



# Analysis of $\varphi(1020)$ production in the BM@N experiment

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# Introduction

- Collisions of heavy relativistic ions allow us to study nuclear matter at extreme density and temperature.
- At sufficiently high temperature and energy density, the so-called Quark-Gluon Plasma (QGP) is formed [1]:
  - Formation of strange particles.
- Theoretical models offer different descriptions [2],[3]:
  - New experimental data is needed for clarification.

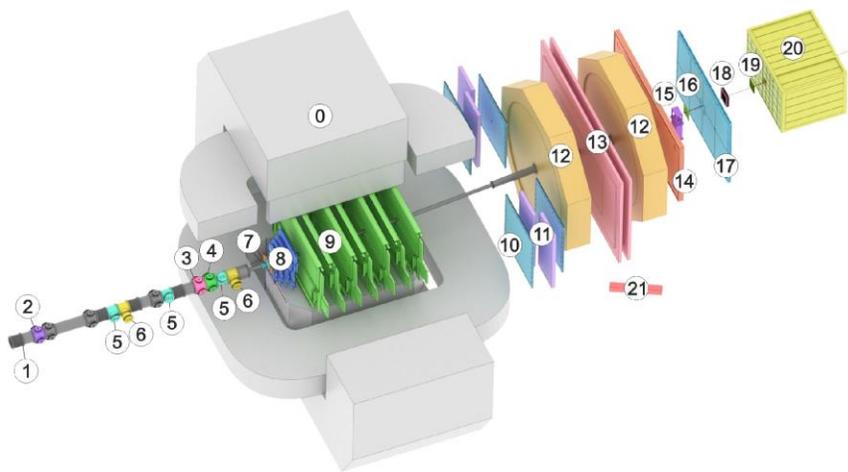
[1] Kapishin.M, “Studies of baryonic matter at the BM@N experiment (JINR).” Nuclear Physics A 982 (2019) 967–970.

[2] J. A. et al Nucl. Phys., vol. A 757, pp. 102–183, 2005.

[3] K. A. et al Nucl. Phys., vol. A 757, pp. 184–283, 2005.

