

# $\Lambda$ kinematic analysis

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# Why do i study $\Lambda$ -hyperon?

According to the article „Possible studies at the first stage of the NICA collider operation with polarized and unpolarized proton and deuteron beams“ it will be possible to study:

- Spontaneous polarization in transversive plane
- Spin transfer in polarized collisions

# Event and track selection for the $\Lambda$ analysis

## Sample

- SPDRoot version from Jul 26 2023
- Generation: Pythia 8 , (p+p) at  $\sqrt{s} = 27$  GeV, minbias = all
- 1 500 000 events

## Event selection:

- In sample searching for pairs of particles using package KFparticle:

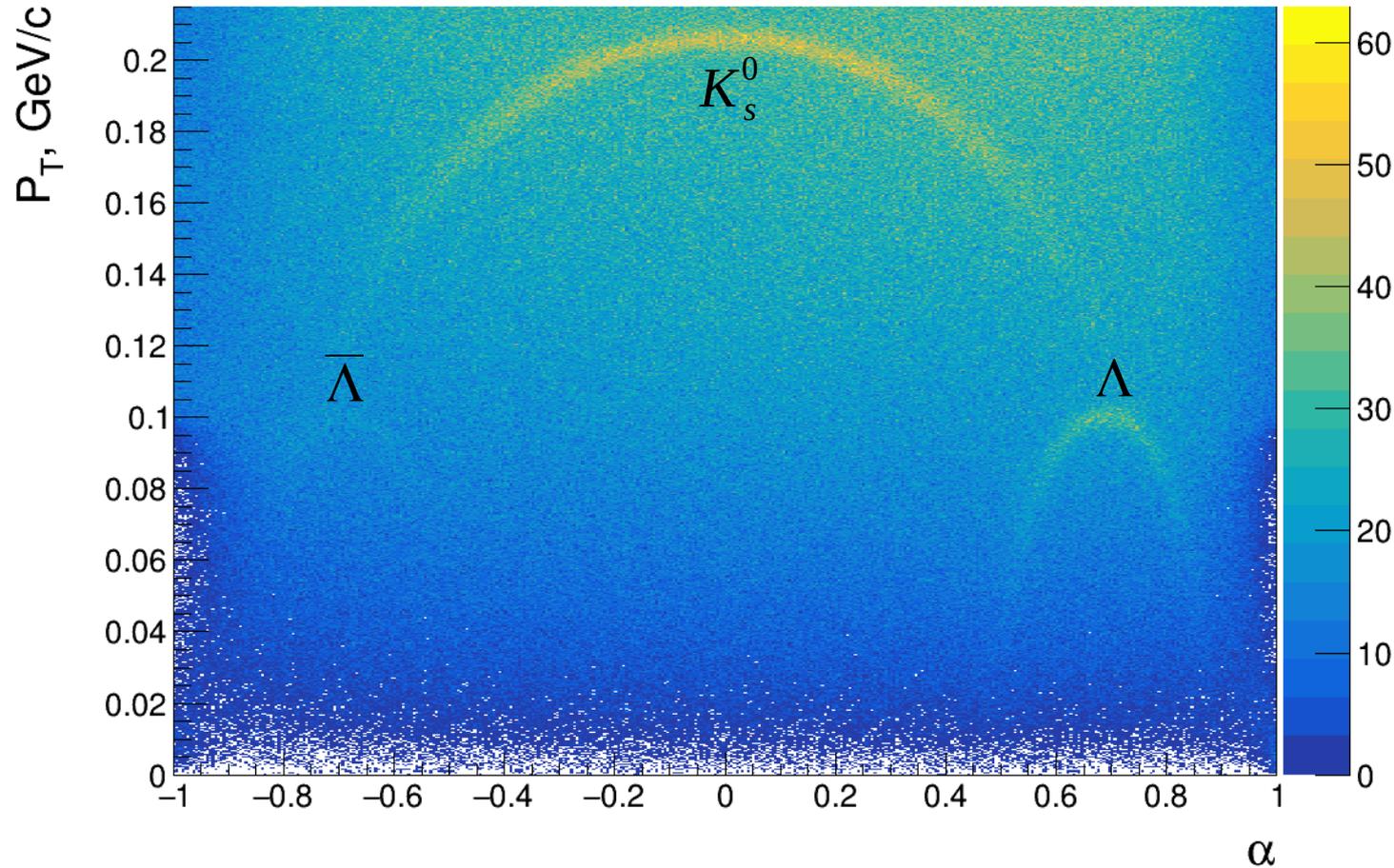
$\Lambda$ :(-211,2212),

*Background:* (-211,211), (-2212,211), (-321,321), (-211,321), (-321,211)

- General quality creteria was applied:

