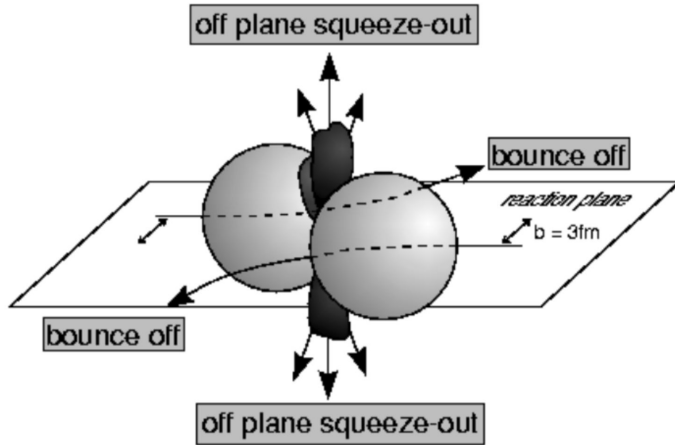


# Update on the flow measurements in the MPD-FXT configuration and initial geometry in asymmetric collisions

P. Parfenov, M. Mamaev and A. Taranenko  
(NRNU MEPhI, JINR)

# Update on the $v_n$ measurements in MPD-FXT

# Anisotropic flow & spectators



The azimuthal angle distribution is decomposed in a Fourier series relative to reaction plane angle:

$$\rho(\varphi - \Psi_{RP}) = \frac{1}{2\pi} (1 + 2 \sum_{n=1}^{\infty} v_n \cos n(\varphi - \Psi_{RP}))$$

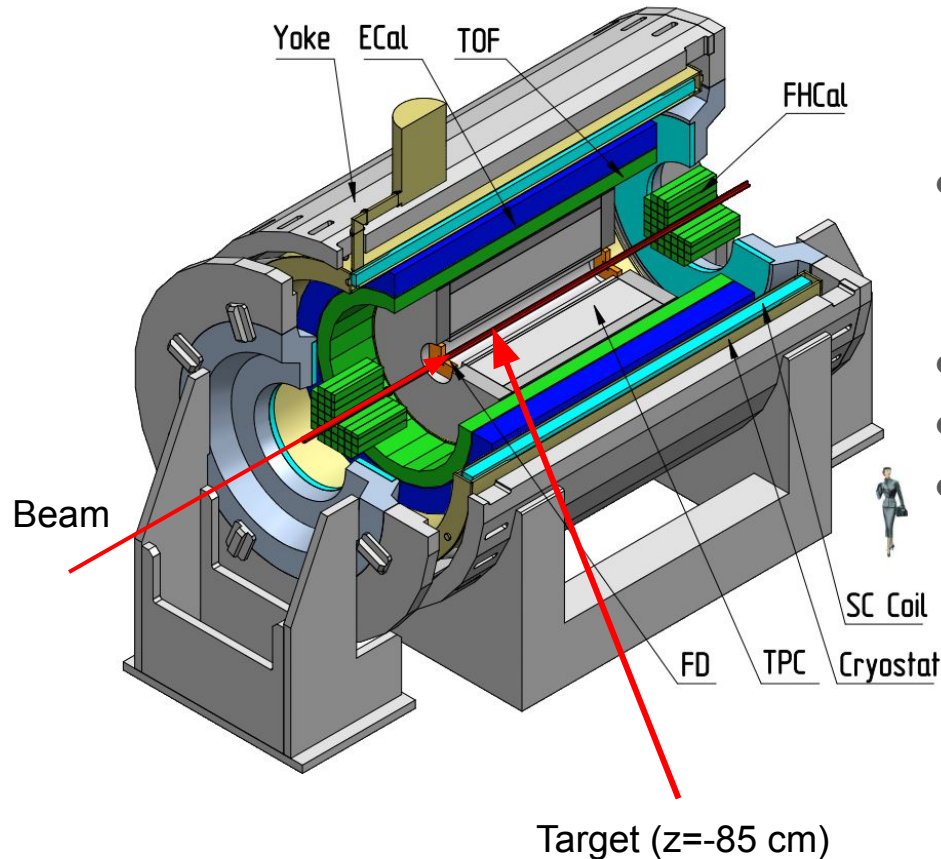
Anisotropic flow:

$$v_n = \langle \cos [n(\varphi - \Psi_{RP})] \rangle$$

Anisotropic flow is sensitive to:

- Time of the interaction between overlap region and spectators
- Compressibility of the created matter

# MPD in Fixed-Target Mode (FXT)



- Model used: UrQMD mean-field
  - Xe+Xe,  $E_{\text{kin}} = 2.5 \text{ AGeV}$  ( $\sqrt{s_{\text{NN}}} = 2.87 \text{ GeV}$ )
  - Xe+W,  $E_{\text{kin}} = 2.5 \text{ AGeV}$  ( $\sqrt{s_{\text{NN}}} = 2.87 \text{ GeV}$ )
- Point-like target
- GEANT4 transport
- Particle species selection via TPC and TOF

# Flow vectors

From momentum of each measured particle define a  $u_n$ -vector in transverse plane:

$$u_n = e^{in\phi}$$

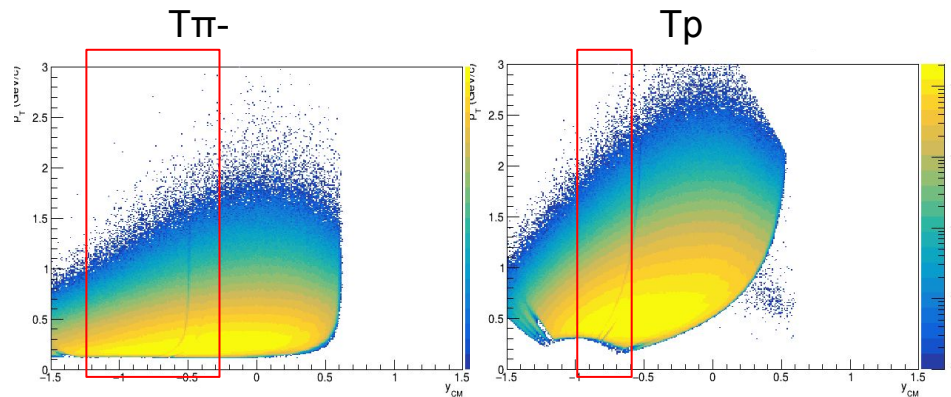
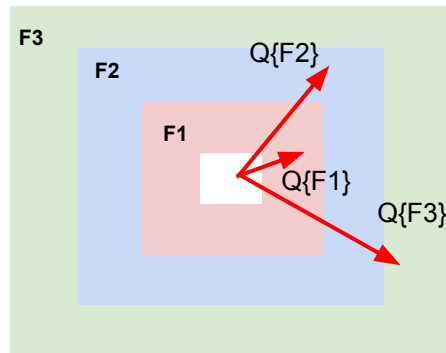
where  $\phi$  is the azimuthal angle

Sum over a group of  $u_n$ -vectors in one event forms  $Q_n$ -vector:

$$Q_n = \frac{\sum_{k=1}^N w_n^k u_n^k}{\sum_{k=1}^N w_n^k} = |Q_n| e^{in\Psi_n^{EP}}$$

$\Psi_n^{EP}$  is the event plane angle

Modules of FHCAL divided into 3 groups



**Additional subevents from tracks not pointing at FHCAL:**

**Tp:**  $p; -1.0 < y < -0.6;$

**Tπ:**  $\pi^-; -1.5 < y < -0.2;$

# Flow methods for $v_n$ calculation

Tested in HADES: M Mamaev et al 2020 PPNuclei 53, 277–281  
M Mamaev et al 2020 J. Phys.: Conf. Ser. 1690 012122

Scalar product (SP) method:

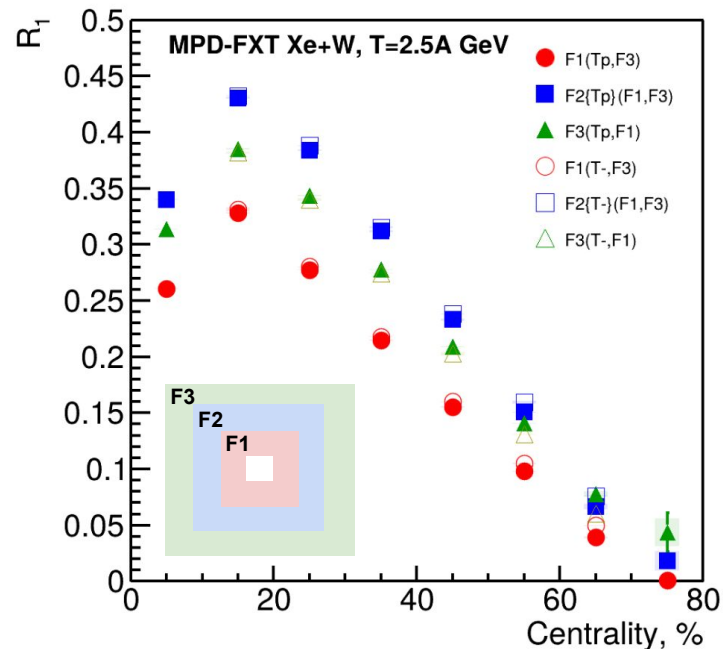
$$v_1 = \frac{\langle u_1 Q_1^{F1} \rangle}{R_1^{F1}} \quad v_2 = \frac{\langle u_2 Q_1^{F1} Q_1^{F3} \rangle}{R_1^{F1} R_1^{F3}}$$

