



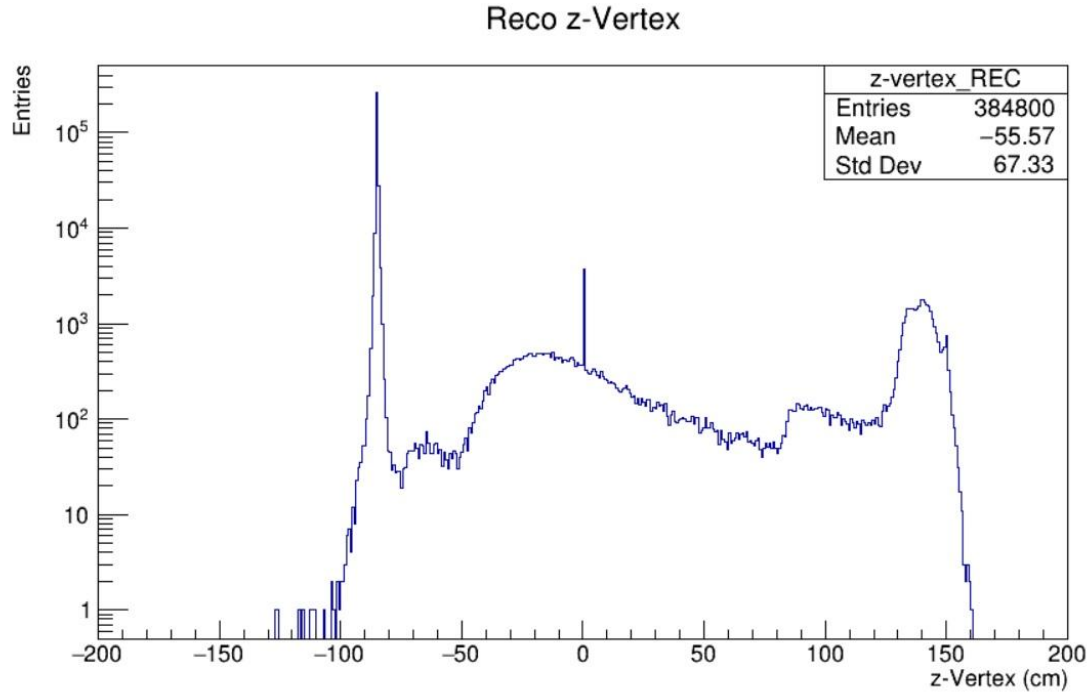
Fixed Target Analysis: PID and Track Efficiency for the MPD experiment

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Natalia Kolomoyets

Primary Vertex Analysis

Primary Vertex

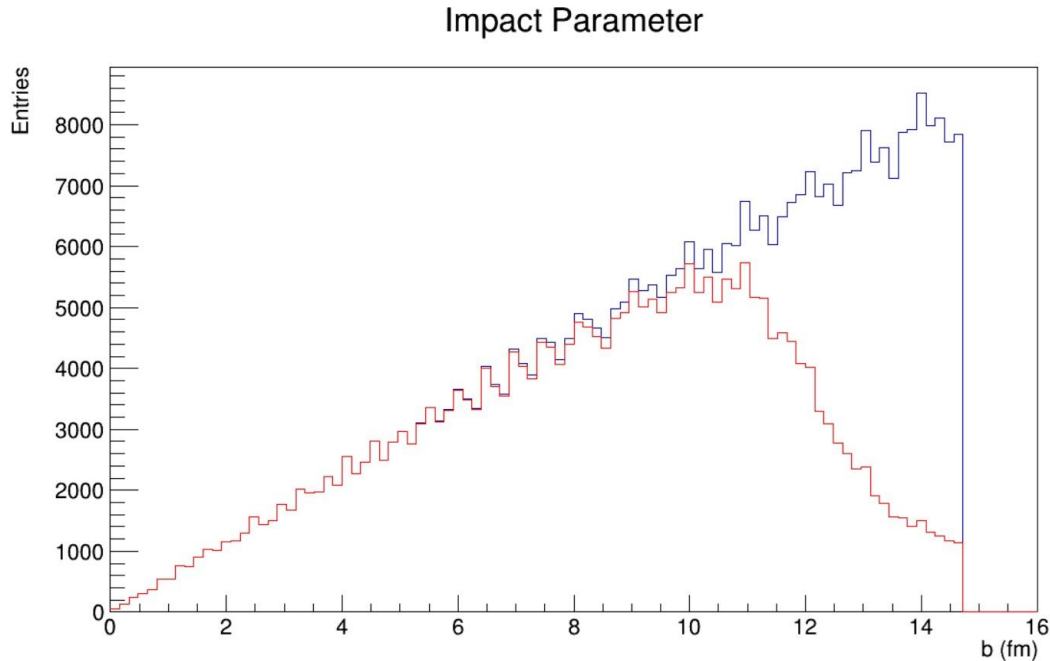


Distribution of z-Vertex with all generated events. From runMC.C file we establish primary vertex at -85cm. So having primary vertex at -50 to 150 its not clear.

A percentage of how many events are near the peak has been made.

Percentage of
events
 $|z - 85| < 15$:
80.164%

Primary Vertex

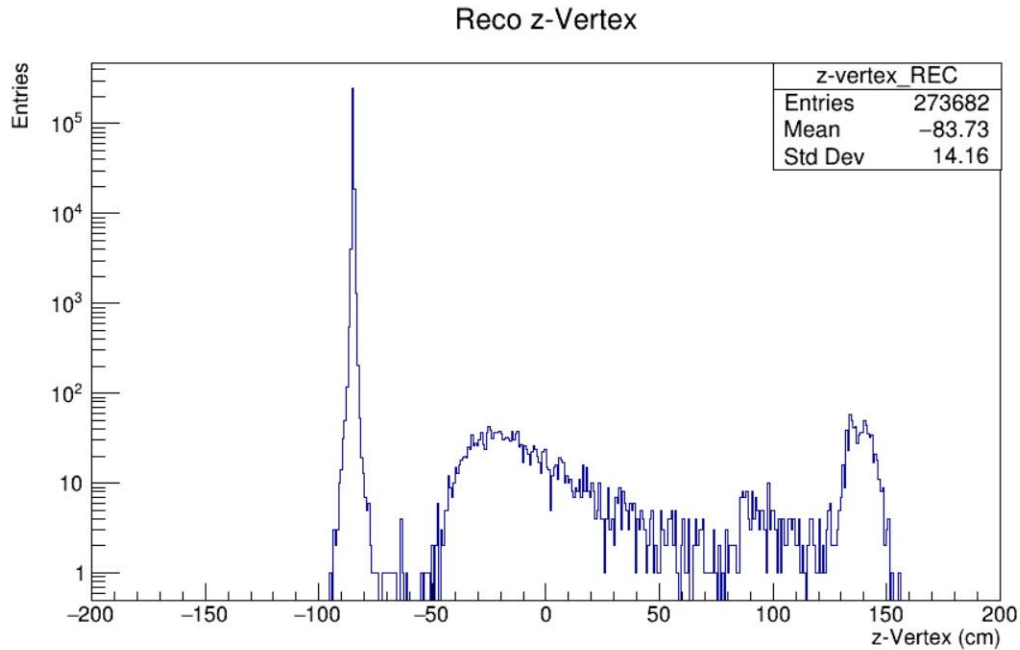


We analyzed the impact parameter, it was seen that to try to exclude the peripheral collisions we need to make a cut in MonteCarlo Tracks

Applied cuts :
MCTracks > 308
= 124 (Xe) + 184 (W)

We restrict MCTracks to have more particles than the initial ones, for 124 for Xe and 184 for W.

Primary Vertex



Again we calculate percentage of events and we obtain.

Percentage of Events

$|z - 85| < 15$:

98.95%

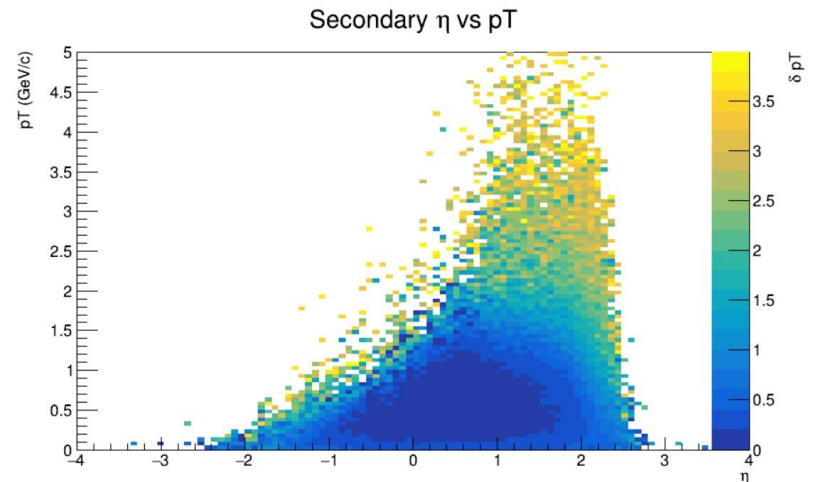
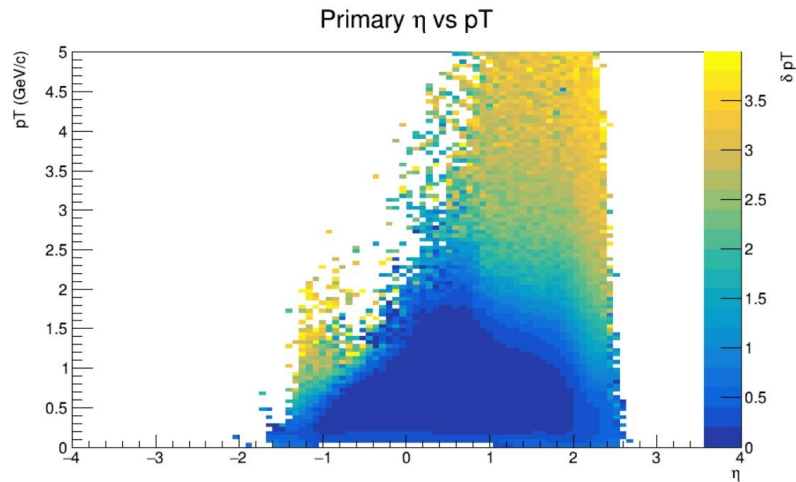
Cuts obtained:

Z between -100 cm
and -70 cm

Track Selection

Track Selection

One of the tasks performed is to clean the distributions of the phase space, with them we can observe the effectiveness of the cuts applied for the reconstructed tracks. Here we show phase space of Primary and Secondary particles.



resolution of p_T is on palette

Track Selection

Selection criteria

To select tracks we rely on transversal momentum resolution.

$$\delta p_T = \frac{|p_T^{Reco} - p_T^{MC}|}{p_T^{MC}}$$

Looking for pT resolution less than 0.2.

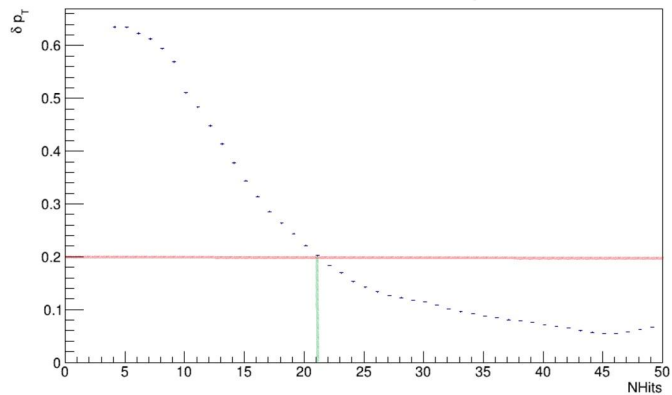
Procedure

Primary and secondary particle TProfile were created with respect to the variables Nhits, pseudorapidity, DCA vs pT resolution.

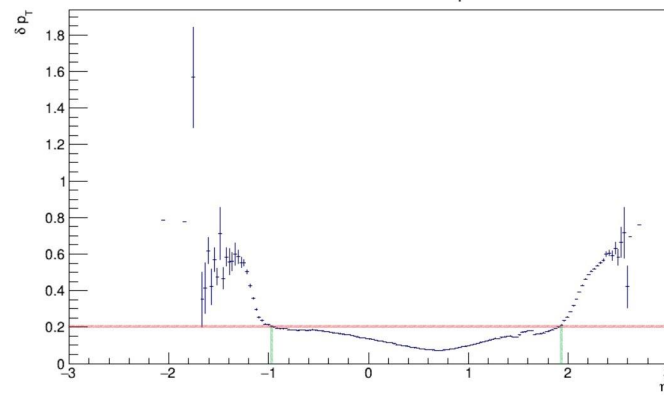
The cuts obtained from the primary vertex were left unchanged.

