



# Virtual testbed for naval hydrodynamic problems

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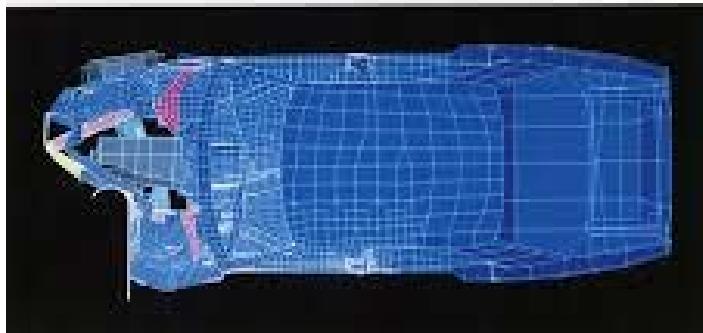
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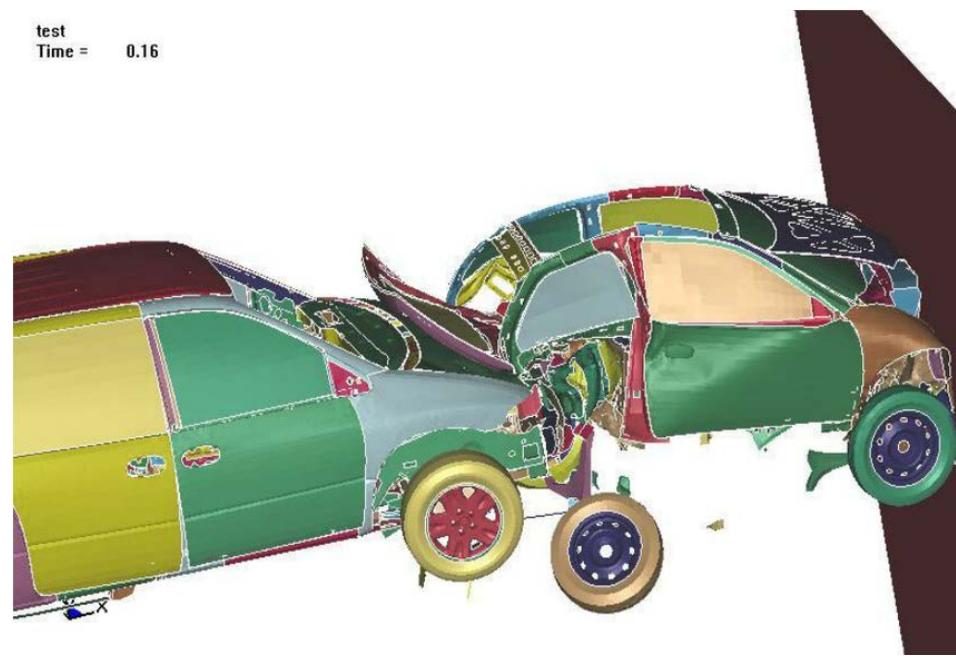
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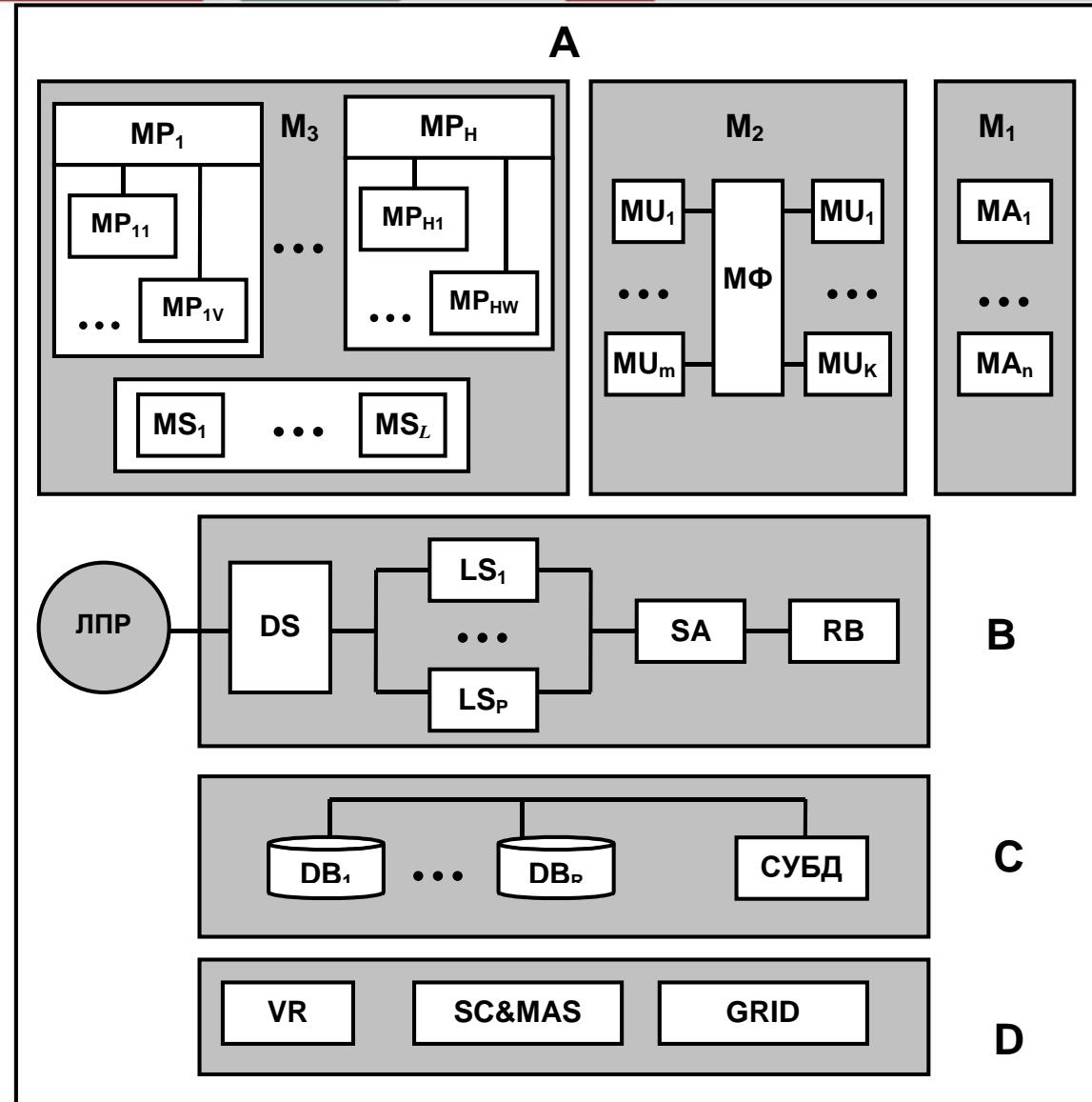
# Crash simulation



