, R_{EP}^1$ )
- ➔ Reconstruct Lambda
- ➔ Measure global polarization



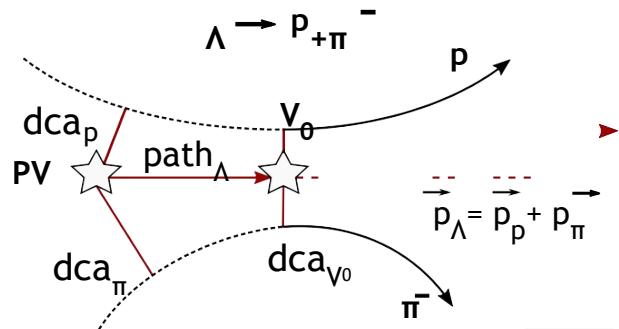
- PV — primary vertex
- $V_0$  — vertex of hyperon decay
- dca — distance of closest approach
- path — decay length

# $\Lambda$ selection



## Fitting procedure (sideband method):

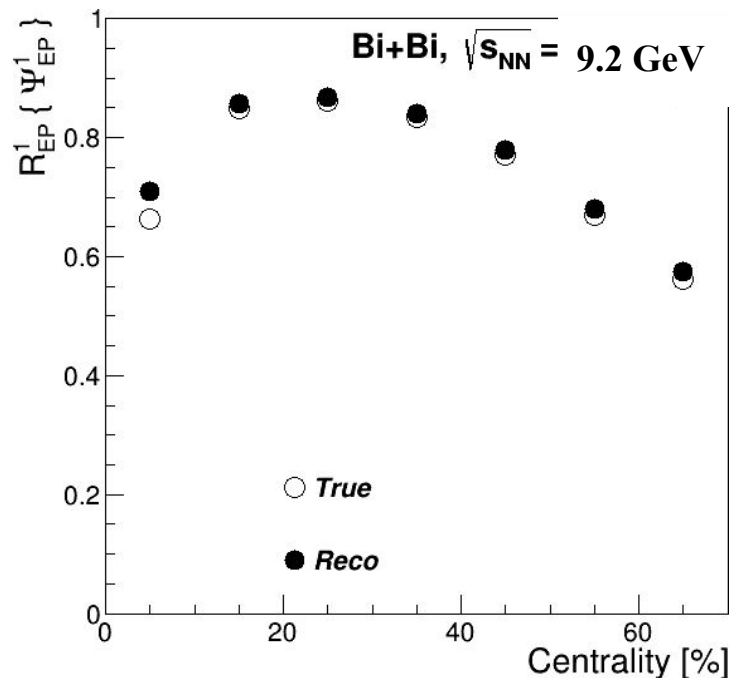
- Global fit (Gauss + Legendre polynomials)
- Background fit in sidebands ( $\pm 7\sigma$ )
- Signal Cut-off:  $\langle M \rangle \pm 3\sigma$
- $\Lambda$  selection criteria:
  - « $\omega$ »-selection (1 parameter)
  - « $\chi$ »-selection (5 parameters)



$$\omega_2 = \ln \frac{\sqrt{\chi_{\pi}^2 \chi_p^2}}{\chi_{\Lambda}^2 + \chi_{V_0}^2}$$



# Event Plane (EP) measurements



- Good performance for EP measurements using FHCAL is observed for PHSD model Bi+Bi at 9.2 GeV

True: w.r.t. reaction plane (RP) angle

Reco: determined using sub-event method

$$R_1 = \langle \cos(\Phi_1^F - \Psi^{RP}) \rangle$$

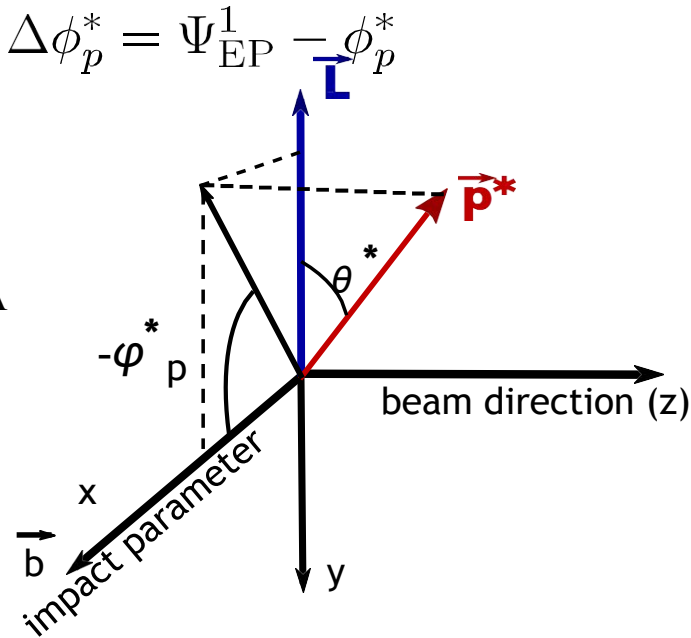
$$R_1(\Phi_1(F_N, F_S)) = \sqrt{\langle \cos(\Phi_1^{F_N} - \Phi_1^{F_S}) \rangle}$$

$$\chi \rightarrow \sqrt{2}\chi \quad - \quad \text{approximation to full event}$$

$$R_n(\Phi_n) = \frac{\sqrt{(\Pi)}}{2\sqrt{(2)}} \chi e^{-\frac{\chi^2}{4}} [I_{(n-1)/2}(\frac{\chi^2}{4}) + I_{(n+1)/2}(\frac{\chi^2}{4})]$$

