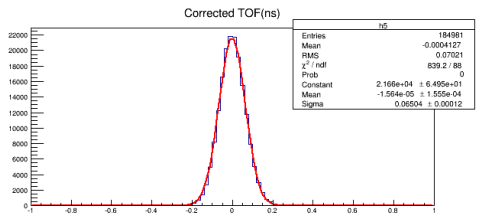
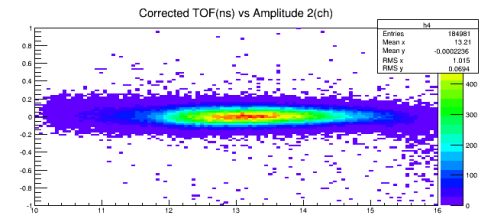
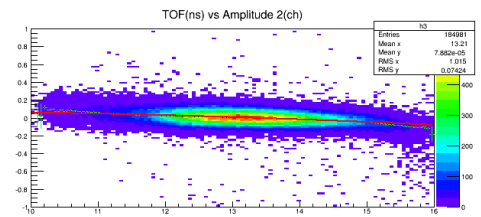
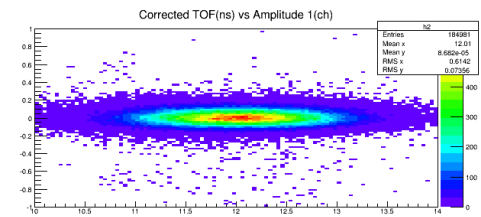
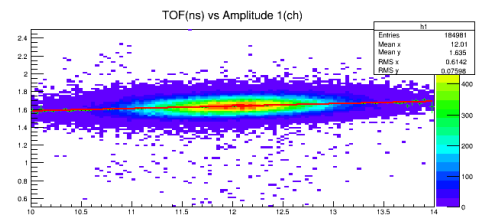
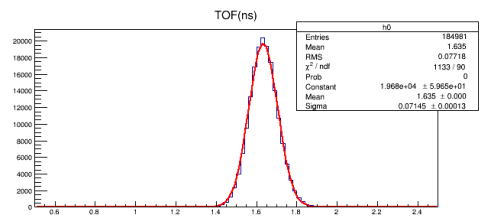
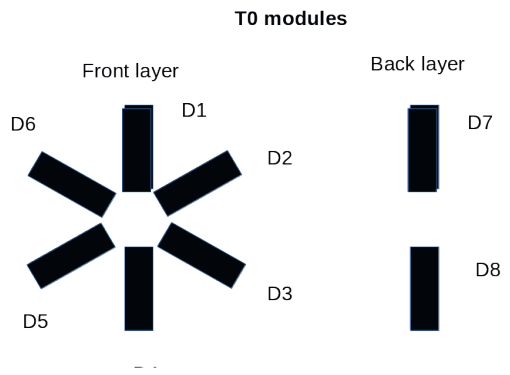
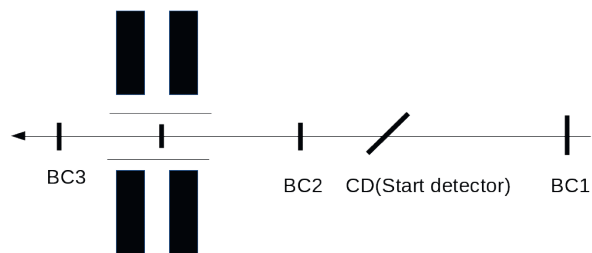


# Применение идентити метода расчета флуктуаций множественности идентифицированных частиц в ядро- ядерных взаимодействиях на установке STAR

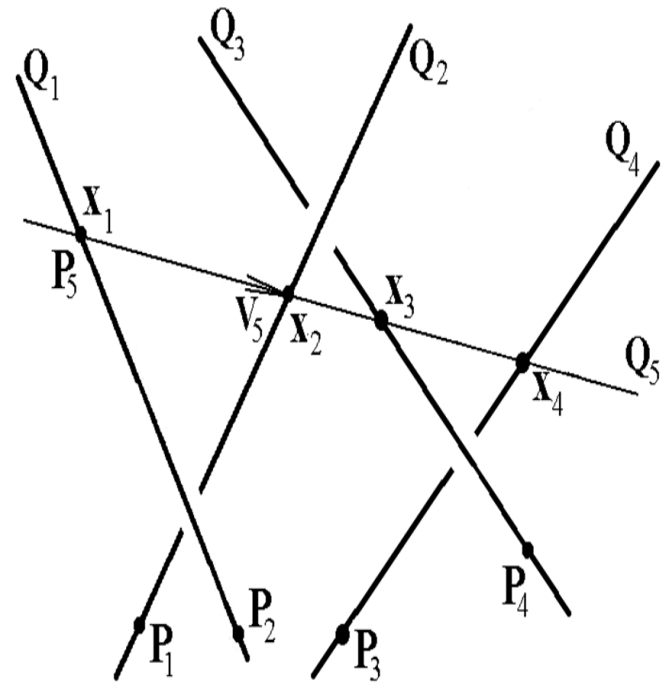
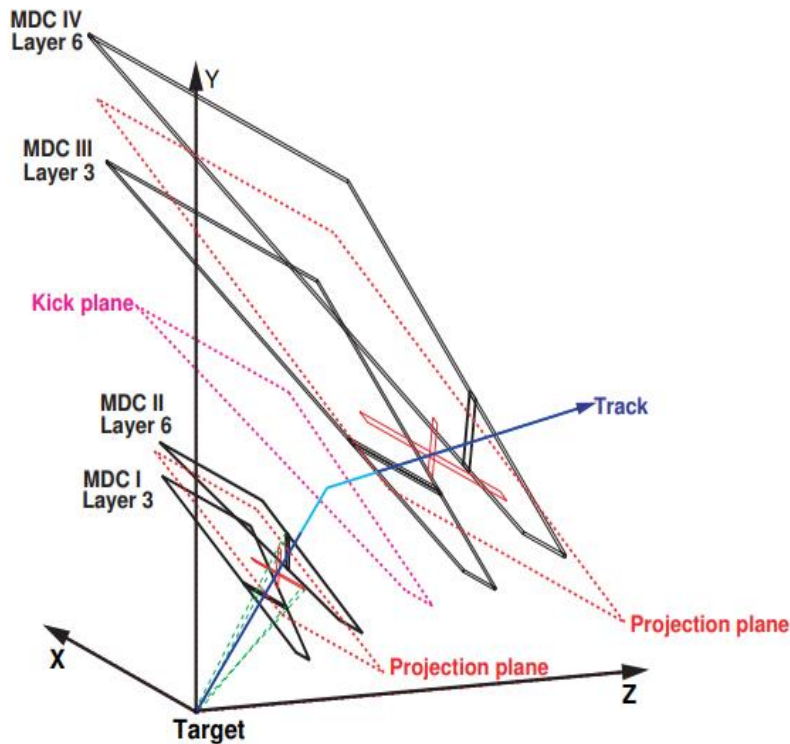
*Агакишиев Гейдар*

- Отчет за 5 лет:
  - STAR – применение identity метода
  - BM&N – обработка данных с триггерных детекторов
  - HADES – разработка программы быстрого поиска прямых треков в детекторах с линейными датчиками
  - Образовательная программа – обучение студентов методам анализа данных с физических детекторов в пакете ROOT

