1	BM@N Note
2	<b>Production of</b> $\Lambda$ hyperons in interactions of the
3	4A GeV carbon beam with C, Al, Cu targets.
4	
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7	Abstract

8 Production of  $\Lambda$  hyperons in interactions of the 4 GeV kinetic energy carbon beam with C, Al, Cu

9 targets was studied with the BM@M detector at the Nuclotron (LHEP JINR, Dubna).The

10 analysis procedure is described in details. Results on  $\Lambda$  hyperon yields have been obtained and

11 compared with model predictions and data available.

12 BM@N configuration in the carbon beam run

The technical run of the BM@N detector was performed with the carbon beam in March 2017. 13 The view of the BM@N setup used in the run is presented in Fig. 1 (left). The configuration of 14 the central tracker was based on one plane of a forward silicon detector and six GEM stations 15 combined from 5 GEM detectors with the size of 66x41 cm<sup>2</sup> and 2 GEM detectors with the size 16 of 163x45 cm<sup>2</sup> [GEMTDR]. The tracking stations were arranged to have the beam passing 17 through their centers (Fig. 1 (right)). Each successive GEM station was rotated by 180° around 18 the vertical axis. It was done to have the opposite electron drift direction in the successive 19 20 stations in order to avoid a systematic shift of reconstructed tracks due to the Lorentz angle in the 21 magnetic field. The research program was devoted to measurements of inelastic reactions  $C+A \rightarrow X$  with the beam kinetic energy of 3.5, 4 and 4.5A GeV and different targets: C, Al, Cu. In 22 the present analysis only data collected in the 4A GeV carbon beam are considered. The 23 24 technical program of the run included the measurement of the carbon beam momentum in the 25 central and outed tracker at different values of the magnetic field. Since the GEM tracker 26 configuration was tuned to measure relatively high-momentum beam particles, the geometric acceptance for relatively soft decay products of strange VO particles was rather low. 27 28





Fig. 1. Left plot: BM@N set-up in the carbon beam run. Right plot: configuration of the GEM detectors.



29

30 Fig.1b. Schematic view and positions of the beam counters, barrel detector and target.

In the present analysis the experimental data from the forward silicon detector, GEM detectors,

trigger barrel multiplicity detector, beam, veto and T0 counters were used. The positions of the

beam counters and trigger barrel detector and the target are given in Fig.1b. The carbon beam

intensity was few  $10^5$  per the spill, the spill duration was 2-2.5 sec. The magnetic field in the

center of the analyzing magnet was 0.61 T.

## 36 Monte Carlo simulation and event reconstruction

The event samples of C+A collisions were produced with the DCM-QGSM event generator. The 37 passage of particles through the setup volume was simulated with the GEANT program 38 integrated into the BmnRoot software framework. To properly describe the GEM detector 39 response in the magnetic field the microsimulation package Garfield++ was used. The package 40 gives very detailed description of the processes inside the GEM detector, including the drift and 41 diffusion of released electrons in electric and magnetic fields and the electron multiplication in 42 GEM foils, so that the output signal from the readout plane can be reproduced. To speed up the 43 44 simulation the dependencies of the Lorentz shifts and the charge distributions on the readout planes on the drift distance were parameterized and used in the GEM digitization part of the 45 BmnRoot package. The details of the detector alignment, Lorenz shift corrections are described 46 in the paper [DeuteronPaper]. The track reconstruction method was based on a so-called 47 48 "cellular automaton" approach [CBM1]. The tracks found were used to reconstruct primary and secondary vertices using the "KF-particle" formalism [CBM2]. A hyperons were reconstructed 49 using their decay mode into two oppositely-charged tracks. The signal event topology (decay of 50 a relatively long-lived particle into two tracks) defined the selection criteria: small track-to-track 51 separation in the decay vertex, relatively large decay length of the mother particle. Since particle 52 identification was not used in the analysis, all positive tracks were considered as protons and all 53 negative as  $\pi^{-}$ . 54

## 55 **Event selection criteria**:

56 1. Number of tracks in selected events: positive>=1, negative>=1;

- 57 2. Beam halo, pile-up suppression within the readout time window: number of signals in the start detector: T0=1, number of signals in the beam counter: BC2=1, number of signals in the veto counter around the beam: Veto=0;
- 3. Trigger condition in the barrel multiplicity detector: number of signals BD>=2 or BD>=3
  (run dependent).
- 62 The suppression factors (in %) of reconstructed events fluxes due to selection criteria 2 applied
- to eliminate beam halo and pile-up events in interactions of C+C, C+Al, C+Cu are given in
- 64 Table 1.

Cut	1	2	3	4
T0==1	+			+
BC2==1		+		+
Veto==0			+	+
С	77.0	82.7	82.1	67.4
Al	82.4	87.5	86.0	74.0
Си	86.0	89.1	87.9	77.9

65 Table 1.

- 66 The total suppression factors from the last column are applied to reduce the recorded beam
- 67 fluxes and luminosities which are summarized in Table 2.
- Table 2. Number of triggered events, beam fluxes and integrated luminosities collected in the carbon beam of 4A GeV.