# $\Delta\phi$ -method

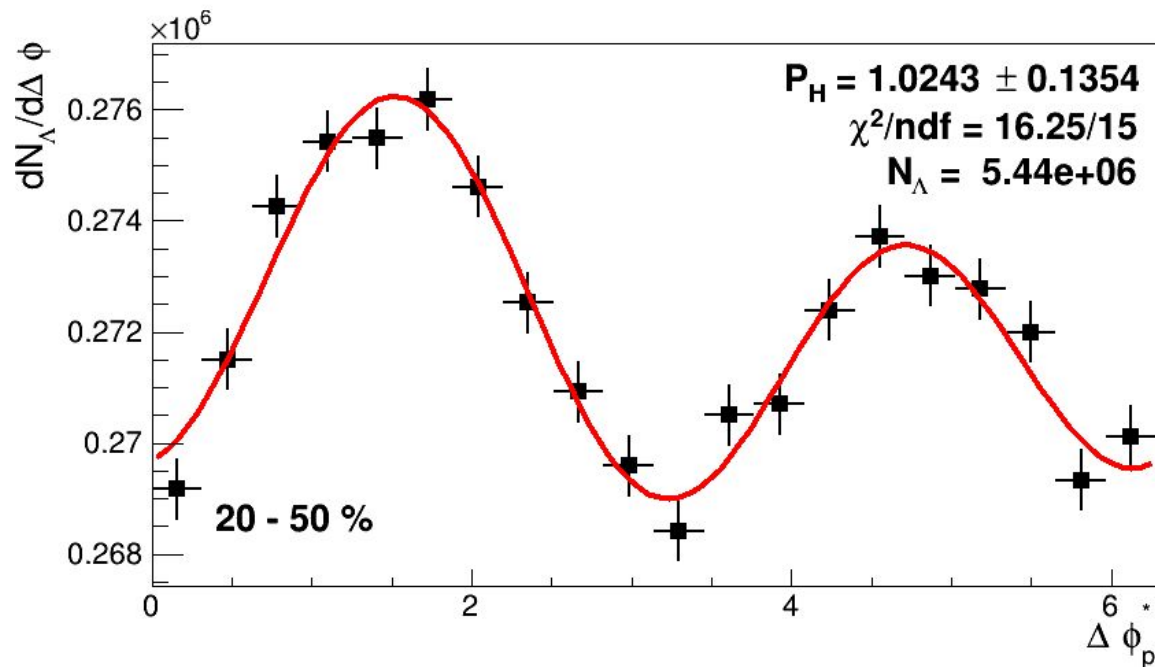
- Obtain invariant mass distribution in bins of  $\Delta\phi_p^* = \Psi_{\text{EP}}^1 - \phi_p^*$ 
  - Net amount of  $\Lambda$  in each bin
  - Distribution of  $N_\Lambda(\Delta\phi_p^*)$
- Fit of the distribution to get  $\langle \sin(\Delta\phi_p^*) \rangle \rightarrow P_\Lambda$ 
  - $dN/d\Delta\phi_p^*$
  - $P_\Lambda = \frac{8}{\pi\alpha_\Lambda} \frac{p_1}{R_{\text{EP}}^1}$



$$\overline{P}_{\Lambda/\bar{\Lambda}} = \frac{8}{\pi\alpha} \frac{1}{R_{\text{EP}}^1} \langle \sin(\Psi_{\text{EP}}^1 - \phi_p^*) \rangle$$

$$\frac{dN}{d\Delta\phi_p^*} = p_0(1 + 2p_1 \sin \Delta\phi_p^* + 2p_2 \cos \Delta\phi_p^* + 2p_3 \sin 2\Delta\phi_p^* + 2p_4 \cos 2\Delta\phi_p^* + \dots)$$

# $\Delta\phi$ -distribution: centrality 20-50%



$$P_\Lambda = \frac{8}{\pi\alpha_\Lambda} \frac{p_1}{R_{EP}^1}$$

$$\alpha_\Lambda \simeq 0.732$$

$$\Delta\phi_p^* = \Psi_{EP}^1 - \phi_p^*$$

$$\frac{dN}{d\Delta\phi_p^*} = p_0(1 + 2p_1 \sin(\Delta\phi_p^*) + 2p_2 \cos(\Delta\phi_p^*) + 2p_3 \sin(2\Delta\phi_p^*) + 2p_4 \cos(2\Delta\phi_p^*))$$

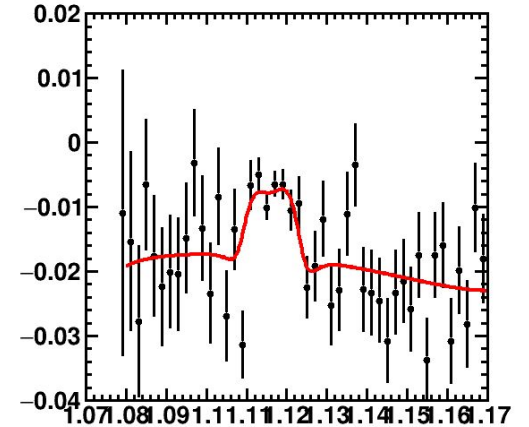
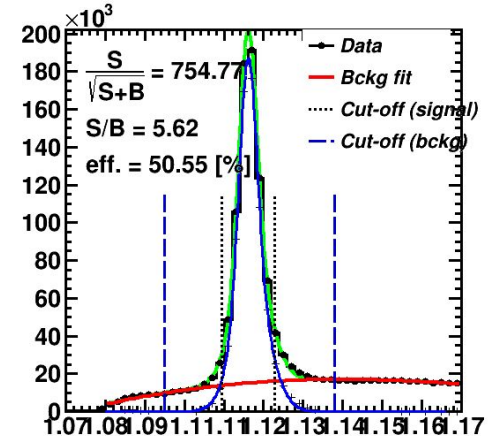
# Inv. mass fit method