# VM&N – обработка данных с триггерных детекторов

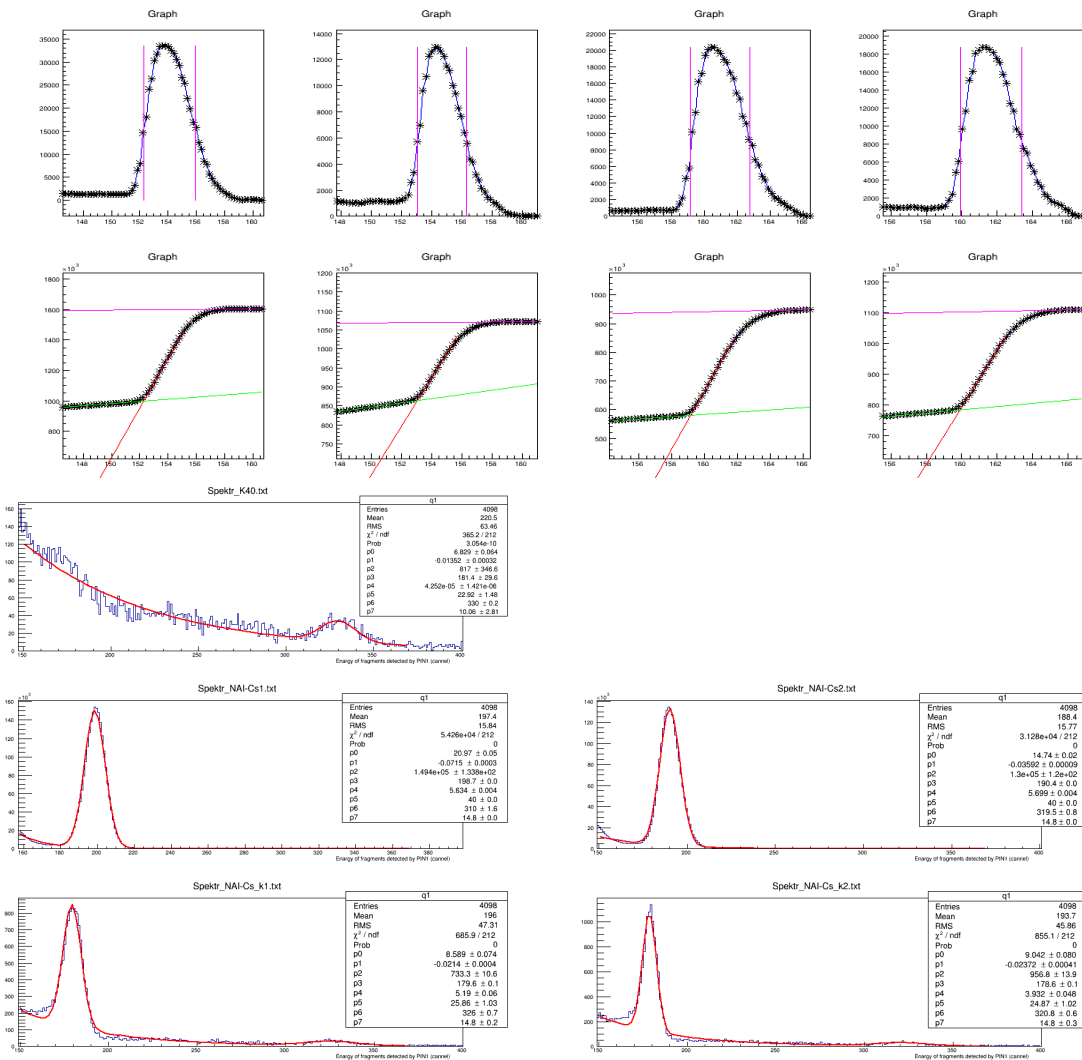


# HADES – разработка программы быстрого поиска прямых треков в детекторах с линейными датчиками

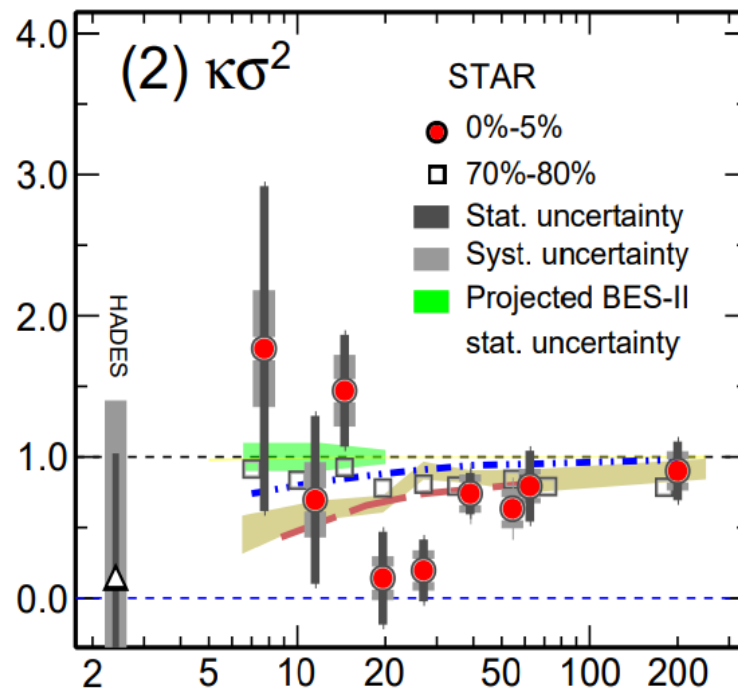
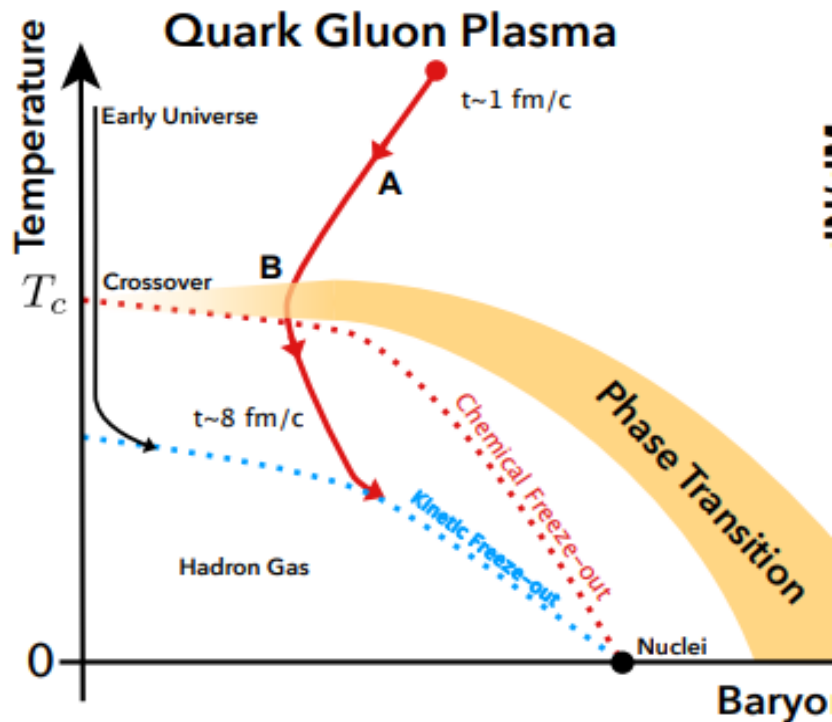


*Nucl.Instrum.Meth.A* 938 (2019) 1-4

# Образовательная программа – обучение студентов методам анализа данных с физических детекторов в пакете ROOT



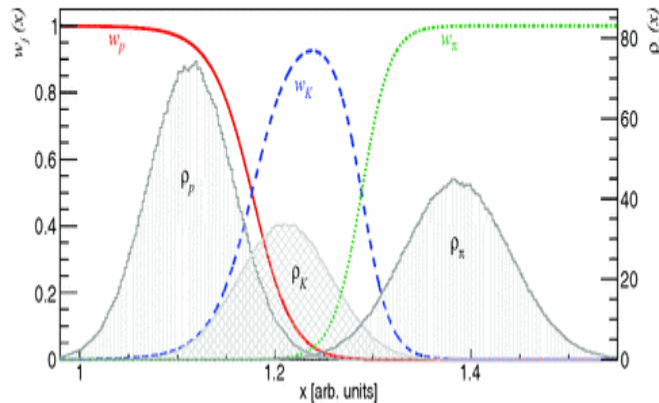
# STAR – применение identity метода



The value of cumulants is very sensitive to purity of selected events and particles. Published results based on particle identifications by fixed cut on TPC  $dE/dx$  and TOF measurements.

# Identity method, defining the problem

Images

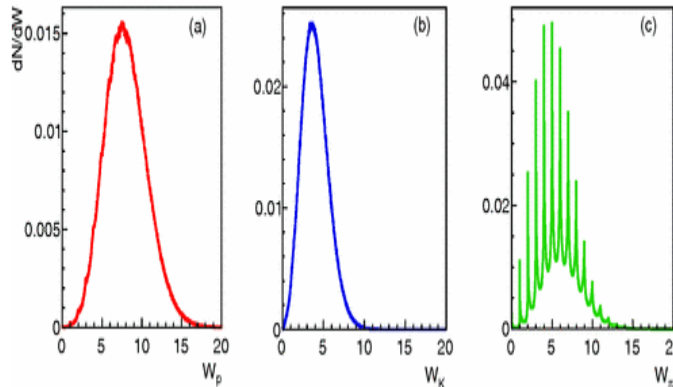


- Available information:
  - Inclusive dE/dx spectra
  - Mean multiplicities

- $\langle N_P \rangle = \int \rho_p(m) dm$

- $\langle N_k \rangle = \int \rho_k(m) dm$

- dE/dx value for every track



Given this information we want to estimate moments of the **unknown** multiplicity distributions

# Identities (3-particle example)

$$w_p(x) = \frac{\rho_p(x)}{\rho_p(x) + \rho_\pi + \rho_k(x)}$$

$$w_\pi(x) = \frac{\rho_\pi(x)}{\rho_p(x) + \rho_\pi + \rho_k(x)}$$

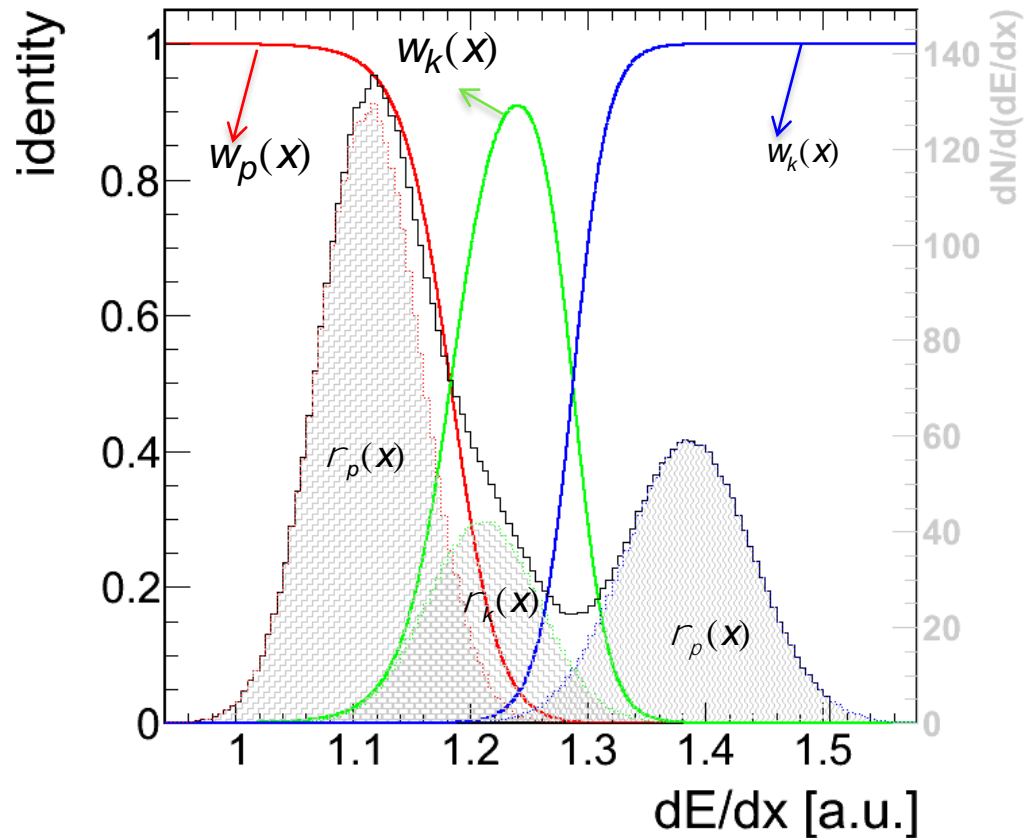
$$w_k(x) = \frac{\rho_k(x)}{\rho_p(x) + \rho_\pi + \rho_k(x)}$$

$$W_p = \sum w_p$$

$$W_\pi = \sum w_\pi$$

$$W_k = \sum w_k$$

Calculated  
for each event



# Identity method, second moments

Main idea is to find a relation between known moments of the  $W$  quantities and unknown moments of multiplicity distributions. For example in case of 2 particle types ( $p, k$ )

$$\begin{pmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{pmatrix} \begin{pmatrix} \langle N_p^2 \rangle \\ \langle N_k^2 \rangle \\ \langle N_p N_k \rangle \end{pmatrix} = \begin{pmatrix} \langle W_p^2 \rangle - f_1(\langle N_1 \rangle, \langle N_2 \rangle, \rho_1, \rho_2) \\ \langle W_k^2 \rangle - (\langle N_1 \rangle, \langle N_2 \rangle, \rho_1, \rho_2) \\ \langle W_p W_k \rangle - (\langle N_1 \rangle, \langle N_2 \rangle, \rho_1, \rho_2) \end{pmatrix}$$



Known in term of inclusive  $dE/dx$  distributions

Phys. Rev. C 83, 054907 (2011)  
Phys. Rev. C 84, 024902 (2011)  
Phys. Rev. C 86, 044906 (2012)  
arXiv:2409.09814 [hep-ex]



# Identity method, second moments

Main idea is to find a relation between known moments of the  $W$  quantities and unknown moments of multiplicity distributions. For example in case of 2 particle types ( $p, k$ )

$$\begin{pmatrix} \langle N_p^2 \rangle \\ \langle N_k^2 \rangle \\ \langle N_p N_k \rangle \end{pmatrix} = \begin{pmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{pmatrix}^{-1} \begin{pmatrix} \langle W_p^2 \rangle - f_1(\langle N_1 \rangle, \langle N_2 \rangle, \rho_1, \rho_2) \\ \langle W_k^2 \rangle - (\langle N_1 \rangle, \langle N_2 \rangle, \rho_1, \rho_2) \\ \langle W_p W_k \rangle - (\langle N_1 \rangle, \langle N_2 \rangle, \rho_1, \rho_2) \end{pmatrix}$$