Track Selection

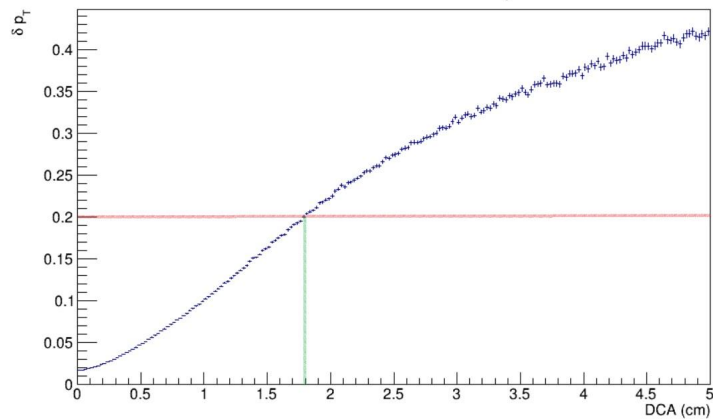
Primary NHits vs δp_T



Primary η vs δp_T



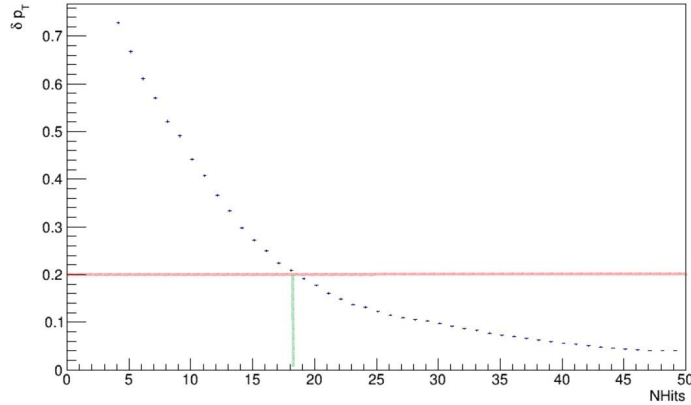
Primary DCA vs δp_T



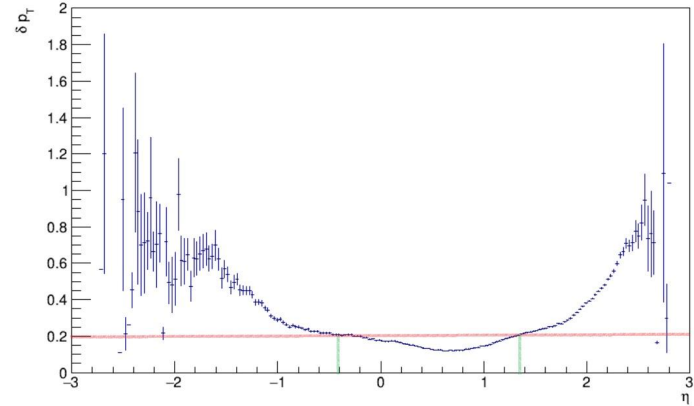
Cuts:
MCTracks > 304

Track Selection

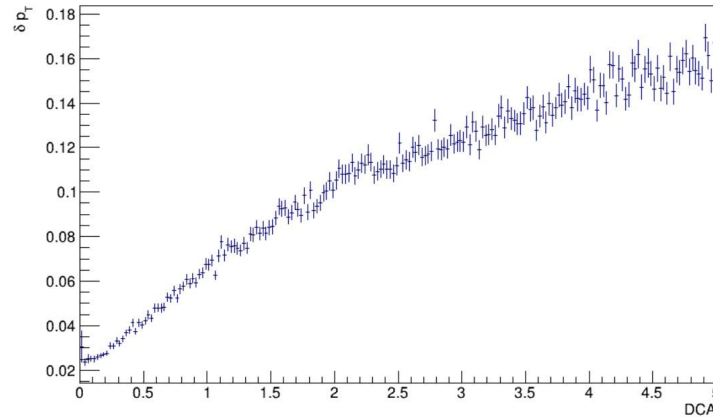
Secondary NHits vs δp_T



Secondary η vs δp_T



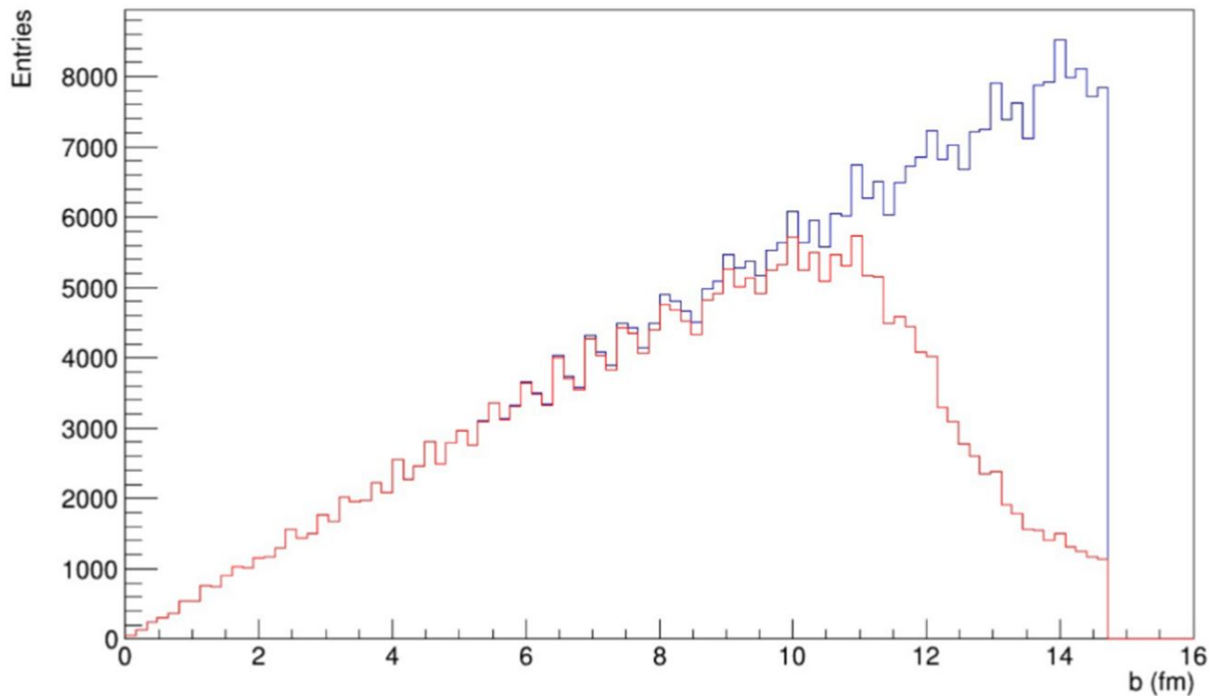
Secondary DCA vs δp_T



Cuts:
MCTracks > 304

Track Selection

Impact Parameter



To exclude even more peripheral events we made a cut at $b < 13$ fm

Cut Obtained:
 $b < 13$ fm

Track Selection

Obtained cuts for Accepted Tracks

Primary Vertex

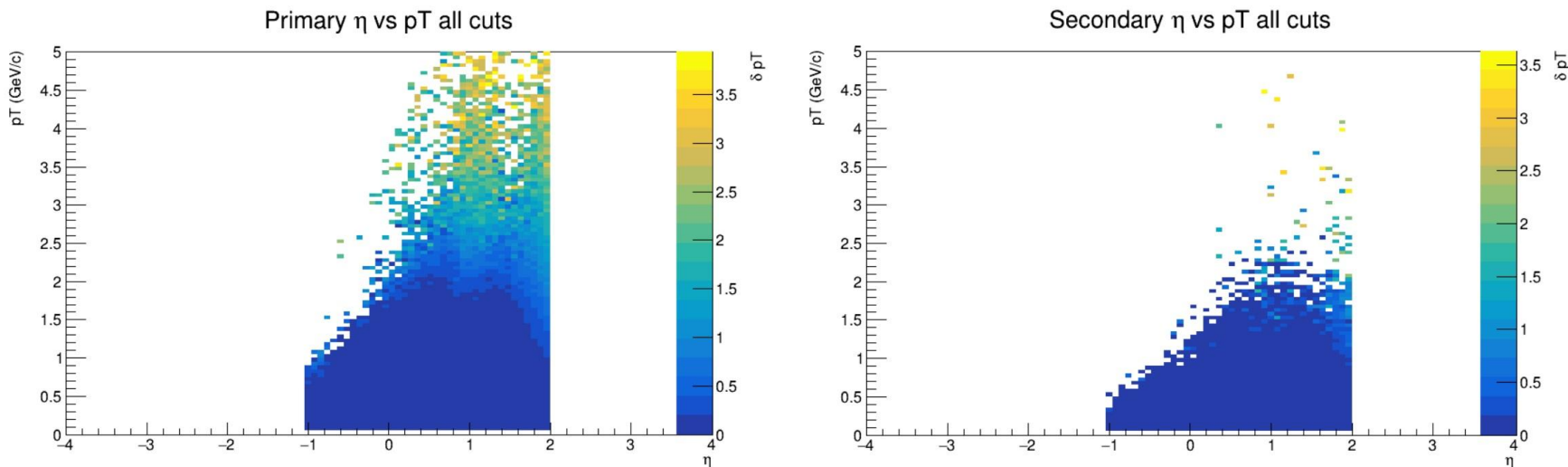
- MC Tracks > 308
- Z-Vertex (-100,-70)

Cut on eta, DCA, Number of Hits, b

- Eta (-1 , 2)
- DCA \leq 2
- Number of Hits \Rightarrow 20
- Impact parameter $b < 13$

Track Selection

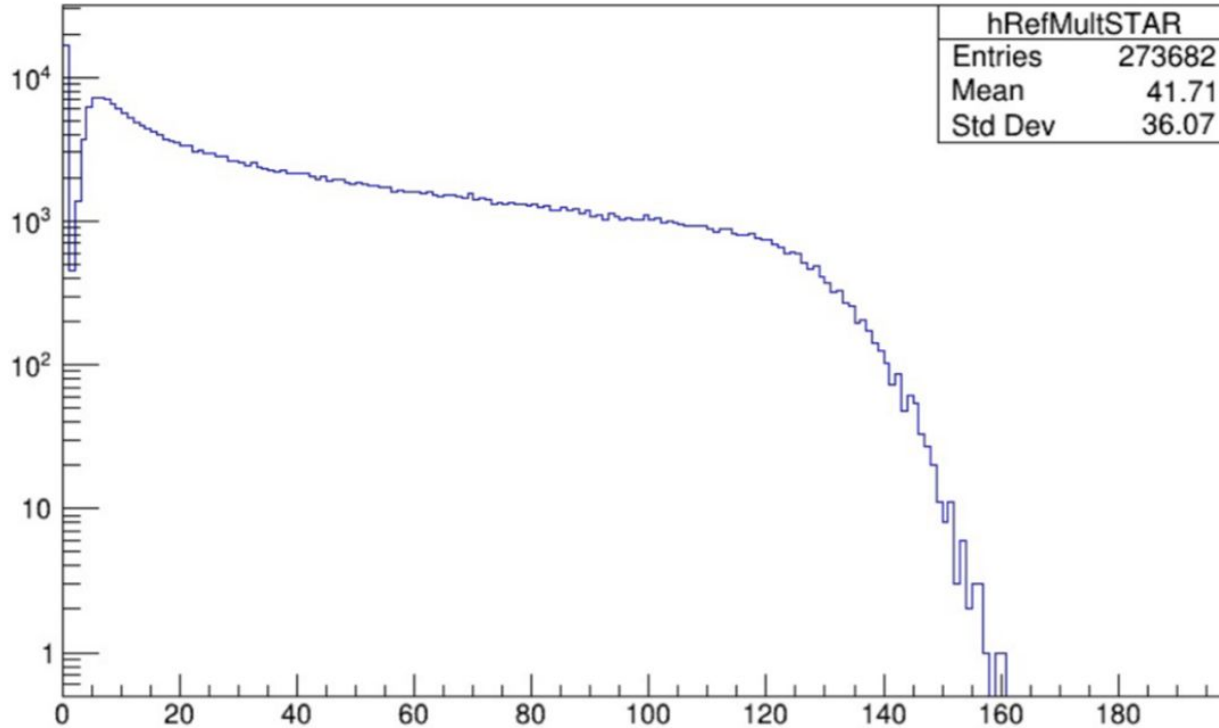
From the distributions below, we can observe how the cuts affect the phase space, also we can observe that resolution is too big for particles with $p_T > 2$ GeV/c and that it is not symmetric with respect to pseudorapidity, below zero values, p_T reach a maximum at 1 GeV/c.



resolution of p_T is on palette

Track Selection

hRefMultSTAR



From Accepted Reconstructed Tracks we obtain multiplicity distribution, this distribution was made for Centrality determination

Applied cuts:

MC Tracks > 308

Eta (-1 , 2)

DCA <= 2

NHits => 20

b < 13

Centrality Determination: MC Glauber

MC Glauber

Glauber package

Necessary data

- Nuclei Radius:
 - Xe = 4.763 +- 0.01
 - W = 5.373 +- 0.01
- Skin Thickness:
 - Xe = 0.523
 - W = 0.523
- Atomic Number:
 - Xe = 124
 - W = 184
- Inelastic cross section:
 - 26.94035 mb
- Statistics 10 to 1 on total of Events:
 - 3,848,000 a 384,800

Centrality Framework

Necessary data

- Multiplicity Distribution
- Output file from Glauber package

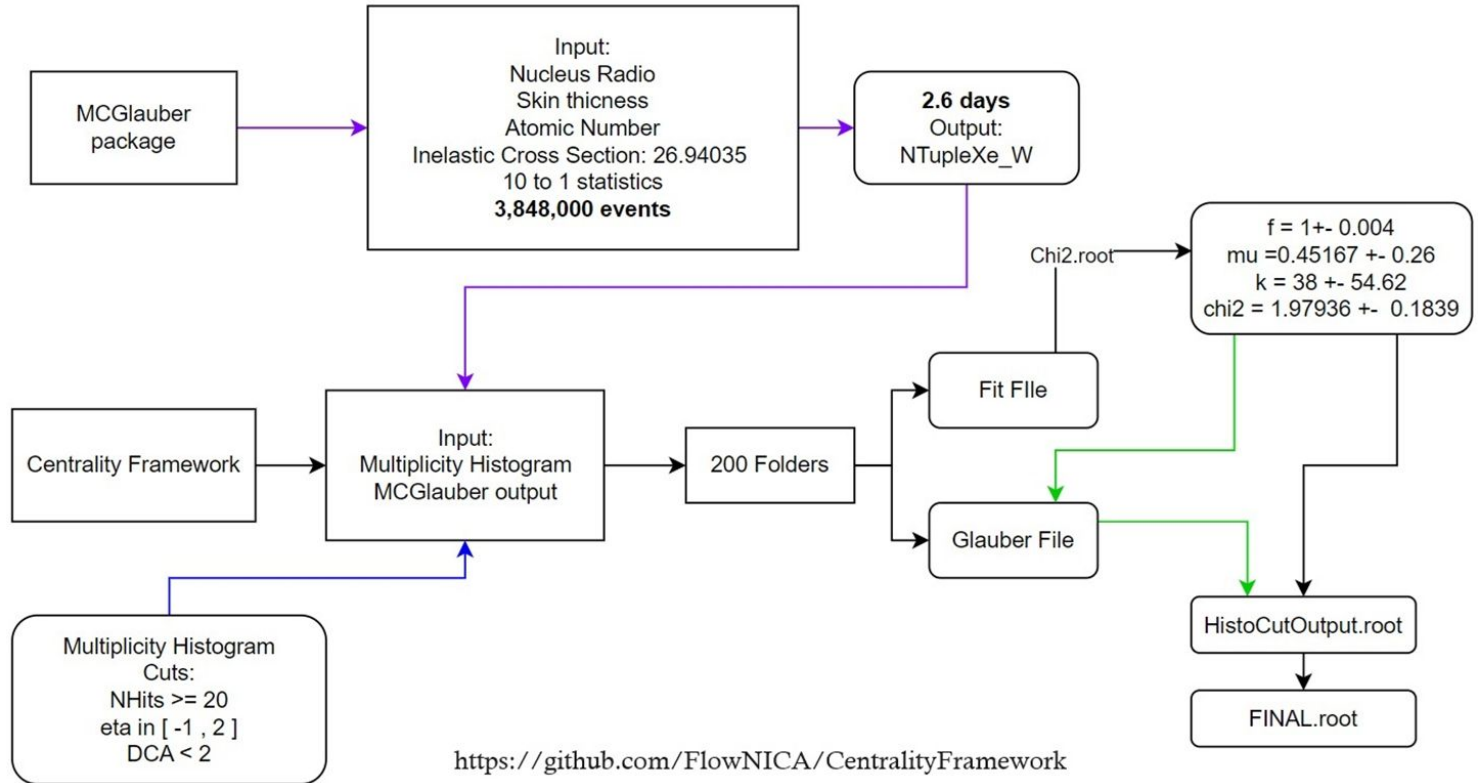
To run MC Glauber method, the necessary data its presented.

