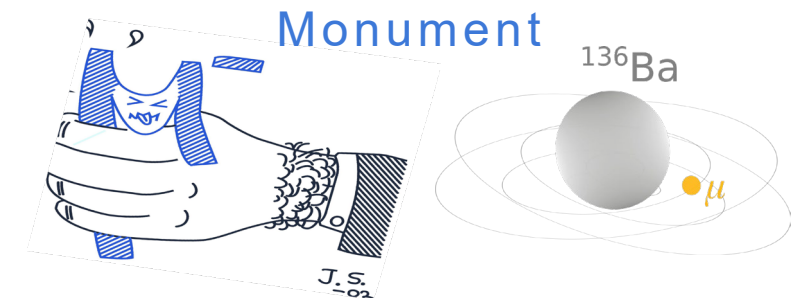


Muon capture measurements with ^{136}Ba target.

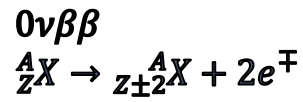
M.V. Fomina for the MONUMENT collaboration



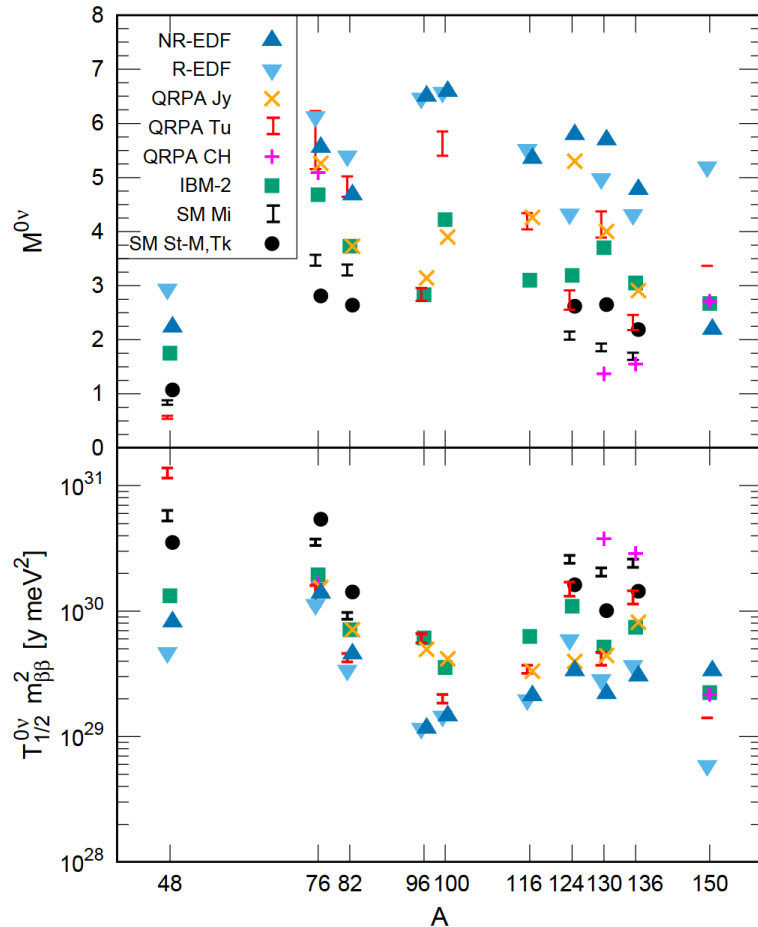
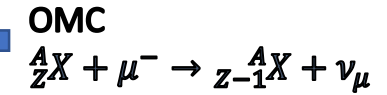
Overview

- Ordinary muon capture (OMC)
 - Motivation (OMC&DBD)
 - Fundamental concept
- MONUMENT experiment
- Experimental setup
- Measurement principle
- Observables. Total capture rate and partial rate
- Conclusions.

Ordinary muon capture (OMC). Motivation. $0\nu\beta\beta$.



Involves momentum transfer $q \approx 100$ MeV
 No restriction on angular momentum and parity change



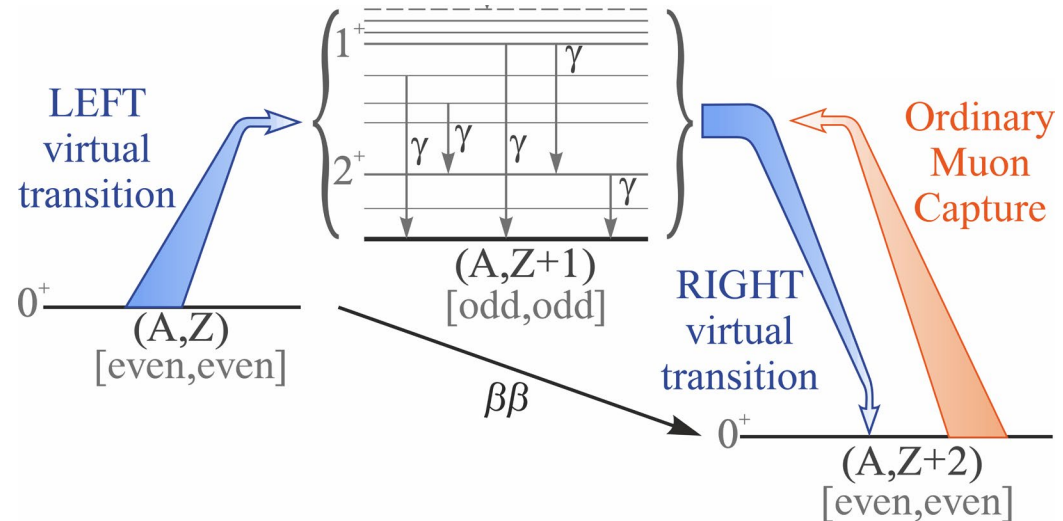
The half-life of the $0\nu\beta\beta$ -decay is

$$\frac{1}{T_{1/2}} = G^{0\nu}(E_0, Z) |M^{0\nu}|^2 |\langle m_{\beta\beta} \rangle|^2$$

F. Simkovic et al. Phys. Rev. C 77 (2008) 045503

$$\langle m_{\beta\beta} \rangle = \sum_i |U_{ei}|^2 e^{i\alpha_i} m_i$$

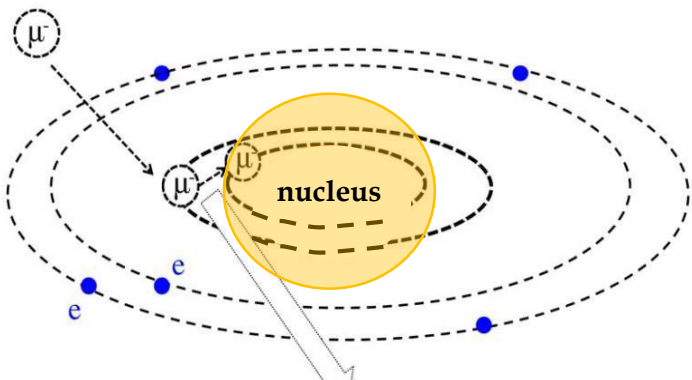
$$M^{0\nu} = -\frac{M_F}{g_A^2} + M_{GT} + M_T$$



Ordinary muon capture (OMC). Motivation. $0\nu\beta\beta$.