Known in term of inclusive  $dE/dx$  distributions

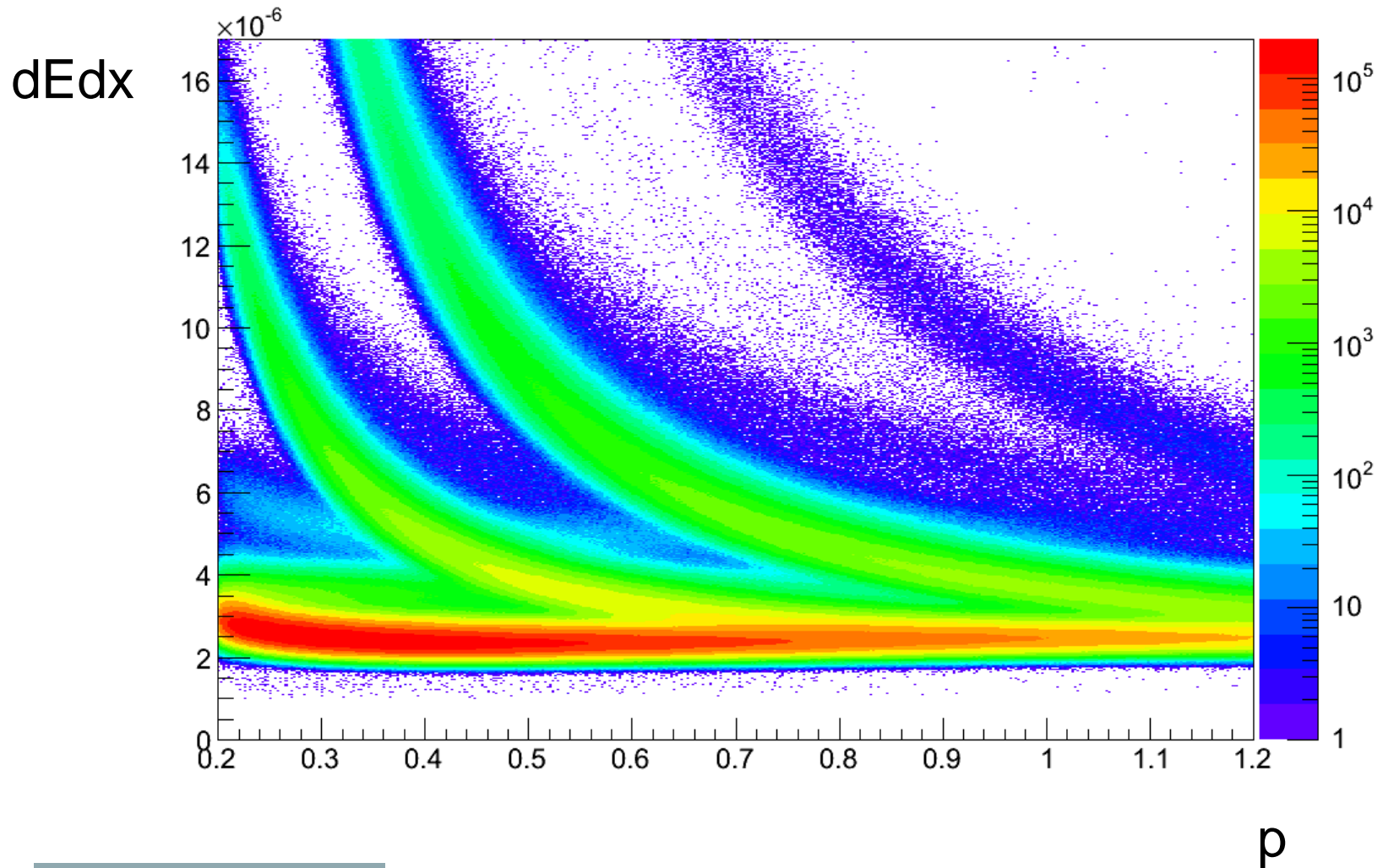
Phys. Rev. C 83, 054907 (2011)

Phys. Rev. C 84, 024902 (2011)

Phys. Rev. C 86, 044906 (2012)

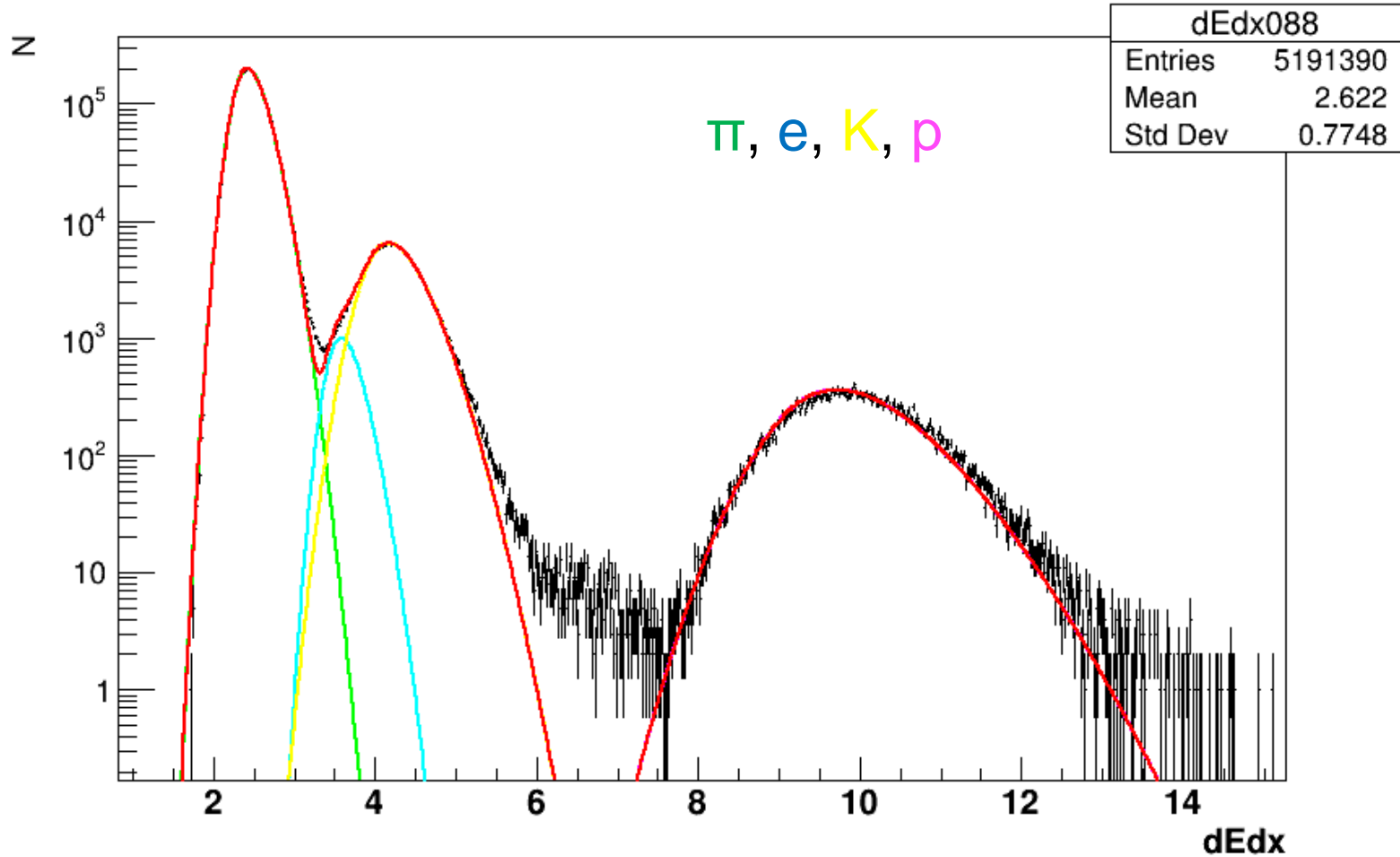
arXiv:2409.09814 [hep-ex]

# dEdx vs p AuAu 39 GeV



# All tracks

Sign = -1   Centrality = 8   Momentum range 0.46 - 0.48



# Fit function

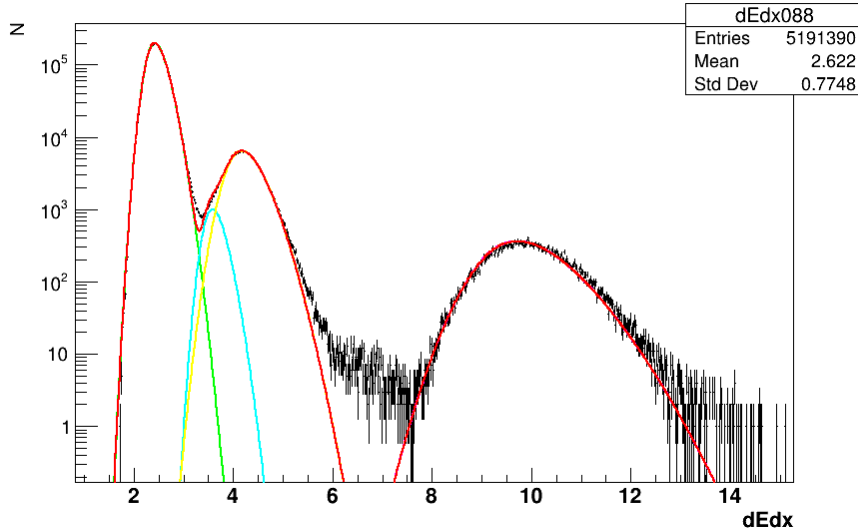
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- ▶ Generalized Gauss Function:

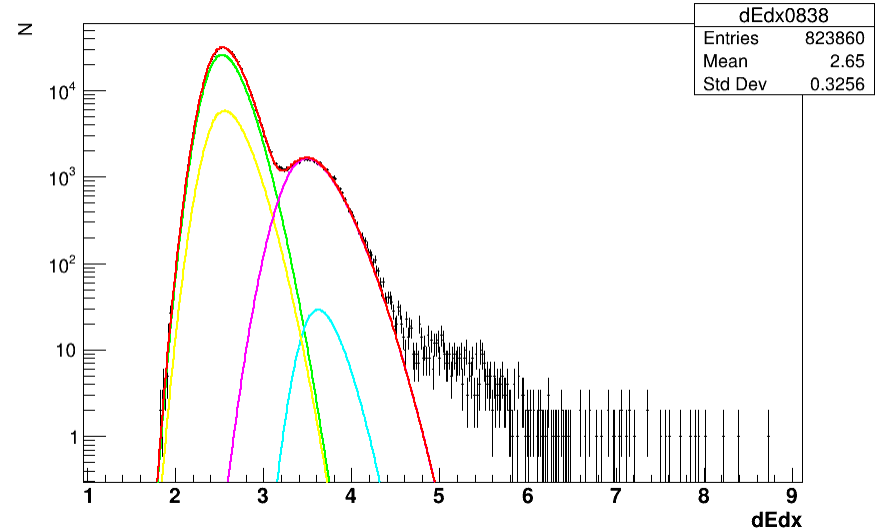
$$Ae^{-(|x-\mu|/\sigma)^\kappa} (1 + \text{Erf}(S(x-\mu)/\sigma\sqrt{2}))$$