All instruction on how to run MC Glauber its on Centrality Framework Github.

<https://github.com/FlowNICA/CentralityFramework>

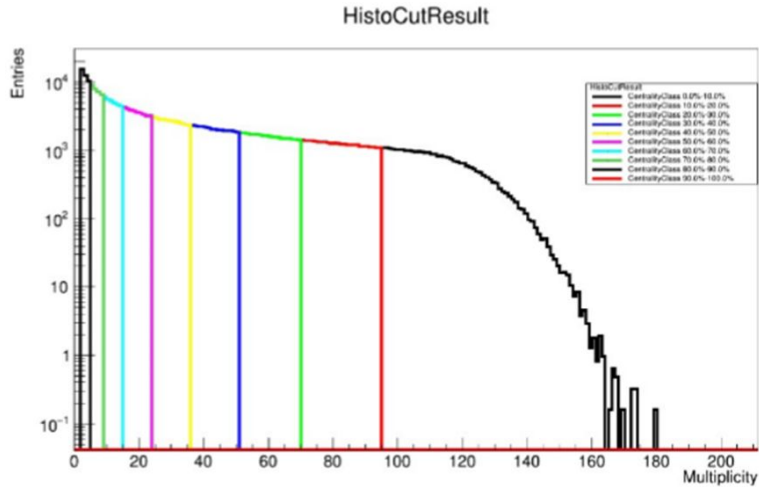
MC Glauber

Visual
Representation
of MC Glauber
Procedure

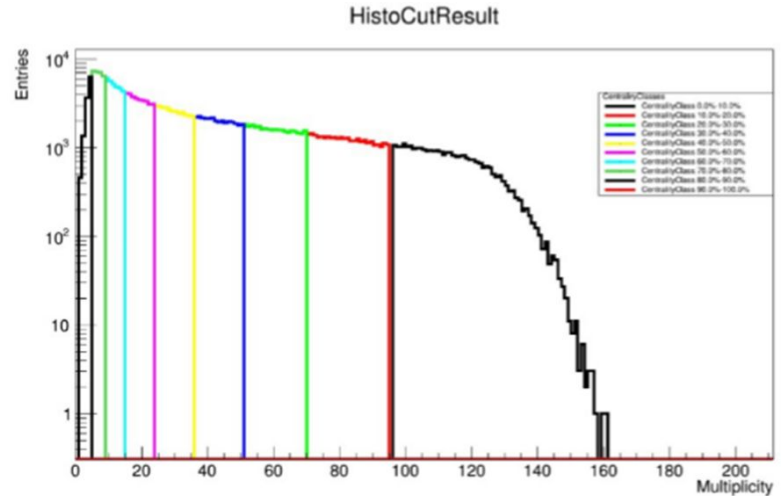


MC Glauber

Result obtain on MC Glauber are distribution divided by centrality classes, here are represented with different colors.



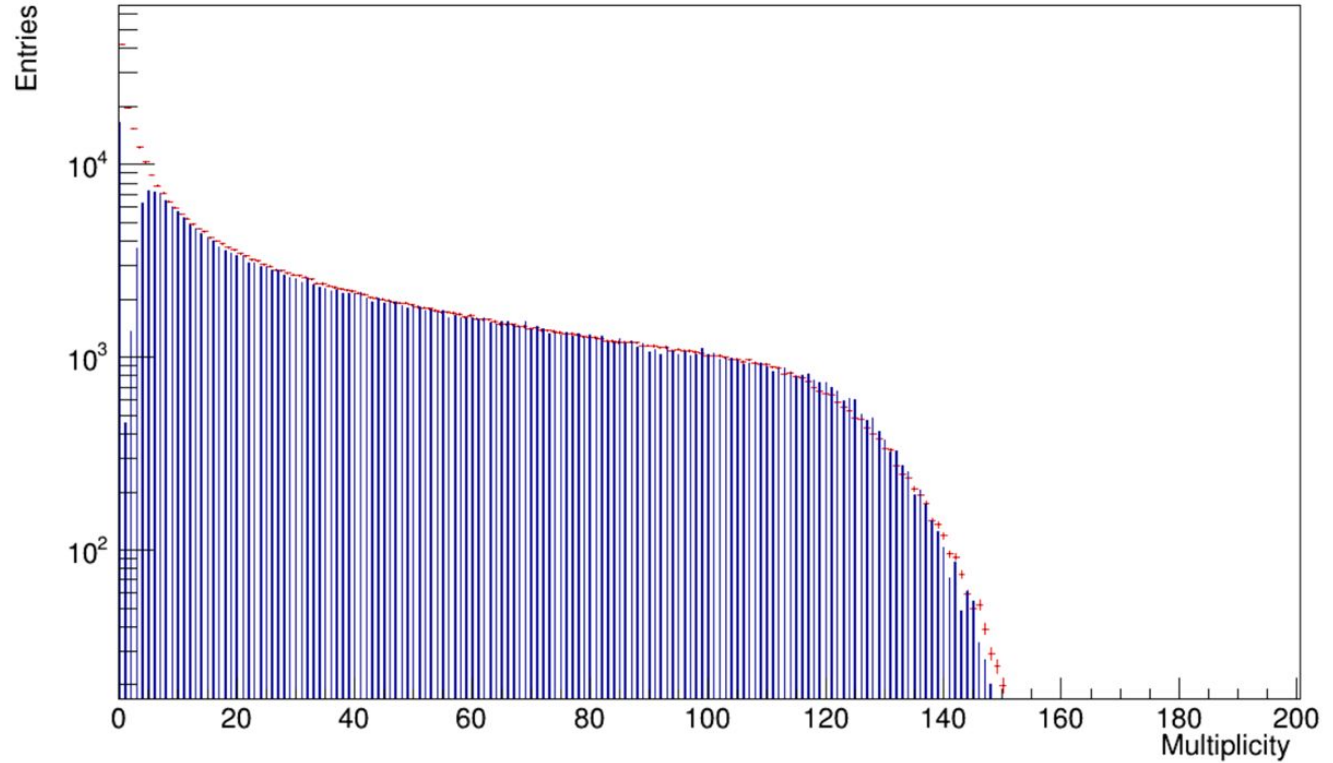
(a) Multiplicity fitted function



(b) Multiplicity input distribution

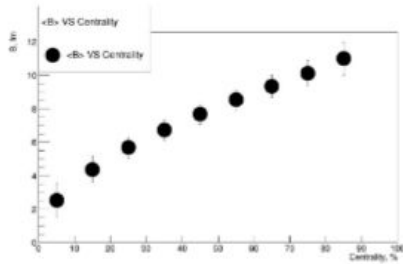
MC Glauber

Multiplicity

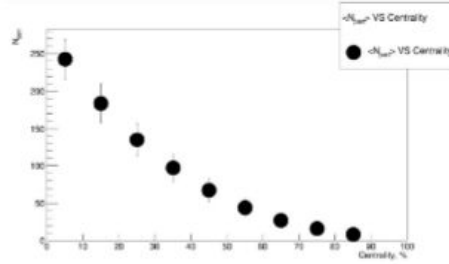


Multiplicity input
distribution and fitted
distribution on red.

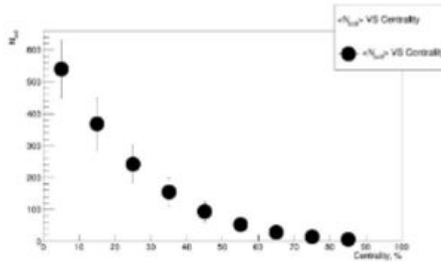
MC Glauber



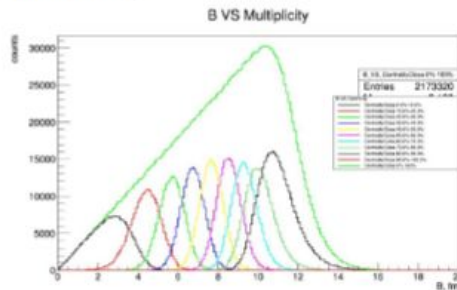
(a) Mean impact parameter vs Centrality



(b) Mean Number of participants vs Centrality



(c) Mean Number of collision vs Centrality



(d) Impact parameter divided by centrality Classes

Histograms divided on centrality classes.

Figure 16: Histograms divided by Centrality Classes

MC Glauber

Centrality, %	N_{ch}^{min}	N_{ch}^{max}	$\langle b \rangle$, fm	RMS	$\langle N_{part} \rangle$	RMS	$\langle N_{coll} \rangle$	RMS
0 - 10	95	164	2.54	1.00	242.75	26.44	539.73	88.76
10 - 20	70	95	4.37	0.76	183.50	26.19	367.84	79.38
20 - 30	51	70	5.69	0.63	134.96	21.54	241.37	59.12
30 - 40	36	51	6.74	0.59	97.33	17.96	154.42	43.75
40 - 50	24	36	7.68	0.59	67.38	14.84	93.66	31.25
50 - 60	15	24	8.55	0.61	43.96	11.82	52.81	20.86
60 - 70	9	15	9.35	0.66	27.27	9.01	28.33	13.12
70 - 80	5	9	10.11	0.78	16.04	6.73	14.59	8.12
80 - 90	2	5	10.99	0.99	8.23	4.74	6.60	4.77

Table of Multiplicity, Impact parameter, Number of participants and Number of colliders divided of Centrality classes

Centrality Determination: Gamma Fit

GammaFit and Multiplicity

First the GammaFit method to perform the adjustment takes a multiplicity distribution from a file ". root", this multiplicity distribution is opposes from the reconstructed data and applied to it the cuts obtained earlier.

Cuts:

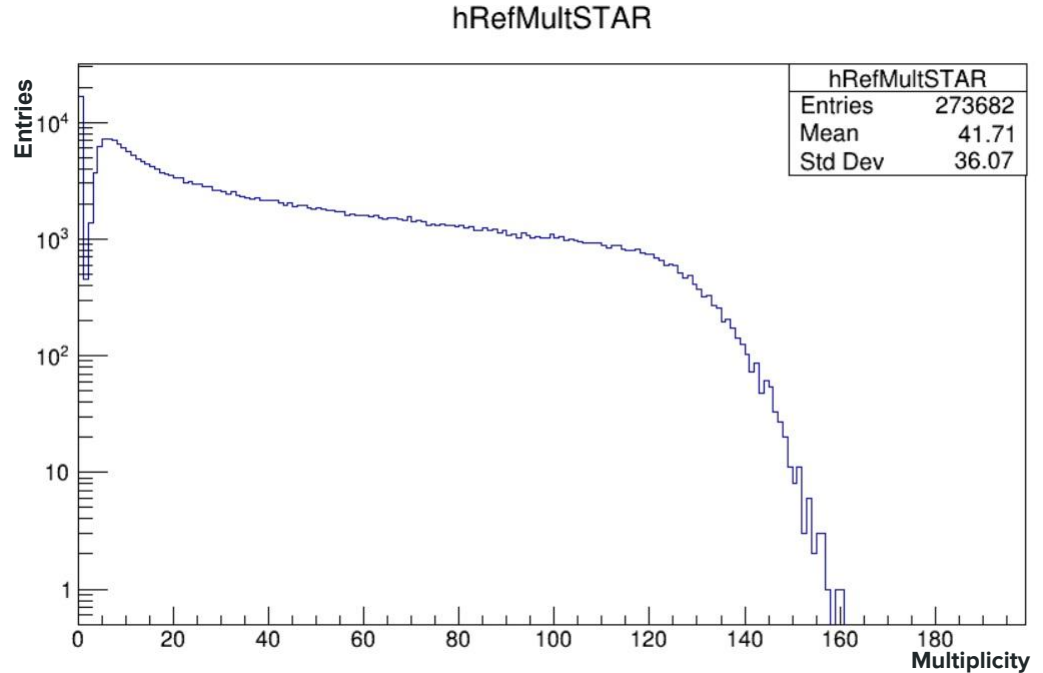
MCTracks > 308

Eta (-1 , 2)