$0\nu\beta\beta$ -decay candidate	Experiments	OMC target	Status
^{76}Ge	Gerda I/II, Majorana Demonstrator, LEGEND	^{76}Se	2004, 2021
^{48}Ca	TGV, NEMO3, Candles III	^{48}Ti	2002, 2023
^{106}Cd	TGV	^{106}Cd	2004
^{82}Se	NEMO3, SuperNEMO, Lucifer (R&D)	^{82}Kr	2019
^{100}Mo	NEMO3, AMoRE(R&D), LUMINEU (R&D), CUPID-0 Mo	^{100}Ru	—
^{116}Cd	NEMO3, Cobra	^{116}Sn	—
^{150}Nd	SuperNEMO, DCBA (R&D)	^{150}Sm	2006
^{136}Xe	nEXO, KamLAND2-Zen, NEXT, DARWIN, PandaX-III	^{136}Ba	2021
^{130}Te	Cuore 0/Cuore, SNO+	^{130}Xe	2019

Ordinary muon capture (OMC) with ^{136}Ba target. Fundamental concepts.



$m_\mu \sim 105 \text{ MeV}$ Muonic characteristic X-ray

$$\mu^- \rightarrow e^- + \nu_e + \nu_\mu \quad \tau_{\text{dec}} \approx 2.2 \mu\text{s}$$

$$(A, Z) + \mu^- \rightarrow (A, Z-1)^* + \nu_\mu$$

$$\rightarrow (A, Z-1) + \gamma \quad ^{136}\text{Cs}$$

$$\rightarrow (A-1, Z-1) + \gamma + n \quad ^{135}\text{Cs}$$

$$\rightarrow (A-2, Z-1) + \gamma + 2n \quad ^{134}\text{Cs}$$

$$\rightarrow (A-2, Z-2) + \gamma + n + p \quad ^{135}\text{Xe} \dots$$

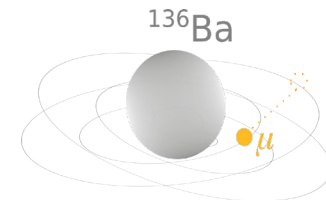
- Total **OMC** rate (λ_{cap})

$$\lambda_{\text{tot}} = 1/\tau = \lambda_{\text{cap}} + H \cdot \lambda_{\text{free}}$$

- Partial rate of **excitations** to level J (λ_j) following **OMC**

$$\lambda_j = Y_j \cdot \lambda_{\text{tot}}$$

$$Y_j = \sum (I_i^\gamma)_{\text{in}} - \sum (I_i^\gamma)_{\text{out}}, \text{ where } I_i^\gamma = \frac{S_i^\gamma}{\eta_i \epsilon \sum_n I(K_n)}$$



Observables:

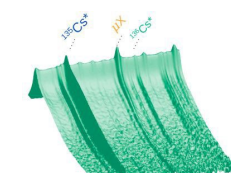
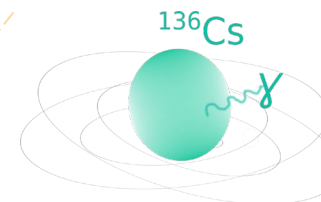
Intensity
 $\mu\text{X-rays}$

Time evolution
 $^{135}\text{Cs}^* \text{ } \gamma\text{s}$

+ $^{135}\text{Cs}^* + \dots$

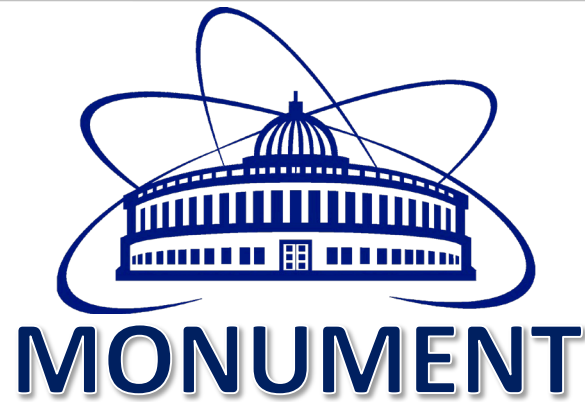
Intensity
 $^{136}\text{Cs}^* \text{ } \gamma\text{s}$

In: observables
out: parameters
extracted from data



Focus here: γ -line identification, intensity (S_p, I_j) and time evolution ($\tau, \lambda_{\text{cap}}$)

