



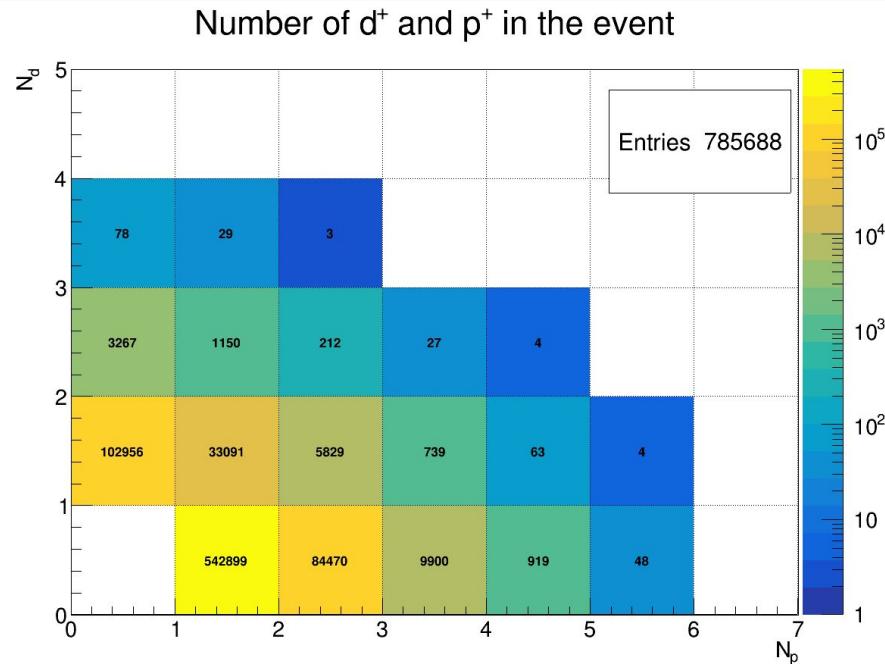
Satbayev University, Almaty, Kazakhstan, May 13 – 17, 2024

# Status of p-d femtoscopy

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N. Zhigareva, T. Rybakov  
for BM@N collaboration

2 725 618 entries

Target		$p^+$	$d^+$	$p^+d^+$
C	Carbon	30 668	5 682	1 586
Al	Aluminum	165 536	31 218	9 839
Cu	Copper	214 483	40 742	13 265
Sn	Tin	250 947	48 464	17 571
Pb	Lead	132 765	26 226	8 424
Total		794 399	152 332	50 685



[BM@N Analysis Note: Production of  \$p, d, t\$  in 3.2 A GeV argon-nucleus interactions](#)

Analysis team: M.Kapishin, L.Kovachev, V.Plotnikov, Yu.Petukhov, 6 I.Rufanov, A.Zinchenko

## Correlation function:

$$C(k^*) = \frac{A(k^*)}{B(k^*)}$$

$$k^* = \frac{1}{2} \cdot |\vec{p}_1^* - \vec{p}_2^*|$$

- Femtoscopy method allows one to obtain an information on the space-time parameters of the production process
- Models of the hadronization predict decreasing the size of baryon formation area with transverse momentum in general and for strange baryons in particular
- It is important to compare the femtoscopic sizes obtained with different baryons

**Status of baryon femtoscopy at BM@N**

L.Kovachev, A.Stavinskiy for BM@N collaboration

10th Collaboration Meeting of the BM@N Experiment at NICA Facility, 14-19 May 2023

- BM@N experiment has already collected data with momentum resolution that is enough for femtoscopy analysis
- The easiest way to begin our planned baryon femtoscopy programme (pd, pp, pLambda, pn...) is to use particles with different masses or charges, e.g. the proton-deuteron femtoscopy
- Measured correlation function yields information on the "averaged" radius  $r_0$  of the nucleon and deuteron sources, providing a known proton-deuteron FSI

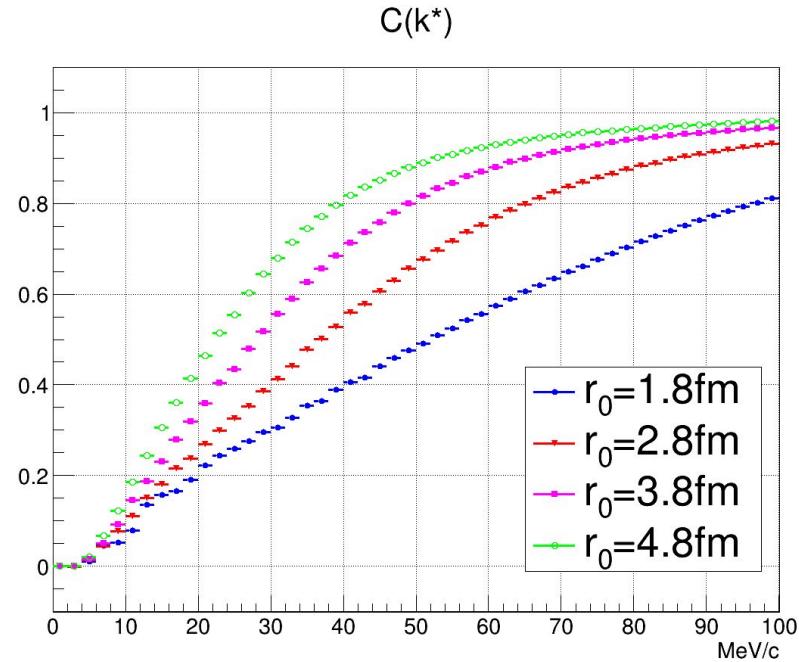
# Aims of the work

- Workout of method of correlation function calculation on BM@N experimental data
- Development of algorithm of the correlation function analysis taking into account FSI
- Obtaining the physical result: the effective radius of proton and deuteron sources