test  
Time = 0.16



# Structure of virtual testbed



# VT – virtual analog of real life

- Design – CAD/CAM/CAE systems + direct computer simulation
- Production – design systems + ERP systems
- Life cycle of the product – PDM system + electronic archive
- Exploitation and control – full scale simulator + on-board intelligence systems
- Etc.

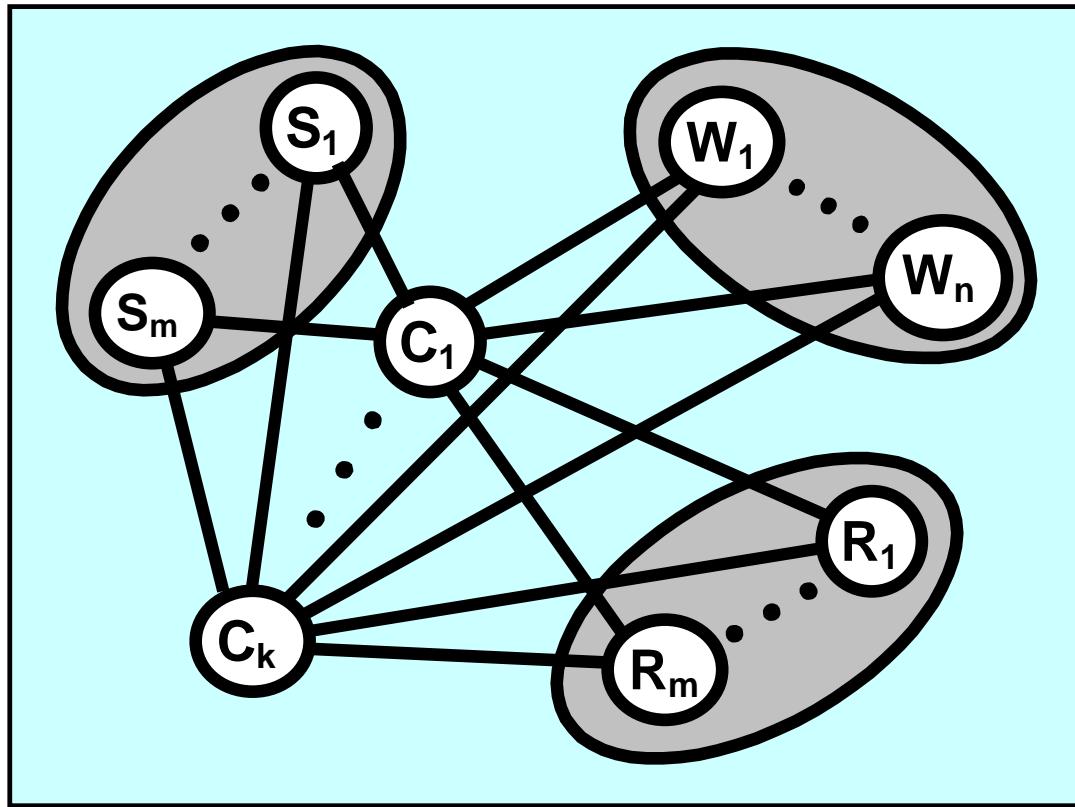
# The main aspects of VT

- Computing machinery – hardware
- Uniform information field – GRID, middleware
- Program repository – libraries
- System integration – principles of testbed operation
- Concept of real time systems

# Functional aspects of VT

- Complex modelling environment (hierarchies of mathematical models)
- Scenarios (environment, missions, etc.)
- Computer technologies
- Information subsystem (DB, KB, AI)
- Data processing in multiprocessor system