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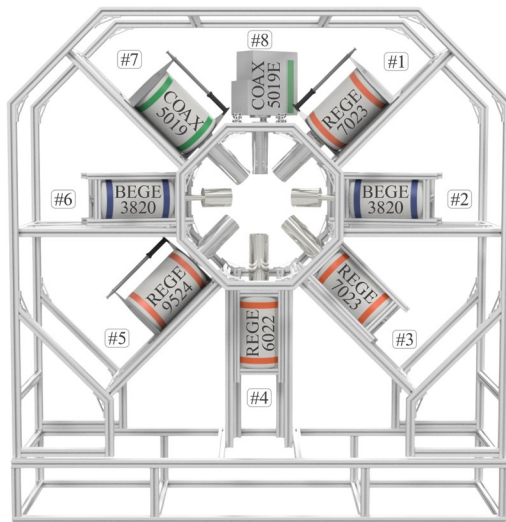
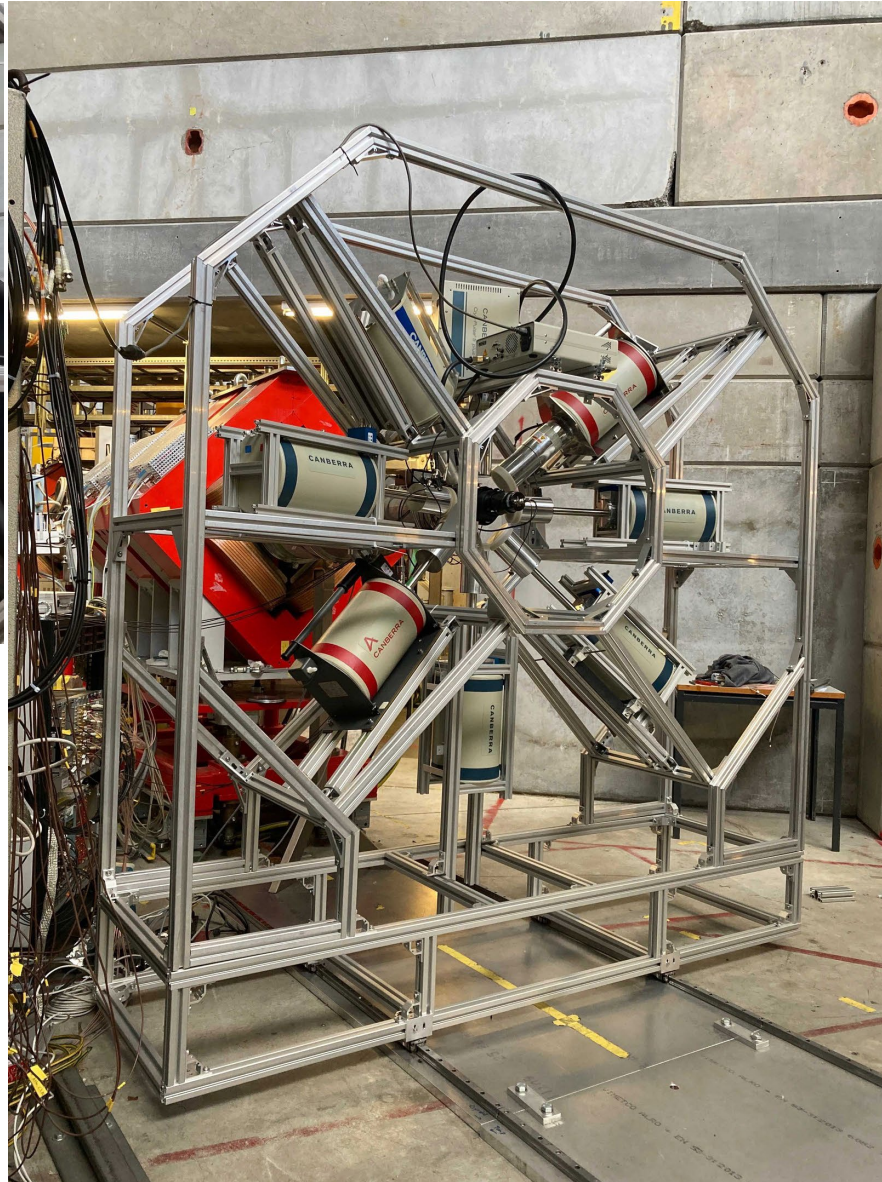
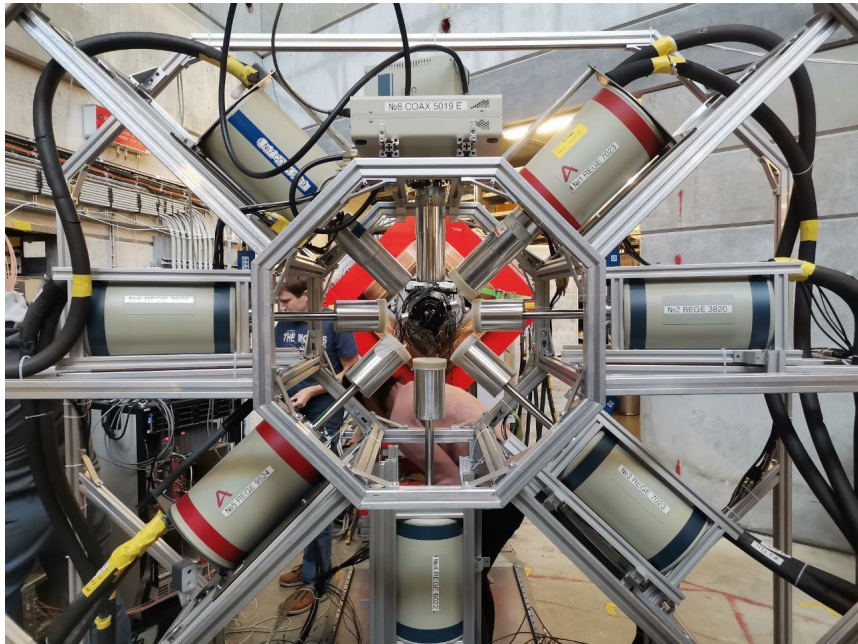
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UNIVERSITI TEKNOLOGI MALAYSIA