DCA <= 2

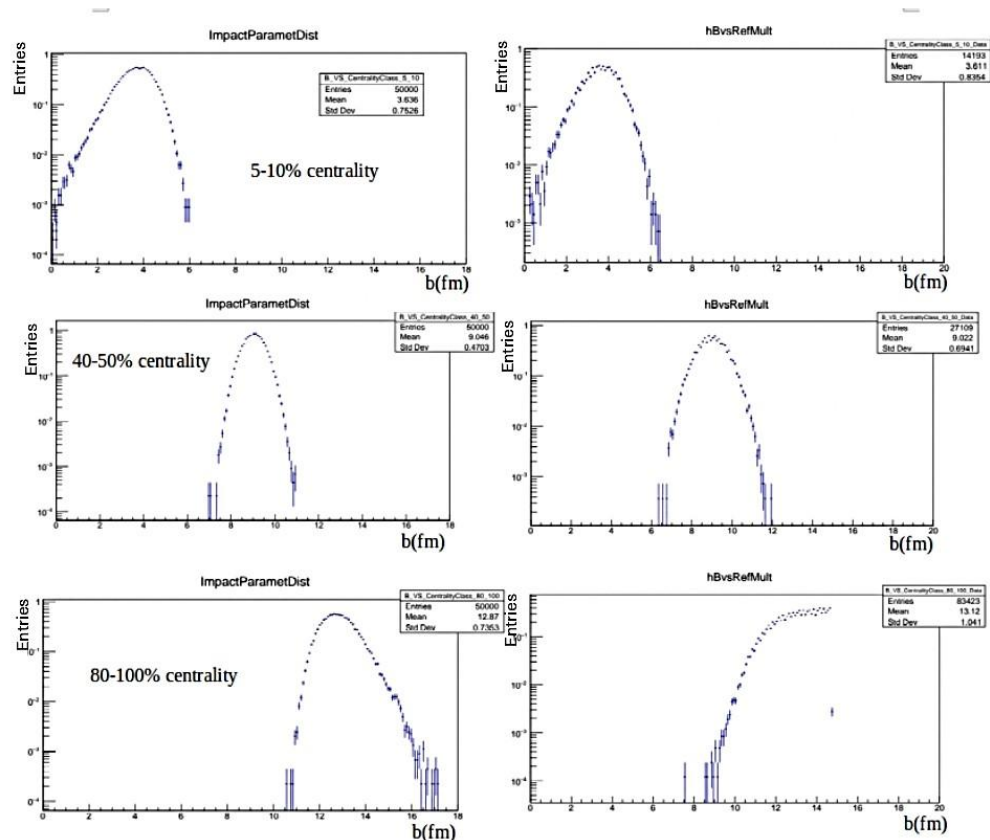
NHits => 20

b < 13

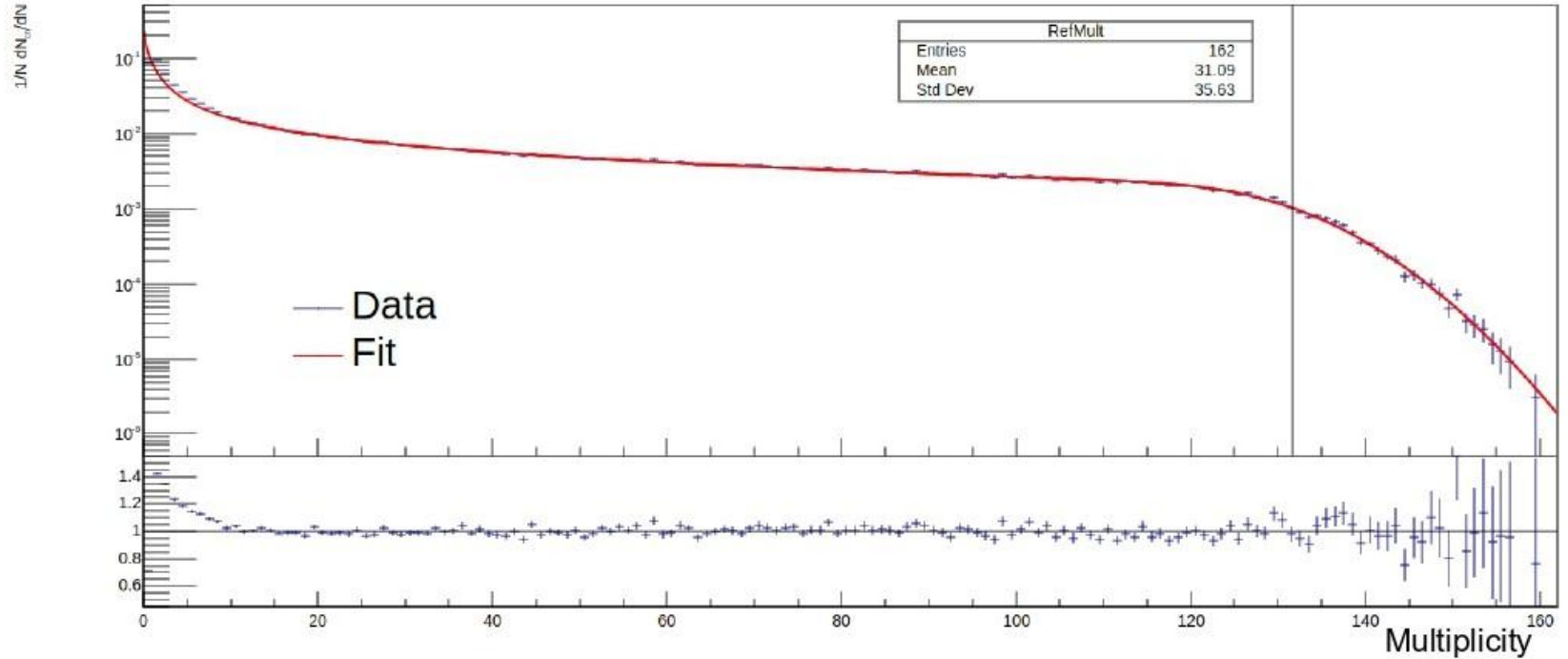


Extrapolation of impact parameter by centrality

The adjustment is made by extrapolating and reconstructing the impact parameter for different classes of centrality, comparing with the data that it extracts directly from the simulation, in this case from the generator UrQMD



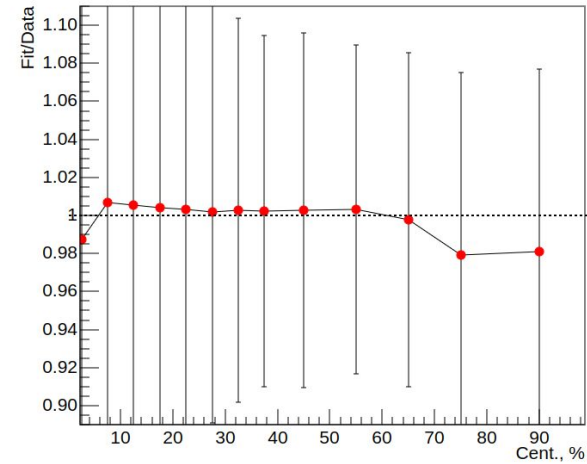
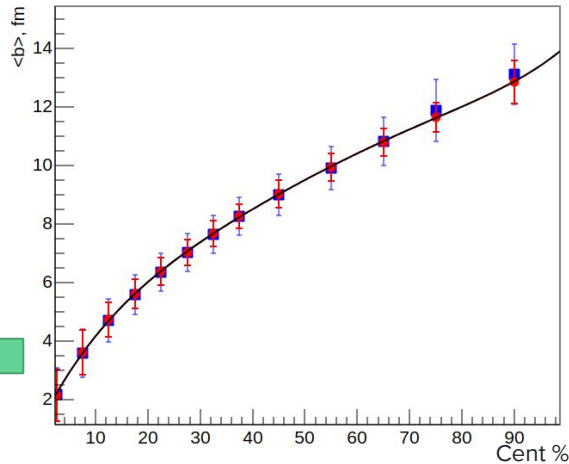
Adjustment of distribution



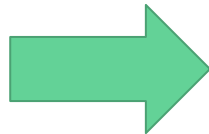
Then compare the adjustment from the reconstructed impact parameter with the input data as shown in the figure.

Comparison of impact parameter

Finally, the average of the impact parameter from the different classes of centrality is compared with the impact parameter extracted from the UrQMD



Parameter	Value
NDF	143
a1	-3.73
a2	0.164
a3	-2.84
χ^2	163.5
nknee	131.7
sigma	679.9
teta	0.647
χ^2/NDF	1.143111



In our case the Framework was configured so that all the adjustment is automatic, so at the end also the parameters used for the adjustment are extracted.

Multiplicity and impact parameter by centrality class

The Framework also gives us a table with the results of multiplicity and impact parameter by class of centrality

Centrality %	Multiplicity	Impact parameter
0-10	162-96	2.94-5.18
10-20	96-70	5.18-6.75
20-30	70-50	6.75-7.39
30-40	50-34	7.39-7.97
40-50	34-23	7.97-9.51
50-60	23-15	9.51-10.42
60-70	15-9	10.42-11.24
70-80	9-5	11.24-12.01
80-100	5-1	12.01-14.10

Comparison of MCGLauber and GammaFit methods

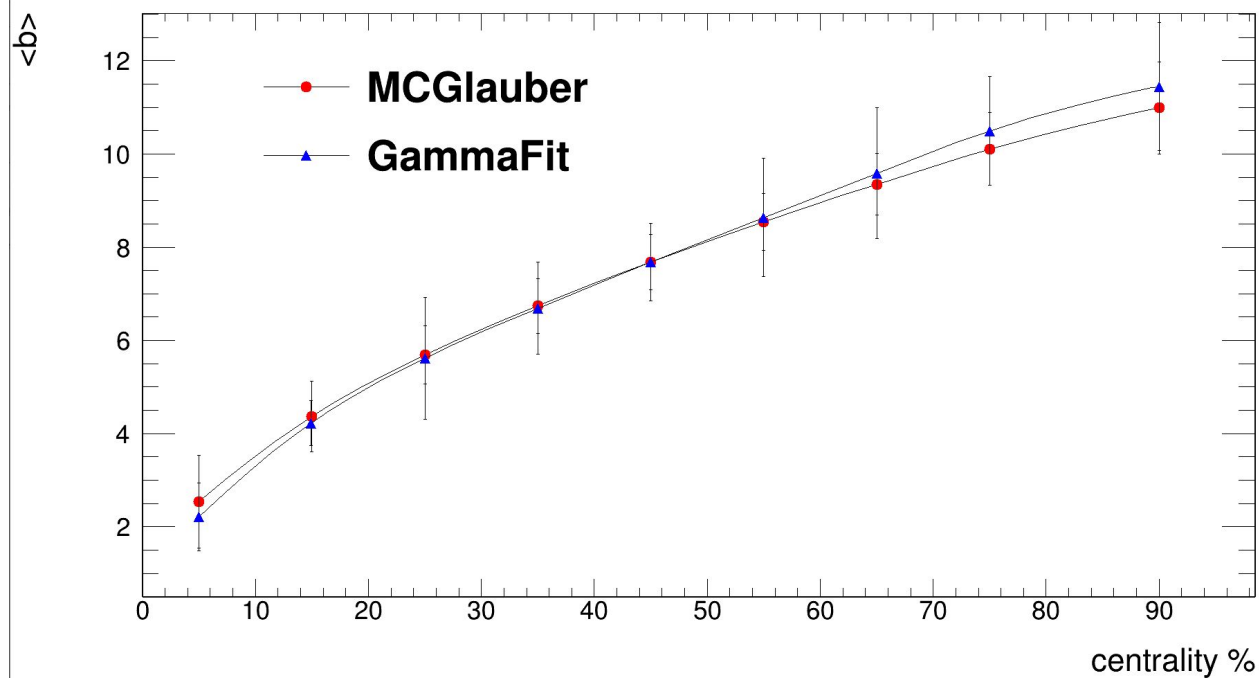
Comparison of multiplicity in centrality classes

Centrality, %	N_{chMC}^{min}	N_{chMC}^{max}	$N_{chGammaFit}^{min}$	$N_{chGammaFit}^{max}$	ΔN_{ch}^{min}	ΔN_{ch}^{max}
[0 - 10]	95	164	96	162	1	2
[10 - 20]	70	95	70	96	0	1
[20 - 30]	51	70	50	70	1	0
[30 - 40]	36	51	34	50	2	1
[40 - 50]	24	36	33	34	9	2
[50 - 60]	15	24	15	23	0	1
[60 - 70]	9	15	9	15	0	0
[70 - 80]	5	9	5	9	0	0
[80 - 90]	2	5	1	5	1	0

In the table, we compare the data of multiplicity and the difference that exists between the two different methods, noting that in multiplicity the two methods are proportional.

Primary Kaons pT (Reco/MC)

Centrality %	$\langle b_{MC\text{Glauber}} \rangle$	$\langle b_{\text{GammaFit}} \rangle$
0-10	2.54	2.21
10-20	4.37	4.7
20-30	5.69	5.62
30-40	6.74	6.4
40-50	7.68	7.68
50-60	8.55	8.24
60-70	9.35	9.02
70-80	10.11	10.84
80-100	10.99	11.63



The same comparison was made for the average of the impact parameter, it can be seen that there are hardly any differences between the two methods.

Track Efficiency

Track Efficiency

Efficiency:
$$Eff = \frac{p_T^{Reco}}{p_T^{MC}}$$

We divide Reconstructed pT Distributions over MC pT Distribution.

For Track Efficiency we are using MonteCarlo association

Accepted Reconstructed Tracks

From Track Selection:

MC Tracks > 308

Z-Vertex (-100,-70)

Eta (-1 , 2)

DCA <= 2

Number of Hits => 20

Impact Parameter b < 13

Montecarlo Tracks

Matching Reco Tracks selection:

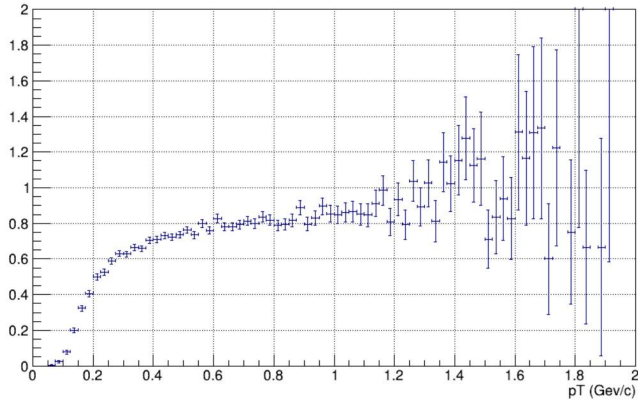
Z-Vertex (-100,-70)

Eta (-1 , 2)