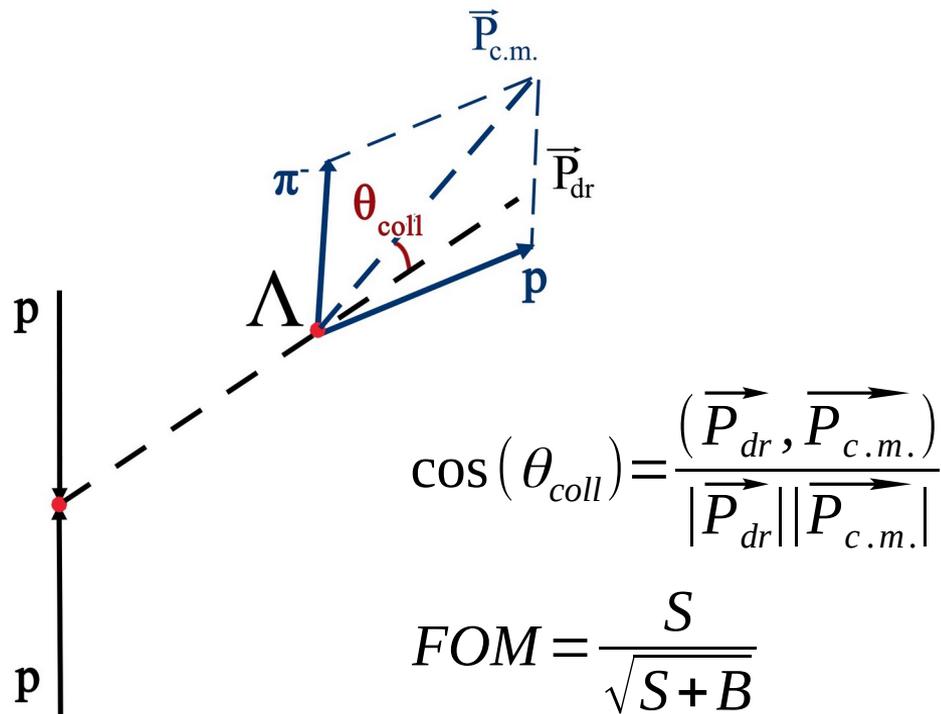
lsgood and  $\chi^2/\text{NDF}$  of track  $< 6$

# Podolanski-Armenteros plot before kinematic cuts



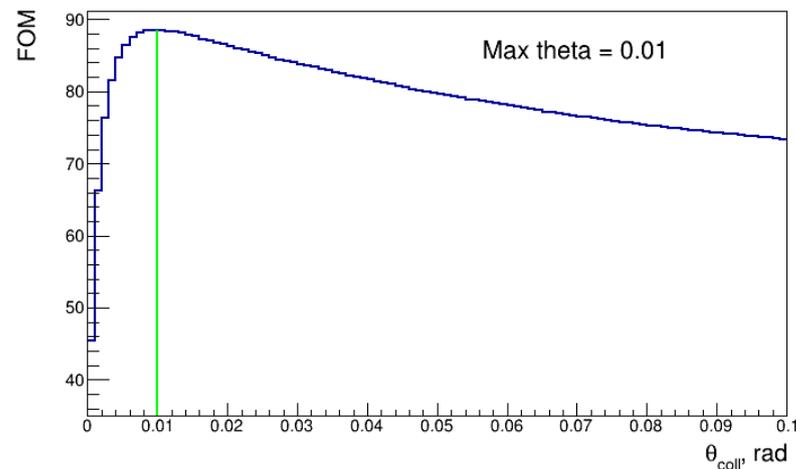
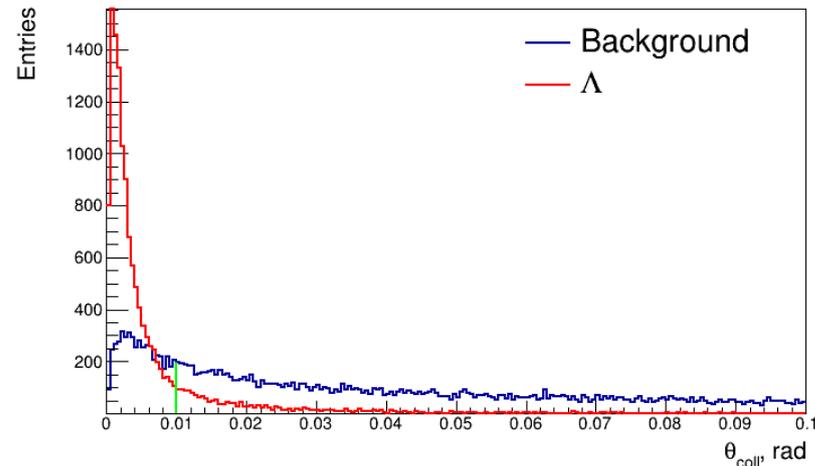
$$\alpha = \frac{P_L^+ - P_L^-}{P_L^+ + P_L^-}$$