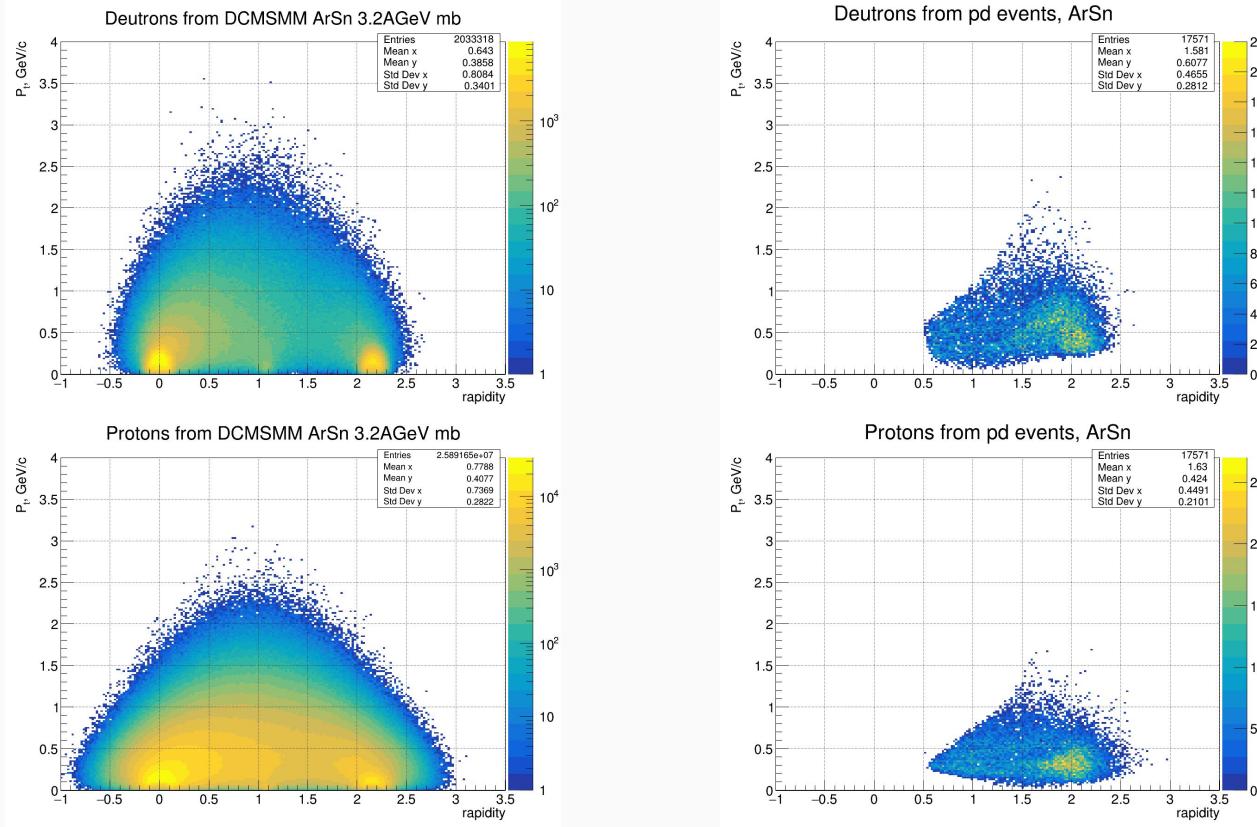
The FSI calculation assumes:

- a Gaussian r-distribution  $\sim \exp(-\frac{r^2}{4r_0^2})$   
where  $r^2 = (\vec{r})^2$ ,  $\vec{r} = \vec{r}_1 - \vec{r}_2$
- short-range FSI dominated by s-wave
- approximate account of the inner region of the short-range FSI potential (valid if  $r_0$  is larger than the effective potential radius)

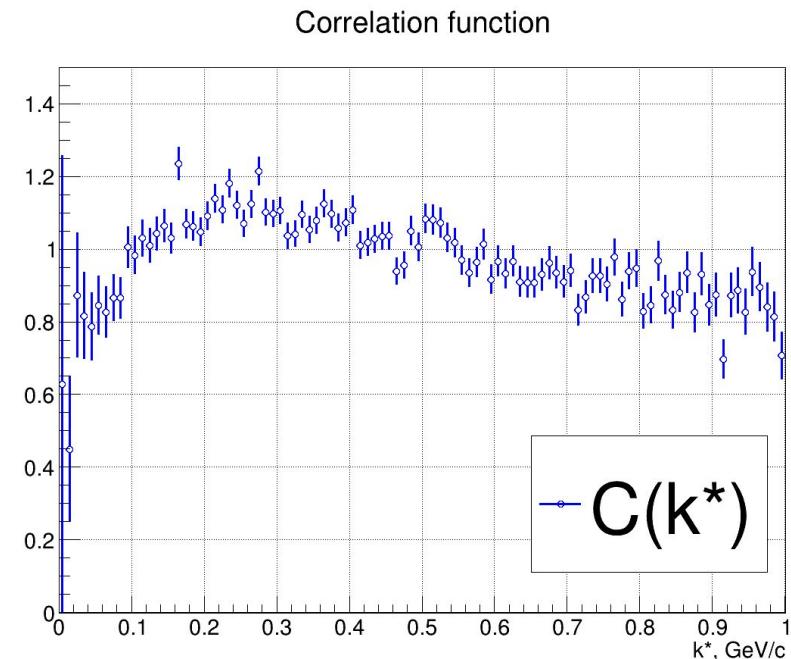
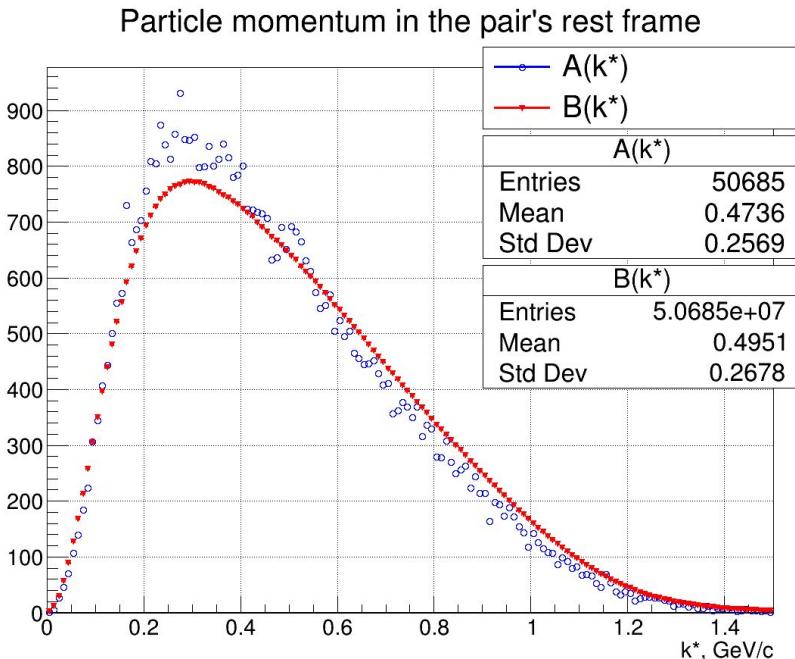
Calculated FSI correlation function:



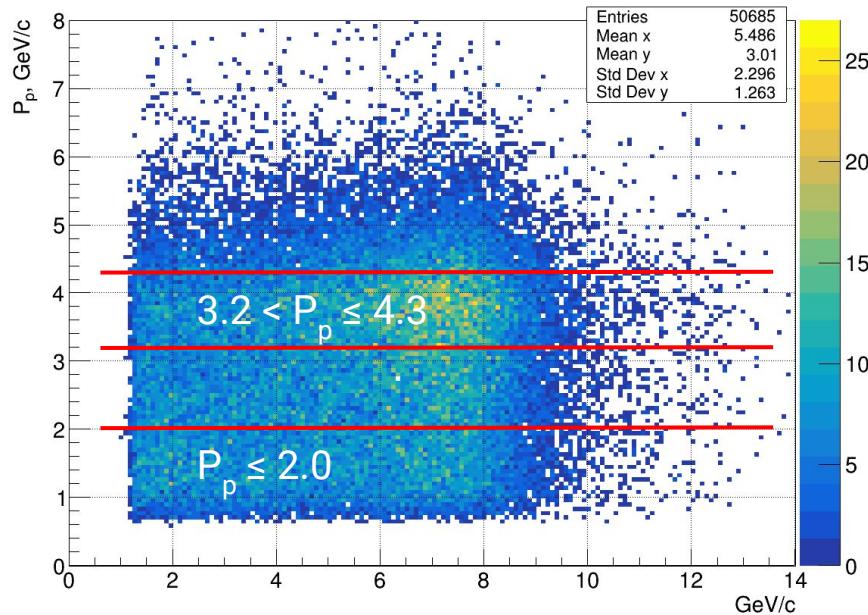
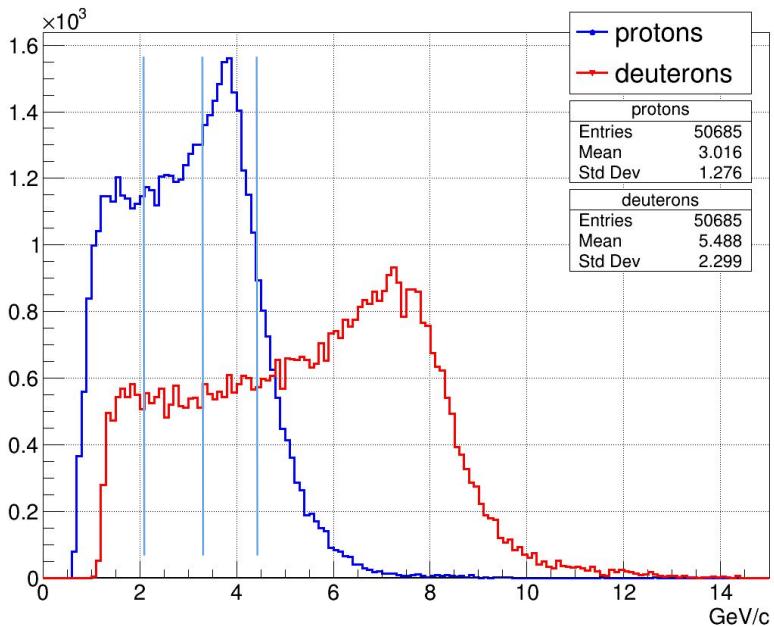
# $P_t$ vs rapidity. ArSn 3.2 AGeV DCMSMM and exp. data



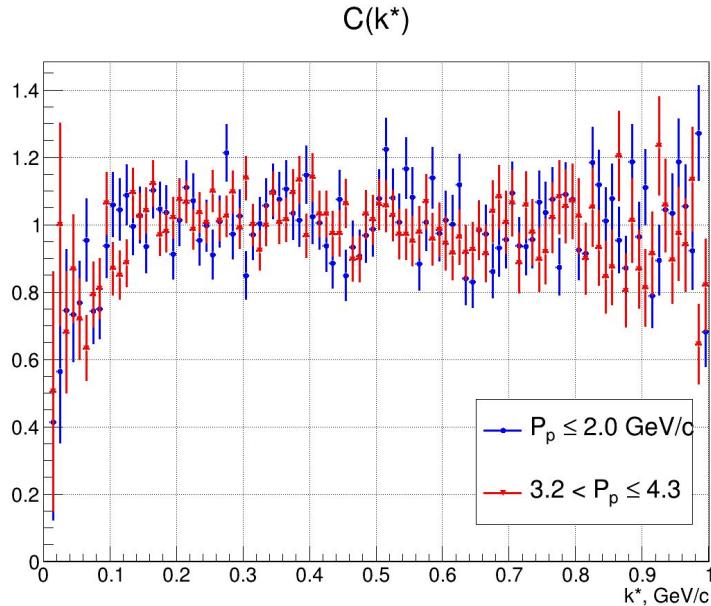
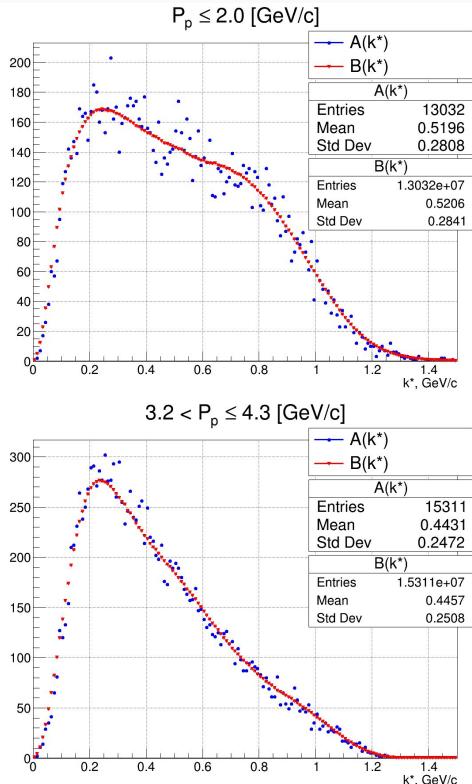
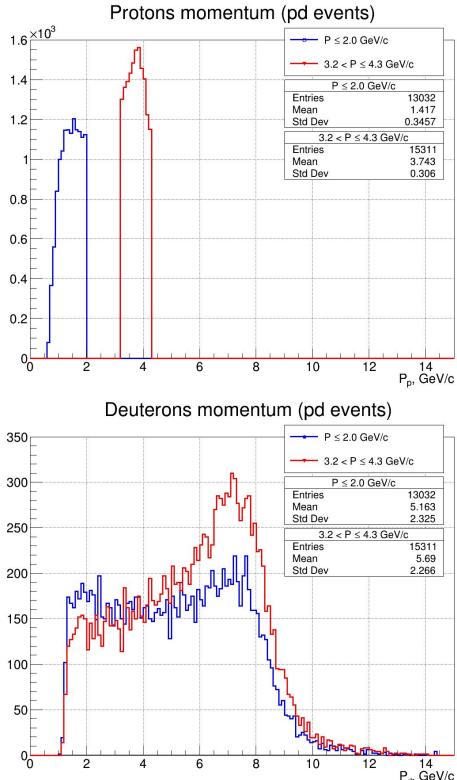
# Correlation function from experimental data