Where  $R_1$  is the resolution correction factor

$$R_1^{F1} = \langle \cos(\Psi_1^{F1} - \Psi_1^{RP}) \rangle$$

Symbol “F2(F1,F3)” means  $R_1$  calculated via (3S resolution):

$$R_1^{F2(F1,F3)} = \frac{\sqrt{\langle Q_1^{F2} Q_1^{F1} \rangle \langle Q_1^{F2} Q_1^{F3} \rangle}}{\sqrt{\langle Q_1^{F1} Q_1^{F3} \rangle}}$$

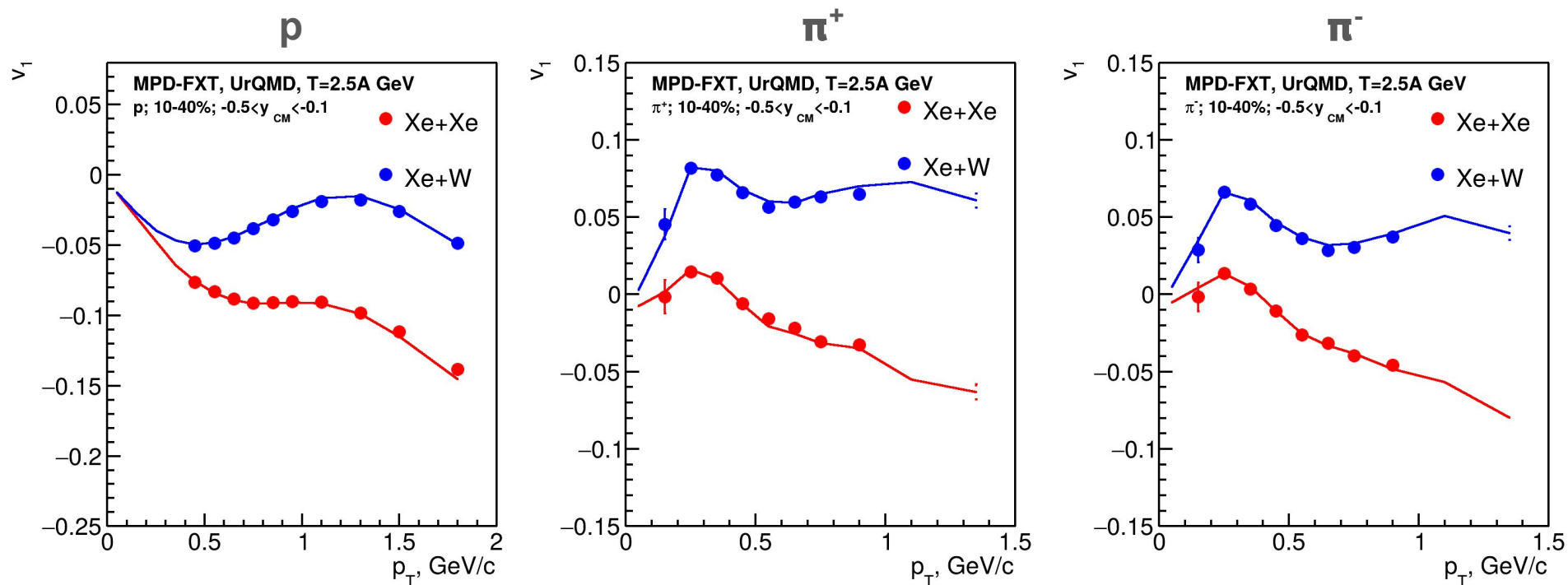


Symbol “F2{Tp}(F1,F3)” means  $R_1$  calculated via (4S resolution):

$$R_1^{F2\{Tp\}(F1,F3)} = \langle Q_1^{F2} Q_1^{Tp} \rangle \frac{\sqrt{\langle Q_1^{F1} Q_1^{F3} \rangle}}{\sqrt{\langle Q_1^{Tp} Q_1^{F1} \rangle \langle Q_1^{Tp} Q_1^{F3} \rangle}}$$

Previously:  $v_n$  of  $\pi^\pm$  is fixed, but...

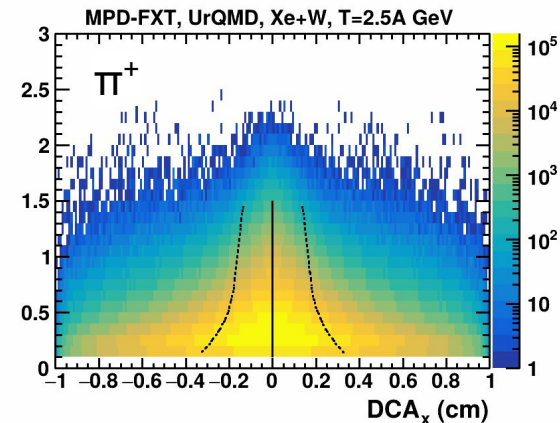
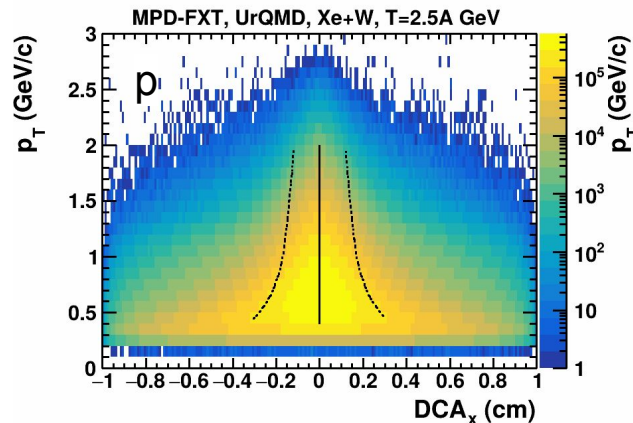
markers - reco; lines - model



Strict fixed DCA cut ( $|DCA| < 0.2$  cm) fixes results for pions in Xe+W

However, it is better to use DCA cuts based on the  $n$ - $\sigma$  distributions vs.  $p_T$

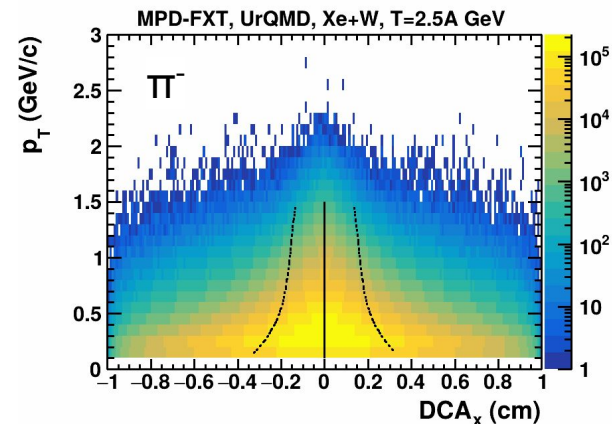
# $n\sigma$ DCA cut



The procedure is simple and similar to the PID  $n\sigma$  cuts:

- Fit  $DCA_{x,y,z}$  distributions with the gauss function for ( $p$ ,  $\pi^\pm$ ) in different  $p_T$  bins
- Use fit parameters as a base for  $n\sigma$  cut

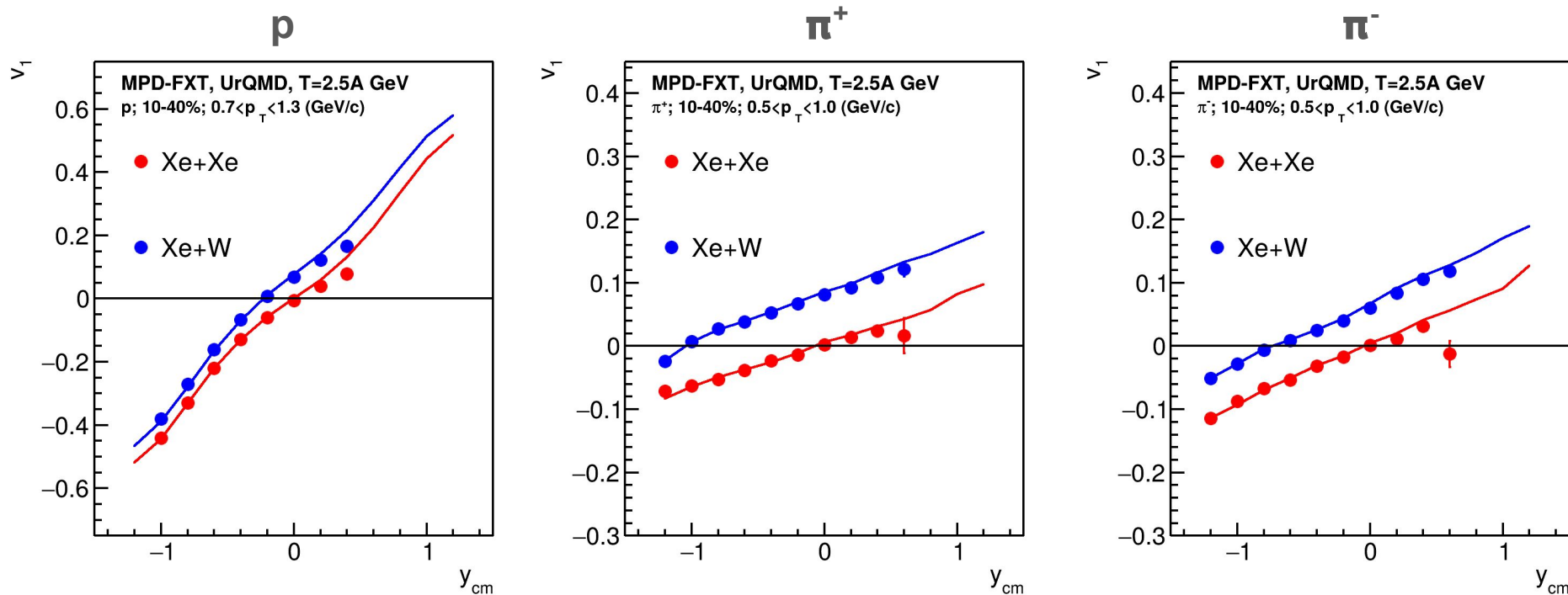
**2D plots show  $DCA_x$  of  $p$ ,  $\pi^\pm$  with the corresponding  $2\sigma$  cut ranges that are used for the  $v_n$  measurements**