- Use invariant mass distribution
- Calculate Sig/All, Bg/All ratios
- Fit  $\langle \sin(\Psi_{EP} - \phi_p^*) \rangle$  as a function of inv. mass:

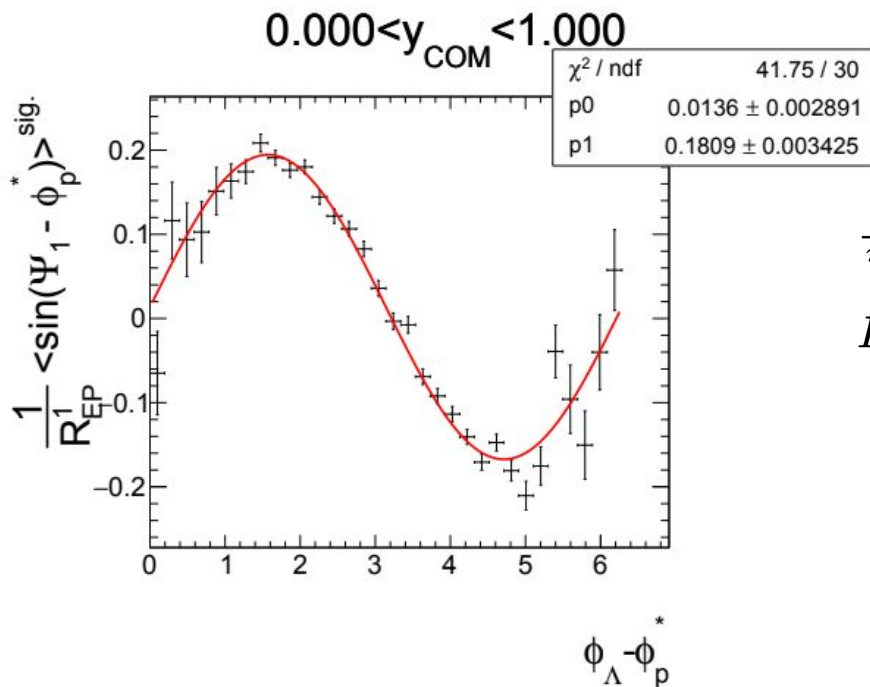
$$P^{SB}(m_{inv}, p_T) = P^S(p_T) \frac{N^S(m_{inv}, p_T)}{N^{SB}(m_{inv}, p_T)} + P^B(m_{inv}, p_T) \frac{N^B(m_{inv}, p_T)}{N^{SB}(m_{inv}, p_T)}$$

- Use  $P^S(p_T) = \langle \sin(\Psi_{RP} - \phi_p^*) \rangle^S$  to find  $P_H$ :

$$\bar{P}_{\Lambda/\bar{\Lambda}} = \frac{8}{\pi\alpha} \frac{1}{R_{EP}^1} \langle \sin(\Psi_{EP}^1 - \phi_p^*) \rangle$$



# Generalized inv. mass fit method



Fit  $P^S = \langle \sin(\Psi_{\text{RP}} - \phi_p^*) \rangle^S$   
in bins of  $\phi_\Lambda - \phi_p^*$  for  $\eta > 0$ ,  $\eta < 0$  using  
formula:

$$\frac{8}{\pi\alpha_\Lambda} \frac{1}{R_{EP}^{(1)}} \langle \sin(\Psi_1 - \phi_p^*) \rangle^{\text{sig}} = \overline{P}_\Lambda^{\text{true}} + c v_1 \sin(\phi_\Lambda - \phi_p^*)$$

$$\bar{P}_H = \frac{1}{2} [\bar{P}_H(\eta > 0) + \bar{P}_H(\eta < 0)]$$

This fit corrects effects of directed flow and  
acceptance contributions to  $P_H$

**We use generalized inv. mass fit  
method further in this work**

M.S. Abdallah et al. (STAR Collaboration),  
Phys. Rev. C 104, L061901 (2021)