# Momentum distribution of involved particles (experimental data)

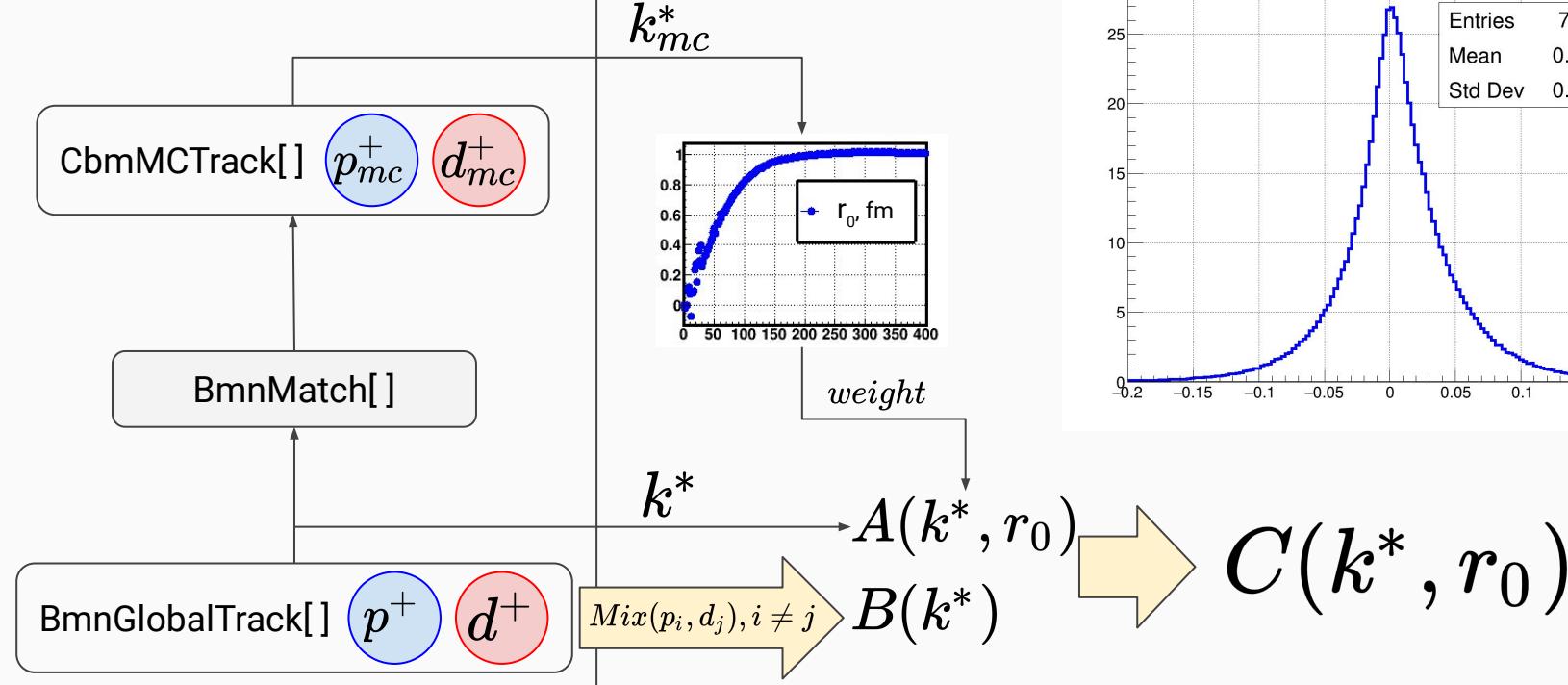


# Correlation function for different proton momentum ranges (experimental data)



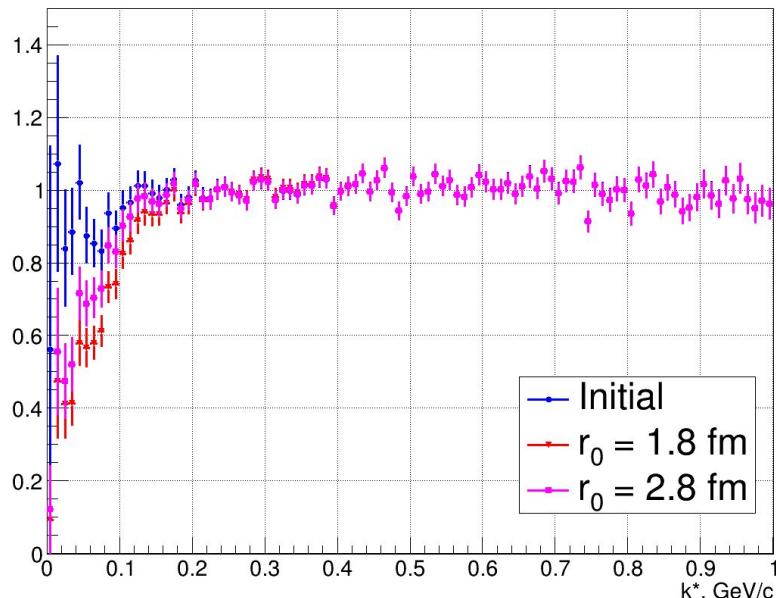
# Applying detector resolution to the model (Monte-Carlo reconstruction)