Interactions, target thickness	Number of triggers / 10 <sup>6</sup>	Integrated beam flux / 10 <sup>7</sup>	Integrated luminosity $/ 10^{30} \text{ cm}^{-2}$
<i>C</i> + <i>C</i> (9 mm)	4.57	6.99	7.16
C+Al (12 mm)	5.35	4.41	3.11
C+Cu (5 mm)	5.31	4.57	1.98

## 70 **A hyperon selection criteria:**

- Number of hits in 1 Si + 6 GEM per track > 3, where hit is a combination of two strip
   clusters from both readout sides (*X* and *X'* views) on each detector station [GEMTDR]
- Momentum range of positive tracks:  $p_{pos} < 3.9 \text{ GeV}/c$
- Momentum range of negative tracks:  $p_{neg} > 0.3 \text{ GeV}/c$
- Distance of the closest approach of *V0* decay tracks (distance in X-Y plane between *V0* decay tracks at Z=Z<sub>V0</sub>) : *dca* < 1 cm</li>
- Distance between V0 and primary vertex: path > 2.5 cm

78 Distributions of the experimental primary vertex are given in Fig.12b. Distributions of 79 kinematical and spatial parameters used for the  $\Lambda$  hyperon selection are presented in Fig.12c.

Spectra of the invariant mass of  $(p,\pi)$  reconstructed in interactions of C+C, C+Al, C+Cu are 80 shown in Fig.8. To extract  $\Lambda$  hyperon signal, the distributions were fitted to a combination of the 81 Gaussian function (peak) and the 4<sup>th</sup> degree orthogonal polynomial (background) in the mass 82 range 1.08-1.18 GeV. To avoid a bias due to possible deviation of the peak from the Gaussian 83 shape, the numbers of  $\Lambda$  hyperons were determined not from the Gaussian fit but from the 84 content of the background-subtracted histogram bins within  $\pm 2.5$  sigma window around the peak 85 position. Thus, the Gaussian fit was only used to better estimate the background under the peak 86 and define the peak width. A signals in intervals of the transverse momentum  $p_T$  and rapidity  $y_{lab}$ 87 were reconstructed using similar fit procedure, i.e. the numbers of  $\Lambda$  hyperons were calculated 88 within  $\pm 2.5$  sigma windows resulted from fits of  $(p,\pi)$  mass spectra in  $p_T$  and y intervals. The 89 error of the  $\Lambda$  signal includes the uncertainty of the background subtraction. The statistical and 90 systematical errors were calculated according to the formula: sig=hist-bg,  $err(stat)=\sqrt{hist}$ , 91  $err(syst) = \sqrt{(0.5*bg)}$ , assuming that the background was estimated with the uncertainty of 92  $\sqrt{(0.5*bg)}$ . If the variation of the background shape or the signal integration window gave larger 93 uncertainties than  $\sqrt{(0.5*bg)}$ , the largest uncertainty was taken as a systematical error. In 94 95 particular, to estimate one uncertainty of the  $\Lambda$  signal extraction, the number of  $\Lambda$  hyperons in  $p_T$ and y intervals were also calculated within the same windows as for the total  $\Lambda$  signal. If the 96 difference in the  $\Lambda$  hyperon numbers was larger than the systematical error, this difference was 97 taken as a systematical error. 98

99 The invariant mass spectra of  $(p,\pi)$  pairs reconstructed in C+C, C+Al, C+Cu interactions the  $p_T$ 100 and y intervals are presented in Figs.2-7. The statistics of  $\Lambda$  hyperons reconstructed in C+C, 101 C+Al, C+Cu interactions are summarized in Table 3 and in Fig.8.

Target	у			Target		$p_T$	
Interval	С	Al	Си	Interval	С	Al	Cu
1.2-1.45	$103\pm27\pm18$	265±45±30	591±69±46	0.1-0.3	$454 \pm 68 \pm 46$	652±84±56	$625 \pm 85 \pm 58$
1.45-1.65	250±43±29	510±59±38	601±60±39	0.3-0.55	296±44±29	717±80±53	797±81±54
1.65-1.85	338±57±38	550±72±48	576±77±52	0.55-0.8	128±31±20	462±65±43	379±61±41
1.85-2.1	253±51±35	443±72±49	371±67±45	0.8-1.05	N/A	96±39±27	133±44±30

102 Table 3. Reconstructed signals of  $\Lambda$  hyperons in bins of y and  $p_T$ . The first error presents the 103 statistical uncertainty, the second error is systematical.

104 To evaluate the  $\Lambda$  hyperon acceptance and reconstruction efficiencies, minimum bias interactions 105 of 4A GeV carbon beam with *C*, *Al*, *Cu* targets were generated with the DCM-QGSM generator. 106 The generated particles were traced through the BM@N geometry using the GEANT simulation 107 and reconstructed using the BmnRoot software framework. Experimental and Monte Carlo 108 distributions of the track multiplicity, number of tracks reconstructed in the primary vertex and 109 number of hits per track are presented in Fig.9. Distributions of the transverse momentum  $p_T$  and 101 total momentum *p* of reconstructed positive and negative particles are shown in Fig.10.