# Systematics

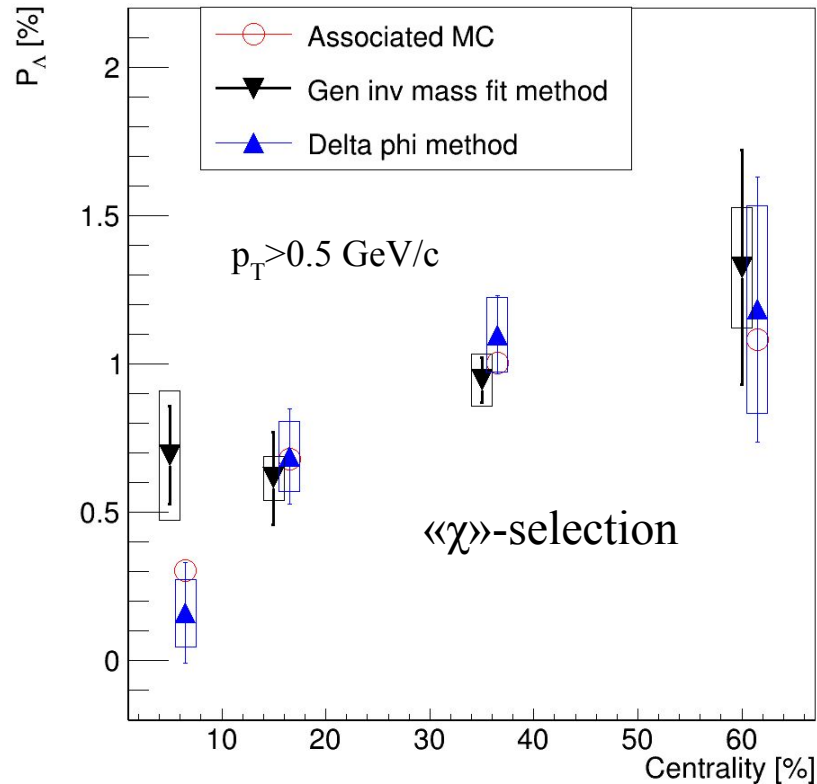
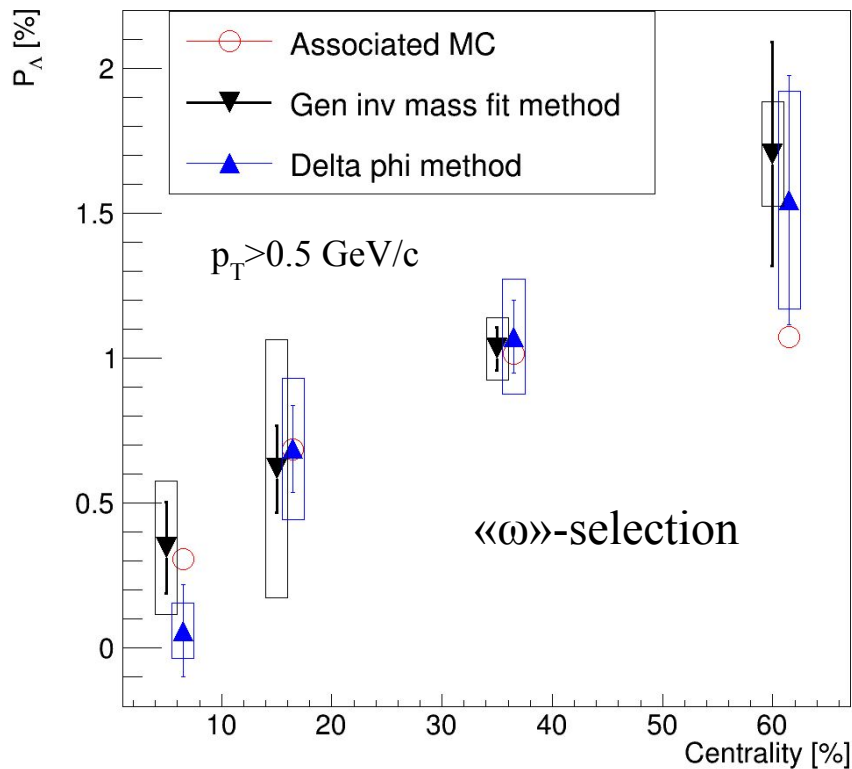
For  $\Delta\phi$ -method:

- $\sigma$  for fitting signal at all distributions:  $3 \pm 0.5\sigma$
- Resolution: comparison of 2-sub event and 3-sub event
- $\Delta\phi$  bins:  $20 \pm 4$
- Bg polarization: fit the Bg in  $\Delta\phi$  bins instead of Sig

For Gen inv mass fit method:

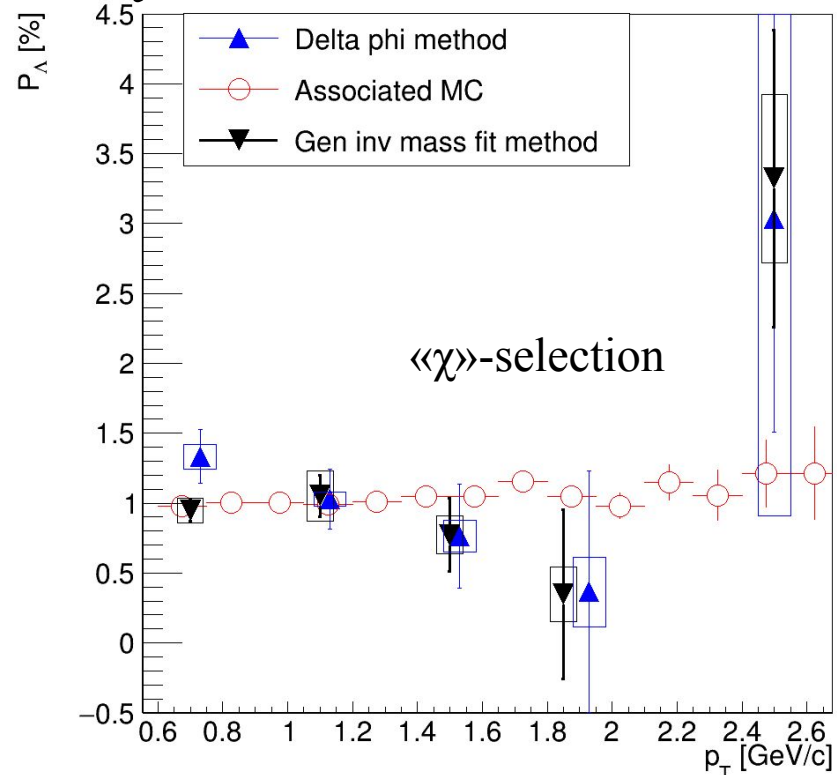
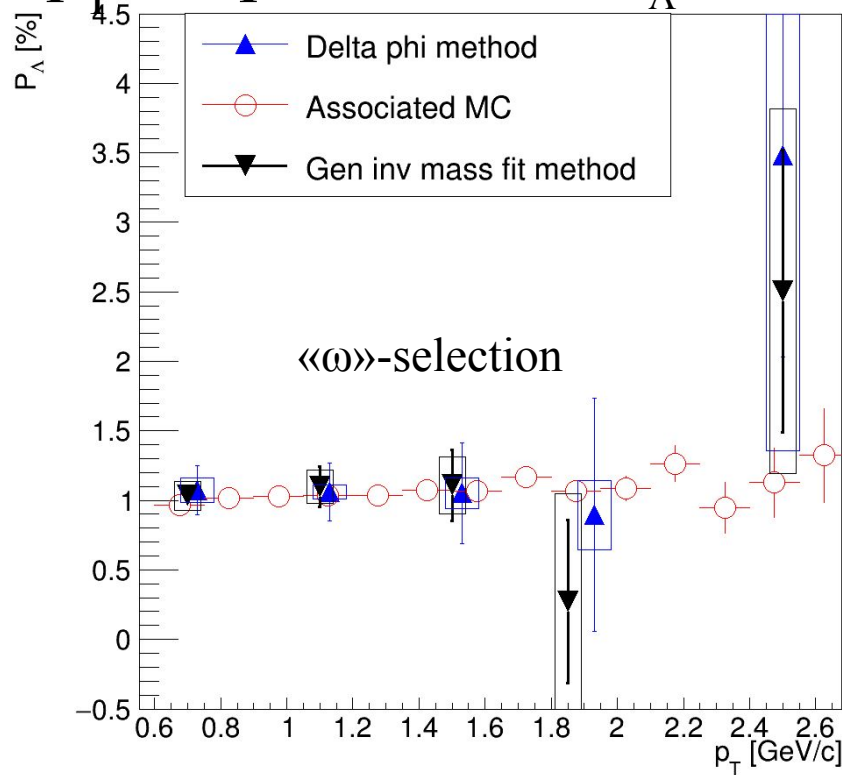
- $\sigma$  for fitting signal at all distributions:  $3 \pm 0.5\sigma$
- Resolution: comparison of 2-sub event and 3-sub event
- $\phi_{\Lambda} - \phi_p^*$  bins:  $16 \pm 4$
- Bg polarization: fit the  $\langle \sin(\Psi_{\text{RP}} - \phi_p^*) \rangle$  with *pol0* and *pol1*

