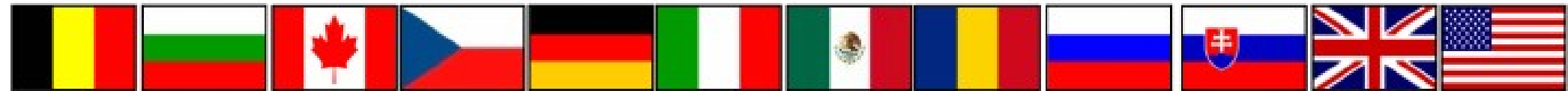


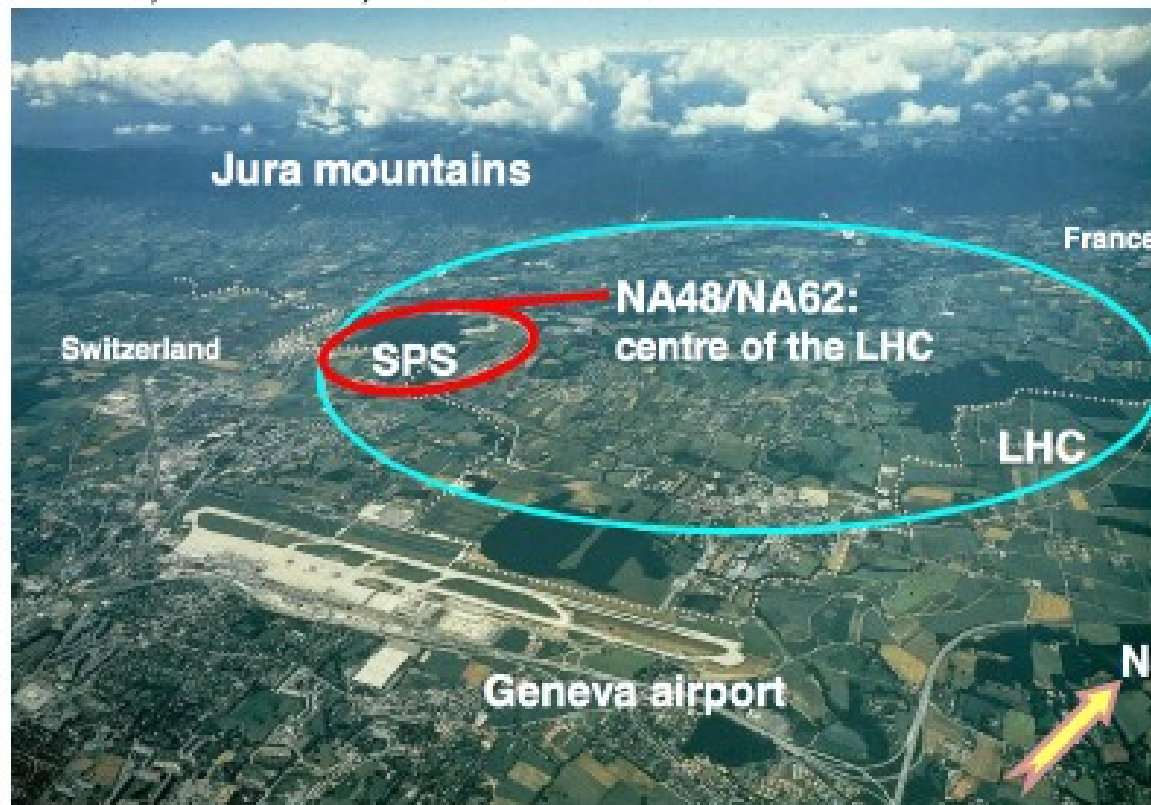
Analysis of the rare decay $K \rightarrow \mu \nu \mu \mu$