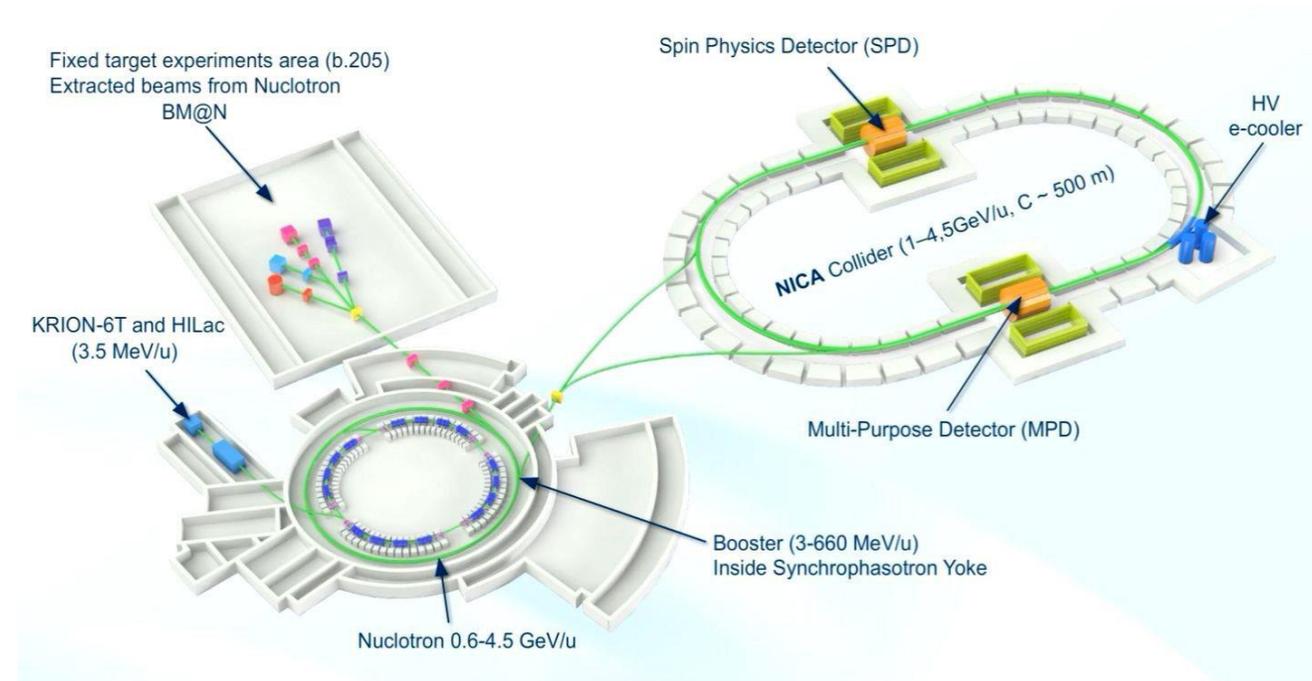
# BM@N experiment at the NICA complex

- Collisions of elementary particles and ions with a stationary target at energies up to 4 GeV per nucleon.
- Studying the properties of dense baryonic matter, the formation of hypermatter, the equation of state of symmetric and asymmetric nuclear matter, collective phenomena...



Experimental setup of BM@N

- Magnet SP-41 (0)
- Vacuum Beam Pipe (1)
- BC1, VC, BC2 (2-4)
- SiBT, SiProf (5, 6)
- Triggers: BD + SiMD (7)
- FSD, GEM (8, 9)
- CSC 1x1 m<sup>2</sup> (10)
- TOF 400 (11)
- DCH (12)
- TOF 700 (13)
- ScWall (14)
- FD (15)
- Small GEM (16)
- CSC 2x1.5 m<sup>2</sup> (17)
- Beam Profilometer (18)
- FQH (19)
- FHCAL (20)
- HGN (21)



NICA accelerator complex

# Goal

- Observation of  $\varphi(1020)$  signal in the MC and experimental data.

# Data

- Experimental data obtained in the physical session at the beginning of 2023 with a beam energy of 3.8 AGeV, a CsI target and Xe beam.
- Dubna Cascade Model - Statistical Multifragmentation Model (DCM-SMM) and BOX Monte Carlo generators were used to model the data.
- About 0.8 million Monte Carlo and 22 million experimental events were analyzed.

# Data processing procedure

- Reconstruction of particle tracks was carried out.
- Mathematical algorithms were developed and implemented to search for the  $\varphi(1020) \rightarrow K^+ + K^-$  decay:
  - shuffling pairs of particles with different signs
  - calculation of invariant mass
  - imposing a number of geometric restrictions on the parameters of each pair

PV – primary vertex.

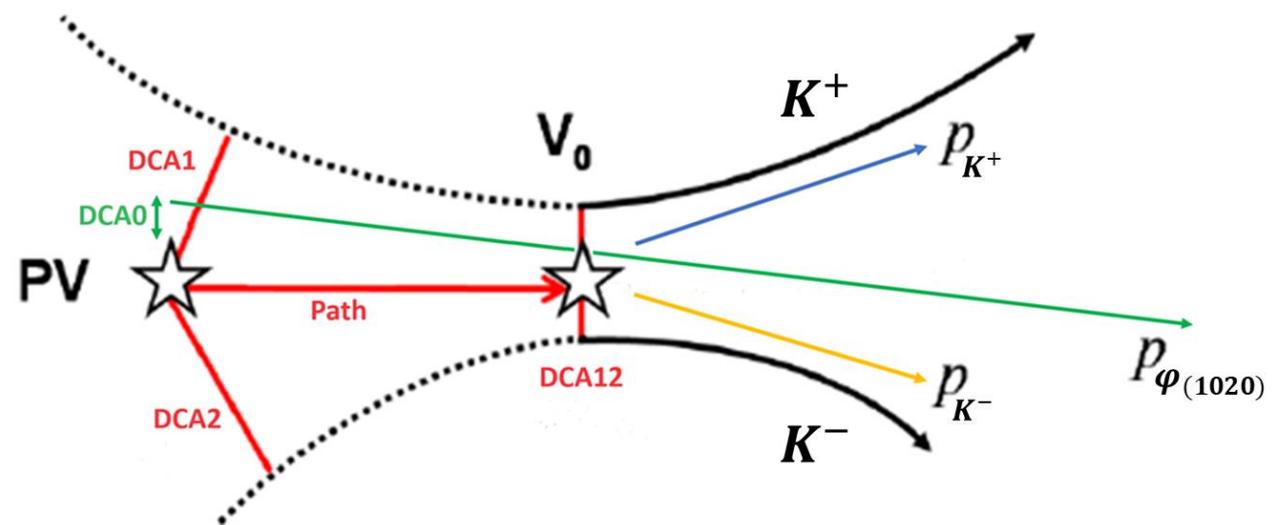
Path – the distance traveled by  $\varphi(1020)$  from the primary vertex to the point of its decay.