# Fit examples

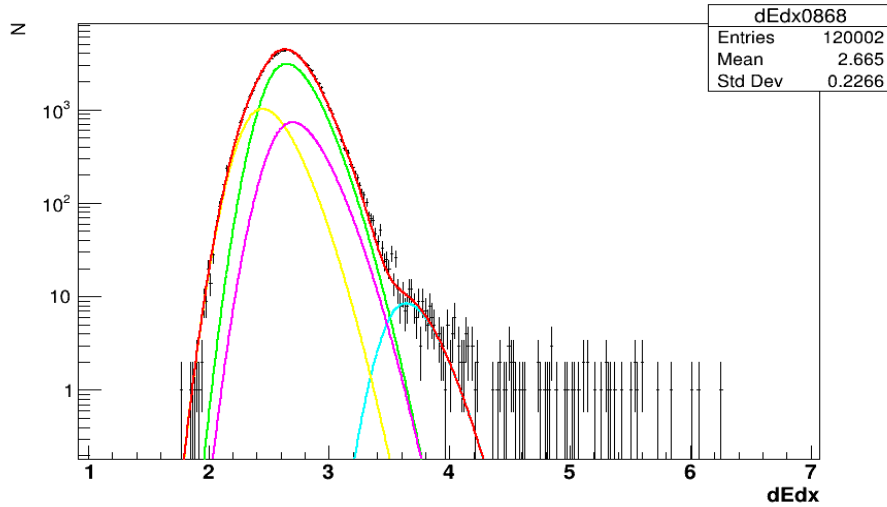
Sign = -1 Centrality = 8 Momentum range 0.46 - 0.48



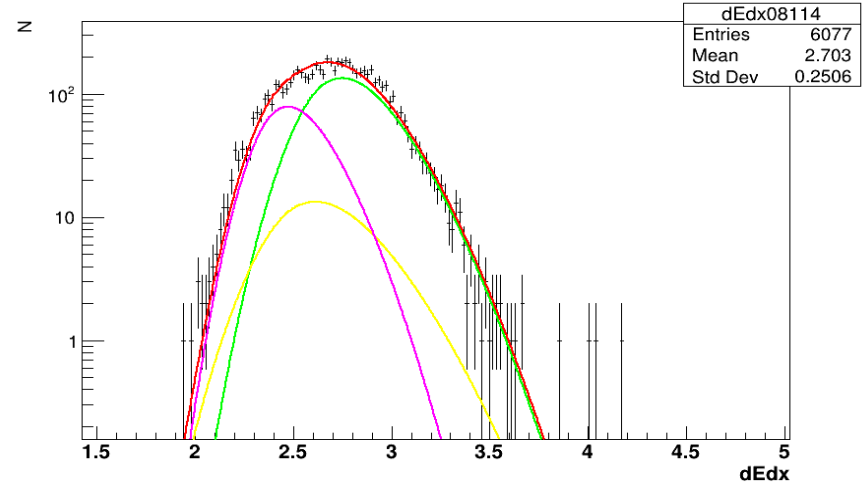
Sign = -1 Centrality = 8 Momentum range 1.06 - 1.08



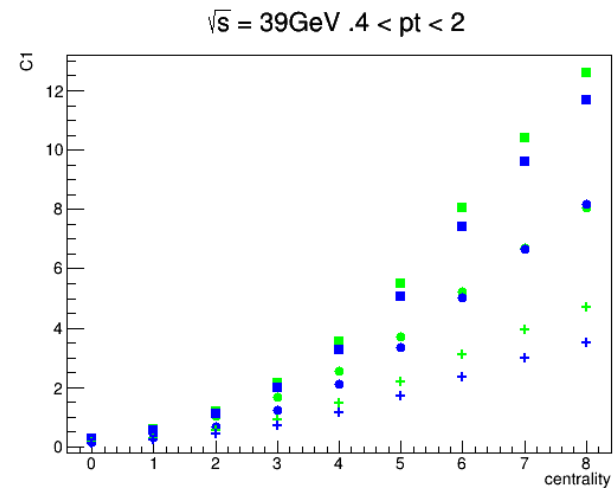
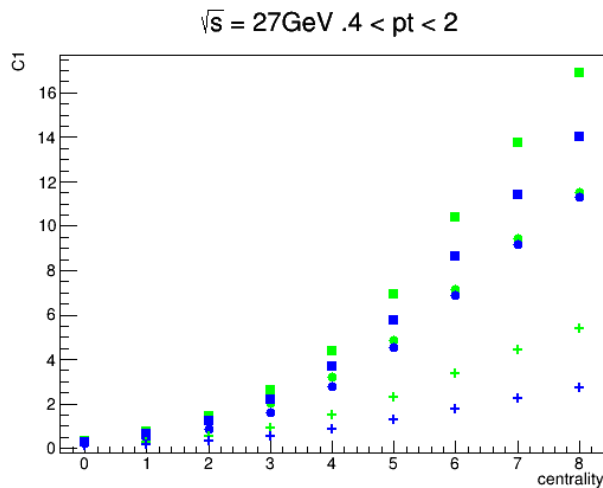
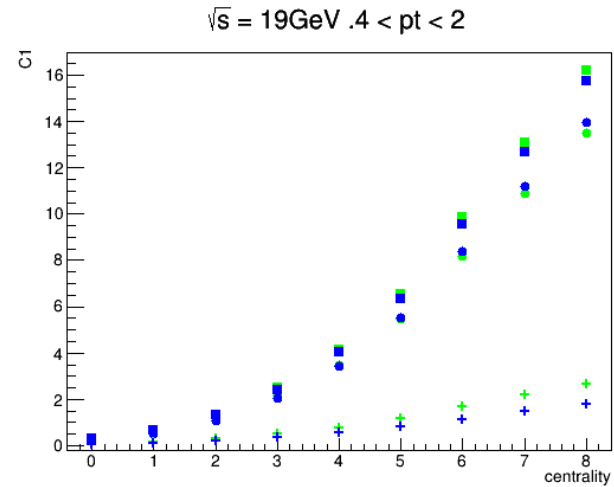
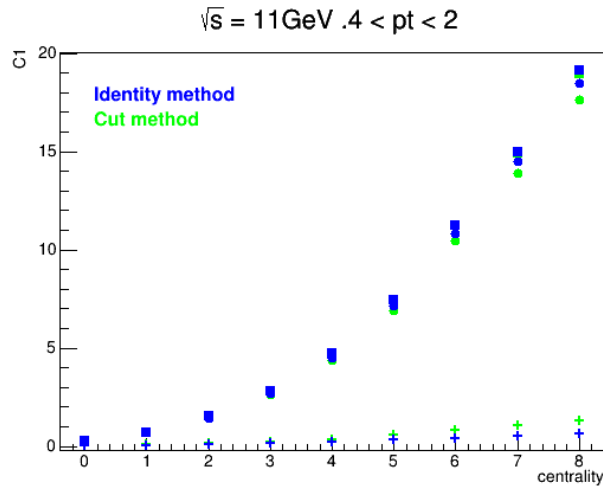
Sign = -1 Centrality = 8 Momentum range 1.66 - 1.68



Sign = -1 Centrality = 8 Momentum range 2.58 - 2.6

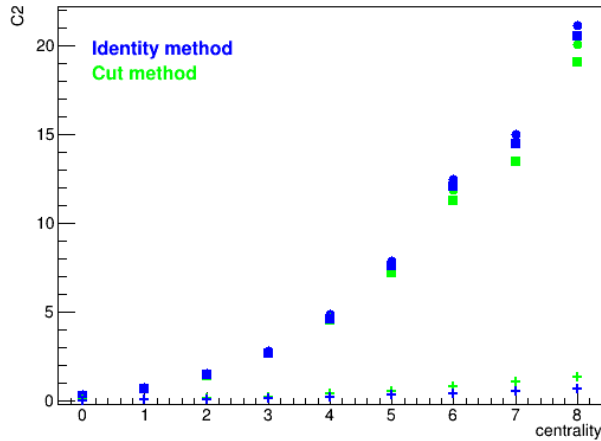


# C1 vs centrality $0.4 < p_t < 2 \text{ GeV}$

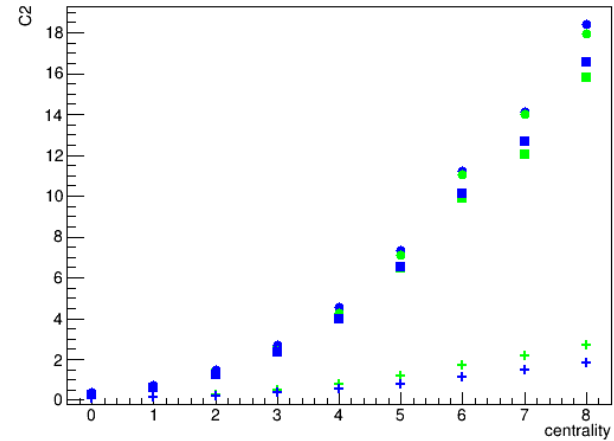


# C2 vs centrality $0.4 < p_t < 2 \text{ GeV}$

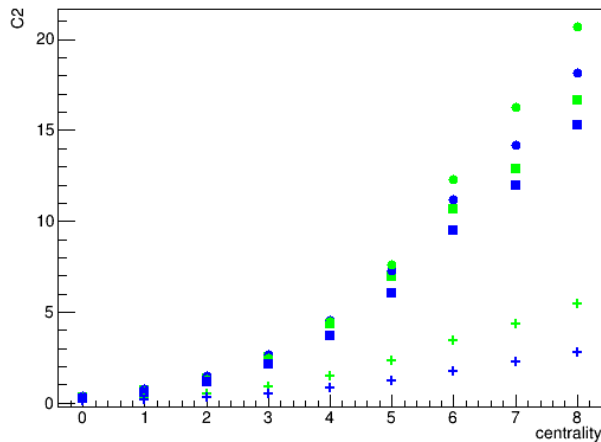
$\sqrt{s} = 11 \text{ GeV } .4 < p_t < 2$



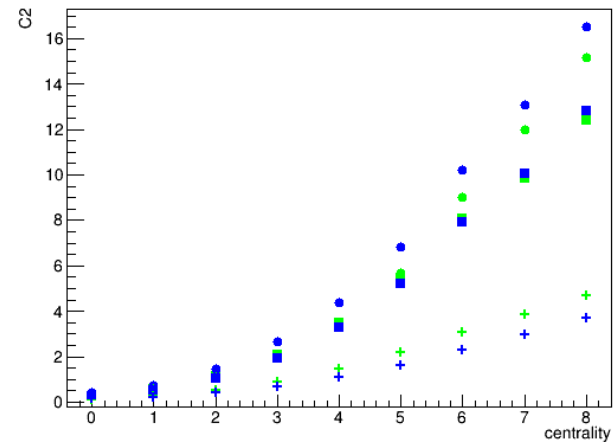
$\sqrt{s} = 19 \text{ GeV } .4 < p_t < 2$



$\sqrt{s} = 27 \text{ GeV } .4 < p_t < 2$



$\sqrt{s} = 39 \text{ GeV } .4 < p_t < 2$



# Планы на будущее

- ▶ Получить функции отклика ТРС после модернизации для всех энергий BES II получить моменты распределения по множественности нет-протонов в identity подходе и сравнить с методом катов
- ▶ Продолжить участие в наборе и анализе данных с триггерных детекторов VM@N
- ▶ Подготовить и опубликовать полный алгоритм поиска прямых треков в детекторах с линейными датчиками.
- ▶ Продолжить развитие образовательных программ анализа экспериментальных данных в физике высоких энергий.