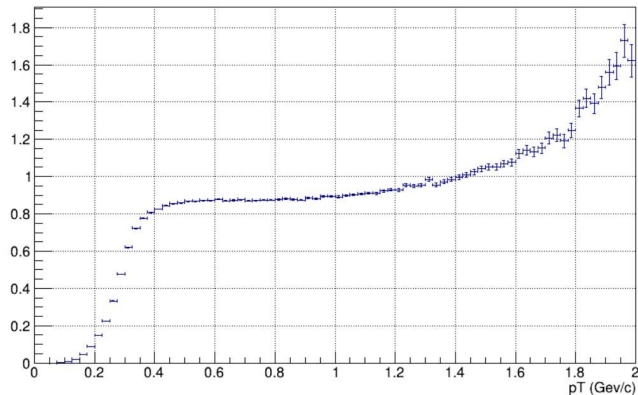
Impact Parameter b < 13

Track Efficiency: Primary Particles

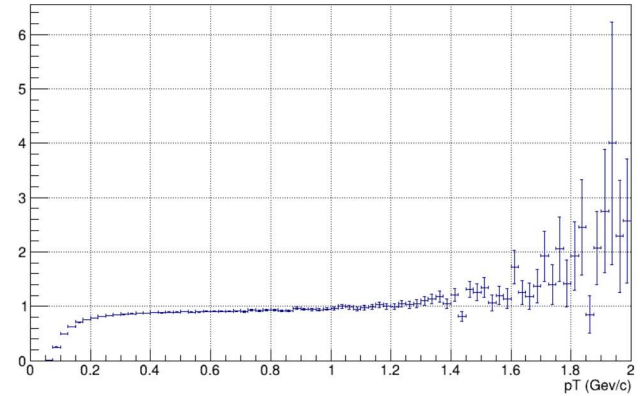
Primary_Kaons_pT_Division



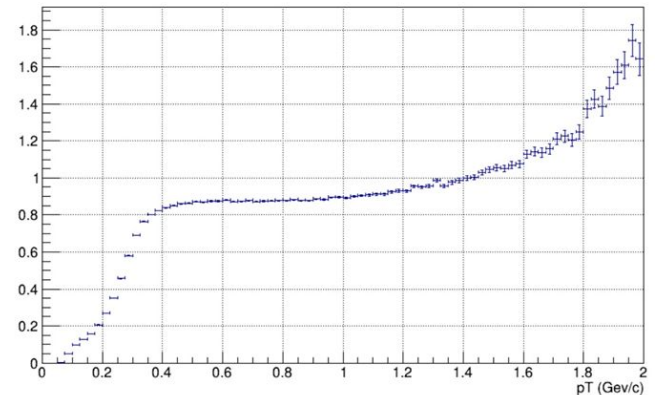
Primary_Protons_pT_Division



Primary_Pions_pT_Division



Primary_All_pT_Division

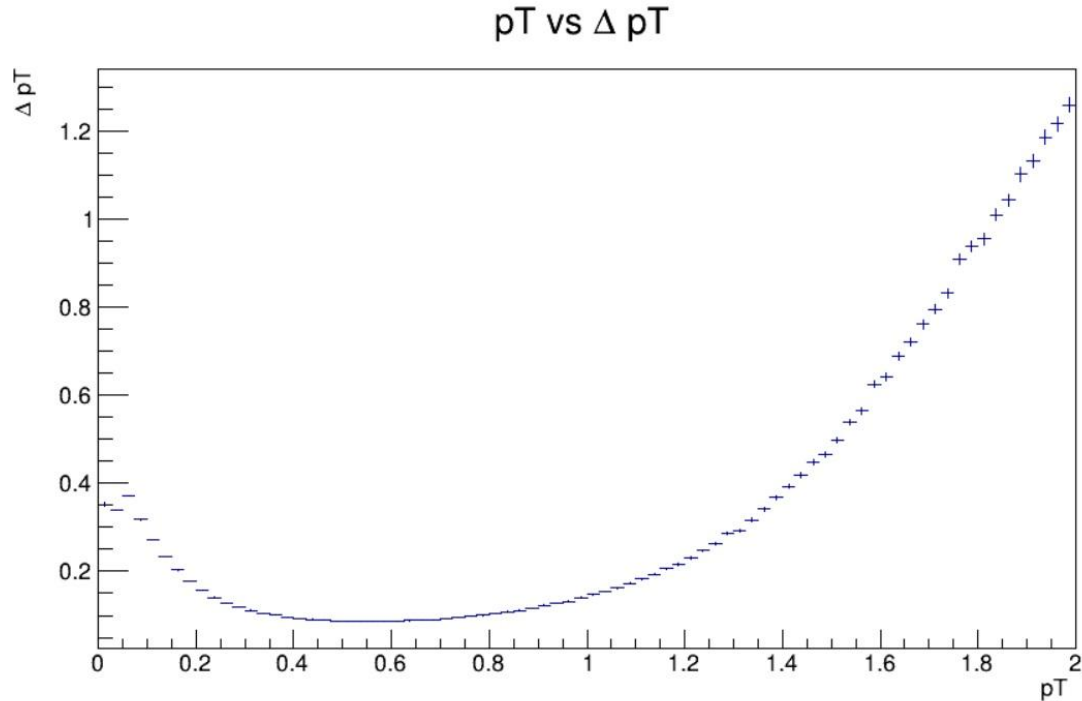


Efficiency stay below 1 till $p_T = 1$ GeV/c. For greater values of p_T reconstruction is not correct. This pattern is on protons as well.

For Kaons and Pions stays below 1 til $p_T = 1.2$ GeV/c.

Best Tracking Reconstruction is on $p_T < 1.2$ GeV/c

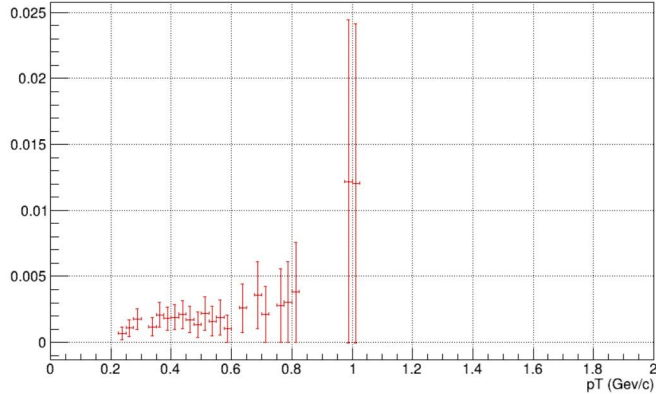
Track Efficiency



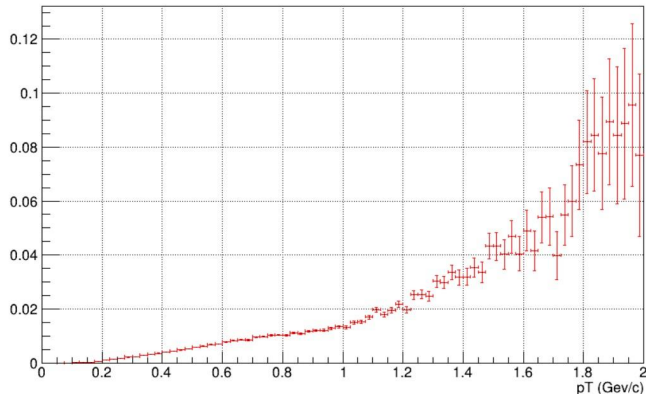
This pT value can be explain with transversal momentum distribution, here we can observe that pT has a lower resolution than 20% when pT values are below 1.2 GeV/c.

Track Efficiency: Secondary Particles

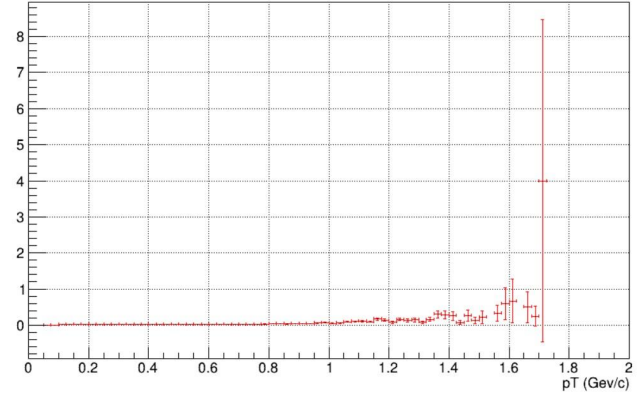
Secondary_Kaons_pT_Division



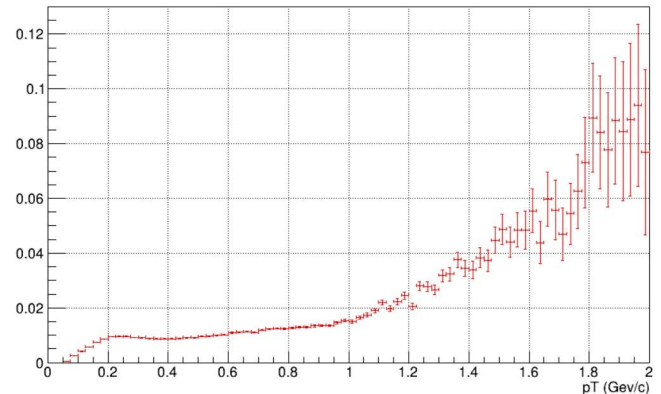
Secondary_Protons_pT_Division



Secondary_Pions_pT_Division



Secondary_All_pT_Division

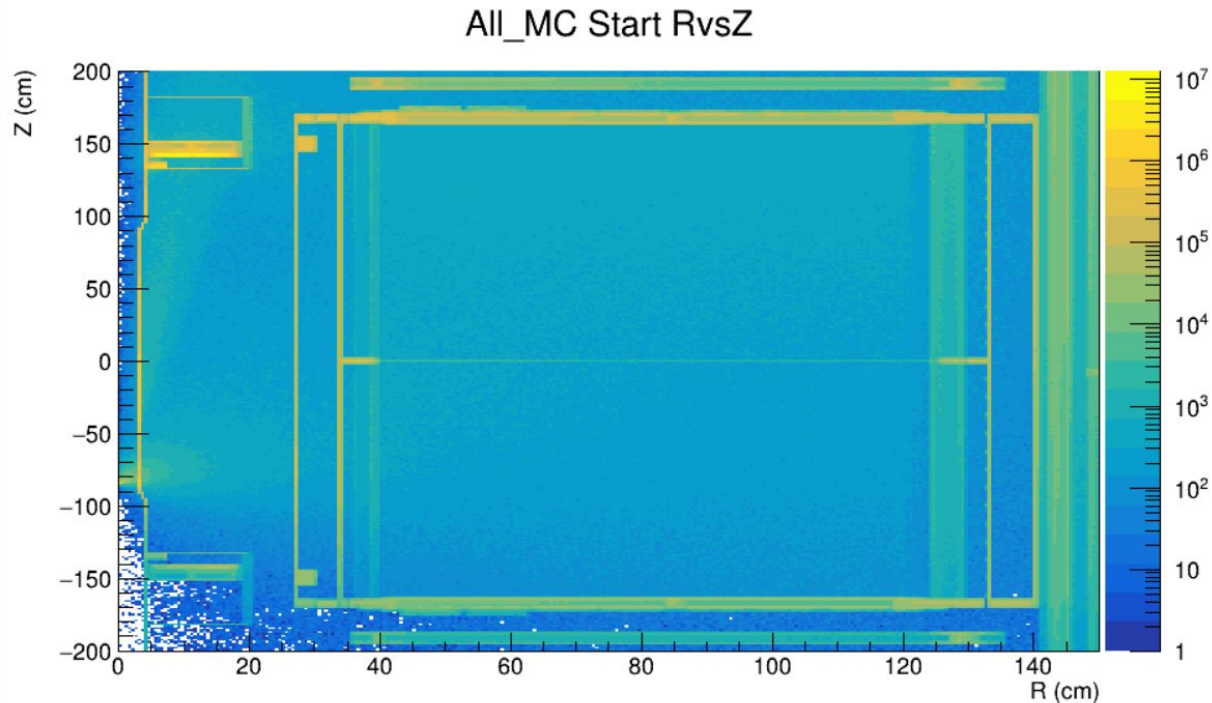


Efficiency is not done correctly, it should have a similar behavior as primary particles.

To explain this we take a look for starting point of secondary particles.

Track Efficiency

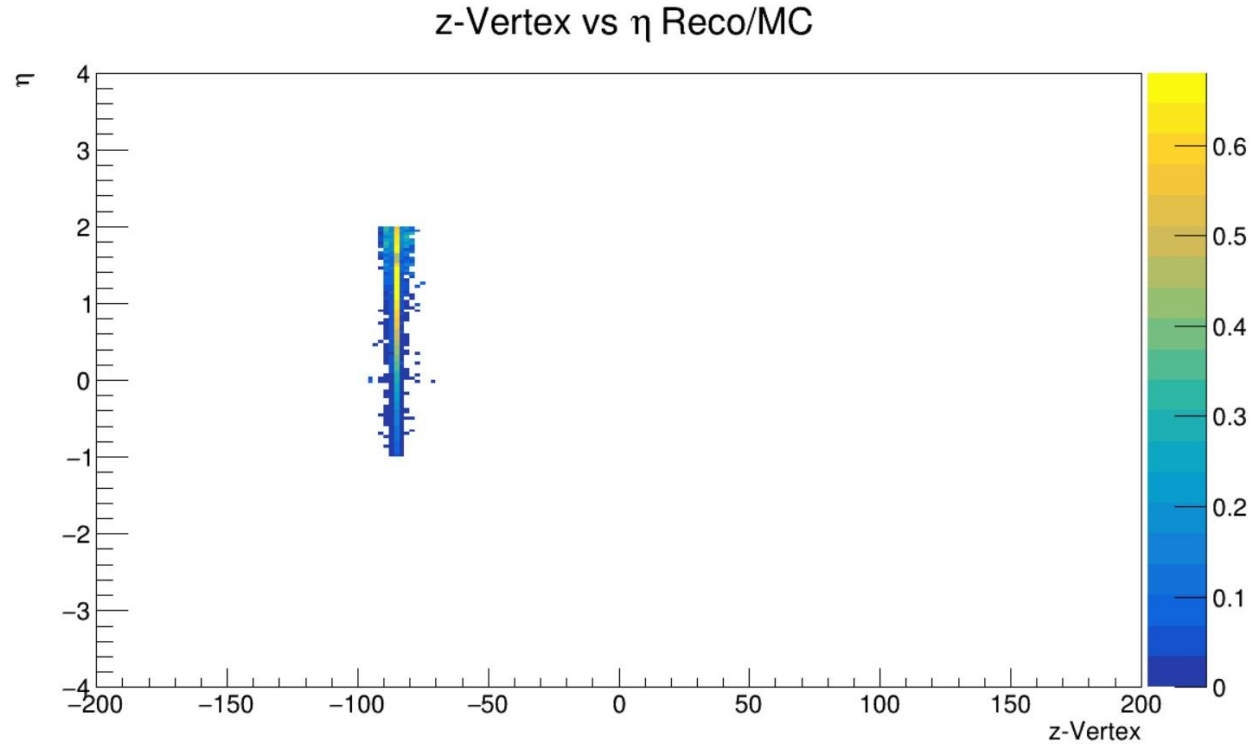
We can observed that most particles are being created on the edges of the detector, so reconstruction its not well done or particles won't collide with the detector and therefore we do not obtain enough reconstructed tracks



All Track Efficiency distribution are just preliminar work, improving them will be continue later on

Track Efficiency

This distribution gives Track Efficiency with respect to z-Vertex and pseudo rapidity, with this distribution we can perform an identification of centrality per event, using Centrality wagon of MpdRoot.



Particle Identification: Primary Particles.

