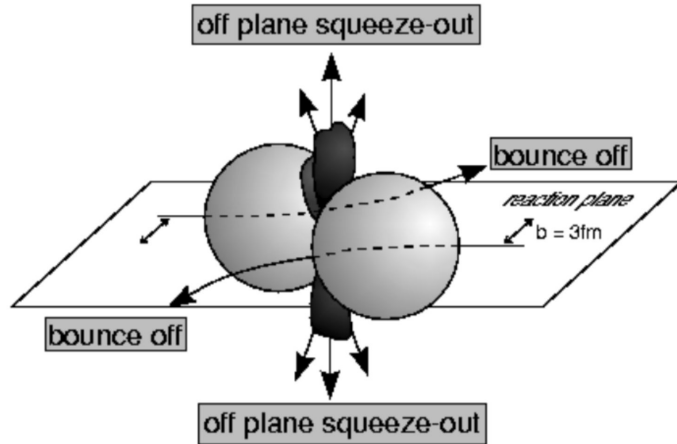


Update on the directed and elliptic flow measurements in Xe+W collisions at MPD-FXT

P. Parfenov, M. Mamaev and A. Taranenko
(NRNU MEPhI, JINR)

Anisotropic flow & spectators



The azimuthal angle distribution is decomposed in a Fourier series relative to reaction plane angle:

$$\rho(\varphi - \Psi_{RP}) = \frac{1}{2\pi} \left(1 + 2 \sum_{n=1}^{\infty} v_n \cos n(\varphi - \Psi_{RP}) \right)$$

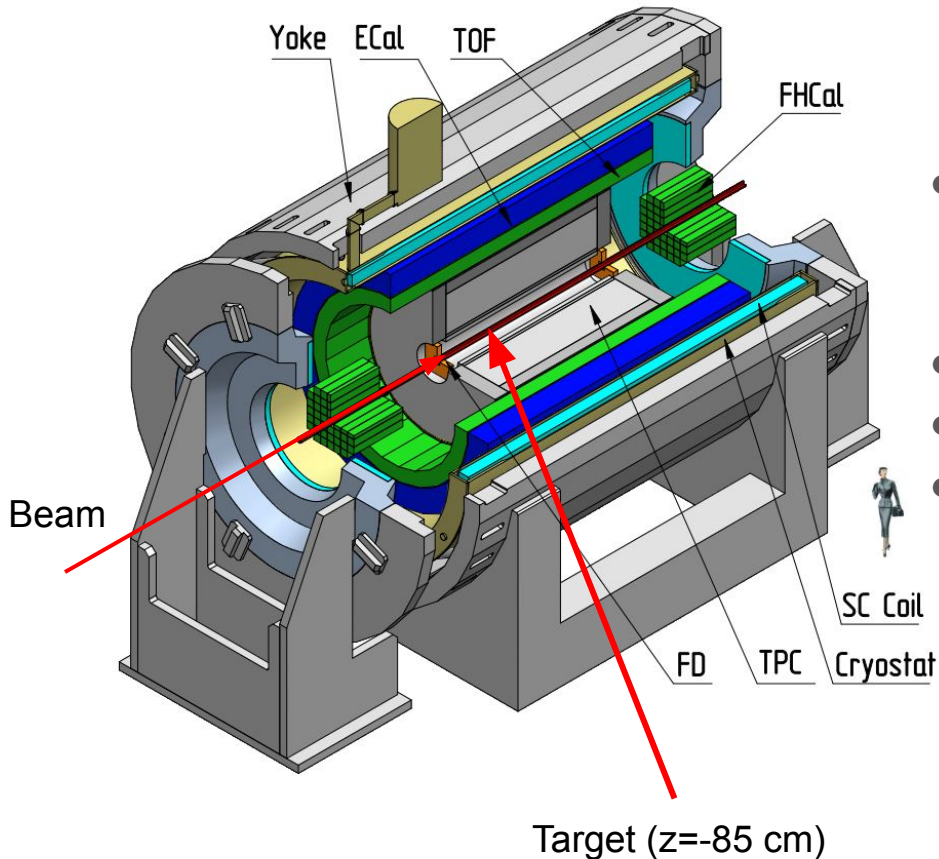
Anisotropic flow:

$$v_n = \langle \cos [n(\varphi - \Psi_{RP})] \rangle$$

Anisotropic flow is sensitive to:

- Time of the interaction between overlap region and spectators
- Compressibility of the created matter

MPD in Fixed-Target Mode (FXT)



- Model used: UrQMD mean-field
 - Xe+Xe, $E_{\text{kin}} = 2.5 \text{ AGeV}$ ($\sqrt{s_{\text{NN}}} = 2.87 \text{ GeV}$)
 - Xe+W, $E_{\text{kin}} = 2.5 \text{ AGeV}$ ($\sqrt{s_{\text{NN}}} = 2.87 \text{ GeV}$)
- Point-like target
- GEANT4 transport
- Particle species selection via TPC and TOF

Flow vectors

From momentum of each measured particle define a u_n -vector in transverse plane:

$$u_n = e^{in\phi}$$

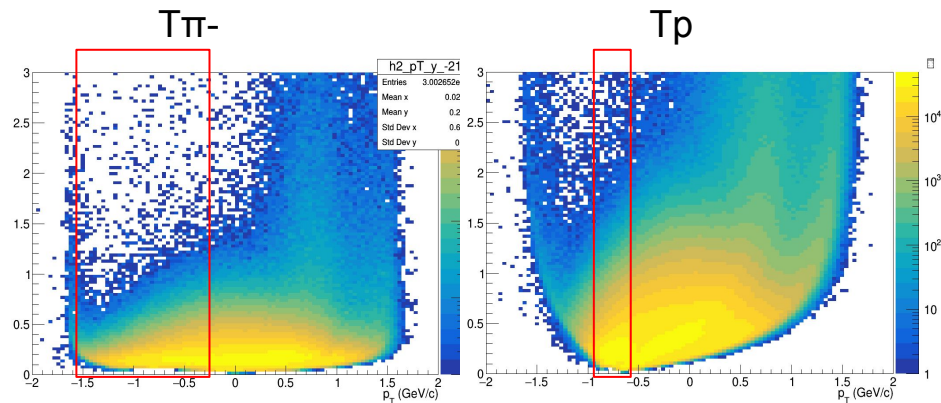
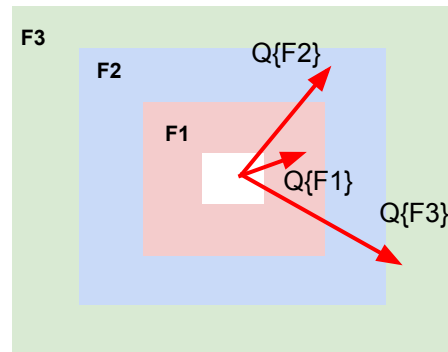
where ϕ is the azimuthal angle

Sum over a group of u_n -vectors in one event forms Q_n -vector:

$$Q_n = \frac{\sum_{k=1}^N w_n^k u_n^k}{\sum_{k=1}^N w_n^k} = |Q_n| e^{in\Psi_n^{EP}}$$

Ψ_n^{EP} is the event plane angle

Modules of FHCAL divided into 3 groups



Additional subevents from tracks not pointing at FHCAL:

T ρ : ρ ; $-1.0 < y < -0.6$;

T π : π^- ; $-1.5 < y < -0.2$;

Flow methods for v_n calculation

Tested in HADES: M Mamaev et al 2020 PPNuclei 53, 277–281
M Mamaev et al 2020 J. Phys.: Conf. Ser. 1690 012122

Scalar product (SP) method:

$$v_1 = \frac{\langle u_1 Q_1^{F1} \rangle}{R_1^{F1}} \quad v_2 = \frac{\langle u_2 Q_1^{F1} Q_1^{F3} \rangle}{R_1^{F1} R_1^{F3}}$$

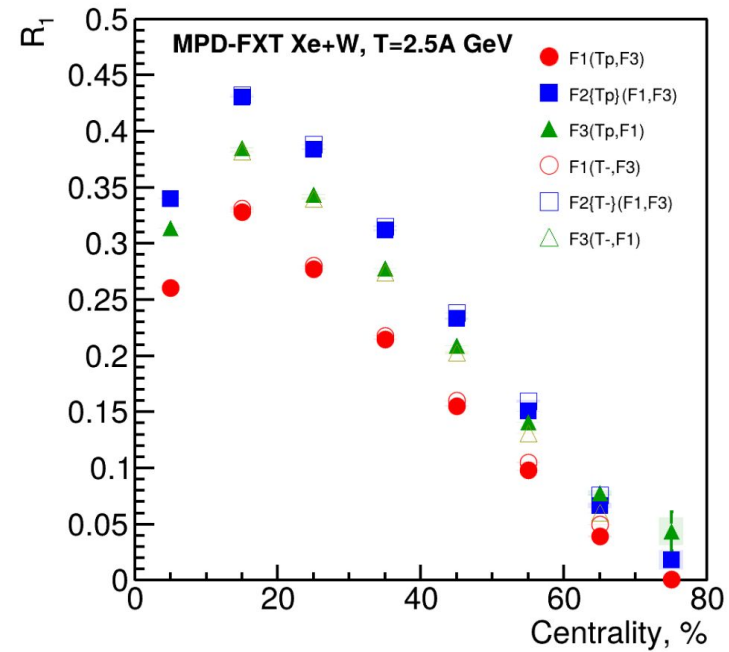
Where R_1 is the resolution correction factor

$$R_1^{F1} = \langle \cos(\Psi_1^{F1} - \Psi_1^{RP}) \rangle$$

Symbol “F2(F1,F3)” means R_1 calculated via
(3S resolution):

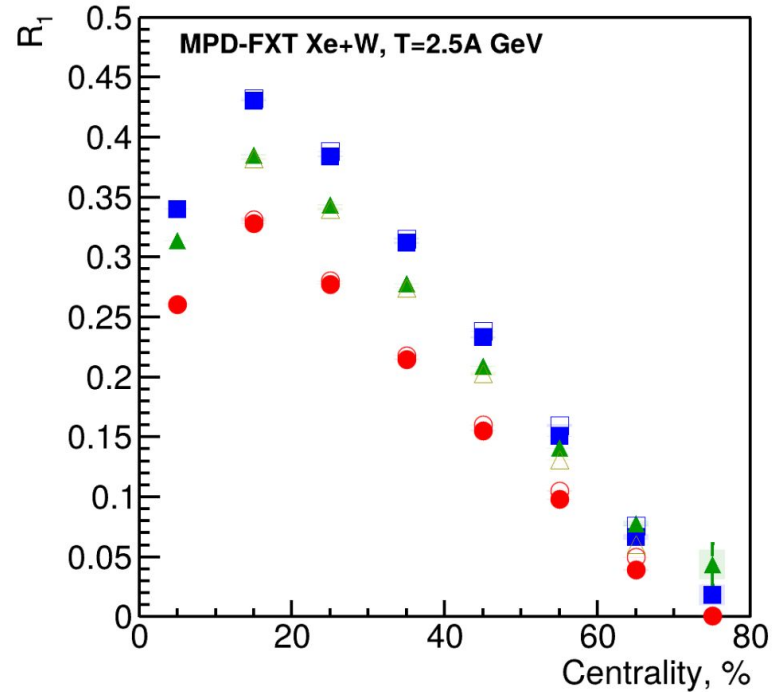
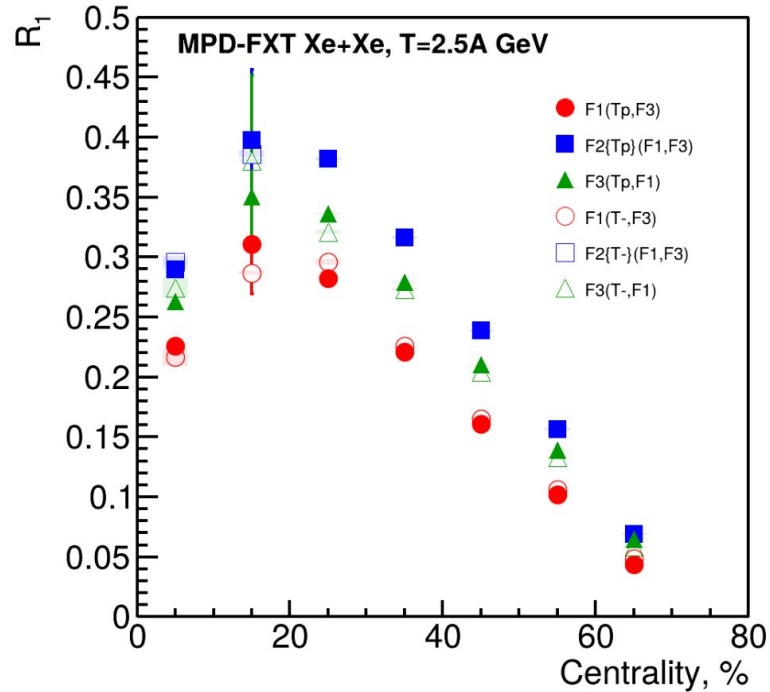
$$R_1^{F2(F1,F3)} = \frac{\sqrt{\langle Q_1^{F2} Q_1^{F1} \rangle \langle Q_1^{F2} Q_1^{F3} \rangle}}{\sqrt{\langle Q_1^{F1} Q_1^{F3} \rangle}}$$

$$R_1^{F2\{Tp\}(F1,F3)} = \langle Q_1^{F2} Q_1^{Tp} \rangle \frac{\sqrt{\langle Q_1^{F1} Q_1^{F3} \rangle}}{\sqrt{\langle Q_1^{Tp} Q_1^{F1} \rangle \langle Q_1^{Tp} Q_1^{F3} \rangle}}$$