# Centrality dependence of $P_{\Lambda}$



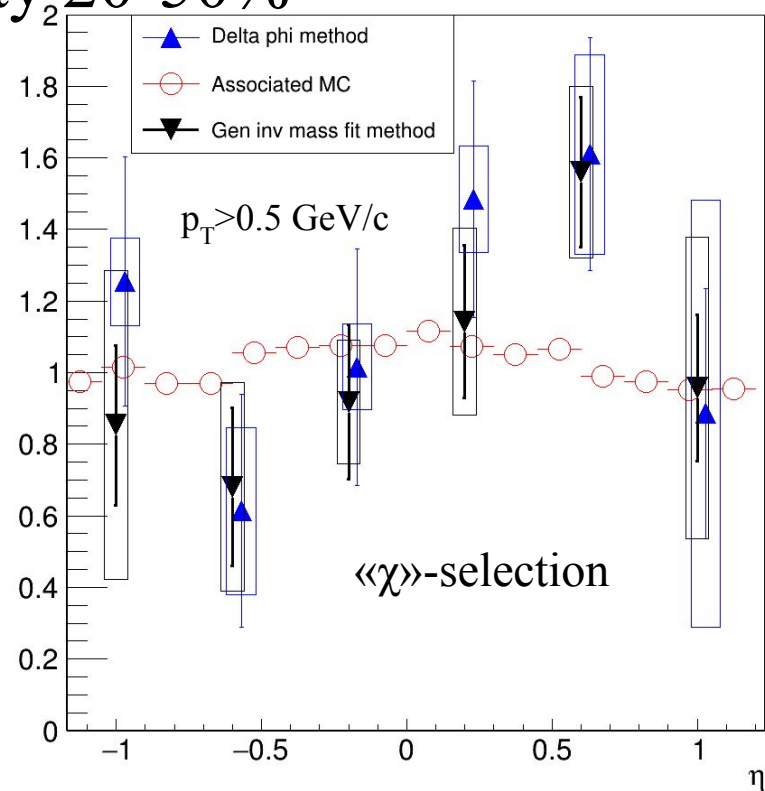
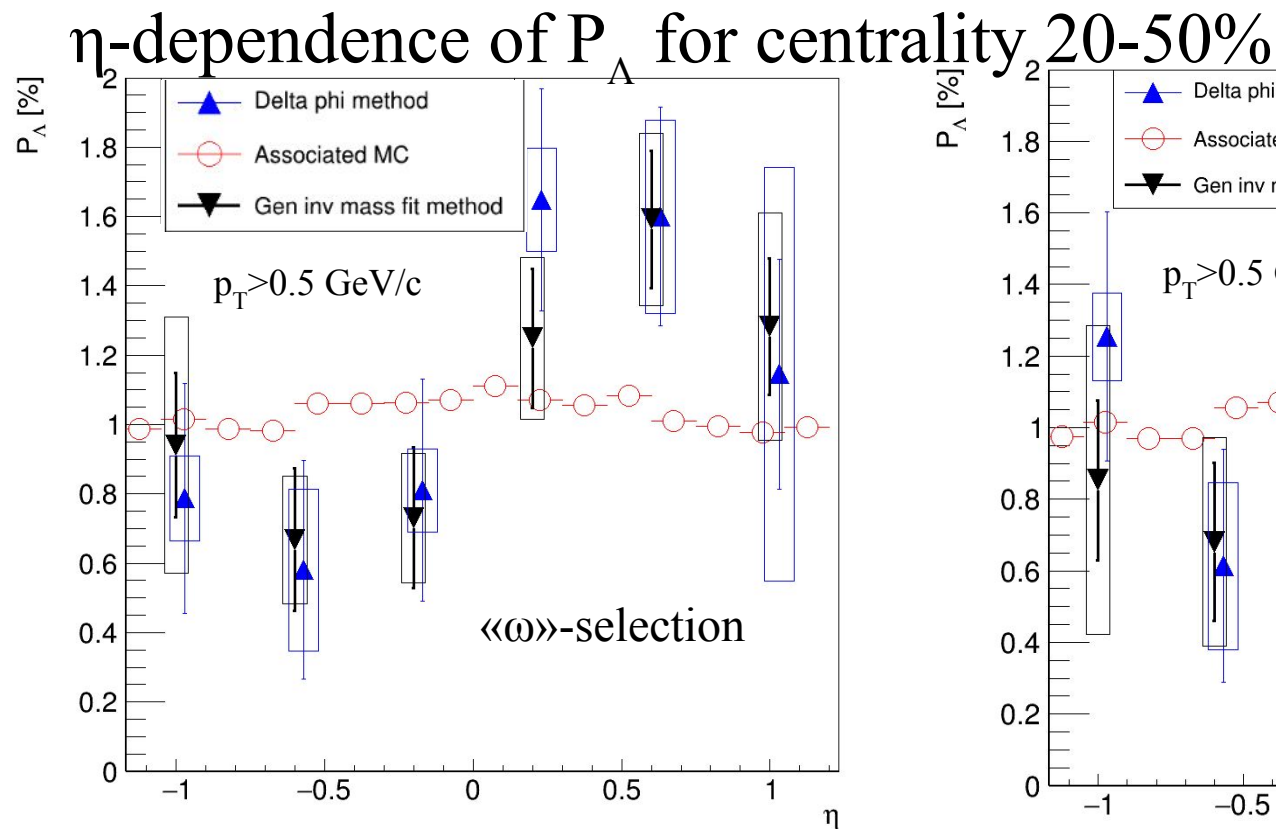
Both methods have a good agreement with Associated MC