111 To reproduce the detector effects in the reconstruction efficiency the simulated products of  $\Lambda$ 112 hyperon decays  $(p,\pi)$  were embedded into real experimental events of C+C, C+Al, C+Cu113 interactions. Simulated amplitude signals in the Forward Silicon and GEM detectors were 114 convoluted with amplitudes of the experimental signals in these detectors. Two-dimensional X/Y efficiency distributions in 6 GEM stations measured with reconstructed experimental tracks areshown in Fig.11. They were estimated using the following approach:

- 117 1. Select good quality tracks with the minimum number of hits per track N;
- 118 2. Check that track crosses the detector area, if yes, add one track to the denominator;
- 1193. If there is a hit in the detector, which belongs to the track, and the number of hits on this120track >N (i.e. track has the minimum number of hits N in the remaining detectors), add121one track to the numerator;
- 122 4. Detector efficiency = sum of tracks in numerator / sum of tracks in denominator.
- 123 These efficiencies were applied to reduce the number of hits of embedded tracks of  $\Lambda$  decay 124 products.

The experimental distribution of GEM hit residuals to tracks is presented in Fig.12. The 125 126 corresponding distribution for embedded tracks of  $\Lambda$  decay products is also shown in Fig 12. The RMS of distributions are in a reasonable agreement. The invariant mass spectrum of  $(p,\pi)$  pairs 127 reconstructed in the experimental events of C+Cu interactions with embedded  $\Lambda$  hyperon decay 128 129 products is illustrated in Fig.13. The  $\Lambda$  signal is reproduced by a Gaussian function with the 130 sigma of 2.4 MeV, which is consistent with the sigma of the experimental  $\Lambda$  distribution of 2.5 MeV. Variation of sigma of the experimental  $\Lambda$  and embedded  $\Lambda$  signal reconstructed in bins of 131  $p_T$  is illustrated in Fig.13b. To estimate statistical fluctuations of the experimental  $\Lambda$  signal, the 132 Gaussian fit is performed for the mass distribution shifted at a half of the mass bin (1.25 133  $MeV/c^2$ ). The difference in sigma is presented as error bands in the plots. 134

- 135 The resulting  $\Lambda$  reconstruction efficiency is the ratio of the number of reconstructed  $\Lambda$  hyperons 136 to the number of generated ones in the intervals of  $(p_T, y)$ . The reconstruction efficiency can be 137 decomposed into the following components:  $a_1 = a_2 + a_3 + a_4$ . The definition of every term is
- 137 decomposed into the following components:  $\varepsilon_{rec} = \varepsilon_{acc} \cdot \varepsilon_{emb} \cdot \varepsilon_{cuts.}$  The definition of every term is 138 given in Table 4 and their determination procedure is as follows.

Reconstructed primary vertices from experimental events were taken to serve as the interaction 139 point for DCM-QGSM generated events with produced  $\Lambda$ s. After the event simulation and 140 reconstruction the successfully reconstructed  $\Lambda$  was counted in the numerator  $N_{rec}$  and the 141 procedure continued with the next experimental event. In the opposite case, the current vertex 142 143 was used for the next MC event. The "successful reconstruction" means that the reconstructed  $\Lambda$ mass was within  $\pm 5$  MeV window around the table value and the reconstructed hyperon 144 145 "matches" with the generated one, i.e. its momentum components are within  $\pm 0.1$  and 0.15 GeV/c window from the true ones for  $p_x(p_y)$  and  $p_z$ , respectively, and rapidity within ±0.2. The 146 147 detector acceptance was taken as  $N_{rec} / N_{gen}$ , where  $N_{gen}$  is the total number of MC events tried.

148 The accepted hyperons were used for the embedding procedure as follows. Monte Carlo digits 149 originated from  $\Lambda$  decay products were added to respective (as explained above) experimental 150 events and the reconstruction was performed again for such mixed data. This allowed us to take 151 into account many real-life effects (GEM efficiency, zero suppression, event pile-up). 152 Successfully reconstructed (in the explained above sense) embedded  $\Lambda$  gave the embedding 153 efficiency with respect to the number of accepted ones from above.

- 154 The successfully reconstructed  $\Lambda$ s gave the denominator for the selection efficiency calculation,
- i.e. efficiency of selection criteria applied for background suppression.

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Reconstruction efficiency	$\varepsilon_{rec} = \varepsilon_{acc} \cdot \varepsilon_{emb} \cdot \varepsilon_{cuts}$
$\Lambda$ geometrical acceptance in GEM detectors	$\varepsilon_{acc} = N_{acc} (y, p_T) / N_{gen} (y, p_T)$
Efficiency of reconstruction of embedded $\Lambda$	$\varepsilon_{emb} = N_{emb}(y, p_T) / N_{acc}(y, p_T)$
Efficiency of $\Lambda$ selection: kinematic and spatial cuts	$\varepsilon_{cuts} = N_{rec}(y, p_T) / N_{emb}(y, p_T)$