## Reconstructed Monte-Carlo dst

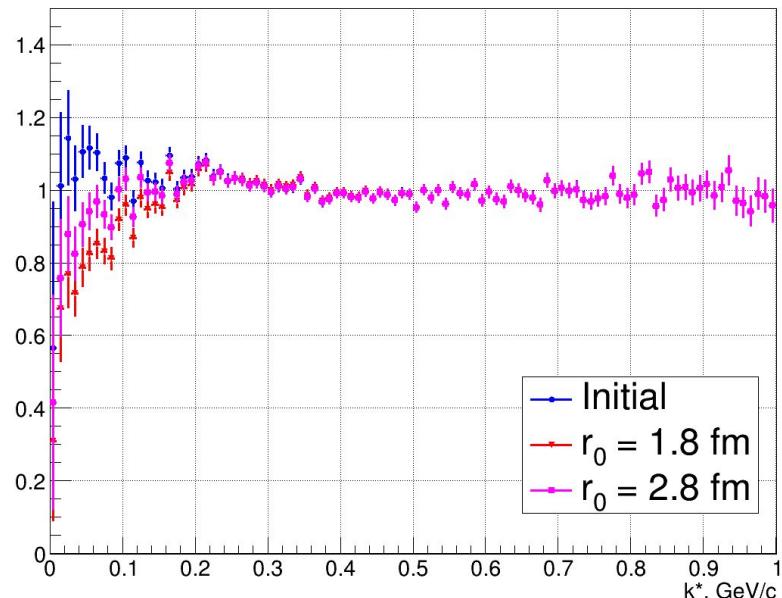


# Reweighting correlation function (Monte-Carlo reconstruction)

$C(k^*)$ ,  $P_p \leq 2.0$  [GeV/c]



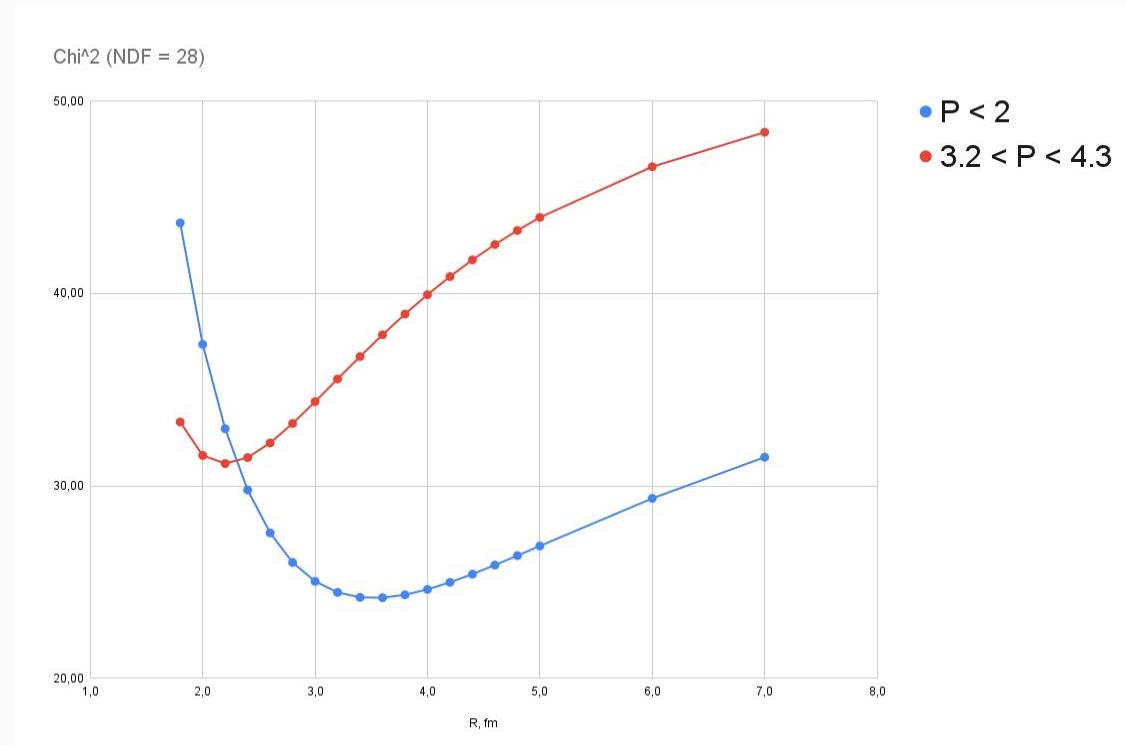
$C(k^*)$ ,  $3.2 < P_p \leq 4.3$  [GeV/c]

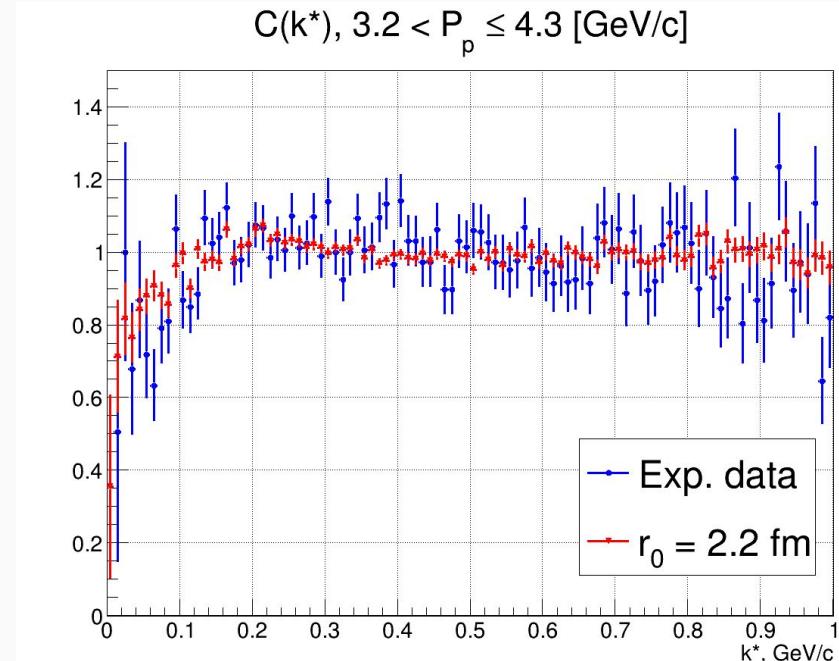
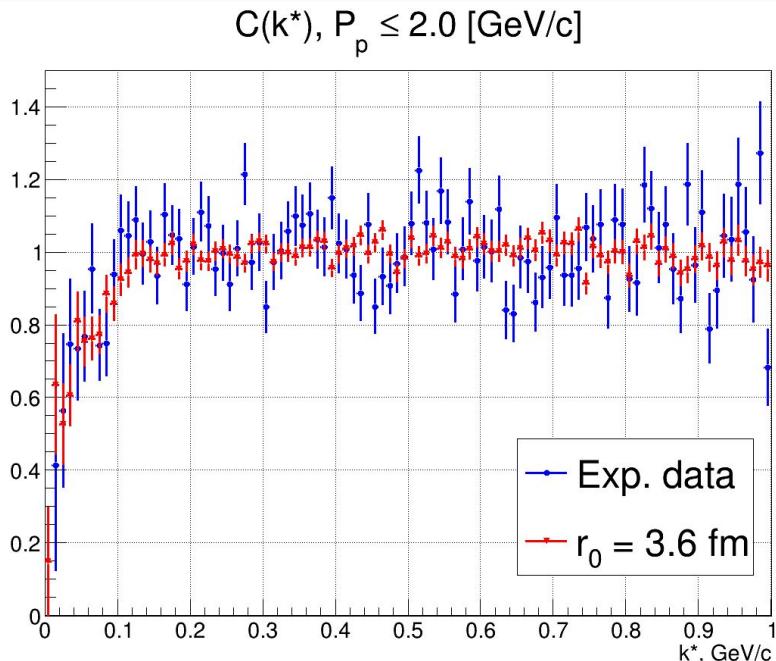