Cuts on MC Tracks:

Eta (-1, 2)

Impact parameter $b < 13$

Cuts on Reco Tracks:

Eta (-1, 2)

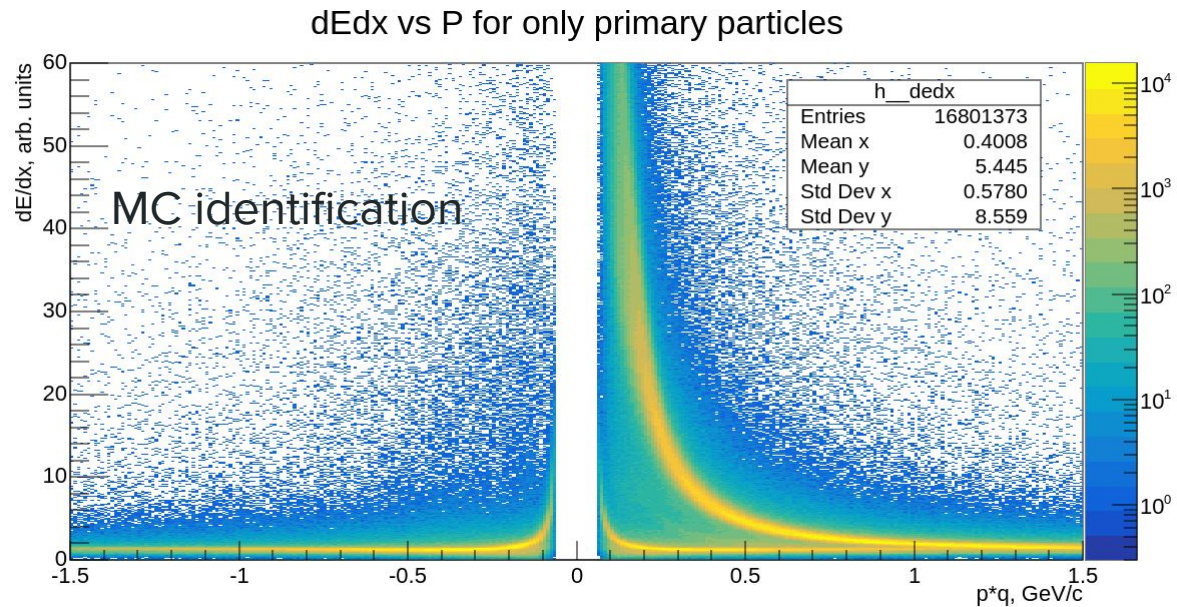
DCA ≤ 2

NHits $\Rightarrow 20$

Impact parameter $b < 13$

Loss energy

For particles identification, reconstructed data were used for energy loss histograms as function of the moment, using the cuts to have more limp distributions



Energy losses for different species of particles

Monte carlo identification is used to have energy loss distributions for different species of particles

Cuts on Reco Tracks:

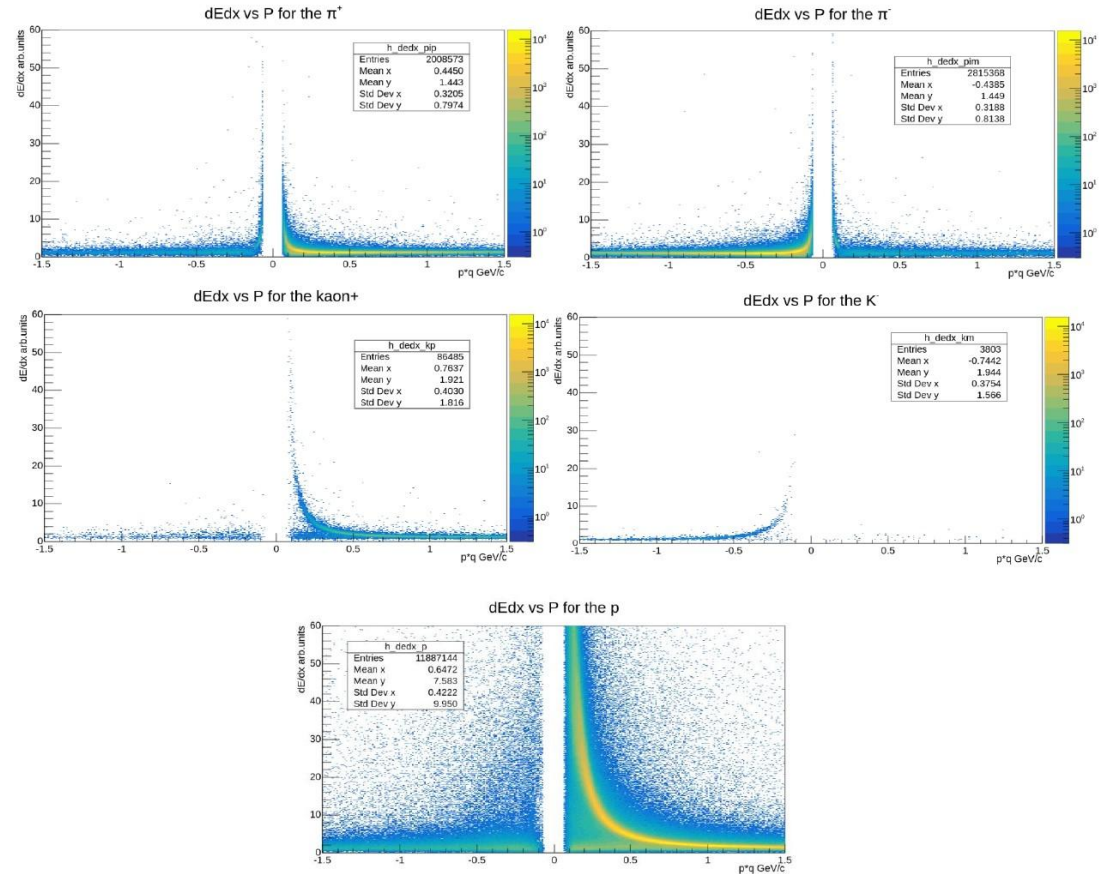
η (-1 , 2)

DCA \leq 2

NHits \Rightarrow 20

Impact parameter $b < 13$

MC identification



Mass²

The same way to the energy loss histograms were obtained mass² histograms

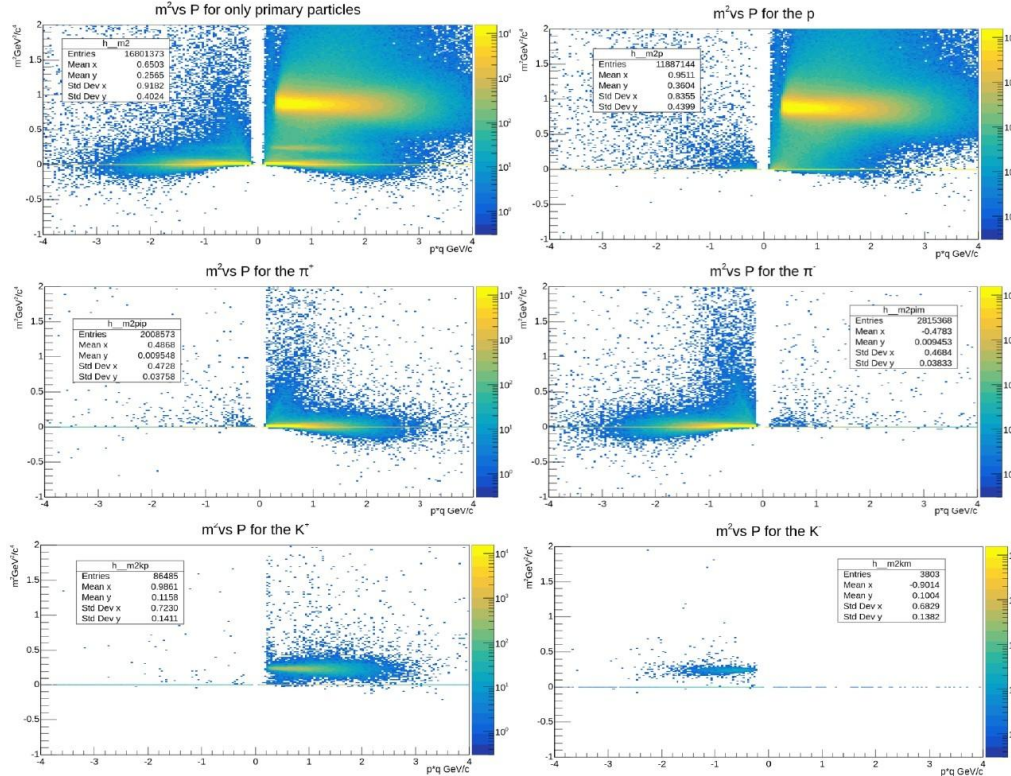
Cuts on Reco Tracks:

Eta (-1 , 2)

DCA <= 2

NHits => 20

Impact parameter b < 13



MC identification

Bethe Bloch equation

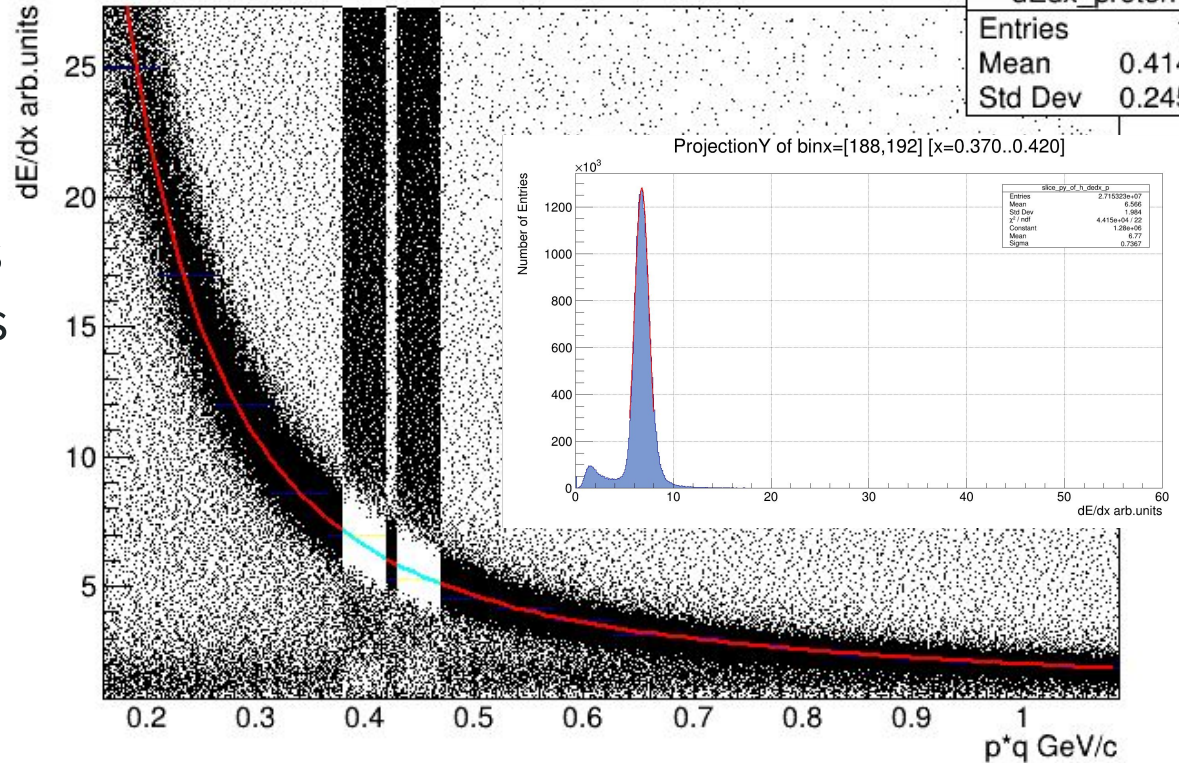
$$\frac{dE}{dx} = \frac{a_0}{\left(\frac{p}{E}\right)^{a_3}} \left(a_1 - \left(\frac{p}{E}\right)^{a_3} - \ln\left(a_2 + \left(\frac{m}{p}\right)^{a_4}\right) \right)$$

An adjustment was made using the Bethe Bloch equation, in order to describe the energy loss that different species of particles have when passing through the detector

Adjustment for power loss

dE/dx parameterization for the proton

dEdx_proton	
Entries	18
Mean	0.4149
Std Dev	0.2456

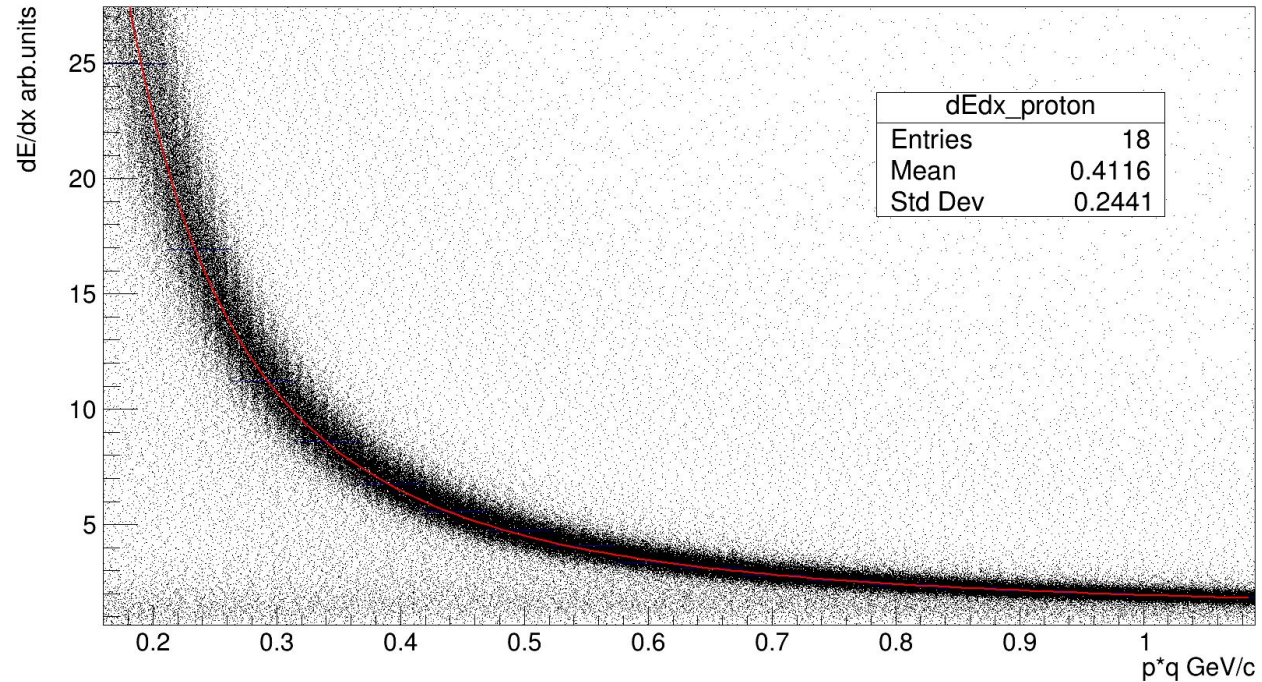


Projections on the Y-axis were used to create slices of 5 bins, to have 18 points where they adjusted Gaussians to find the mean value and their respective sigma

Adjustment for different species of particles

Adjustments were then made in the same way for protons, pions and kaons.