# $p_T$ - dependence of $P_\Lambda$ for centrality 20-50%



Both methods have a good agreement with Associated MC  
 Need more statistics to study high  $p_T$  region





Both methods have an agreement with Associated MC  
 Need more statistics to study  $\eta$ -dependence

# Summary

- Implementation of generalized invariant mass fit method
  - Gen inv. mass fit method is used in STAR collaboration and takes into account the effects of non-uniform acceptance and  $v_1$  - may be applicable in fixed-target program at MPD
- Both methods have a good agreement with Associated MC
- The statistics size of 15M events is not enough for  $p_T$ - $\eta$  measurements

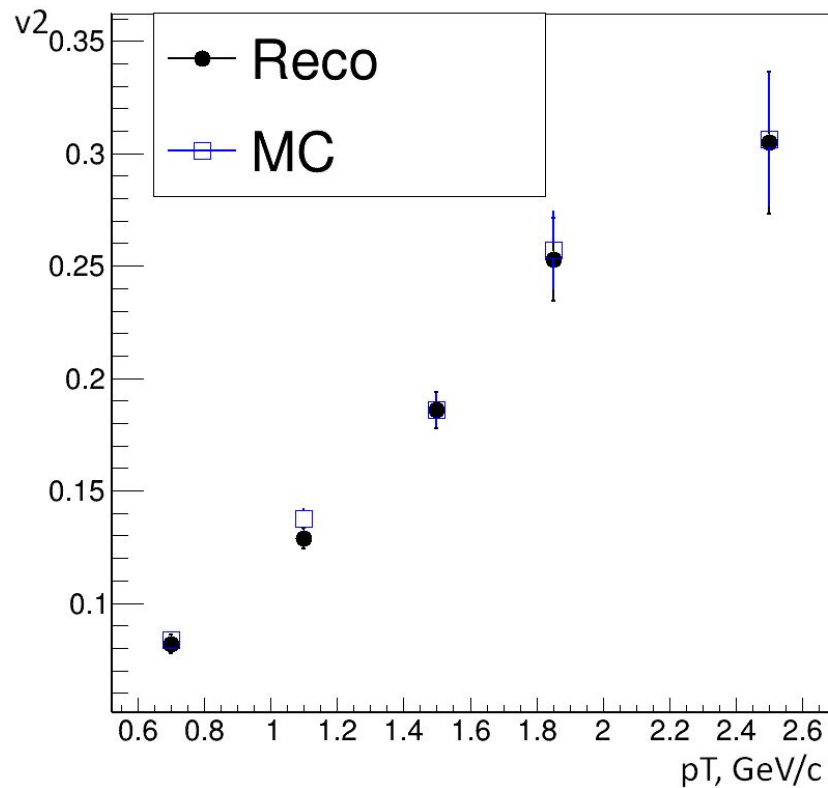
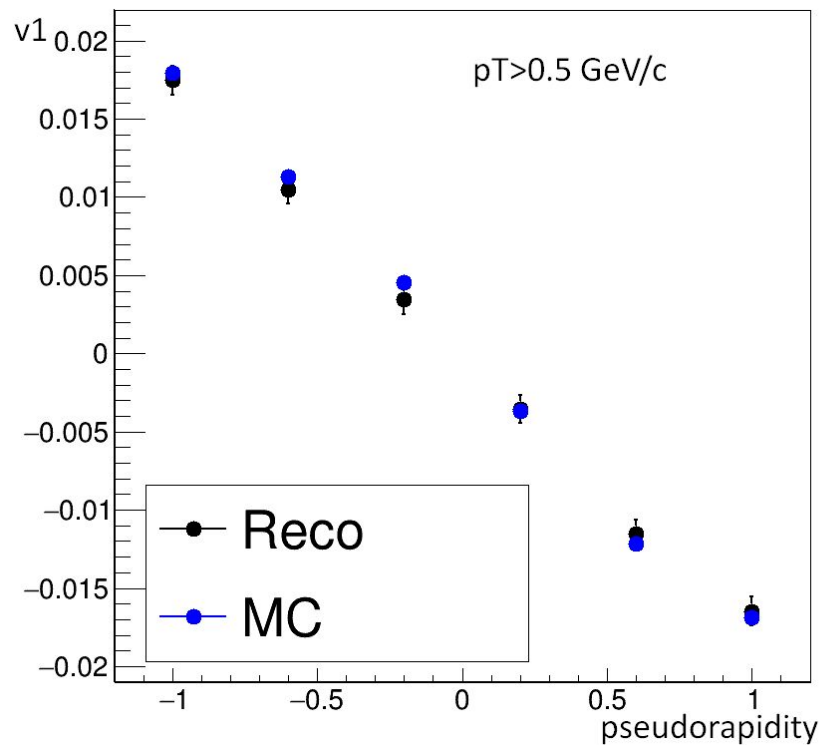
# Outlook