# Results: $v_1(y)$

markers - reco; lines - model

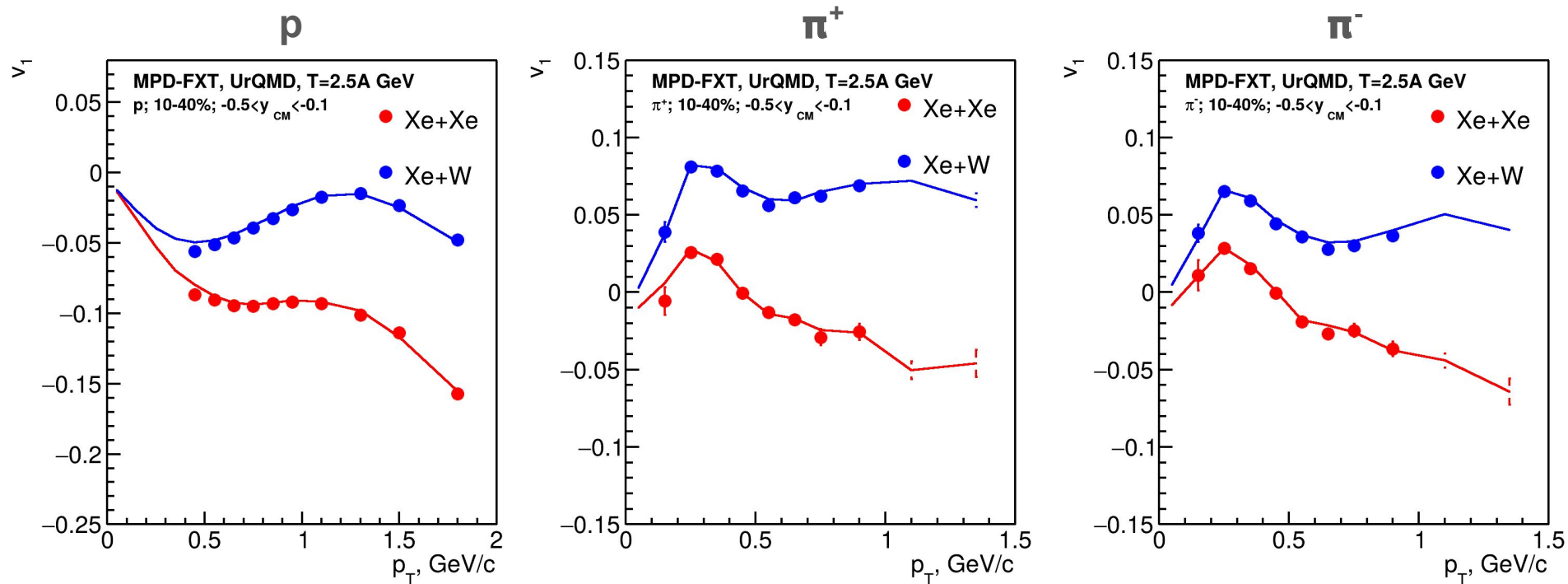


Good agreement for protons and pions for  $y < 0.5$

Clear shift in  $v_1(y_{cm})$  for Xe+W - preferential deflection of the participants

# Results: $v_1(p_T)$

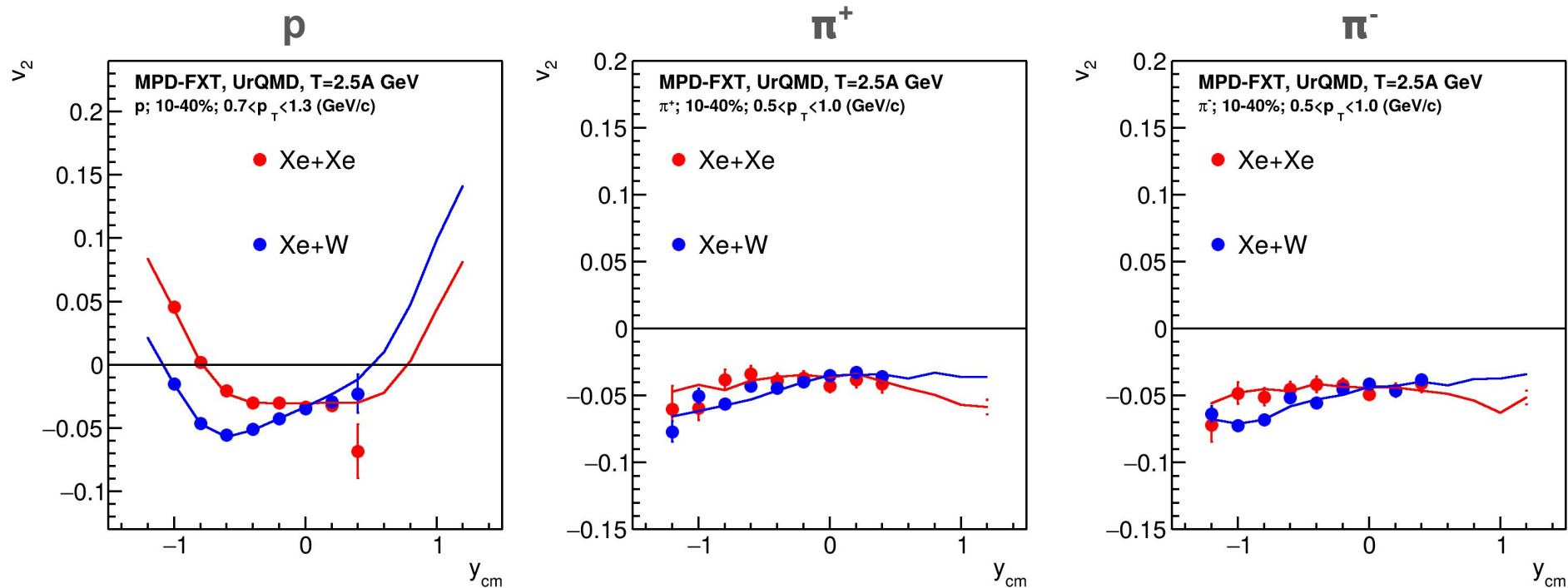
markers - reco; lines - model



Good agreement for protons and pions

# Results: $v_2(y)$

markers - reco; lines - model



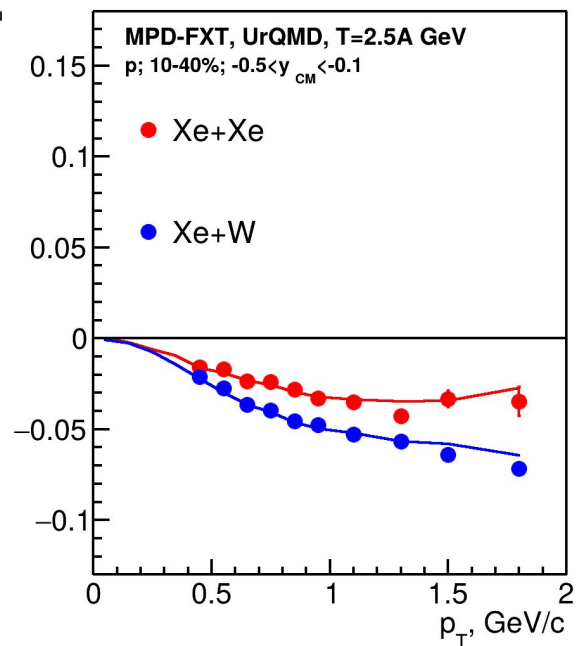
Good agreement for protons and pions for  $y < 0.5$