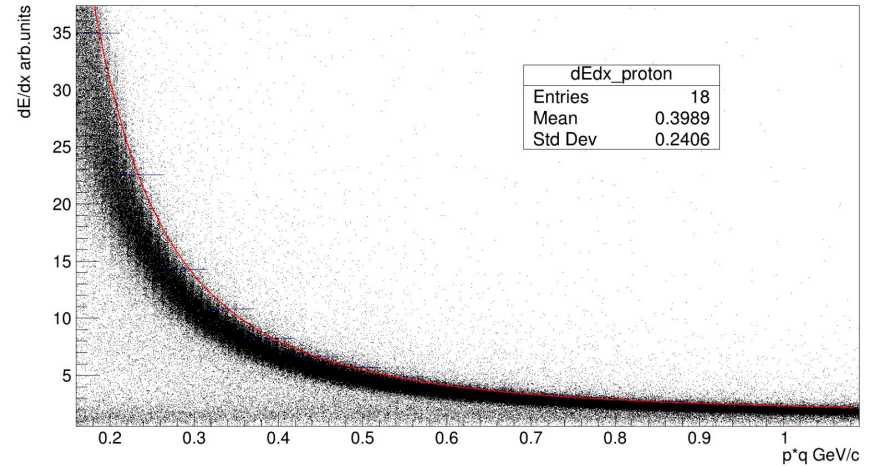
dE/dx parameterization for the p



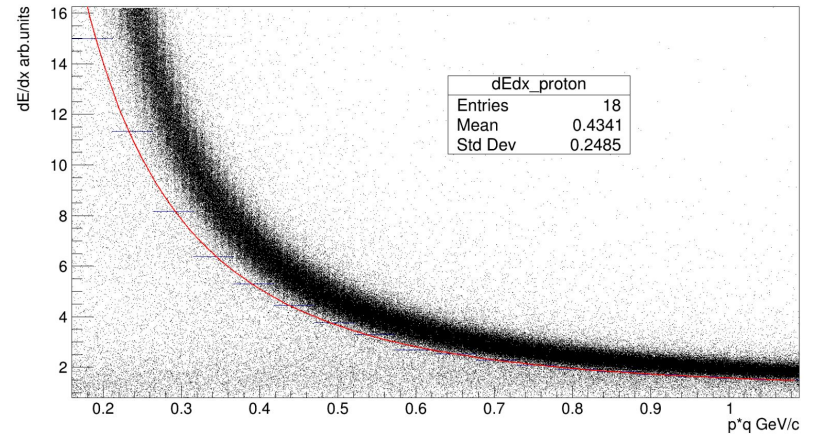
Mean and Sigmas value

With the mean value, first the value of its sigmas was added twice and the adjustment projected, then two sigmas were subtracted.

dE/dx parameterization for the proton



dE/dx parameterization for the proton



Parameters for the Bethe Bloch equation

By adjusting the mean value more than 2 times and less than 2 times the sigma, values are obtained for the Bethe Bloch equation for different species of particles.

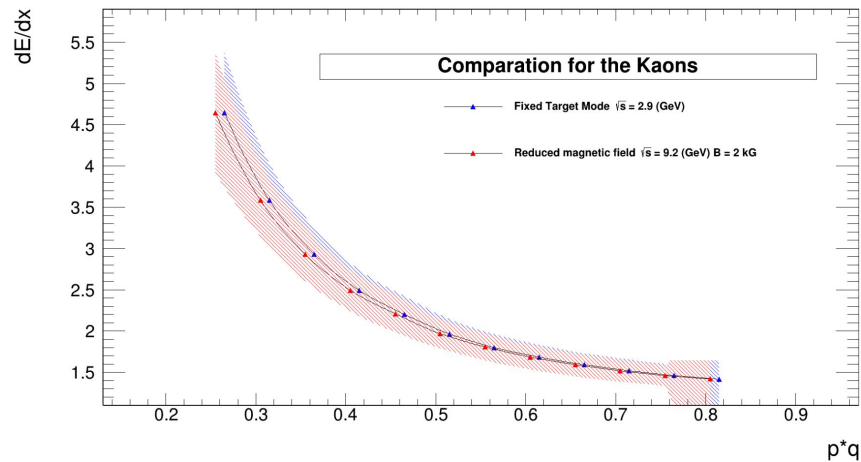
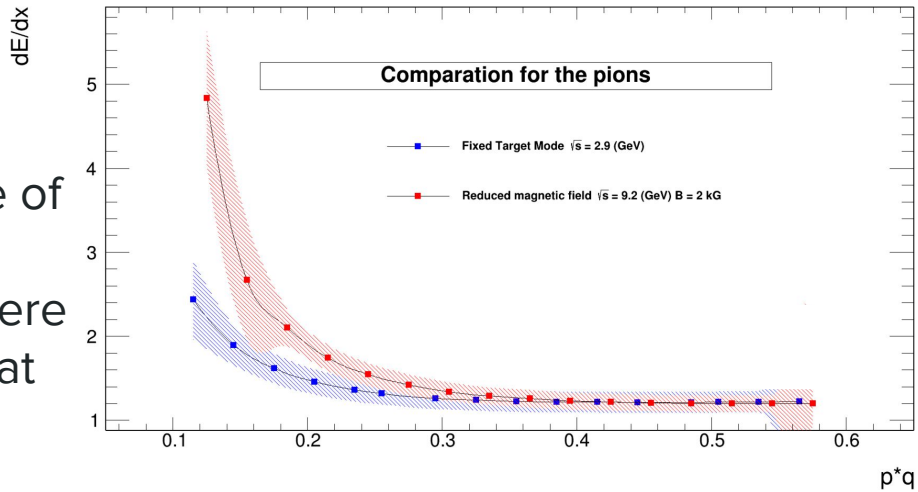
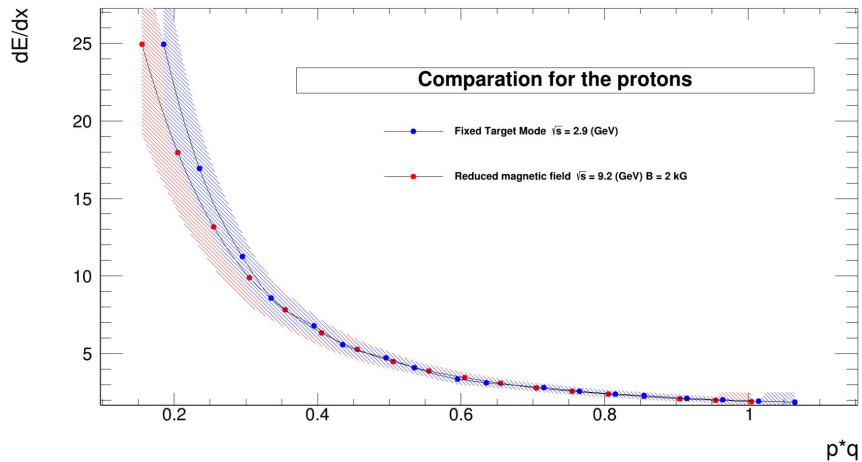
Parameter	p max	p min
p0	-1.3055	-1.338
p1	0.3812	0.8953
p2	1.4613	1.955
p3	1.521	0.7643
p4	1.502	2.4008

Parameter	π^+ max	π^+ min
p0	-0.694978	-0.4814
p1	-0.5444038	-0.6593
p2	-0.221145	-0.3791
p3	6.0991	6.8815
p4	-0.380694	-0.3162

Parameter	K^+ max	K^+ min
p0	-0.954	-1.1444
p1	-0.0273	0.4036
p2	0.8683	1.2918
p3	2.395	1.2918
p4	0.60565	2.9028

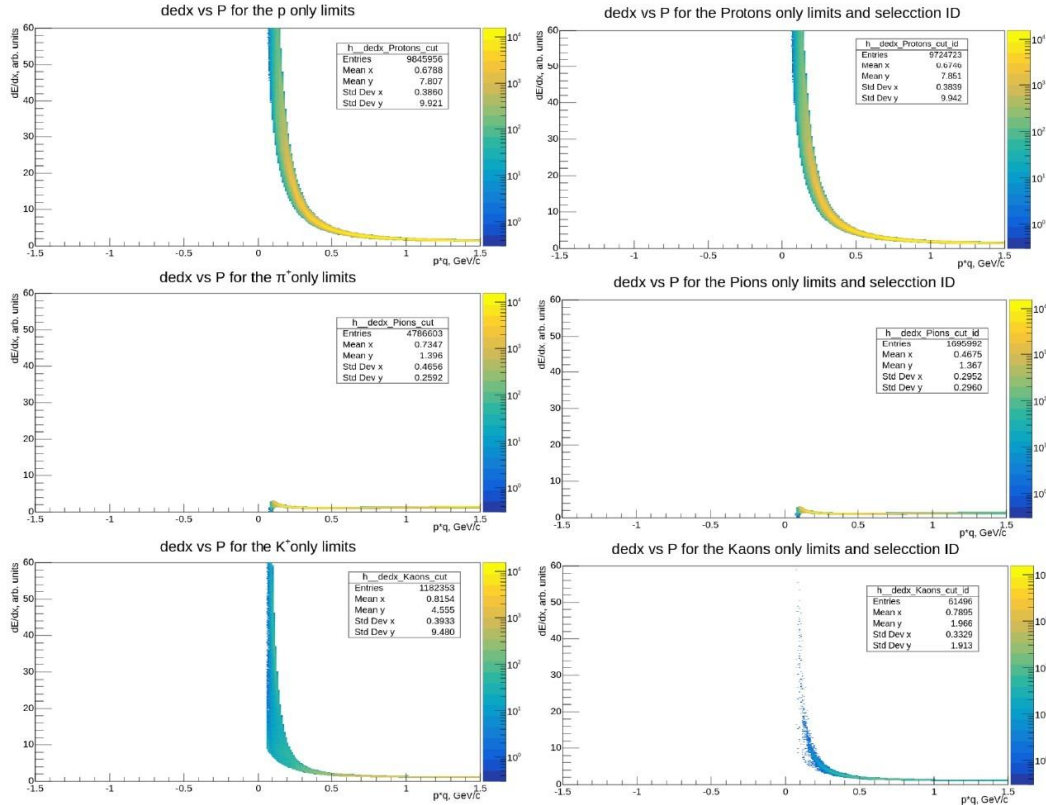
Comparison with reduced magnetic field

The adjustments were compared with those of the reduced magnetic field of my colleague Alejandro San Juan, noting that at low p_T there are more notable differences for pions, but at higher p_T have to follow the same energy losses



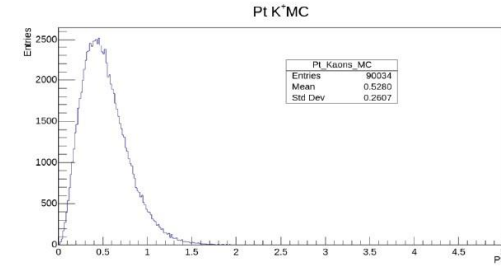
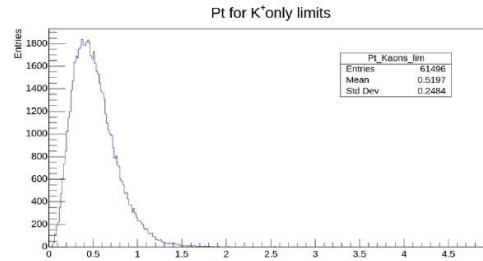
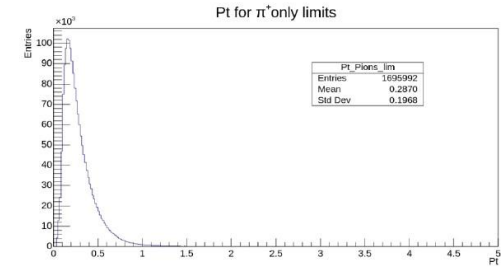
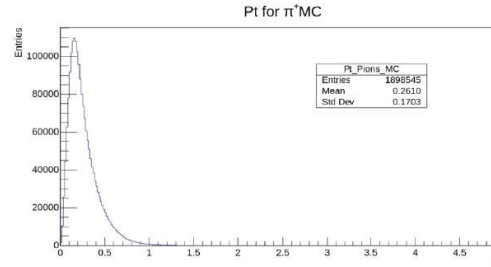
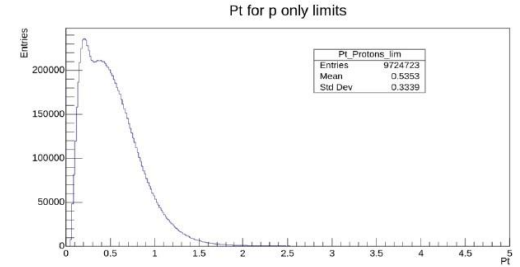
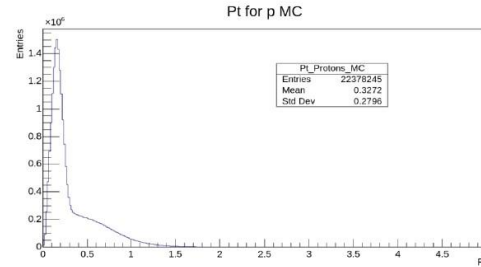
Comparison with limits and with limits and MC identification

With the adjustments of the mean value and sigma were used to restrain the entry of particles and compared with histograms with the cuts and with MC identification.