# Backup slides

# Introduction

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- ▶ Transition from hadronic matter to QGP at fixed  $\mu_B$  predicted to be first order. This also mean existence the critical point. Several theoretical model predict irregular behavior of net-barion density around the critical point. STAR experiment demonstrate the non-monotonic beam energy dependence of ratio of cumulants  $C_4/C_2$  of net-proton multiplicity distribution in AuAu central collisions at BES I energy.
- ▶ The value of cumulants is very sensitive to purity of selected events and particles. Published results based on particle identifications by fixed cut on TPC  $dE/dx$  and TOF measurements.

# Introduction

---

- ▶ The purity of particle samples can be skewed due to overlaps in dEdx and TOF distribution of different species of particles. Therefore it will be useful to get same results by different identification methods.
- ▶ We are trying to use for this aim the identity method developed in NA49 experiment. In frame of this approach one can calculate the particle momentum distribution cumulants from TPC dE/dx response functions.
- ▶ To get detail dE/dx response functions the high statistics data is needed.
- ▶ We are planning do it using the BES II data collected by collaboration during 2020-2022 years.
- ▶ The software for this analysis is already created and tested at BES I data.

# Event & Track selection

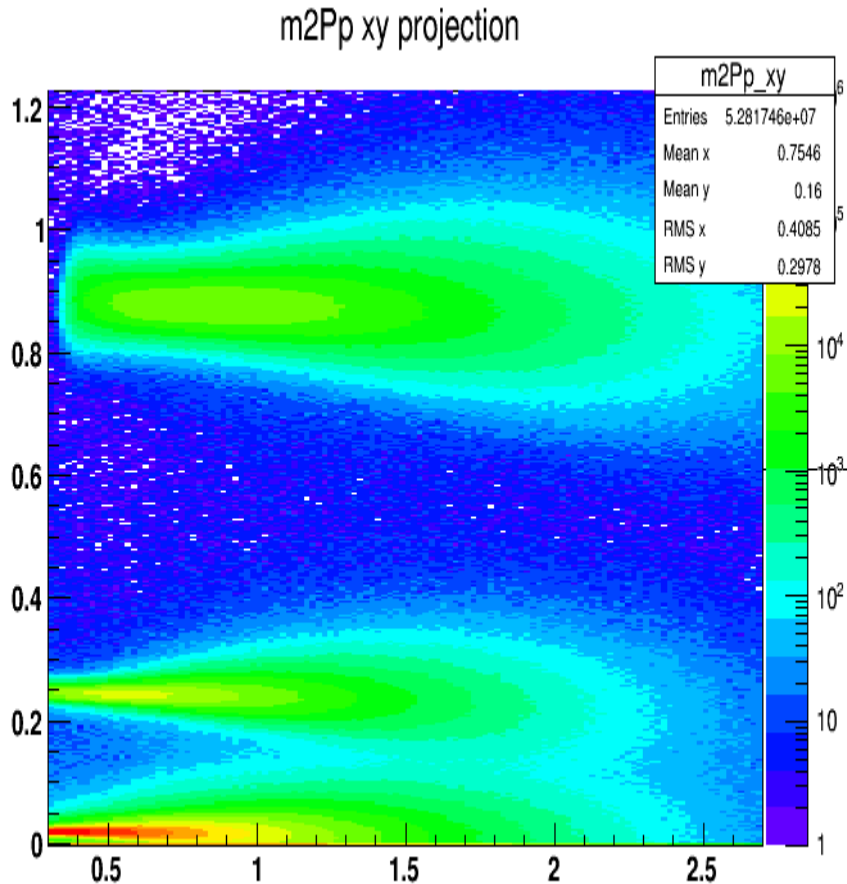
## ▶ Event selection

- ▶ AuAu 11,19,27,39 GeV Run10 ~ 7, 16, 31, 29 million events
- ▶ Only good runs selected
- ▶ Ref2 centrality bin
- ▶  $-30 < z < 30\text{cm}$
- ▶ Vertex radius  $< 2\text{cm}$

## ▶ Track selection

- ▶  $-.5 < \eta < .5$
- ▶  $p_t > .2\text{GeV}$
- ▶  $\text{DCA} < 1\text{cm}$
- ▶  $N_{\text{hits}} > 6$
- ▶  $N_{\text{hitsfit}} > 21$
- ▶  $N_{\text{hitsfit}} / N_{\text{hitsposs}} > 0.521$