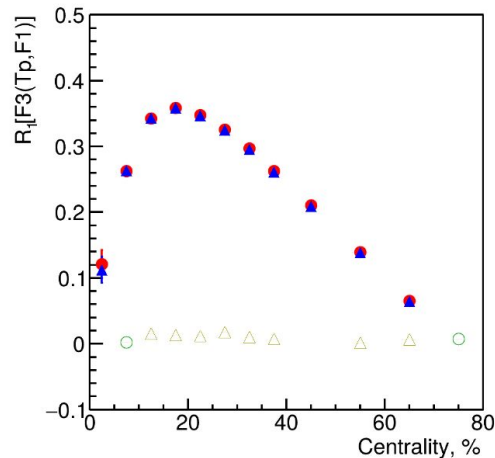
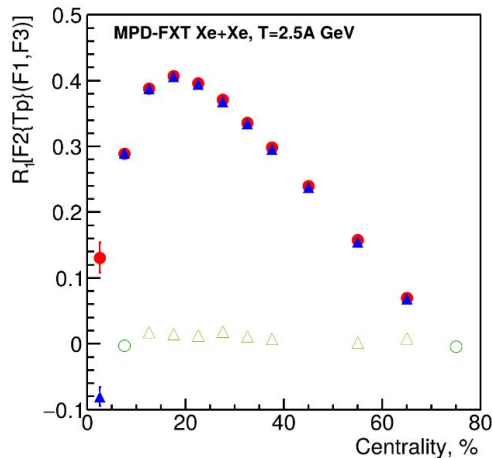
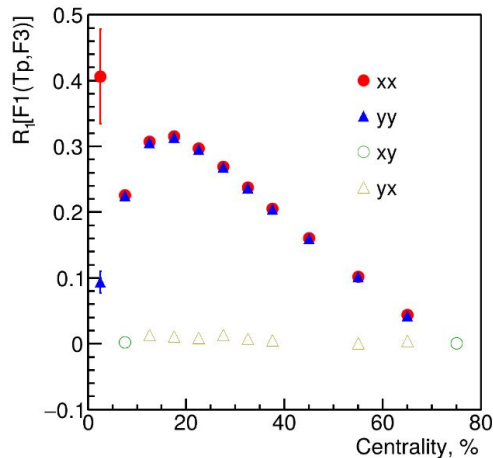
Symbol “F2{Tp}(F1,F3)” means R_1
calculated via (4S resolution):

Results: resolution



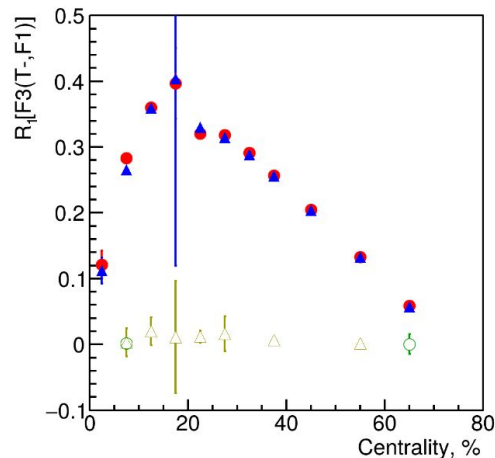
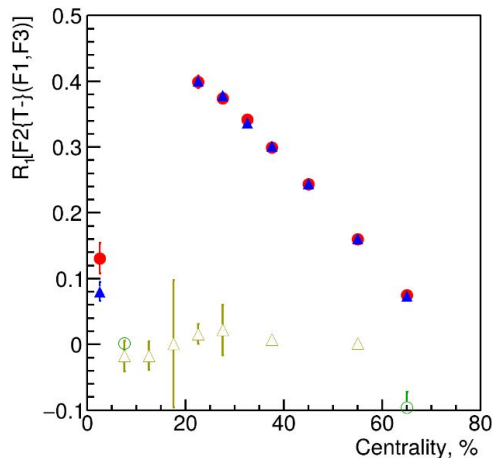
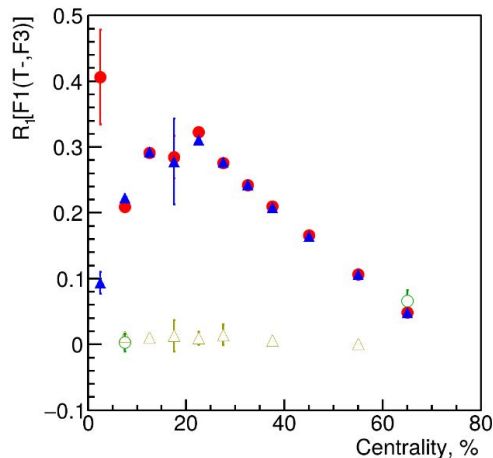
Resolution using Tp and T- are in a good agreement for both Xe+Xe, Xe+W

Resolution: components, Xe+Xe

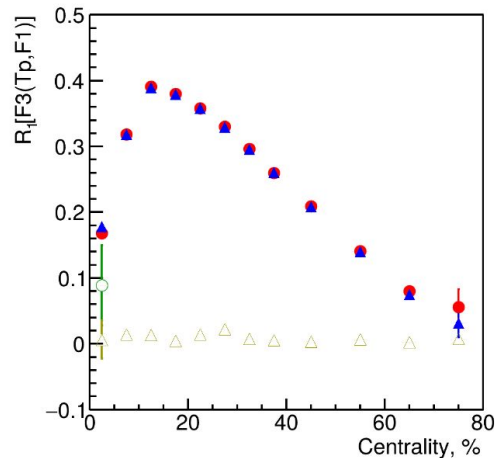
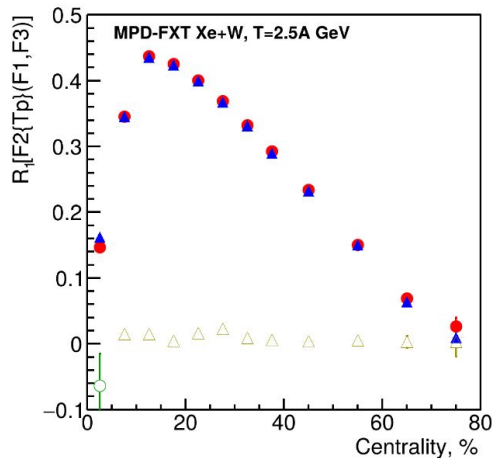
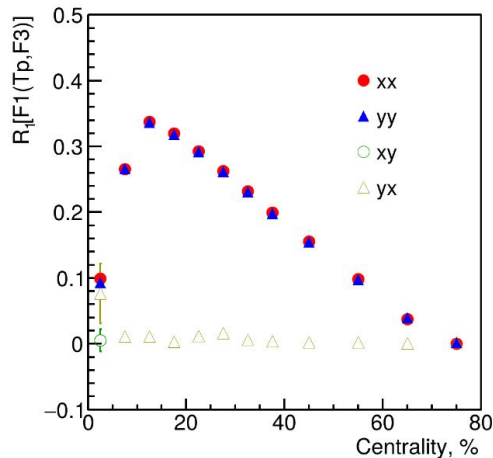


$$xx=yy$$

$$xy=yx=0$$

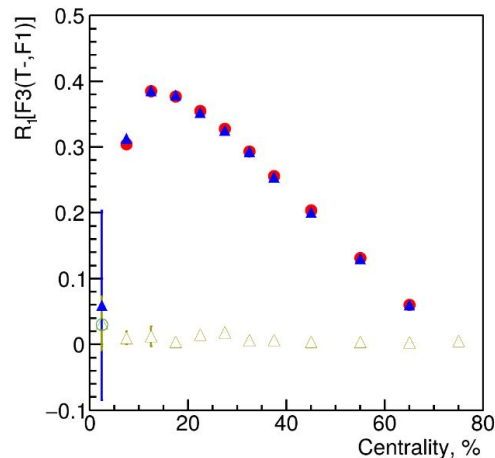
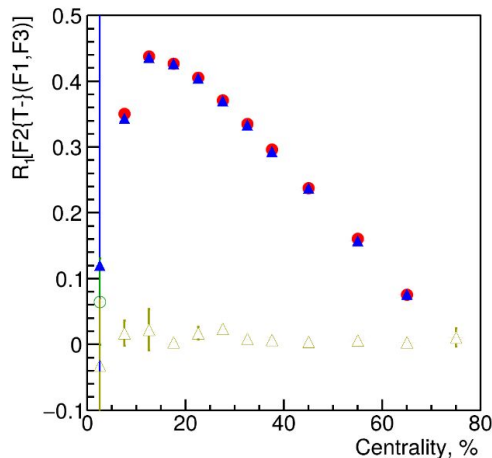
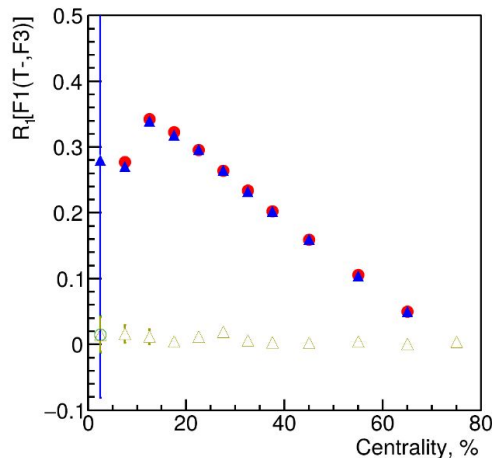


Resolution: components, Xe+W



$$xx=yy$$

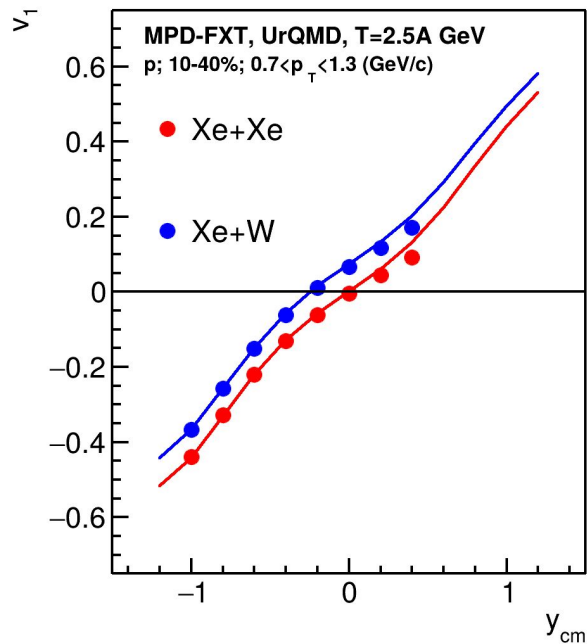
$$xy=yx=0$$



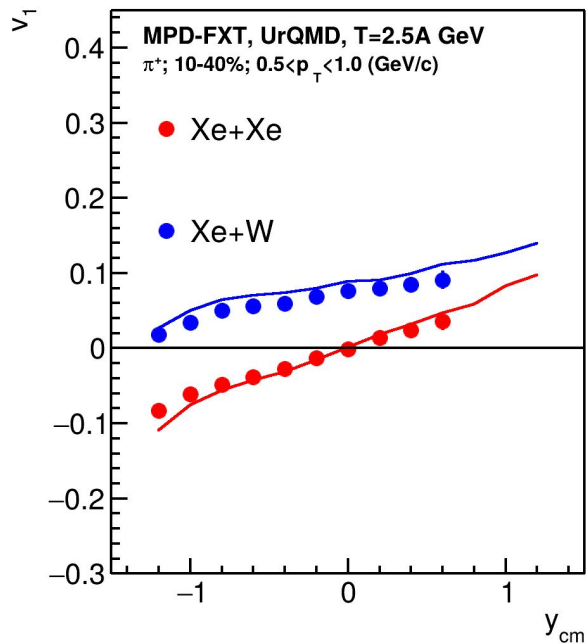
Results: $v_1(y)$

Systematics: xx, yy, F1, F2, F3

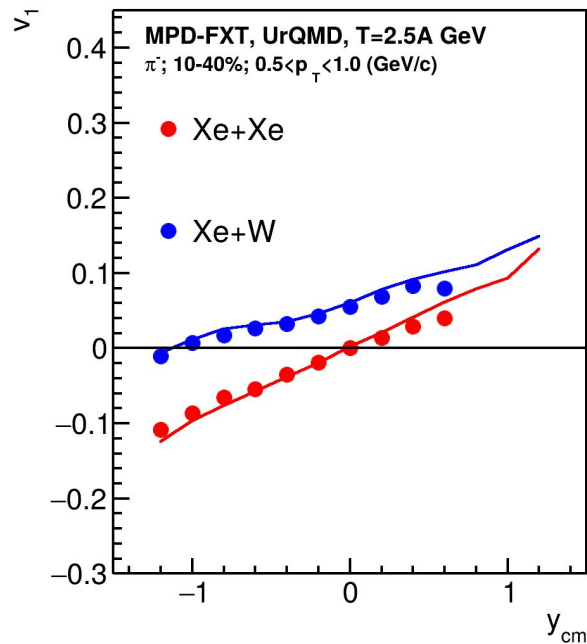
p



π^+



π^-

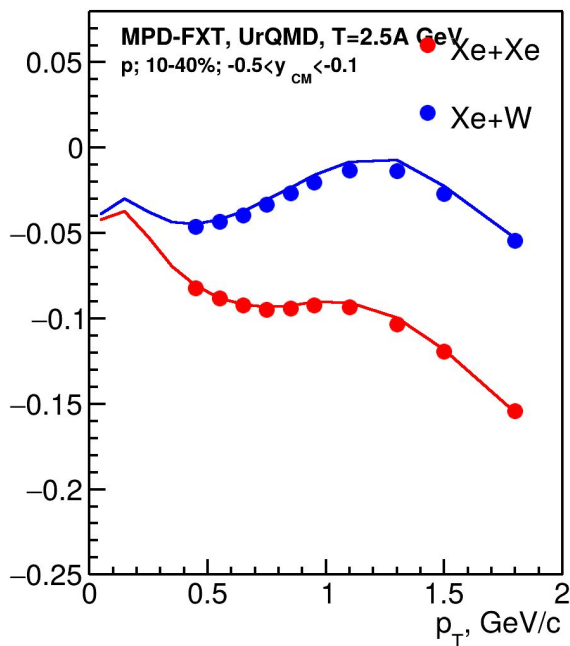


Protons - good. Discrepancy for pions: maybe we need a stricter PID/DCA cut?