UNIVERSITY OF JYVÄSKYLÄ

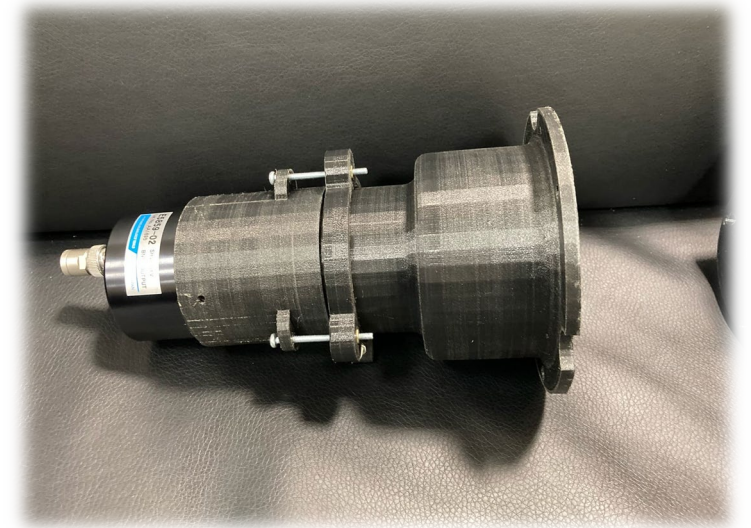
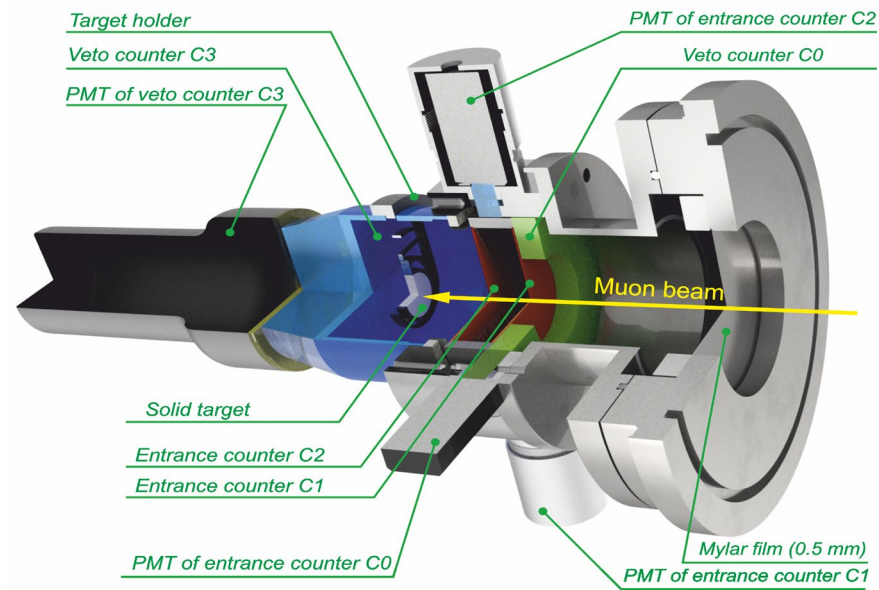
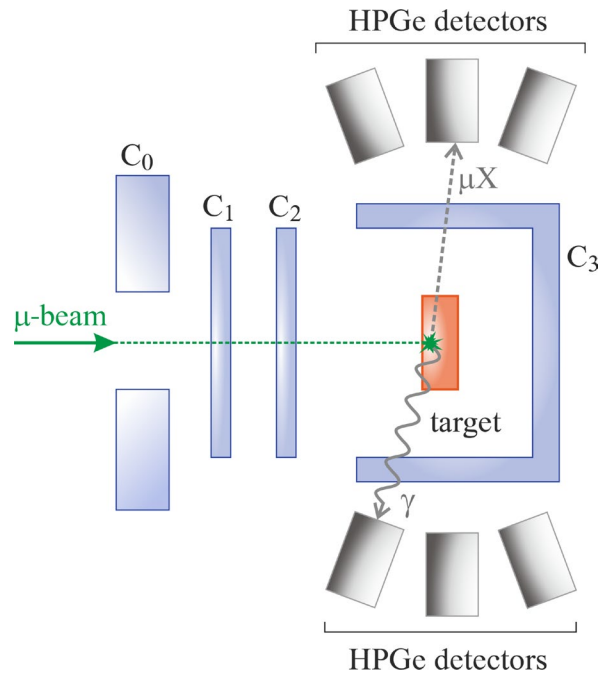


Experimental setup



- ❑ **Aluminum frame** with the HPGe detectors mounted at a distance of about 12 cm from the target system
- ❑ **8 HPGe detectors:**
 - Four large-volume n-type Reverse Electrode coaxial Ge detectors (REGe detectors) with thin beryllium entrance windows (3 — PSI, 1 — TUM)
 - One large-volume p-type coaxial detector (COAX detector) with an electro-cooling unit (JINR)
 - Three relatively large-volume p-type Broad Energy BEGe detectors (2 — PSI, 1 — TUM)

Experimental setup. Muon trigger system



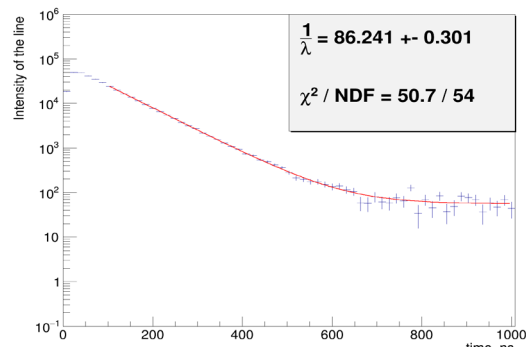
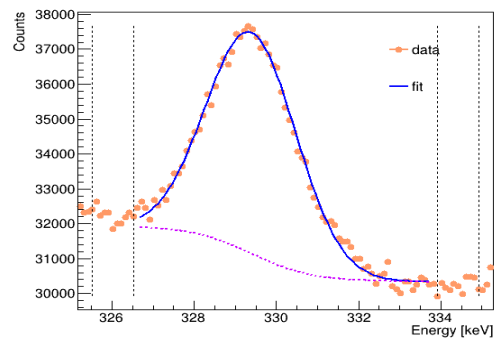
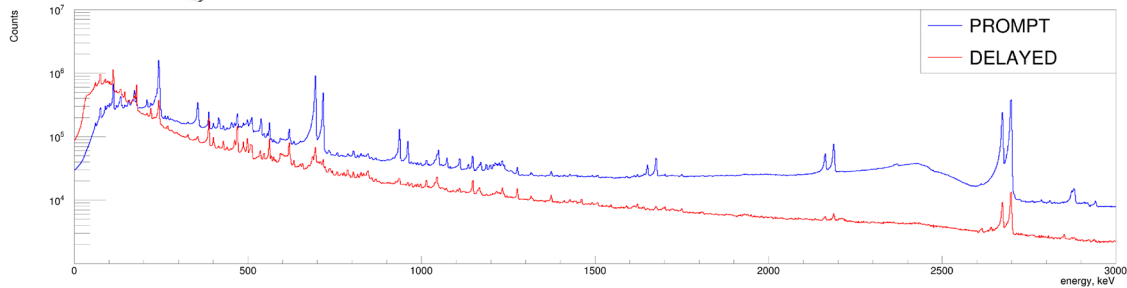
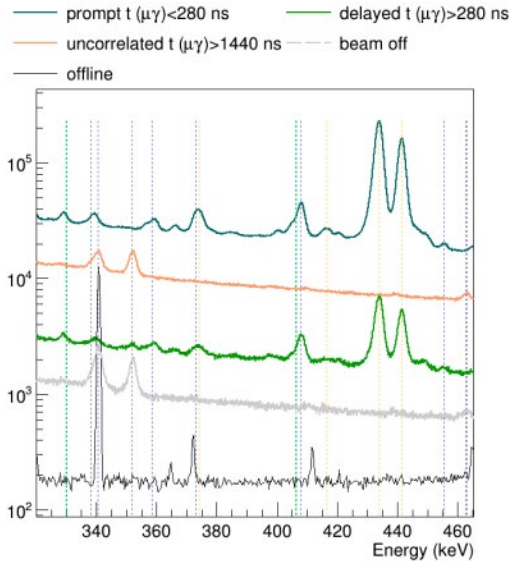
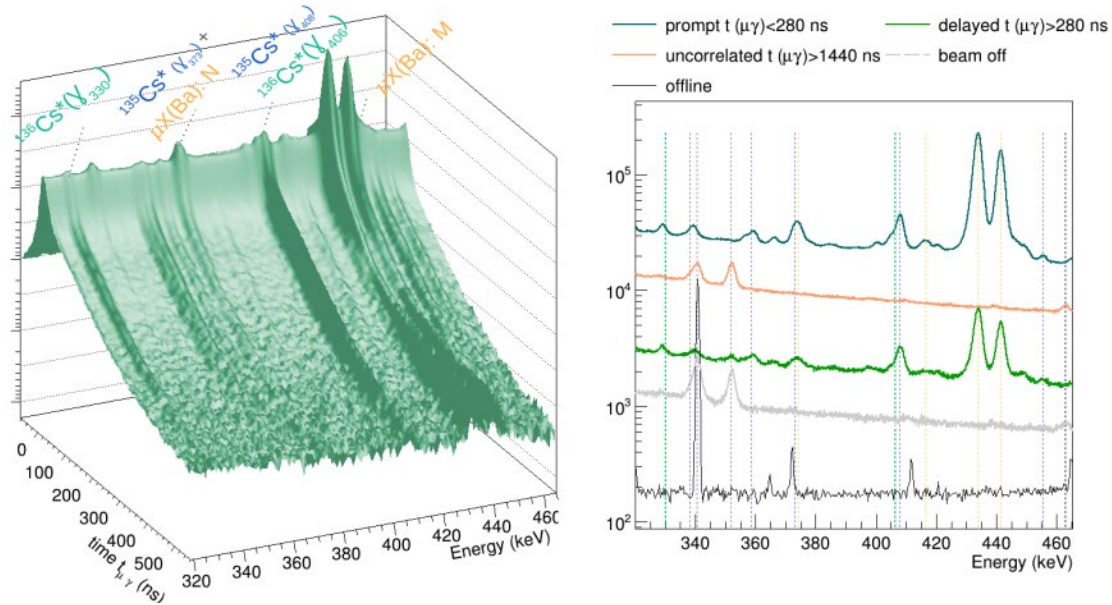
The muon trigger system combined with the target unit consists of:

- an active muon veto counter **C0** (10 mm thickness), placed at the entrance of the target enclosure;
- two thin (0.5 mm) pass-through counters **C1** and **C2**;
- the actual target volume surrounded by a cup-like counter **C3**.

The four muon counters are defining μ -stop trigger

$$\mu_{\text{stop}} = \overline{C0} \wedge C1 \wedge C2 \wedge \overline{C3}$$

Measurement principle. Total muon capture.



I. Identification of γ -lines

HPGe detector events are classified by their dependence on the software trigger:

Correlated spectra: HPGe events occurring within selected time window following the software trigger ($t_{\mu_{stop}} \in (0 \text{ ns}, 1440 \text{ ns})$)

Prompt spectrum: characteristic μX rays ($t_{\mu_{stop}} < 280 \text{ ns}$)

Delayed spectrum: the nuclear γ radiation following muon capture (μ^-, xn) reactions ($t_{\mu_{stop}} > 280 \text{ ns}$)

Uncorrelated spectra: HPGe events occurring outside of the selected time window caused by any of the C counters ($t_{\mu_{stop}} > 1440 \text{ ns}$)

Note: As far as each μ stopped in a target is followed by characteristic μX rays, the intensity of each spectral line reflects the number of μ stopped in the corresponding isotope. Therefore, μX spectra could be applied to normalize any measurements to amount of muons.

II. Analyzing of the time evolution of the individual γ -lines

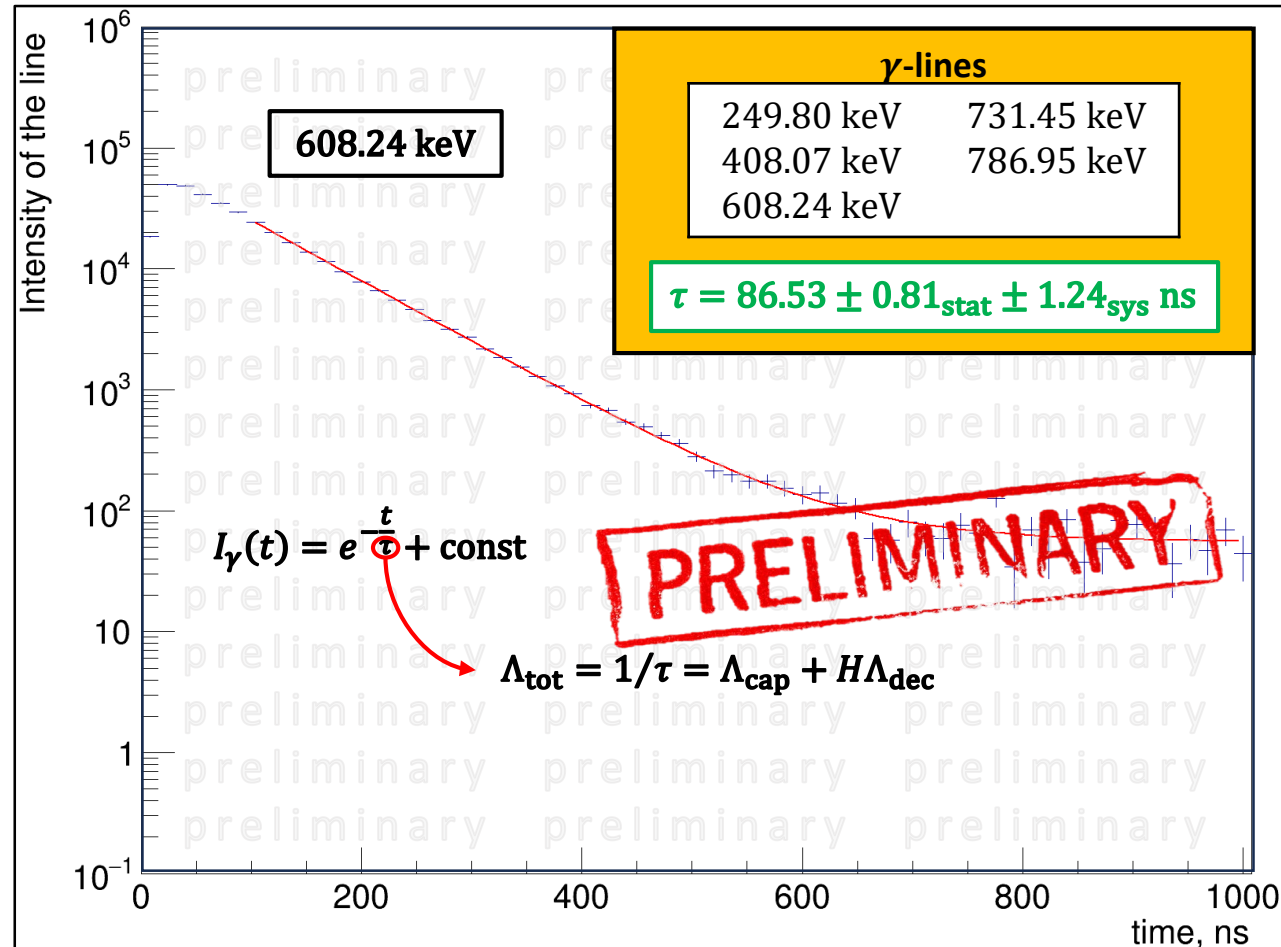
The main method for determining of muon lifetime is to define the exponential time evolution of delayed γ -lines of OMC products:

- The measured γ -ray line intensities are histogrammed in two dimensions: energy and delay time $t_{\mu_{stop}}$
- Selection of an energy region with the identified γ -lines
- Fitting of the identified γ -lines
- Total muon capture rate Λ_{cap} is evaluated for each detector and each γ -line.
- Weighted average is then performed

Observables. Total capture rate of ^{136}Ba

The total muon disappearance rate is $\Lambda_{\text{tot}} = \frac{1}{\tau} = \Lambda_{\text{cap}} + H\Lambda_{\text{decay}}$

Λ_{cap} is total μ -capture rate,
 Λ_{decay} is a free muon decay rate ($0.4552 \times 10^{-6} \text{ s}^{-1}$),
 H is Huff factor, which is introduced to take into account, that phase space accessible for a muon on atomic **K**-shell is smaller than that for a free muon



Partial rates.

Ordinary muon capture studies for the matrix elements in $\beta\beta$ decay

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²State University "Dubna", 141980 Dubna, Russia

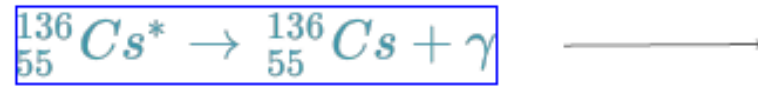
³Paul Scherrer Institute, 5232 Villigen, Switzerland

⁴Department of Physics, University of Jyväskylä, P.O. Box 35, FIN-40351 Jyväskylä, Finland

As mentioned above, in Eq. (2) the muon disappearance rate λ_{tot} includes the capture rate λ_{cap} which in its turn consists of partial rates to the all states of the daughter nucleus, including its ground state ($j = 0$), excited bound states ($j = 1, 2, \dots$), as well as higher excited states decaying with nucleon emission(s):

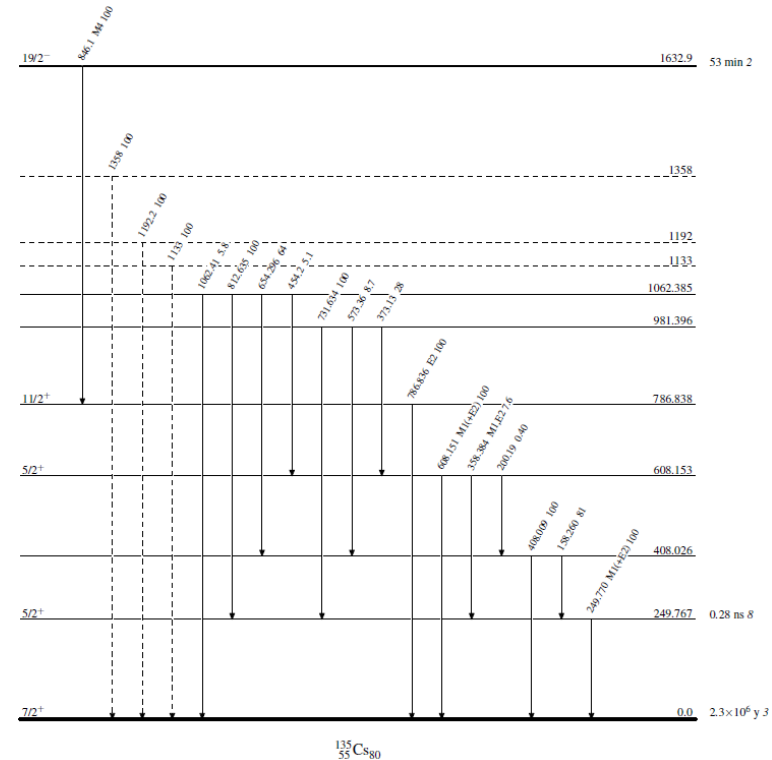
$$\lambda_{\text{cap}} = \lambda_{\text{cap}}(0n) + \lambda_{\text{cap}}(1n) + \lambda_{\text{cap}}(2n) + \lambda_{\text{cap}}(1p) + \dots, \quad (4)$$

For the theoretical NME calculations it is important to know the partial capture rate λ_j or at least the relative intensity P_j of the μ capture to a particular daughter state j , i.e., a capture with no nucleon emission [the first term in Eq. (4)]. Defining the percentage of the muons captured to a particular state j with respect to the total number of muons stopped in



${}^{136}_{56}\text{Ba}$	$0n$	d, τ	$-1n$	d, τ	$-2n$	d, τ	$-3n$	d, τ
$-1p + 1n (\mu C \text{ or } eC)$	${}^{136}_{55}\text{Cs}$	b ⁺ , 13d	${}^{135(m)}_{55}\text{Cs}$	IT, 53m	${}^{134(m)}_{55}\text{Cs}$	IT, 3h	${}^{133}_{55}\text{Cs}$	st
$-2p + 2n (\mu C \text{ or } eC)$ (or p emission)	${}^{136}_{54}\text{Xe}$	st	${}^{135}_{54}\text{Xe}$ (Cs^*)	IT, b ⁺ , 15m-9h	${}^{134}_{54}\text{Xe}$	st or IT, ~ms	${}^{133}_{54}\text{Xe}$	b ⁺ , IT 2-5d