DCA0 – the distance between the primary vertex and the projection of momentum of  $\varphi(1020)$ .

DCA1 – the shortest distance from  $K^+$  to the vertex.

DCA2 – the shortest distance from  $K^-$  to the vertex.

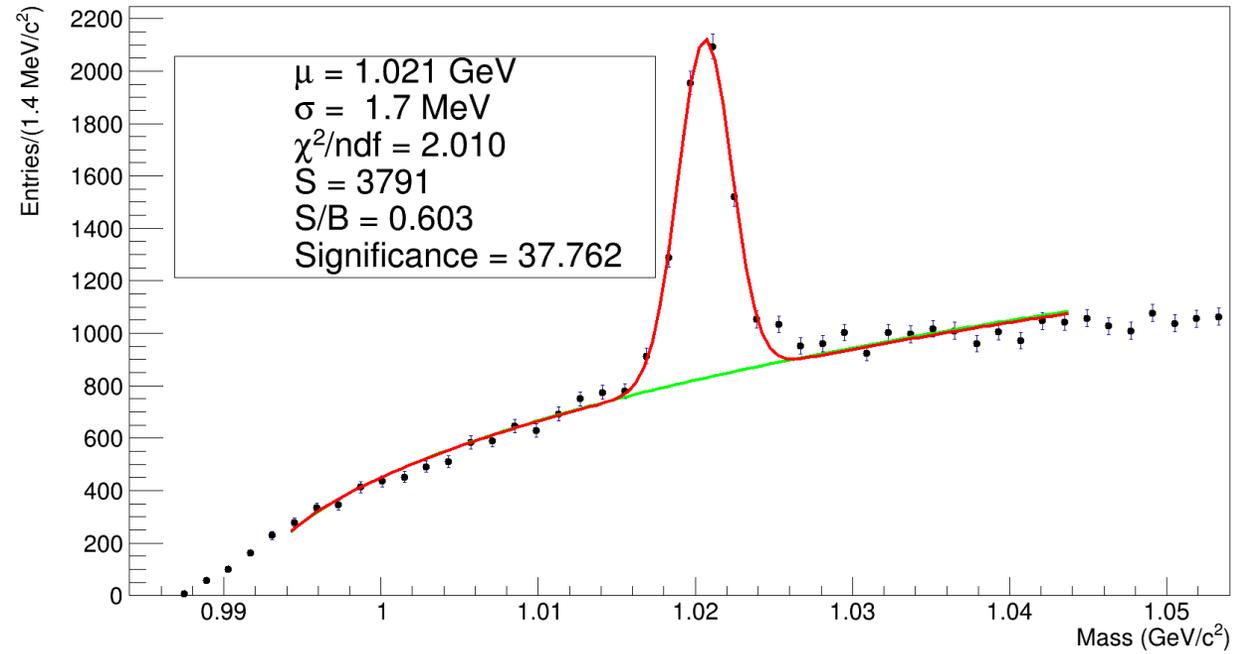
DCA12 – the distance between  $K^+$  and  $K^-$  at the decay point of  $\varphi(1020)$ .