156 Table 4. Decomposition of the  $\Lambda$  hyperon reconstruction efficiency.

157 2-dimentional  $(p_T, y)$  distributions of reconstructed  $\Lambda$  decay candidates in data and Monte Carlo 158 do not perfectly agree in the shape. To adjust the Monte Carlo to the data, weights were 159 calculated as a ratio of the normalized spectra of experimental data to the normalized spectra of 160 simulated events:  $w(y,p_T) = N_{data}(y,p_T)/N_{rec}(y,p_T)$ . The 2-dimentional weights are shown in Fig.14. 161 These weights were used to obtain 1-dimentional efficiencies according to the formula:

162 
$$\varepsilon_{rec} (p_T) = \sum_{y} (N_{rec} (y, p_T) \cdot w(y, p_T)) / \sum_{y} (N_{gen} (y, p_T) \cdot w(y, p_T))$$

163 
$$\varepsilon_{rec}(y) = \sum_{pT} (N_{rec}(y, p_T) \cdot w(y, p_T)) / \sum_{pT} (N_{gen}(y, p_T) \cdot w(y, p_T))$$

164 The actual values of efficiencies ( $\varepsilon_{acc}$ ,  $\varepsilon_{emb}$ ,  $\varepsilon_{cuts}$ ) calculated for *C+C*, *C+Al*, *C+Cu* interactions in 165 the *y* and *p<sub>T</sub>* bins are shown in Figs. 16-18. The combined reconstruction efficiencies  $\varepsilon_{rec}$ 166 calculated for *C+C*, *C+Al*, *C+Cu* interactions are presented in Fig.19.

The trigger efficiency  $\varepsilon_{trig}$  calculated for events with reconstructed  $\Lambda$  hyperons in interactions of 167 carbon beam with different targets is given in Table 5. The trigger efficiency was evaluated by a 168 convolution of the GEANT simulation of the trigger BD detector response to DCM-QGSM 169 events with reconstructed  $\Lambda$  hyperons and the GEANT simulation of delta electrons produced by 170 171 the carbon beam in the C, Al, Cu targets which were found to be the dominant source of delta 172 electrons. The systematic errors cover the contribution of delta electrons produced in the simulated targets with the fractional thickness from 0.5 to 1 of the real targets. The trigger 173 efficiency obtained in simulation was cross checked by the analysis of data samples with the 174 175 reduced trigger requirements: BD>=1 for C+C interactions and BD>=2 for C+Al and C+Cu176 interactions. The evaluated efficiencies for reconstructed events with Λ  $\varepsilon$ (BD>=2)/ $\varepsilon$ (BD>=1,C+C) = 0.90,  $\varepsilon$ (BD>=3)/ $\varepsilon$ (BD>=2,C+Al,C+Cu) = 0.95 are consistent with 177 the trigger efficiencies calculated using simulated events. 178

Table 5. Trigger efficiency evaluated for events with reconstructed  $\Lambda$  hyperons in interactions of the carbon beam with *C*, *Al*, *Cu* targets. The systematic errors take into account the uncertainty due to the delta electron background. The last row shows the trigger efficiency averaged over the

data samples with trigger conditions BD >= 2 and BD >= 3.

Trigger / Target	С	Al	Cu
$\epsilon_{trig}$ (BD>=2)	0.906±0.010	0.955±0.010	0.904±0.01
$\varepsilon_{\text{trig}}$ (BD>=3)		0.923±0.020	0.883±0.02

$\epsilon_{trig} (BD \ge 2 + BD \ge 3)$		0.940±0.015	0.893±0.015
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Distributions of the impact parameters of minimum bias interactions generated with the DCM-183 QGSM model are shown in Fig.26. The impact parameter distributions of generated events with 184 185  $\Lambda$  hyperons as well as the impact parameters of simulated events with reconstructed  $\Lambda$  hyperons are presented for comparison. The  $\Lambda$  reconstruction requirements and the trigger conditions do 186 not change the impact parameter distributions. The ratio of the normalized impact parameter 187 distributions for events with reconstructed  $\Lambda$  to events with generated  $\Lambda$  are shown in Fig.27. A 188 linear fit to the ratios gives slopes which are within 0.7, 0.3, 1.5  $\sigma$  consistent with zero for C+C, 189 C+Al, C+Cu interactions, respectively. The mean values of the impact parameters for events 190

191 with  $\Lambda$  hyperons generated in C+C, C+Al, C+Cu interactions are presented in Table 6.

<b>i</b>		· · ·		
МС	<i>b</i> , fm ( <i>C</i> + <i>C</i> )	<i>b</i> , fm ( <i>C</i> + <i>Al</i> )	<i>b</i> , fm ( <i>C</i> + <i>Cu</i> )	
All min bias events	3.76	4.36	5.13	
Events with $\Lambda$	2.80	3.08	3.58	
Events with rec. $\Lambda$	2.71	3.18	3.88	