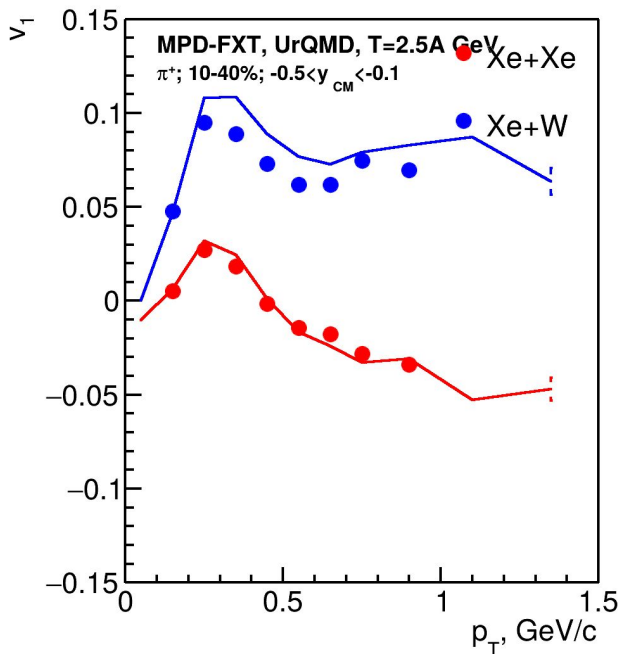
Results: $v_1(p_T)$

Systematics: xx, yy, F1, F2, F3

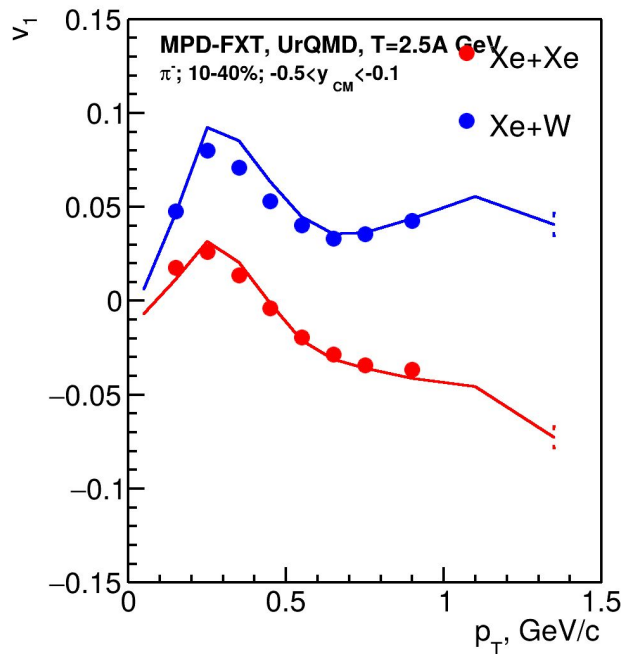
p



π^+



π^-

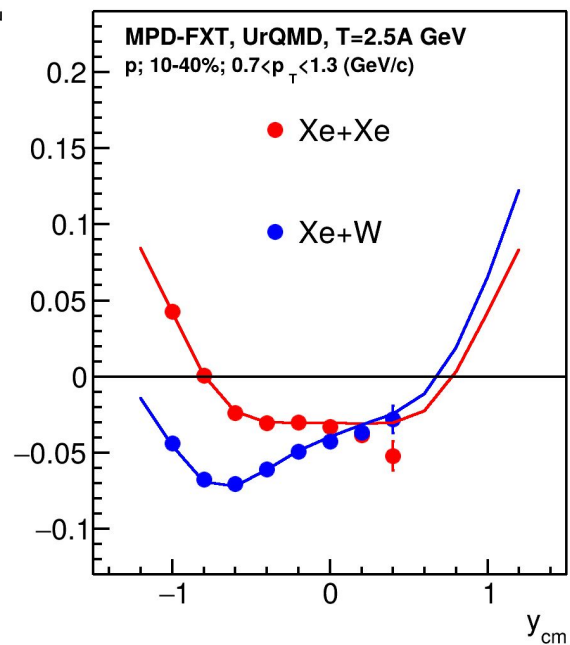


Protons - good. Discrepancy for pions: maybe we need a stricter PID/DCA cut?

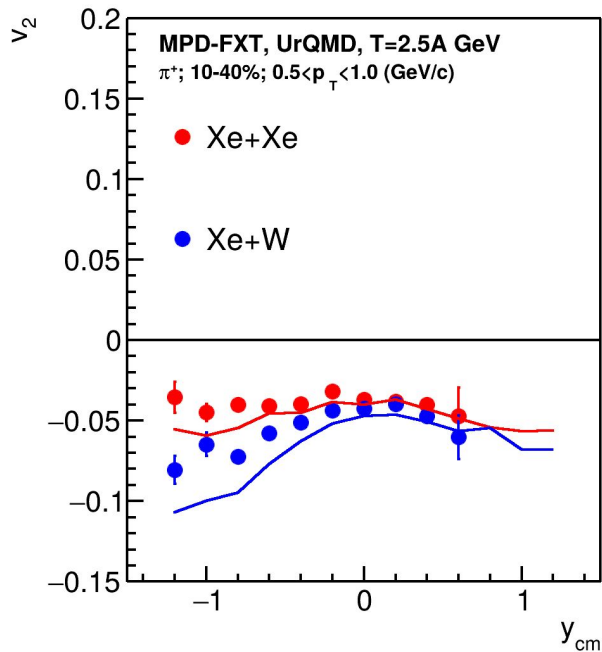
Results: $v_2(y)$

Systematics: xxx, xyy

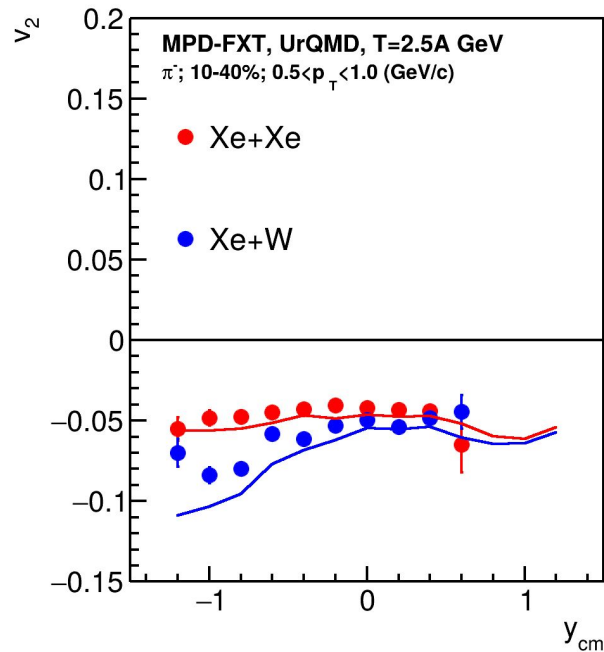
p



π^+



π^-

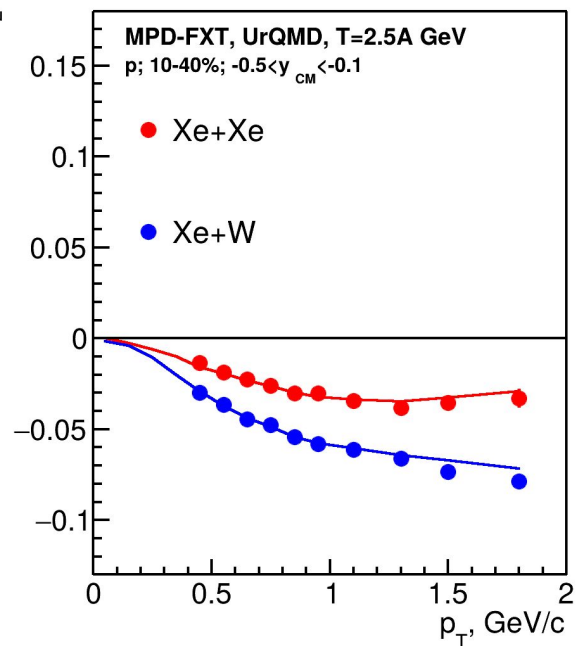


Protons - good. Discrepancy for pions: maybe we need a stricter PID/DCA cut?

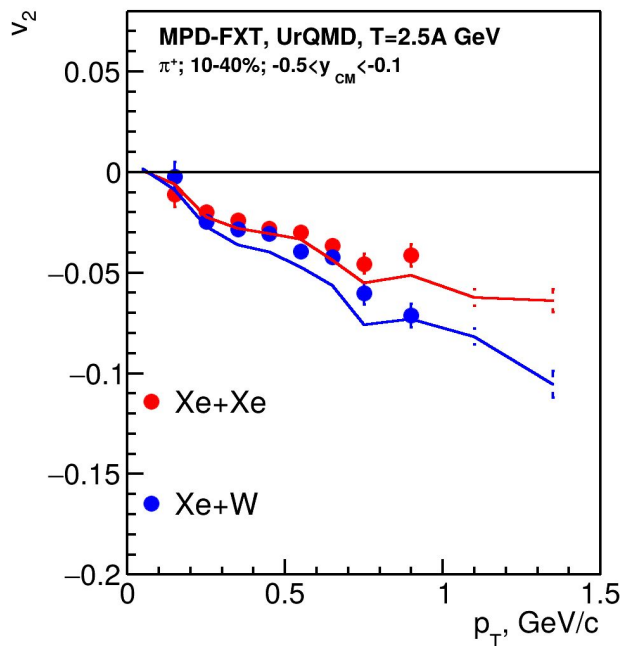
Results: $v_2(p_T)$

Systematics: xxx, xyy

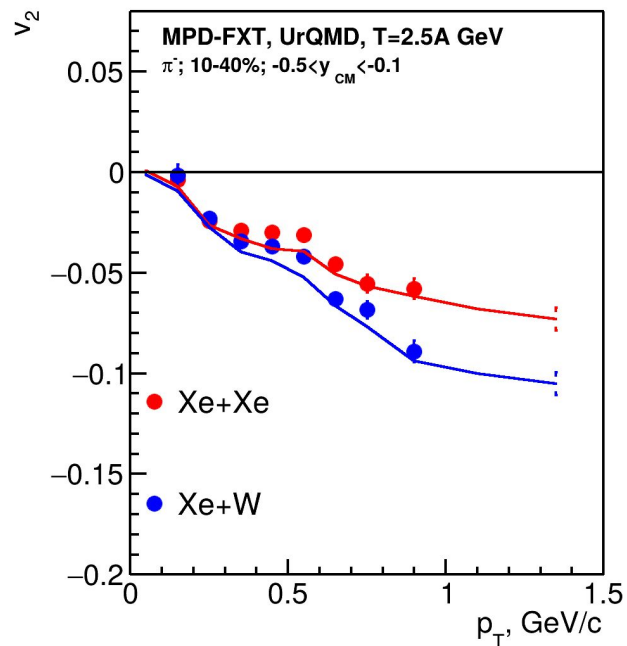
p



π^+

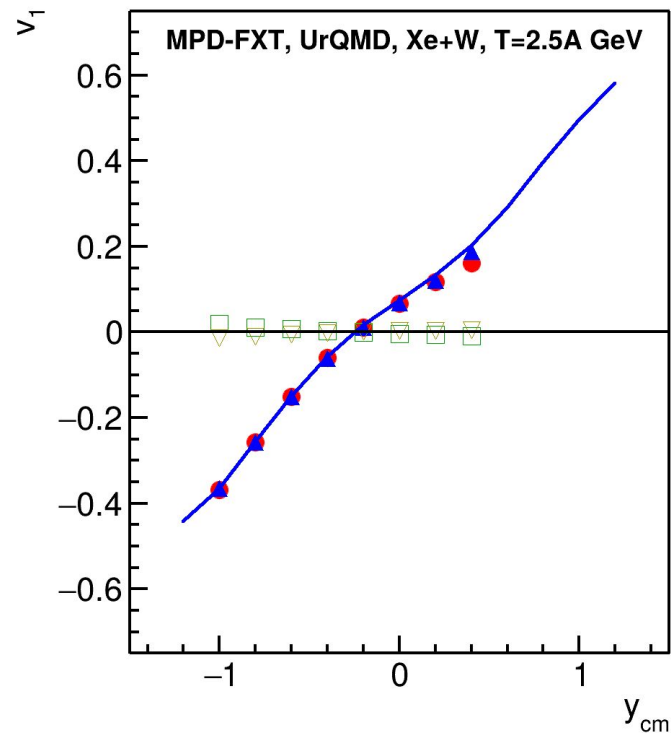
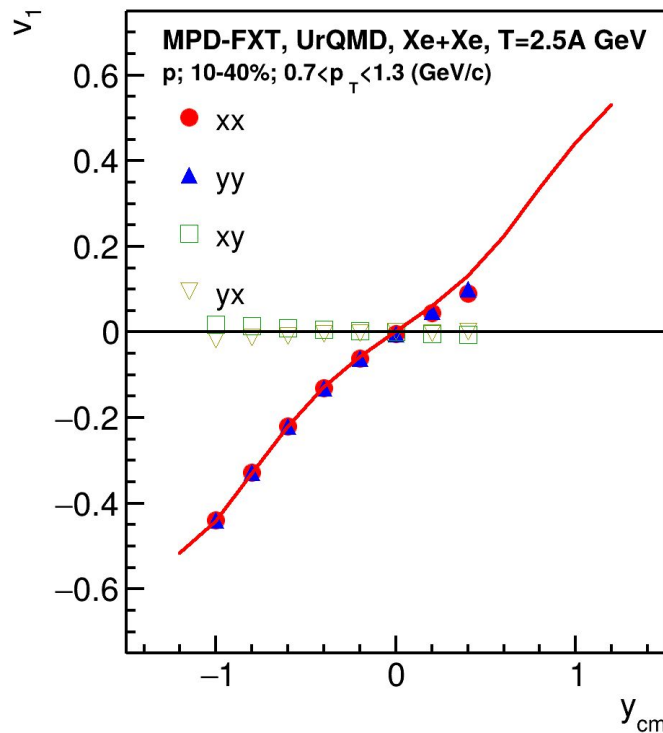


π^-



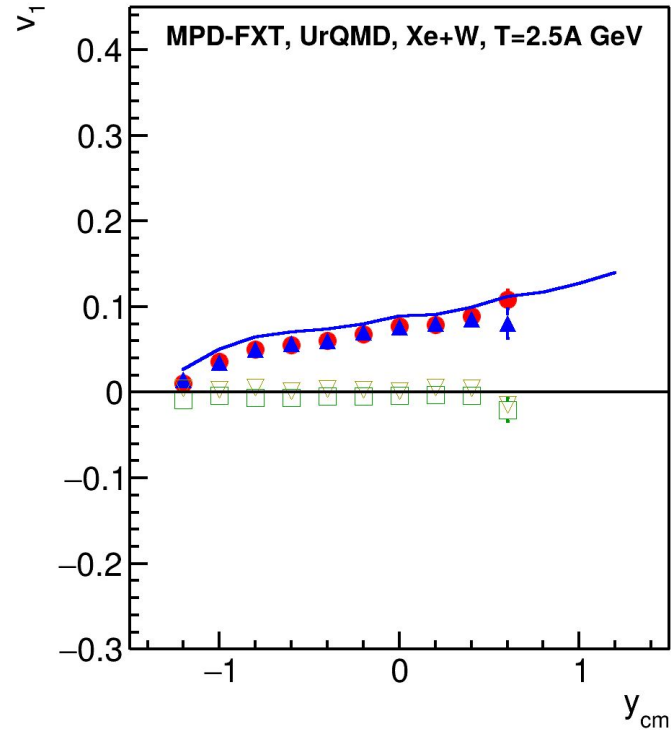
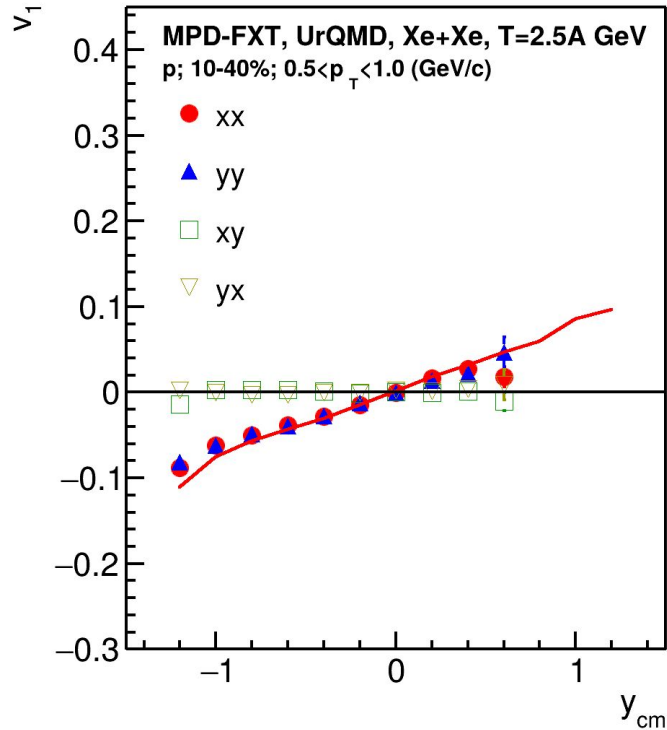
Protons - good. Discrepancy for pions: maybe we need a stricter PID/DCA cut?