Event topology

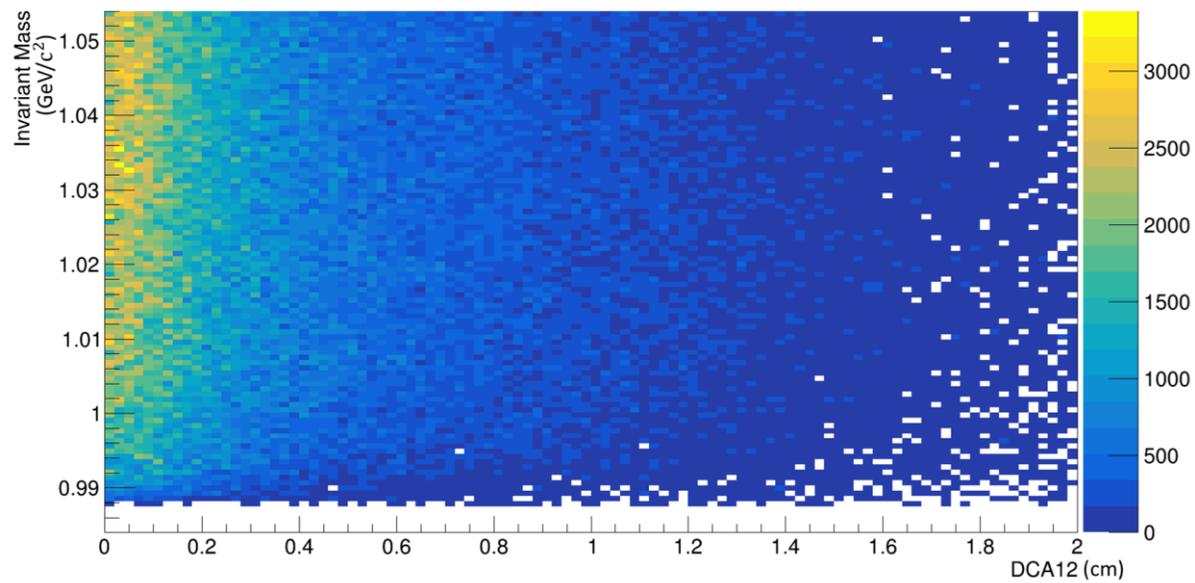