\uparrow β decay

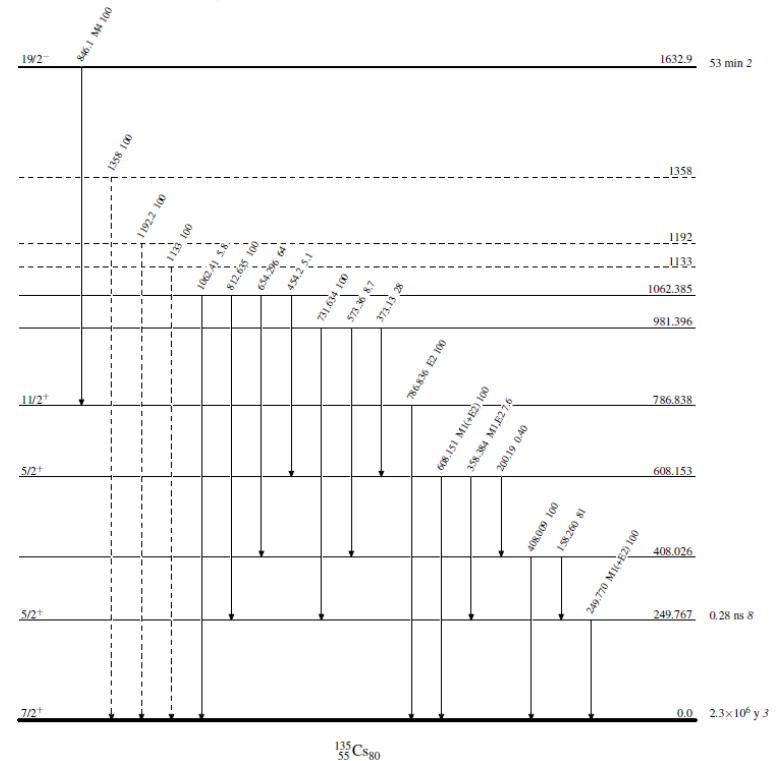


Partial rates (^{135}Cs)

E(level) (keV)	$J\pi$ (level)	$T_{1/2}$ (level)	E(γ) (keV)	I(γ)	Final level	
0.0	7/2+	$2.3 \times 10^{+6}$ y 3 % $\beta^- = 100$				
249.767 4	5/2+	0.28 ns 8	249.770 4	100	0.0	7/2+
408.026 5			158.260 4 408.009 8	81 3 100 3	249.767 0.0	5/2+ 7/2+
608.153 8	5/2+		200.19 10 358.384 9 608.151 12	0.40 16 7.6 3 100 3	408.026 249.767 0.0	5/2+ 7/2+
786.838 13	11/2+		786.836 13	100	0.0	7/2+
981.396 19			373.13 10 573.36 4 731.634 21	28 5 8.7 13 100 5	608.153 408.026 249.767	5/2+ 5/2+
1062.385 13			454.2 2 654.296 23 812.635 22 1062.41 2	5.1 10 64 3 100 3 5.8 12	608.153 408.026 249.767 0.0	5/2+ 5/2+ 7/2+
1133?			1133?	100	0.0	7/2+
1192?			1192.2?	100	0.0	7/2+
1358?			1358?	100	0.0	7/2+
1632.9	19/2-	53 m 2 % IT = 100	846.1	100	786.838	11/2+

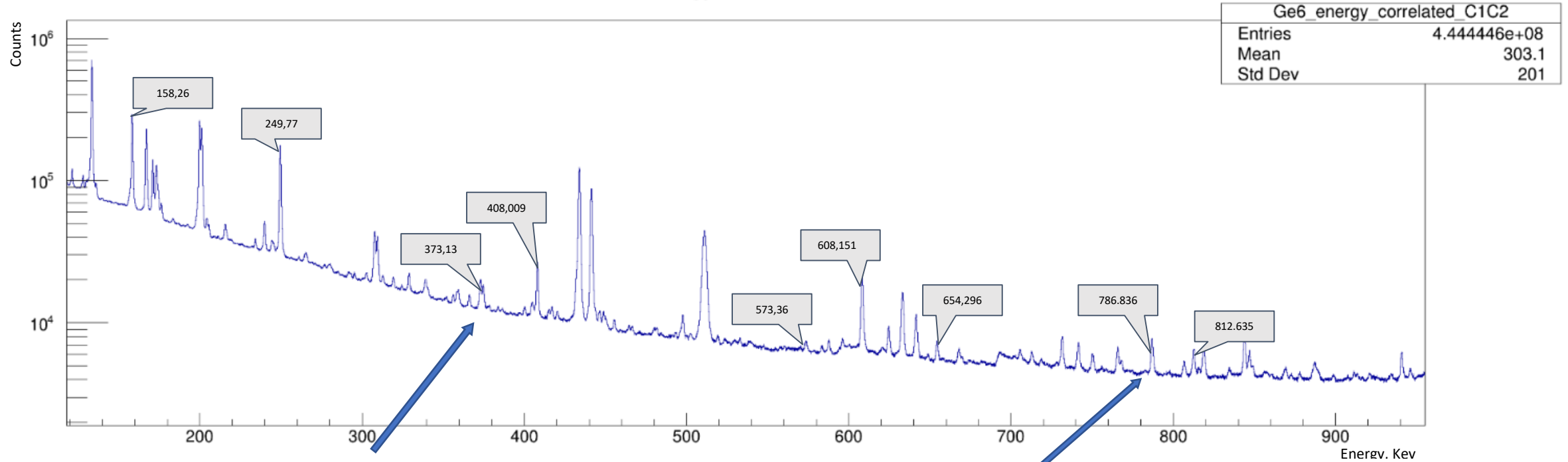
Analyzing of the correlated spectra for calculation of partial rates

- Searching for possible excited levels of daughter nuclei
- Fitting the spectra lines (for populated levels) considering detectors efficiencies and deexcitation process branching
- Normalization to number of muons stops
- Calculation of partial rates λ_j