Aigul Baeva
JINR Dubna

NA62 experiment at CERN



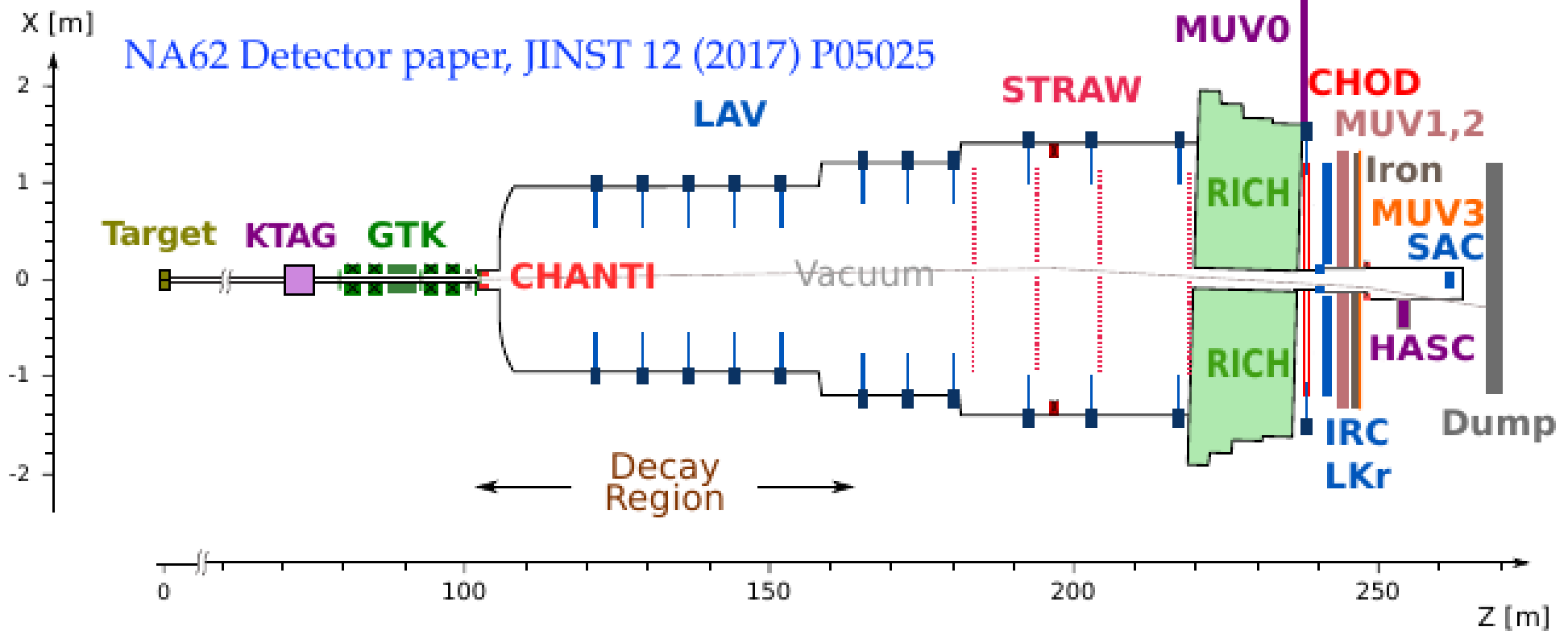
~30 institutes, ~200 participants from: Birmingham, Bratislava, Bristol, Bucharest, CERN, Dubna, Fairfax, Ferrara, Firenze, Frascati, Glasgow, Liverpool, Louvain, Mainz, Merced, Moscow, Napoli, Perugia, Pisa, Prague, Protvino, Roma I, Roma II, San Luis Potosi, Sofia, Torino, TRIUMF, Vancouver UBC



NA62 experiment is located at north area(NA) of CERN. Protons are extracted from the SPS with $p=400$ GeV/c producing a secondary beam of hadrons (~6% are kaons). **Kaon decay-in-flight technique.**

Main goal is to measure the $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ branching fraction with high precision

The NA62 detector



- Kaon ID and direction (KTAG, GTK, CHANTI)
- Pion ID and direction (STRAW, CHOD, RICH)
- Photon veto (LAV, LKr, IRC, SAC)
- Muon veto (MUV1,2,3)

Secondary beam

- Momentum $75 \text{ GeV}/c$
- Composition: $K^+(6\%)$, $\pi^+(70\%)$, $p(24\%)$

Data collection

2014 Pilot Run	2015 Commissioning	2016 Commissioning + Physics Run	2017 Physics Run	2018 Physics Run	2019-2020 LS2 Long shutdown 2
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2016: 40% of nominal intensity, $\sim 5 \times 10^{11}$ kaon decays recorded

2017+2018: 60% of nominal intensity, $> 8 \times 10^{12}$ kaon decays on the tape

- better data quality assessment
- higher data taking efficiency

Trigger streams:

- $\pi\nu\nu$ trigger: 1 track, γ/μ veto
- Control trigger: samples for normalization, background estimation

$K \rightarrow \mu \nu \mu \mu$

The collected statistics allows to analyse other rare decays, in particular, $K \rightarrow \mu \nu \mu \mu$. Rare decays make it possible to experimentally investigate one of the aspects of the Standard Model, the chiral perturbative theory (ChPT).