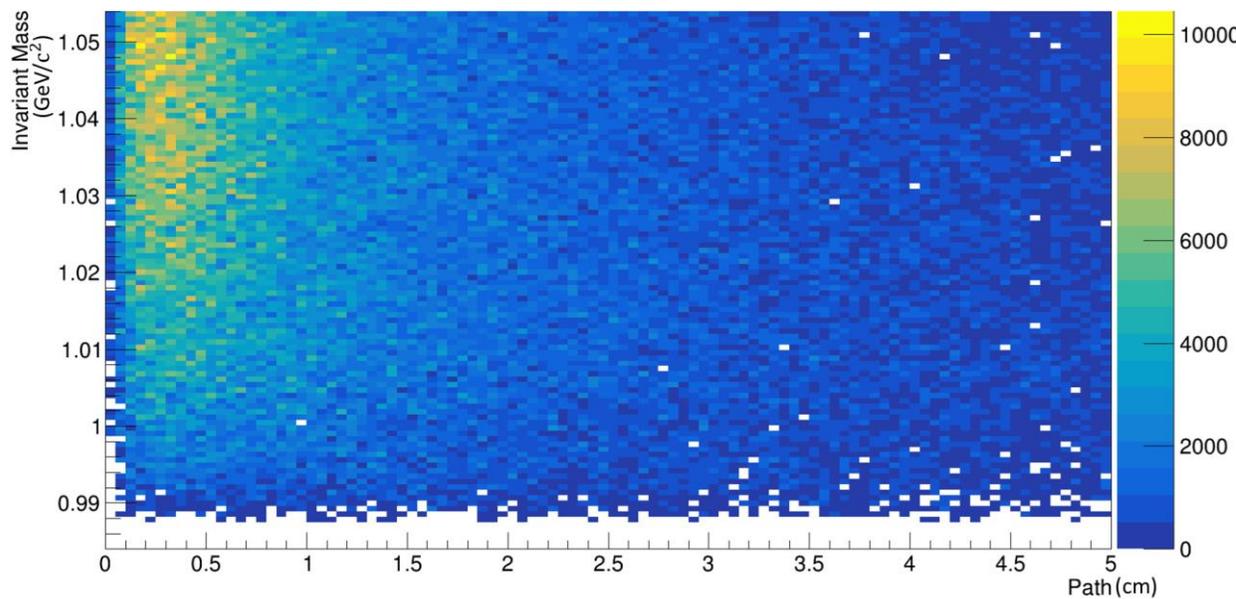
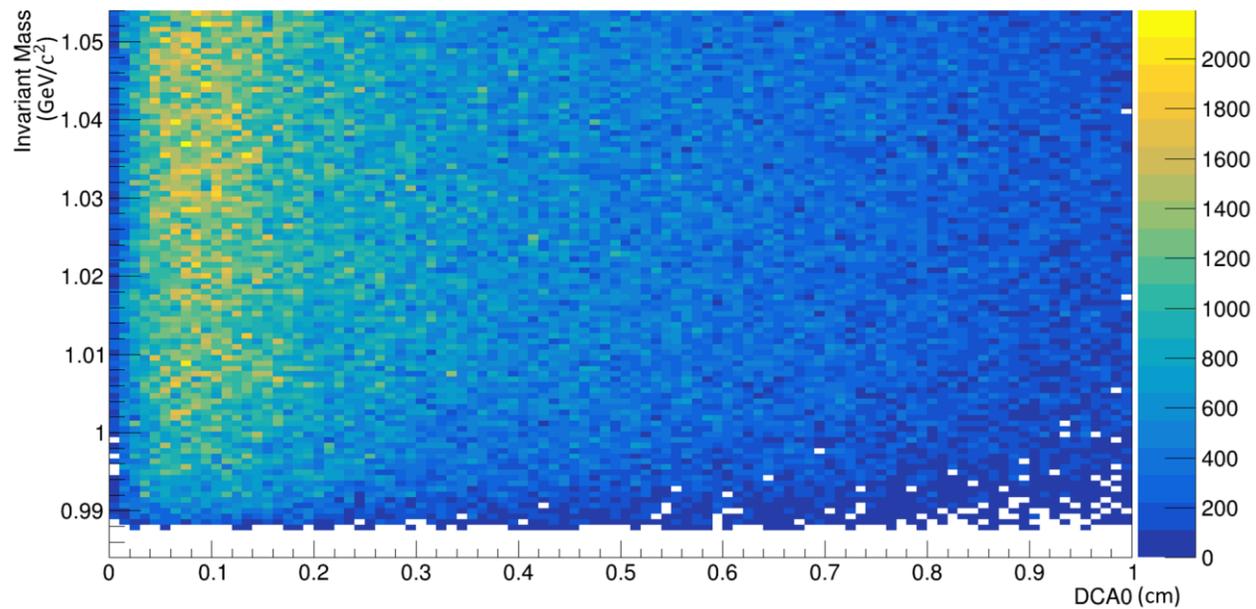
# Results