Asymmetric  $v_2(y_{cm})$  dependence for Xe+W

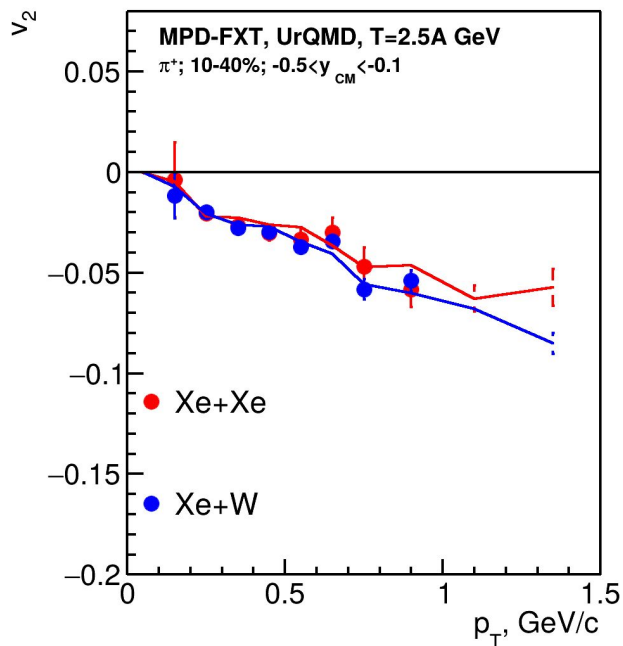
# Results: $v_2(p_T)$

markers - reco; lines - model

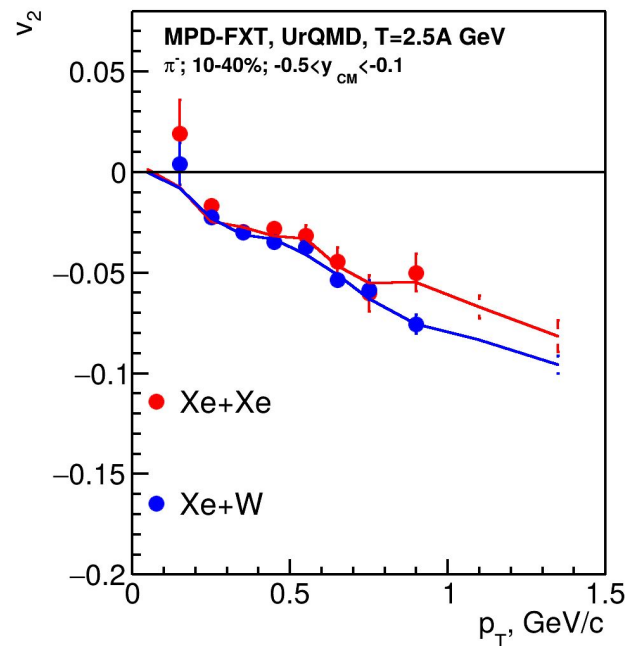
p



$\pi^+$



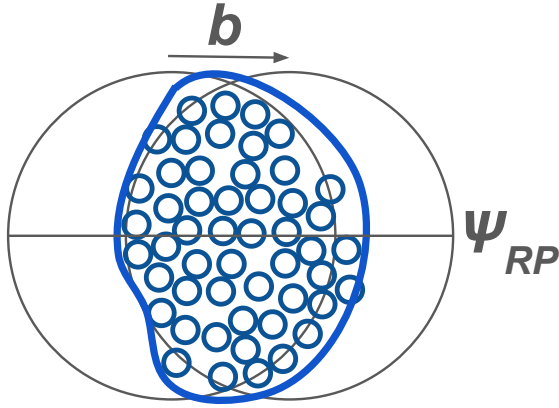
$\pi^-$



Good agreement for protons and pions

# Initial geometry in asymmetric collisions

# Eccentricity and its fluctuations



$$\varepsilon_n = \frac{\sqrt{\langle r^n \cos(n\varphi) \rangle^2 + \langle r^n \sin(n\varphi) \rangle^2}}{\langle r^n \rangle}$$

Eccentricity fluctuations can be studied similar to the  $v_n$  fluctuations:

$$\varepsilon_n\{2\} = \sqrt{\langle \varepsilon_n^2 \rangle}, \quad \varepsilon_n\{4\} = \sqrt[4]{|2\langle \varepsilon_n^2 \rangle^2 - \langle \varepsilon_n^4 \rangle|}$$

$$\left| \frac{v_n\{4\}}{v_n\{2\}} \right| \simeq \left| \frac{\varepsilon_n\{4\}}{\varepsilon_n\{2\}} \right| \quad \text{Phys.Rev.C 84 (2011) 054901}$$

arxiv 2507.16162 (2025)

We can use MC-Glauber model to study  $\varepsilon_2$  and its fluctuations in Xe+Xe, Xe+W, and Au+Au collisions.

# Setup

Model: MC-Glauber, UrQMD

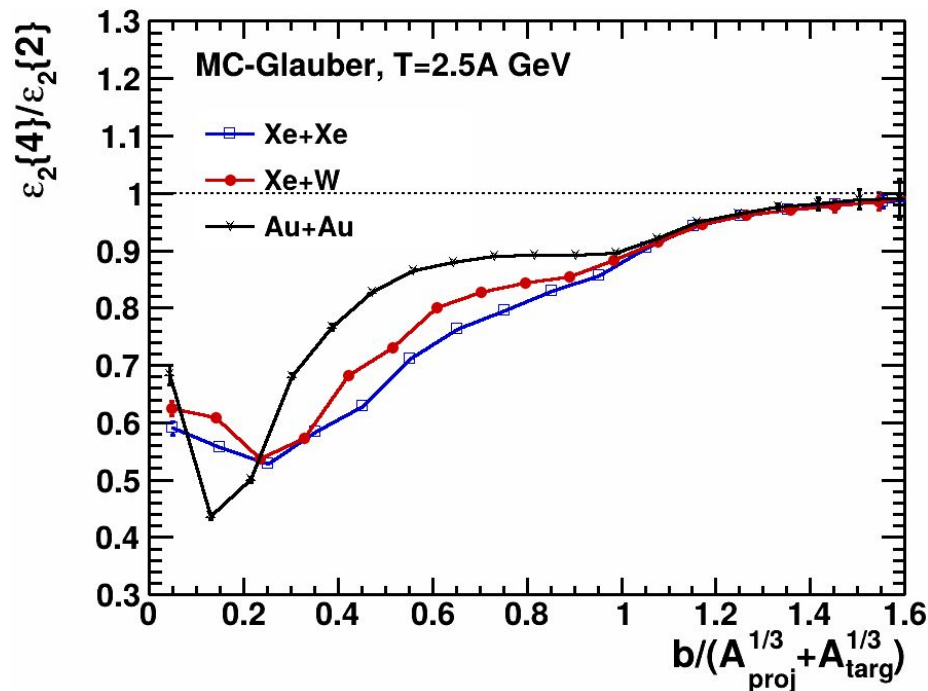
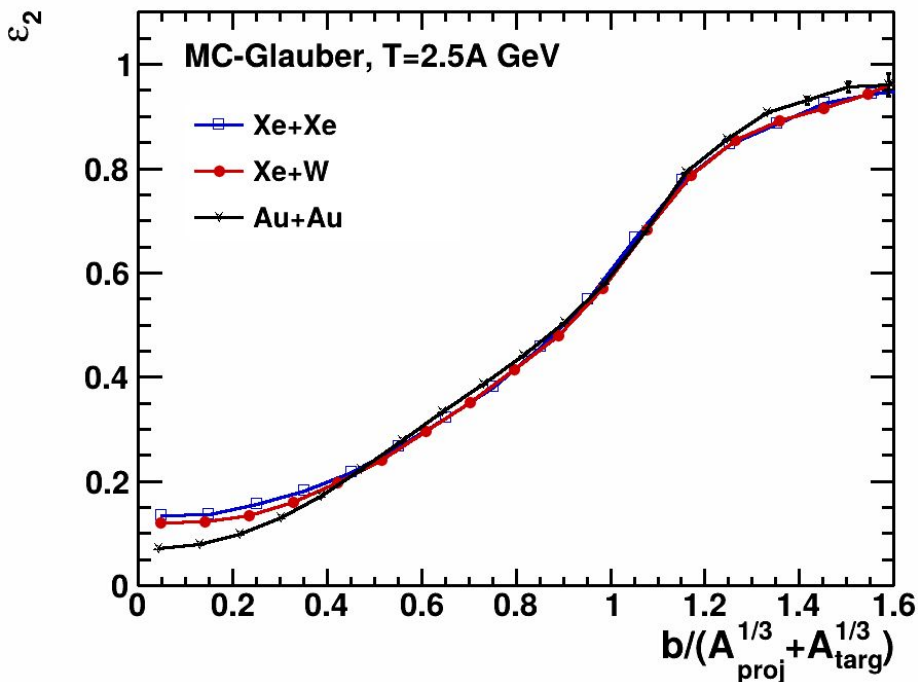
Systems:  $^{124}\text{Xe}+^{124}\text{Xe}$ ,  $^{124}\text{Xe}+^{184}\text{W}$ ,  $^{197}\text{Au}+^{197}\text{Au}$

Beam energy:  $T=2.5A$  GeV ( $\sqrt{s_{\text{NN}}}=2.87$  GeV)

$\sigma_{\text{NN}}^{\text{inel}}$ : (Xe+Xe) 26.44 mb, (Xe+W) 26.45 mb, (Au+Au) 26.46 mb

Statistics: 100k events

$\epsilon_2$ : scalable geometry, but different fluctuations! ( $b/A^{1/3}$ )



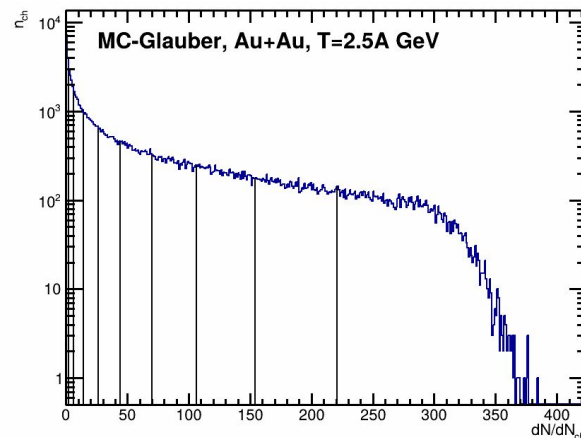
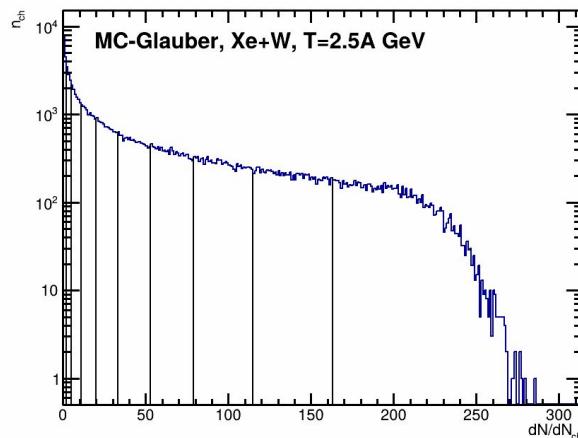
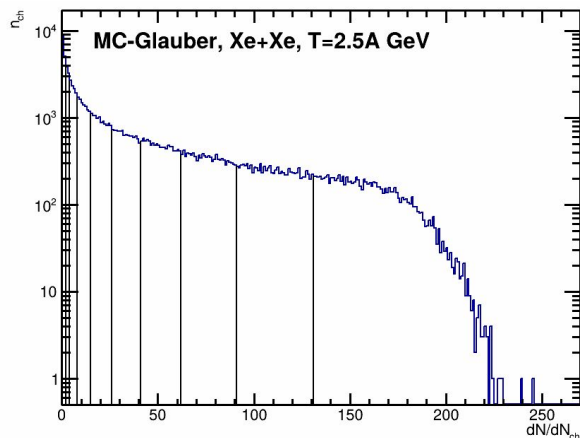
**In central and mid-central collisions:**