- Analysis of systematics
- $\bar{\Lambda}$ -global polarization measurements
- Performance study with larger statistics(30-50M events)

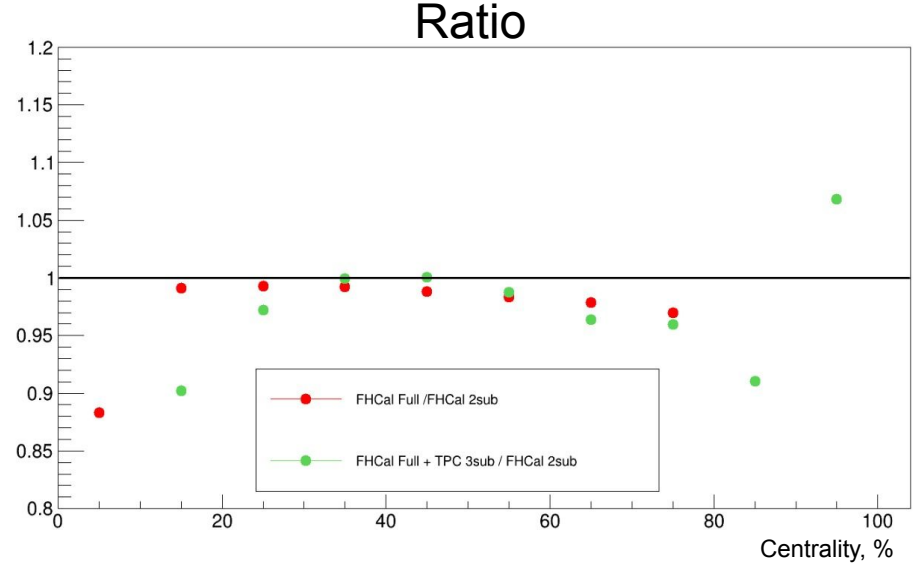
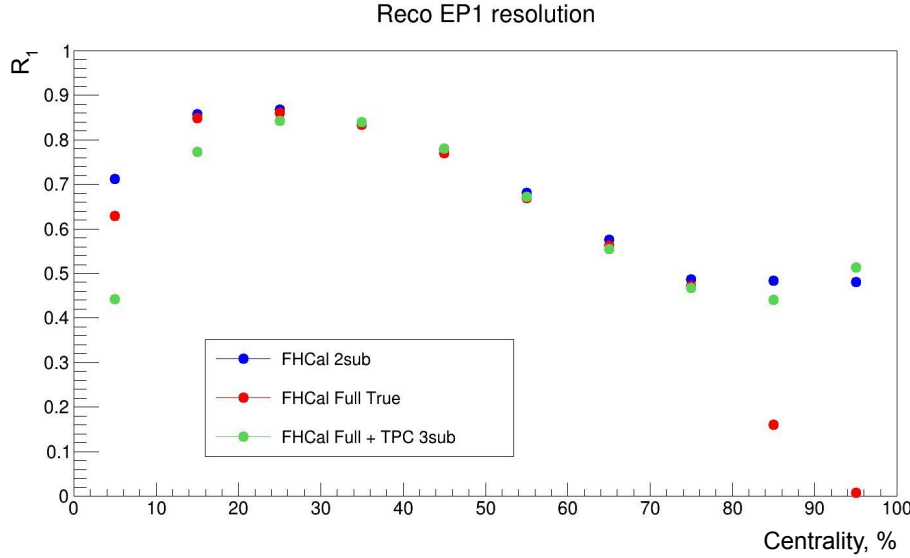
Thank you for your attention!