192 Table 6. Mean impact parameters of min. bias C+C, C+Al, C+Cu interactions.

193 The cross section  $\sigma_A$  and yield  $Y_A$  of A hyperon production in C+C, C+Al, C+Cu interactions are 194 calculated in bins of y and  $p_T$  according to the formulae:

$$\sigma_{A}(y,p_{T}) = N_{rec}^{A}(y,p_{T}) / (\varepsilon_{rec}(y,p_{T}) \cdot \varepsilon_{trig} \cdot L) \qquad Y_{A}(y,p_{T}) = \sigma_{A}(y,p_{T}) / \sigma_{inel}$$

where L is the luminosity,  $N_{rec}^{\Lambda}$ -the number of reconstructed  $\Lambda$  hyperons,  $\varepsilon_{rec}$ -the combined 195 efficiency of the  $\Lambda$  hyperon reconstruction,  $\varepsilon_{trig}$ -the trigger efficiency,  $\sigma_{inel}$ - the cross section for 196 minimum bias inelastic C+A interactions. The cross section for inelastic C+C interactions is 197 taken from the measurement [AngelovCC]. The cross sections for inelastic C+Al, C+Cu198 interactions are taken from the predictions of the DCM-QGSM model which are consistent with 199 the results calculated by the formula:  $\sigma_{inel} = \pi R_0^2 (A_P^{1/3} + A_T^{1/3})^2$ , where  $R_0 = 1.2$  fm is an 200 effective nucleon radius,  $A_P$  and  $A_T$  are atomic numbers of the beam and target nucleus 201 [HadesL0]. The uncertainties for C+Al, C+Cu inelastic cross sections are estimated by using the 202 alternative formula:  $\sigma_{inel} = \pi R_0^2 (A_P^{1/3} + A_T^{1/3} - b)^2$  with  $R_0 = 1.46$  fm and b = 1.21 [AngelovCC]. 203

204 Table 7.

Interaction	C+C	C+Al	C+Cu
Inelastic cross section, mb	830±50	1260±50	1790±50

205 The yields of  $\Lambda$  hyperons in minimum bias C+C, C+Al, C+Cu interactions are measured in the

kinematic range on the  $\Lambda$  transverse momentum of  $0.1 < p_T < 1.0 \text{ GeV}/c$  and the  $\Lambda$  rapidity in the laboratory frame of  $1.2 < y_{lab} < 2.1$ . Due to lack of the significant signal above the background at

208  $p_T > 0.75$  GeV/c in C+C interactions, the measured  $p_T$  range was limited to  $0.1 < p_T < 0.75$  GeV/c.

209 The rapidity of the beam-target nucleon-nucleon CM system calculated for an interaction of the

beam with  $T_0=4$  GeV/nucleon with a fixed target is  $y_{CM}=1.17$ . The transformation of the y

distribution to c.m.s. gives  $y^*=y_{lab}-y_{CM}$ . The differential spectra of the  $\Lambda$  yields in  $y_{lab}$  are 211 measured in the A transverse momentum range of  $0.1 < p_T < .05$  GeV/c for C+C, C+Al, C+Cu. The 212 differential spectra of the  $\Lambda$  yields in  $p_T$  are measured in the  $\Lambda$  rapidity range of  $1.2 < y_{lab} < 2.1$ . The 213  $p_T$  and y spectra are presented in Figs. 20-22 for C+C, C+Al, C+Cu interactions, respectively. 214 The predictions of the DCM-QGSM and URQMD models are shown for comparison. In Fig.23 215 the measured spectra of the  $\Lambda$  yields in  $p_T$  are parameterized by the form:  $1/p_T d^2 N/dp_T dv = N exp(-$ 216  $(m_T - m_A)/T$ , where  $m_T = \sqrt{(m_A^2 + p_T^2)}$  is the transverse mass, the normalization N and temperature T 217 are free parameters of the fit. The experimental  $\Lambda$  spectra are compared with the predictions of 218 the DCM-QGSM and URQMD models. The parametrization of the DCM-QGSM and URQMD 219 220 spectra are shown in Fig.24. The values of the temperature  $T_0$ , extracted from the fit of the  $p_T$ spectra, are summarized in Table 8. 221

	$T_{\theta}$ , MeV (C+C)	$T_{\theta}$ , MeV (C+Al)	$T_{\theta}$ , MeV (C+Cu)
Experiment	$98 \pm 24 \pm 25$	$157 \pm 24 \pm 12$	$160 \pm 27 \pm 21$
$\chi^2$ / ndf	2.04/1	2.51/2	0.39/2
DCM-QGSM	122	129	131
UrQMD	107	127	132

Table 8. Temperature parameter extracted from the fit of the  $p_T$  spectra.

223 The systematic error of the  $\Lambda$  yield in every  $p_T$  and y bin is calculated via a quadratic sum of 224 uncertainties coming from the following sources:

- Systematic errors of the embedding efficiency estimated by embedding the  $\Lambda$  decay products into data samples collected in different run periods.
- Table 9. Systematic uncertainty of the embedding efficiency.

Target	у			Target		$p_T$	
Interval	<i>C</i> , sys%	<i>Al</i> , sys%	<i>Cu</i> , sys%	Interval	<i>C</i> , sys%	<b>Al</b> , sys%	<i>Cu</i> , sys%
1.2-1.45	2.09	4.22	2.93	0.1-0.3	4.94	9.37	6.61
1.45-1.65	1.75	4.11	3.31	0.3-0.55	3.07	0.64	1.30
1.65-1.85	7.96	4.78	4.19	0.55-0.8	4.59	0.34	0.08
1.85-2.1	5.44	1.24	6.09	0.8-1.05	3.03	6.28	2.36

- Systematic errors estimated by two methods of re-weighting the Monte Carlo  $(y,p_T)$ distribution to adjust it to the measured  $(y,p_T)$  distribution: 1) using 2-dimentional weight  $w(y,p_T)$  in the measured  $(y,p_T)$  bin; 2) using product of 1-dimentional weights calculated as  $w(p_T) \cdot w(y)$ .
- The Λ yield normalization uncertainty calculated as a quadratic sum of uncertainties of
   the trigger efficiency and inelastic cross section.
- The systematic uncertainties are summarized in Tables 10 and 11.