# Collinearity angle cut

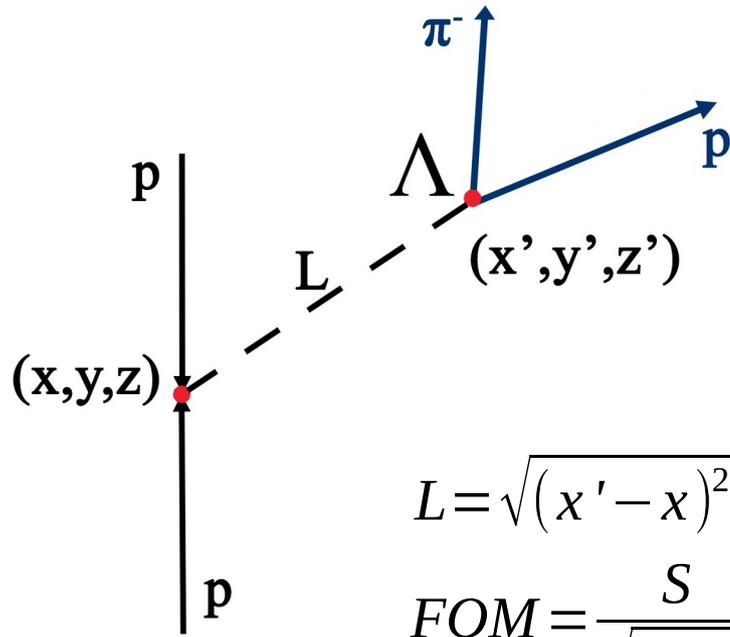


This cut selects  $\Lambda$  candidates with momentum looking in direction of primary vertex.

$$\theta_{coll} < 0.01 \text{ rad.}$$



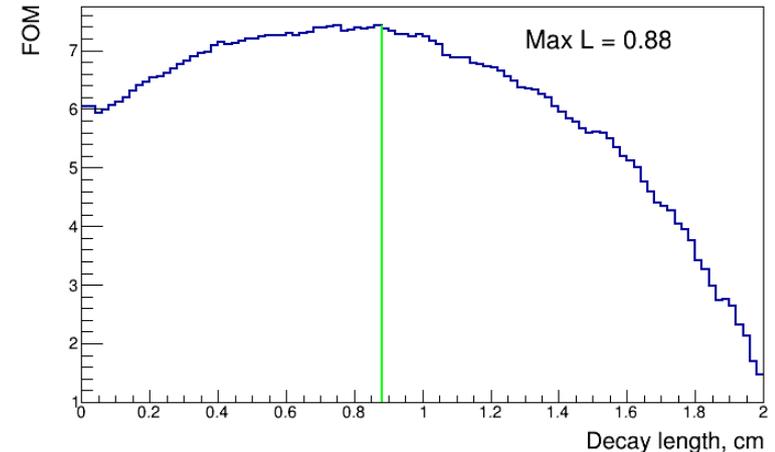
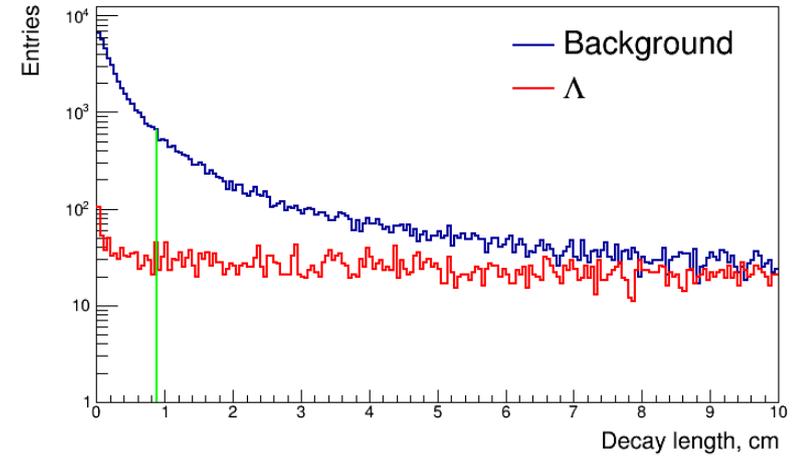
# Decay length cut