MC

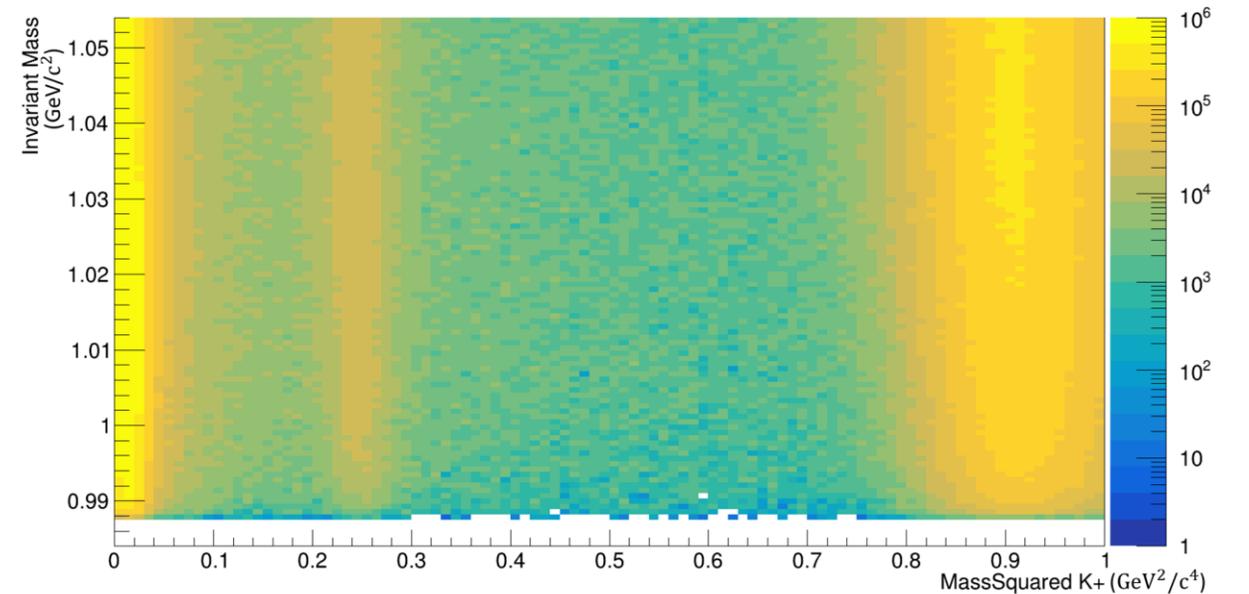
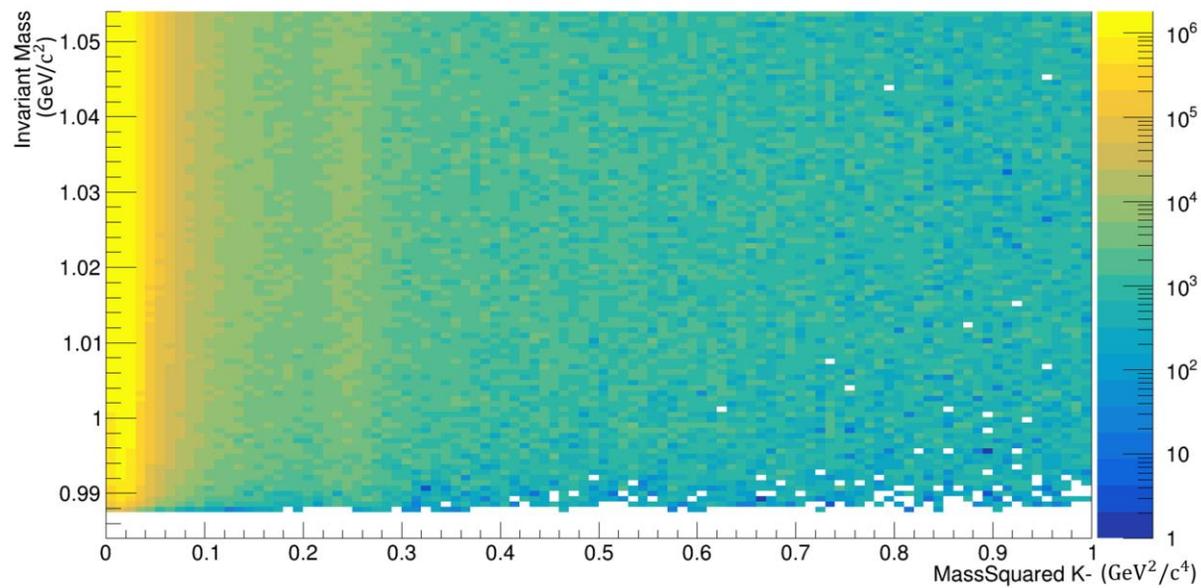