DCMSMM XeCsI 3.9AGeV

$\chi^2$ -test

$r_0$ , fm	NDF	$P < 2$	$3.2 < P < 4.3$
1,8	28	43,67	33,32
2,0	28	37,36	31,58
<b>2,2</b>	28	<b>32,97</b>	<b>31,16</b>
2,4	28	29,79	31,47
2,6	28	27,56	32,23
2,8	28	26,02	33,25
3,0	28	25,04	34,38
3,2	28	24,46	35,56
3,4	28	24,21	36,73
<b>3,6</b>	28	<b>24,19</b>	37,86
3,8	28	24,34	38,93
4,0	28	24,62	39,94
4,2	28	24,99	40,88
4,4	28	25,41	41,75
4,6	28	25,88	42,55
4,8	28	26,37	43,28
5,0	28	26,88	43,96
6,0	28	29,35	46,59
7,0	28	31,49	48,39
No FSI	28	43,31	55,18



The best matching  $r_0$ 

# Conclusion and further steps

- Results for correlation function calculation on BM@N experimental data provided
- Method of correlation function analysis developed and tested on BM@N experimental and simulated data
- Preliminary results for source radii of p-d pairs FSI for different particle momentum ranges are obtained

## Next steps:

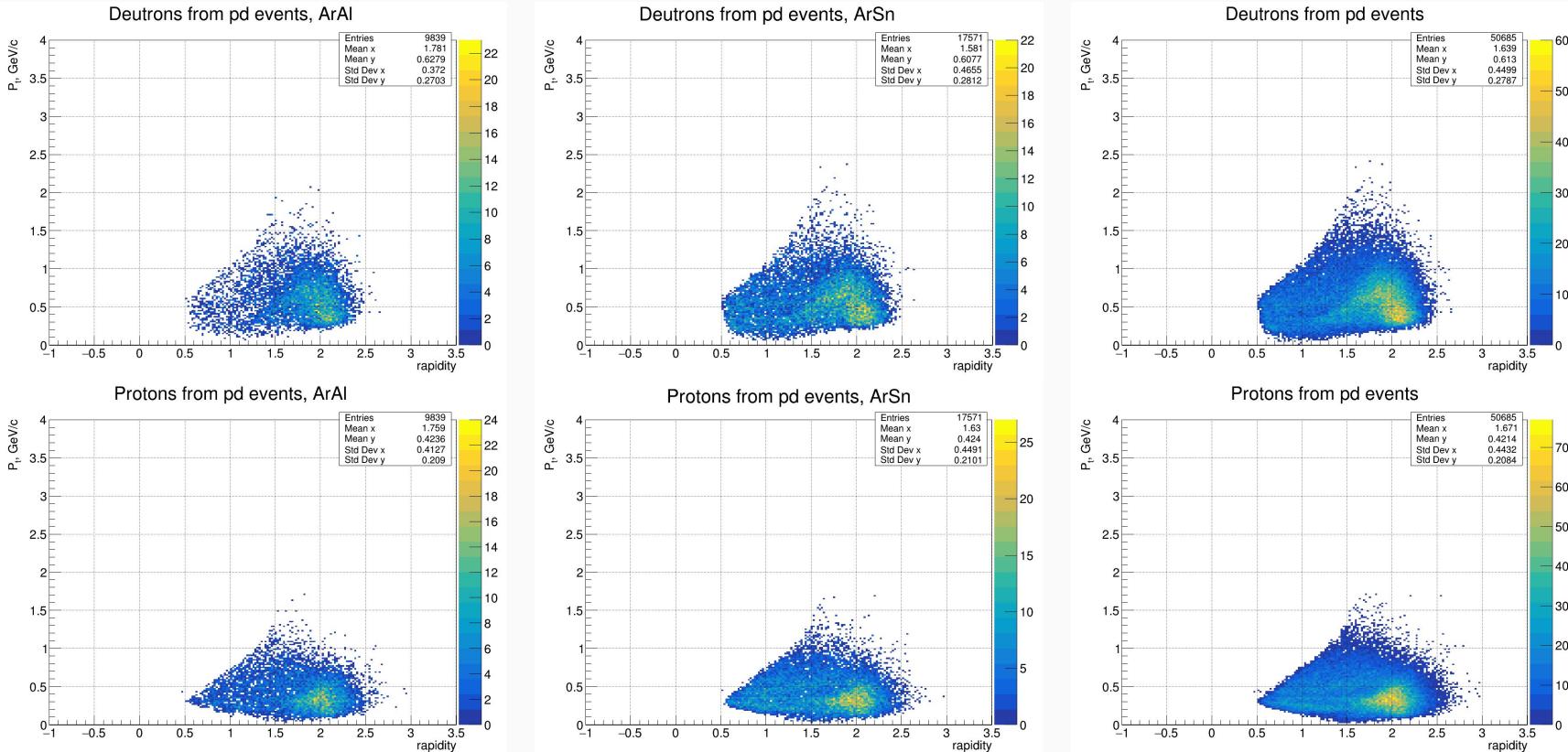
- Model:
  - Account of the p- and d-waves
  - Considering the deuteron as bound state\*
- Analysis:
  - Finishing p-d on BM@N run 7 using full set of experimental data and appropriate Monte-Carlo statistic
  - Continue p-d on BM@N run 8 data
  - Go to p-p and other particles species