$v_1(y)$ protons - components



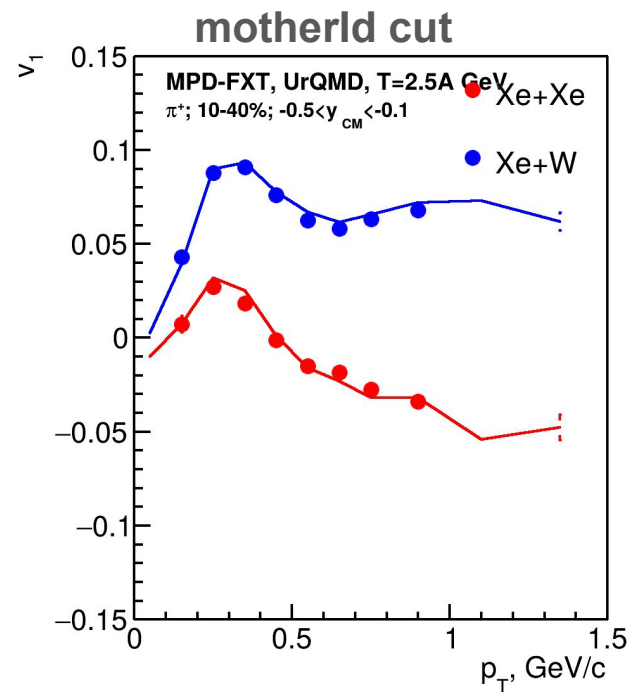
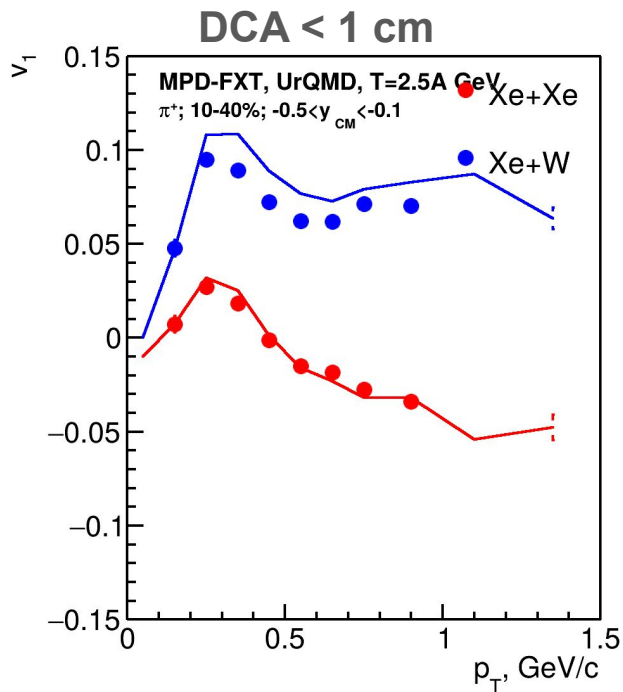
xx=yy, xy=yx=0. Looks ok for both Xe+Xe and Xe+W.

$v_1(y) \pi^+$ - components



xx=yy, xy=yx=0. Looks ok for both Xe+Xe and Xe+W.

Results v_1 : pions problem in Xe+W (π^+)

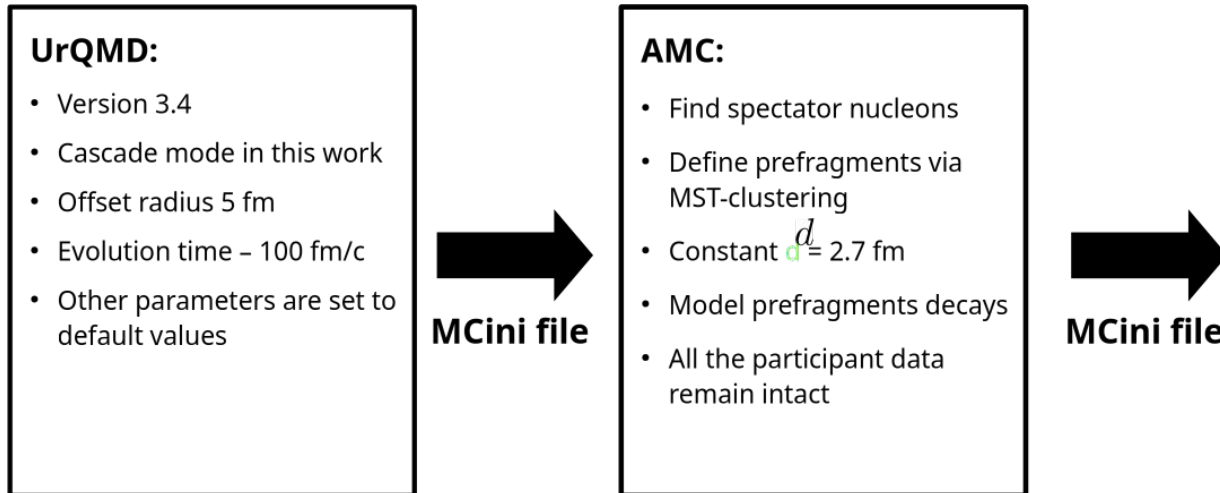


Difference between mc and reco for pions due to secondary particles

Secondary pions affect signal in Xe+W

Combining UrQMD and AAMCC

- AMC is developed to simulate secondary decays of spectator fragments created in other models, in particular UrQMD.
- It is assumed that spectator matter is formed out of nucleons that do not undergo any collisions.



UrQMD and UrQMD-AAMCC: Data sets

Base model: UrQMD ver. 3.4

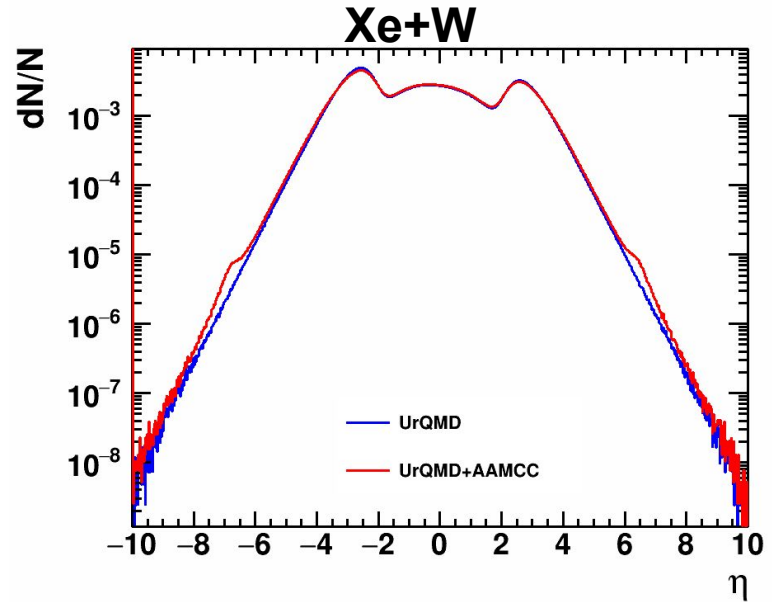
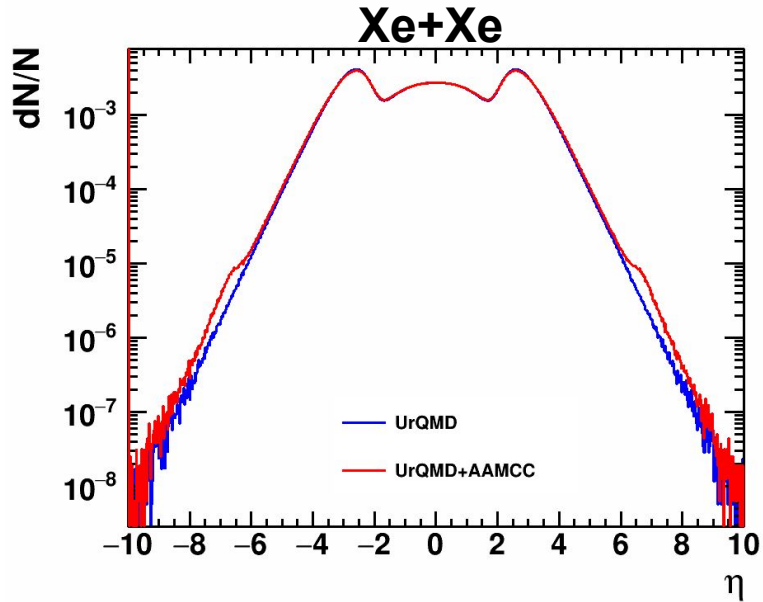
UrQMD configuration:

- Xe+Xe and Xe+W (2M events each)
- $T=2.5A$ GeV (2.87 GeV)
- mean-field (Skyrme potential)

UrQMD-AAMCC configuration:

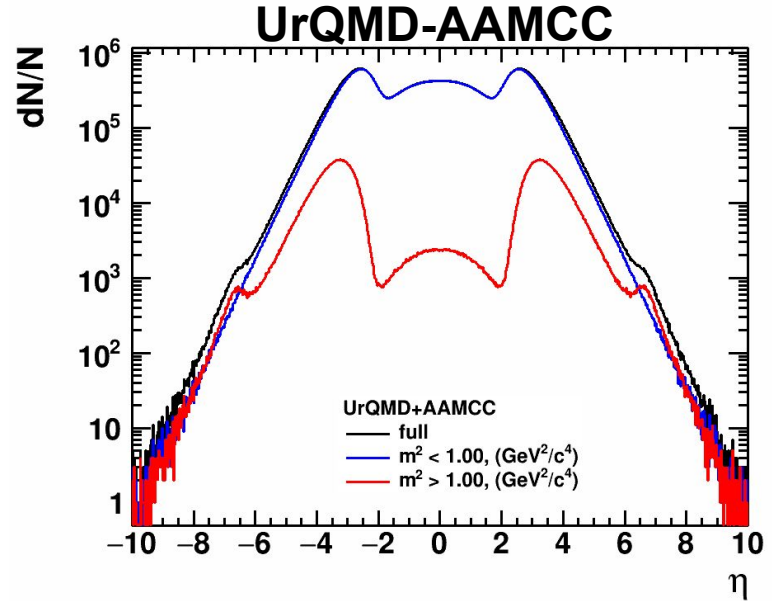
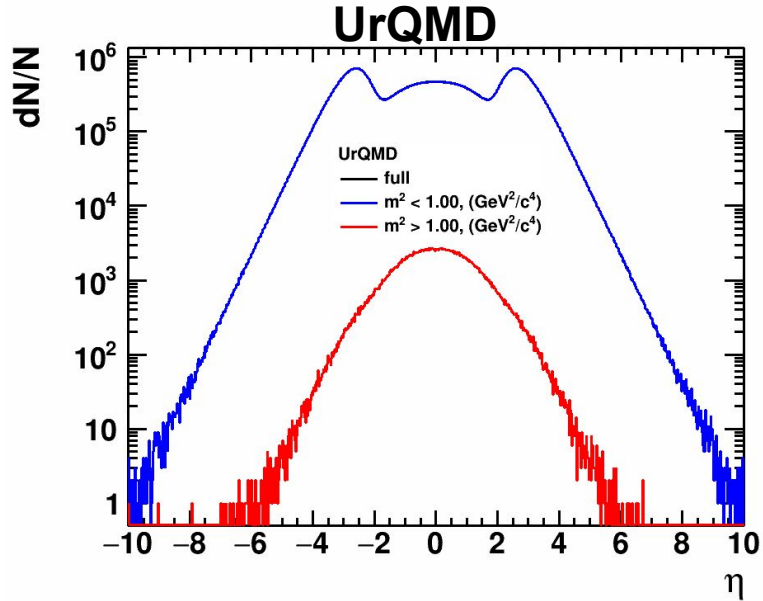
- Same UrQMD setup
- AAMCC in afterburner mode
 - Excitation energy of prefragment: hybrid density function is used based on Ericson formula and ALADIN parametrization