The overall geometry ( $\epsilon_2$ ) seems to scale with  $A^{1/3}$ , but the fluctuations ( $\epsilon_2\{4\}/\epsilon_2\{2\}$ ) are different between Xe+Xe, Xe+W and Au+Au - similar trends for  $\epsilon_4$  as well



# Going from b to $N_{ch}$ -based centrality

Vertical lines represent centrality classes

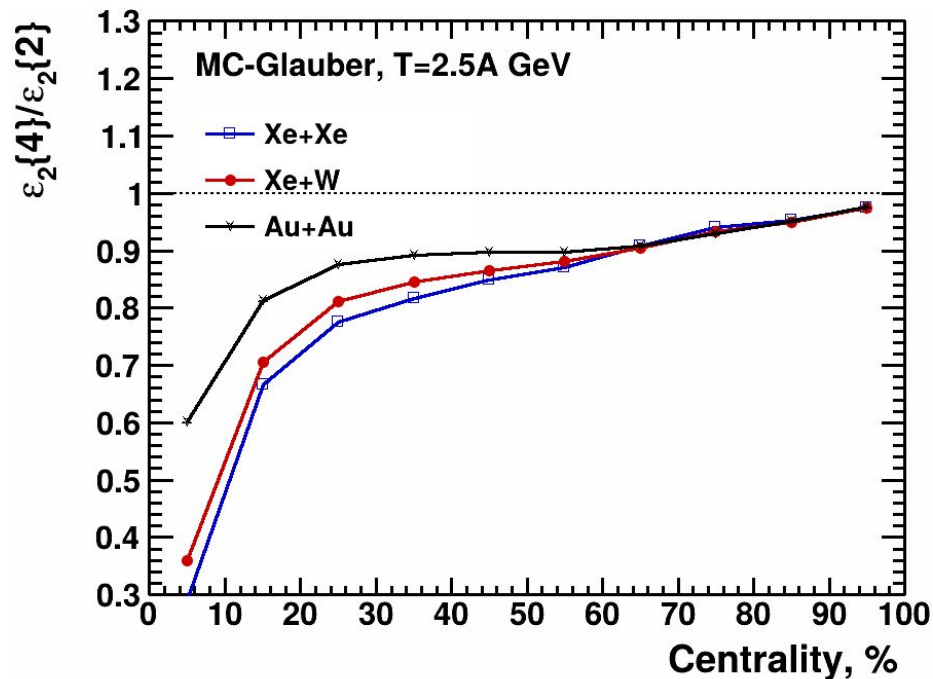
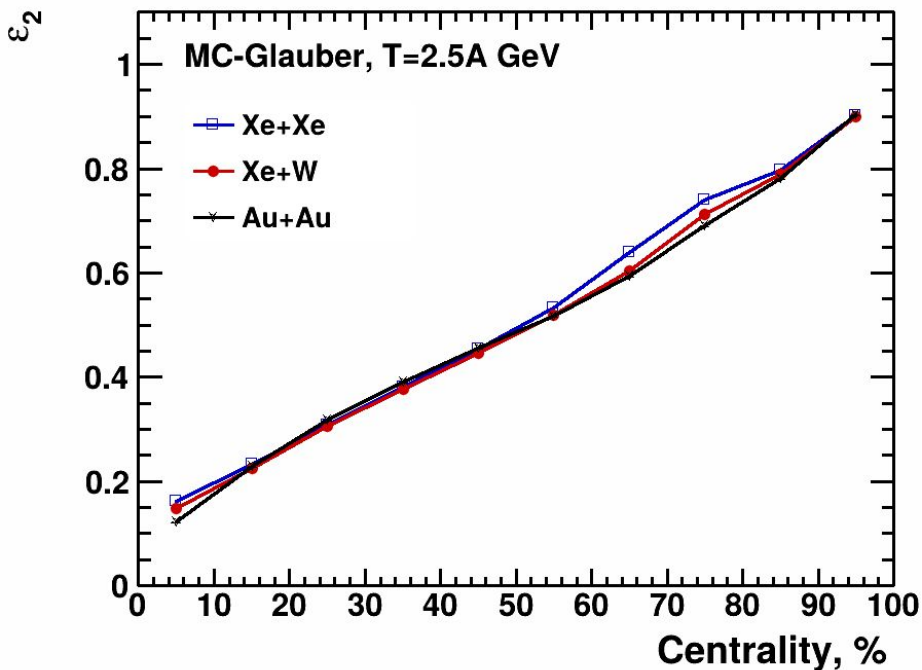


In more realistic case, collision geometry is measured using charged particle multiplicity

Multiplicity can be generated using NBD distribution and the number of ancestors  $N_a$ :

$$N_a = fN_{part} + (1-f)N_{coll}, \quad N_{ch} = N_a \times \text{NBD}(\mu, k); \quad \underline{f = 0.9, \mu = 0.8, k = 10}.$$

$\epsilon_2$ : scalable geometry, but different fluctuations! (centrality)

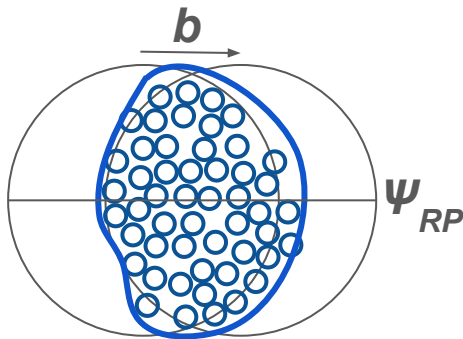


**In central and mid-central collisions:**

The overall geometry ( $\epsilon_2$ ) seems to scale with  $A^{1/3}$ , but the fluctuations ( $\epsilon_2\{4\}/\epsilon_2\{2\}$ ) are different between Xe+Xe, Xe+W and Au+Au - similar trends for  $\epsilon_4$  as well

# Eccentricity measurements in UrQMD

Phys.Rev.C 89 (2014) 6, 064908



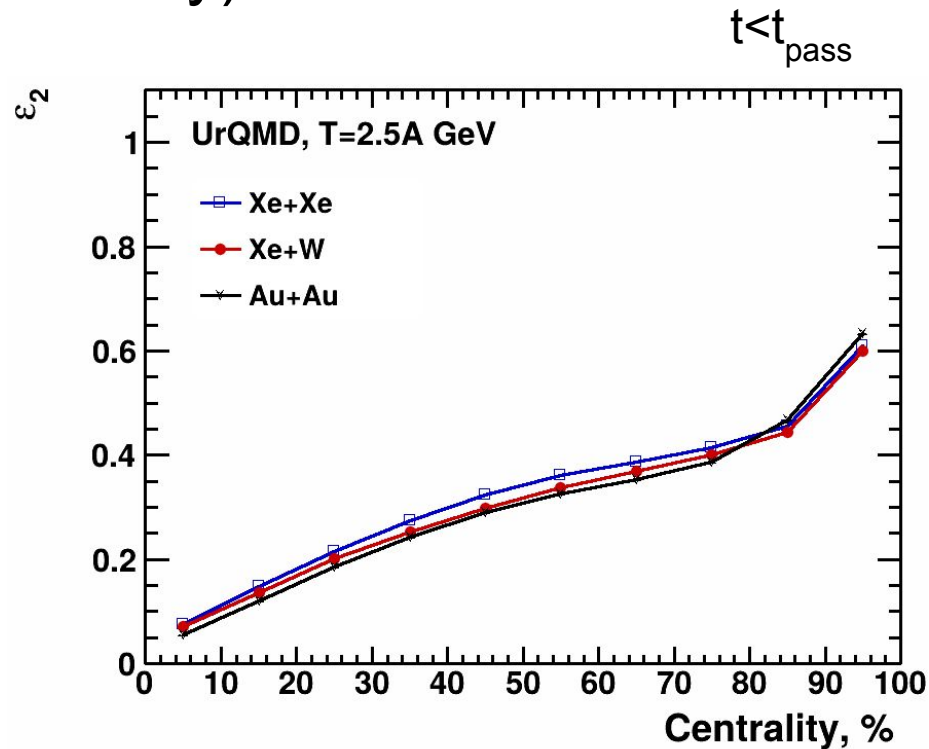
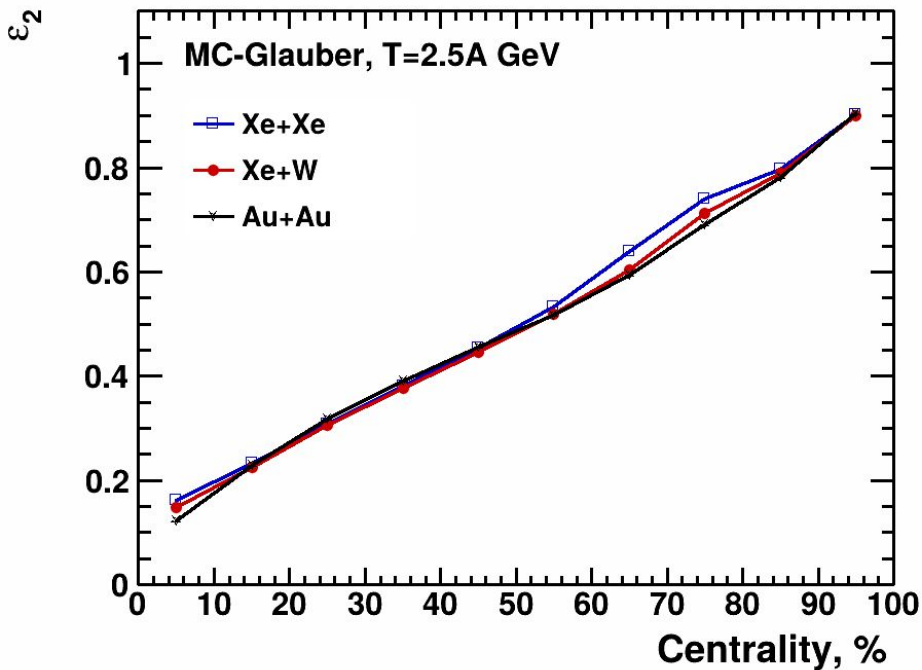
$$\varepsilon_n = \frac{\sqrt{\langle r^n \cos(n\varphi) \rangle^2 + \langle r^n \sin(n\varphi) \rangle^2}}{\langle r^n \rangle}$$