# Clean sample selection



$\rho$   $0.80 < m_2 < 0.93$

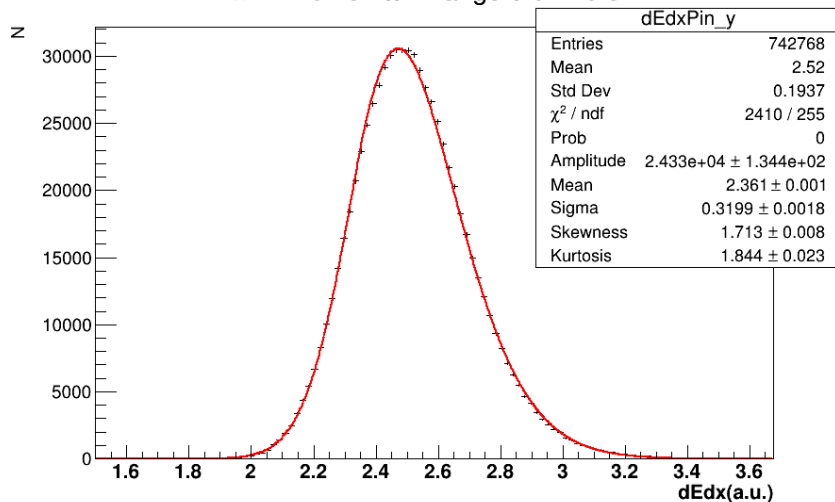
$K$   $0.17 < m_2 < 0.29$

$\pi$   $0.005 < m_2 < 0.07$

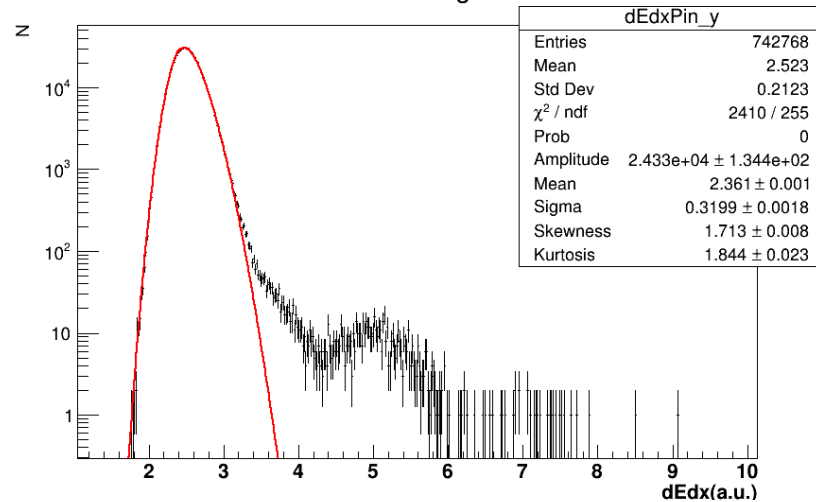
$e$   $0.004 < m_2 < 0.005$

# Clean sample examples

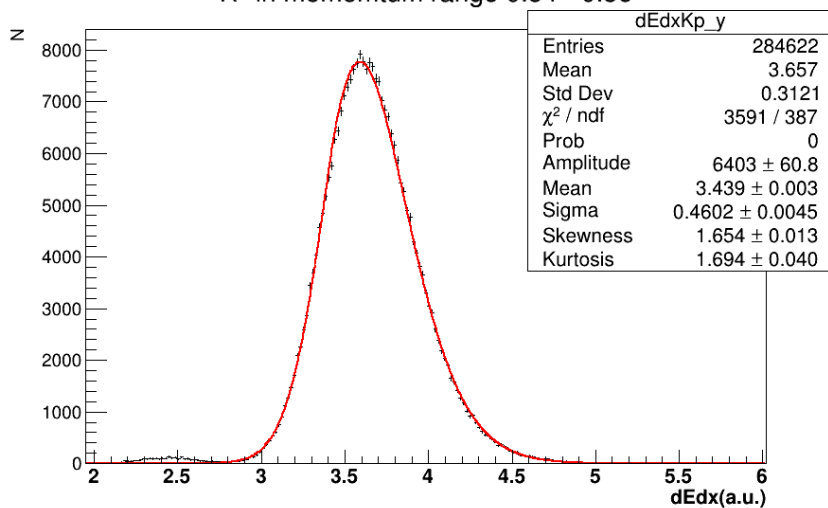
$\pi^-$  in momentum range 0.82 - 0.84



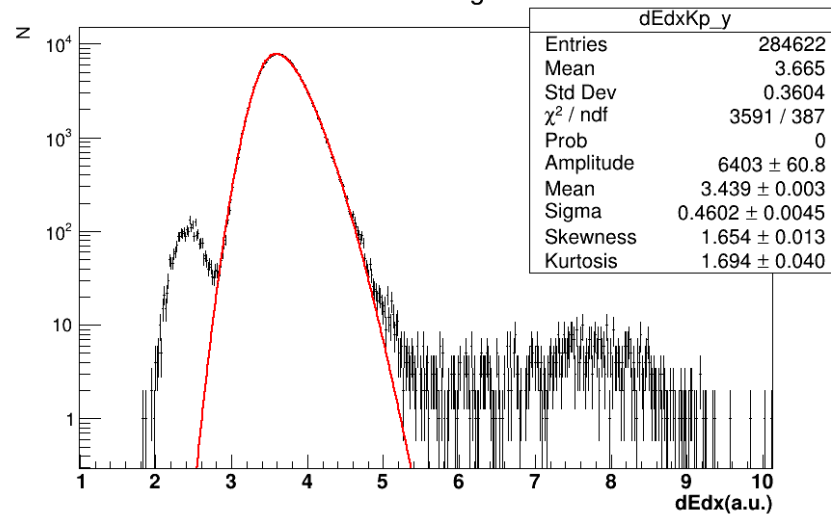
$\pi^-$  in momentum range 0.82 - 0.84



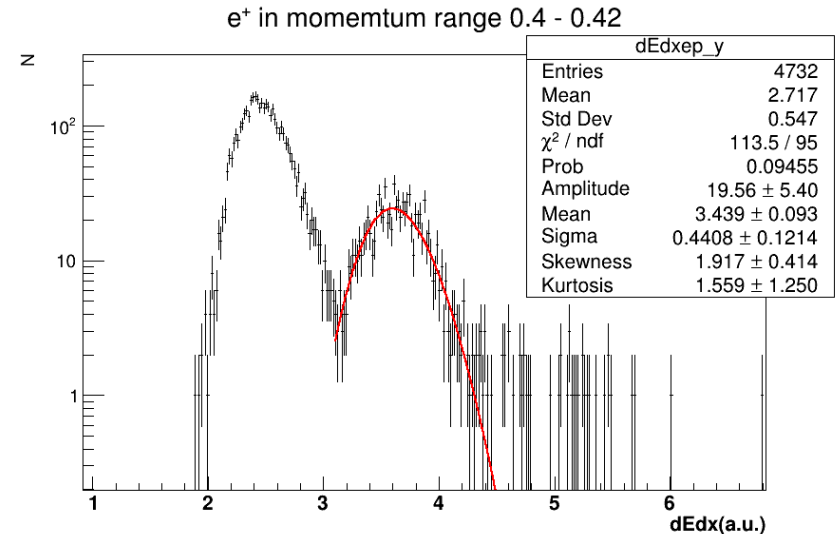
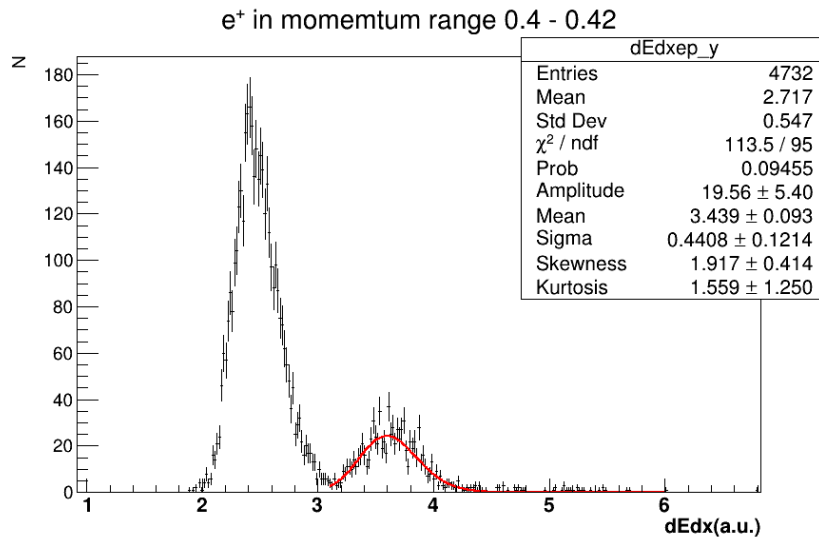
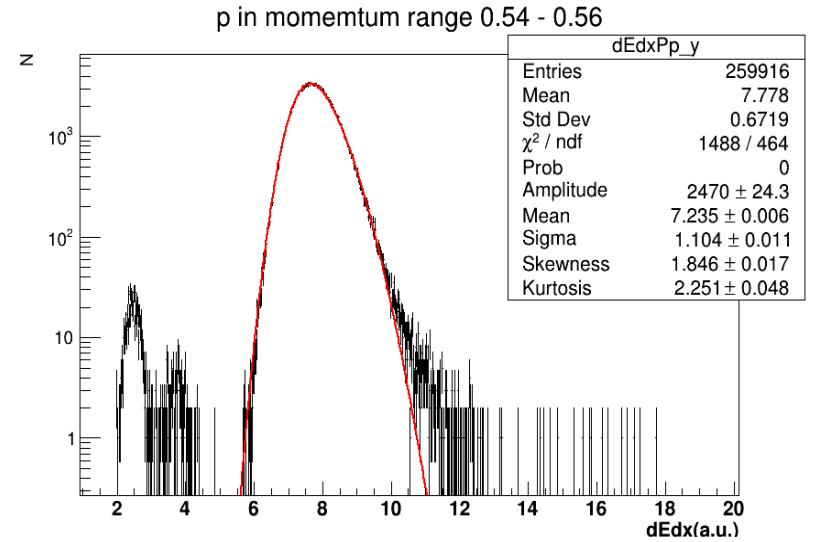
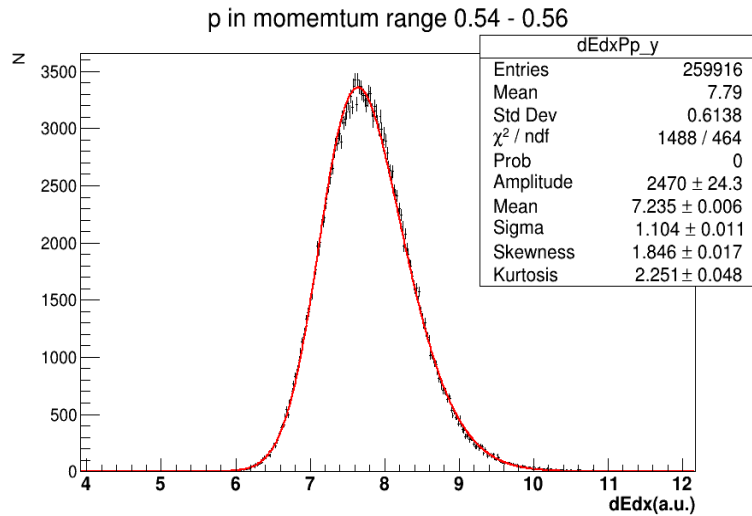
$K^+$  in momentum range 0.54 - 0.56



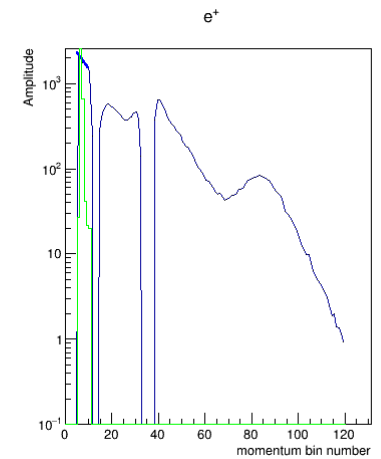
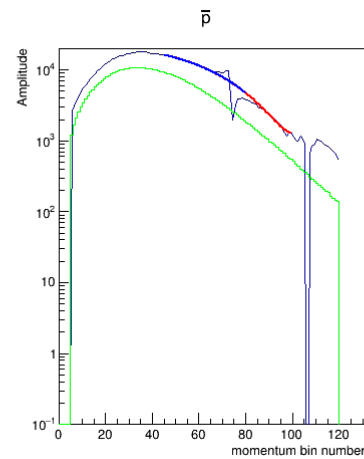
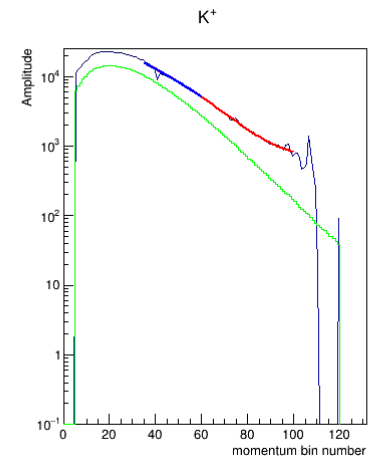
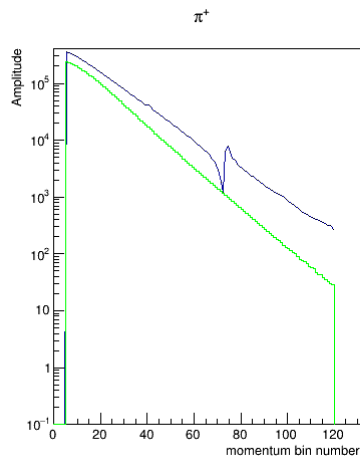
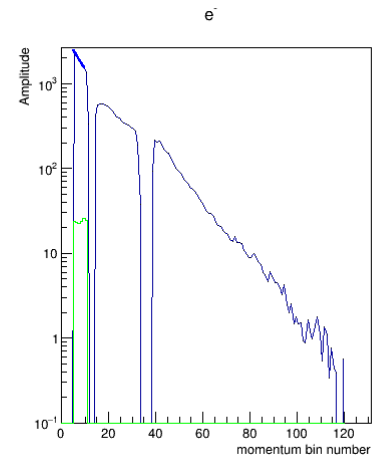
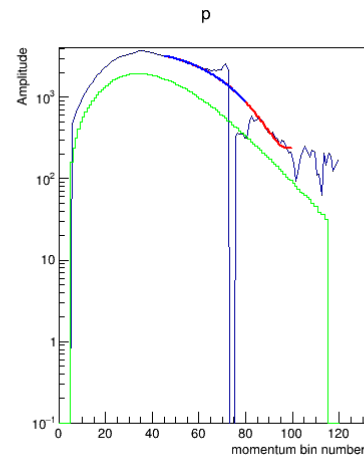
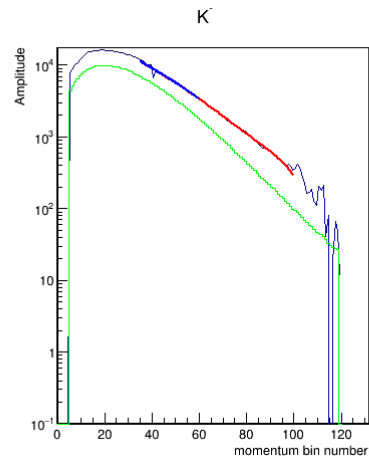
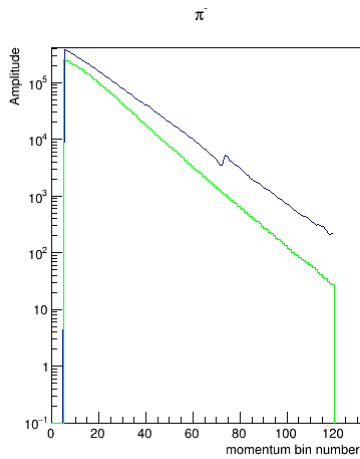
$K^+$  in momentum range 0.54 - 0.56