# Scenarios



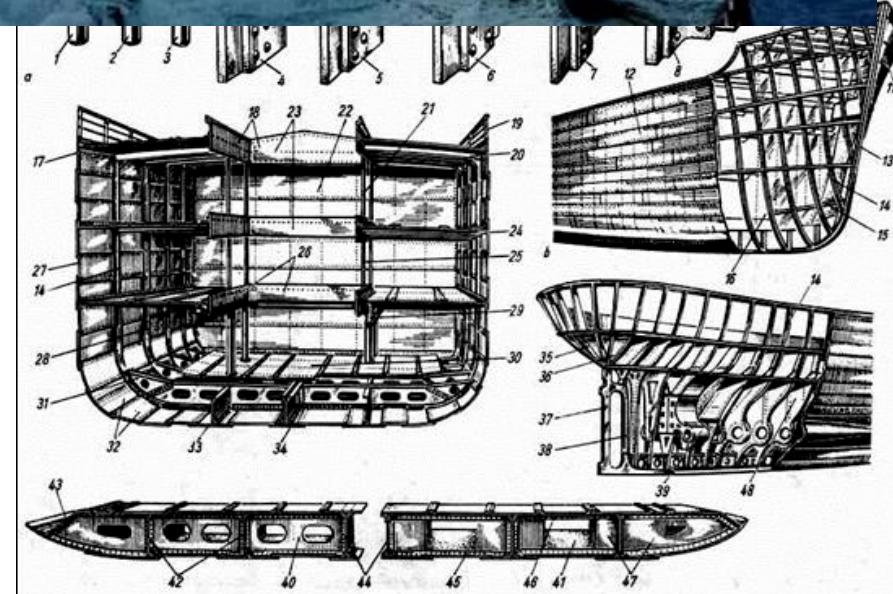
$S$  – set of scenarios

$W$  – set of variants

$R$  – set of conclusions

$C$  – set of links

Nodes of net – frames that implement instances of sets  $S, W, R, C$



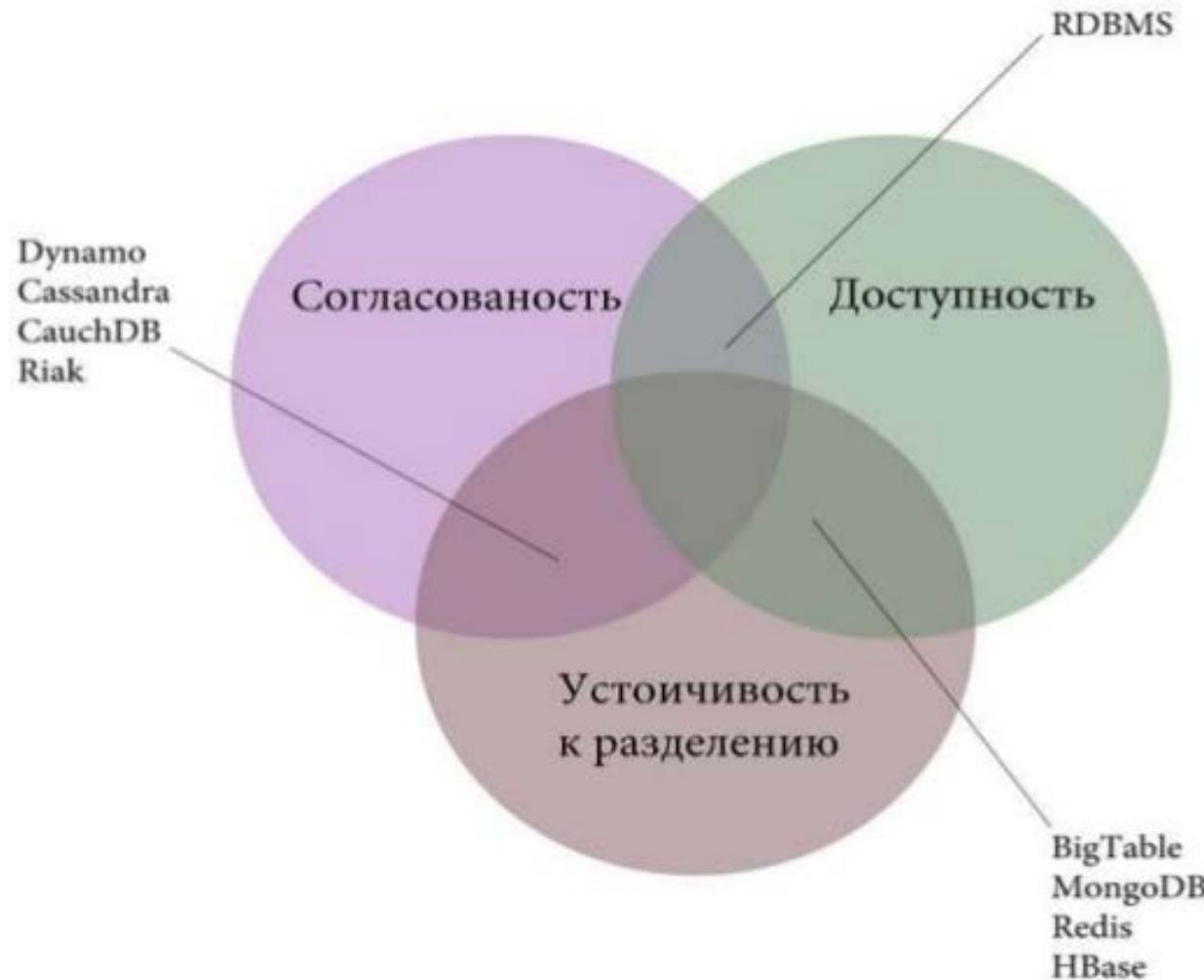
- A lot of components
- Different and heterogeneous components, complicated relations between them
- Uncertainty of operating conditions and external excitations
- Numerous scenarios and options for control
- .....

# Characteristics of complex problem

- Data processing
- Calculations

Preprocessing,  
Processing,  
Postprocessing

# CAP theorem data realizations



# Scenarios new approach to environment problem formulation

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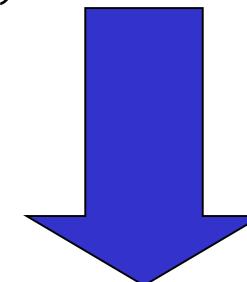
Wave climate - A seaway characterization determined primarily from climatic wave spectra obtained at a particular geographic location. It is characterized by parametric and other properties of the local climatic wave spectra and by the associated probability density distribution of  $h_{1/3}$ .