- “OSCAR1999A” format (.f20) was used
  - It stores an entire evolution of the nucleus-nucleus collision
- Calculate  $\varepsilon_2$  and its fluctuations the same way it is done in the MC-Glauber
  - Additionally, we used only those particles, produced within  $t_{\text{pass}}$  time frame

At  $T = 2.5A$  GeV ( $\sqrt{s_{NN}} = 2.87$  GeV):

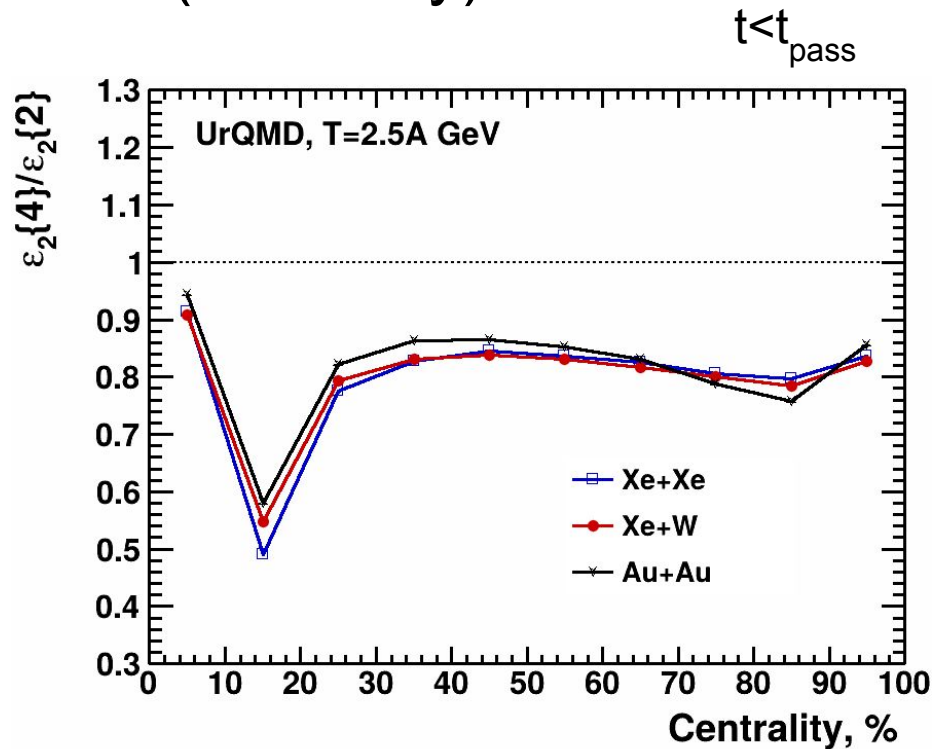
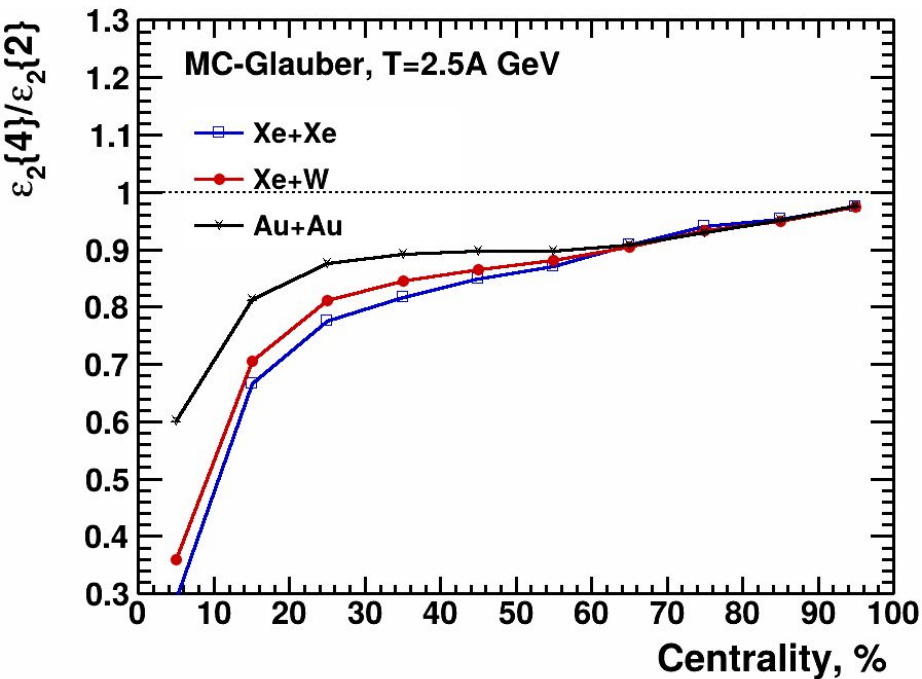
$$t_{\text{pass}}(\text{Xe+Xe}) = 9.38 \text{ fm/c}; \quad t_{\text{pass}}(\text{Xe+W}) = 10.32 \text{ fm/c}; \quad t_{\text{pass}}(\text{Au+Au}) = 11.32 \text{ fm/c}$$

## $\varepsilon_2$ : MC-Glauber vs UrQMD (centrality)



Scaling works (a bit weaker though) for both MC-Glauber and UrQMD

# $\varepsilon_2\{4\}/\varepsilon_2\{2\}$ : MC-Glauber vs UrQMD (centrality)



Possibly due to a large passing time, eccentricity fluctuations in UrQMD have enough time to “subside” and become similar(?)

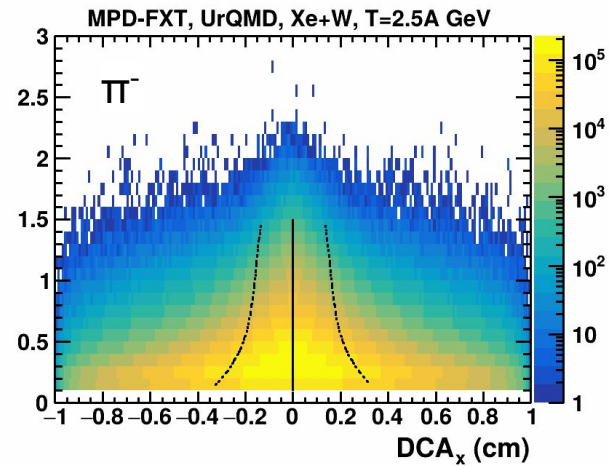
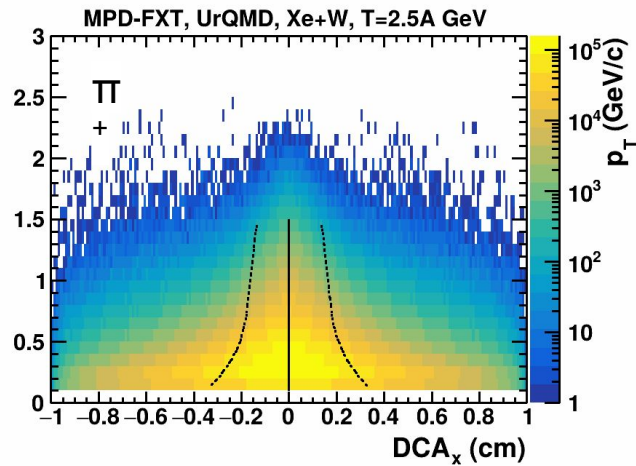
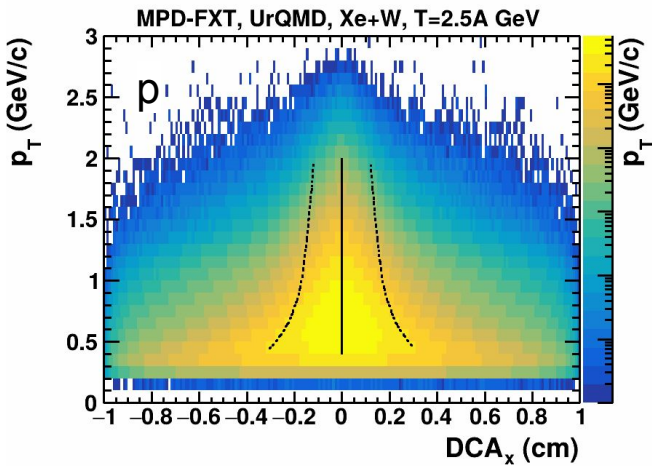
# Summary

- $2\sigma$  cut for primary track selection was used this time for  $v_n$  measurements
  - Overall good agreement between “mc” and “reco”
- Quick look at the initial geometry was done for Xe+W, Xe+Xe, and Au+Au using MC-Glauber and UrQMD
  - Both models show that  $\varepsilon_2$  scales with the size of the system
  - However, MC-Glauber predicts different  $\varepsilon_2$  fluctuations for centrality region 0-50% while they are similar in UrQMD (accounting for  $t_{\text{pass}}$ ?)