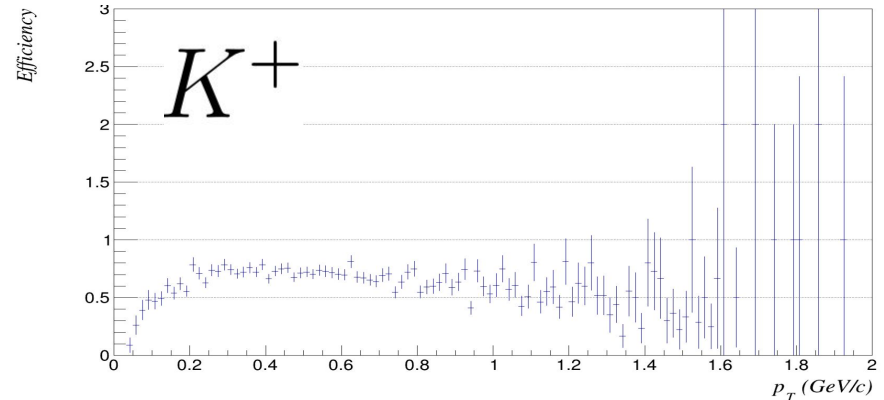
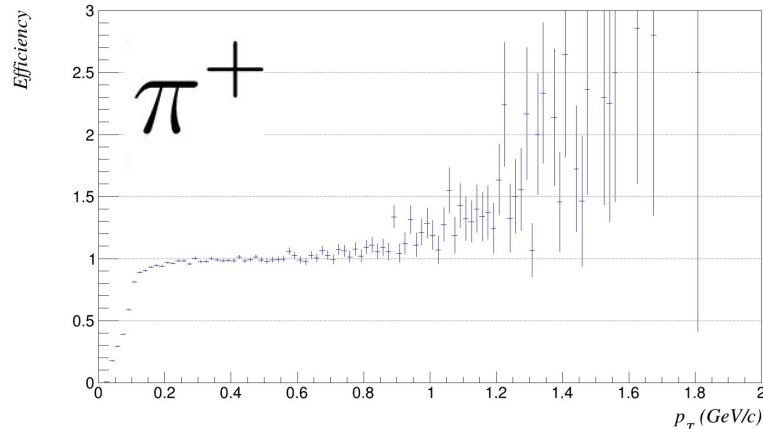
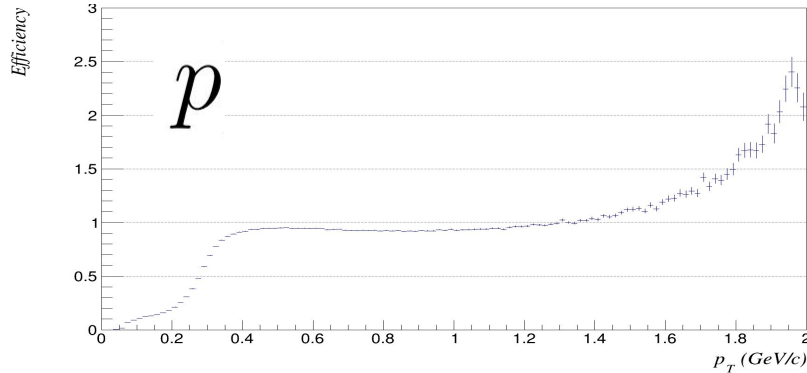
pT Rec and pT MC

With the same section that was made for energy loss selecting limits of mean value and two sigmas pT histograms were obtained for reconstructed, also pT histograms were obtained with MC data



pT Rec and pT MC

In order to verify that the selection of particles was as good, pT efficiency histograms were obtained for pions, protons and kaons



Future work

In the future it is planned to continue working with the collaboration:

- **Making adjustments for energy losses for more particles (antipiones and antikaon)**
- **Identification for the masses**
- **Adding studies for centrality by species of particles using PID**

Thank you for your attention

Спасибо, до встречи

Appendix: Code

```
//MonteCarlo Loop
for (Int_t i = 0; i < NumTracksMC; i++){
    MpdMCTrack *MCTrack = (MpdMCTrack*)fMCTracks->UncheckedAt(i);

    Int_t abspdgcode;
    Double_t pTMC;
    Double_t P;
    Double_t Pz;
    Double_t Eta;

    abspdgcode = TMath::Abs(MCTrack->GetPdgCode());

    pTMC = MCTrack->GetPt();
    P = MCTrack->GetP();
    Pz = MCTrack->GetPz();
    Eta = 0.5*TMath::Log((P + Pz)/(P - Pz));

    if (abspdgcode == 321 || abspdgcode == 2212 || abspdgcode == 211 || abspdgcode == 11)// kaons, protons, pions, electrons
    {
        if (pTMC <= 2.5 && MCTrack->GetMotherId() == -1 && Impactb < 13 && Eta > -1 && Eta < 2)
        { //Matching cuts of RecoTracks
            MC_pT->Fill(pTMC);
            HisMCPT->Fill(pTMC);
            ZVertex_Eta_MC->Fill(ZReco,Eta);
        }
    }

    if (abspdgcode == 321 || abspdgcode == 2212 || abspdgcode == 211)// kaons, protons, pions
        CounterMC++; //Counting the number of kaones, protons and pions
    }
}
```

```
if (Impactb < 13 && Eta_Reco > -1 && Eta_Reco < 2 && DCA <= 2 && NumHits >= 20 )
{ //Impact Parameter Cut
    Prof3D[p][3]->Fill(Eta_Reco,Pt_Reco,Diff_Pt);
    Prof3D[2][3]->Fill(Eta_Reco,Pt_Reco,Diff_Pt);
    Multiplicity++;

    HistMCPSkpPi1[0][p][1][0]->Fill(Pt_MC);
    HistMCPSkpPi1[1][p][1][0]->Fill(Pt_Reco);
    HistMCPSkpPi1[0][p][3][0]->Fill(Pt_MC);
    HistMCPSkpPi1[1][p][3][0]->Fill(Pt_Reco);

    Prof_2D_Ntracks_zVertex_cuts->Fill(ZReco,NumTracksVertex,DzVertex);
    ZVertex_Eta_R->Fill(ZReco,Eta_Reco);
    pT_DiffpT_Reco_cuts->Fill(Pt_Reco,Diff_Pt);

    if (Pt_Reco <= 2.5)
    {
        HisRecoPT->Fill(Pt_Reco);
        Reco_pT->Fill(Pt_Reco);
    }
}
//Fill Multiplicity cuts on b, eta, DCA, NHits
hRefMult->Fill(Multiplicity);
hBvsRefMult->Fill(Multiplicity,Impactb);
```

Appendix: Code

```
if (ZReco > -100 && ZReco < -70)//Cut on Primary Vertex
{
  if (Impactb < 13 && Eta_Reco > -1 && Eta_Reco < 2 && DCA <= 2 && NumHits >= 20 )
  { //Impact Parameter Cut
    Multiplicity++;

    if(Pt_MC == 0) continue;
    HistMCPSKpPi1[1][p][1][0]->Fill(Pt_Reco);
    HistMCPSKpPi1[1][p][3][0]->Fill(Pt_Reco);

    Dpt_pt_Multi_Profile_cuts->Fill(Pt_Reco,Diff_Pt);
  }
}
}
DZVertex_zVertex->Fill(ZReco,DzVertex);
DZVertex_Multi->Fill(Multiplicity,DzVertex);
DZVertex_Multi_Profile->Fill(Multiplicity,DzVertex);
zVertex_b->Fill(ZReco,Impactb);
}
```

```
Division[0][j][1][k] = new TH1F(hist_name , title_name , HistMCPSKpPi1_bins[k].X , HistMCPSKpPi1_inter[k].Xlow , HistMCPSKpPi1_inter[k].Xup );
Division[0][j][1][k]->Divide(HistMCPSKpPi1[1][j][1][k],HistMCPSKpPi1[0][j][1][k]);
Division[0][j][1][k]->SetOption("E1");
```

Appendix: Code

```
int ntrmc = mMCTracks -> GetEntries();
for (long int i = 0; i < ntrmc; i++) {

    MpdMCTrack* mctrack = (MpdMCTrack*) mMCTracks -> At(i);           // Monte Carlo track is open for reading

    int   pdg           = mctrack -> GetPdgCode();                   // Track PDG code
    int   prodId        = mctrack -> GetMotherId();                 // Track primacy: -1 = primary, any other = secondary
    float rapidity_mc   = mctrack -> GetRapidity();                 // Particle rapidity (CAN BE WRONG!!!)
    float pt_mc         = mctrack -> GetPt();                       // Particle transverse momentum
    float p_mc          = mctrack -> GetP();                       // Particle full momentum
    float pz_mc         = mctrack -> GetPz();                     // Particle momentum z-component

    Double_t Eta_MC = 0.5 * TMath::Log((p_mc + pz_mc) / (p_mc - pz_mc + 1e-16));

    //if (Impactb < 13 && Z > -100 && Z < -75 && Eta_MC < 2 && Eta_MC > -1 ){
    if (Impactb < 13 && Eta_MC < 2 && Eta_MC > -1 ){

        if( mctrack -> GetMotherId() != -1)continue;

        if (pdg == 2212)
        {
            //Proton (p)
            pt_protones_mc-> Fill (pt_mc);
        }
        }else if (pdg == 321)
        {
            //Kaonplus (kp)
            pt_kaones_mc-> Fill (pt_mc);
        }
        }else if (pdg == 211)
        {
            //pionplus (pip)
            pt_piones_mc-> Fill (pt_mc);
        }
        }
    }
}
} //mc
```

Appendix: Code

```
int ntr = mKalmanTracks -> GetEntries();
for (long int i = 0; i < ntr; i++) {
  MpdTrack*mpdtrack = (MpdTrack*) mMpdGlobalTracks->UncheckedAt(i); // Global track
  MpdTpcKalmanTrack *kftrack = (MpdTpcKalmanTrack*) mKalmanTracks->UncheckedAt(i); // The corresponding TPC Kalman track is also used
  int kfcharge = kftrack -> Charge(); // for the charge
  double p = kftrack -> Momentum3().Mag() * kfcharge; // full momentum and
  double dedx = kftrack -> GetDedx(); // dE/dx information
  float pt_recon = mpdtrack -> GetPt();

  int mcId = kftrack -> GetTrackID(); // MpdTpcKalmanTrack::GetTrackID() gives the ID of the corresponding Monte Carlo track
  MpdMCTrack* mctrack = (MpdMCTrack*) mMCTracks -> At(mcId); // Monte Carlo track is open for reading
  int pdg = mctrack -> GetPdgCode(); // Track PDG code
  int prodId = mctrack -> GetMotherId(); // Track primacy: -1 = primary, any other = secondary

  if(mctrack -> GetMotherId() != -1) continue; //primary tracks
  //if(RECOMID == 2 && mctrack -> GetMotherId() != -1) continue; //secondary tracks
}
```


Appendix: Code

```
Double_t proton_min = ((-1.33806) / TMath::Power(p / TMath::Sqrt(p * p + 0.88), (0.76431))) * ( ( (0.895334) - TMath::Power(p / TMath::Sqrt(p * p + 0.88), (0.76431))) - (TMath::Log((1.95555) + TMath::Power(p / TMath::Sqrt(p * p + 0.88), (1.52176))) - (TMath::Log((1.46136) + TMath::Power(p / TMath::Sqrt(p * p + 0.88), (1.52176)))))) * ( ( (0.381237) - TMath::Power(p / TMath::Sqrt(p * p + 0.88), (1.52176))) - (TMath::Log((1.46136) + TMath::Power(p / TMath::Sqrt(p * p + 0.88), (1.52176)))))) * ( ( (0.381237) - TMath::Power(p / TMath::Sqrt(p * p + 0.88), (1.52176))) - (TMath::Log((1.46136) + TMath::Power(p / TMath::Sqrt(p * p + 0.88), (1.52176))))))
```

```
Double_t pi_max = ((-0.694978) / TMath::Power(p / TMath::Sqrt(p * p + 0.01949), 6.0991)) * ( ( (-0.544038) - TMath::Power(p / TMath::Sqrt(p * p + 0.01949), 6.0991)) - (TMath::Log((-0.221145) + TMath::Power(p / TMath::Sqrt(p * p + 0.01949), 6.0991))) - (TMath::Log((-0.37918) + TMath::Power(p / TMath::Sqrt(p * p + 0.01949), 6.0991)))) * ( ( (-0.65936) - TMath::Power(p / TMath::Sqrt(p * p + 0.01949), 6.88153))) - (TMath::Log((-0.37918) + TMath::Power(p / TMath::Sqrt(p * p + 0.01949), 6.88153)))) * ( ( (-0.65936) - TMath::Power(p / TMath::Sqrt(p * p + 0.01949), 6.88153))) - (TMath::Log((-0.37918) + TMath::Power(p / TMath::Sqrt(p * p + 0.01949), 6.88153))))
```

```
Double_t kaon_max = ( (-0.954003) / TMath::Power(p / TMath::Sqrt(p * p + 0.2437), (2.39503))) * ( ( (-0.0273105) - TMath::Power(p / TMath::Sqrt(p * p + 0.2437), (2.39503))) - (TMath::Log((0.868322) + TMath::Power(p / TMath::Sqrt(p * p + 0.2437), (0.119658)))) * ( ( (0.403622) - TMath::Power(p / TMath::Sqrt(p * p + 0.2437), (0.119658))) - (TMath::Log((1.29185) + TMath::Power(p / TMath::Sqrt(p * p + 0.2437), (0.119658)))))) * ( ( (0.403622) - TMath::Power(p / TMath::Sqrt(p * p + 0.2437), (0.119658))) - (TMath::Log((1.29185) + TMath::Power(p / TMath::Sqrt(p * p + 0.2437), (0.119658))))))
```

Appendix: Code

```
if (Impactb < 13 && Eta_Reco > -1 && Eta_Reco < 2 && DCA <= 2 && NumHits >= 20 ){ //Cuts

    if (dedx >=proton_min && dedx<=proton_max ){
        dedx_protonescut -> Fill(p, dedx);
        ptcut_protones -> Fill (pt_recon);
    }

    if (dedx >=pi_min && dedx<=pi_max ){
        dedx_pionescut -> Fill(p, dedx);
        ptcut_piones -> Fill (pt_recon);
    }

    if (dedx >=kaon_min && dedx<=kaon_max ){
        dedx_kaonescut -> Fill(p, dedx);
        ptcut_kaones -> Fill (pt_recon);
    }

    h_dedx -> Fill(p, dedx);
    h_m2 -> Fill(p, mpdtrack -> GetTofMass2());
```

Appendix: Code

```
    if (pdg == 2212)
    {
        //Proton (p)
        h_dedx->Fill(p, dedx);
        h_m2p -> Fill(p, mpdtrack -> GetTofMass2());
        if (dedx >=proton_min && dedx<=proton_max ){
            iddedx_protonescut -> Fill(p, dedx);
            idptcut_protones -> Fill (pt_recon);
        }
    }
}else if (pdg == 321)
{
    //Kaonplus (kp)
    h_dedxkp->Fill(p, dedx);
    h_m2kp -> Fill(p, mpdtrack -> GetTofMass2());
    if (dedx >=kaon_min && dedx<=kaon_max ){
        iddedx_kaonescut -> Fill(p, dedx);
        idptcut_kaones -> Fill (pt_recon);
    }
}
}else if (pdg == -321)
{
    //Kaonminus (km)
    h_dedxkm->Fill(p, dedx);
    h_m2km -> Fill(p, mpdtrack -> GetTofMass2());
}
}else if (pdg == 211)
{
    //pionplus (pip)
    h_dedxpip->Fill(p, dedx);
    h_m2pip -> Fill(p, mpdtrack -> GetTofMass2());
    if (dedx >=pi_min && dedx<=pi_max ){
        iddedx_pionescut -> Fill(p, dedx);
        idptcut_piones -> Fill (pt_recon);
    }
}
}else if (pdg == -211)
{
    //pionminus (pim)
    h_dedxvim->Fill(p, dedx);
    h_m2vim -> Fill(p, mpdtrack -> GetTofMass2());
}
}

//} //kalman
} //cuts recos
```