Pseudorapidity



As expected, more particles (fragments) in the forward/backward η region

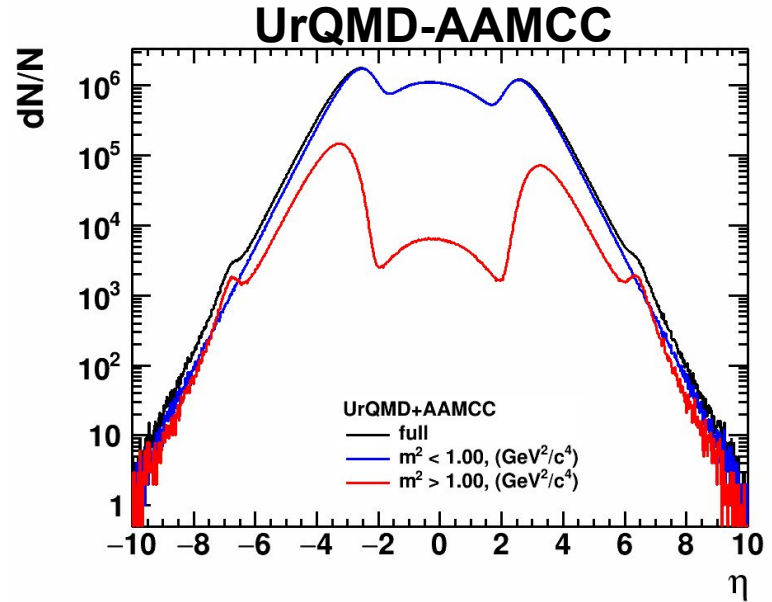
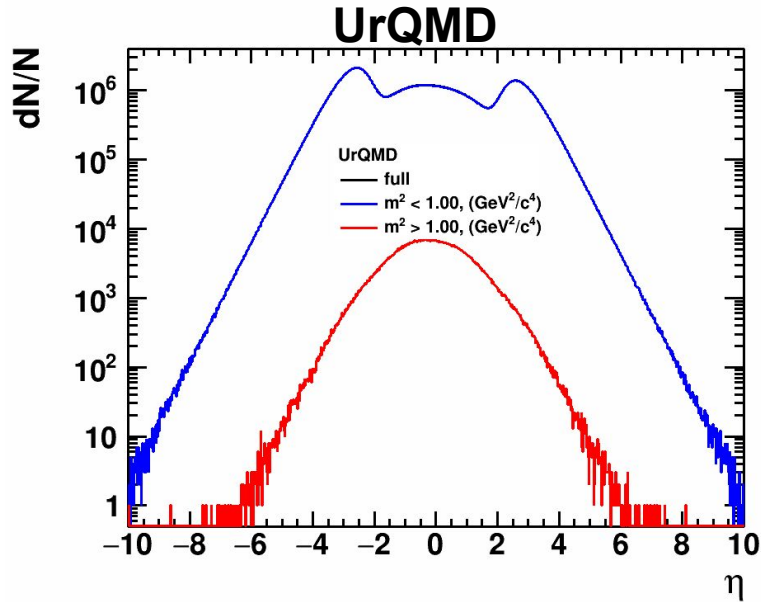
Pseudorapidity: different masses (Xe+Xe)



UrQMD: particle with $m > 1 \text{ GeV}/c^2$ are born in the participant region

UrQMD-AAMCC: large contribution from the spectator region (fragments)

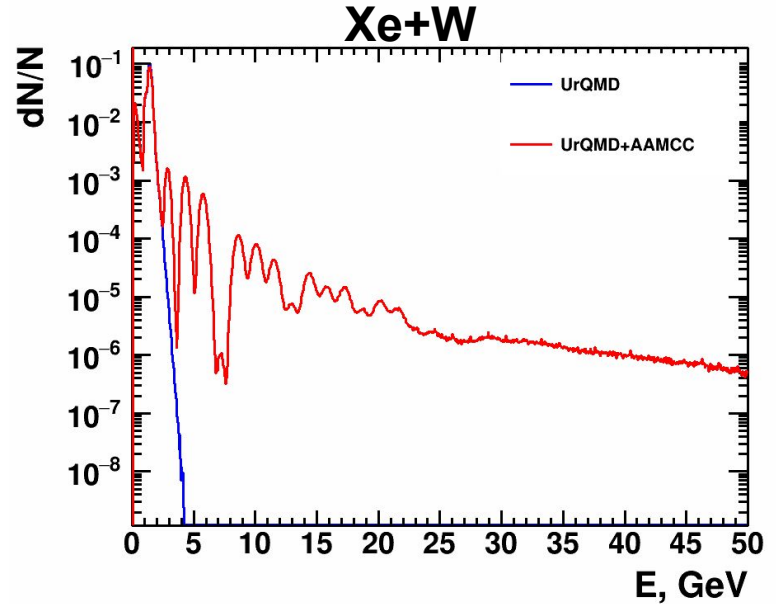
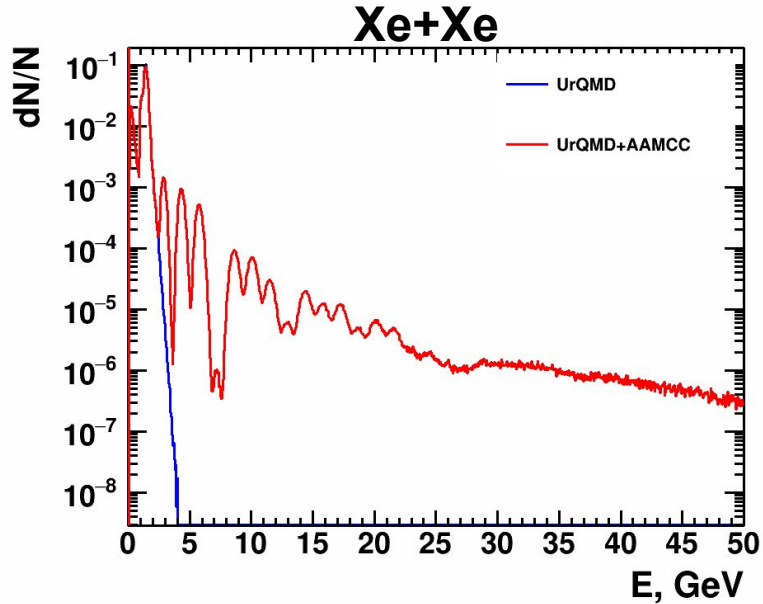
Pseudorapidity: different masses (Xe+W)



UrQMD: particle with $m > 1 \text{ GeV}/c^2$ are born in the participant region

UrQMD-AAMCC: large contribution from the spectator region (fragments)

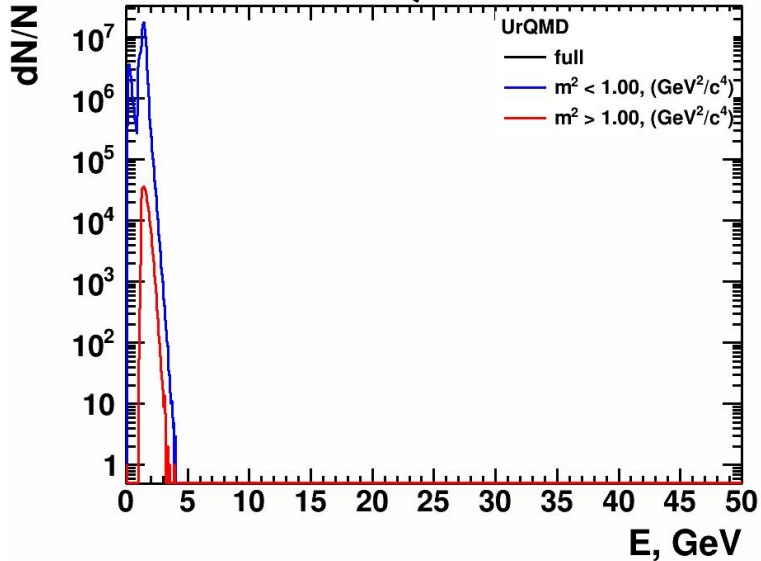
Energy (of the particles)



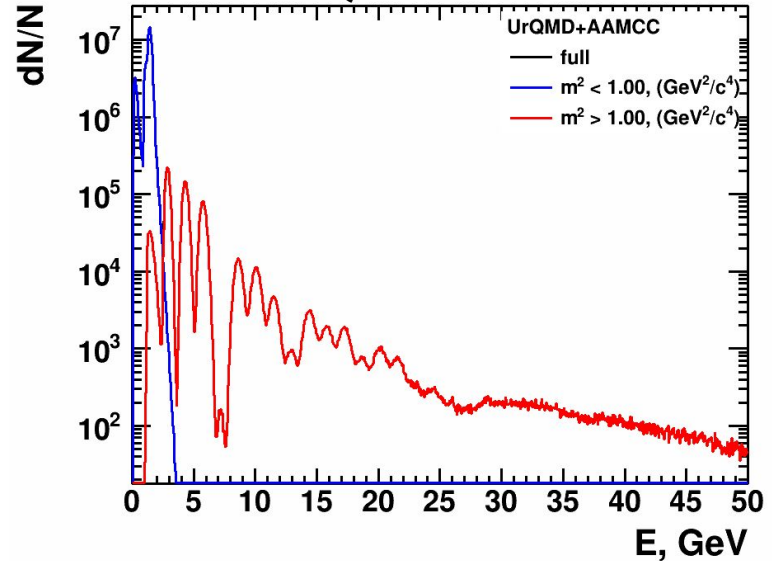
As expected, AAMCC adds particles (fragments) with higher energy

Energy: different masses (Xe+Xe)

UrQMD

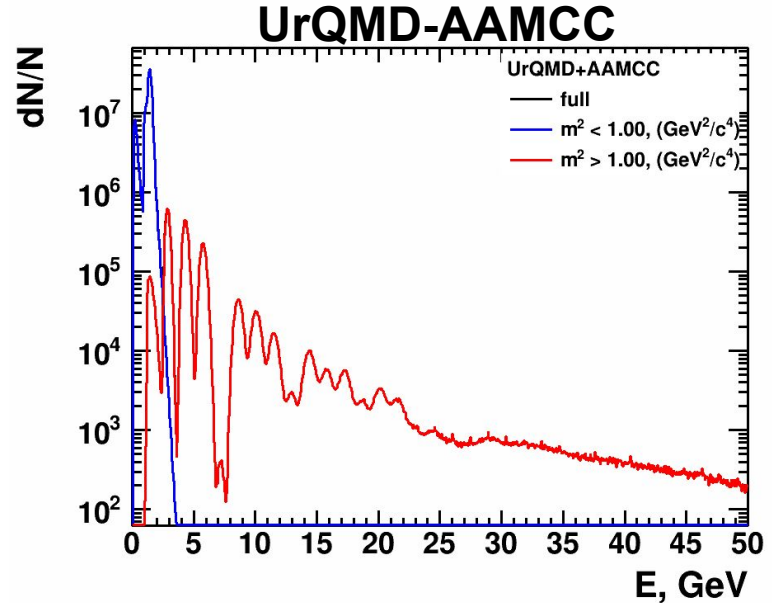
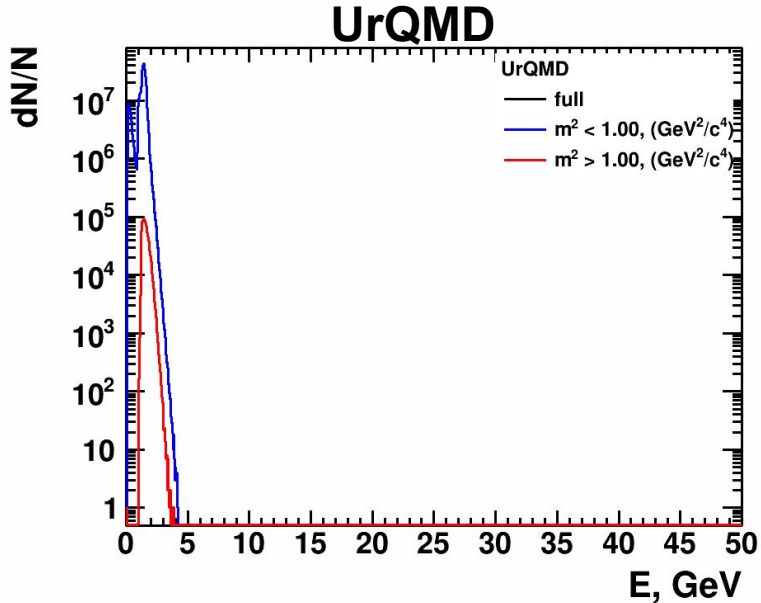


UrQMD-AAMCC



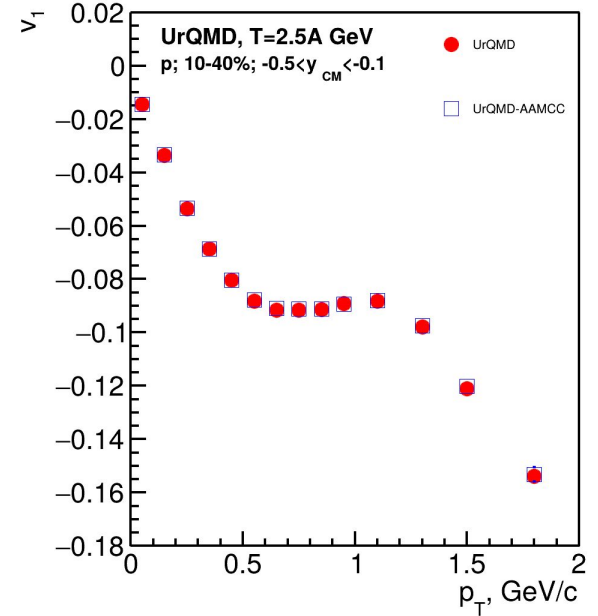
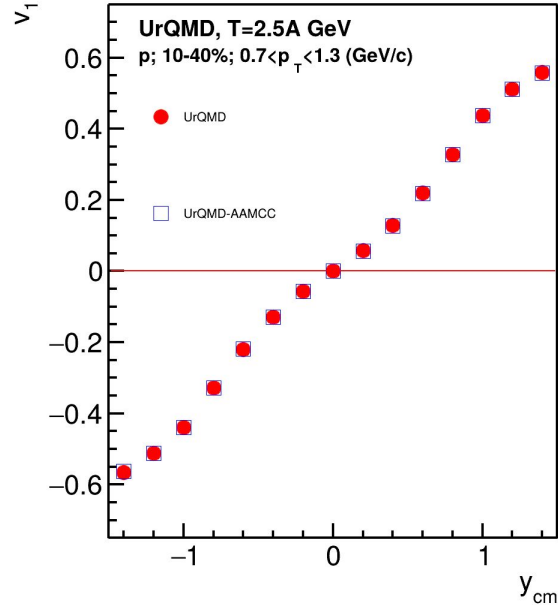
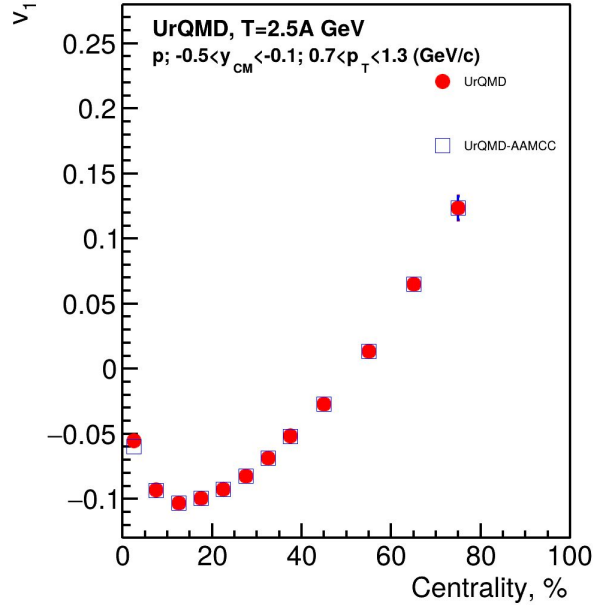
As expected, particles with higher energies are coming from AAMCC (fragments)