Table 10.Systematic uncertainty of the total reconstruction efficiency.

Target		у		Target		$p_T$	
Interval	<i>C</i> , sys%	<b>Al</b> , sys%	<i>Cu</i> , sys%	Interval	<b>C</b> , sys%	<b>Al</b> , sys%	<i>Cu</i> , sys%
1.2-1.45	7.39	8.50	6.57	0.1-0.3	8.70	8.20	5.85
1.45-1.65	7.80	6.39	3.40	0.3-0.55	7.14	6.05	5.21

1.65-1.85	9.08	7.60	4.26	0.55-0.8	11.23	10.48	3.19
1.85-2.1	7.34	7.35	5.01	0.8-1.05	2.06	7.16	2.32

237 Table 11. Total systematic uncertainty.

Target	у			Target	<i>p</i> <sub>T</sub>		
	С,	<i>Al</i> ,	Си,		С,	<i>Al</i> ,	Cu,
Interval	sys%	sys%	sys%	Interval	sys%	sys%	sys%
1.2-1.45	19.0	14.8	10.5	0.1-0.3	14.2	15.1	12.7
1.45-1.65	14.1	10.6	8.0	0.3-0.55	10.7	9.6	8.6
1.65-1.85	16.5	12.5	10.8	0.55-0.8	19.8	14.0	11.3
1.85-2.1	16.6	13.3	14.4	0.8-1.05	N/A	29.7	22.7
Normalization	6.0	4.0	2.8	Normalization	6.0	4.0	2.8

238 The integrated yields of  $\Lambda$  hyperons produced in the kinematic range of  $0.1 < p_T < 1.05$  GeV/c and

239  $1.2 < y_{lab} < 2.1$  in minimum bias C+C, Al, Cu interactions are summarized in Table 12. To

extrapolate the measured yields to the full kinematic range the predictions of the DCM-QGSM

and URQMD models are used. The model extrapolation factors and the estimated yields and

242 cross sections of the  $\Lambda$  hyperon production in C+C, C+Al, C+Cu minimum bias interactions are

given in Table 12.

Table 12. Extrapolation factors to the full kinematical range, yields and cross sections.

	C	Al	Cu
DCM-QGSM	6574/2474	10539/3413	15817/3545
URQMD			
extrapolation factors	1827/639	3248/1056	5509/1360
Yields in the measured			
kin range 0.1< <i>p</i> <sub>T</sub> <1.05	0.0214±0.0023±0.0024	0.0431±0.0034±0.0035	$0.0561 \pm 0.0039 \pm 0.0047$
GeV/c, 1.2< <i>y</i> <sub>lab</sub> <2.1			
Yields in the full kinematic range	0.0589±0.0063±0.0065	0.133±0.010±0.011	0.239±0.017±0.020
N part DCM-QGSM	9	13.4	23
$\Lambda$ cross section in min. bias interactions, mb	$48.9 \pm 5.2 \pm 5.1$	$167 \pm 13 \pm 13$	$427 \pm 30 \pm 29$

The  $\Lambda$  yields and production cross sections in *C*+*C* interactions can be compared with the previous results of 23.2±2.5 mb [ArmutCC] and 24±6 mb [ArakelianCC] measured in interactions of the carbon beam with the momentum of 4.2 GeV/*c* per nucleon (beam kinetic energy of 3.36 GeV per nucleon) with the Propane Chamber experiment, as well as with the result of the HADES experiment at 2A GeV. In Fig.25 the BM@N result for  $\Lambda$  yield is compared with the results taken from [ArakelianCC], [ArmutCC], [HadesL0]. The predictions of the DCM-QGSM and UrQMD models are also shown for comparison.

Table 13. Yields and cross sections of  $\Lambda$  hyperon production in interactions of light and medium nucleus.

Interacting nucleus /	Beam momentum,	$\Lambda$ cross section, mb	$\Lambda$ yield, $\cdot 10^{-2}$
	_		

reference	kinetic energy $(T_0)$		
$He_4+Li_6$	4.5 GeV/c	5.9±1.5	$1.85 \pm 0.5$
	(3.66A GeV)		
C+C	4.2 GeV/c	$24 \pm 4$	2.89±0.72
	(3.36A GeV)		
<i>C+C</i> , propane	4.2 GeV/c	23.2±2.5	$2.8 \pm 0.3$
Chamber	(3.36A GeV)		
<i>p+p</i>	4.95 GeV/c (4.1 GeV)		$2.3 \pm 0.4$
C+C, HADES	2A GeV	$8.7 \pm 1.1 \pm {}^{3.2}_{1.6}$	$0.92 \pm 0.12 \pm 0.34_{0.17}$
Ar+KCl, HADES	1.76A GeV		3.93±0.14±0.15
Ar+KCl, FOPI	1.93A GeV		3.9±0.14±0.08
Ni+Ni, FOPI, central	1.93A GeV		$0.137 \pm 0.005 \pm 0.009_{0.025}$
390 mb from 3.1 <i>b</i>			
Ni+Cu, EOS, full	2A GeV	112±24 / 20±3	
b < 8.9  fm / central			
<i>b</i> <2.4 fm			
Ar+KCl, central	1.8A GeV	7.6±2.2	
<i>b</i> <2.4 fm			