$$L = \sqrt{(x' - x)^2 + (y' - y)^2 + (z' - z)^2}$$

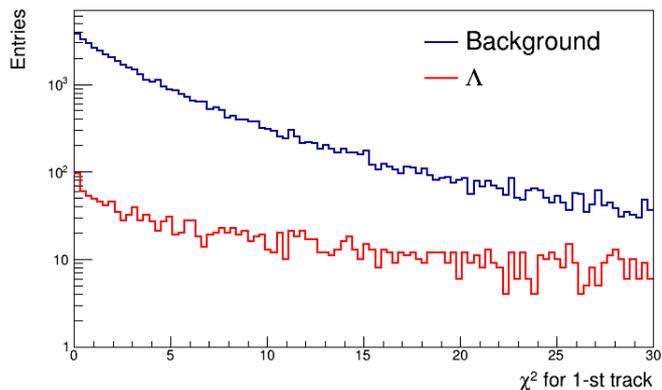
$$FOM = \frac{S}{\sqrt{S+B}}$$

This criterion cuts events with short decay distance.  
 **$L > 0.88$  cm.**

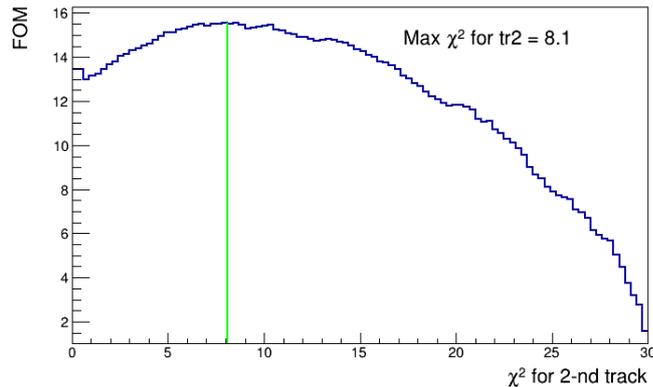
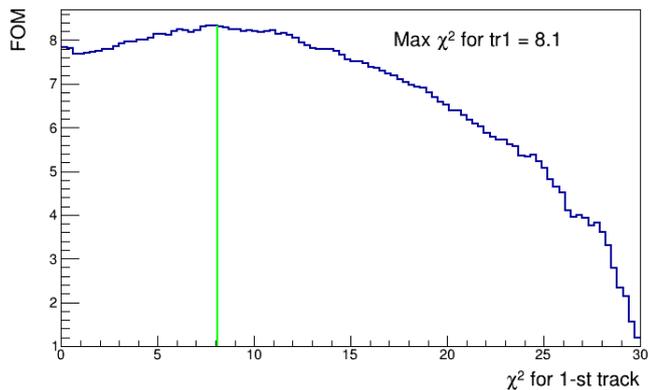
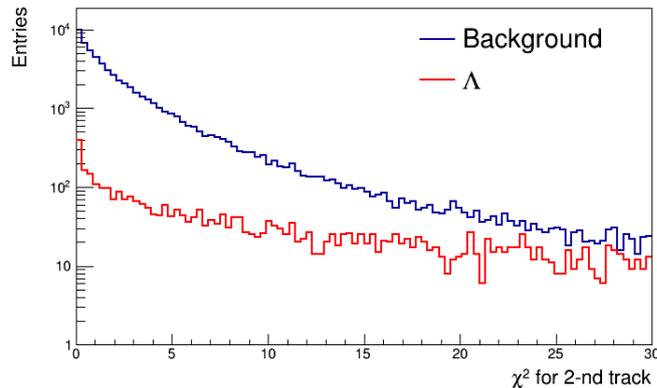


# $\chi^2$ to PV cut

## Track 1



## Track 2



$$FOM = \frac{S}{\sqrt{S+B}}$$

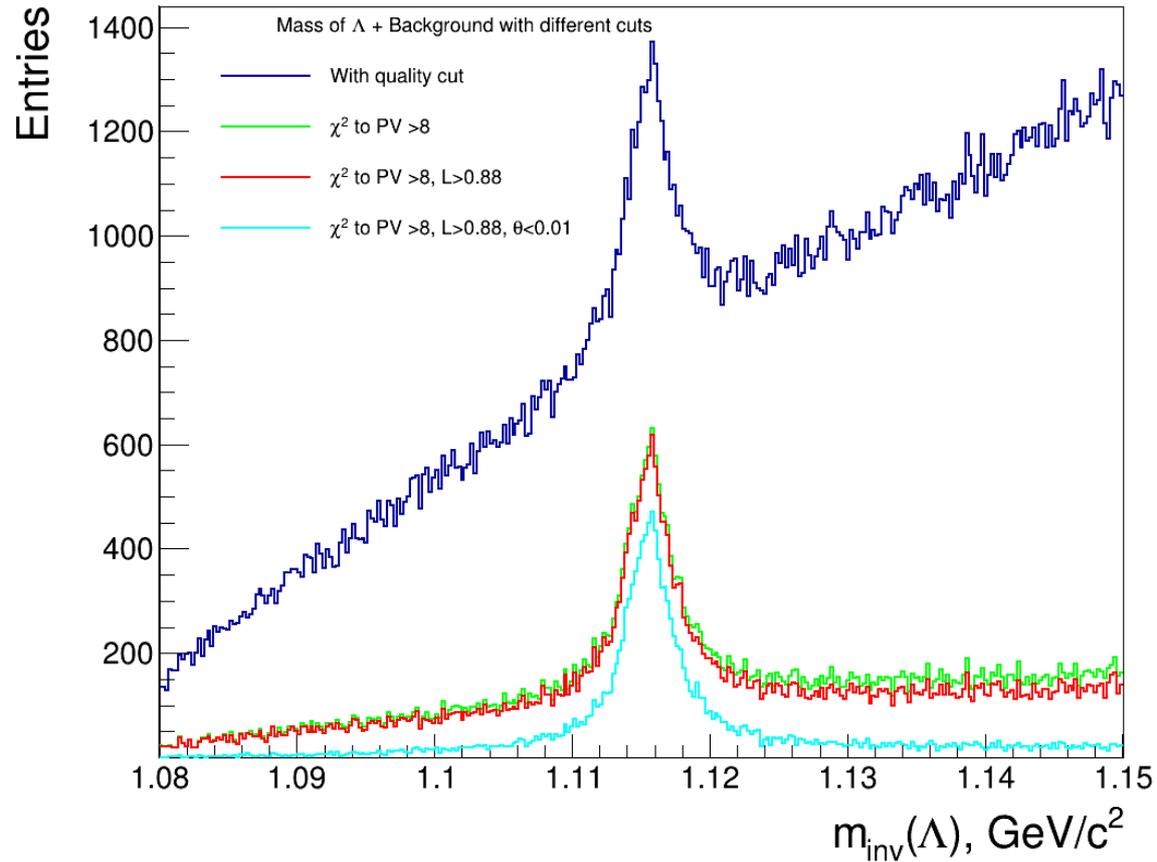
$\chi^2$  for track extrapolation to primary vertex.