I'd like to present the first results of $K \rightarrow \mu \nu \mu \mu$ signal selection

- Theory $\text{Br}(K \rightarrow \mu \nu \mu \mu) = 1.35 \cdot 10^{-8}$
- $K \rightarrow \mu \nu \mu \mu$ was not experimentally observed
- There is only an upper limit $\text{Br}(K \rightarrow \mu \nu \mu \mu) < 4.1 \cdot 10^{-7}$ CL 90%

Backgrounds:

- $\pi \rightarrow \mu \nu$
- $K \rightarrow \pi \pi \pi$
- $K \rightarrow \pi \pi \mu \nu$
- $K \rightarrow \pi \mu \mu$

- Signal $K \rightarrow \mu \nu \mu \mu$ (mask 6) L0: (RICH x Q_x x MO2);
- Data: 2017A sample (8134-8198)
- Dimuon three track vertex - “2MU3TV” filter

- MC: $K \rightarrow \mu \nu \mu \mu$: v0.11.3

Track

- In STRAW, RICH, Lkr, MUV3 acceptance

Straw Track:

- $3 \text{ GeV} \leq P_{\text{STRAW}} \text{ track} \leq 50 \text{ GeV}$
- $|\text{Time}_{\text{RICH}} - \text{Time}_{\text{NewCHOD}}| < 3 \text{ ns}$

RICH ID for positive particles

- $d(e) < 0.9$
 - $d(\mu) < 0.9$
 - $d(\pi) < 0.9$
- where
- $d(e) = 1 - L(e) + L(\mu) + L(\pi)$,
 - $d(\mu) = 1 - L(\mu) + L(e) + L(\pi)$,
 - $d(\pi) = 1 - L(\pi) + L(\mu) + L(e)$,
- where **L** is RICH Likelihood

GTK Track

- $N_{\text{CedarCandidate}} > 0$
- $N_{\text{CEDAR}} \text{sectors} \geq 4$
- $|\text{Time}_{\text{GTK}} - \text{Time}_{\text{CEDAR}}| < 3 \text{ ns}$

Electron Particle ID: $EoP_{\text{totalForFilter}} > 0.8$ and
RICH ID as e and
 $0.9 < EoP < 1.2$
 $D_{\text{DeadCell}} > 20 \text{ mm}$

Muon Particle ID: not an electron
Require association with MUV3 (within 5 ns)
RICH ID as μ and
No association with LKr or
 $ELKr < 1.5 \text{ GeV}$

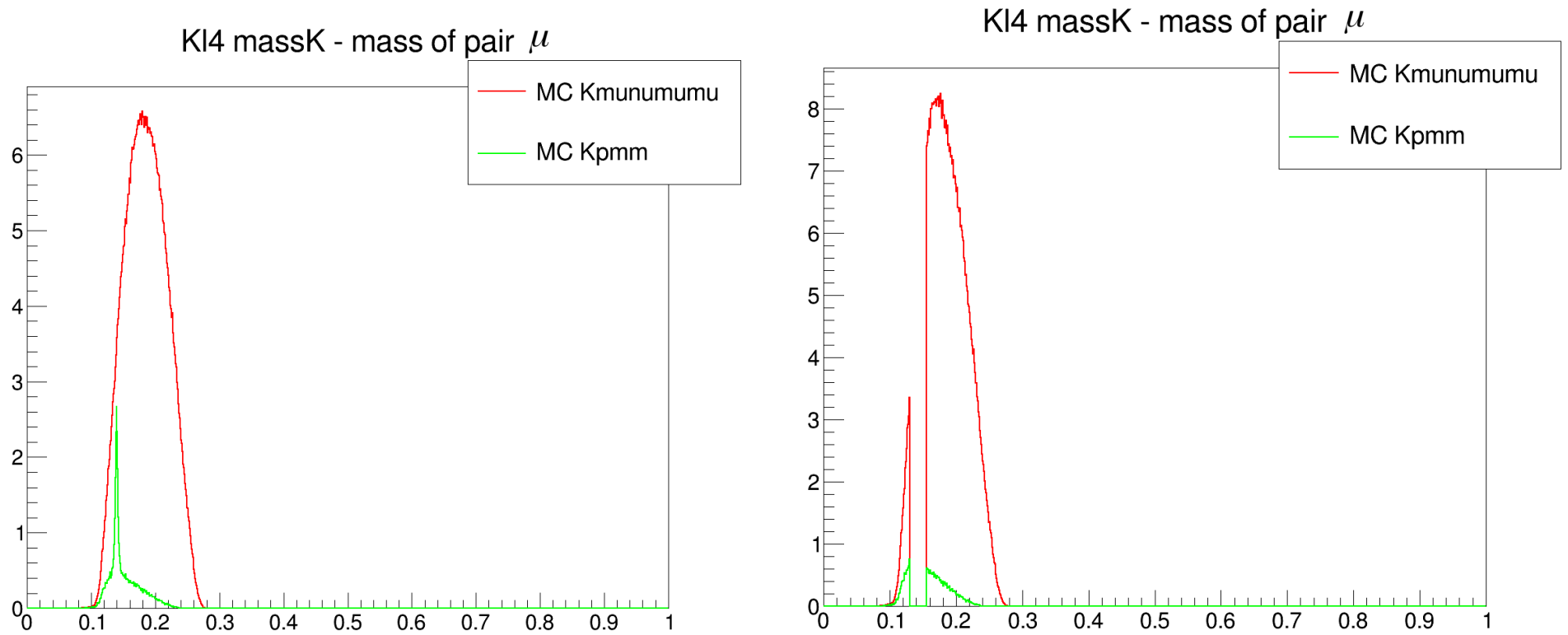
Pion Particle ID: not an electron and not a muon
RICH ID as π