**Thank you for your attention!**

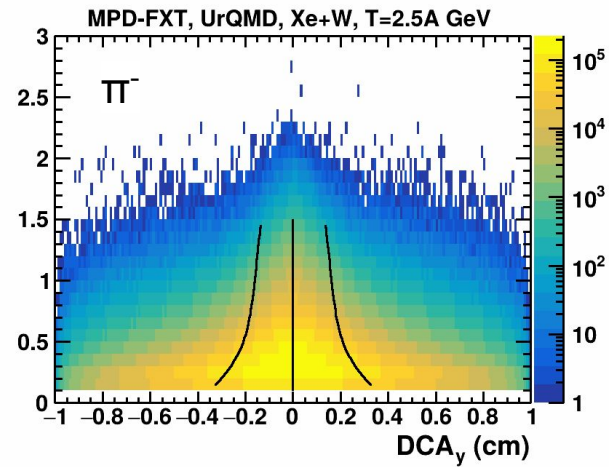
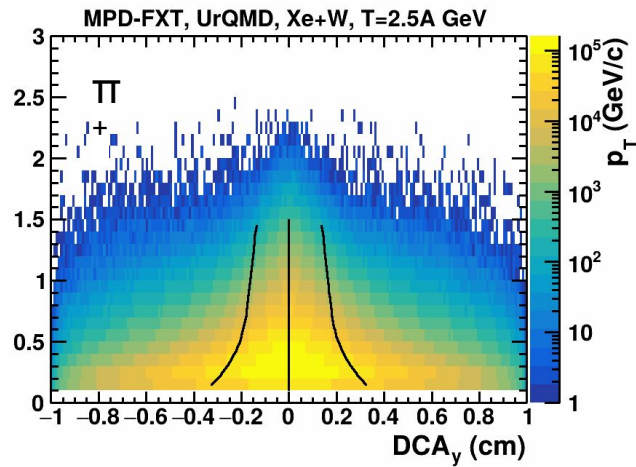
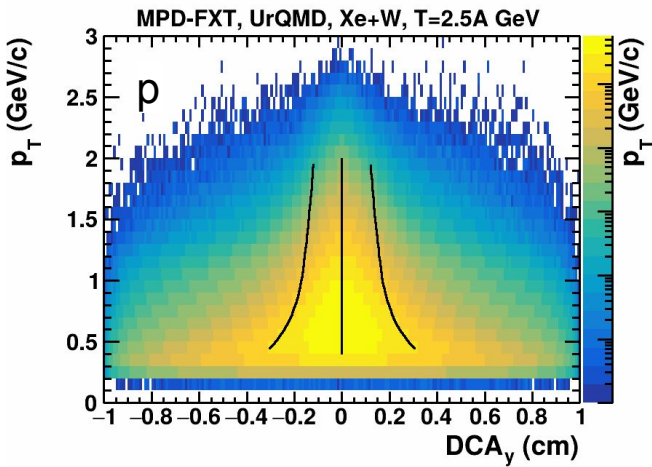
# Backup

# DCA x

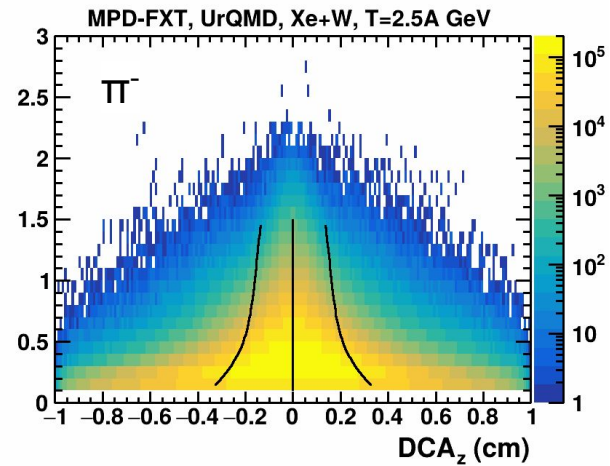
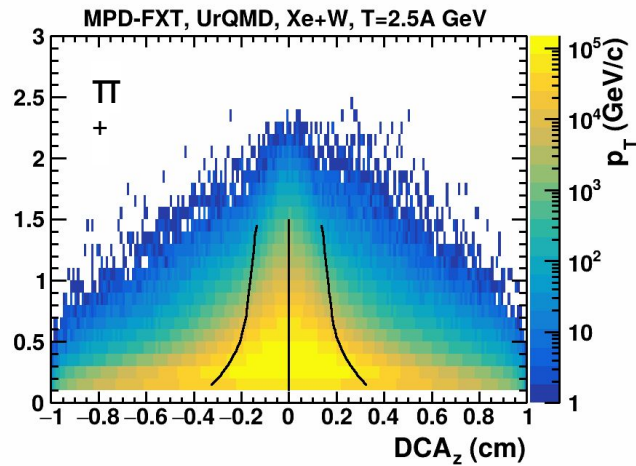
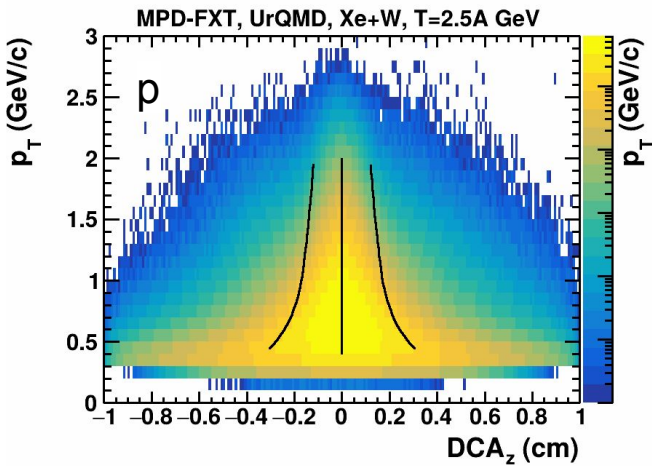




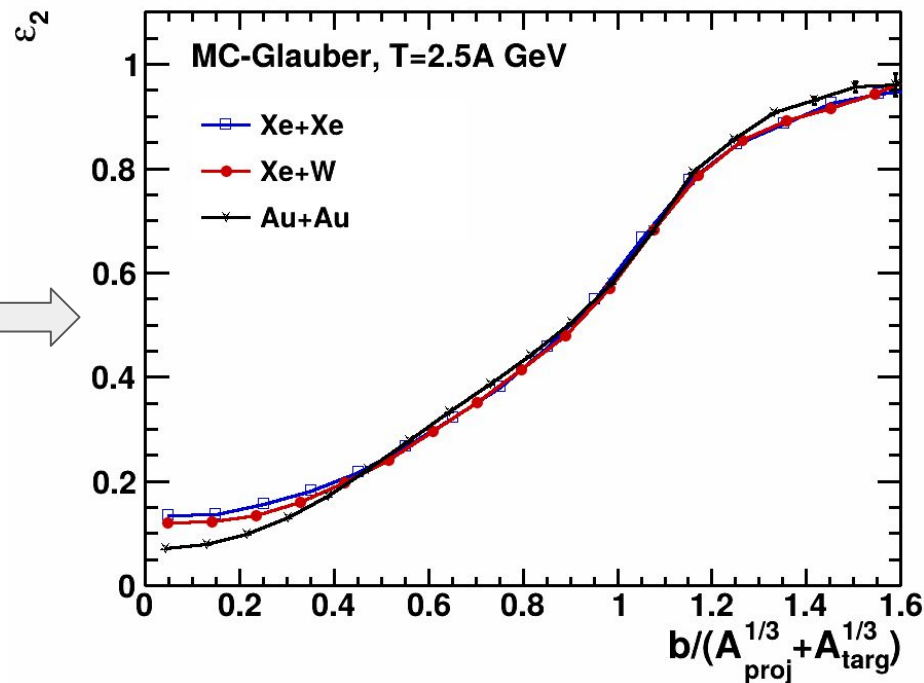
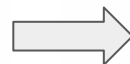
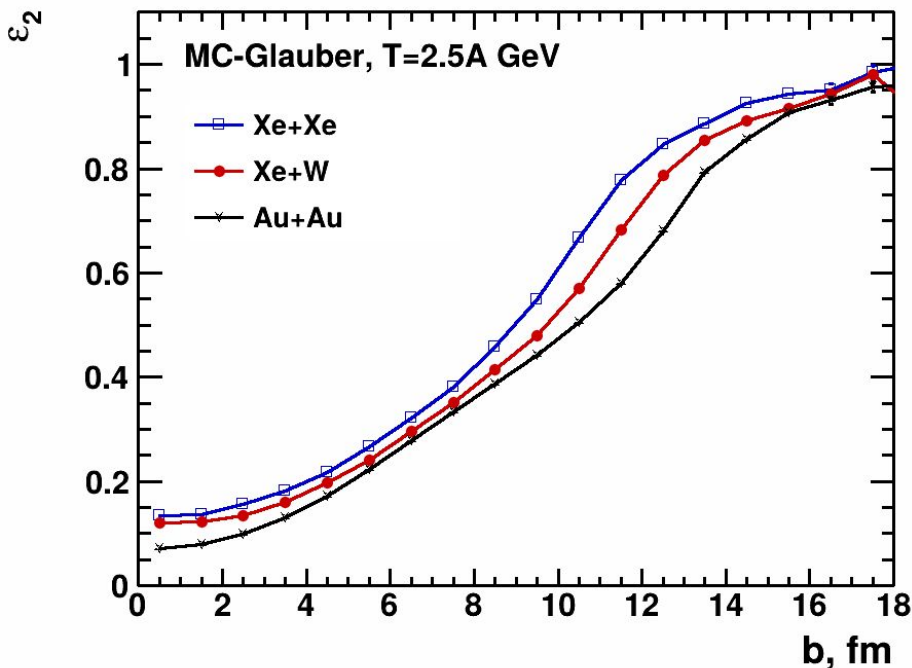
# DCA y