To compare yields of particle production in nucleus-nucleus interactions, they are usually normalized to the mean number of nucleons participating in interactions (Participants). The numbers of Participants in minimum bias C+C, C+Al, C+Cu interactions are estimated using the

257 DCM-QGSM model [GenisPart]. The results (A1+A2) are shown in Table 14.

Table 14. Number	er of Participants in minimum	bias $A + A$ events at $4A$ GeV.
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$A_1A_2$	$A_1$	$A_2$	$A_1 + A_2$
СС	4.5	4.5	9.0
CAl	5.23	8.14	13.37
CCu	6.21	16.79	23.0

259

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Fig. 2.  $\Lambda \rightarrow p\pi^{-1}$  signal reconstructed in C+C interactions in bins of the transverse momentum  $p_{T}$ . The signal is fitted by a Gaussian function, the background is fitted by the 4<sup>th</sup> degree orthogonal polynomial. The vertical dashed lines indicate the mass range of  $\pm 2.5$  sigma of the total  $\Lambda$  signal reconstructed in C+C interactions.





1.18

Fig. 3.  $\Lambda \rightarrow p\pi^{-1}$  signal reconstructed in C+Al interactions in bins of the transverse momentum  $p_T$ . The signal is fitted by a Gaussian function, the background is fitted by the 4<sup>th</sup> degree orthogonal polynomial. The vertical dashed lines indicate the mass range of ±2.5 sigma of the total  $\Lambda$  signal reconstructed in C+Al interactions.



Fig. 4.  $\Lambda \rightarrow p\pi^{-1}$  signal reconstructed in C+Cu interactions in bins of the transverse momentum  $p_T$ . The signal is fitted by a Gaussian function, the background is fitted by the 4<sup>th</sup> degree orthogonal polynomial. The vertical dashed lines indicate the mass range of ±2.5 sigma of the total  $\Lambda$  signal reconstructed in C+Cu interactions.



12



Fig. 5.  $\Lambda \rightarrow p\pi$  signal reconstructed in C+C interactions in bins of the rapidity y. The signal is fitted by the Gaussian function, the background is fitted by the 4<sup>th</sup> degree orthogonal polynomial. The vertical dashed lines indicate the mass range of ±2.5 sigma of the total  $\Lambda$  signal reconstructed in C+C interactions.



Fig. 6.  $\Lambda \rightarrow p\pi^{-1}$  signal reconstructed in C+Al interactions in bins of the rapidity y. The signal is fitted by the Gaussian function, the background is fitted by the 4<sup>th</sup> degree orthogonal polynomial. The vertical dashed lines indicate the mass range of  $\pm 2.5$  sigma of the total  $\Lambda$  signal reconstructed in C+Al interactions.



Fig. 7.  $\Lambda \rightarrow p\pi^{-1}$  signal reconstructed in C+Cu interactions in bins of the rapidity y. The signal is fitted by the Gaussian function, the background is fitted by the 4<sup>th</sup> degree orthogonal polynomial. The vertical dashed lines indicate the mass range of ±2.5 sigma of the total  $\Lambda$  signal reconstructed in C+Cu interactions.





Fig. 8.  $\Lambda \rightarrow p\pi^{-1}$  signal reconstructed in interactions of the carbon beam with targets: *C*, *Al*, *Cu*. The signal is fitted by the Gaussian function, the background is fitted by the 4<sup>th</sup> degree orthogonal polynomial.



Fig.9. C+Cu interactions: comparison of experimental distributions (red lines) and Monte Carlo GEANT distributions of events generated with the DCM-QGSM model (blue lines): track multiplicity per event; number of tracks reconstructed in the primary vertex; number of hits per positive particle reconstructed in 1 Si + 6 GEM detectors; number of hits per negative particle.







Fig. 10. C+Cu interactions: comparison of experimental data (red curves) and DCM-QGSM + GEANT Monte Carlo simulation (blue curves): transverse momentum of positive particles; transverse momentum of negative particles; total momentum of negative (p/q<0) and positive particles (p/q>0).



Fig. 11. Two-dimensional X/Y efficiency distributions in 6 GEM stations measured with



Fig. 12. Residual distributions of GEM hits with respect to reconstructed tracks: left) experimental data, right) reconstructed tracks of embedded  $\Lambda$  decay products.





Fig. 12b. X, Y, Z distributions of the experimental primary vertex.





Fig.12c. Distance of the closest approach of VO decay tracks (DCA), distance between the primary vertex and VO (path), momentum distributions of positive, negative tracks from VO decays. Experimental data are compared with distributions for embedded  $\Lambda$  hyperons.