# Clean sample examples

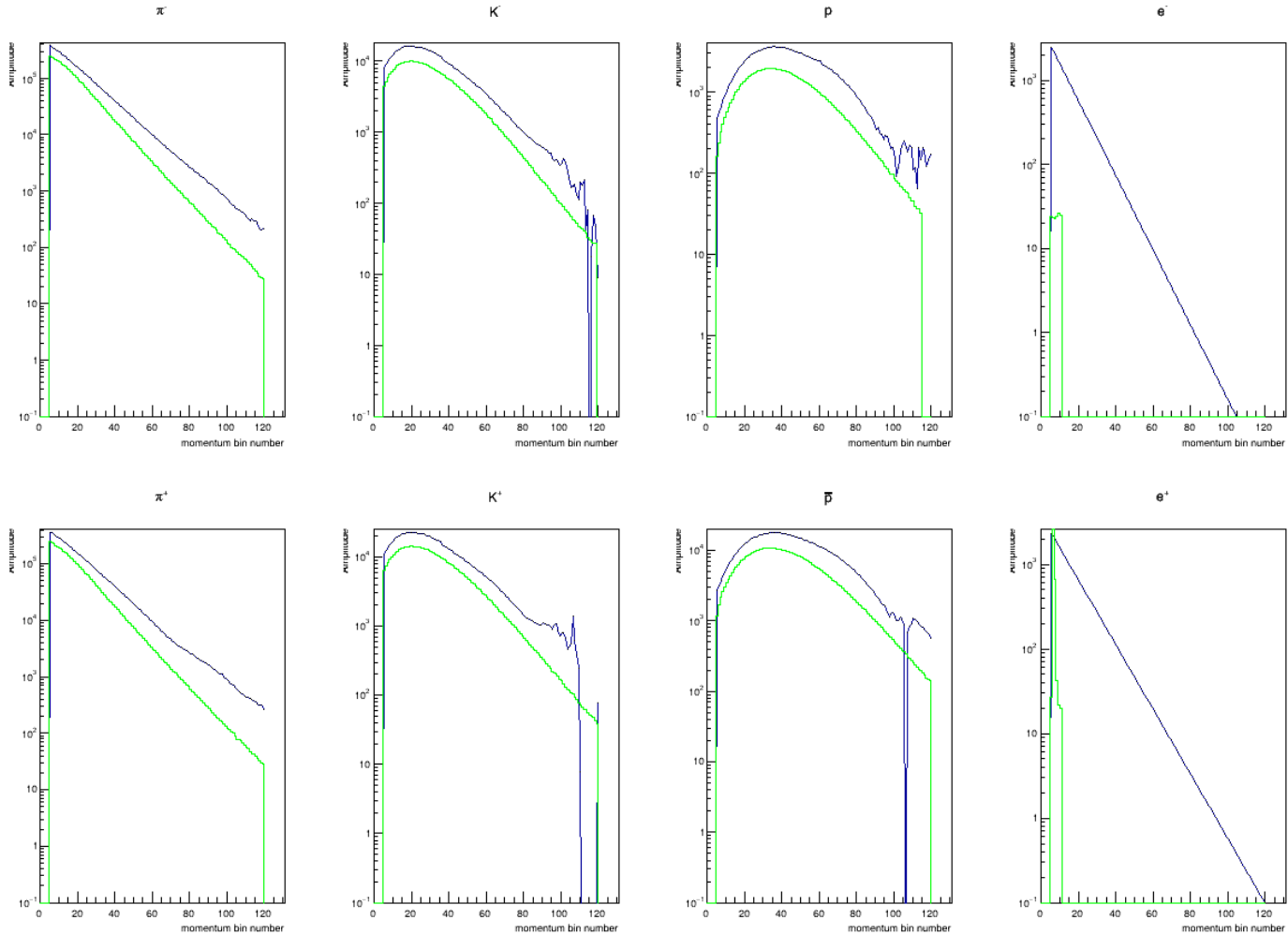


# Parameter correction





# Parameter correction

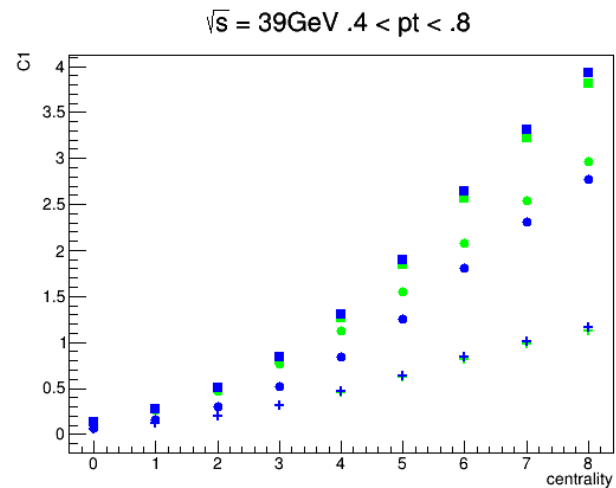
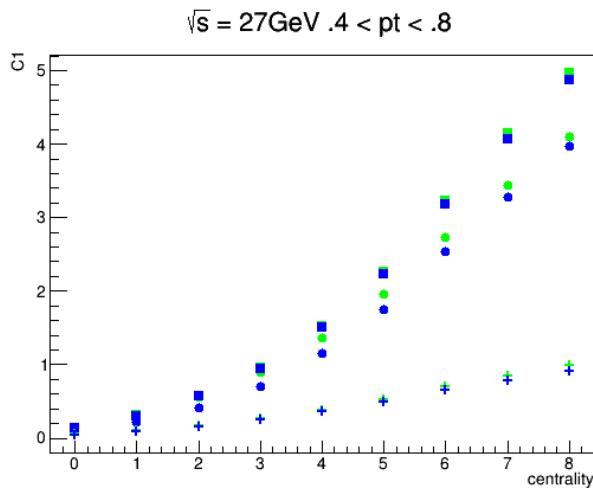
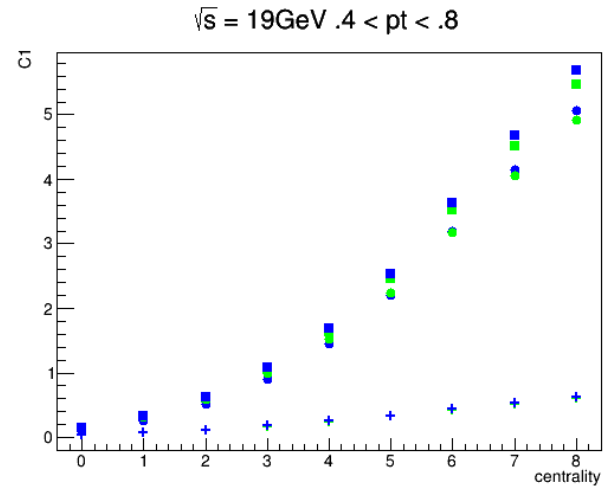
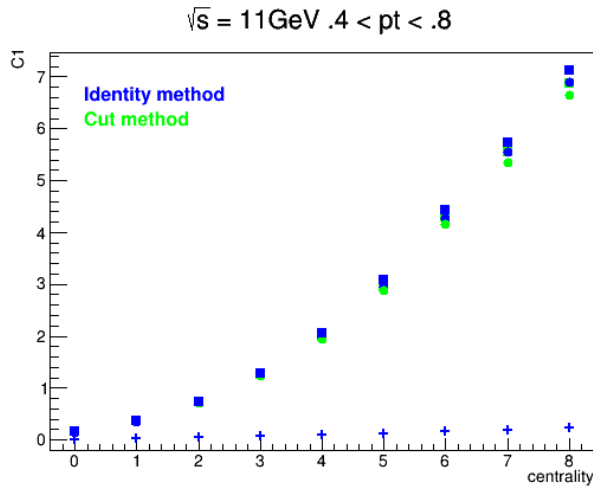


# Proton Cuts

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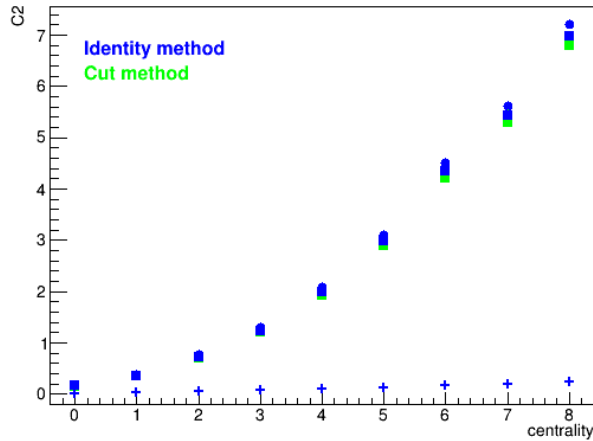
- ▶ For  $0.4 < p_t < 0.8\text{GeV}$  interval
  - ▶  $N_{\text{sigma}} < 2$
- ▶ For  $0.8 < p_t < 2.0\text{GeV}$  interval
  - ▶  $N_{\text{sigma}} < 2$
  - ▶  $0.6 < m_2 < 1.2$
  - ▶  $m_2 < -0.4$

# C1 vs centrality $0.4 < pt < 0.8 \text{ GeV}$

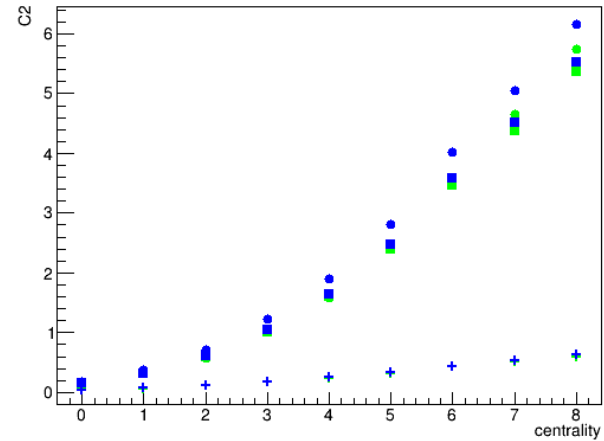


# C2 vs centrality $0.4 < p_t < 0.8 \text{ GeV}$

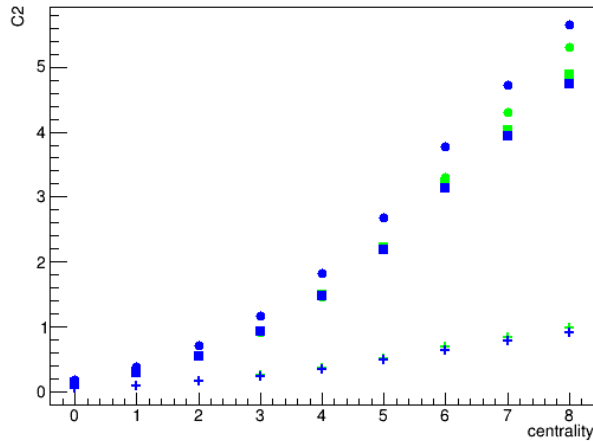
$\sqrt{s} = 11 \text{ GeV } .4 < p_t < .8$



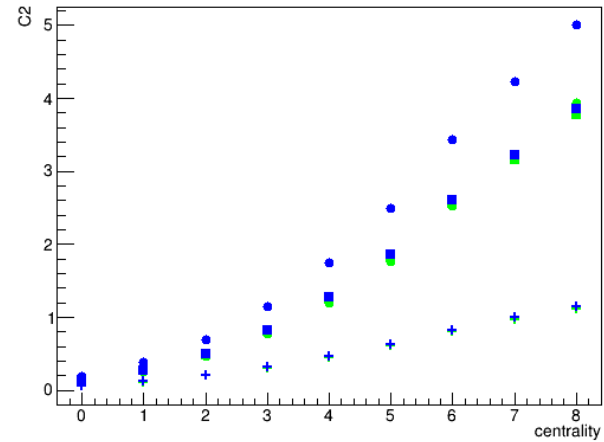
$\sqrt{s} = 19 \text{ GeV } .4 < p_t < .8$