This cut selects

$\Lambda$  candidates with bad track extrapolation to PV.

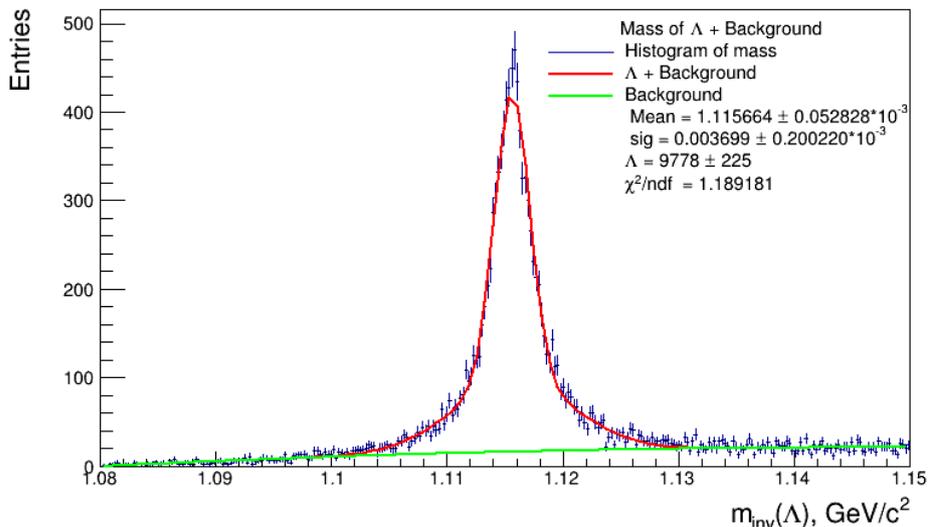
$\chi^2 > 8$

# Invariant Mass of $\Lambda$ with different cuts

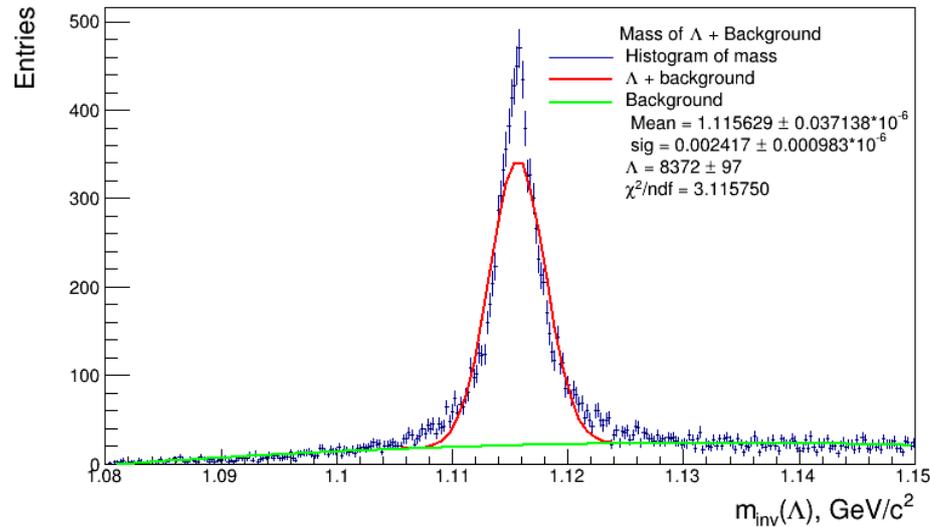


Cuts	$\Lambda$	Background	FOM
1	13797	72449	46.9802
2	11504	10352	77.815
3	11443	8892	80.245
4	10029	1300	94.2241