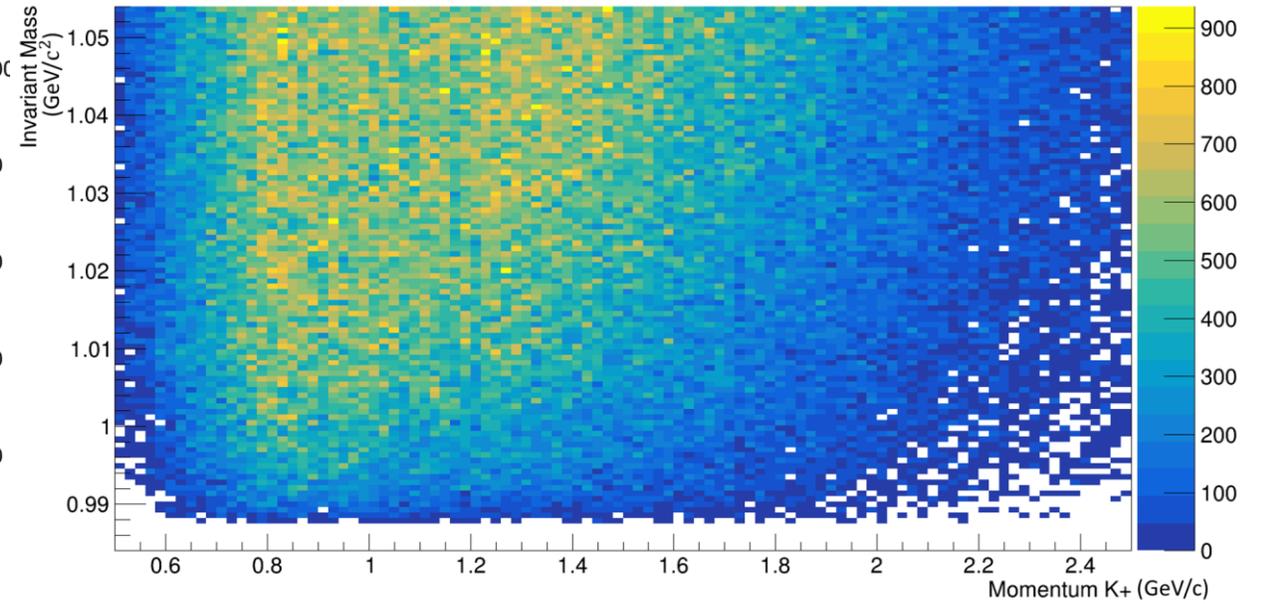
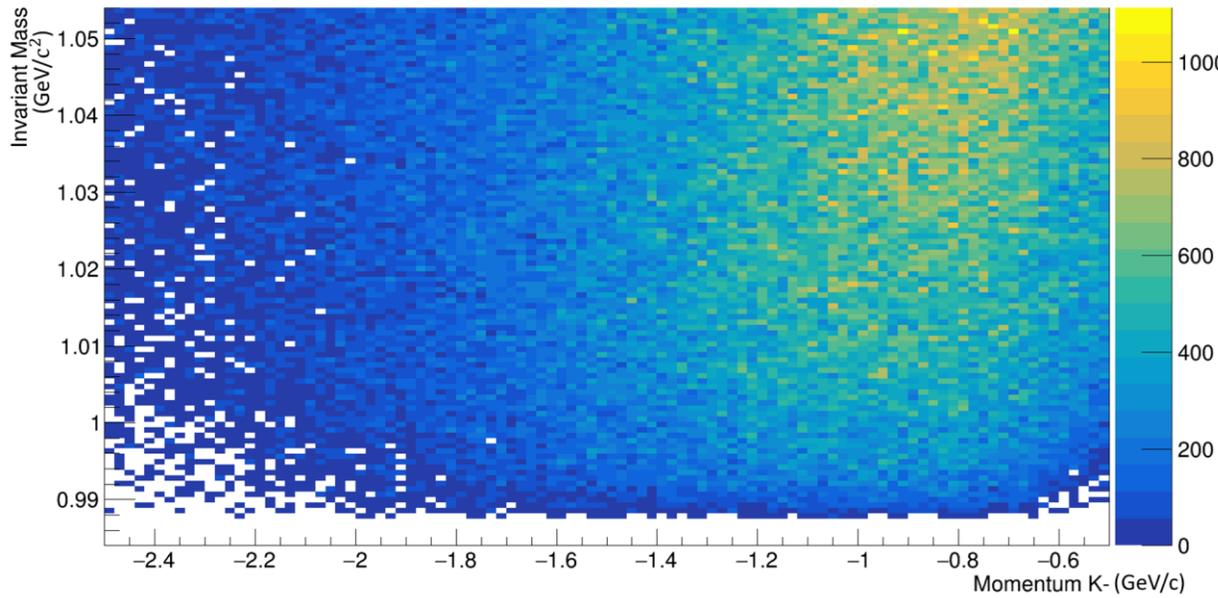