XVIII IMO Assembly (1993)

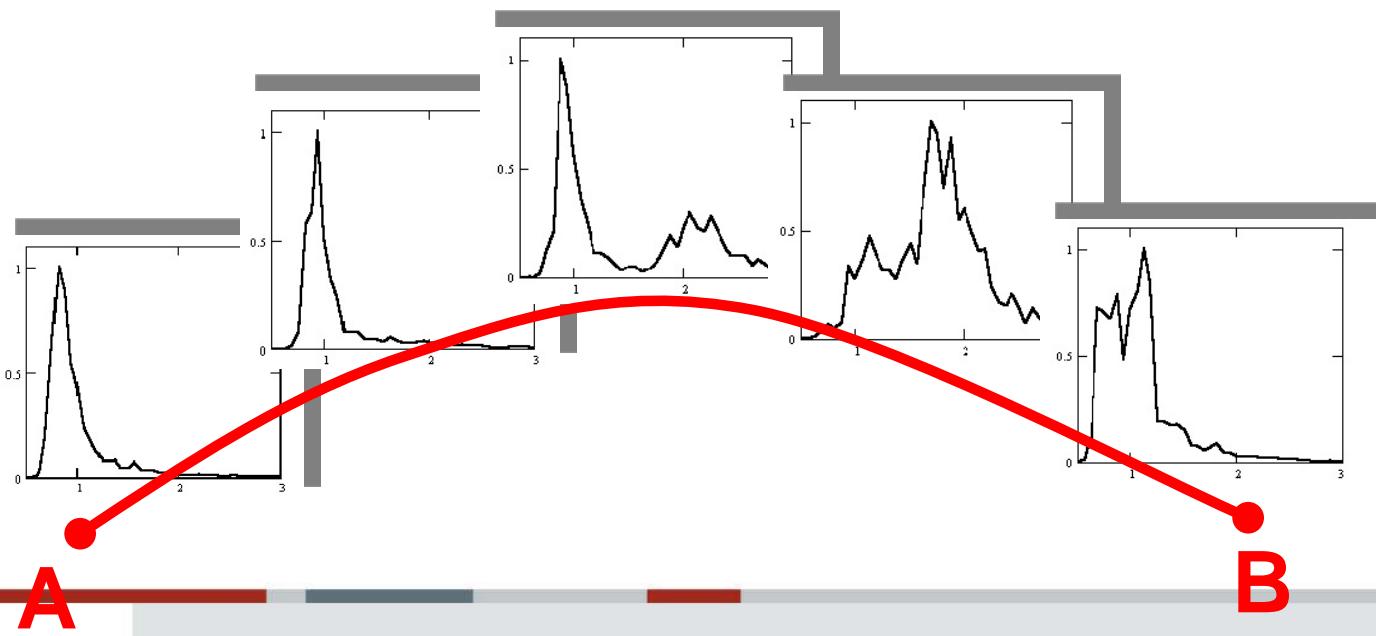
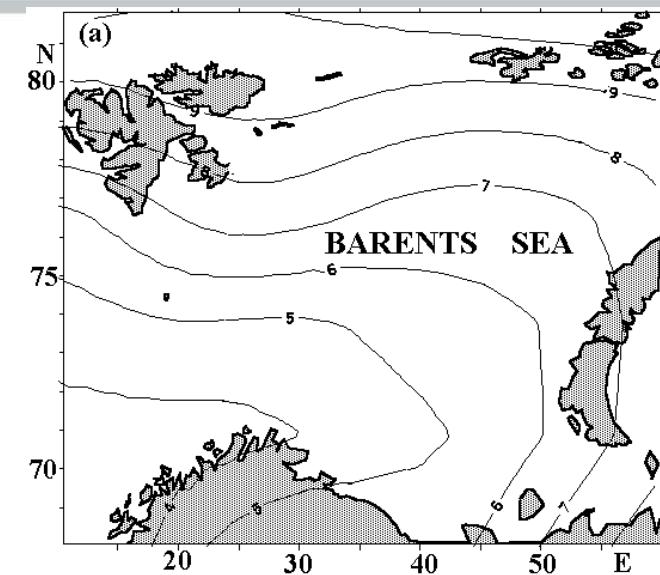
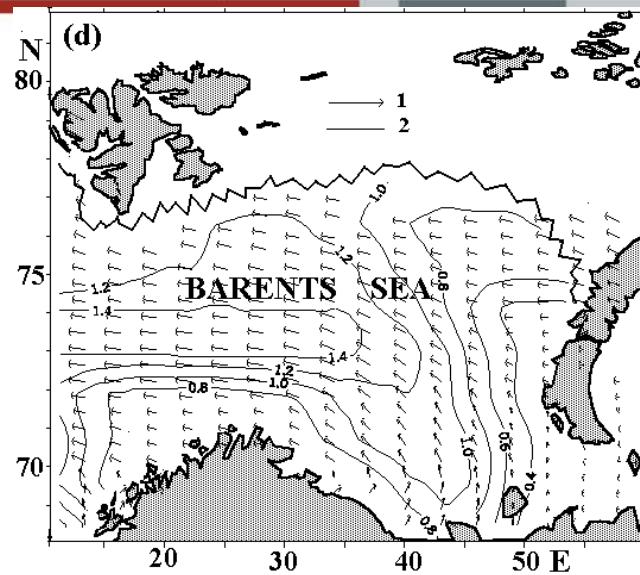
$$\{\Xi(\vec{r}, t), \vec{V}(\vec{r}, t)\} \longleftrightarrow S(\omega, \Theta, \vec{r}, t)$$

$$\vec{r} \rightarrow \{x_i, y_j\}$$

$$t \rightarrow \{t_k\}$$



“Wave weather scenario”





## Traditional approach

- Significant wave height
- Spectrum type
- Additional spectral parameters
- Course angle of general radiation of wave system

## Wave weather scenarios approach

- Peculiarities of wave making conditions ;
- Geographical peculiarities of considered region;
- Changeableness of hydro meteorological conditions;
- Scenarios of synoptic changeableness;
- Characteristics of season changeableness;
- Long term presence of the ship in considered region or in some diapason of exploitation conditions.