# BACKUP

# Collective flow



# Resolution measurements



$$R_1 = \langle \cos(\Phi_1^F - \Psi^{RP}) \rangle$$

(1) • FHCAL Full True from Eq. (1)

$$R_1(\Phi_1(F_N, F_S)) = \sqrt{\langle \cos(\Phi_1^{F_N} - \Phi_1^{F_S}) \rangle}$$

(2) • FHCAL 2sub event from Eq.(2)

$$R_1(\Phi_1(T_N, T_S, F)) = \sqrt{\frac{2\langle \cos(\Phi_1^{T_N} - \Phi_1^{T_S}) \rangle \langle \cos(\Phi_1^{T_S} - \Phi_1^F) \rangle}{\langle \cos(\Phi_1^{T_N} - \Phi_1^F) \rangle}}$$

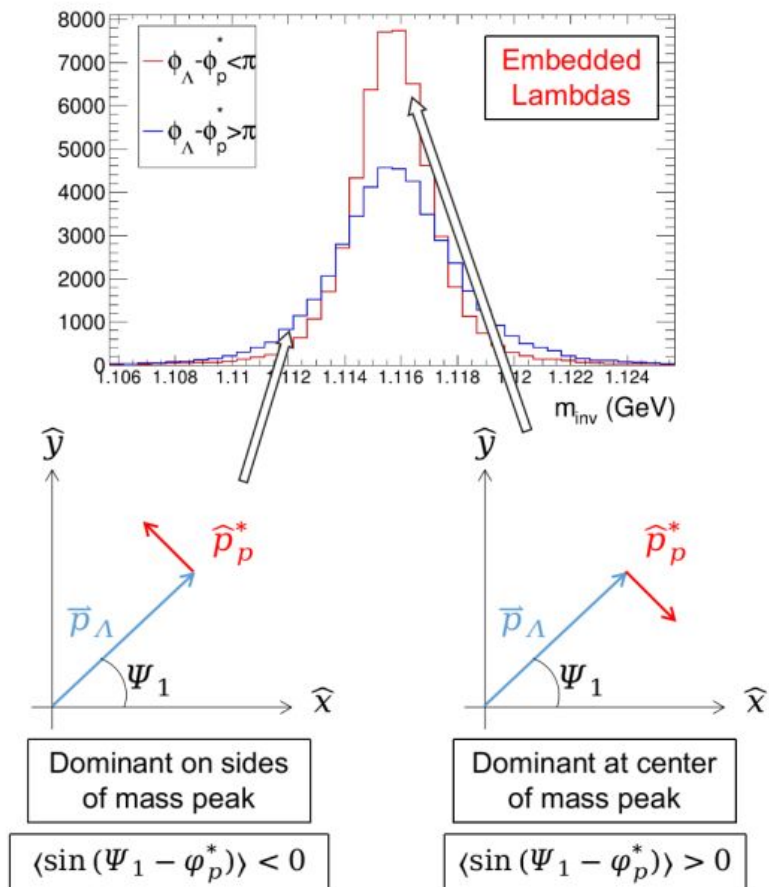
(3) • FHCAL Full + TPC 3sub from Eq.(3)

(4) • F - FHCAL, T - TPC, N,S - right and left part of detector

$$R_n(\Phi_n) = \frac{\sqrt{(\Pi)}}{2\sqrt{(2)}} \chi e^{-\frac{\chi^2}{4}} [I_{(n-1)/2}(\frac{\chi^2}{4}) + I_{(n+1)/2}(\frac{\chi^2}{4})]$$

(4) • Eq.(4) - extrapolation to full event

# Generalized inv. mass fit method



This method can deal with tracks crossing: daughter particles tracks with opposite charges are bended in the opposite directions in the magnetic field, and these tracks may cross each other -> creates 2 peaks distribution. Solution: fit Sig with 2 gaussses

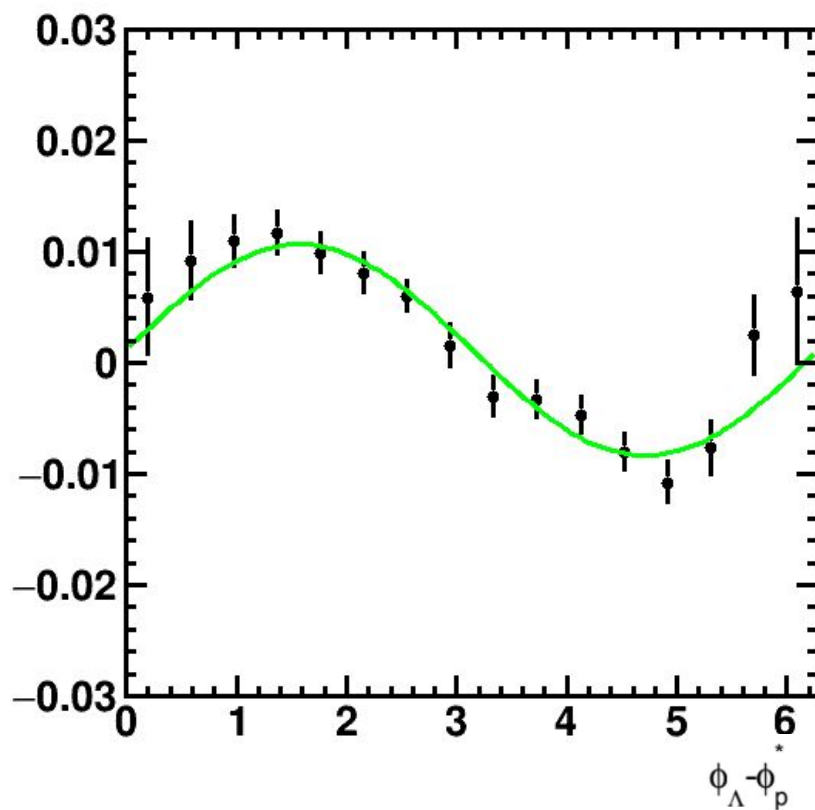
Warning: with detector asymmetry it would provide the effect of  $v_1$  on the polarization measurements and odd pseudorapidity dependence

M.S. Abdallah et al. (STAR Collaboration),  
Phys. Rev. C 104, L061901 (2021)

# Examples pseudorapidity

$$\langle \sin(\Psi_{RP} - \phi_p^*) \rangle^{sig}$$

$$-0.8 < \eta < -0.4$$



$$0 < \eta < 0.4$$