Vertex Selection

- Three-track vertex ≥ 1 ;
- 3 identified muons;
- $q_{3tr_vtx} = +1$;
- $\chi^2_{3tr_vtx} \leq 40$;
- $102 \text{ m} \leq Z_{vtx} \leq 180 \text{ m}$;
- $P_{vtx} < 90 \text{ GeV}$;
- VertexTime: average of 3 tracks NewCHOD times;
- $|\text{VertexTime} - \text{GTKtime}| < 2 \text{ ns}$;
- Distance between GTK track and vertex in the vertex plane $< 100 \text{ mm}$ (initial relaxed cut)

Final cuts

Cut for $\pi\mu\mu$ background



$$P_{\pi} = P_K - P_{\mu} - P_{\mu}$$

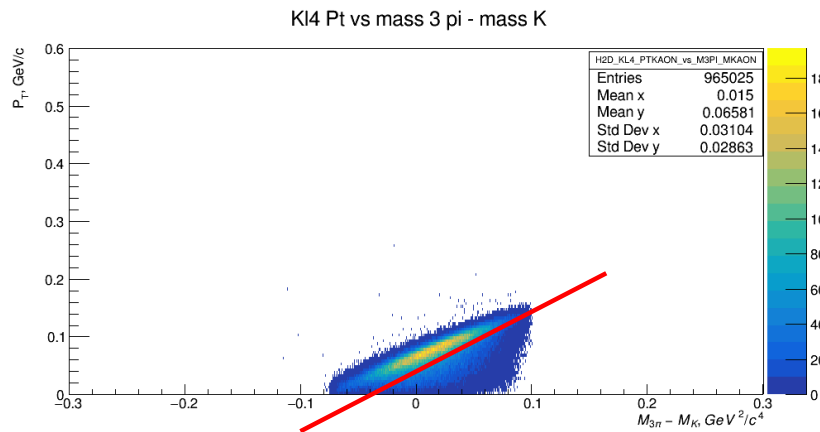
Cut $0.13 < M_{\pi} < 0.155$

Cut for Km4

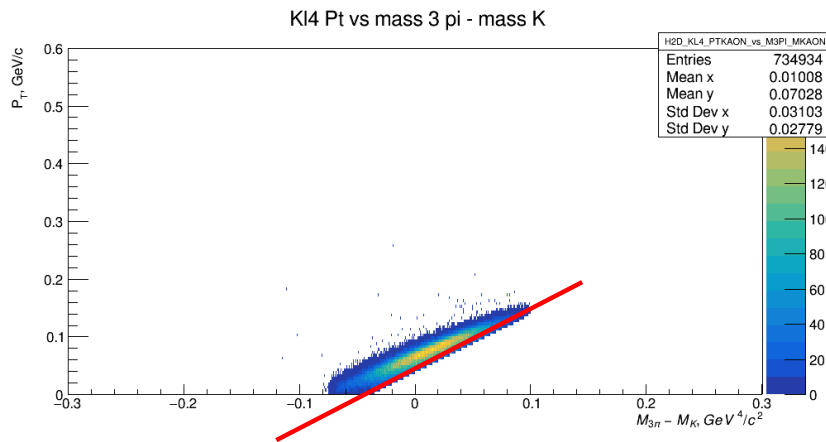
Mu mass is attributed to each track

$K \rightarrow \mu \nu \mu \mu$

before cut

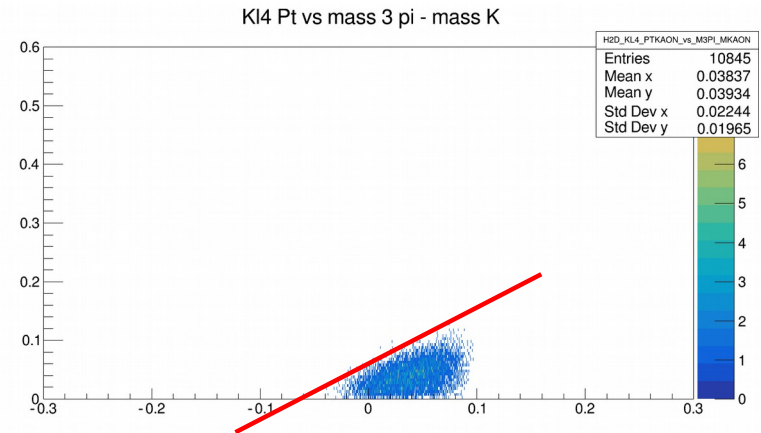


after cut

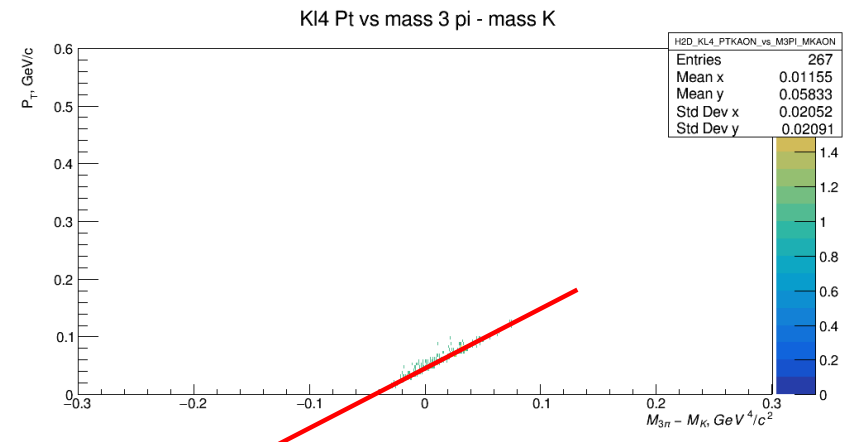


$Km4$

before cut



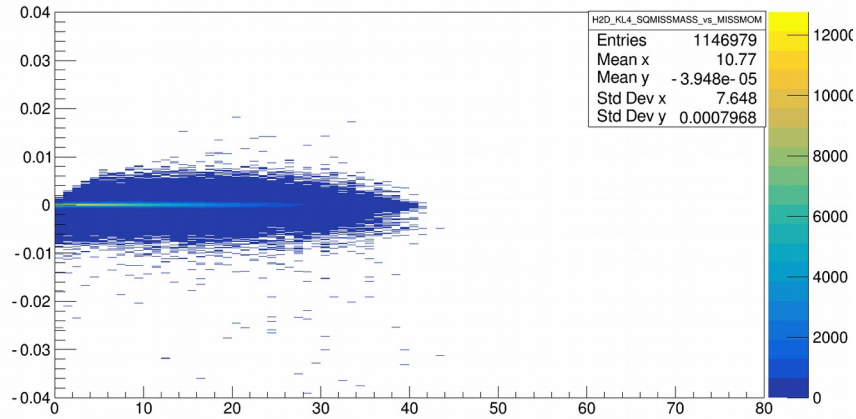
after cut



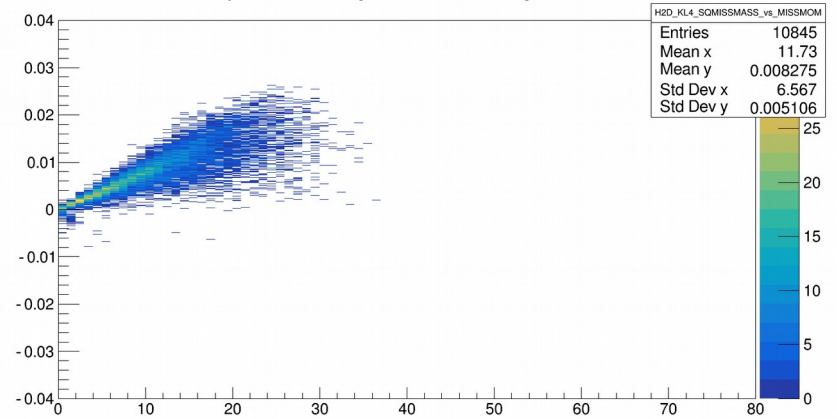
Squared Missing Mass vs Missing Momentum