# The list of wave scenarios

- ▶ short term scenario,
- ▶ stormy scenario,
- ▶ scenario «mission»,
- ▶ scenario «navigation»,
- ▶ scenario «life time»

# Basis of weather scenarios modeling



# Synoptic variability simulation

$$S(\omega, \Theta, \vec{r}, t) = S(\omega, \Theta, \Xi). \quad \Xi = \Xi(\vec{r}, t)$$

$$\Xi(r, t) = \{h_W, h_S, \tau_W, \tau_S, \Theta_W, \Theta_S\}$$

$$\Xi(x, y, t) = \sum_k \alpha_k(t) \Psi_k(x, y) \int K_{\Xi}(\vec{r}_1, \vec{r}_2) \Psi_k(\vec{r}_2) d\vec{r}_2 = \lambda_k \Psi_k(\vec{r}_1)$$

$$\vec{V}(x, y, t) = \sum_k \beta_k(t) \vec{\Psi}_k(x, y)$$

$$A_t = \sum_k \Phi_k A_{t-k} + E_t$$

$$\int K_{UU}(\vec{r}_1, \vec{r}_2) \Psi_U(\vec{r}_2) d\vec{r}_2 + \int K_{UV}(\vec{r}_1, \vec{r}_2) \Psi_V(\vec{r}_2) d\vec{r}_2 = \lambda \Psi_U(\vec{r}_1)$$

$$\int K_{VU}(\vec{r}_1, \vec{r}_2) \Psi_U(\vec{r}_2) d\vec{r}_2 + \int K_{VV}(\vec{r}_1, \vec{r}_2) \Psi_V(\vec{r}_2) d\vec{r}_2 = \lambda \Psi_V(\vec{r}_1)$$



# Simulation procedure

$$\{\Xi(\vec{r}, t), \vec{V}(\vec{r}, t)\} \longleftrightarrow S(\omega, \Theta, \vec{r}, t)$$

1. Reproduction of spectrum parameters

2. Reproduction of wind speed parameters

$$\vec{V}(x, y, t) = \sum_k \beta_k(t) \vec{\Psi}_k(x, y)$$

3. Reproduction of the system of related time series

4. Generation of metocean fields  
in correspondent

$$\Xi(x, y, t) = \sum_k \alpha_k(t) \Psi_k(x, y)$$

$$A_t = \sum_k \Phi_k A_{t-k} + E_t$$

$$\zeta(x, y, t) = \sum_i \sum_j \sum_k \Phi_{ijk} \zeta(x - i, y - j, t - k) + \varepsilon(x, y, t)$$

# Reproduction of spatial-time wave surface field $\zeta(x, y, t)$

$$\zeta(x, y, t) = \sum_n c_n \cos(u_n x + v_n y - \omega_n t + \varepsilon_n)$$

$$\left[ \prod_{k=1}^N L_k \right] \zeta(\vec{v}) = \left[ \prod_{k=1}^N Q_k \right] \varepsilon(\vec{v})$$

$$L_k = \sum_{j=1}^{N_k} l_j^{[k]} \frac{\partial^j}{\partial x^j}$$

$$S_\zeta(\vec{\omega}) = \frac{1}{(2\pi)^N} \frac{\left| \sum_{j_1=0}^{P_1} \dots (N) \dots \sum_{j_n=0}^{P_n} C_{[j_1 \dots j_n]} i^{\sum_m j_m} \prod_{k=1}^N \omega_k^{j_k} \right|^2}{\left| \sum_{j_1=0}^{N_1} \dots (N) \dots \sum_{j_n=0}^{N_n} B_{[j_1 \dots j_n]} i^{\sum_m j_m} \prod_{k=1}^N \omega_k^{j_k} \right|^2}$$

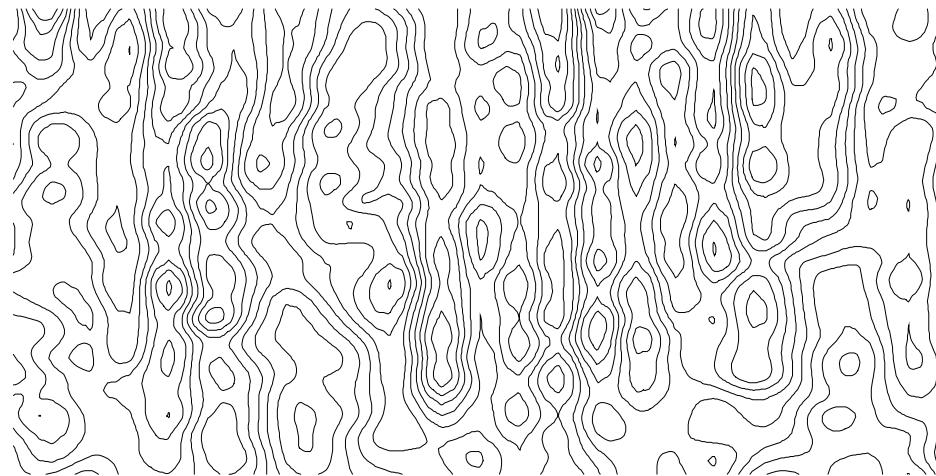
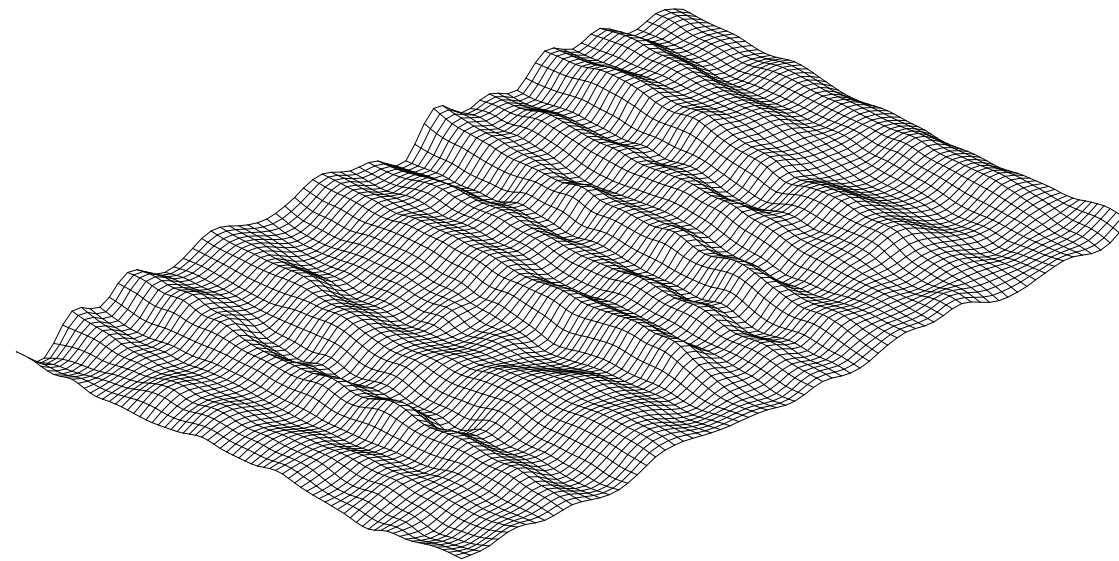
$$\zeta_{\vec{v}} = \sum_{j_1=0}^{N_1} \dots (N) \dots \sum_{j_n=0}^{N_n} \Theta_{\vec{j}} \zeta_{\vec{v}-\vec{j}} + \varepsilon_{\vec{v}}$$