# Fitting of invariant mass of $\Lambda$



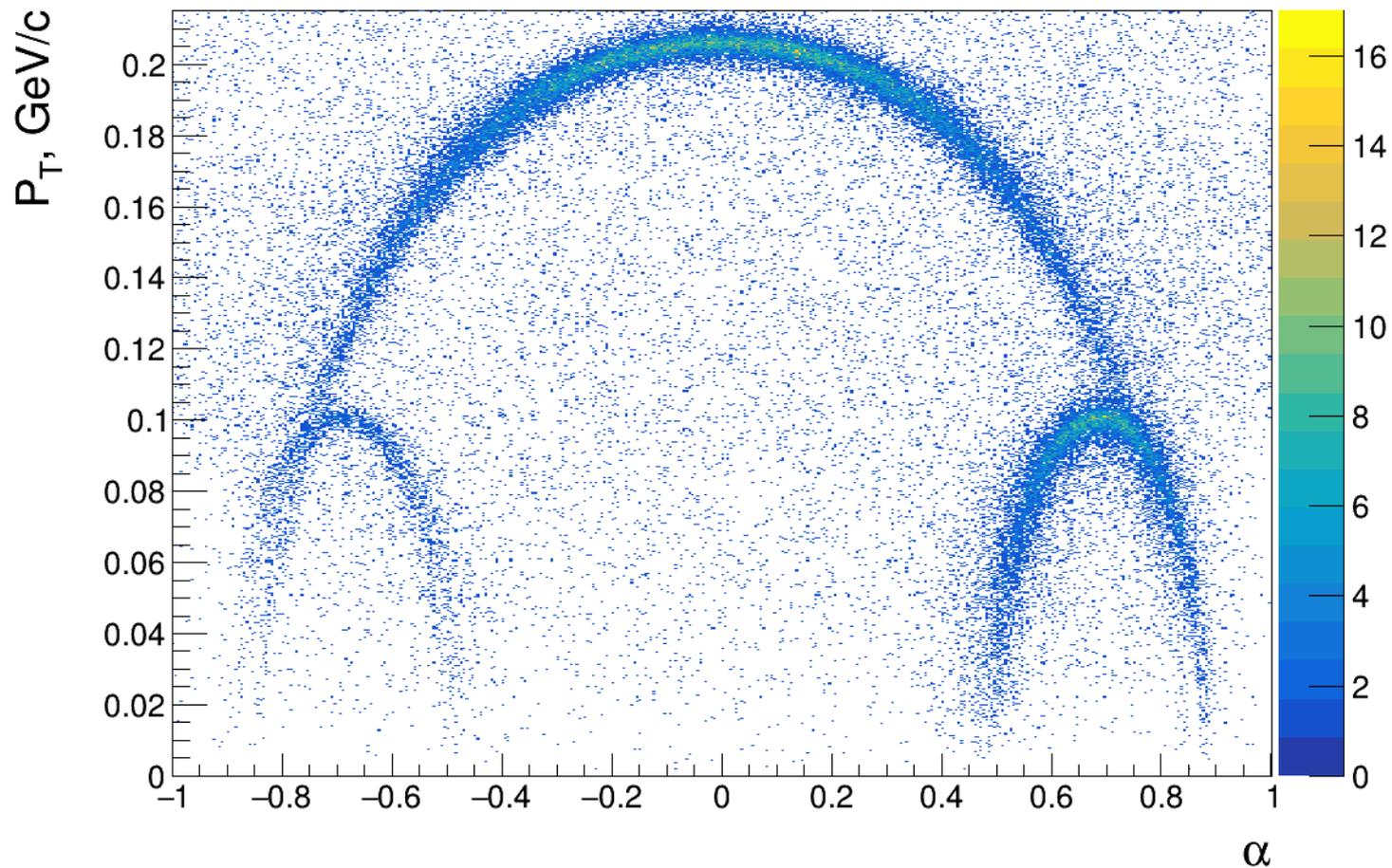
$f(x) = \text{Double Gauss} + 3\text{rd order polynomial}$   
 $N_{\Lambda} = 9778 \pm 225$



$f(x) = \text{Single Gauss} + 3\text{rd order polynomial}$   
 $N_{\Lambda} = 8372 \pm 97$