Squared missing mass

KI4 Squared missing mass vs missing momentum

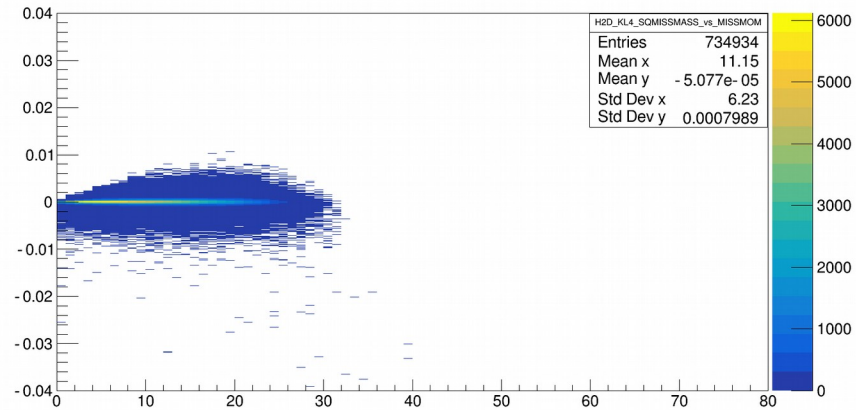


KI4 Squared missing mass vs missing momentum

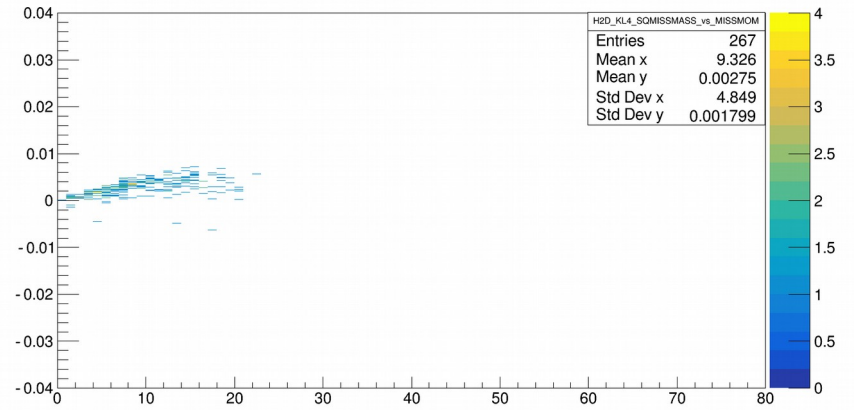


After two final cuts

KI4 Squared missing mass vs missing momentum



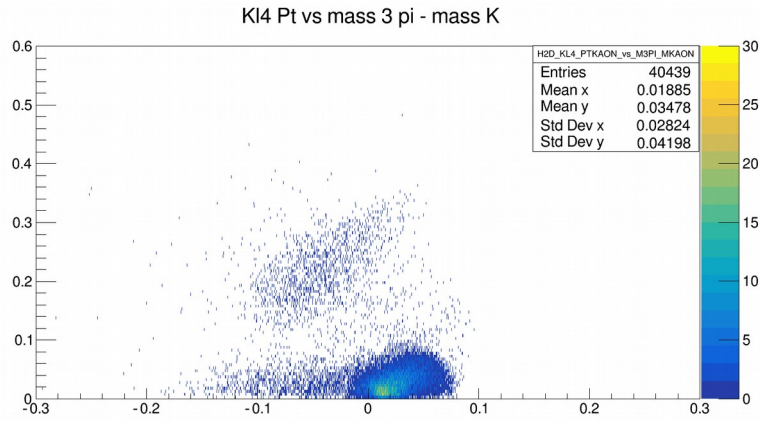
KI4 Squared missing mass vs missing momentum