$$\zeta_{(x,y,t)} = \sum_{i=0}^{N_x} \sum_{j=0}^{N_y} \sum_{k=0}^{N_t} \Theta_{(i,j,k)} \zeta_{(x-i, y-j, t-k)} + \varepsilon_{(x,y,t)}$$

$$\sigma_\varepsilon^2 = D[\zeta] - \sum_{i=0}^{N_x} \sum_{j=0}^{N_y} \sum_{k=0}^{N_t} \Theta_{(i,j,k)} K_\zeta(i\Delta_x, j\Delta_y, k\Delta_t)$$

$$K_\zeta(x, y, \tau) = \sum_{i=0}^{N_x} \sum_{j=0}^{N_y} \sum_{k=0}^{N_t} \Theta_{(i,j,k)} K_\zeta(x - i\Delta_x, y - j\Delta_y, \tau - k\Delta_t)$$

# Example of 3D waves simulation



# Wave scenario modeling

$$S(\omega, \beta) = S(\omega, \beta; \Xi)$$

Necessary to solve the following problems:

- Spectra parameterization  $S(\omega, \beta)$  (in space  $\Xi$ ).
- Separation of uniform classes of spectra.
- Takeoff stable states  $S(\omega, \beta, x, y, t)$  in time  $t$  and (or) space  $(x, y)$

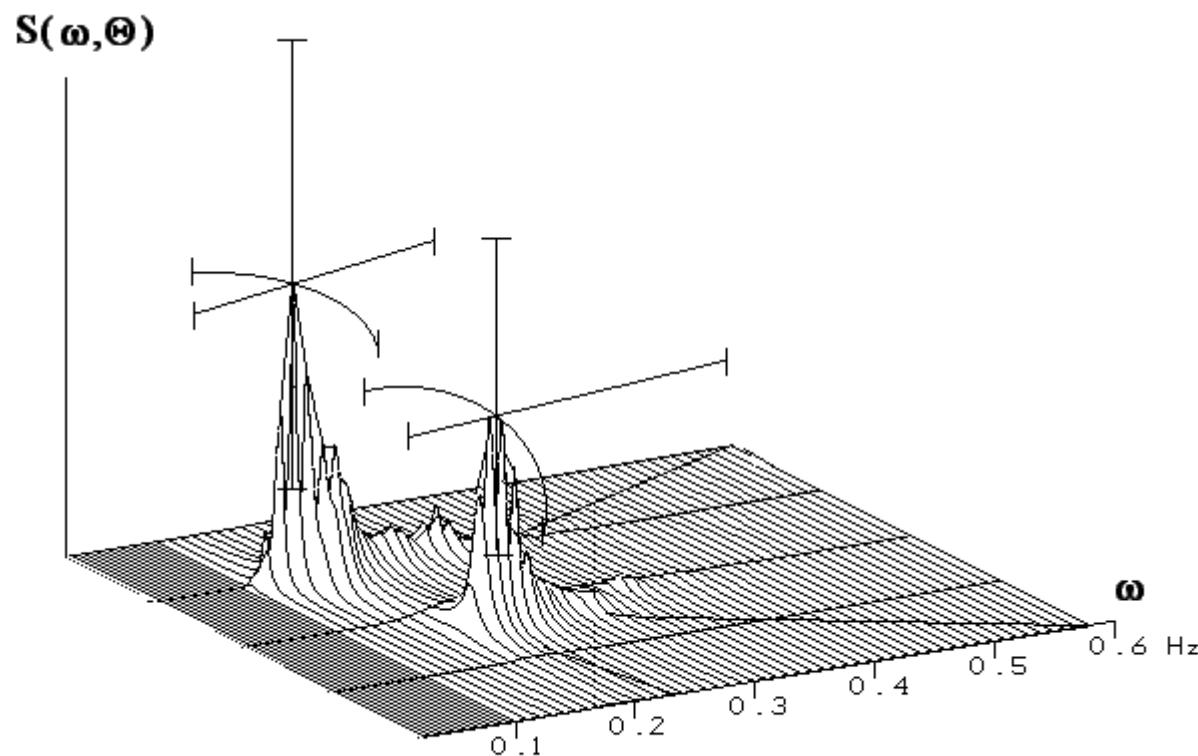
$$S(\omega, \beta) = m_{00} \sum_{p=1}^N \gamma_p S_p(\omega, \beta | \omega_{\max}, \beta_{\max})$$



# Example of functional field: Directional spectrum of sea waves

$$S(\omega, \Theta) = S(\omega, \Theta, \Xi)$$

$\Xi$  – parameters set



Climatic spectrum of complex sea.  
NE-region of Black Sea

# Probabilistic model of consecution of storms and calm weather

$$\xi(t) = \sum_{k=1}^n w_k \left( z, t - \sum_{j=1}^{k-1} (\tau_j + \Theta_j) \right)$$