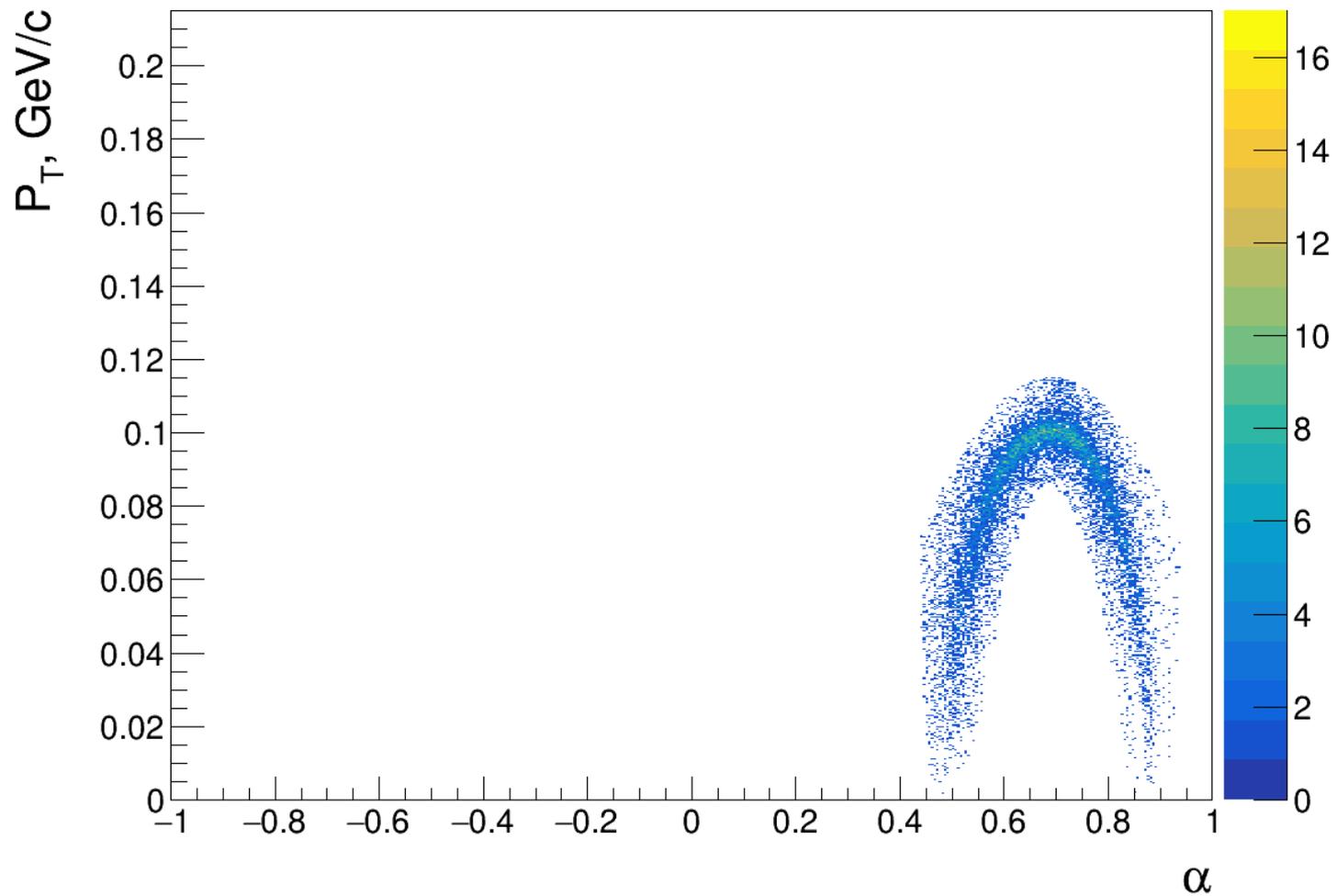
$N_{\text{true}}$  of  $\Lambda$  for this cuts: 10911  
 $N_{\text{true}}$  of  $\Lambda$  in  $\pm 3\sigma$ : 10029