Efficiency = 0.47 %

# Results

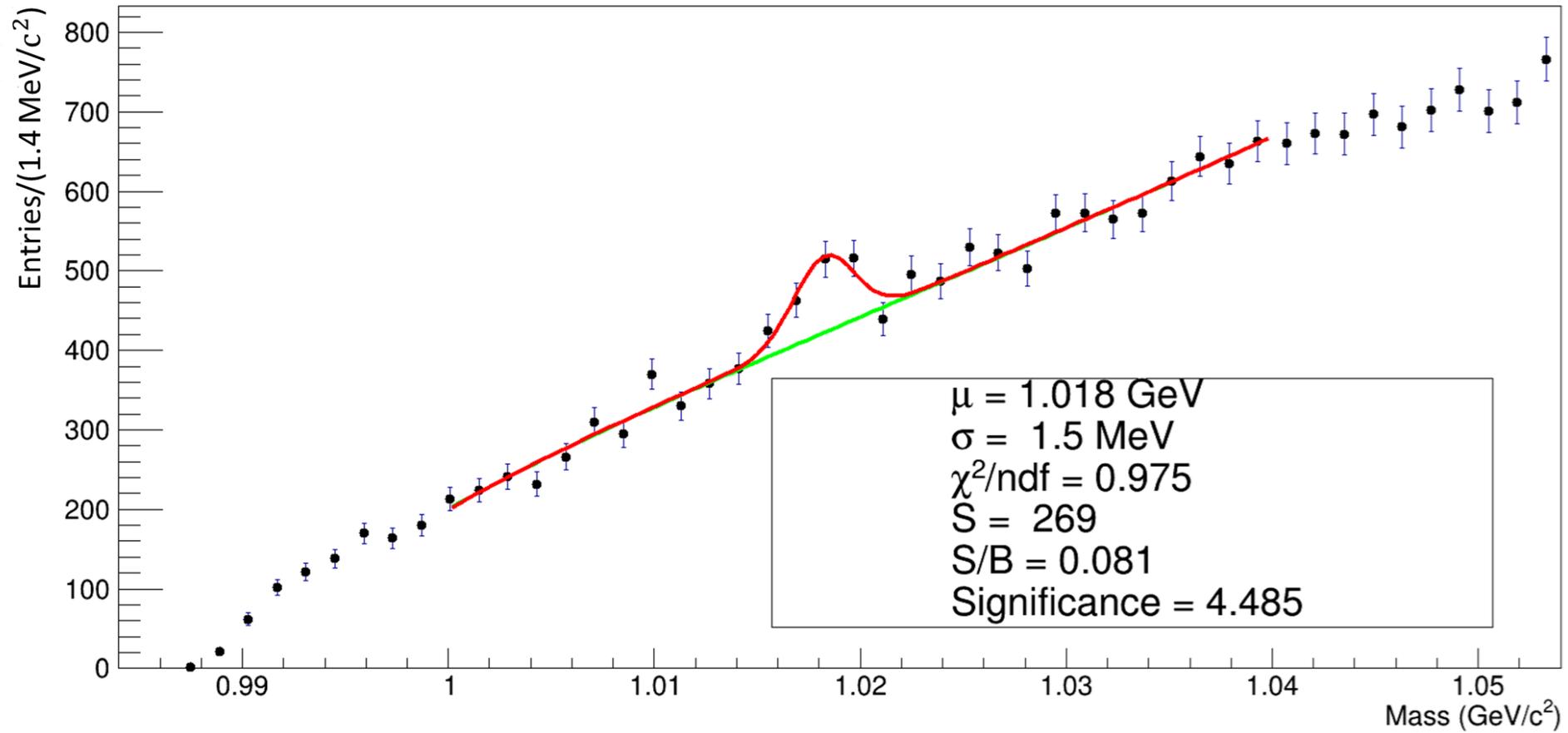


# Results



# Results

EXP



# Conclusion and future work

- $\varphi(1020)$  signal was observed in both MC and experimental cases.
- Increase the number of analyzed events in order to improve the results regarding experimental data.
- Derive more realistic values for kinematic parameters by means of other MC generators (UrQMD, PYTHIA).
- Compare MC results with experimental ones.
- Perform phase space analysis.

# Backup

# Cuts

## MC:

$$0.0 \text{ cm} \leq \text{dca12} \leq 2.0 \text{ cm}$$

$$0.0 \text{ cm} \leq \text{dca0} \leq 1.0 \text{ cm}$$

$$0.15 \frac{\text{GeV}^2}{c^4} \leq \text{mass\_squared\_K+} \leq 0.35 \frac{\text{GeV}^2}{c^4}$$

$$0.7 \frac{\text{GeV}}{c} \leq \text{momentum\_K+} \leq 2.5 \frac{\text{GeV}}{c}$$

$$-2.5 \frac{\text{GeV}}{c} \leq \text{momentum\_K-} \leq -0.7 \frac{\text{GeV}}{c}$$

## EXP:

$$0.0 \text{ cm} \leq \text{path} \leq 1.0 \text{ cm}$$

$$0.0 \text{ cm} \leq \text{dca12} \leq 1.0 \text{ cm}$$

$$0.0 \text{ cm} \leq \text{dca0} \leq 0.05 \text{ cm}$$

$$0.0 \frac{\text{GeV}^2}{c^4} \leq \text{mass\_squared\_K+} \leq 0.75 \frac{\text{GeV}^2}{c^4}$$

$$0.0 \frac{\text{GeV}^2}{c^4} \leq \text{mass\_squared\_K-} \leq 0.75 \frac{\text{GeV}^2}{c^4}$$