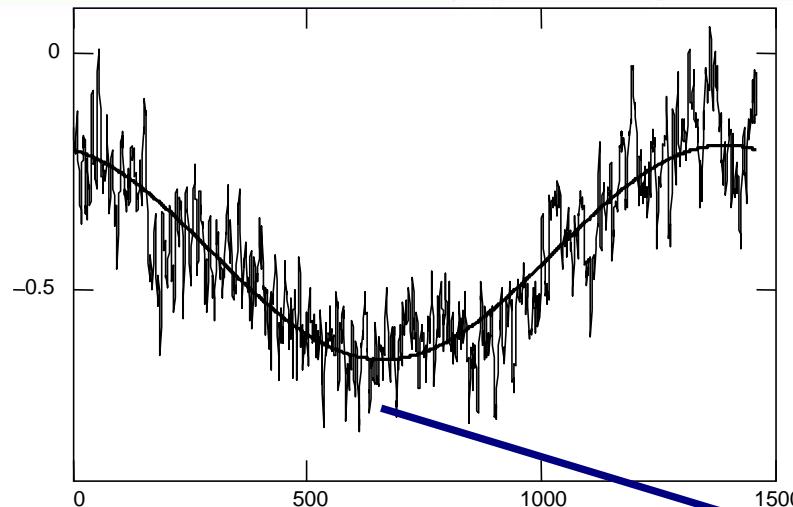
$$w(z, t) = \begin{cases} z + (h^+ - z)u(t/\tau) & , \quad 0 \leq t \leq \tau \\ z - (h^- - z)u((t - \tau)/\theta) & , \quad \tau \leq t \leq \tau + \theta \\ 0 & ,(t < 0) \cup (t > \tau + \theta) \end{cases}$$

$$u(t) = \begin{cases} t/\delta & , 0 \leq t \leq \delta \\ 1/(1-\delta) - t/(1-\delta) & , \delta \leq t \leq 1, \\ 0 & ,(t < 0) \cup (t > 1) \end{cases}$$

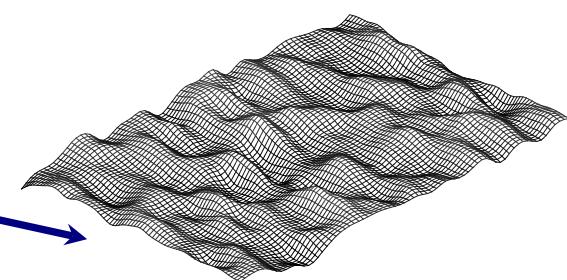
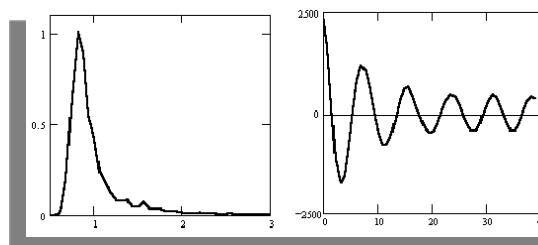
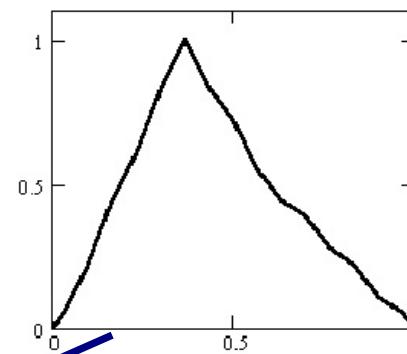