# Podolanski-Armenteros after kinematic cuts

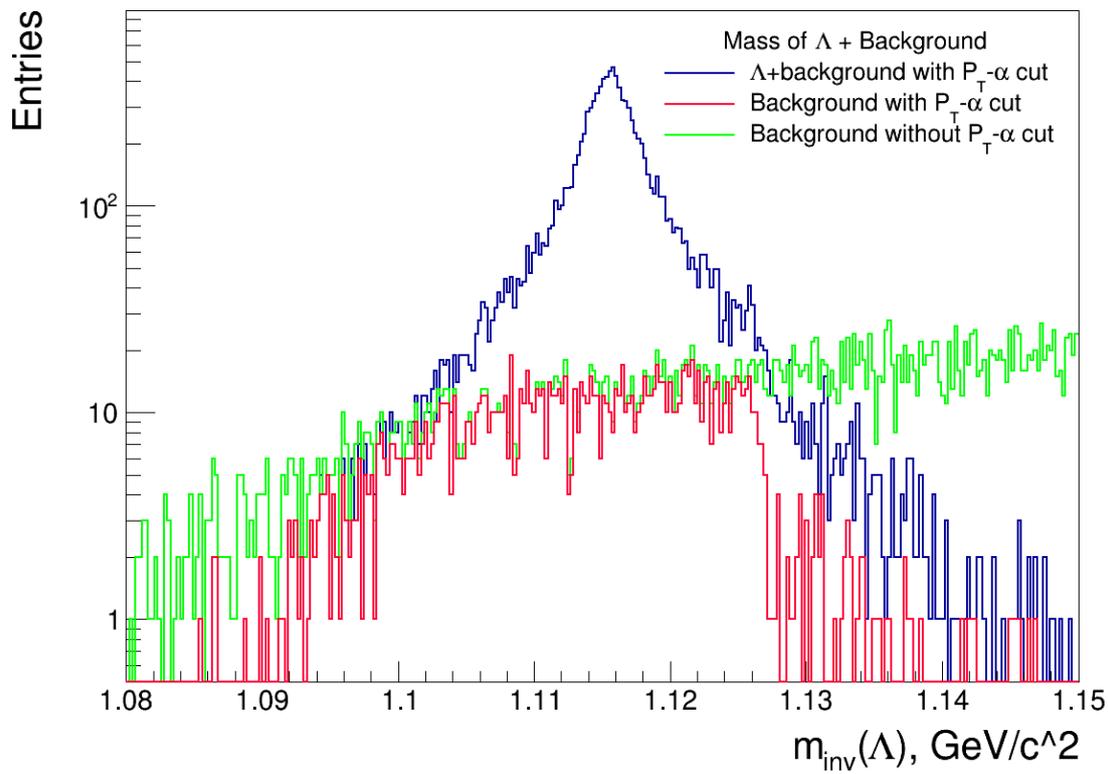


$$\alpha = \frac{P_L^+ - P_L^-}{P_L^+ + P_L^-}$$

# Kinematic cut $P_T(\alpha)$

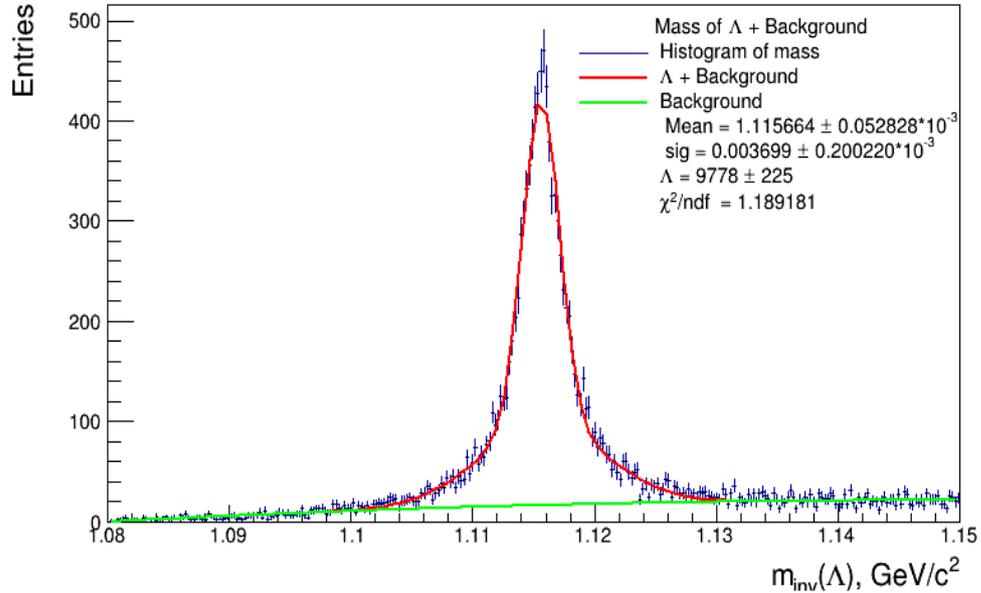


# Kinematic cut $P_T(\alpha)$



Graph	$\Lambda$	Background	FOM
In whole range of graph			
With cut	10337	1442	95.2445
Without	10911	3503	90.8808
In $\pm 3\sigma$ of invariant mass mean			
With cut	9895	1083	94.431
Without	10029	1300	94.2241

# Results



## From fit

$$m_{\text{inv}}(\Lambda) = 1.1157 \pm 0.1 \cdot 10^{-3} \text{ GeV}$$

$$\sigma = 0.0037 \pm 0.2 \cdot 10^{-3} \text{ GeV}$$

	$\Lambda$	Background	FOM
Without quality cut	39651	715531	45.6277
With quality cut	13797	72449	46.9802
With kinematic cuts: $L > 0.88 \text{ cm}, \theta_{\text{coll}} < 0.01 \text{ rad}, \chi^2 > 8.1$	10029	1300	94.2241

# Conclusion & To Do

- Analysis of kinematic cuts was performed.
- Kinematic cut  $P_T(\alpha)$  is inefficient.
- Main cuts are the following:  $L > 0.88$  cm,  $\theta < 0.01$  rad,  $\chi^2 > 8.1$

## **Next step**

- Calculate reconstruction efficiency.
- Generate more events.