\* S. Mrowczynski, arXiv:2004.07029:  $4r_0^2 \rightarrow 3r_0^2$  in r-distribution  
M. Viviani et al., arXiv:2306.02478: the above substitution is valid at large k only  
full 3-body calculation is needed

# Thank you for attention!

# Backup

# $P_t$ vs rapidity. ArSn, ArAl, all targets



# pd correlation function

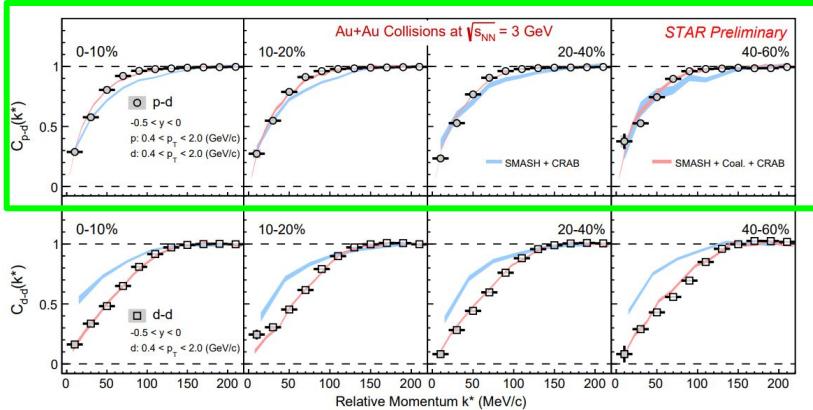
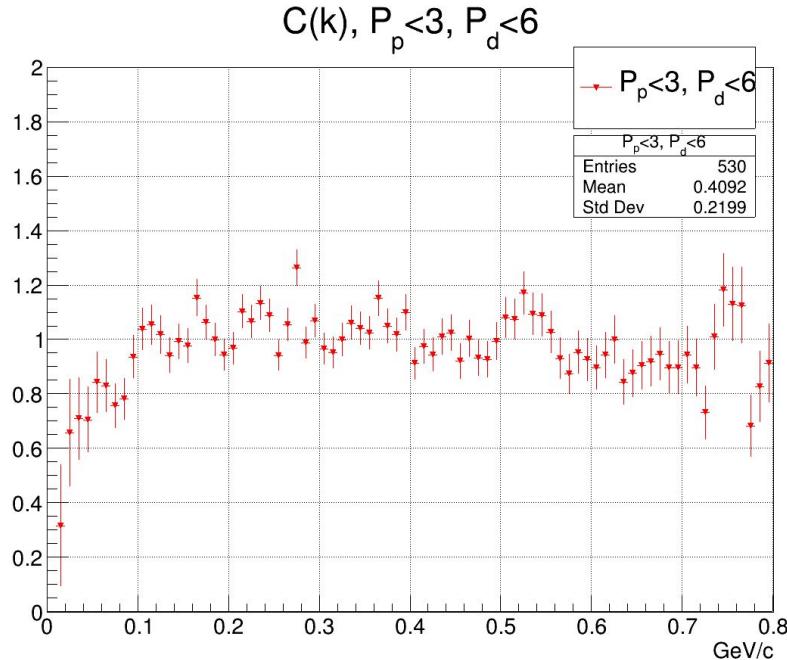
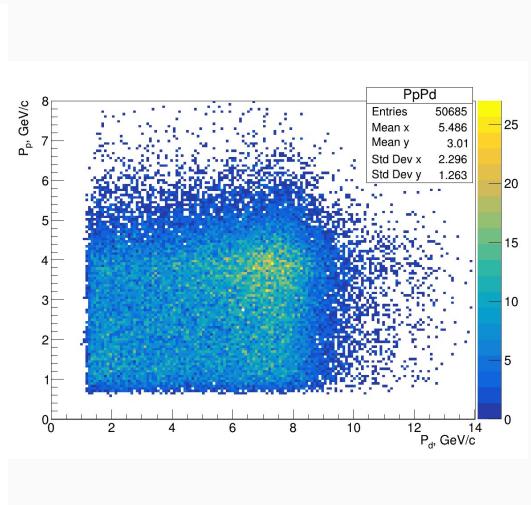
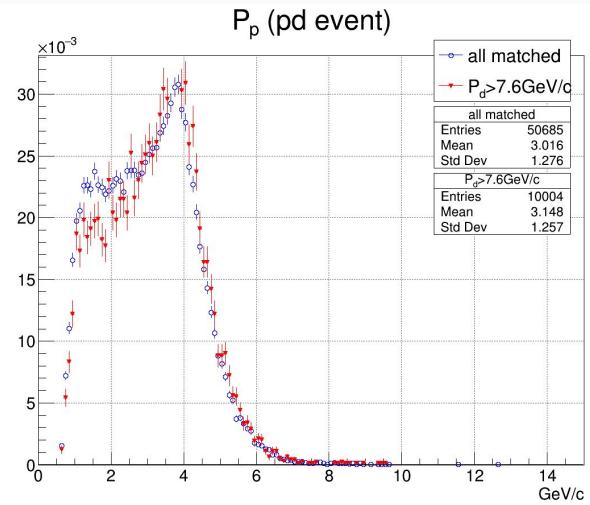
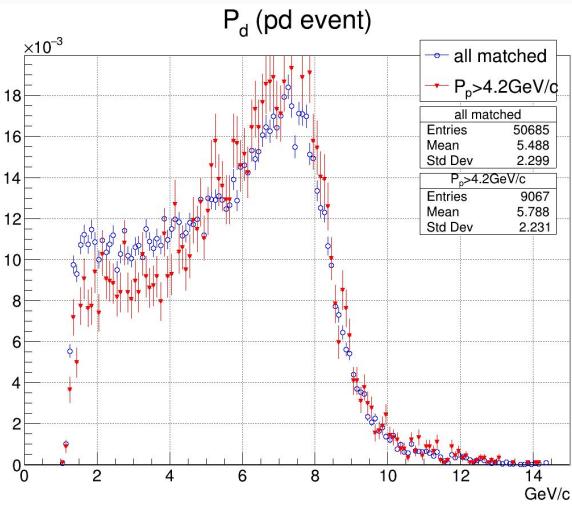


Fig. 4. The  $p-d$  and  $d-d$  correlation functions in different collision centralities in Au+Au collisions at  $\sqrt{s_{NN}} = 3$  GeV. The statistical and systematic errors are shown as vertical lines and grey bands, respectively. The colored bands represent the  $p-d$  and  $d-d$  correlations obtained with the deuteron from nucleon coalescence (red) in SMASH and directly produced from SMASH via hadronic scattering (blue), respectively.