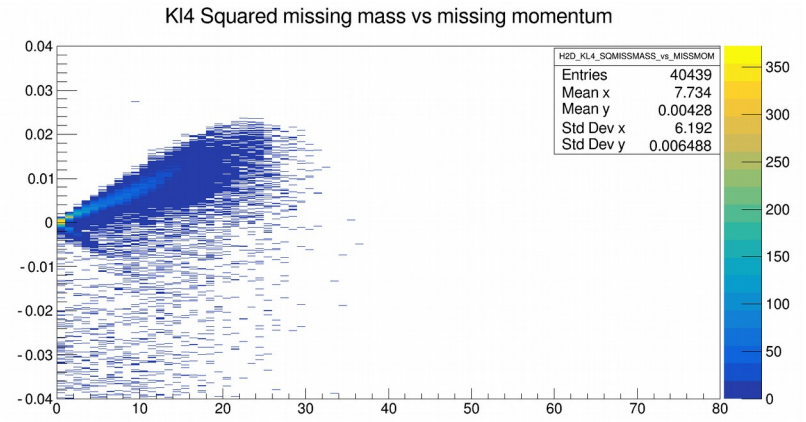
Missing momentum

Data

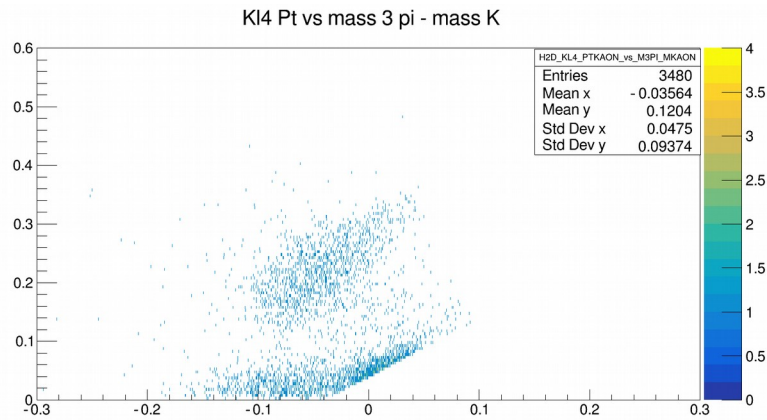
P_T



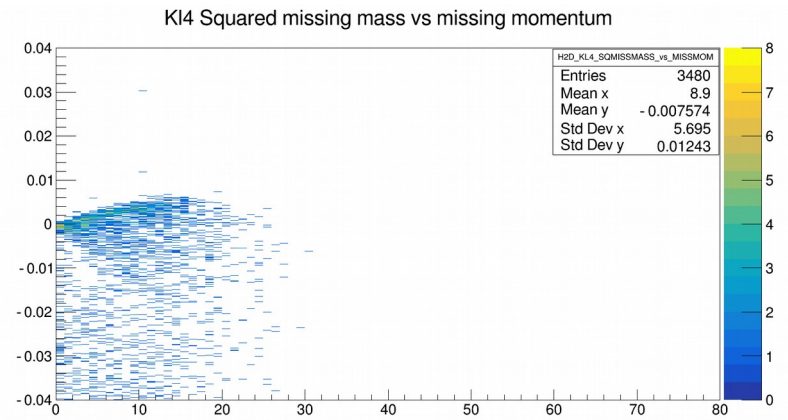
Squared missing mass



After cuts

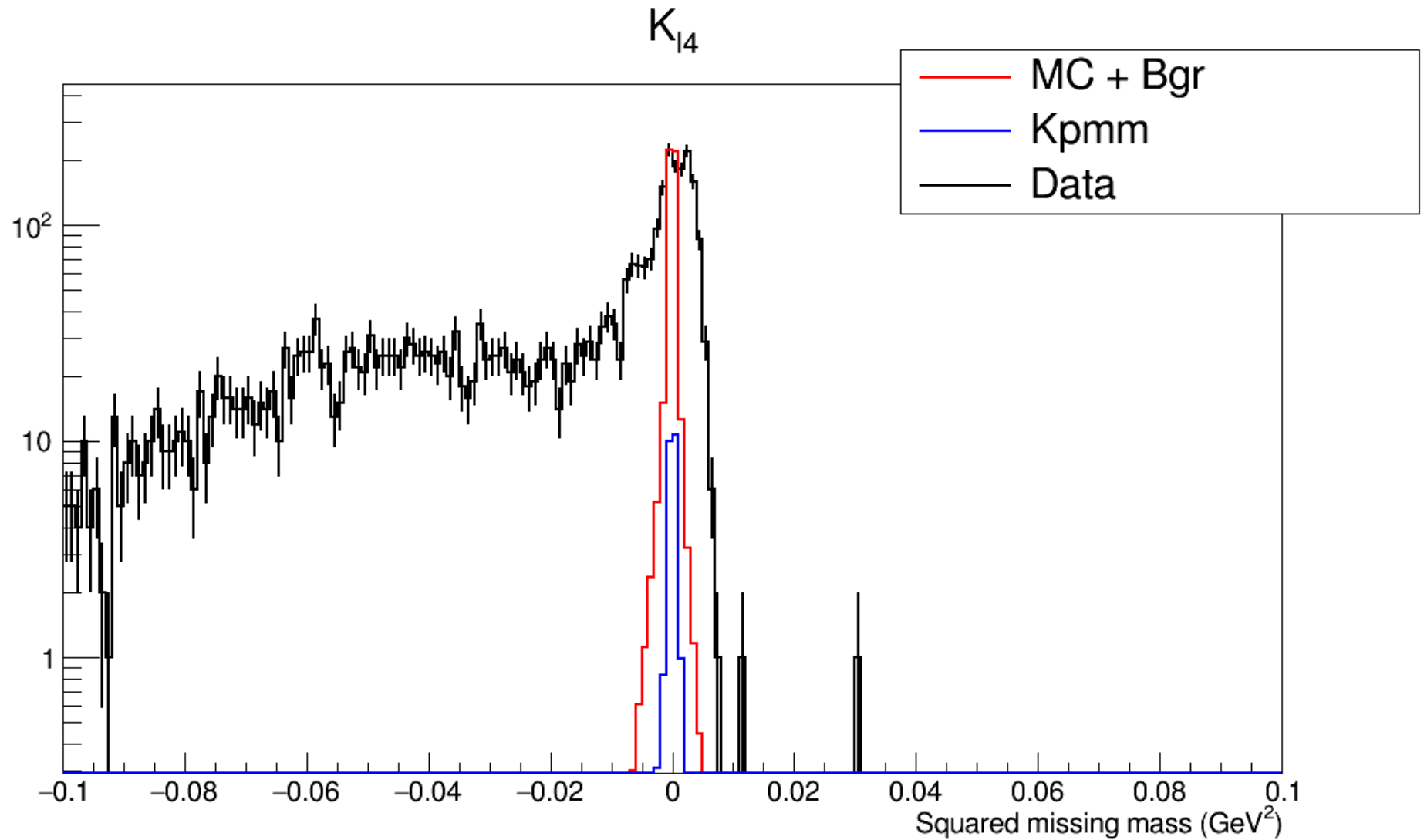


$M_{3\pi} - M_K$



Missing momentum

Squared Missing Mass of $K \rightarrow \mu \nu \mu \mu$



Conclusions

- Signal selection seems to work.
- Signal is visible.