# DCA z



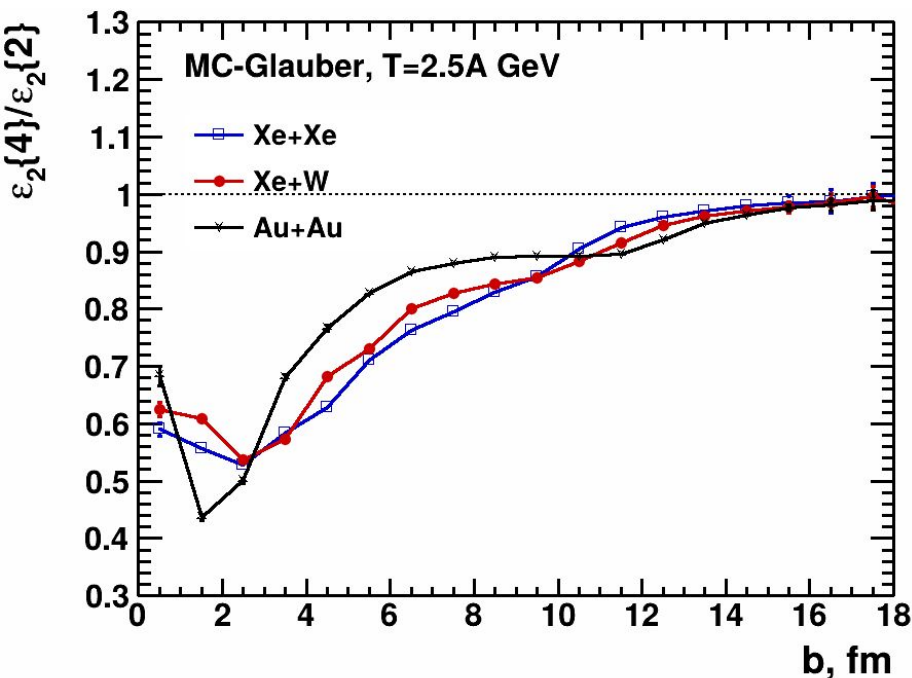
# Scale with $A^{1/3}$ for impact parameter: $\varepsilon_2$



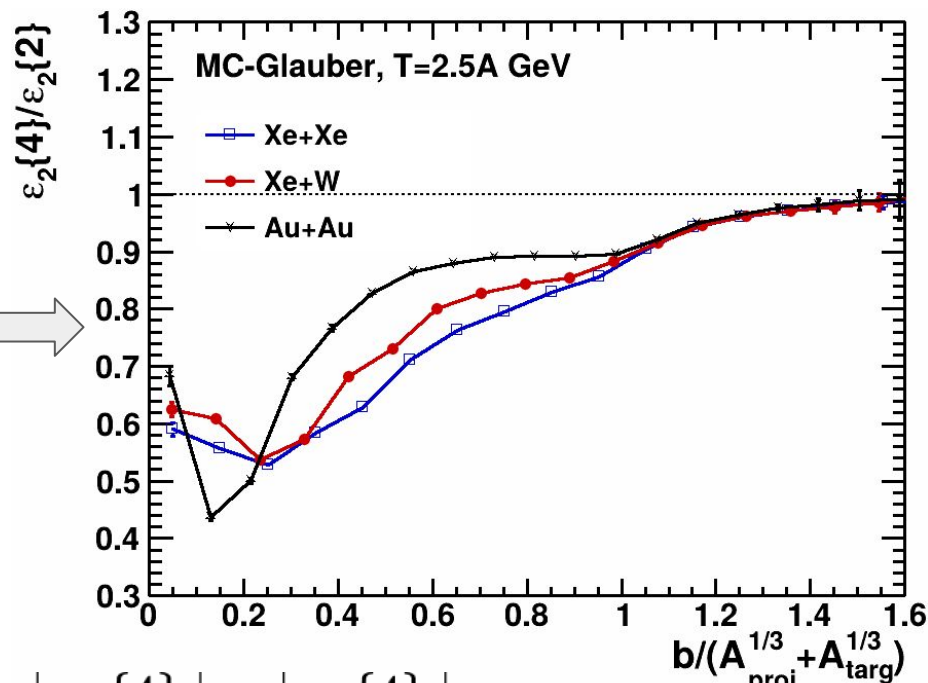
$$A_{\text{Xe}} = 124, A_{\text{W}} = 184, A_{\text{Au}} = 197$$

$\varepsilon_2$  scales rather well with  $A^{1/3}$  of the nuclei (small differences with Au+Au)

# $\varepsilon_2\{4\}/\varepsilon_2\{2\}$ check (fluctuations): scaling with $A^{1/3}$



$$\varepsilon_n\{2\} = \sqrt{\langle \varepsilon_n^2 \rangle}, \quad \varepsilon_n\{4\} = \sqrt[4]{|2\langle \varepsilon_n^2 \rangle^2 - \langle \varepsilon_n^4 \rangle|}$$

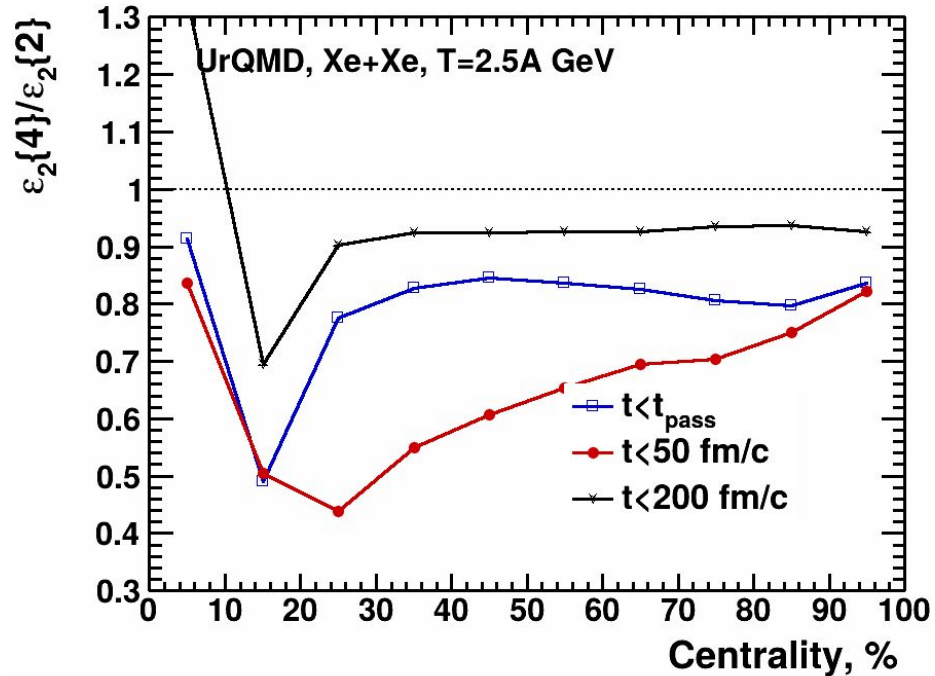
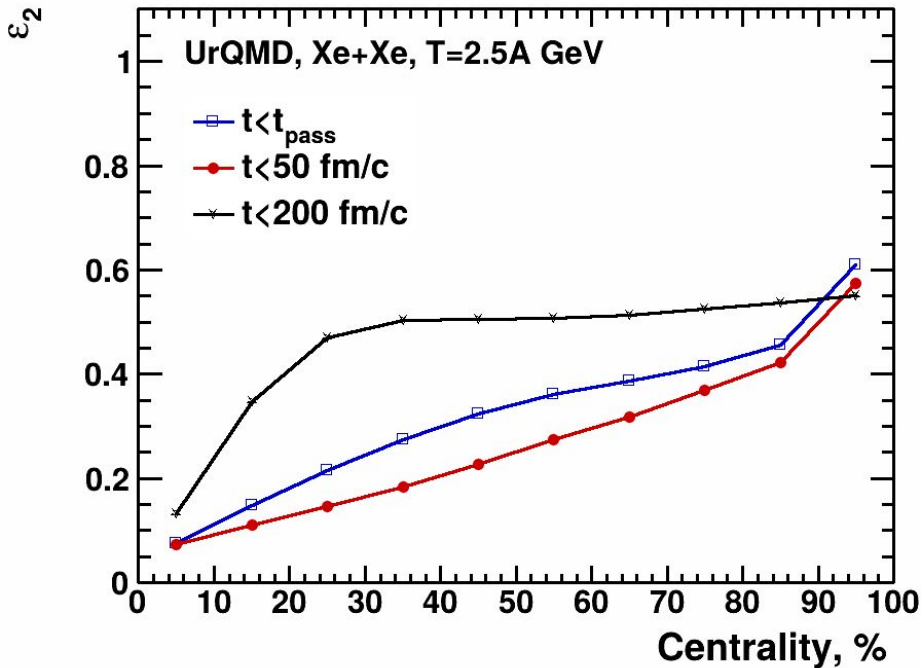


$$\left| \frac{v_n\{4\}}{v_n\{2\}} \right| \simeq \left| \frac{\varepsilon_n\{4\}}{\varepsilon_n\{2\}} \right|$$

Phys.Rev.C 84 (2011) 054901  
arxiv (2507.16162)

Difference in central and mid-central, same in the periphery

# $\epsilon_2$ at different time cuts (centrality)



Both eccentricity and fluctuations highly depend on time cut.