Energy: different masses (Xe+W)



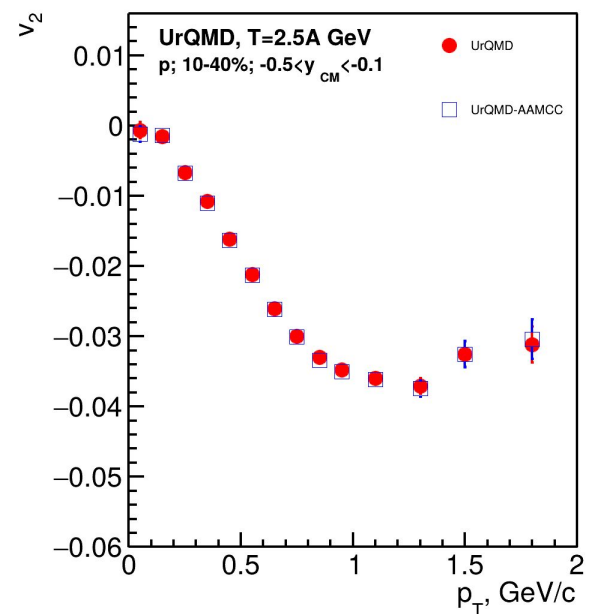
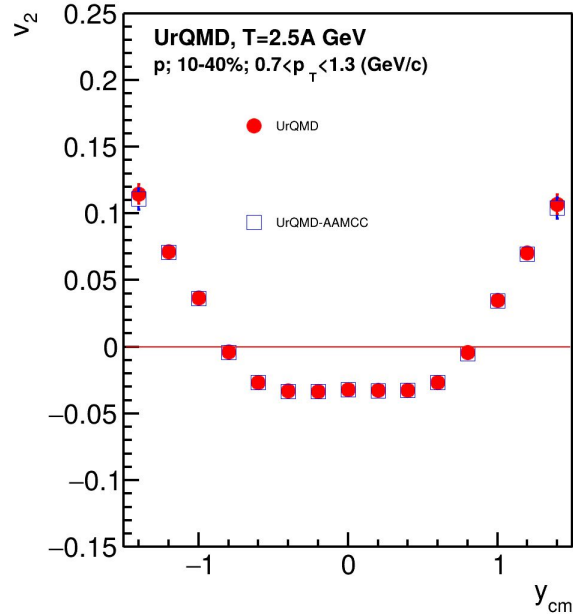
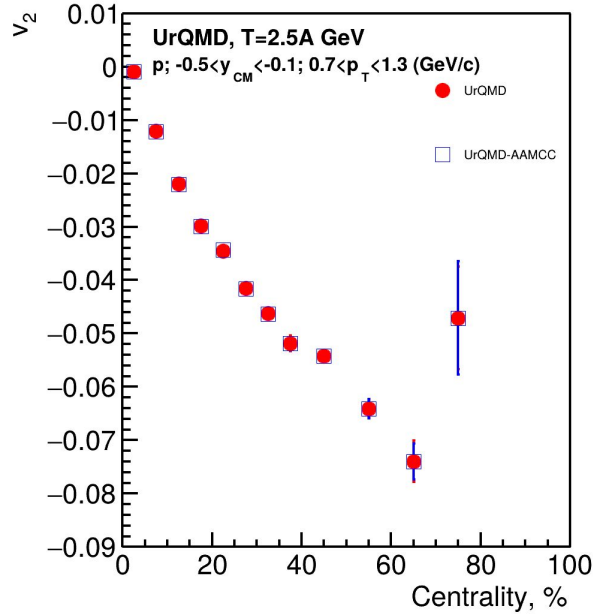
As expected, more particles with $m > 1 \text{ GeV}/c^2$ in UrQMD-AAMCC compared to UrQMD

Directed flow: UrQMD vs UrQMD-AAMCC (protons)



There are no difference in v_1 for UrQMD and UrQMD-AAMCC

Elliptic flow: UrQMD vs UrQMD-AAMCC (protons)



There are no difference in v_2 for UrQMD and UrQMD-AAMCC

Summary

- **v1, v2 of protons and pions in Xe+Xe, Xe+W, T=2.5A GeV**
 - Realistic procedures for centrality determination, primary track selection and PID were used
 - Multiplicity-based centrality determination using MC-Glauber was used
 - Basic PID was performed using dE/dx from TPC and m^2 from TOF
 - Good agreement between “reco” and “mc” within corresponding acceptance window for protons
 - Discrepancy between “reco” and “mc” for pions are due to secondary particles: dca<1 cm cut is not enough for Xe+W
- **UrQMD vs. UrQMD-AAMCC**
 - Expected differences between UrQMD and UrQMD-AAMCC due to the presence of the fragments in the latter model
 - No fundamental differences between data sets for Xe+Xe and Xe+W
 - Difference between UrQMD and UrQMD-AAMCC is negligible in terms of anisotropic flow

Backup

MPD

BM@N

Ablation Monte Carlo: decay code from AAMCC

The excited nuclear fragments are formed by means of MST-clusterization algorithm

The excited nuclear clusters – prefragments is modelled by MST-clustering in coordinate space, in contrast with DCM-QGSM-SMM, where all the spectator nucleon remain bound in one prefragment.

Excitation energy of prefragment is calculated by hybrid approximation: a combination of Ericson formula for peripheral collisions and ALADIN approximation otherwise¹⁾

Decays of prefragments are simulated as follows:

Fermi break-up model from Geant4 v9.2²⁾

Statistical Multifragmentation Model (SMM) from Geant4 v10.4²⁾

Weisskopf-Ewing evaporation model

from Geant4 v10.4²⁾

They were validated and adjusted to describe the data³⁾.

1) R. Nepeivoda, et al., Particles 5 (2022) 40

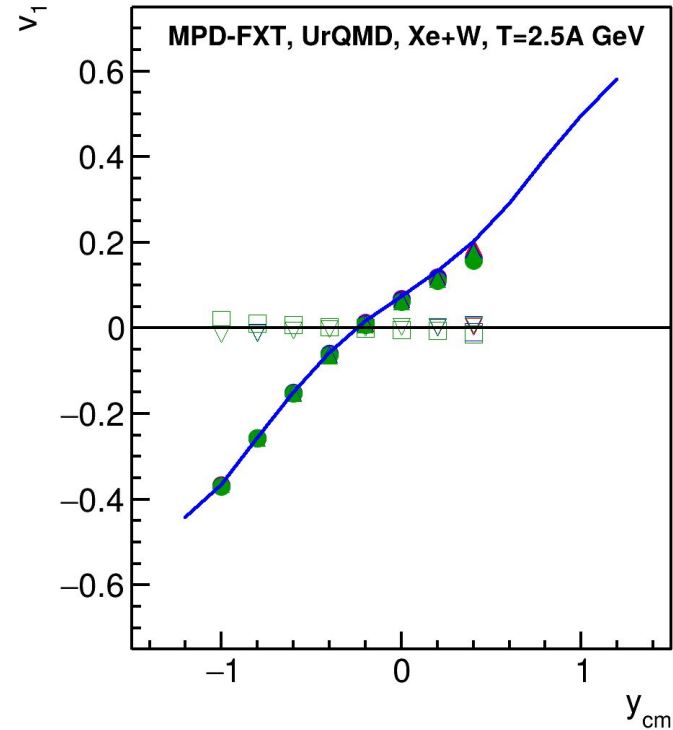
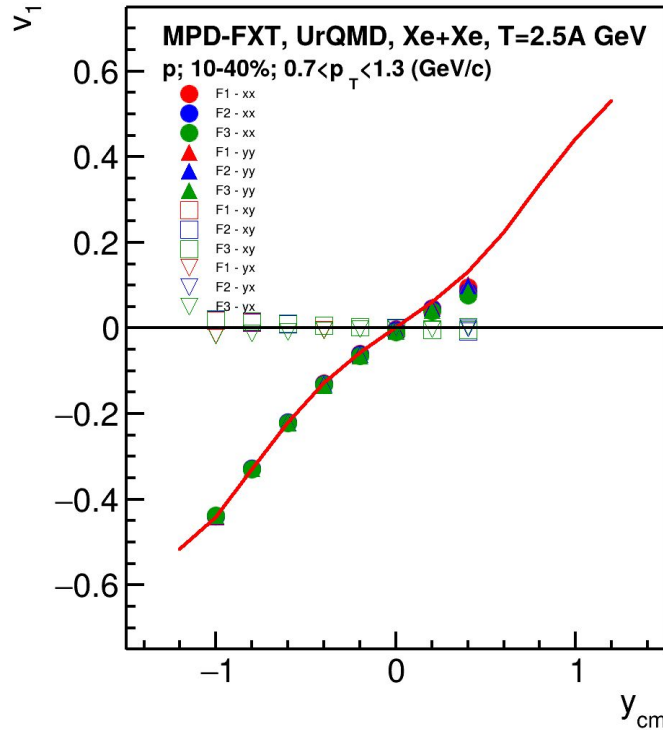
2) J. Alison et al. Nucl. Inst. A 835 (2016) 186

3) 55th Geant4 Technical Forum

<https://indico.cern.ch/event/1106118/contributions/4693132/>

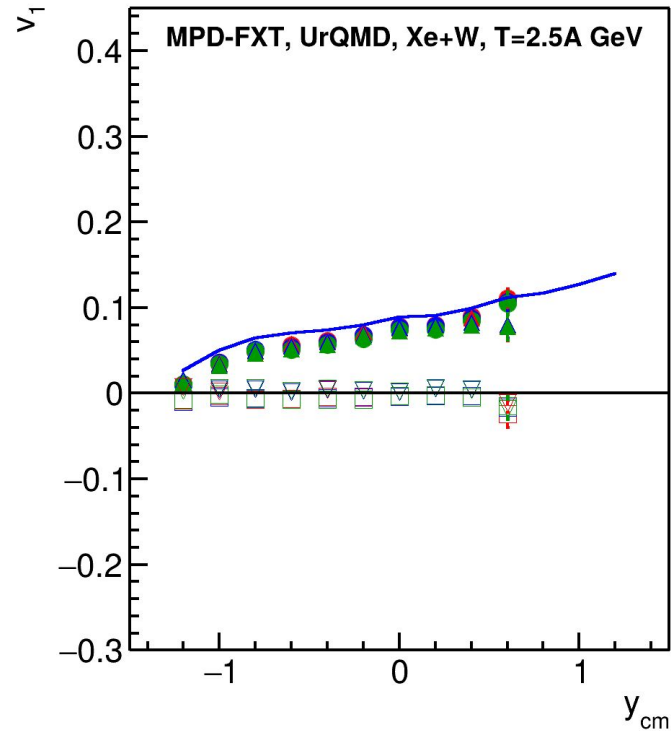
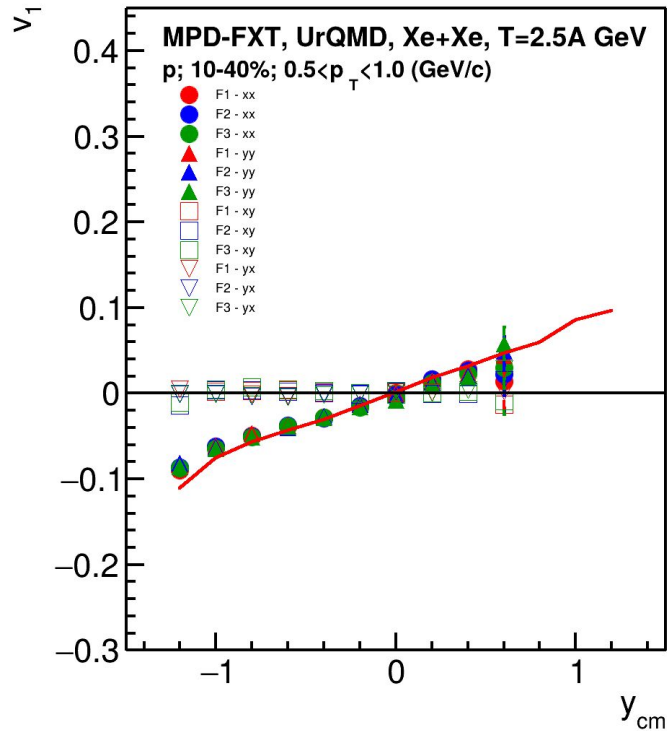
<https://github.com/Spectator-matter-group-INR-RAS/AAMCC>

$v_1(y)$ protons - components, detailed look



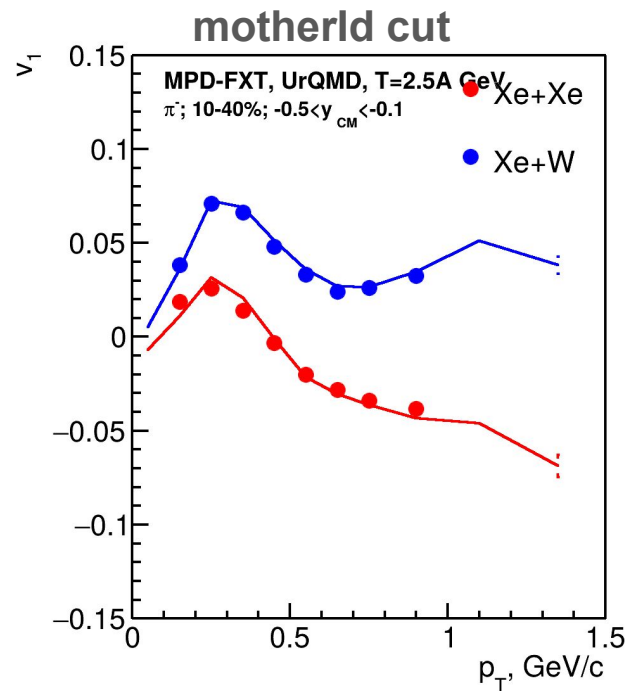
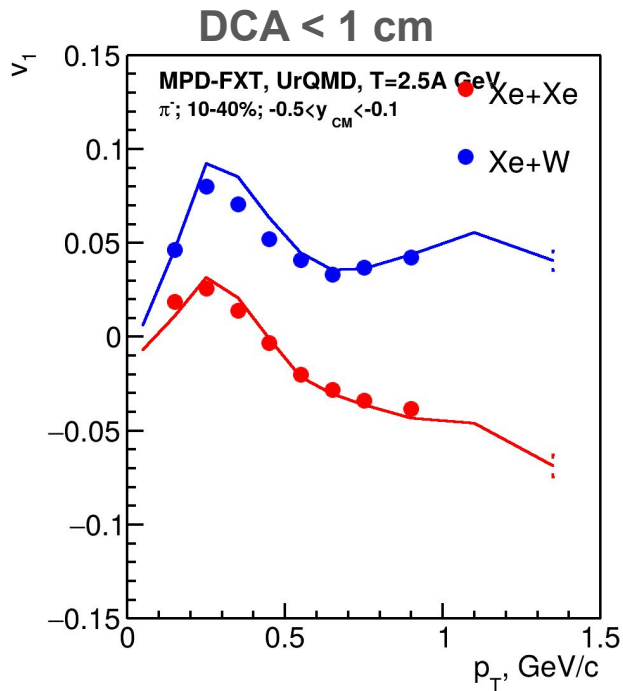
xx=yy, xy=yx=0. Looks ok for both Xe+Xe and Xe+W.