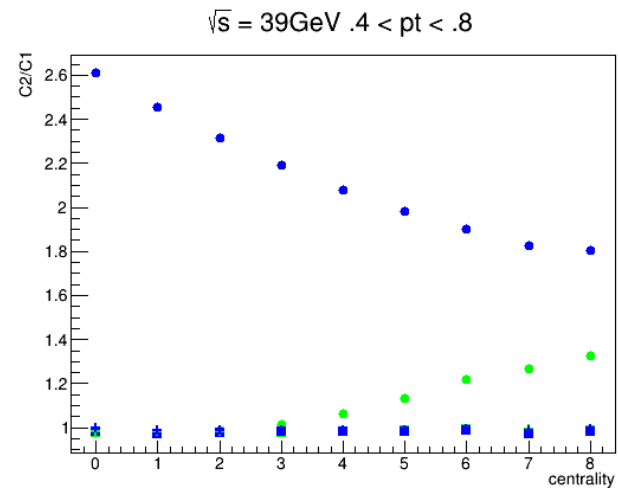
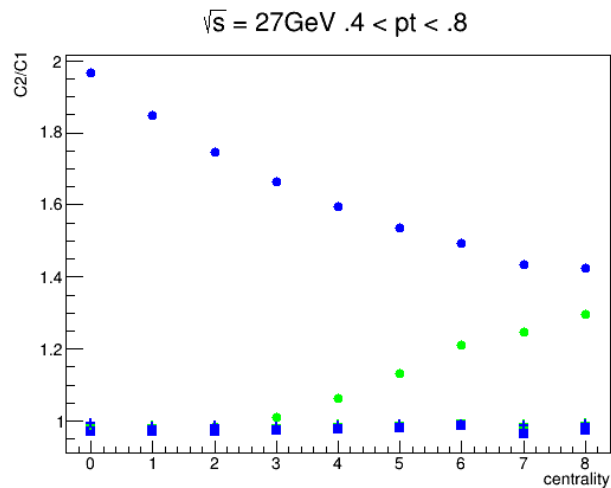
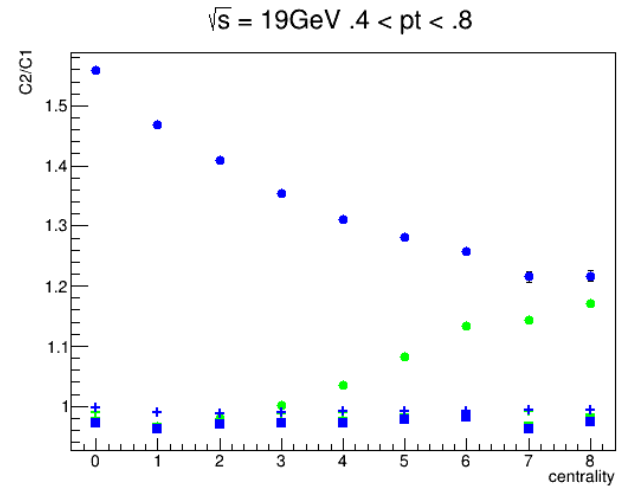
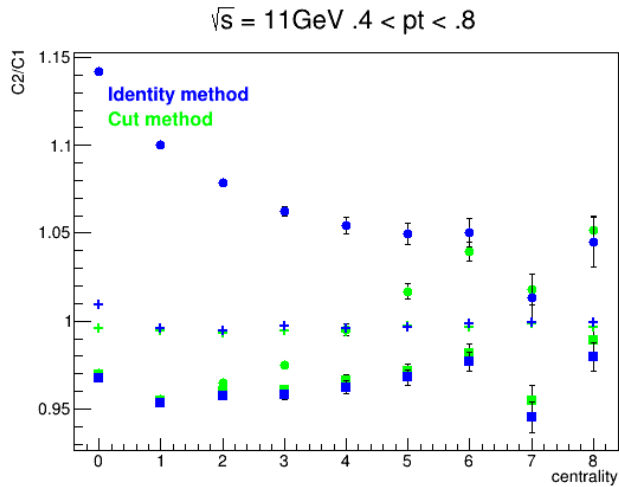
$\sqrt{s} = 27 \text{ GeV } .4 < p_t < .8$



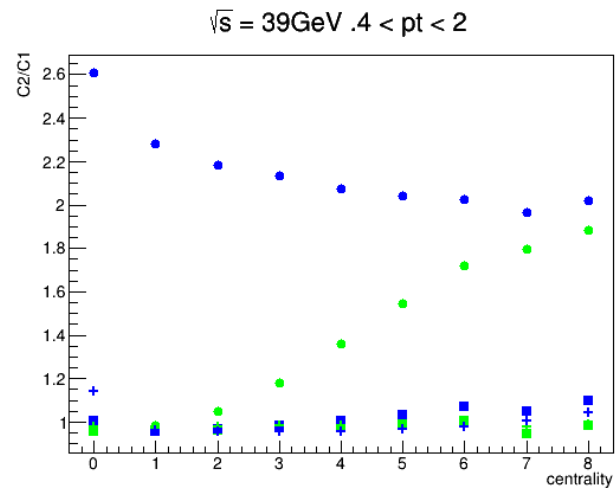
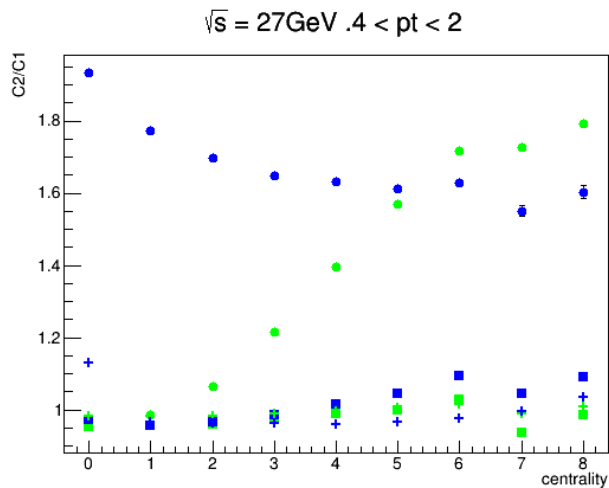
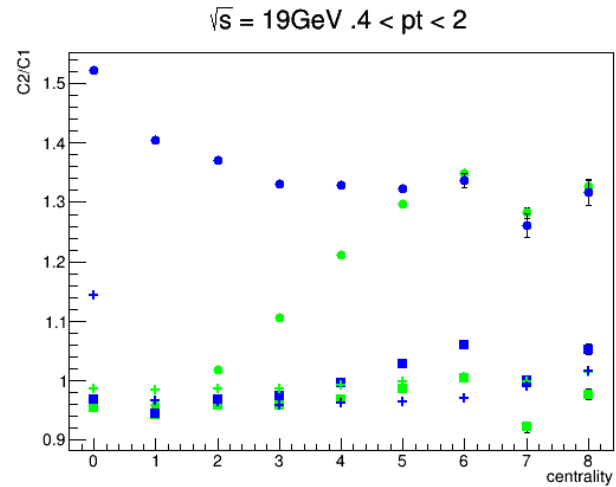
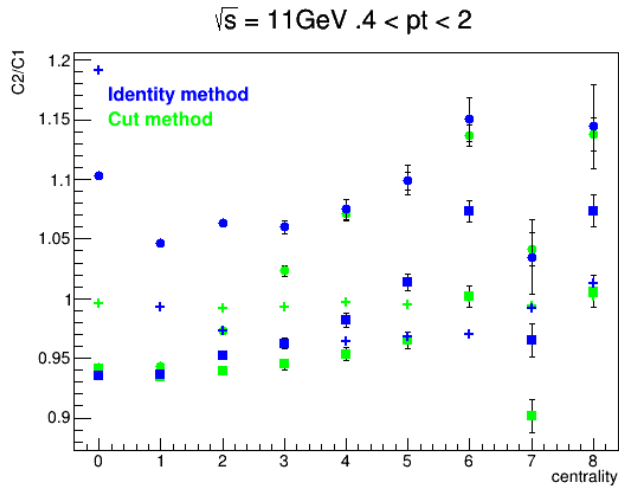
$\sqrt{s} = 39 \text{ GeV } .4 < p_t < .8$



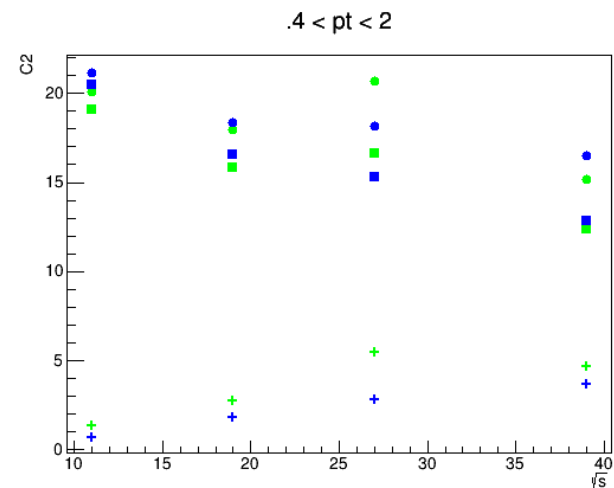
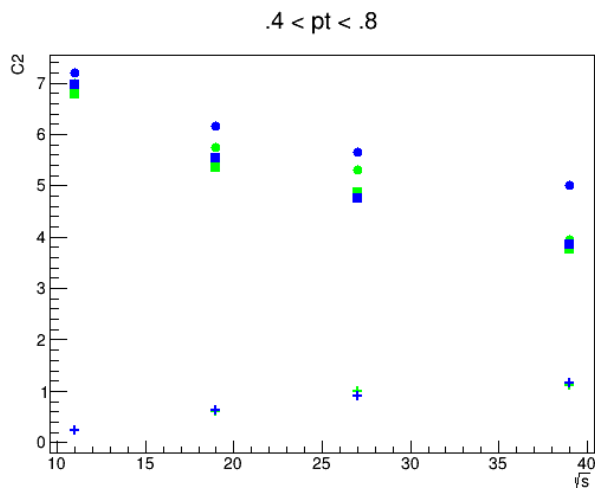
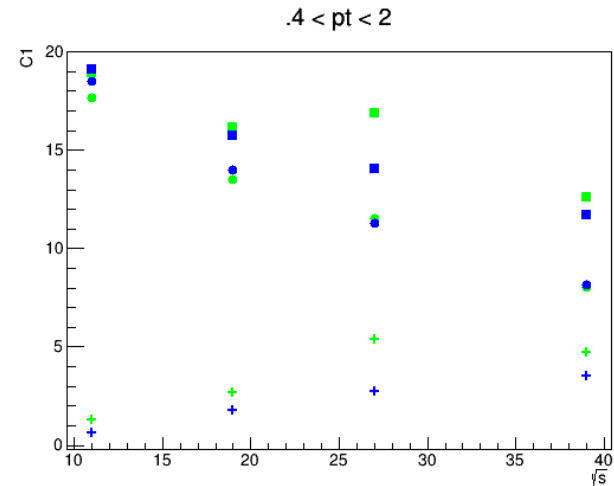
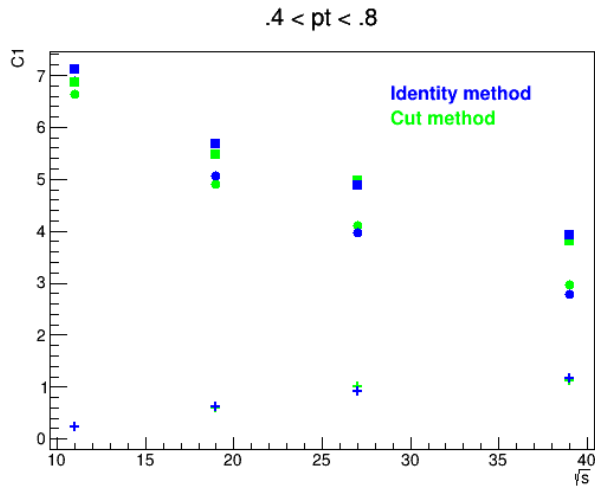
# C2/C1 vs centrality 0.4 < pt < 0.8 GeV



# C2/C1 vs centrality 0.4 < pt < 2 GeV



# C1 & C2 vs $\sqrt{s}$ (centrality 5%)



# C2/C1 vs $\sqrt{s}$ (centrality 5%)