Fig. 13. The invariant mass spectrum of  $(p,\pi)$  pairs reconstructed in the experimental events of C+Cu interactions with embedded  $\Lambda$  hyperon decay products (left); The invariant mass spectrum of  $(p,\pi)$  pairs reconstructed in C+Cu interactions (right).



Fig.13a. Variation of sigma of the experimental  $\Lambda$  and embedded  $\Lambda$  signals reconstructed in bins of  $p_T$  in C+C, C+Al, C+Cu interactions. To estimate statistical fluctuations of the experimental  $\Lambda$  signal, the Gaussian fit is performed for the mass distribution shifted at a half of the mass bin (1.25 MeV/ $c^2$ ). The differences in sigma are presented as error bands.



Fig. 14. 2-dimensional weights  $w(y,p_T)$  obtained as a ratio of the numbers of  $\Lambda$  candidates in the data and simulated events for C+C, C+Al, C+Cu interactions.



<2<sup>2</sup>400

300

200





Fig.15. Number of reconstructed  $\Lambda$  hyperons in C+C, C+Al, C+Cu data samples in bins of y and  $p_T$ .



Fig.16.  $\Lambda$  geometrical acceptance ( $\varepsilon_{acc}$ ); efficiency of reconstruction of embedded  $\Lambda$  ( $\varepsilon_{emb}$ ); efficiency of kinematical and spatial cuts applied for  $\Lambda$  reconstruction ( $\varepsilon_{cuts}$ ) as functions of rapidity *y* (left plots) and  $p_T$  (right plots). Results are shown for *C*+*C* interactions.





Fig.17.  $\Lambda$  geometrical acceptance ( $\varepsilon_{acc}$ ); efficiency of reconstruction of embedded  $\Lambda$  ( $\varepsilon_{emb}$ ); efficiency of kinematical and spatial cuts applied for  $\Lambda$  reconstruction ( $\varepsilon_{cuts}$ ) as functions of rapidity y (left plots) and  $p_T$  (right plots). Results are shown for C+Al interactions.





Fig.18.  $\Lambda$  geometrical acceptance ( $\varepsilon_{acc}$ ); efficiency of reconstruction of embedded  $\Lambda$  ( $\varepsilon_{emb}$ ); efficiency of kinematical and spatial cuts applied for  $\Lambda$  reconstruction ( $\varepsilon_{cuts}$ ) as functions of rapidity y (left plots) and  $p_T$  (right plots). Results are shown for C+Cu interactions.



Fig.19. Combined efficiency of  $\Lambda$  reconstruction ( $\varepsilon_{acc}$ ,  $\varepsilon_{emb}$ ,  $\varepsilon_{cuts}$ ) in the y and  $p_T$  bins evaluated for C+C interactions (upper plots), C+Al interactions (middle plots) and C+Cu interactions (lower plots).



Fig. 20. Reconstructed yields (multiplicities) of  $\Lambda$  hyperons in minimum bias C+C interactions vs rapidity  $y^*$  in c.m.s. and transverse momentum  $p_T$  (blue crosses). Predictions of the DCM-QGSM and UrQMD models are shown as red and green lines.





Fig. 21. Reconstructed yields (multiplicities) of  $\Lambda$  hyperons in minimum bias C+Al interactions vs rapidity  $y^*$  in cm.s. and transverse momentum  $p_T$  (blue crosses). Predictions of the DCM-QGSM and UrQMD models are shown as red and green lines.



Fig. 22. Reconstructed yields (multiplicities) of  $\Lambda$  hyperons in minimum bias C+Cu interactions vs rapidity  $y^*$  in c.m.s. and transverse momentum  $p_T$  (blue crosses). Predictions of the DCM-QGSM and UrQMD models are shown as red and green lines.



Fig. 23. Right plot) Efficiency-corrected reconstructed  $p_T$  spectra of  $\Lambda$  hyperon yields (multiplicities) in minimum bias C+C, C+Al, C+Cu interactions (blue crosses). Predictions of the DCM-QGSM and URQMD models are shown as red and green lines, respectively. Left plot) Thermal fit results with the inverse slope parameter  $T_0$ .





Fig. 24. Fit of the DCM-QGSM and URQMD  $\Lambda$  multiplicity spectra. The inverse slope parameter  $T_0$  is shown, extracted from the fit.



Fig.25. Energy dependence of  $\Lambda$  yields measured in different experiments. BM@N result is compared with data taken from [ArakelianCC], [ArmutCC], [HadesL0]. The predictions of the DCM-QGSM and UrQMD models are shown.





Fig. 26. Impact parameter distribution of all minimum bias events generated with the DCM-QGSM model (left). Impact parameter distribution of DCM-QGSM minimum bias events with generated  $\Lambda$  hyperons (center). Impact parameter distribution of DCM-QGSM minimum bias events with reconstructed  $\Lambda$  hyperons (right).





Fig.27. Ratio of impact parameter distributions for events with reconstructed  $\Lambda$  to events with generated  $\Lambda$  presented for *C*+*C*, *C*+*Al*, *C*+*Cu* interactions. Linear fit of the distributions is superimposed.