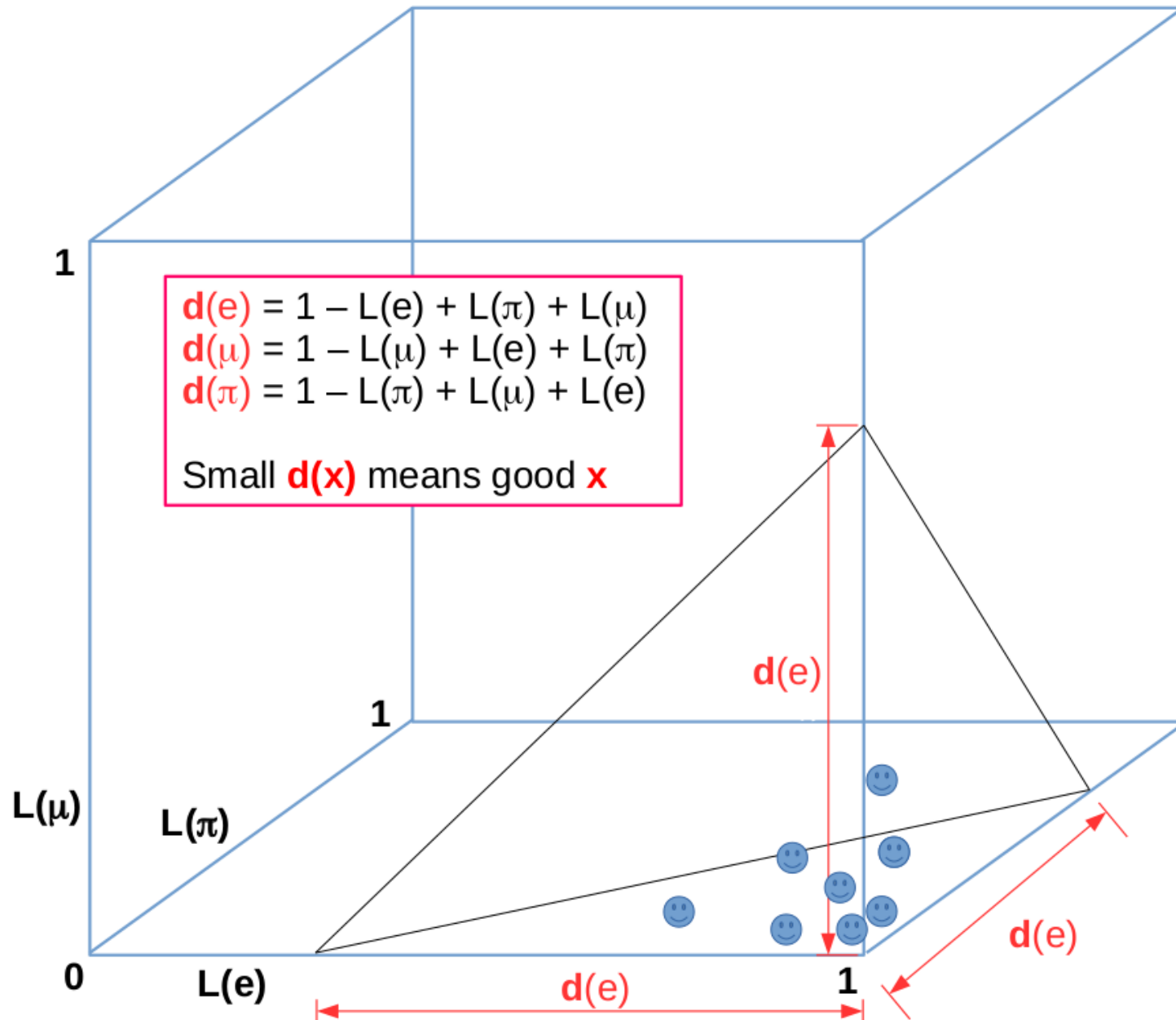
To do

- To use fastMC for describing background from $K3\pi$
- Normalization channel
- Other background channels



Backup

L is RICH Likelihood



Unlike the L-ratio criteria, \mathbf{d} also suppress the low-likelihood area, that is also uncertain for RICH.

One could invent some “radius” of ellipse, but 3D points here are not distributed elliptically.

So linear discriminant is just the simplest one.

Cuts on $\mathbf{d}(e)$, $\mathbf{d}(\mu)$, $\mathbf{d}(\pi)$ may be different in various analyses.

Soft cut : $\mathbf{d} < 0.9$ just exclude other corners