$v_1(y) \pi^+$ - components, detailed look



xx=yy, xy=yx=0. Looks ok for both Xe+Xe and Xe+W.

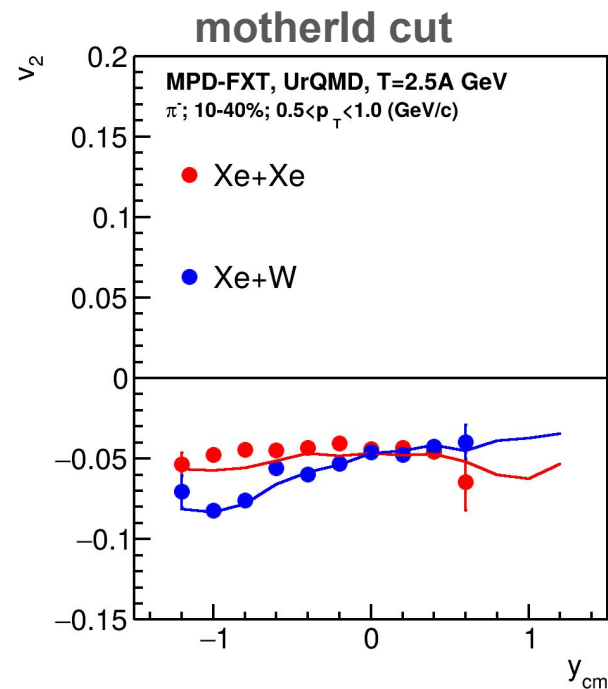
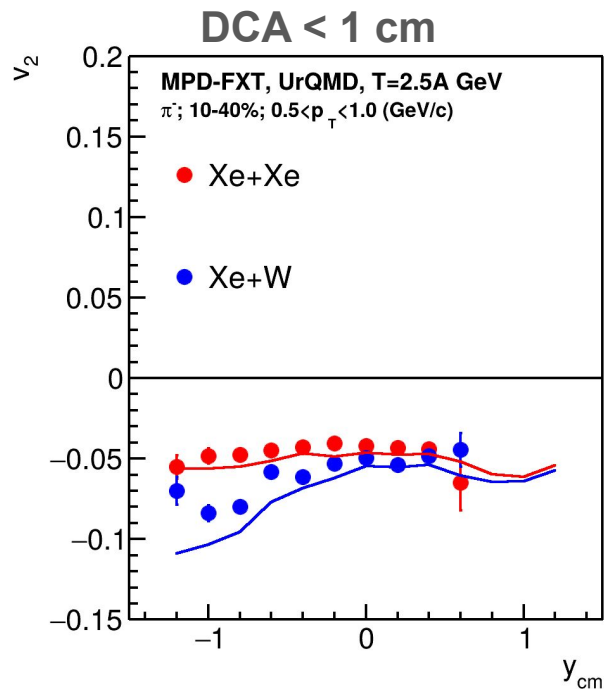
Results v_1 : pions problem in Xe+W (π^-)



Difference between mc and reco for pions due to secondary particles

Secondary pions affect signal in Xe+W

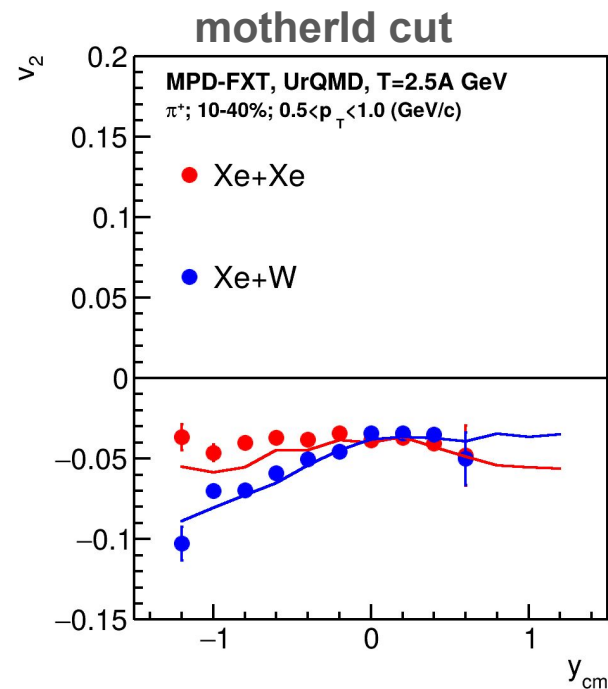
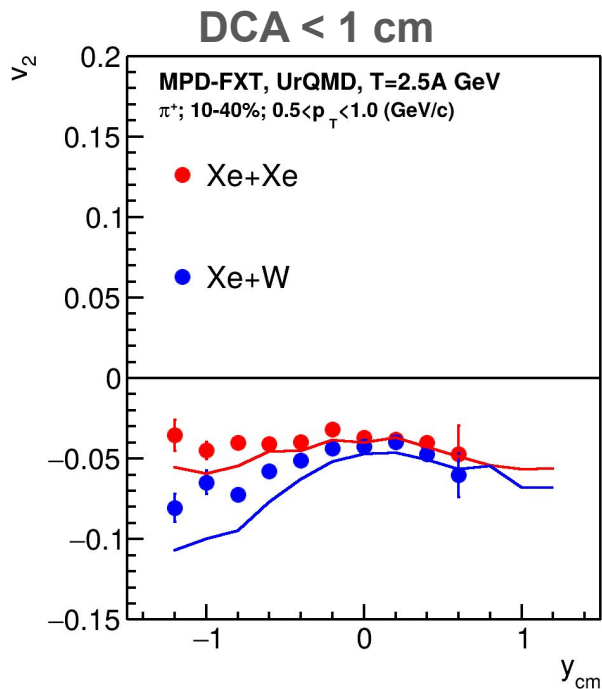
Results v_2 : pions problem in Xe+W (π^-)



Difference between mc and reco for pions due to secondary particles

Secondary pions affect signal in Xe+W

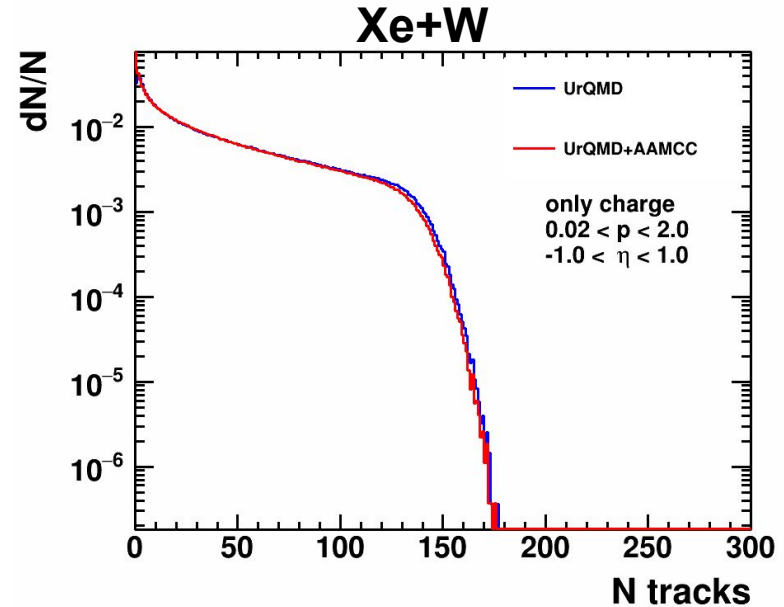
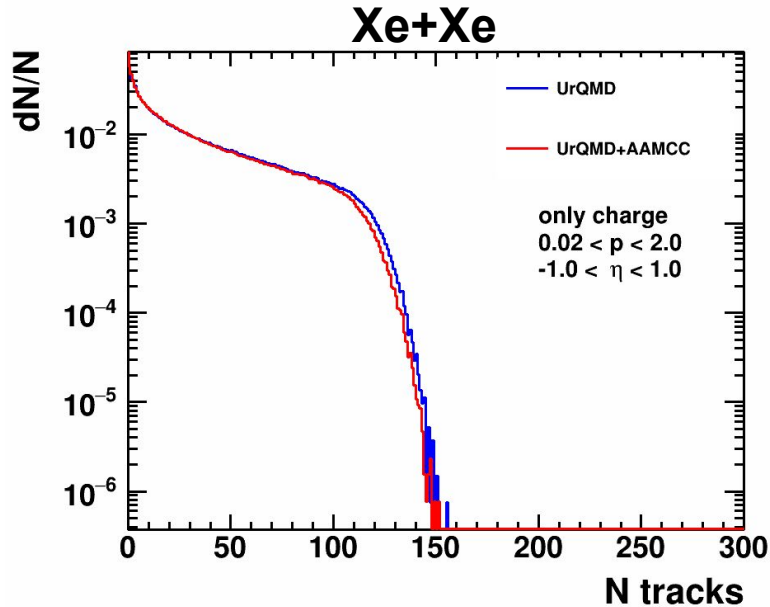
Results v_2 : pions problem in Xe+W (π^+)



Difference between mc and reco for pions due to secondary particles

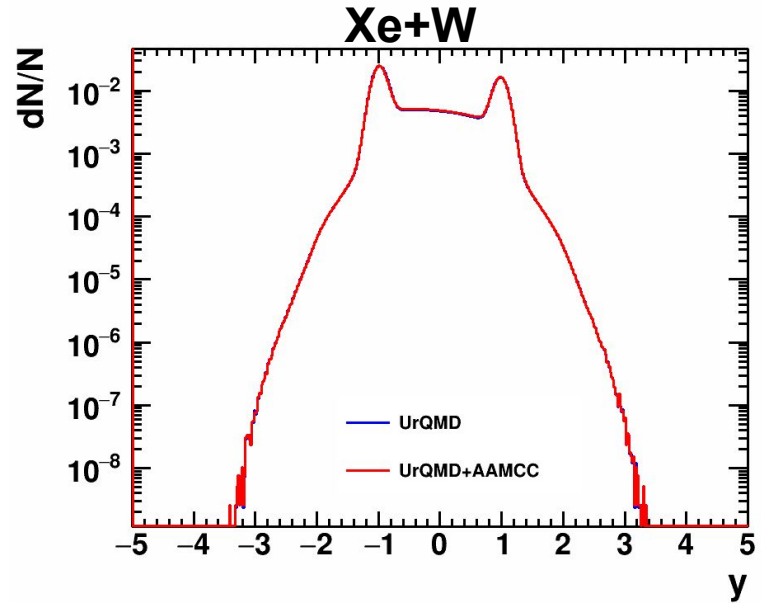
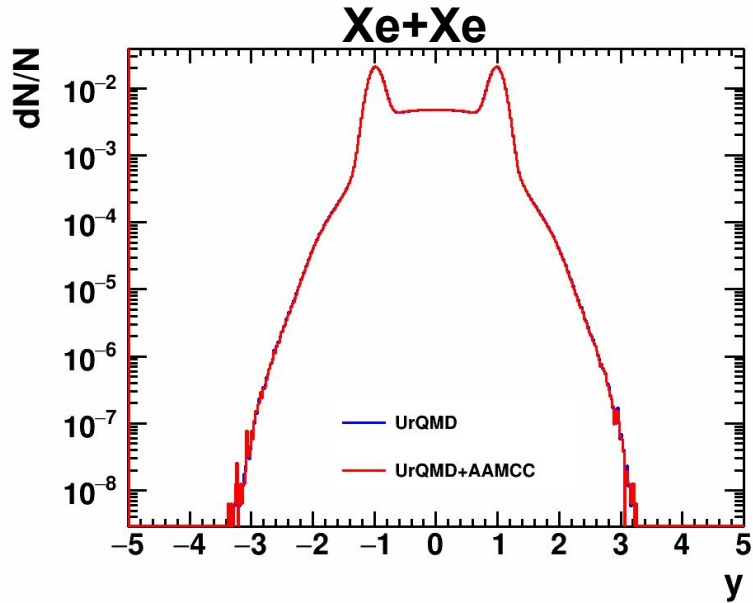
Secondary pions affect signal in Xe+W