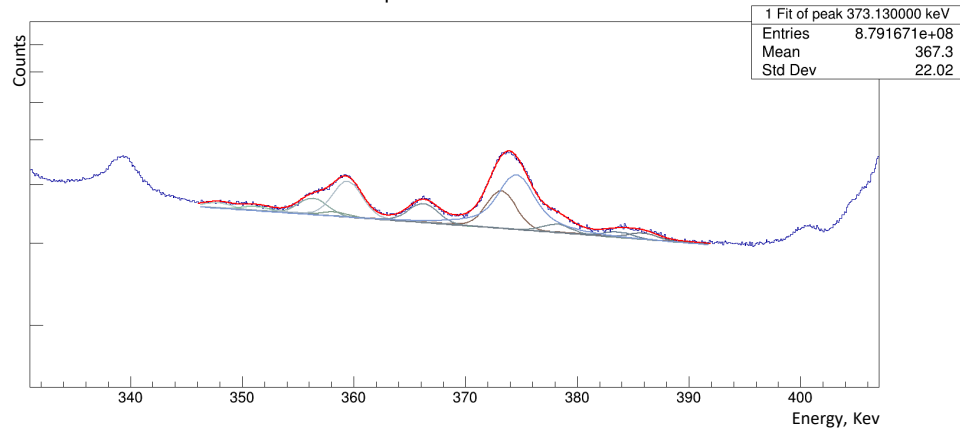


Partial rates. The work is ongoing...

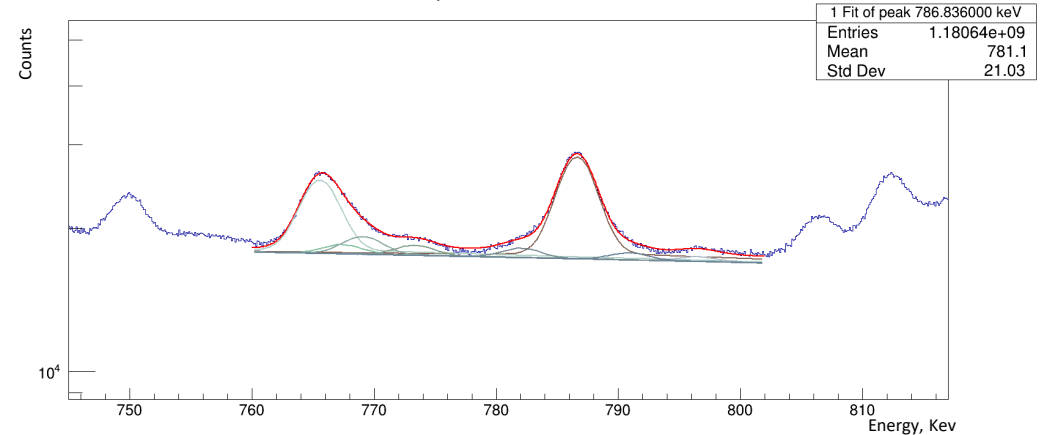
Ge6_energy_correlated_C1C2



1 Fit of peak 373.130000 keV



1 Fit of peak 786.836000 keV



Conclusions

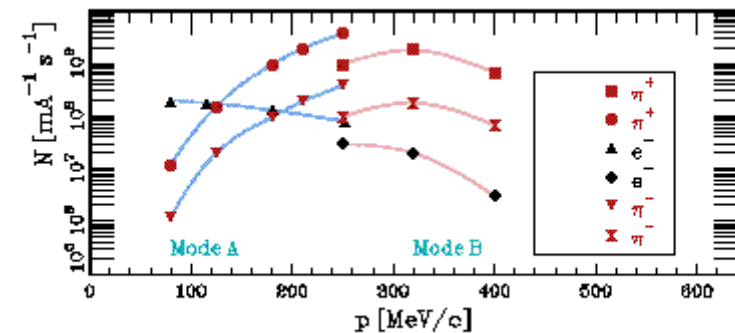
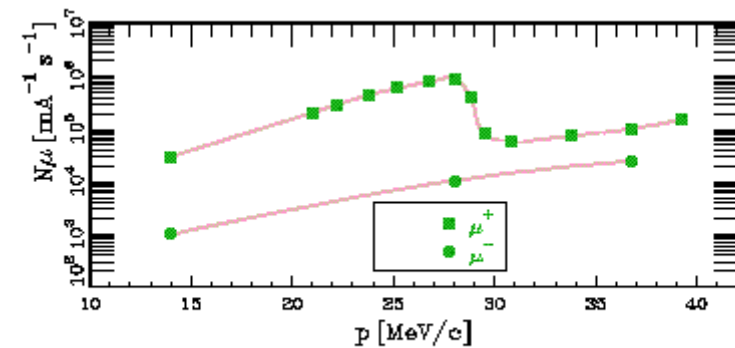
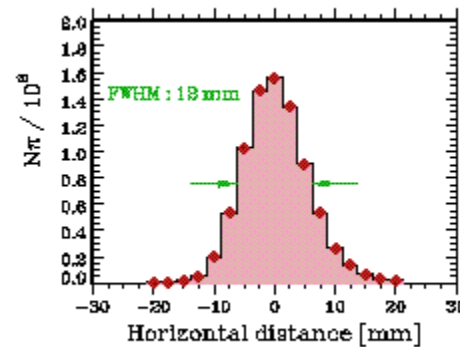
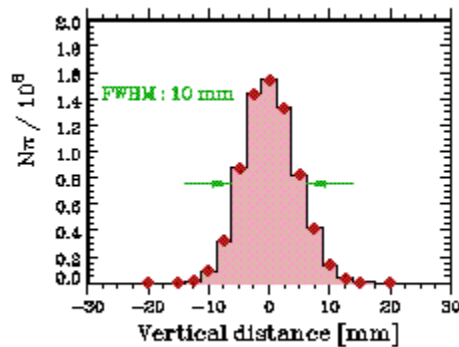
- OMC is a powerful tool for testing the nuclear models and NME calculations. It is based on experimental technique that has been successfully developed since many years
- Data analysis is ongoing. We expect the final results on the total and partial muon capture rates in ^{136}Ba to be available soon.

Thank you for attention!

Target	^{136}Ba
Sample form	$^{136}\text{BaCO}_3$ powder (95.27%)
Mass	2 g
Diameter	20 mm
Thickness	~ 4 mm
Muon momentum	38 MeV/c
Irradiation time	~ 138 hours
Time between beam stop and offline measurement	22 hours
Offline measurement time	168.5 hours

Isotopic composition of $^{\text{nat}}\text{Ba}$:

- ^{132}Ba (0,10 %)
- ^{134}Ba (2,42 %)
- ^{135}Ba (6,59 %)
- ^{136}Ba (7,85 %)
- ^{137}Ba (11,23 %)
- ^{138}Ba (71,70 %)



ROI