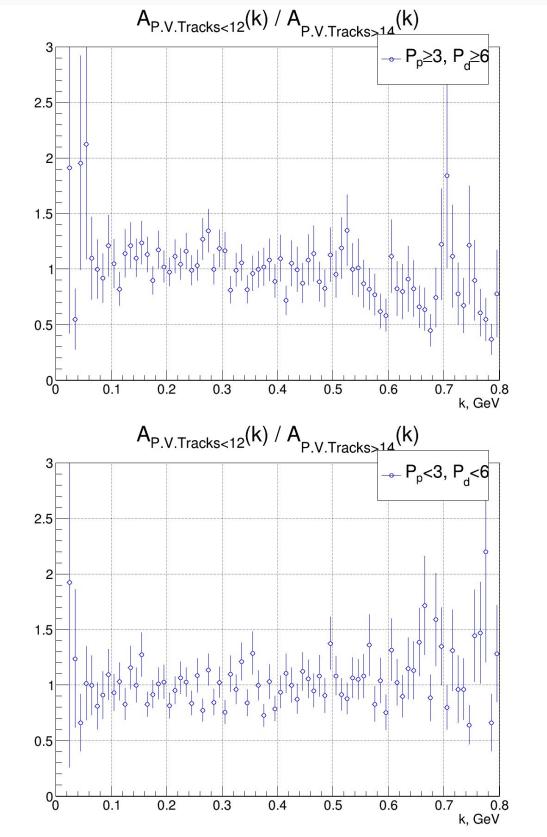
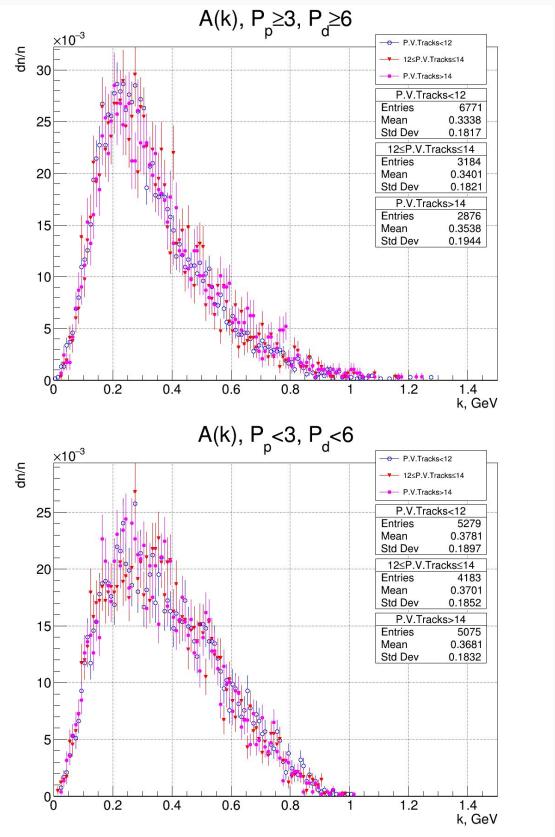
[STAR-\(BES\) ArXiv:2208.05722\[nucl-ex\], QM2022](#)



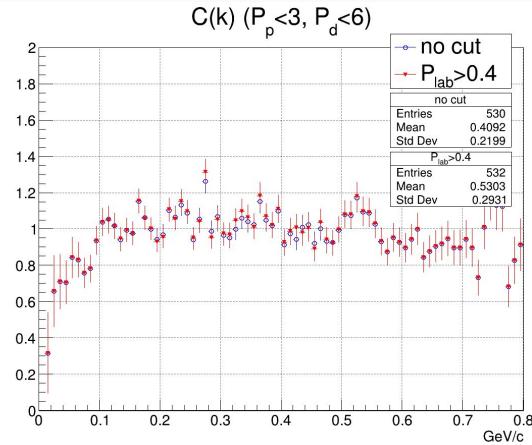
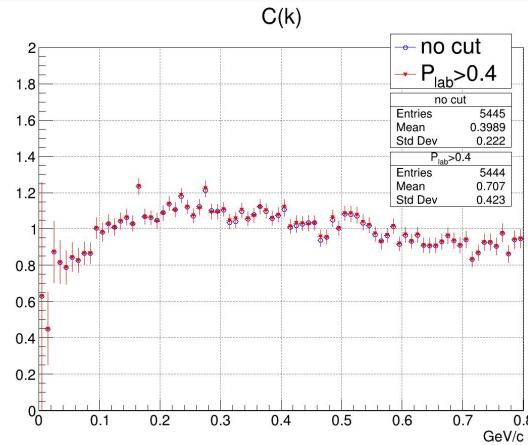
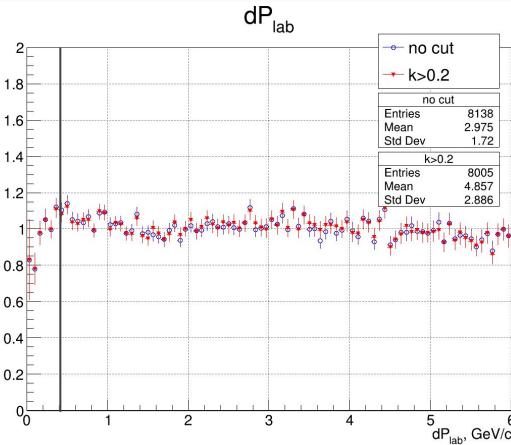
# Correlation of proton and deuteron momentum



# Estimation of multiplicity dependency



# Efficiency of closest tracks



Registered p-d pairs  $dP_{\text{lab}}$   
relative to the mixing

Excluding low-efficiency area by  $dP_{\text{lab}}$  has no significant  
effect on the range of interest ( $k < 200$  MeV/c)