Charge particle multiplicity



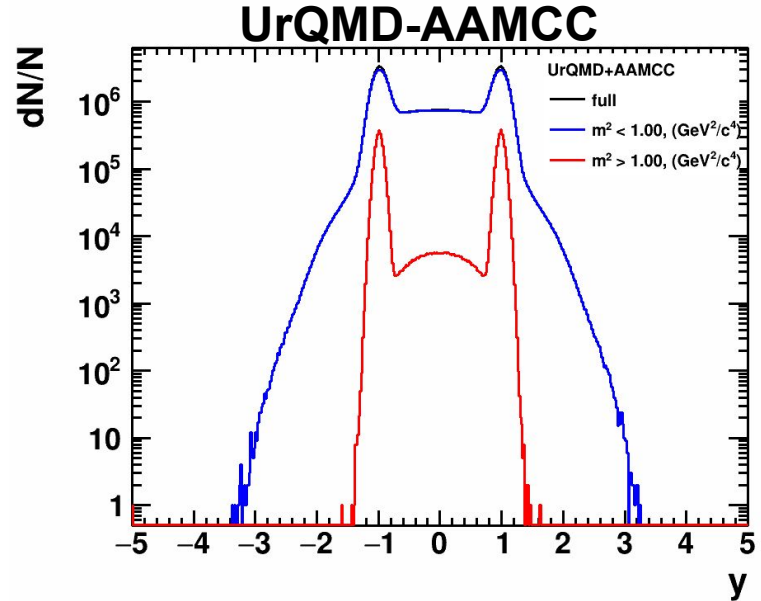
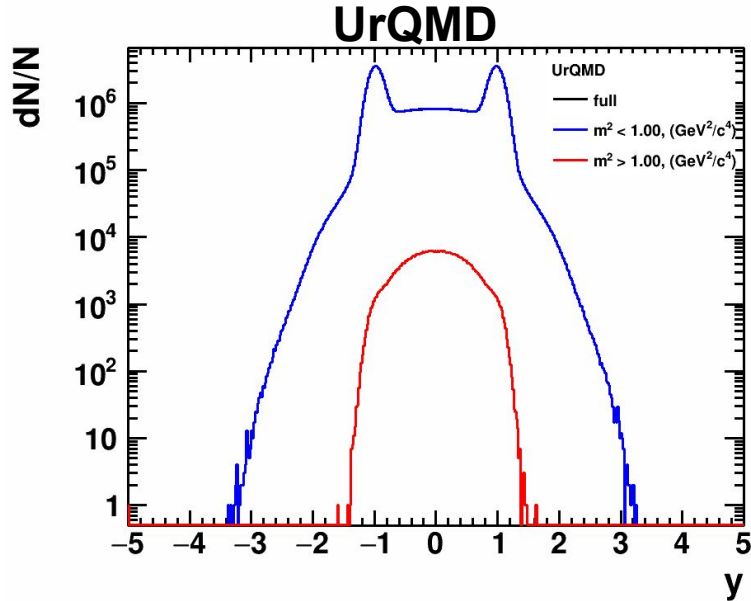
Difference between UrQMD and UrQMD-AAMCC is visibly smaller for larger systems

Rapidity



No noticeable difference in y

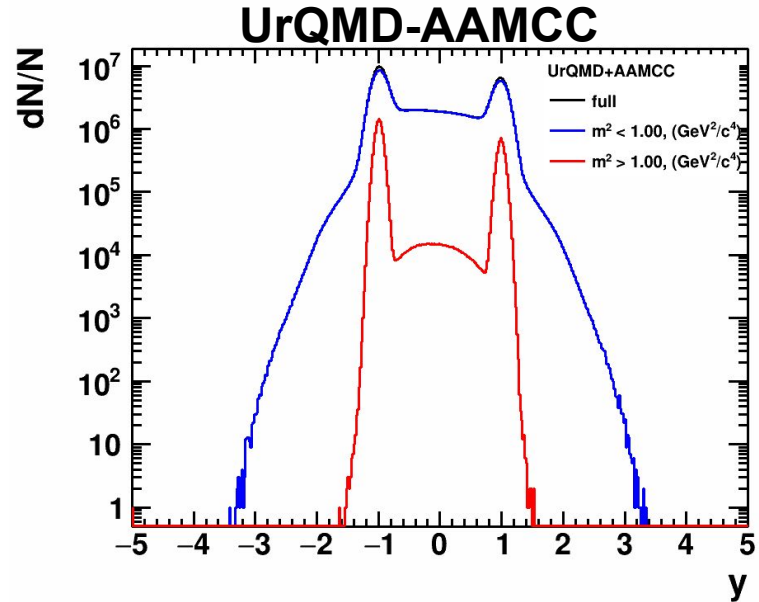
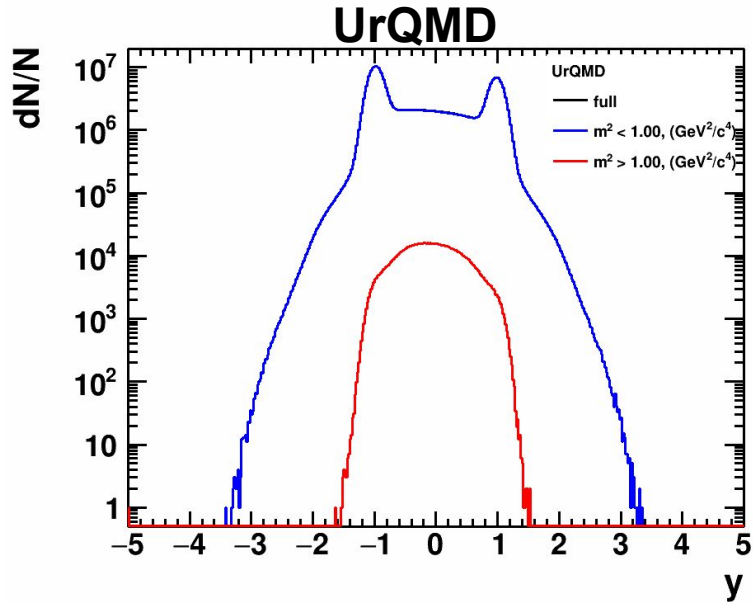
Rapidity: different masses (Xe+Xe)



UrQMD: particle with $m > 1 \text{ GeV}/c^2$ are born in the participant region

UrQMD-AAMCC: large contribution from the spectator region (fragments)

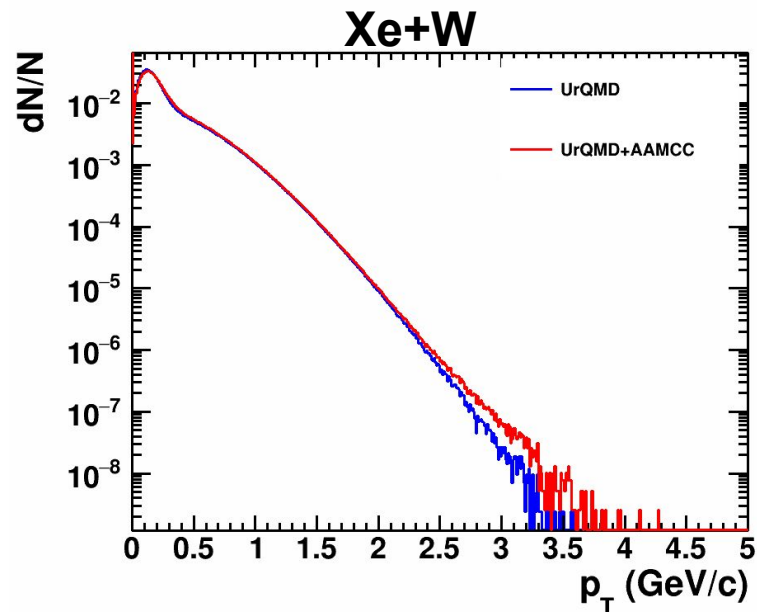
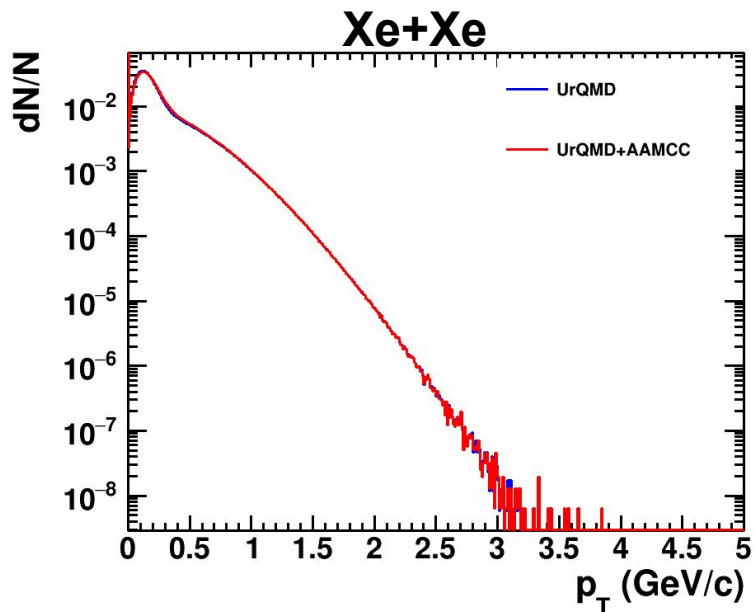
Rapidity: different masses (Xe+W)



UrQMD: particle with $m > 1 \text{ GeV}/c^2$ are born in the participant region

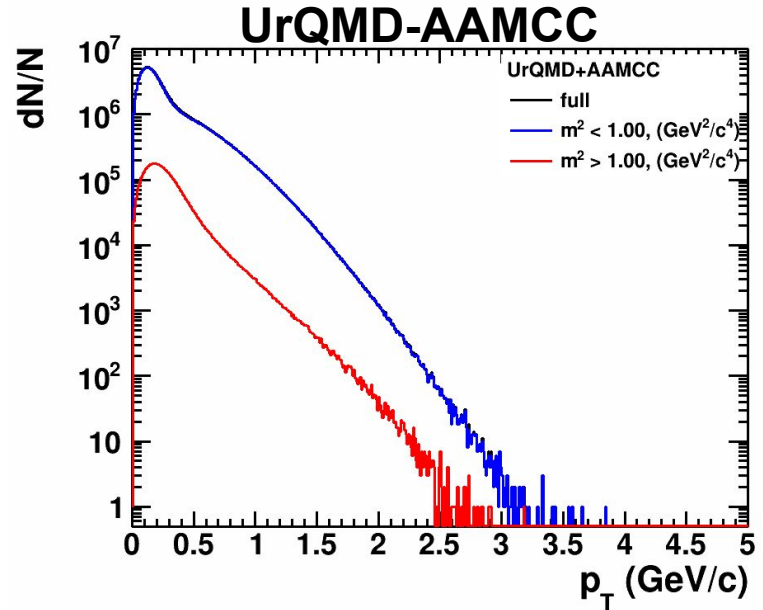
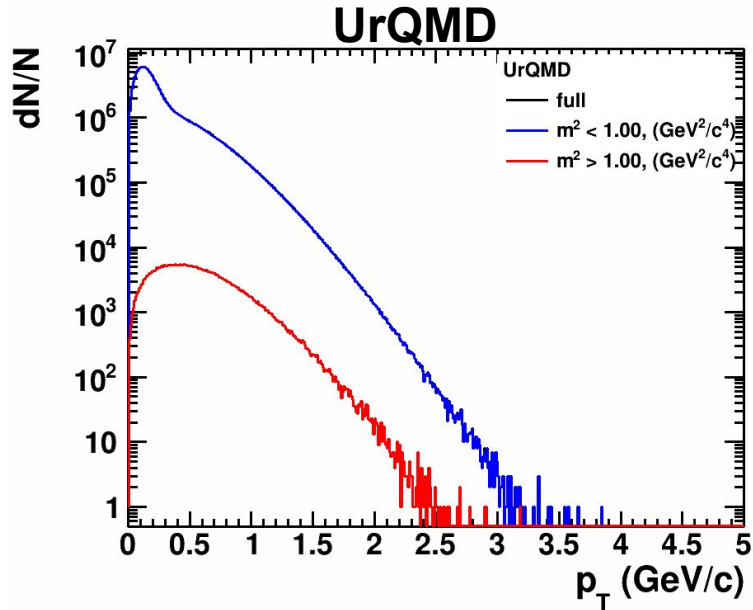
UrQMD-AAMCC: large contribution from the spectator region (fragments)

Transverse momentum



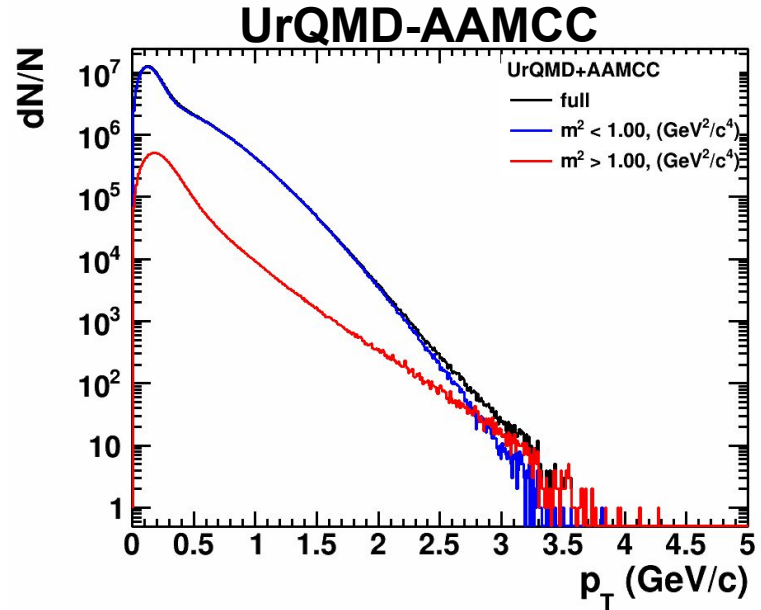
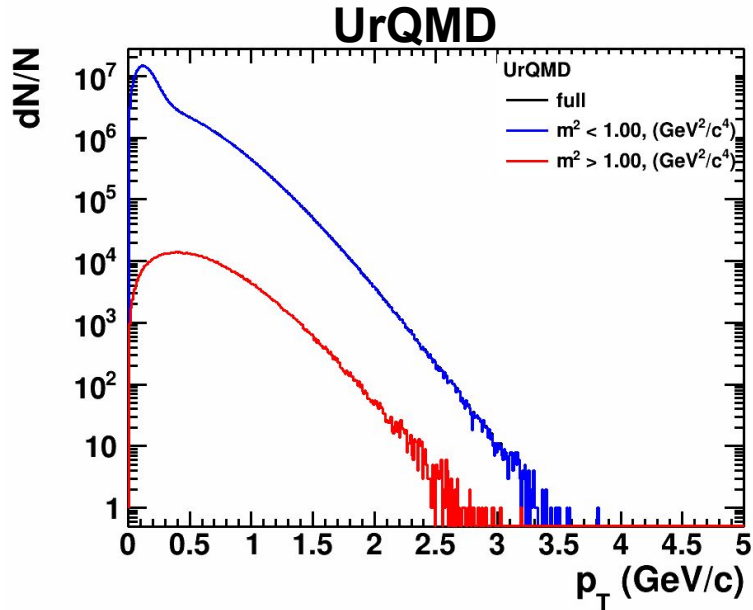
No noticeable difference in p_T for Xe+Xe, small difference for Xe+W at high p_T

Transverse momentum: different masses (Xe+Xe)



As expected, more particles with $m > 1 \text{ GeV}/c^2$ in UrQMD-AAMCC compared to UrQMD

Transverse momentum: different masses (Xe+W)



As expected, more particles with $m > 1 \text{ GeV}/c^2$ in UrQMD-AAMCC compared to UrQMD