# Algorithm of weather scenarios modeling

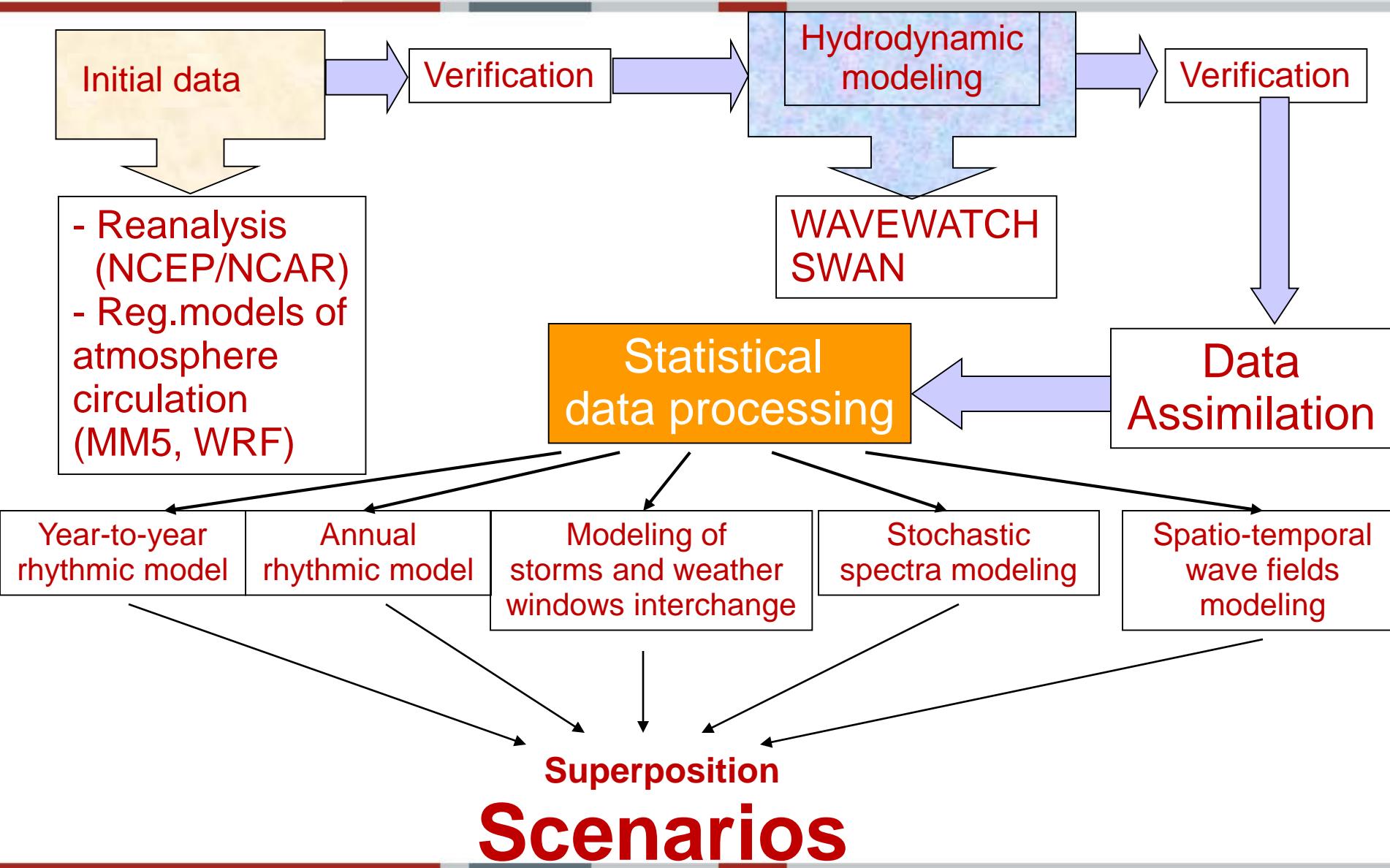
# Generation of weather scenario

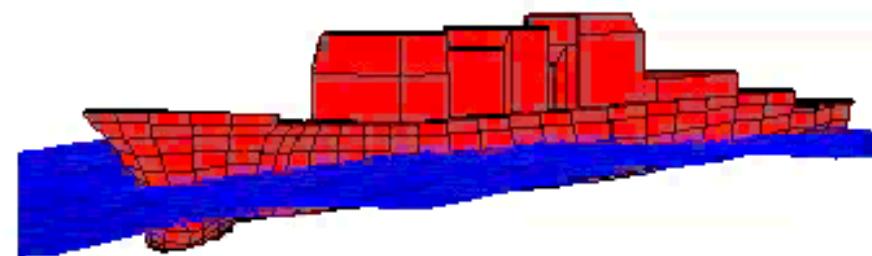
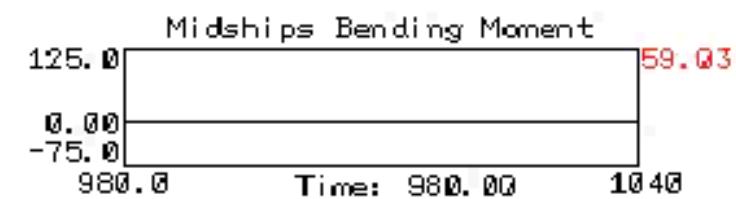
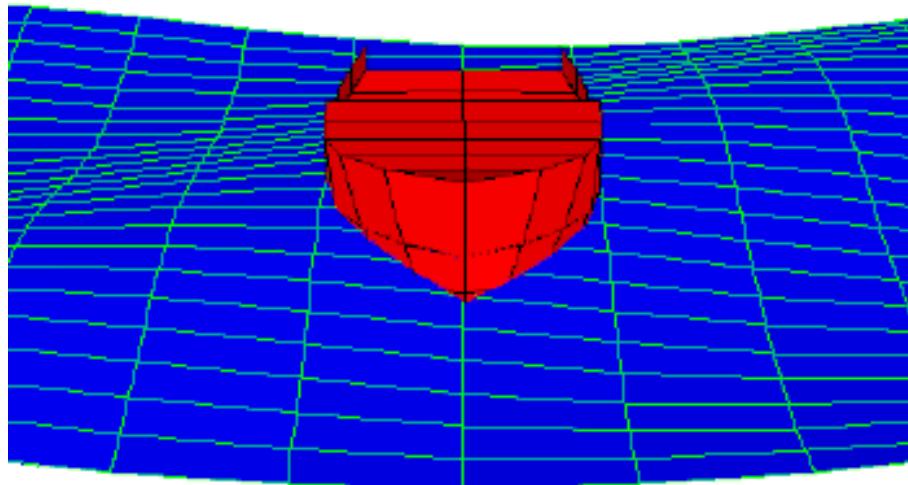


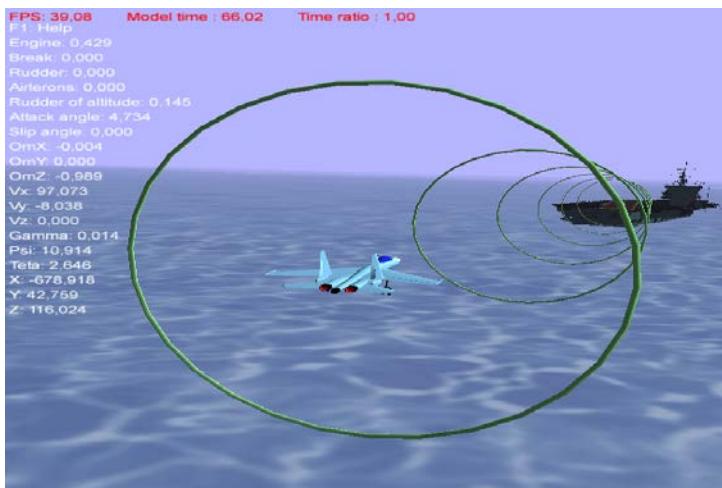
$$\begin{aligned}\tau_k &= F_{\tau}^{-1}(\gamma_1^{(k)}), \Theta_k = F_{\Theta}^{-1}(\gamma_2^{(k)}), \\ h_k^+ &= F_{h^+|\tau}^{-1}(\gamma_3^{(k)} | \tau_k), h_k^- = F_{h^-|\Theta}^{-1}(\gamma_4^{(k)} | \Theta_k)\end{aligned}$$



# General algorithm of wave scenarios









# Questions?